

Constraints on self-annihilating DM from Reionization and CMB

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Isotropically averaged cosmological DM annihilation

Smooth component

$$A^{\text{sm}}(z) = \frac{\langle \sigma v \rangle}{2 m_\chi^2} \rho_{\text{DM},0}^2 (1+z)^6$$

Structure component

$$A^{\text{struct}}(z) = \frac{\langle \sigma v \rangle}{2 m_\chi^2} \int \int dM \frac{dn}{dM}(z, M) (1+z)^3 4\pi r^2 \rho_i^2(r, M(z)) dr$$

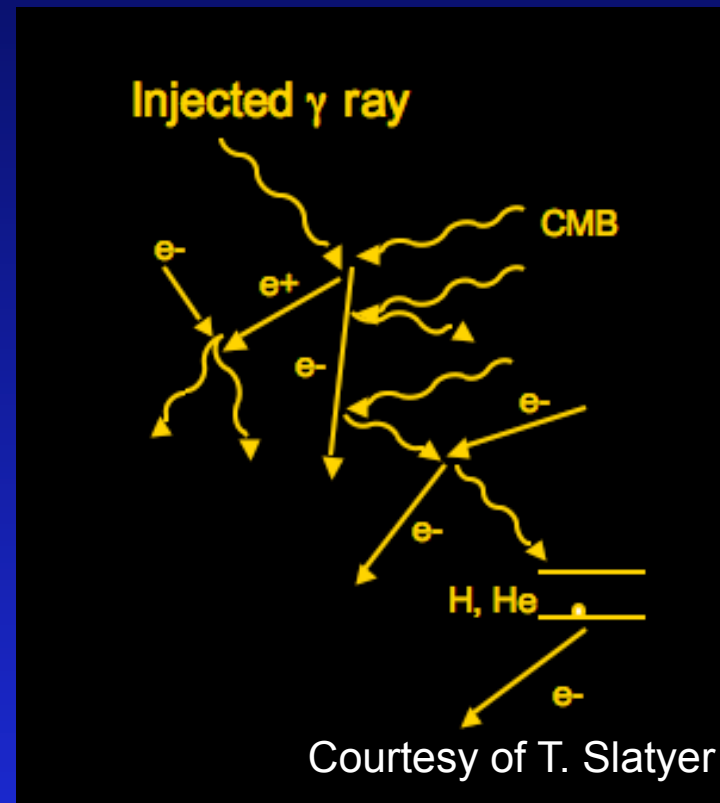
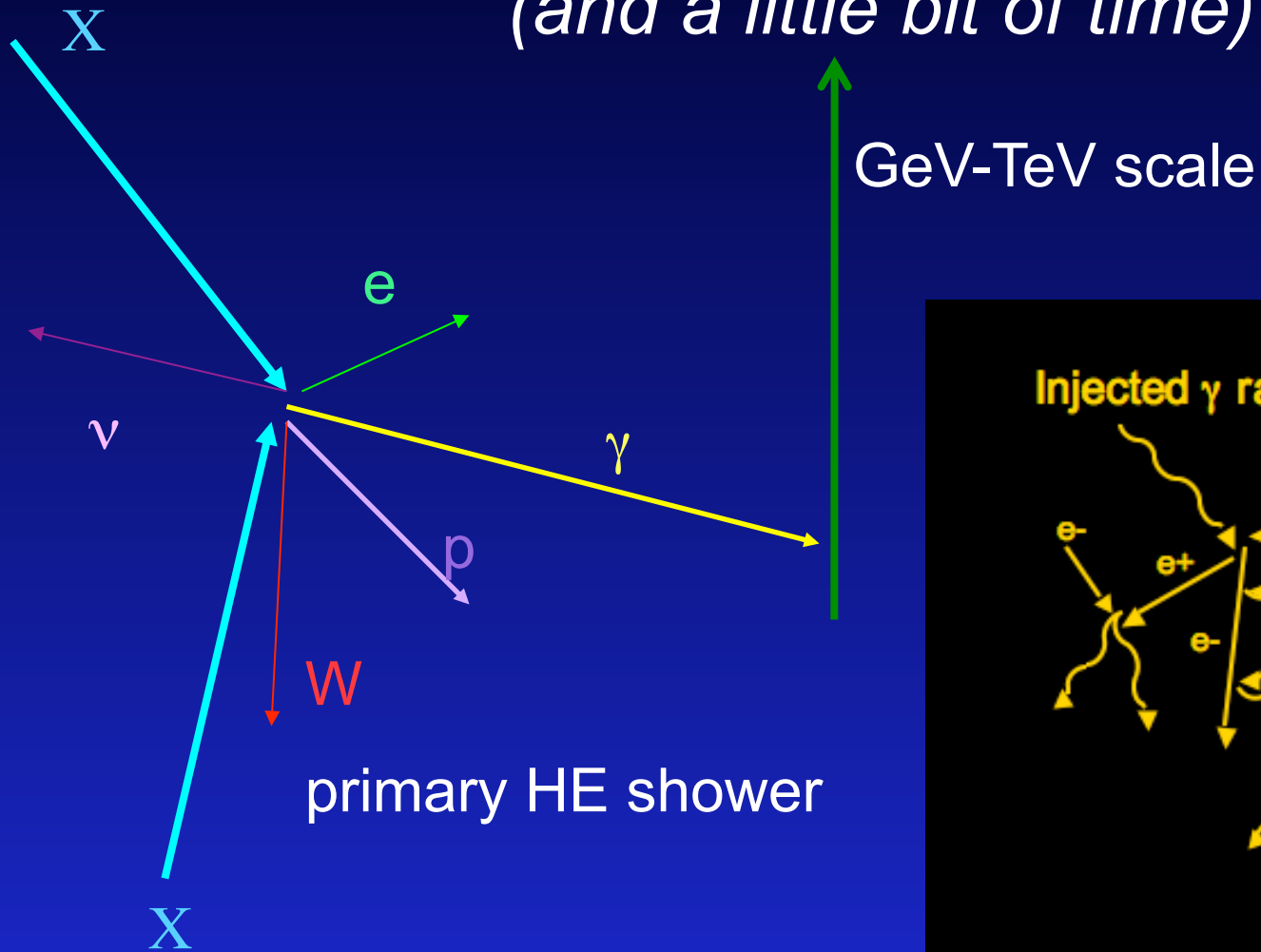
Structure formation history
(Press-Schechter / Sheth-Tormen)

DM density halo profile
Burkert / Einasto / NFW

$$A(z) = \frac{\langle \sigma v \rangle}{2 m_\chi^2} \rho_{\text{DM},0}^2 (1+z)^6 (1 + \mathcal{B}_M(z))$$

Only after structure formation $z \leq \approx 100$

DM annihilation and the IGM (and a little bit of time)

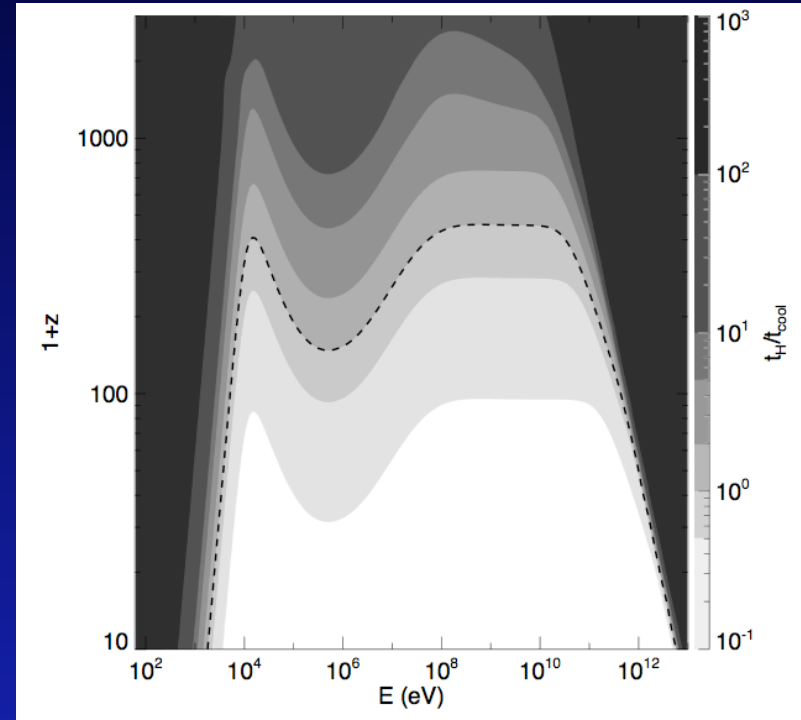
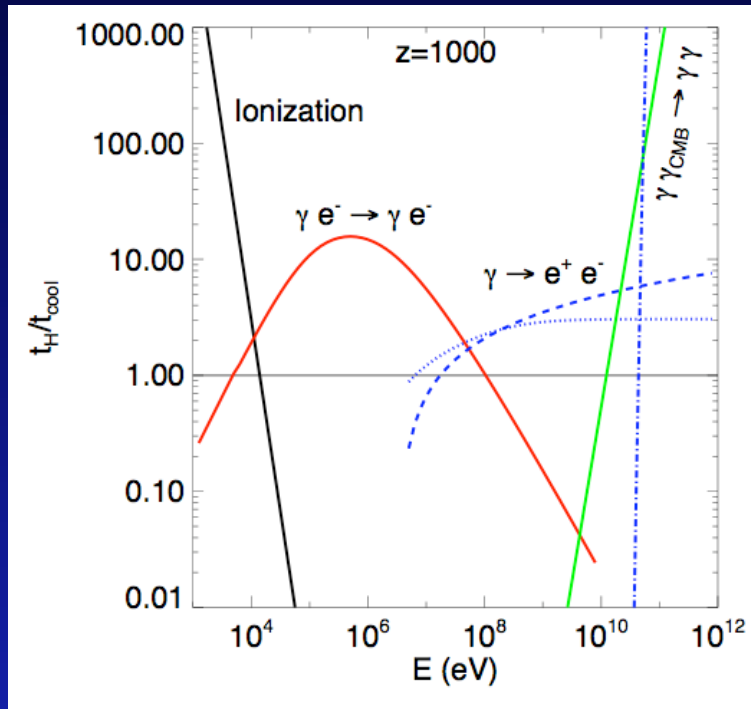


keV scale

Special guest in the room:
C. Evoli, ask him about details

heating and ionization

The IGM opacity (absorbing the energy – or not)



Photoionization, **IC scattering**,
pair production (on CMB γ and matter),
 $\gamma\gamma$ scattering

“Opacity window”
of the Universe

absorption is DM model-dependent:
type of secondaries is important!

[Slatyer et al. '09]

The equation to Solve-I

Energy deposition rate

$$\mathcal{E}(z) = \int_0^{m_\chi} dE_\gamma \frac{dn}{dE_\gamma}(z) \cdot n_A(1+z)^3 \cdot \sigma_{\text{tot}}(E_\gamma) \cdot E_\gamma$$

$$\frac{dn}{dE_\gamma}(z) = \int_\infty^z dz' \frac{dt}{dz'} \frac{dN}{dE'_\gamma}(z') \frac{(1+z)^3}{(1+z')^3} \cdot A(z') \cdot \exp[\Upsilon(z, z', E'_\gamma)]$$

Gas (IGM) Opacity

$$\Upsilon(z, z', E'_\gamma) \simeq - \int_{z'}^z dz'' \frac{dt}{dz''} n_A(1+z'')^3 \sigma_{\text{tot}}(E'_\gamma)$$

Annihilation rates

$$A^{\text{sm}}(z) = \frac{\langle \sigma v \rangle}{2m_\chi^2} \rho_{\text{DM},0}^2 (1+z)^6 \quad A^{\text{struct}}(z) = \frac{\langle \sigma v \rangle}{2m_\chi^2} \int \int dM \frac{dn}{dM}(z, M) (1+z)^3 4\pi r^2 \rho_i^2(r, M(z)) dr$$

The equation to Solve-II

Evolution of ionization fraction

$$-n_A H_0 \sqrt{\Omega_M} (1+z)^{11/2} \frac{dx_{\text{ion}}(z)}{dz} = I(z) - R(z)$$

Recombination rates

$$R_{\text{H}}(z) = \kappa_{\text{H}} n_{\text{H}} n_{e^-} = \kappa_{\text{H}} \frac{0.76}{0.82} (n_A (1+z)^3 x_{\text{ion}}(z))^2$$

$$R_{\text{He}}(z) = \kappa_{\text{He}} \frac{0.06}{0.82} (n_A (1+z)^3 x_{\text{ion}}(z))^2$$

Ionization rates

$$I(z) = \int_{e_i}^{m_\chi} dE_\gamma \frac{dn}{dE_\gamma}(z) \cdot P(E_\gamma, z) \cdot N_{\text{ion}}(E_\gamma)$$

Electron optical depth τ

$$\tau = - \int n_e(z) \sigma_T \frac{dt}{dz}$$

Integrated quantity

$$\tau = n_A \sigma_T \left[\underbrace{-\frac{0.88}{0.82} \int_0^3 dz \frac{dt}{dz} (1+z)^3 - \int_3^6 dz \frac{dt}{dz} (1+z)^3}_{0.038} \right] +$$

Known contribution

Sources $z > 6$: known unknowns

$$\underbrace{n_A \sigma_T \left[- \int_6^\infty dz \frac{dt}{dz} (1+z)^3 x_{\text{ion}}(z) \right]}_{\delta\tau}$$

Summarizing "Reionization"

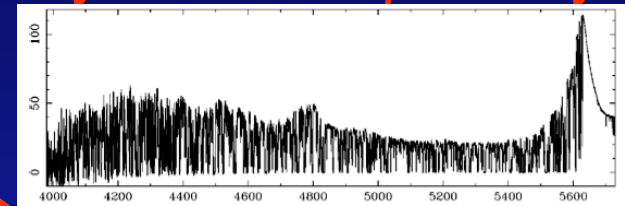
$$\tau = 0.084$$

$$\delta\tau = 0.046$$

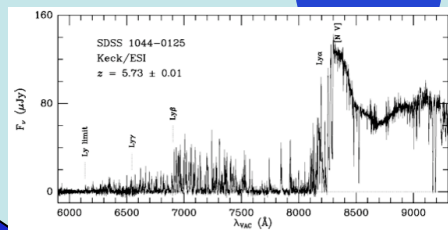
$$\tau_o = 0.038$$

Neutral:
Ly- α absorber

Ionized:
Ly- α free to pass by



= neutral gas



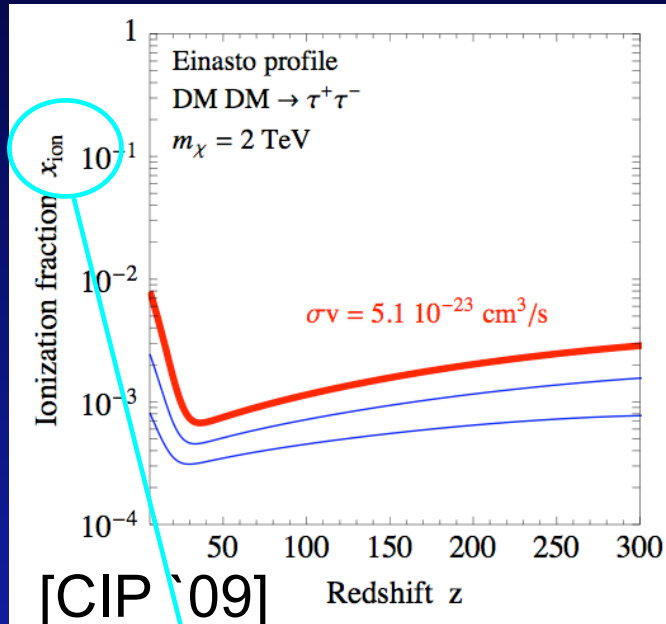
Completely ionized IGM

$z \sim 6$

z

τ constraints

(DM annihilations can overproduce free e^-)

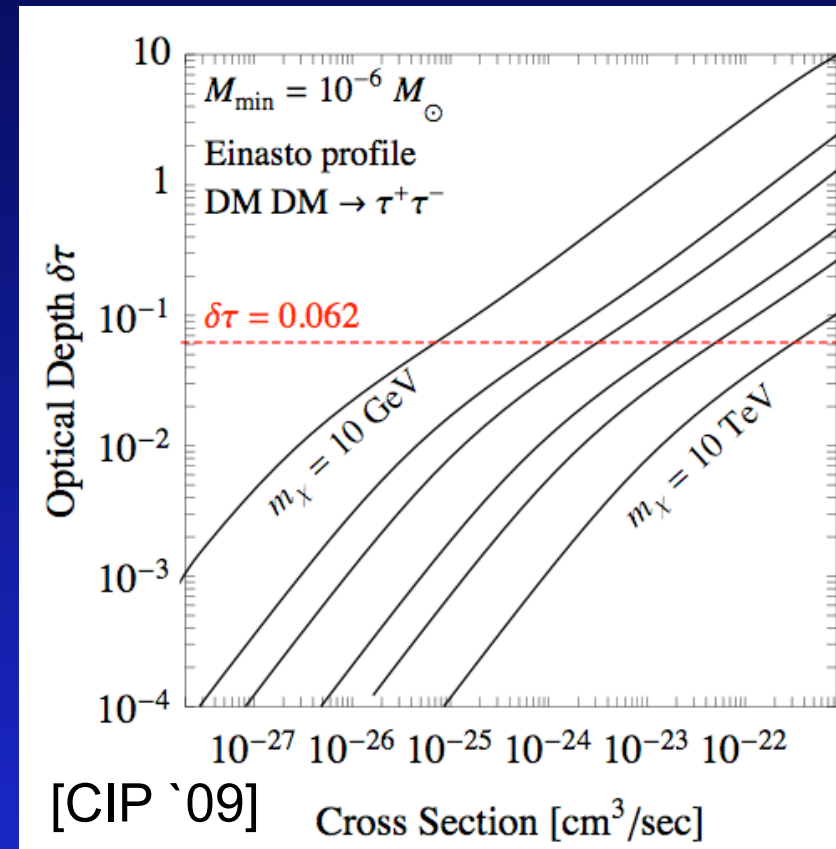


To be integrated!

In this models:

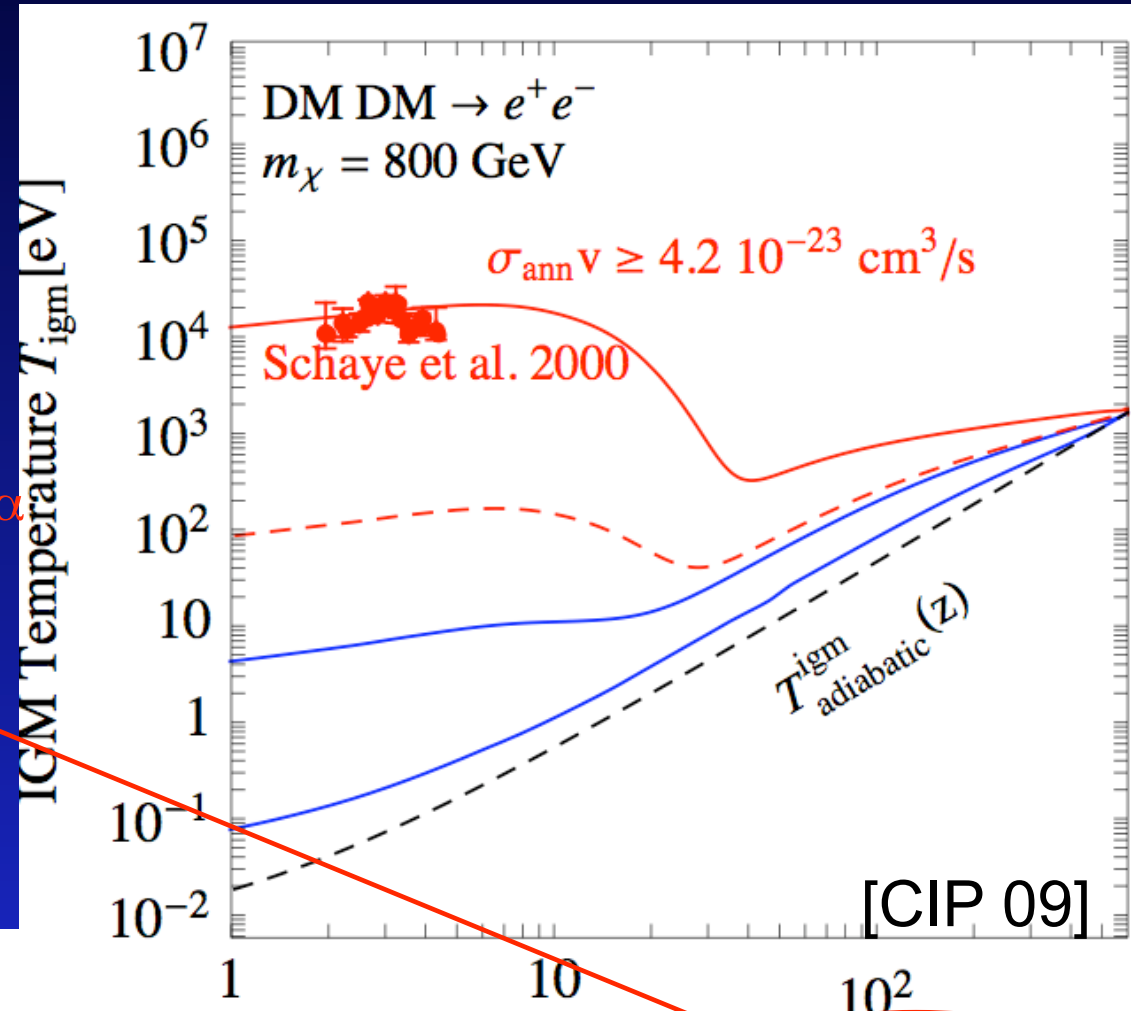
no astrophysical sources ($z > 6$)

Extra-conservative bounds!

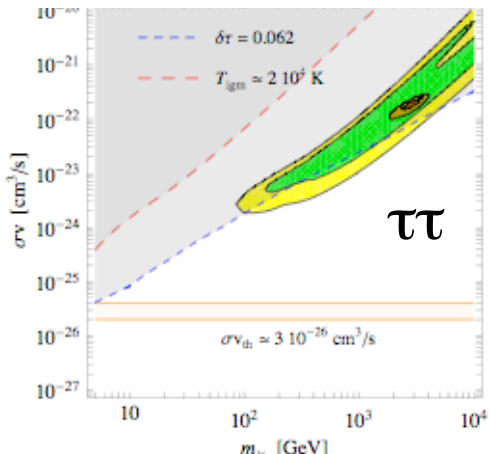
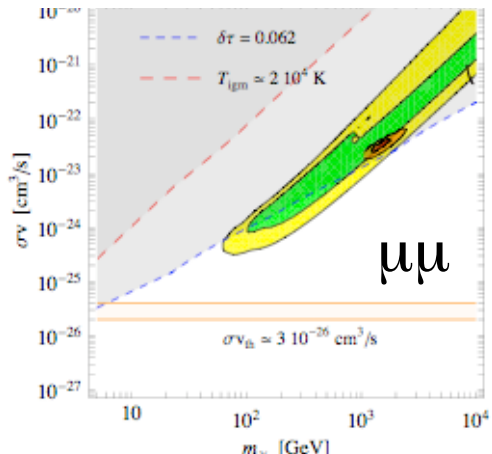
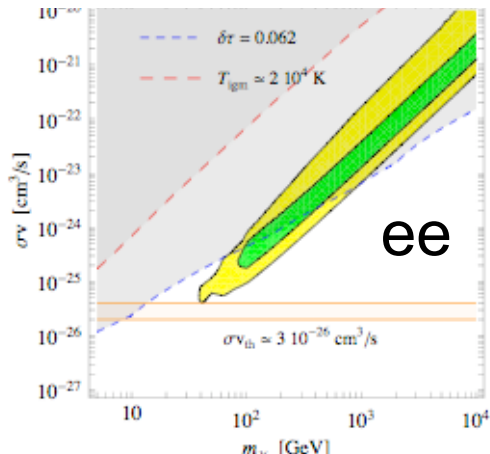
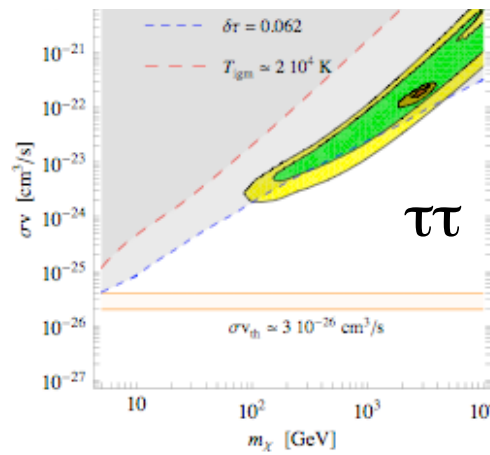
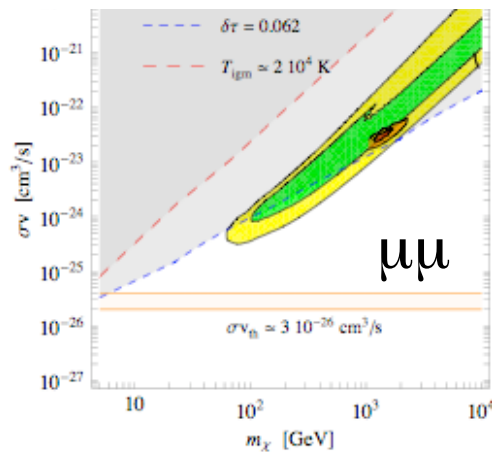
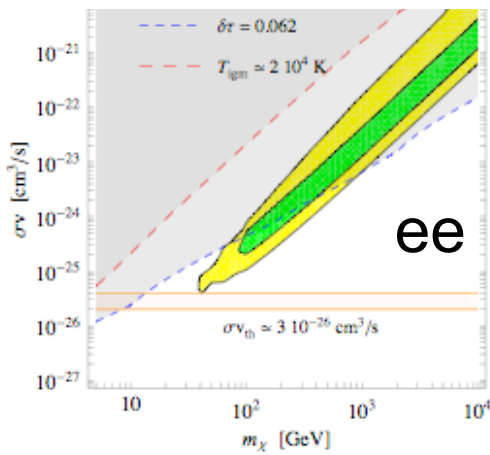
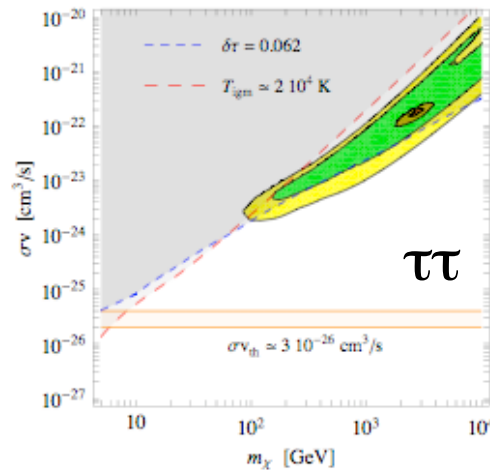
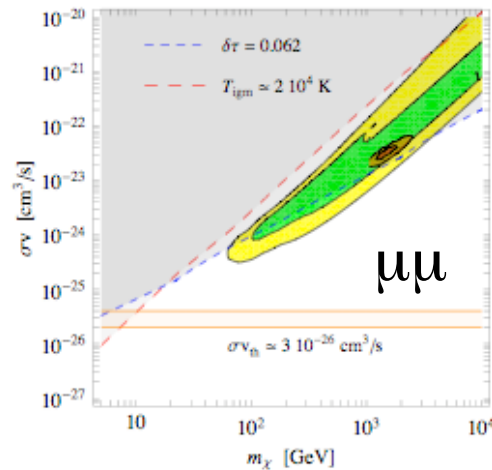
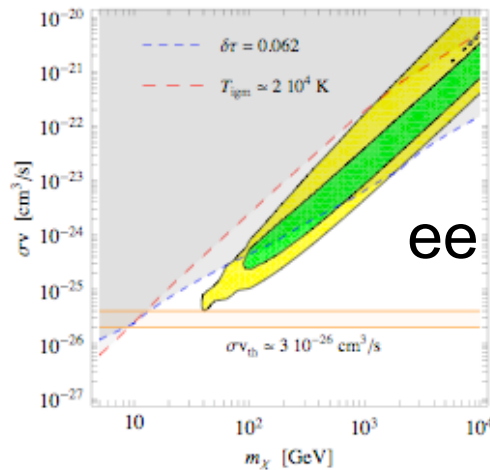


Temperature constraints!

“Exotic heating”:
DM, after coupled f
 $1/3$ heat, $1/3$ ioniz. $1/3$ Ly- α



$$\frac{dT_{\text{igm}}(z)}{dz} = \frac{2T_{\text{igm}}(z)}{1+z} - \frac{1}{H_0 \sqrt{\Omega_M} (1+z)^{5/2}} \left(\frac{x_{\text{ion}}(z)}{1+x_{\text{ion}}(z)+0.073} \frac{T_{\text{CMB}}(z) - T_{\text{igm}}(z)}{t_c(z)} + \frac{2\eta_{\text{heat}}(x_{\text{ion}}(z))\mathcal{E}(z)}{3n_A(1+z)^3} \right)$$



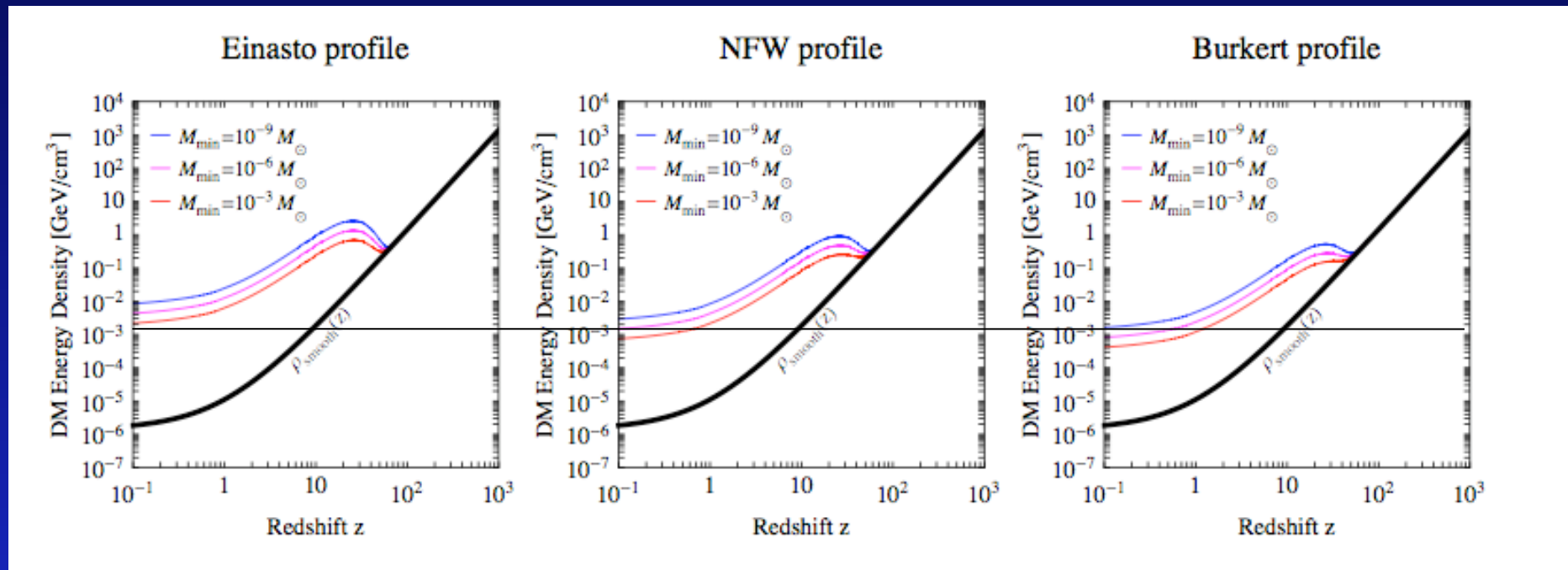
Einasto

NFW

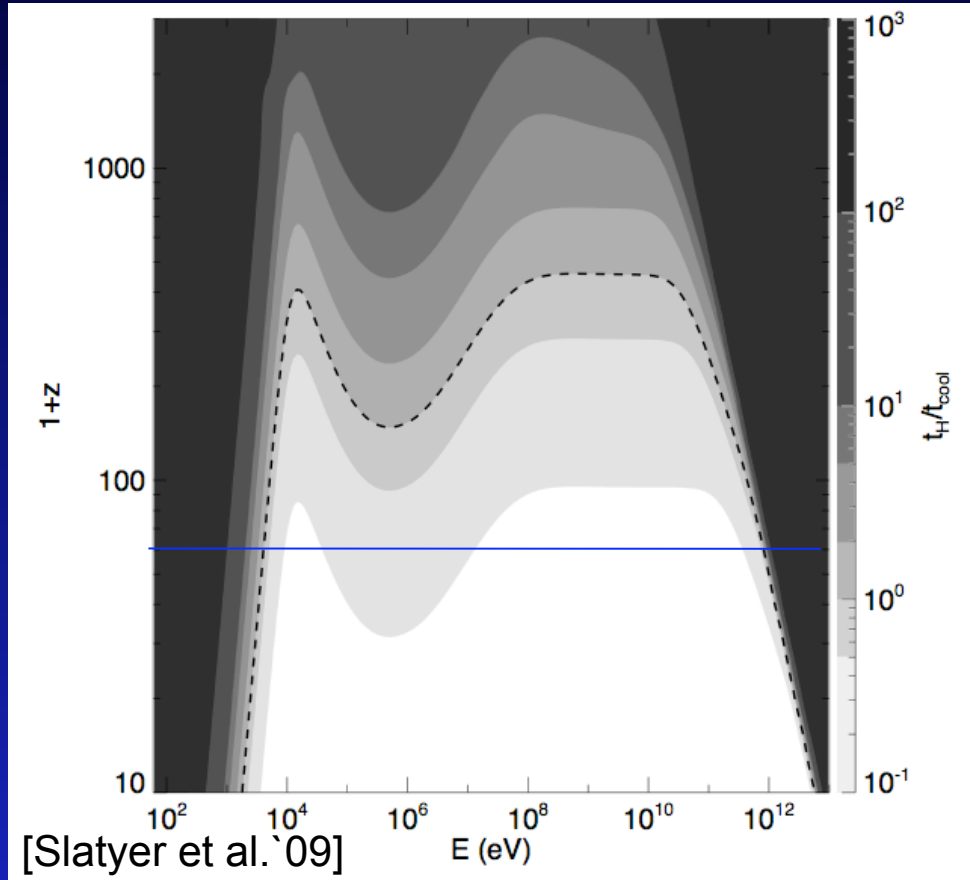
Burkert

[CIP '09]

Structure boost: parameter dependence

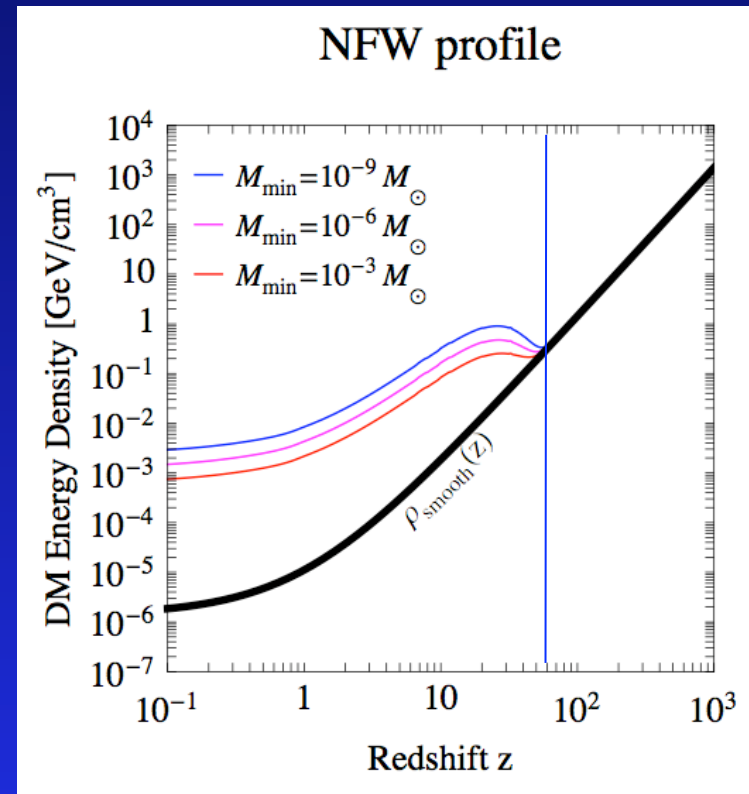


Transparency of the Universe & structure formation



HE shower gets efficiently absorbed **only** at high z

Structure formation takes place in a late Universe ($z < 60$)



[Cirelli, FI, Panci '09]

Self-annihilating DM: on-the-spot approximation

Annihilation rate

$$\frac{dI}{dt}(z) = n_{DM}^2(z) \langle \sigma v \rangle m_\chi c^2$$

Energy deposition rate

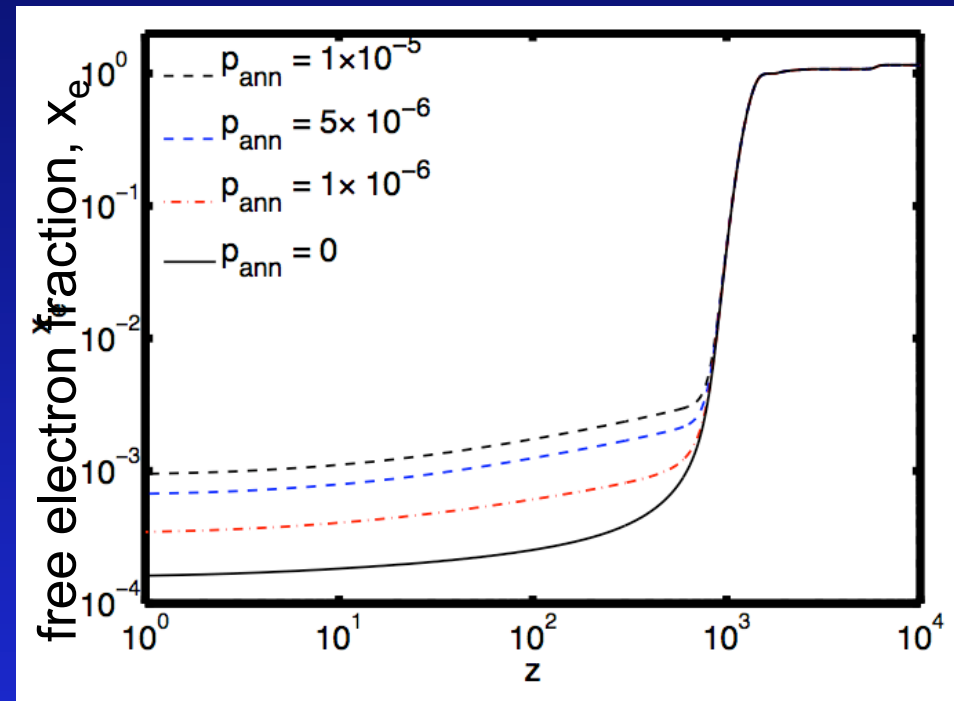
$$\frac{dE}{dt}(z) = \rho_c^2 c^2 \Omega_{DM}^2 (1+z)^6 f \frac{\langle \sigma v \rangle}{m_\chi}$$

The only DM parameter is

$$f \frac{\langle \sigma v \rangle}{m_\chi} \equiv p_{ann}$$

more about “ f ” later

Main effect of
injected energy:
heating and ionization
of the IGM

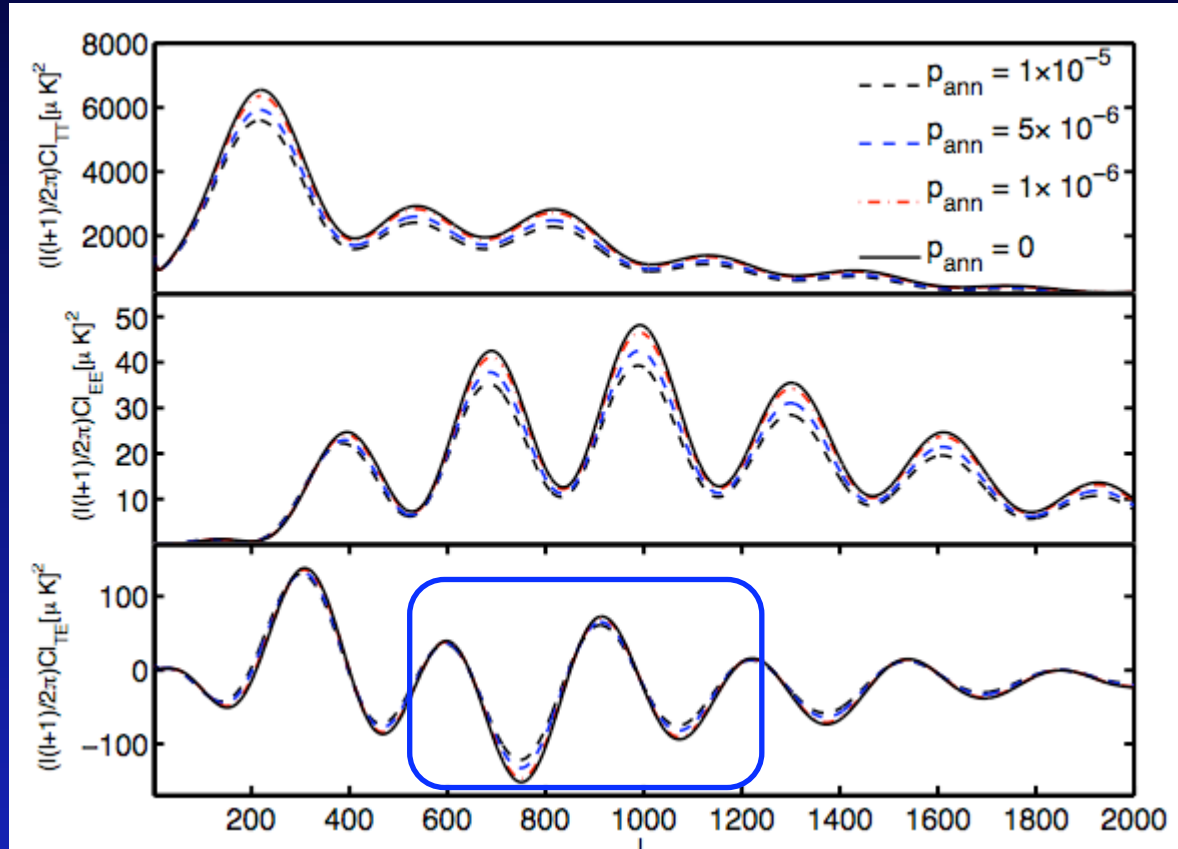


[Galli, FI, Bertone, Melchiorri '09]

Self-annihilating DM and the CMB

DM annihilation
indirect,
SZ by “additional” e^-

$z > 1000$ there are many e^-
energy injection is small
no effects on CMB blackbody



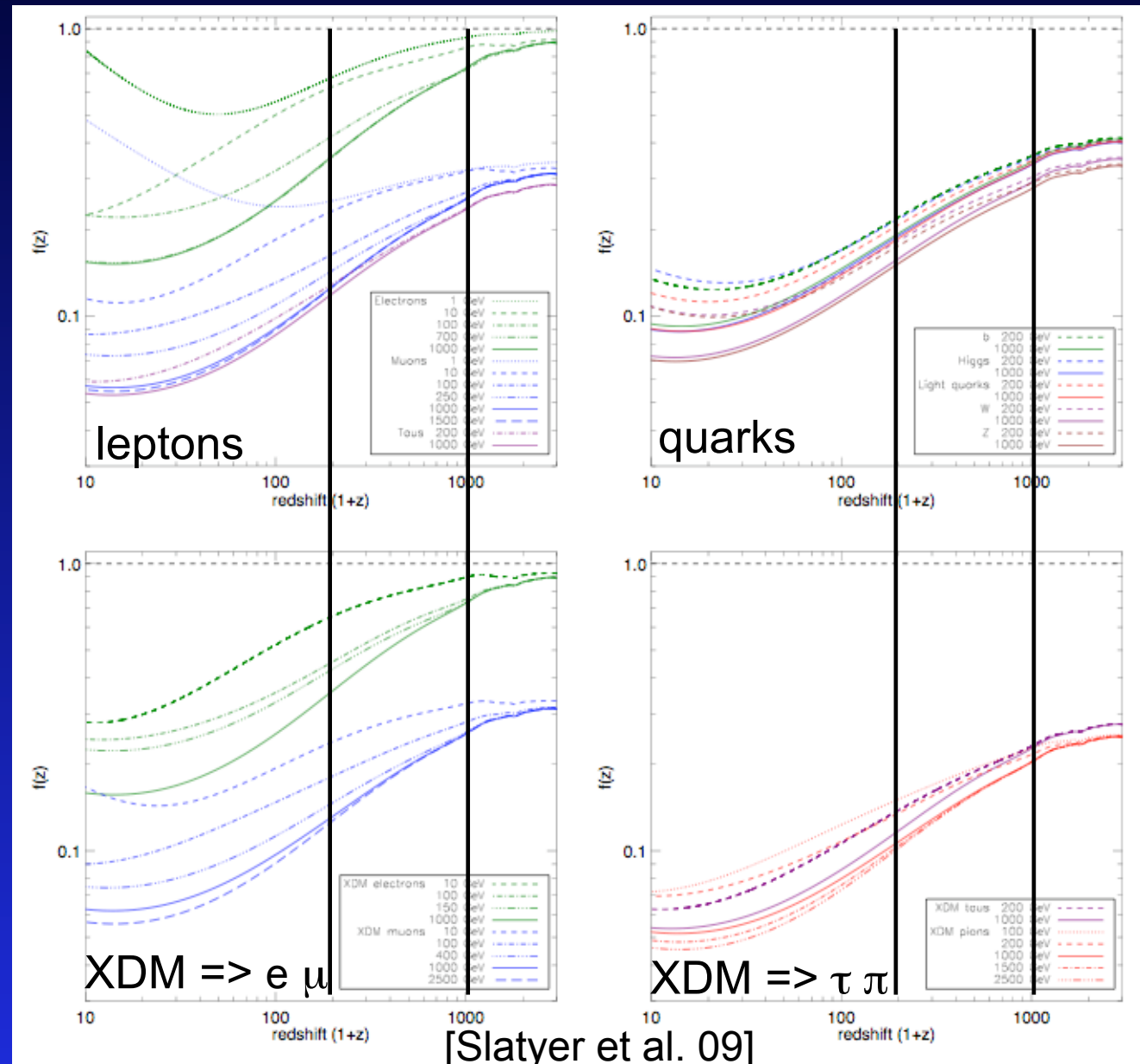
Modifying TT, TE, EE with
additional e^- (by DM annih)

Evaluating “ f ”

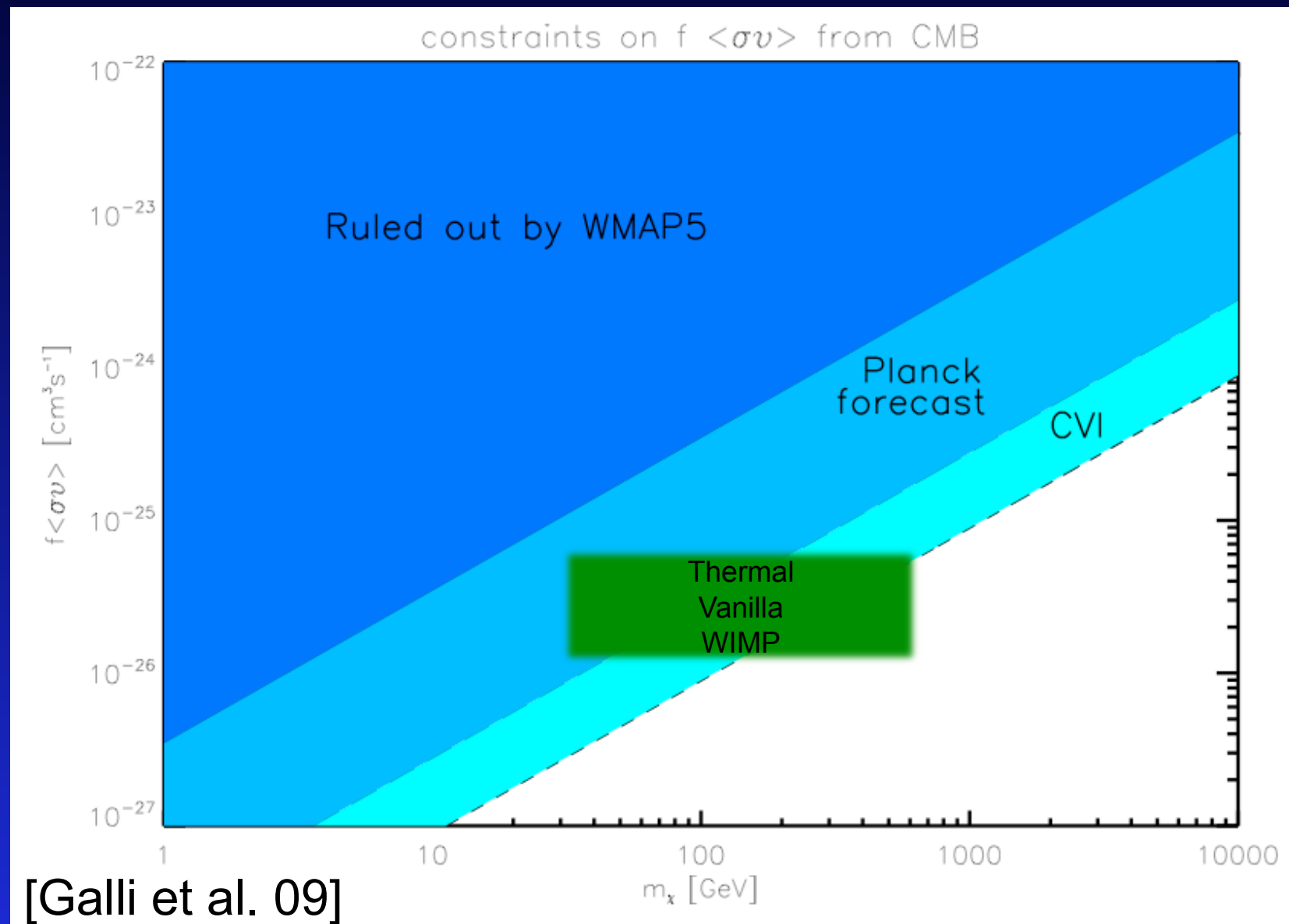
All channels,
all secondaries,
redshift dependence

Branching ratio of
DM annihilation
essential for
determining absorption

Little reminder:
Pamela is leptophilic
(from greek: “likes it thin”)



Constraining DM with CMB



Constraining SE with CMB

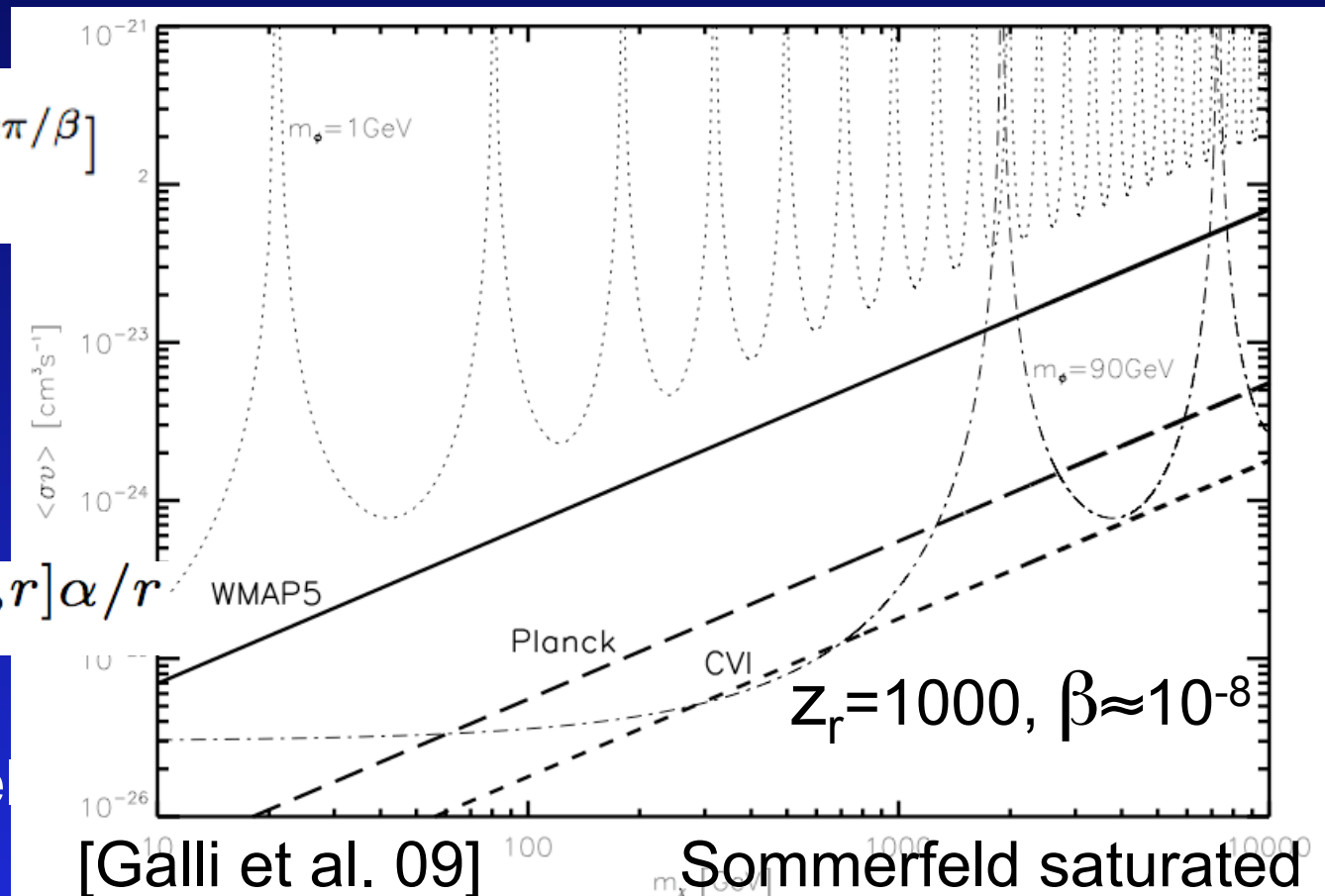
$$\psi''(r) - m_\chi V(r)\psi(r) + m_\chi^2 \beta^2 \psi(r) = 0$$

$$S(\beta) = \frac{\alpha\pi}{\beta} [1 - \exp^{-\alpha\pi/\beta}]$$

Sommerfeld enhancement

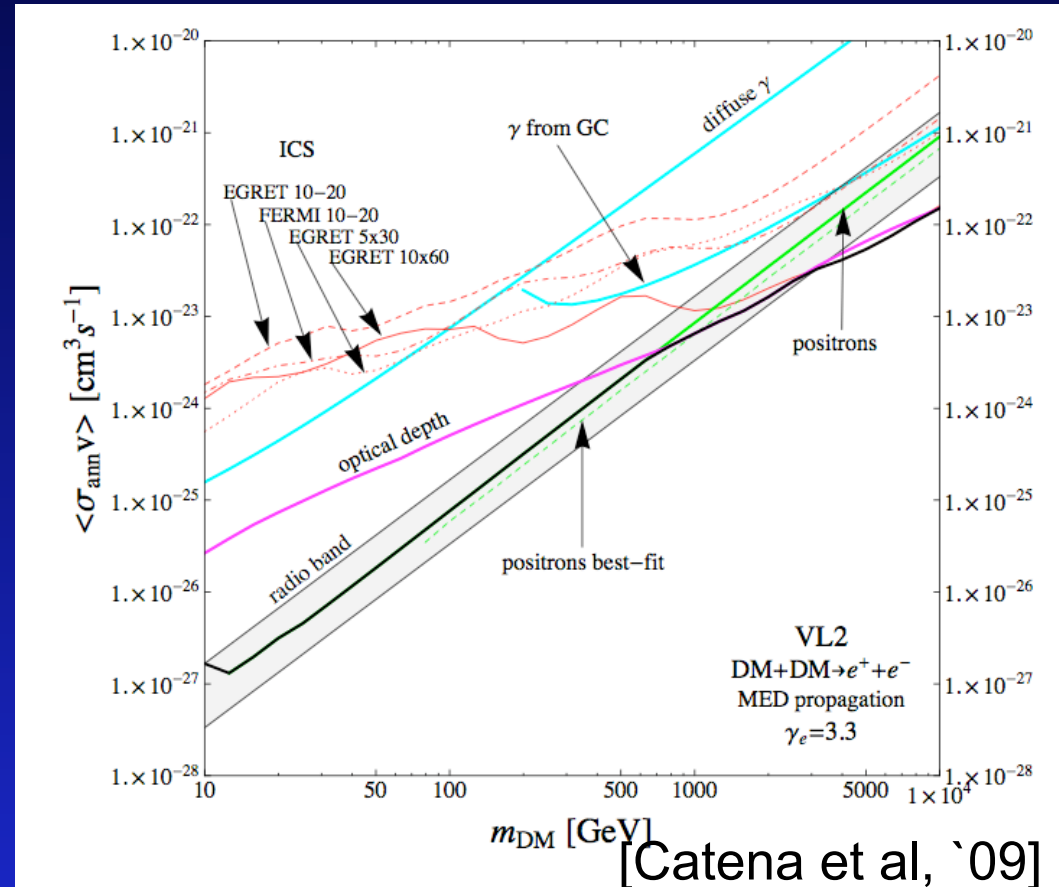
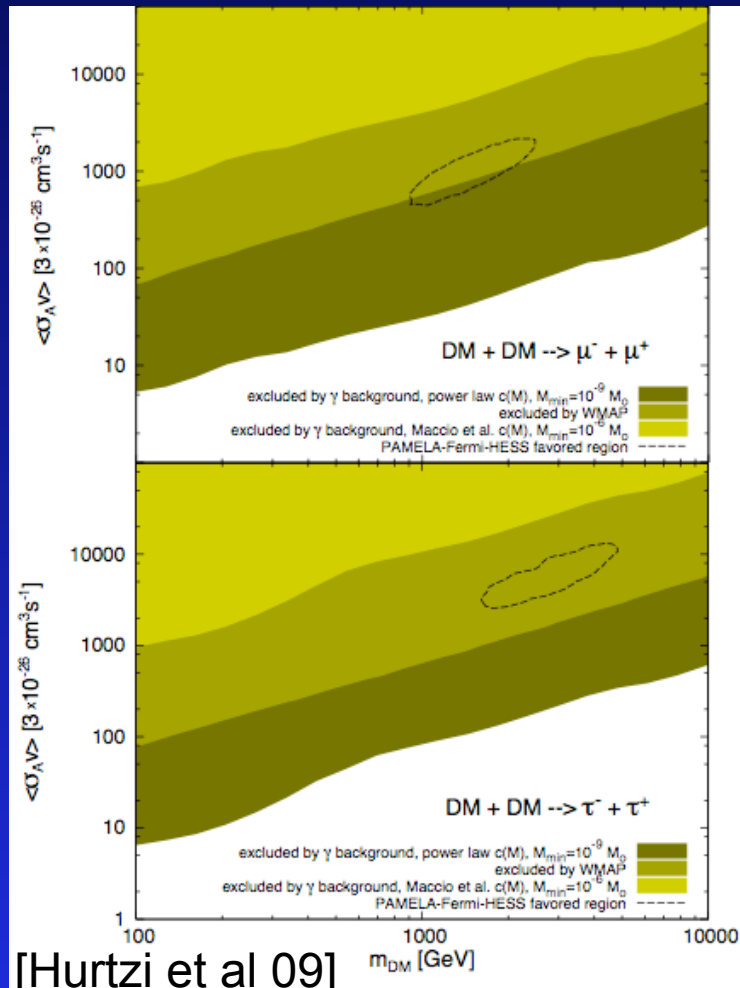
$$V(r) = -e^{-m_\phi r} \alpha / r$$

Yukawa potential
a benchmark mode



Combining the constraints

gammas + τ



Concluding

Cosmological DM annihilation provides strong constraints
on $\langle \sigma v \rangle$

Annihilation “signal” comes from smooth DM density field
(can get rid of structure formation uncertainties!)

Self-annihilating DM can inject enough energy (free electrons)
to sizably modify the CMB spectra

Ideal to test Sommerfeld enhancement

Own it now: your kids will love it!

FIXSEN ET AL.

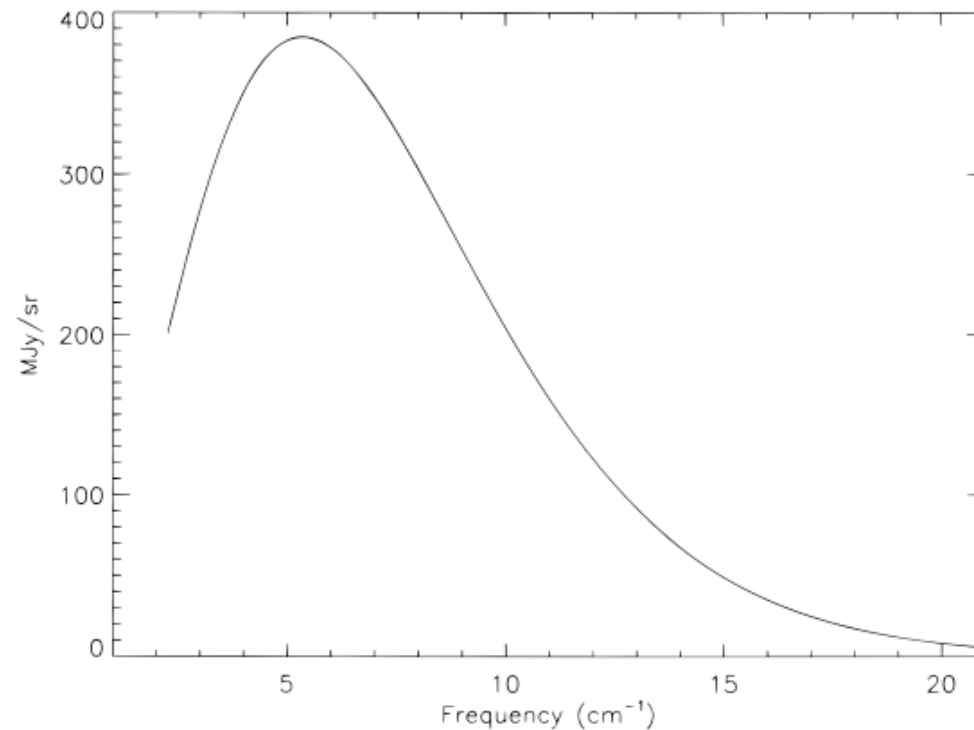


FIG. 4.—Uniform spectrum and fit to Planck blackbody (T). Uncertainties are a small fraction of the line thickness.

$$\mu = 1.4 \frac{\delta\rho_\gamma}{\rho_\gamma} = 1.4 \int_{t_1}^{t_2} \frac{\dot{\rho}_\gamma}{\rho_\gamma} dt = 1.4 \int_{t_1}^{t_2} \frac{f m_\chi \langle\sigma v\rangle n_\chi^2}{\rho_{\gamma,0} a^{-4}} dt \leq 9.0 \times 10^{-5}$$

$$5.1 \times 10^{-4} \leq Z \leq 2 \times 10^6$$

$$\langle\sigma v\rangle \leq 10^{-21} \text{cm}^3/\text{s}$$

Looser constraint than from anisotropies

[McDonald, Scherrer, Walker '02]

[Zavala, Volgersberger, White '09]