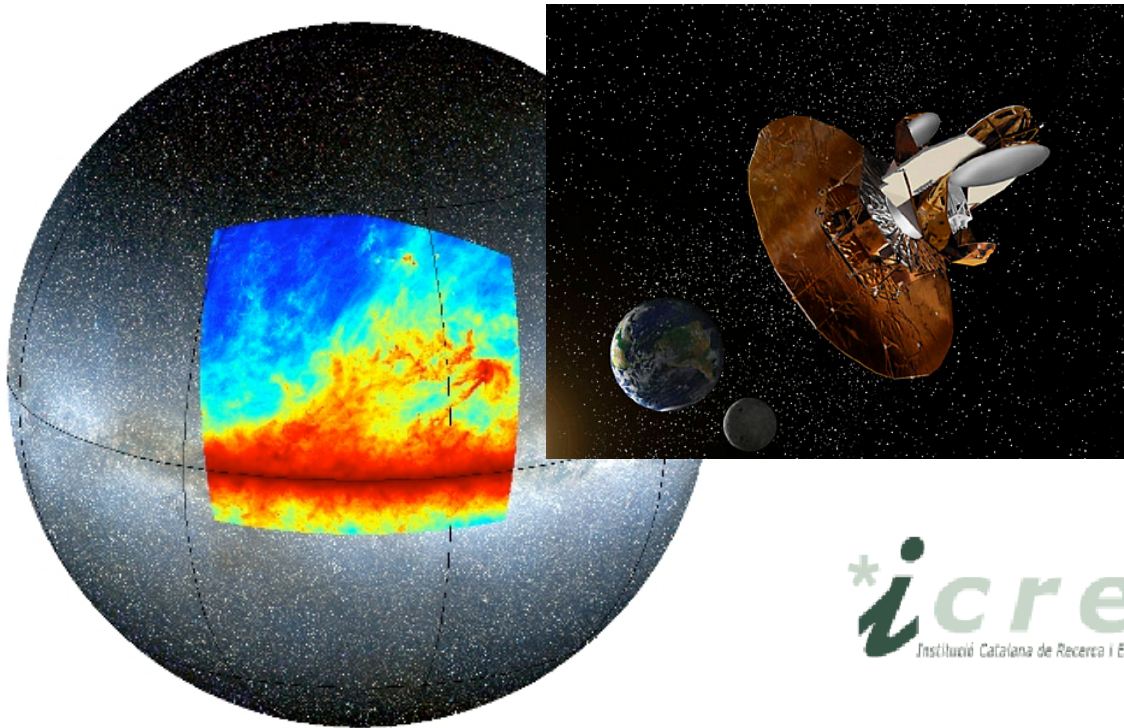


# What is $\nu$ ? news from cosmology



Raul Jimenez

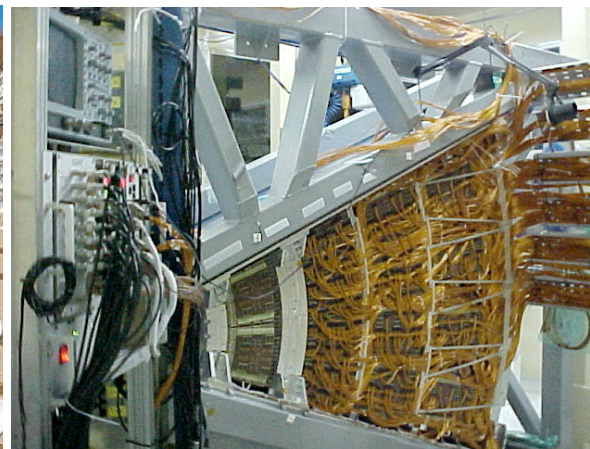
ICREA

ICC University of Barcelona

[icc.ub.edu/~jimenez](http://icc.ub.edu/~jimenez)



Institut de Ciències  
del Cosmos



Courtesy of Planck and SKA teams

# Ultimate Observations

---

In cosmology one can actually perform **ultimate** observations, i.e. those which contain ALL information available for measurement in the sky. The first one of its kind is Planck (in Temperature) and in this decade we will also have such experiments mapping the galaxy field. Question is: how much can we learn about fundamental physics, if any, from such experiments?

There are many examples:

1. Dark Energy
2. Inflation
3. **Number of Neutrino Families**
4. Nature of initial conditions
5. Beyond the Standard Model Physics

# Conclusions

---

Cosmology does not support the existence of any extra neutrino families beyond 4. In fact it excludes  $> 4$  families at 95%. What cosmology tells us is that the number of neutrino families is  $2.8 < N_{\text{eff}} < 4$  at 95% confidence

# New developments: data

---

CMB damping tail (ACT, SPT)

Sloan Digital Sky Survey BOSS, WIGGLEZ

Baryon Acoustic Oscillations & clustering

Direct measurement of expansion history

NEWS: FUTURE DATA: Euclid, recycled spy satellite, WFIRST

# New developments: theory

---

Better modeling of non-linearities via N-body simulations  
(and perturbation theory)

# $N_{\text{eff}}$ : number of effective species

$$H^2(t) \simeq \frac{8\pi G}{3} (\rho_\gamma + \rho_\nu) \quad \rho_\nu \propto T^4 N_{\text{eff}} \quad \text{Standard: } N_{\text{eff}}=3.045$$

Any thermal background of light particles, anything affecting expansion rate

Look at BBN

$N_{\text{eff}}$  around 3 to 4

Systematics!

Nollett, Holder 2011:  $Y_p$  difficult, better use CMB  $(\Omega_b h^2) + D/H$

Pettini, Cooke 2012  $N_\nu = 3.0 \pm 0.5$

# $N_\nu$ : number of effective species

$$H^2(t) \simeq \frac{8\pi G}{3} (\rho_\gamma + \rho_\nu) \quad \rho_\nu \propto T^4 N_{\text{eff}} \quad \text{Standard: } N_{\text{eff}}=3.045$$

Any thermal background of light particles, anything affecting expansion rate

Look at BBN

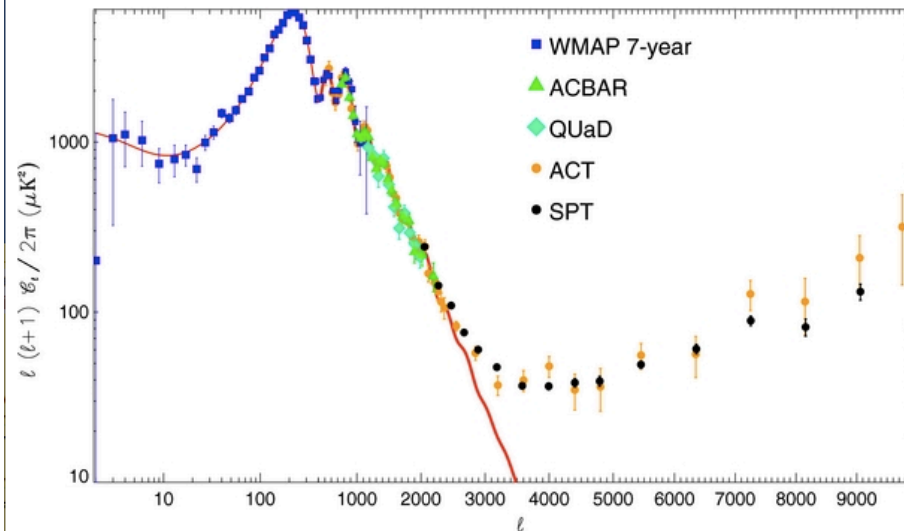
$N_{\text{eff}}= 3$  to  $4$

Systematics!

Look at CMB:

effects matter-radiation equality  
and so sound horizon at decoupling  
→ degeneracy with  $\omega_m$  and  $H$

Anisotropic stress,  
 $z_{\text{eq}}$  on diffusion damping





# Literature review

Cosmological analyses consistently give best fit values  $>3.04$ .

“dark radiation”

But analyses are NOT

independent

(WMAP is always in common,

$H_0$  many times in common)

It's barely 2 sigmas  
(except for one  
data set: ACT)

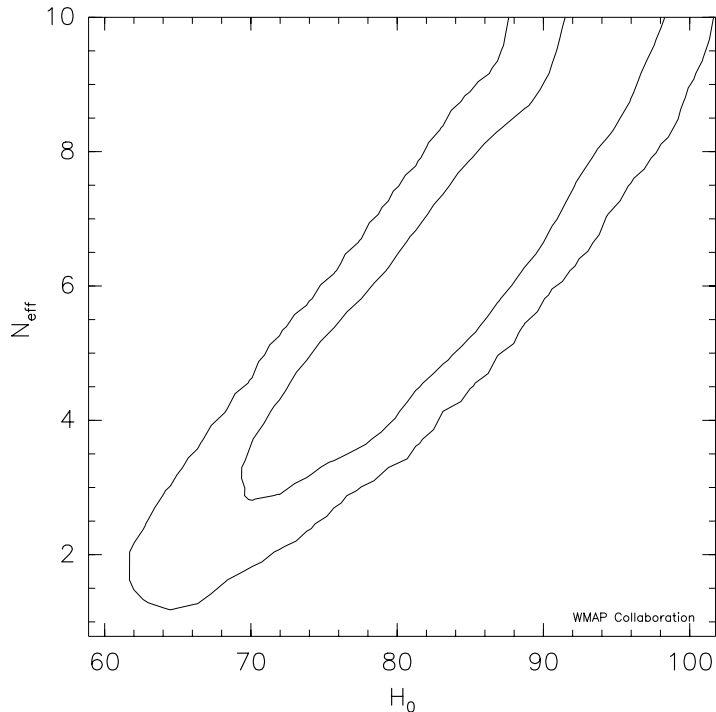
Also,

beware of degeneracies

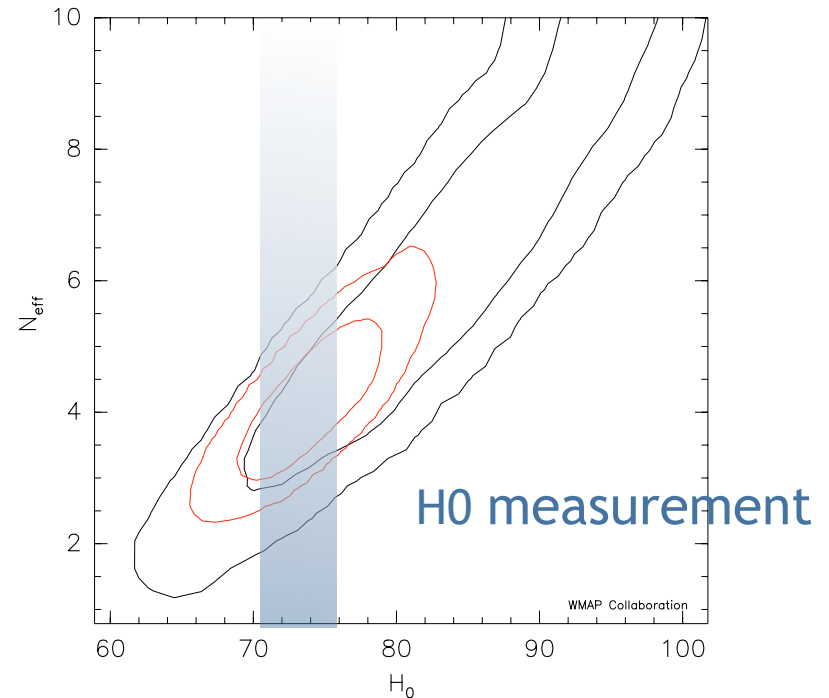
Tab 3 white paper  
1204.5379

Model	Data	$N_{eff}$	Ref.
$N_{eff}$	W-5+BAO+SN+ $H_0$	$4.13^{+0.87(+1.76)}_{-0.85(-1.63)}$	[346] Reid et al '10
	W-5+LRG+ $H_0$	$4.16^{+0.76(+1.60)}_{-0.77(-1.43)}$	[346] Mantz et al 10
	W-5+CMB+BAO+XLF+ $f_{gas}+H_0$	$3.4^{+0.6}_{-0.5}$	[349] Reid et al '10
	W-5+LRG+maxBCG+ $H_0$	$3.77^{+0.67(+1.37)}_{-0.67(-1.24)}$	[346] Komatsu et al 11
	W-7+BAO+ $H_0$	$4.34^{+0.86}_{-0.88}$	[338] (WMAP7)
	W-7+LRG+ $H_0$	$4.25^{+0.76}_{-0.80}$	[338] Dunkley et al 10
	W-7+ACT	$5.3 \pm 1.3$	[343] (ACT)
	W-7+ACT+BAO+ $H_0$	$4.56 \pm 0.75$	[344] Keisler et al 11
	W-7+SPT	$3.85 \pm 0.62$	[344] (SPT)
	W-7+SPT+BAO+ $H_0$	$3.85 \pm 0.42$	[344] Archidiacono et al 20
$N_{eff}+f_v$	W-7+ACT+SPT+LRG+ $H_0$	$4.08^{(+0.71)}_{(-0.68)}$	[350]
	W-7+ACT+SPT+BAO+ $H_0$	$3.89 \pm 0.41$	[351] Hamann et al 2010
$N_{eff}+f_v$	W-7+CMB+BAO+ $H_0$	$4.47^{(+1.82)}_{(-1.74)}$	[352]
	W-7+CMB+LRG+ $H_0$	$4.87^{(+1.86)}_{(-1.75)}$	[352] Smith et al 2011
$N_{eff}+\Omega_k$	W-7+BAO+ $H_0$	$4.61 \pm 0.96$	[351] Hamann et al 2010
	W-7+ACT+SPT+BAO+ $H_0$	$4.03 \pm 0.45$	[352] Smith et al 2011
$N_{eff}+\Omega_k+f_v$	W-7+ACT+SPT+BAO+ $H_0$	$4.00 \pm 0.43$	[351] Smith et al 2011
$N_{eff}+f_v+w$	W-7+CMB+BAO+ $H_0$	$3.68^{(+1.90)}_{(-1.84)}$	[352] Hamann et al 2010
	W-7+CMB+LRG+ $H_0$	$4.87^{(+2.02)}_{(-2.02)}$	[352]
$N_{eff}+\Omega_k+f_v+w$	W-7+CMB+BAO+SN+ $H_0$	$4.2^{+1.10(+2.00)}_{-0.61(-1.14)}$	[353] Gonzalez-Garcia
	W-7+CMB+LRG+SN+ $H_0$	$4.3^{+1.40(+2.30)}_{-0.54(-1.09)}$	[353] et al. 2010

# What may be going on?



WMAP only



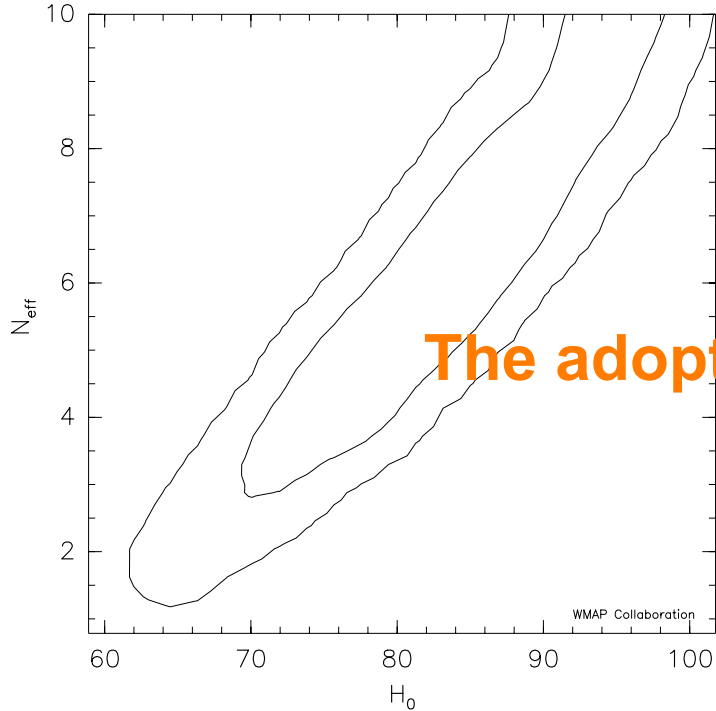
WMAP+H0+BAO

Straight from the on-line LAMBDA cosmological parameters plotter  
([lambda.gsfc.nasa.gov](http://lambda.gsfc.nasa.gov))

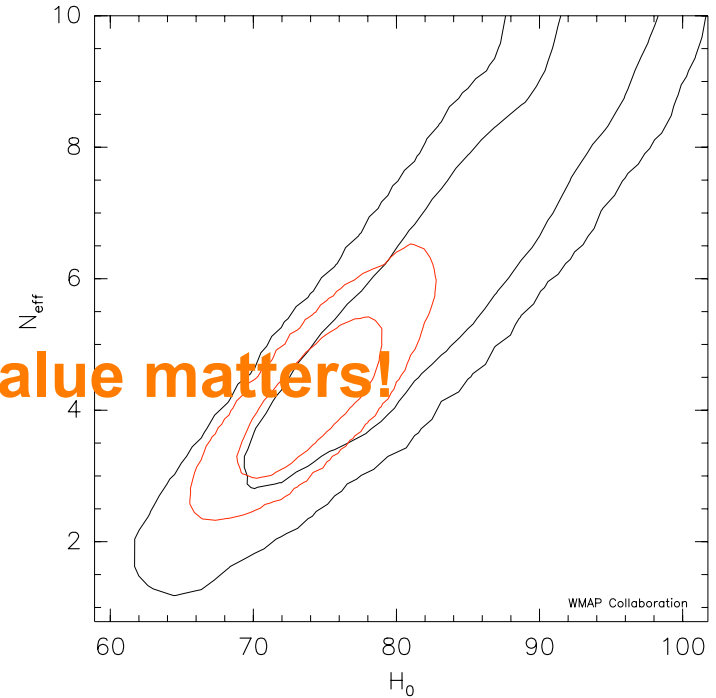


# What may be going on?

---



WMAP only

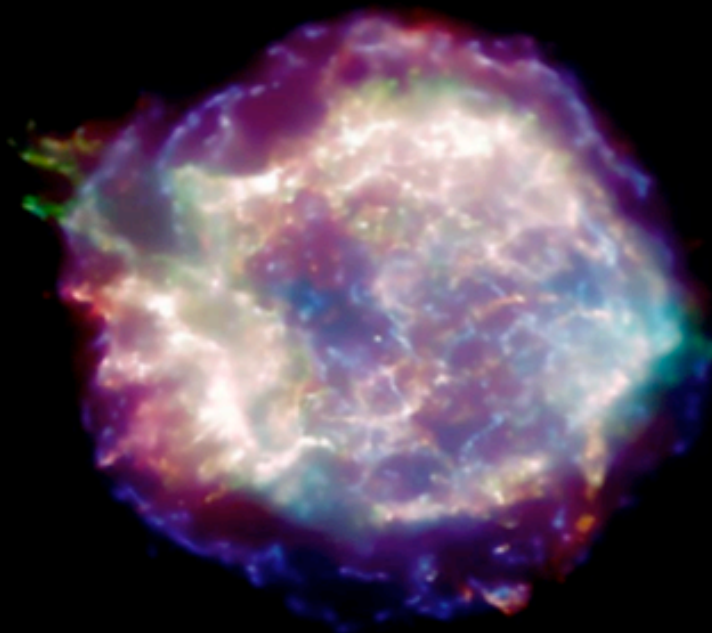


WMAP+H0+BAO

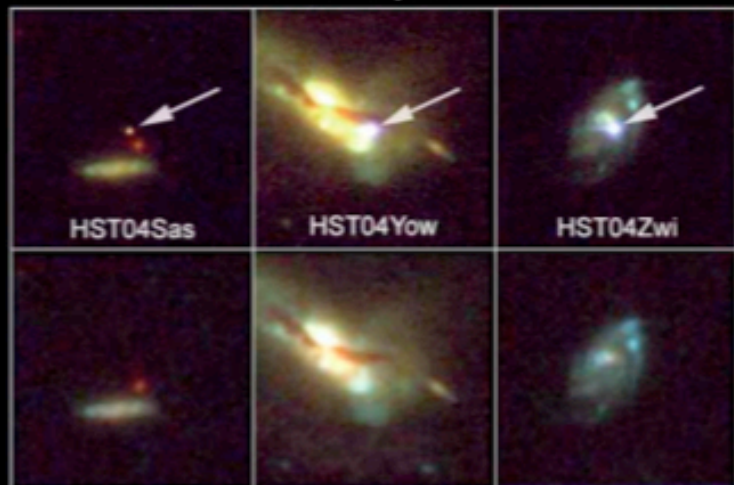
The adopted  $H_0$  value matters!

Straight from the on-line LAMBDA cosmological parameters plotter

# Standard Candle

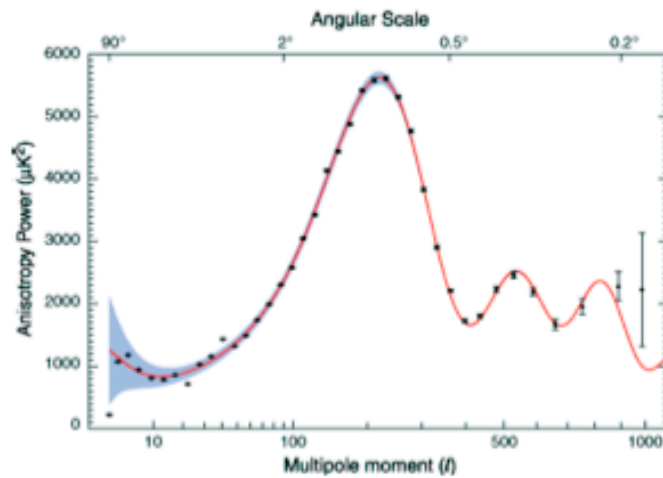
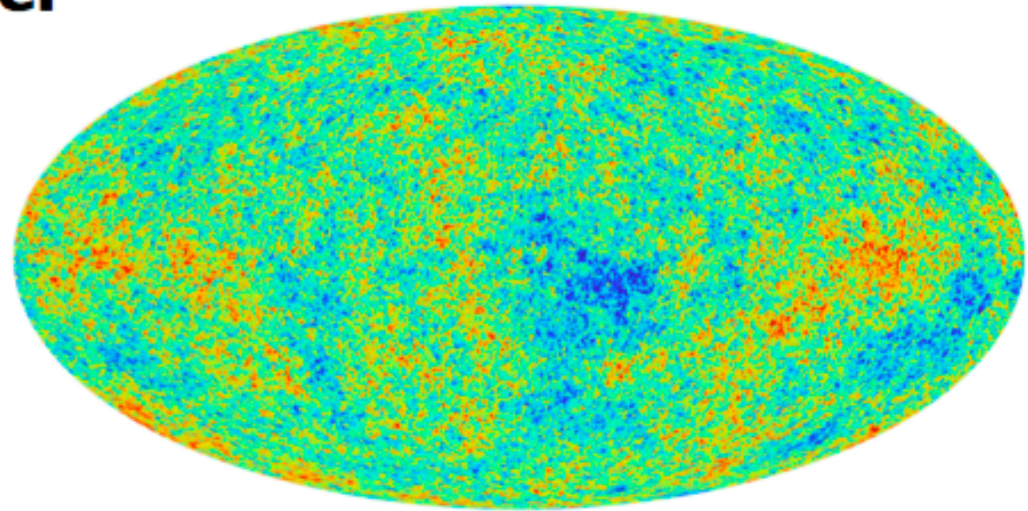


Host Galaxies of Distant Supernovae



NASA, ESA, and A. Riess (STScI)

# Standard Ruler



baryon acoustic oscillations  
(radio galaxies)

Rotate Image Right

## Standard Clock

$$H(z) = -\frac{1}{(1+z)} \frac{dz}{dt}$$



early-type galaxies

# Experimental concerns

How well can gE's be approximated as passively evolving, old systems?

- mergers; early-type galaxies still assembling at  $z < 1$ ?
- on-going star formation (“frosting”)

How can we best model the stellar ages?

- systematics between stellar synthesis models

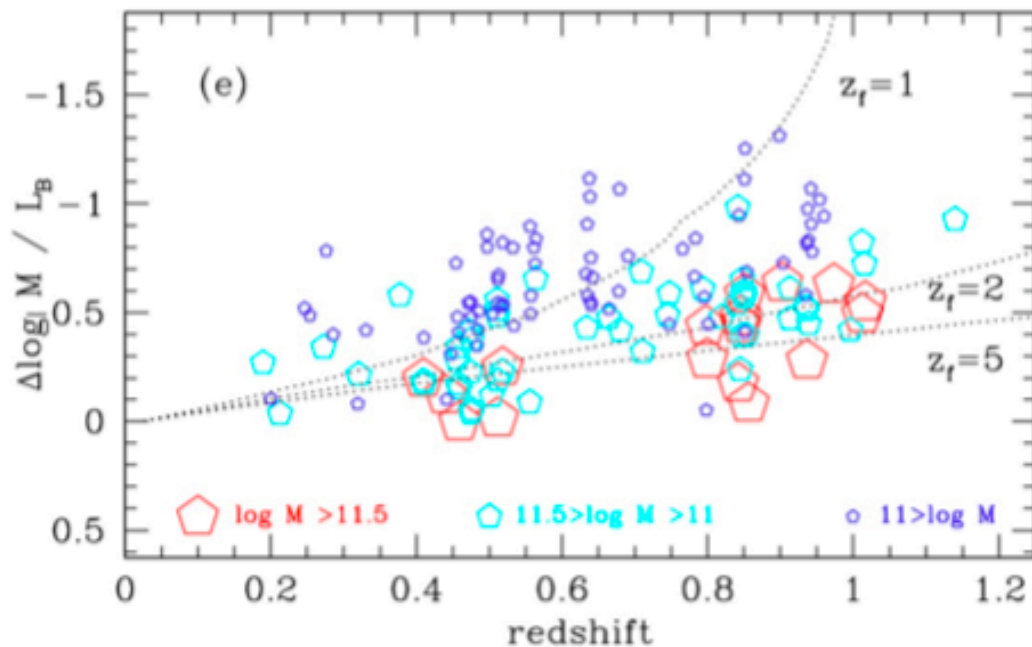
How can we best measure the stellar ages?

- ability to measure accurate stellar ages
- efficiency at obtaining spectra



# gE's as passively evolving, old systems

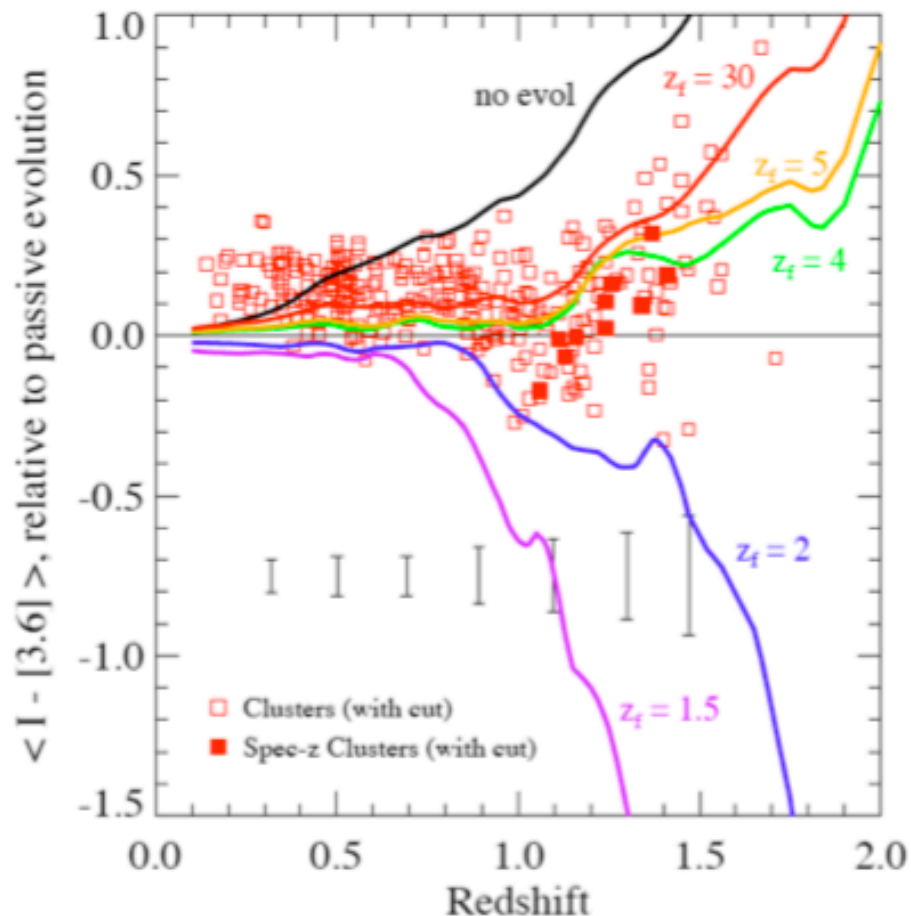
the most massive early-type galaxies are the oldest





# gE's as passively evolving, old systems

colors indicate a high formation redshift (for cluster gE's)

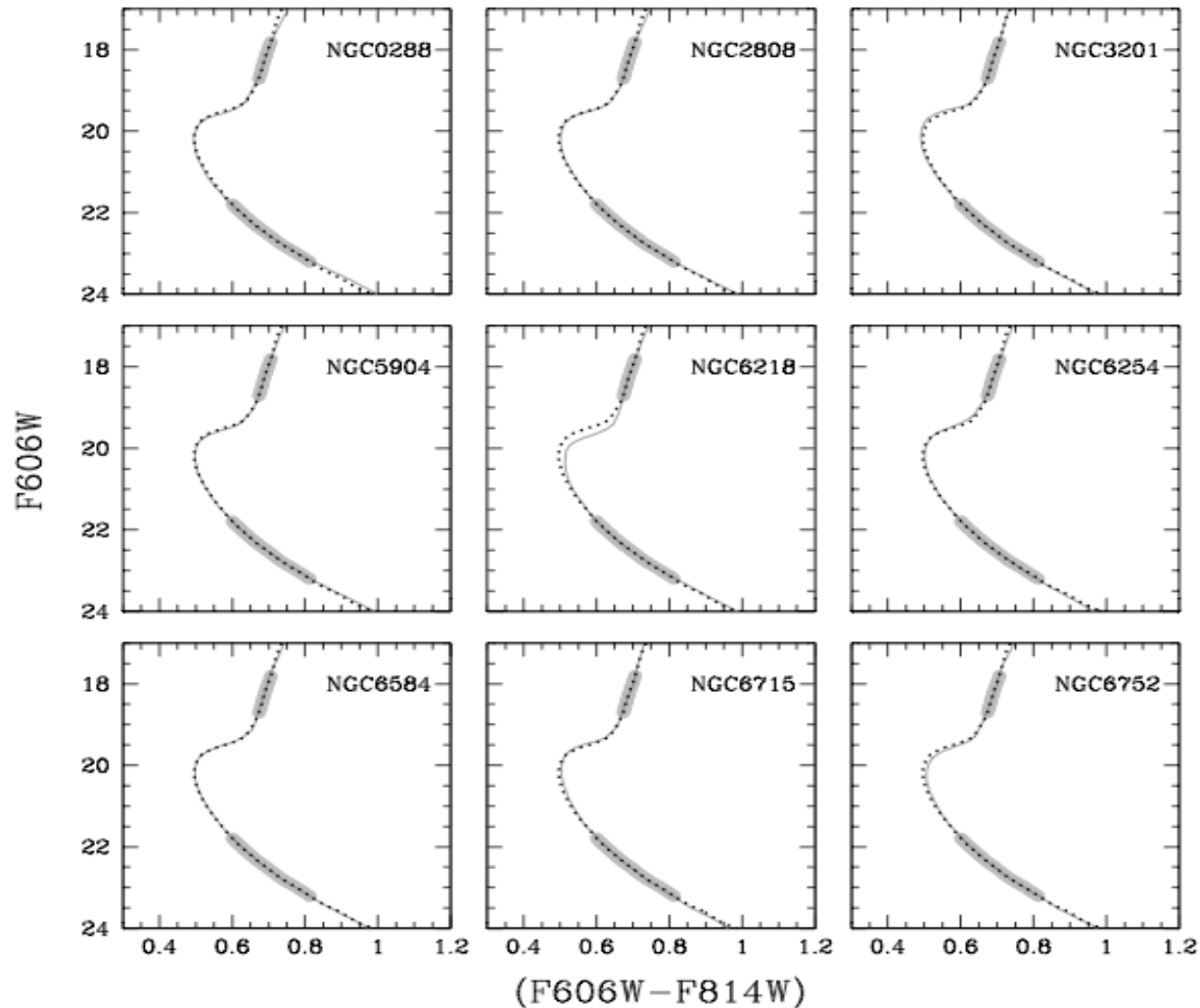




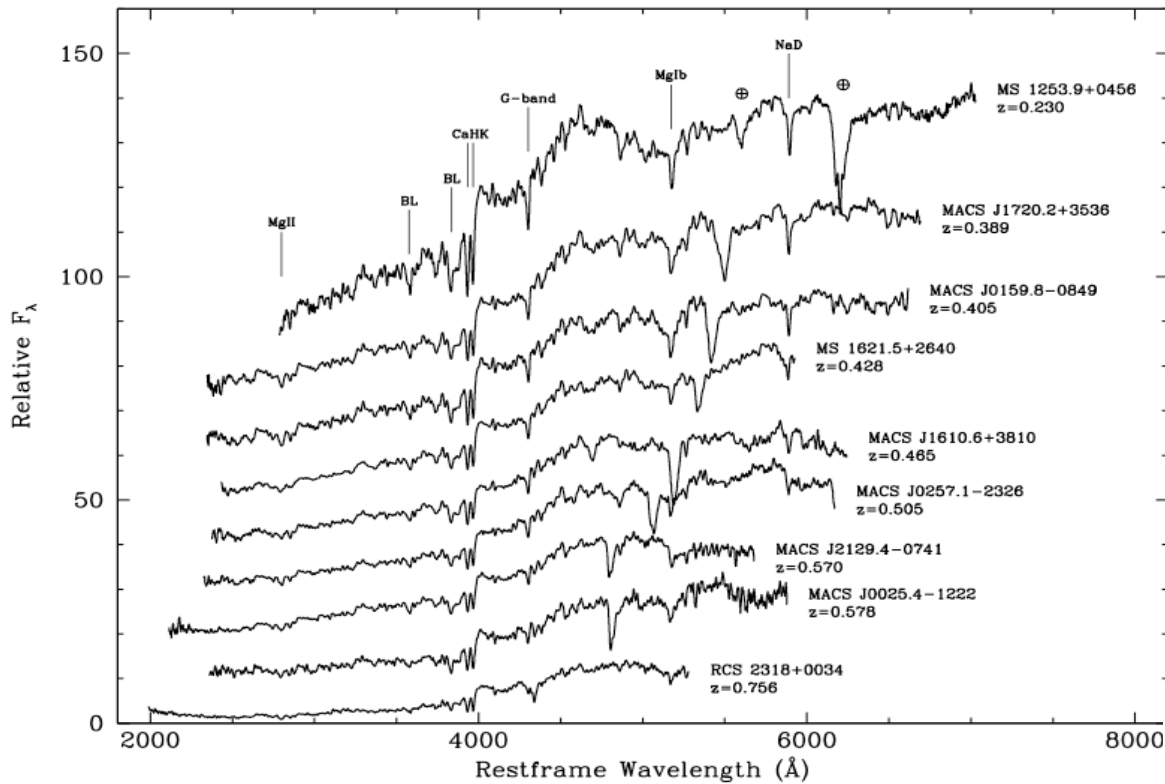
# A Lesson from the past: Globular Cluster **RELATIVE AGES**

---

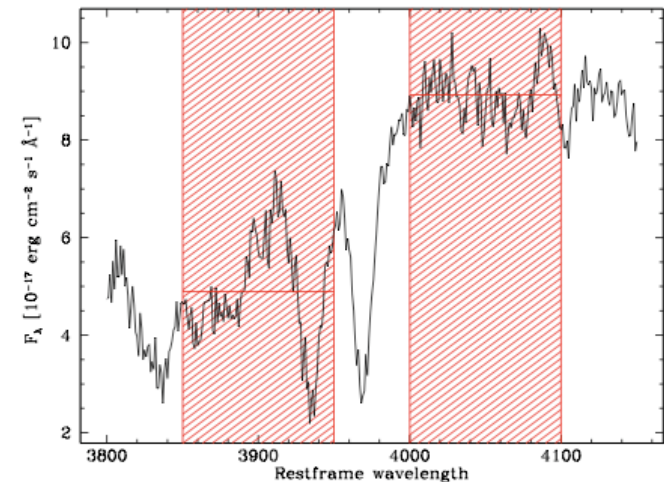
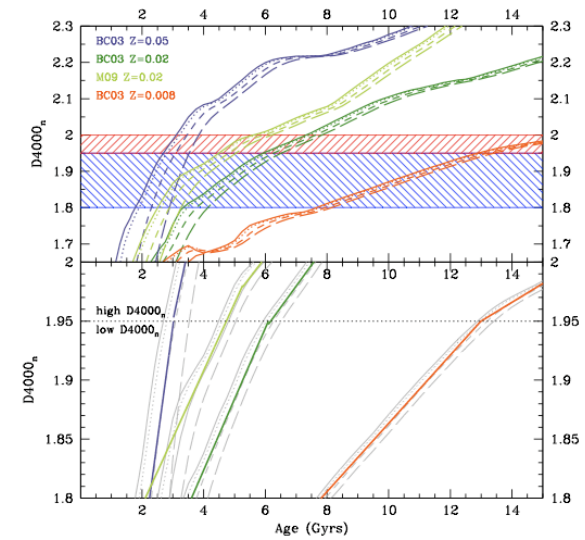
“This method provides relative ages to a formal precision of 2–7%. We demonstrate that the calculated relative ages are independent of the choice of theoretical model.” (0812.4541)



# Relative aging of galaxies



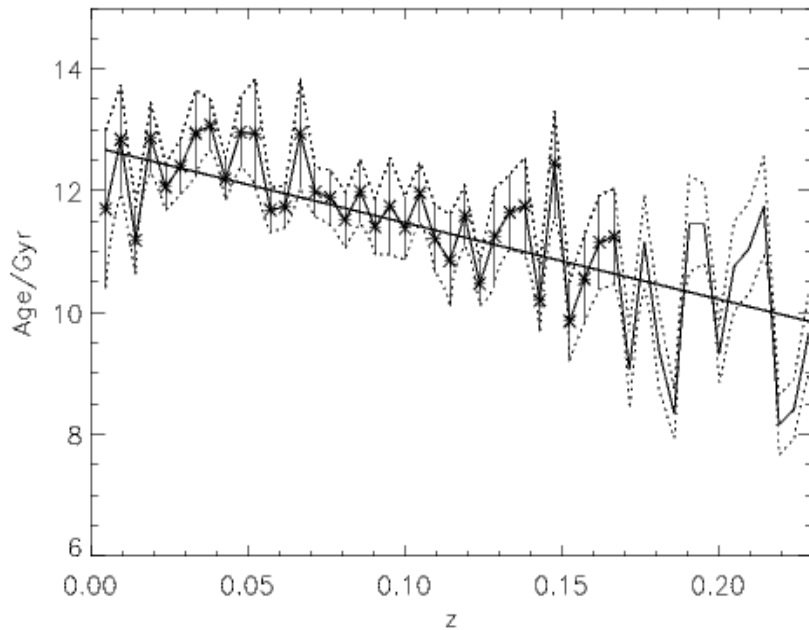
$$H(z) = - \frac{A}{1+z} \frac{dz}{dD4000_n}$$



# Reconstruct $w(z)$ : CAN IT work?

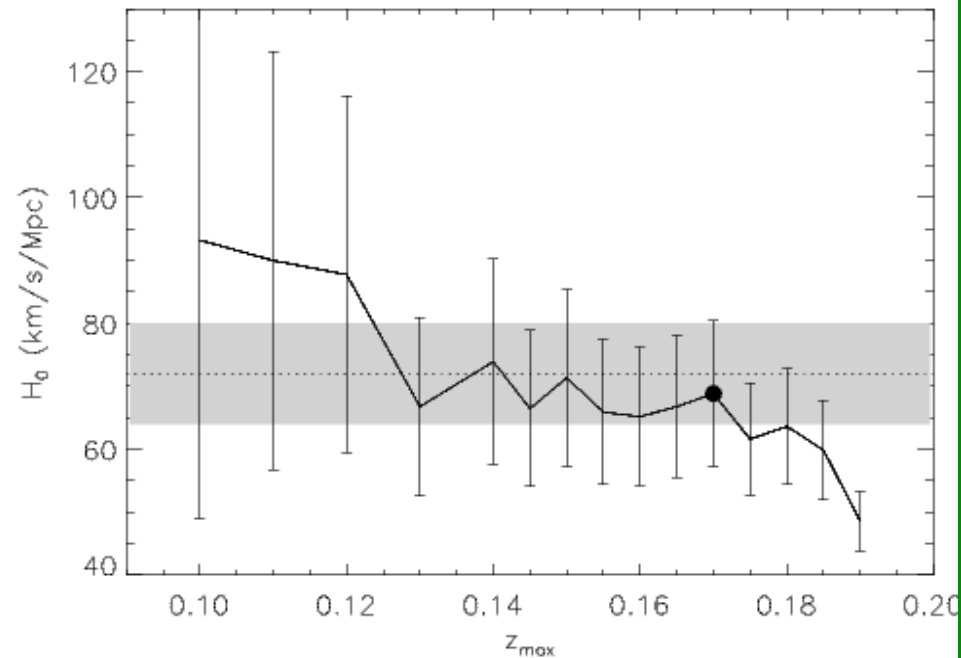
At  $z=0$   $dz/dt$  gives  $H_0$  and we have SDSS galaxies:

$$H(z) = -\frac{1}{(1+z)} \frac{dz}{dt}$$

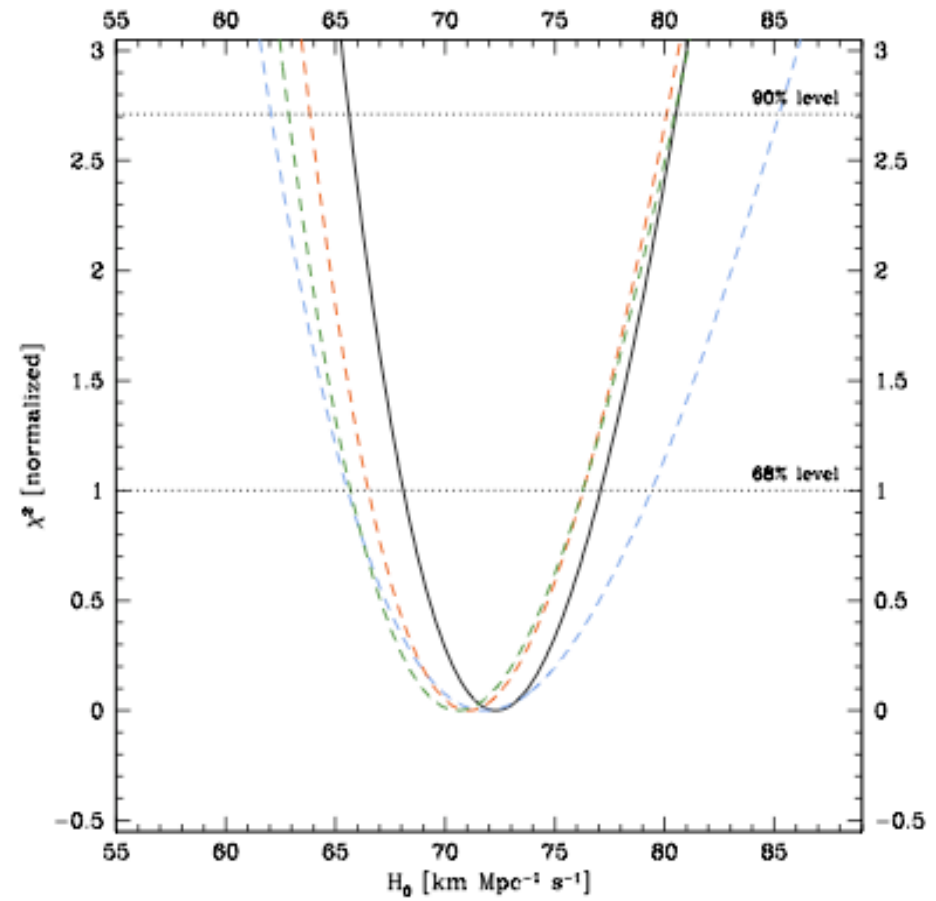
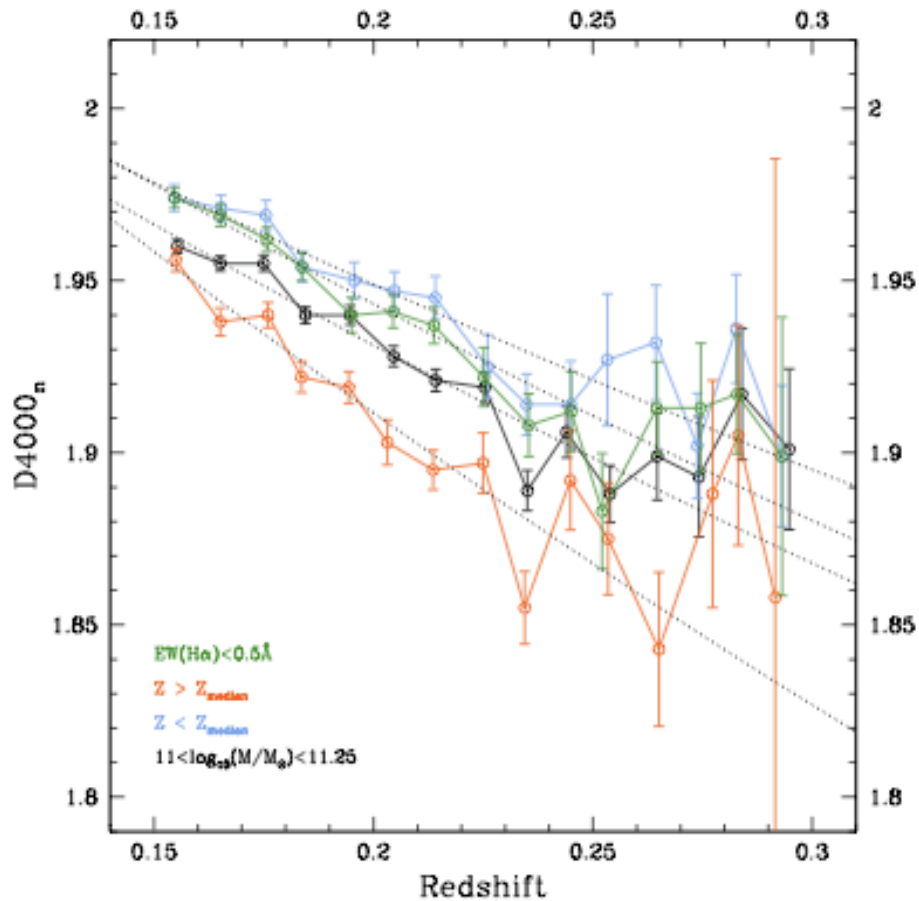


The value of  $H_0$

The edge for  $z < 0.2$



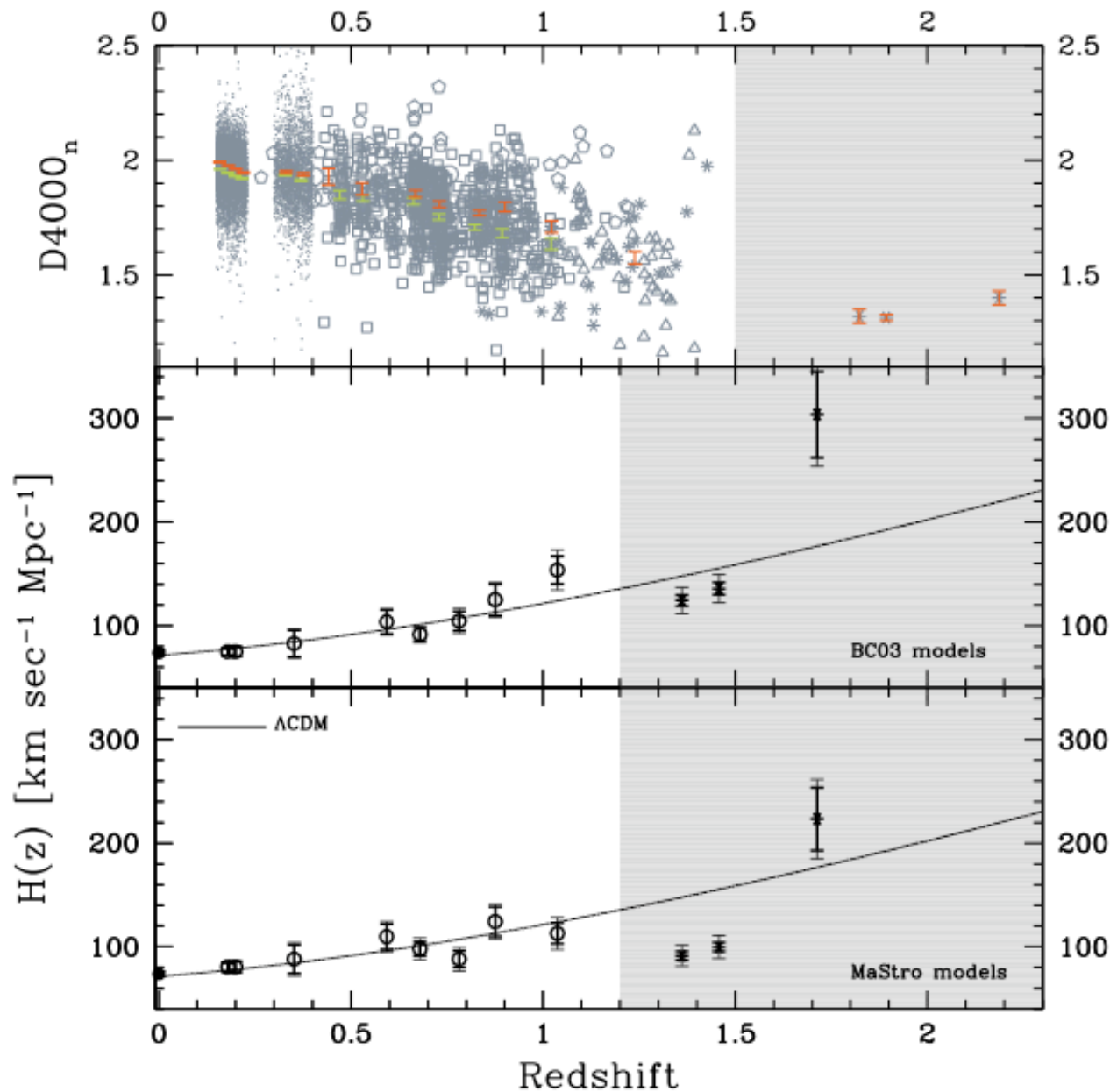
# A good test, to determine $H(z=0)$



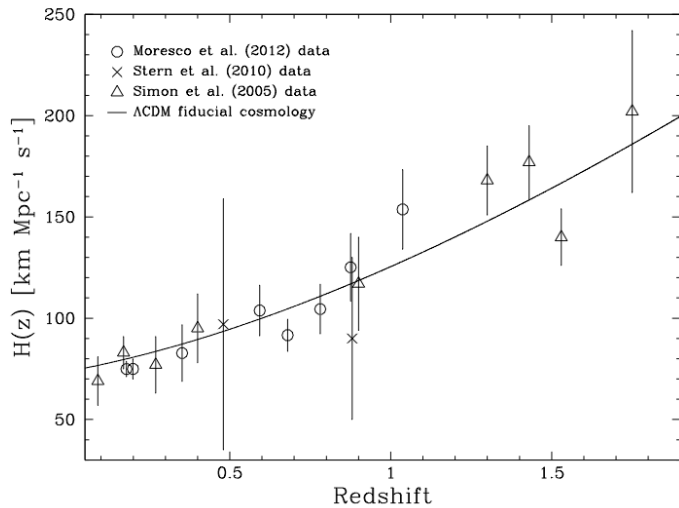
# The data at $z > 0$

Stern, RJ et al. JCAP 2011  
Moresco et al. 2012

$$H(z) = -\frac{A}{1+z} \frac{dz}{dD_{4000n}}$$



# H(z) estimates

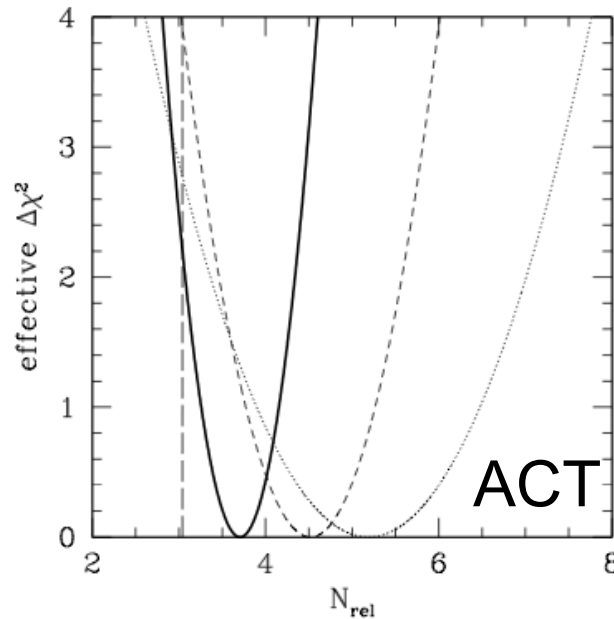
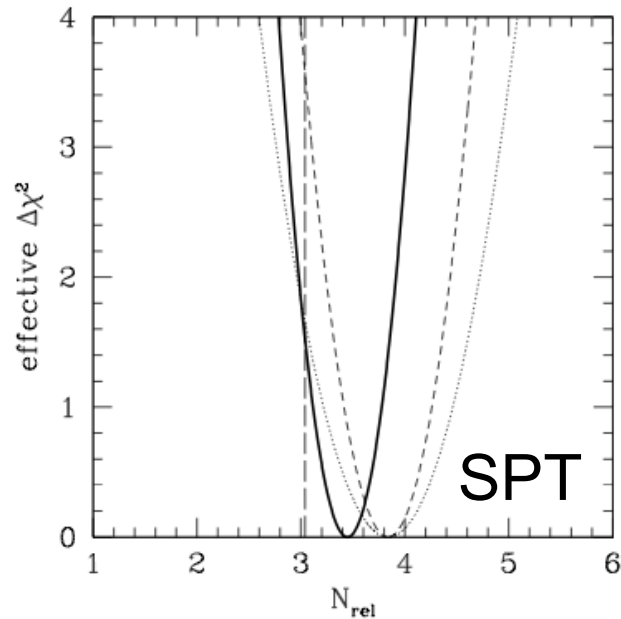


$$N_\nu = 3.59 \pm 0.48 (\pm 0.94) \quad \text{WMAP} + \text{ACT} + \text{H}(z)$$

$$N_\nu = 3.37 \pm 0.34 (\pm 0.67) \quad \text{WMAP} + \text{SPT} + \text{H}(z)$$

$$N_\nu = 3.38 \pm 0.50 (\pm 1) \quad \text{WMAP} + \text{H}(z)$$

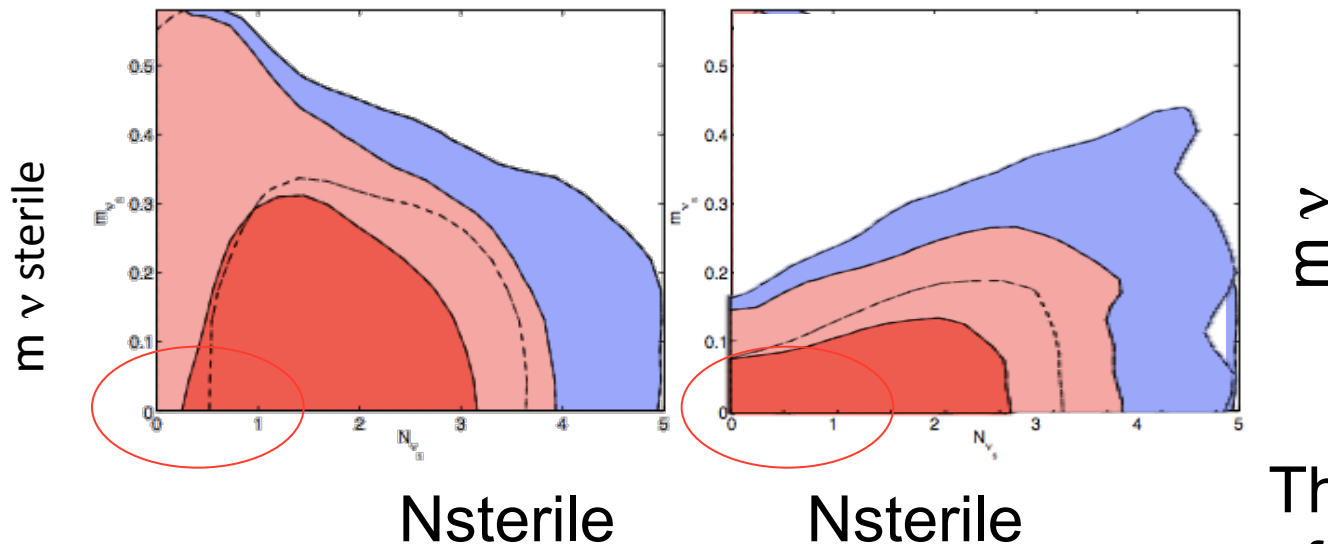
$$N_\nu < 4 \quad \text{at } 95\% (74\%) \text{ C.L.}$$



# In summary:

---

- Neff consistent with 3 (but also with 4) at  $2\sigma$
- These are “light” neutrinos ( $<0.5$  eV)
- more wiggle room: go beyond the minimal LCDM (errors gets slightly larger, but... epicycles)
- Avoid thermalization (some v. radical options)



The pros and cons  
of being Bayesian