

Applying the Halo Model to Large Scale Structure Measurements of the Luminous Red Galaxies: SDSS DR7 Preliminary Results

Beth Ann Reid

Princeton University &
ICE, Bellaterra, Spain

Collaborators: D Spergel, P Bode, W Percival

Special Thanks: J Tinker, D Eisenstein, L Verde

Outline

- Information in the galaxy $P(k)$: Motivation and Challenges
- Halo Model Review
- Key Insight: Finding Counts-in-Cylinders groups
- Building high-fidelity mock LRG catalogs
- Modeling the Reconstructed Halo Density Field $P(k)$
- Cosmological Constraints from SDSS DR7

Measuring $P_{\text{gal}}(k)$: Motivation

- Constrain cosmological parameters from both T and P_{prim} : $P_{\text{lin}}(k) = T^2(k, \Omega_m, \Omega_b, h) P_{\text{prim}}(k)$

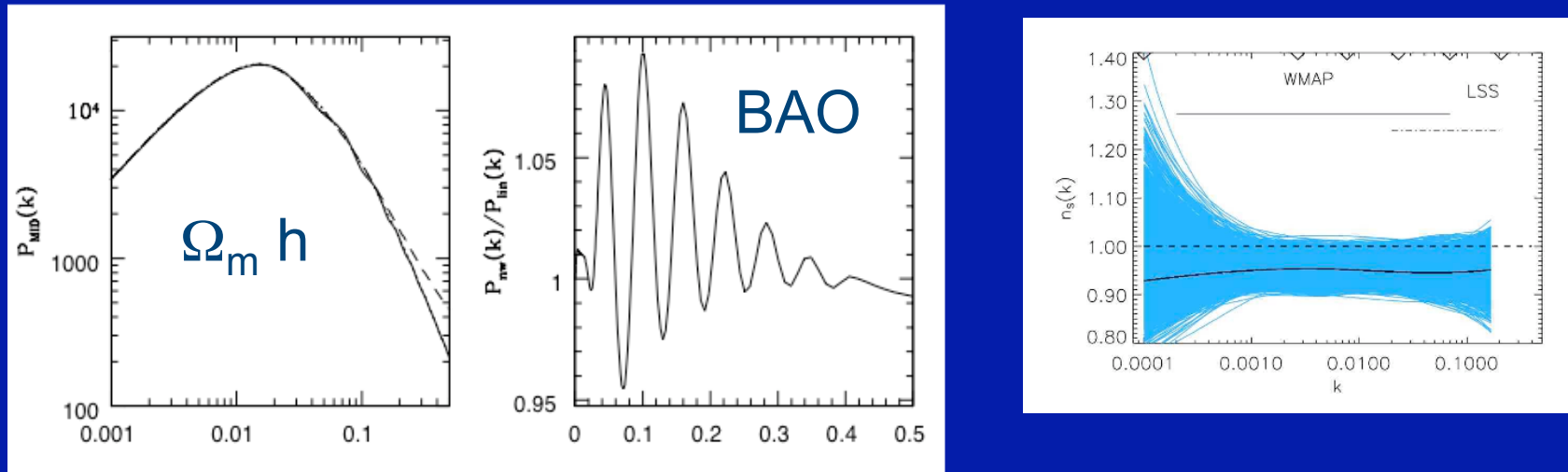
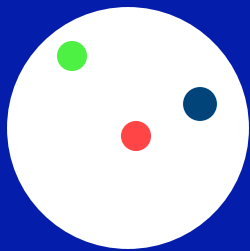


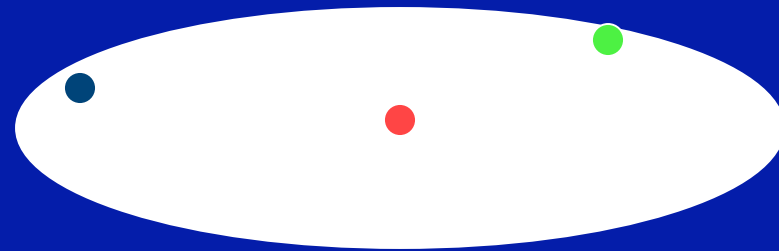
Fig 8 of Verde and Peiris, 2008

Measuring $P_{\text{gal}}(k)$: Challenges

- density field δ goes nonlinear
- uncertainty in the mapping between the galaxy and matter density fields
- Galaxy positions observed in redshift space



Real space

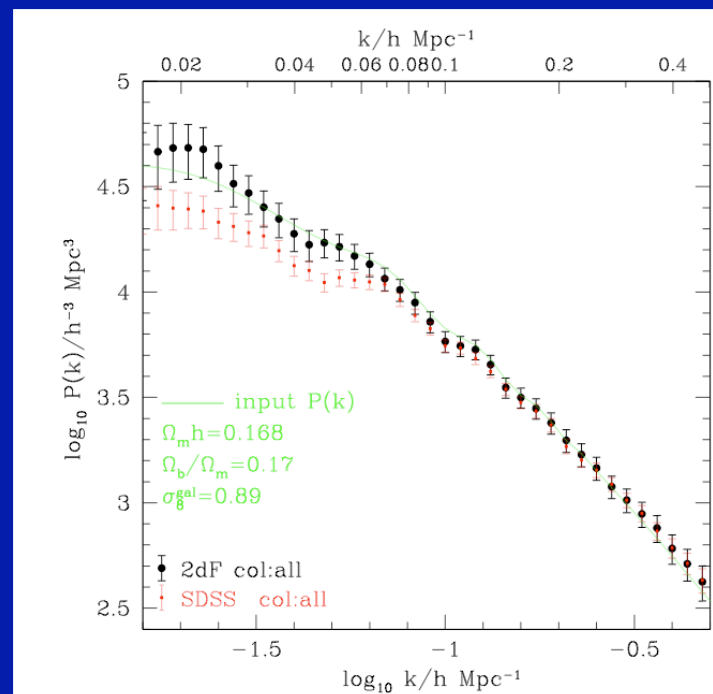


Redshift space

z

Why Study Galaxy Bias?

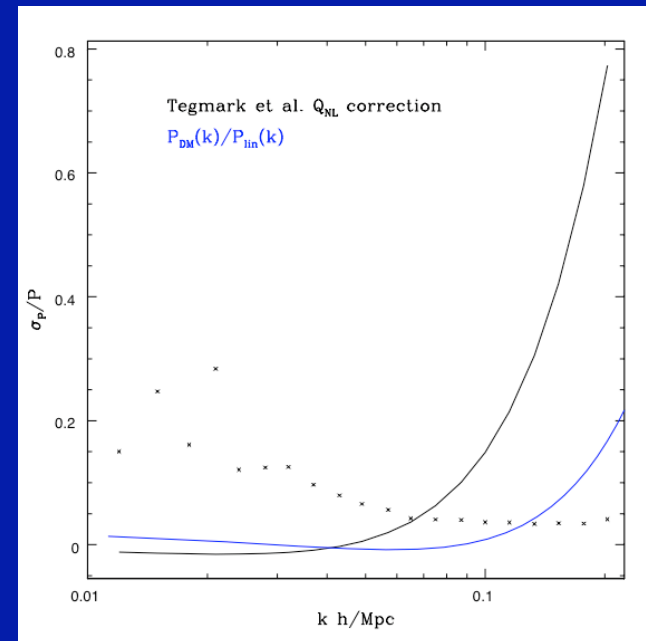
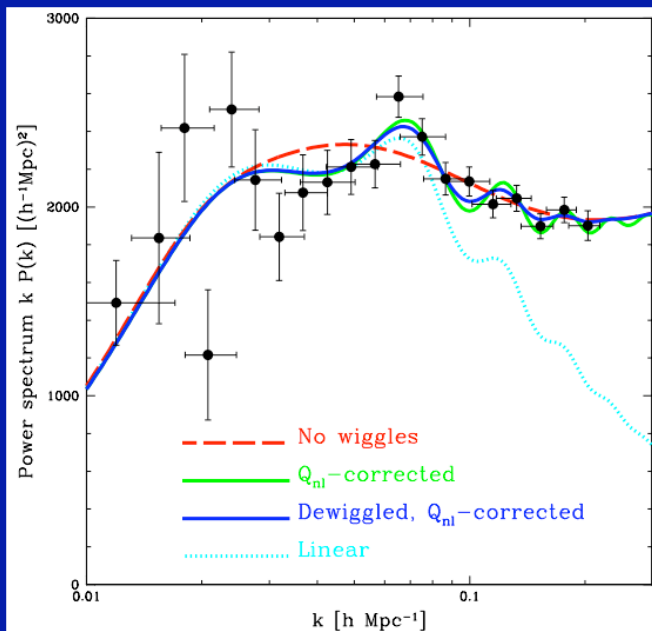
- $P(k)$ and the best fit $\Omega_m h$ vary with galaxy type [Sanchez and Cole, 2007]



Why Study LRG bias?

- Statistical power compromised by Q_{NL} at $k < 0.09$!
[Dunkley et al 2008, Verde and Peiris 2008]

$$P_g(k) = P_{\text{dewiggled}}(k) b^2 \frac{1 + Q_{nl} k^2}{1 + 1.4k}$$



Galaxies in the Halo Model

- Halo Model Key Assumptions:
 - Galaxies only form/reside in ‘halos’
 - Halo mass entirely determines key galaxy properties
- Ingredients:
 - halo catalog [SO, FoF, ...]
 - Halo Occupation Distribution $P(N_{\text{LRG}} | M)$
 - Galaxy Distribution within halo: ‘central’ and ‘satellite’ galaxies are distinct

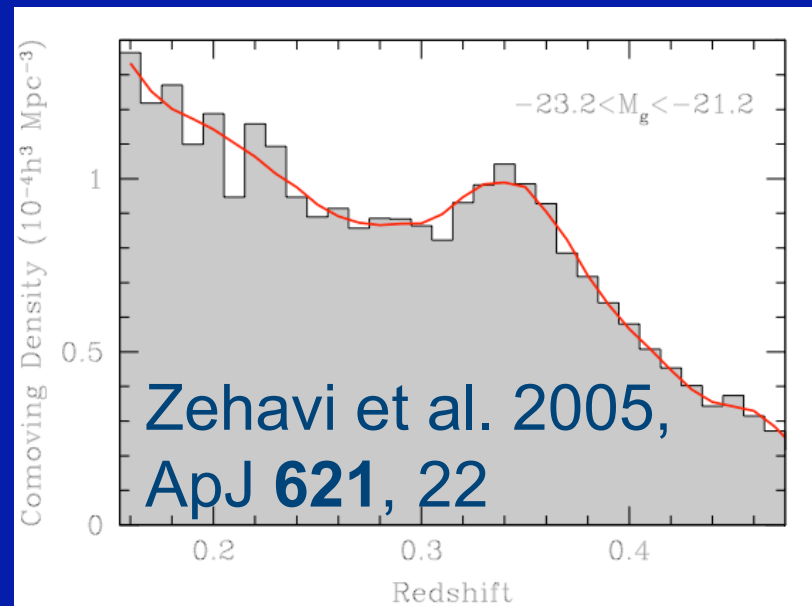
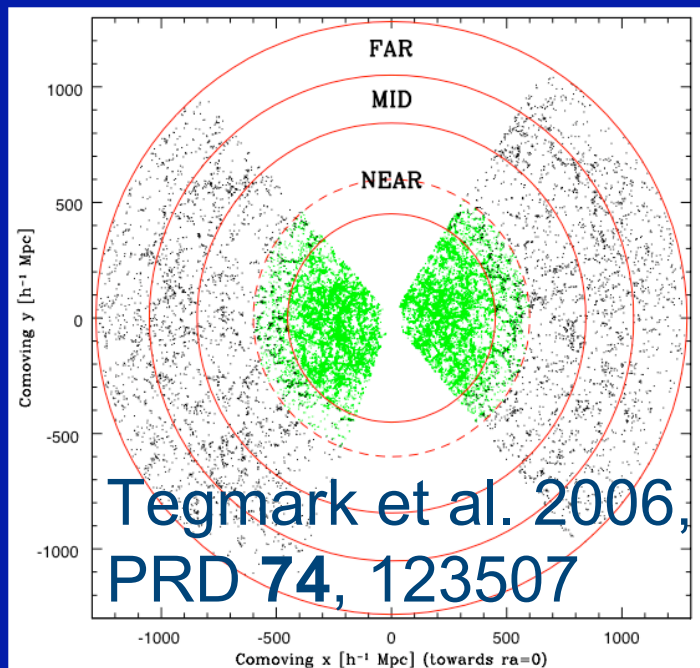
Halo Model $P(k)$: real space

$$P_{LRG}(k) = P_{LRG}^{1h}(k) + P_{LRG}^{2h}(k)$$
$$P_{LRG}^{1h} = \int dM n(M) \frac{\langle N_{LRG}(N_{LRG} - 1) | M \rangle}{\bar{n}_{LRG}^2}$$
$$P_{LRG}^{2h}(k) = b_{LRG}^2 P_{DM}(k)$$

- P^{1h} : major source of ‘nonlinearity’ and variation in $P_{gal}(k)$ with galaxy type
- Redshift space: complicated by FOGs

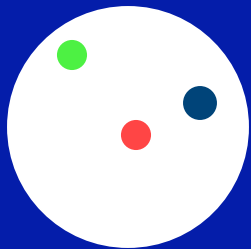
SDSS LRGs

- Probes largest effective volume: $\sim (\text{Gpc}/h)^3$
- 3-6% are satellite galaxies
- small $n_{\text{LRG}} \rightarrow 1/n_{\text{LRG}}$, P^{1h} corrections large
 - Occupy massive halos \rightarrow large FOG features

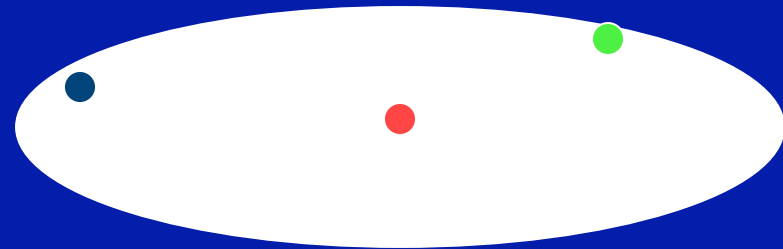


Key Insight

- Find galaxy groups in the density field using the FOG features
 - Measure the group multiplicity function, constrain the HOD $P(N_{\text{LRG}} | M)$, and make high fidelity mock catalogs
 - Reconstruct the halo density field for $P(k)$ analysis



Real space

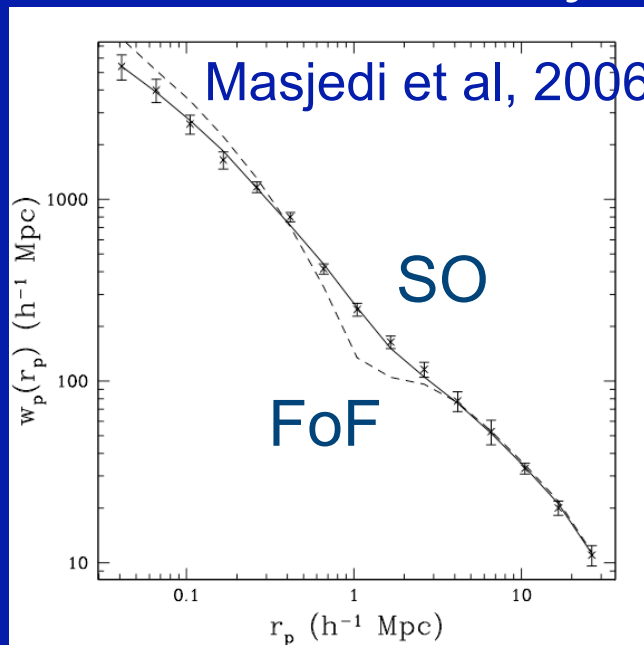


Redshift space

z

Consistency Checks

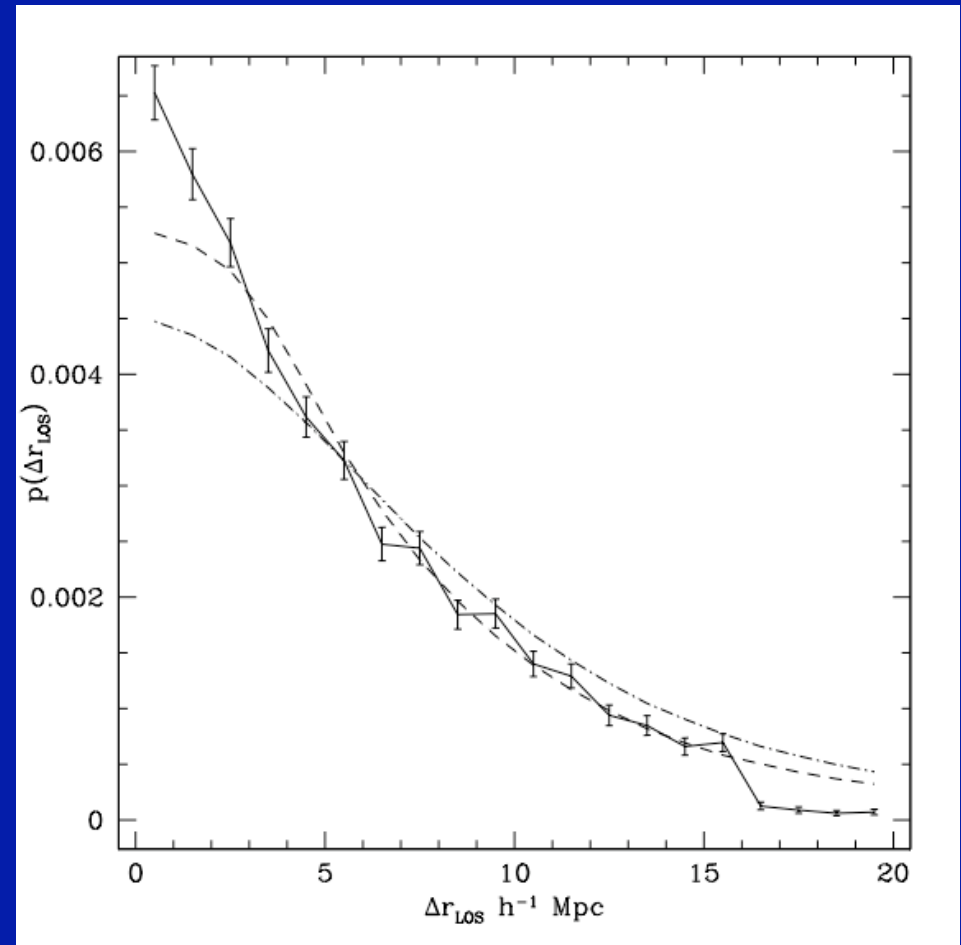
- Matches 2-pt clustering AND higher order statistic $N_{\text{CiC}}(n)$
 - can check by changing CiC parameters
 - uncovers systematics in 2-pt fits to HOD



n_{sat}	$N_{\text{SDSSCiC,final}}$	$N_{\text{SOMLHODCiC}}$	N_{FOF}	N_{Kulkarni}
0	40407.56	40546.1	40542.0	37855
1	2301.12	2190.4	2265.1	5202
2	285.86	323.2	301.3	998
3	54.29	65.8	53.7	343
4	20.20	15.2	13.4	155
5	4.13	4.7	4.0	82
6	1.05	1.5	1.6	48
7	1.02	0.2	0.92	30
8	0.02	0.16	0.28	21

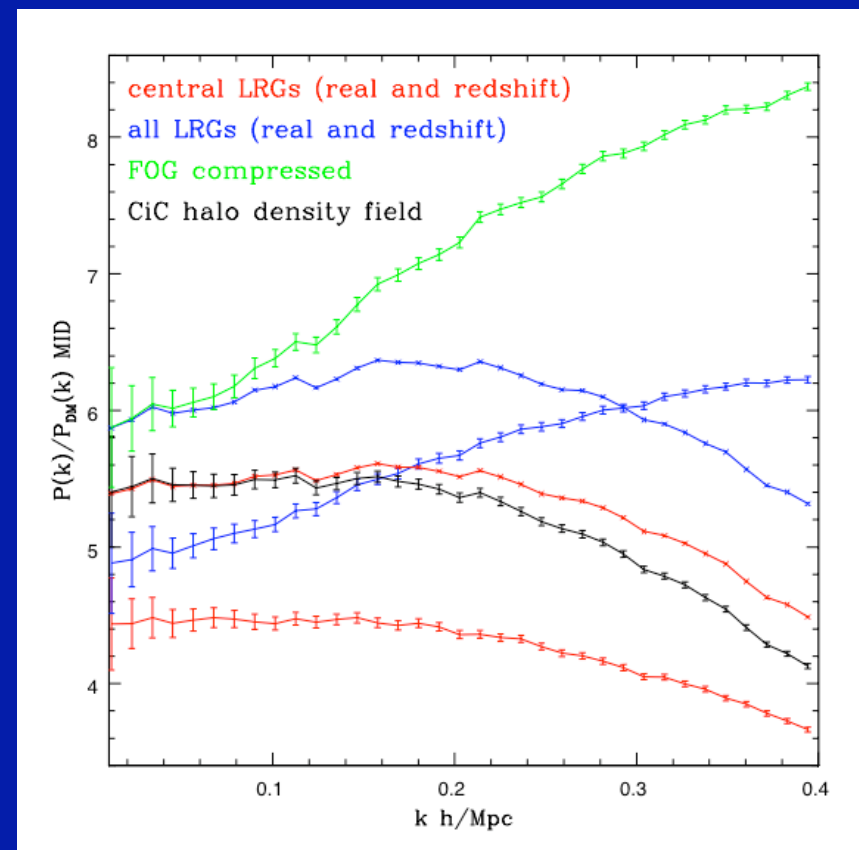
Consistency Checks

- Matches intragroup LOS separations



Results: Reconstructed halo density field $P(k)$

- Deviation from constant ratio for $k < 0.1$ ($k < 0.2$):
 - NEAR: 0% (4%)
 - MID: 0% (2.8%)
 - FAR: 1% (2.5%)
- FOG-compressed between $k = 0.05$ and $k = 0.1$:
 - NEAR: 6%
 - MID: 7%
 - FAR: 10%



Model P(k)

$$\begin{aligned}
 P_{\text{smear}}(k, \mathbf{p}) &= P_{\text{lin}}(k, \mathbf{p}) e^{-k^2 \sigma_{BAO}^2(\mathbf{p})/2} + P_{\text{nw}}(k, \mathbf{p}) \left(1 - e^{-k^2 \sigma_{BAO}^2(\mathbf{p})/2}\right) \\
 r_{DM,nw}(k, \mathbf{p}) &= \frac{P_{DM}(k, \mathbf{p}_{\text{fid}})}{P_{\text{smear},DM}(k, \mathbf{p}_{\text{fid}})} \frac{P_{\text{lin},nw}(k, \mathbf{p}_{\text{fid}})}{P_{\text{halofit},nw}(k, \mathbf{p}_{\text{fid}})} \frac{P_{\text{halofit},nw}(k, \mathbf{p})}{P_{\text{lin},nw}(k, \mathbf{p})} \\
 F_{\text{nuis}}(k) &= b_0^2 (1 + a_1 k + a_2 k^2) \\
 P_{LRG}(k, \mathbf{p}) &= P_{\text{smear},LRG}(k, \mathbf{p}) r_{DM,nw}(k, \mathbf{p}) \frac{P_{LRG}(k, \mathbf{p}_{\text{fid}}) F_{\text{nuis}}(k)}{r_{DM,nw}(k, \mathbf{p}_{\text{fid}}) P_{\text{smear},LRG}(k, \mathbf{p}_{\text{fid}})} \\
 P_{LRG}(k, \mathbf{p}) &= P_{\text{smear}}(k, \mathbf{p}) \frac{P_{\text{halofit},nw}(k, \mathbf{p})}{P_{\text{lin},nw}(k, \mathbf{p})} \frac{P_{\text{lin},nw}(k, \mathbf{p}_{\text{fid}})}{P_{\text{halofit},nw}(k, \mathbf{p}_{\text{fid}})} \frac{P_{LRG}(k, \mathbf{p}_{\text{fid}}) F_{\text{nuis}}(k)}{P_{\text{smear},LRG}(k, \mathbf{p}_{\text{fid}})}
 \end{aligned}$$

Calibration at $\mathbf{p}_{\text{fid}} = \text{WMAP5}$

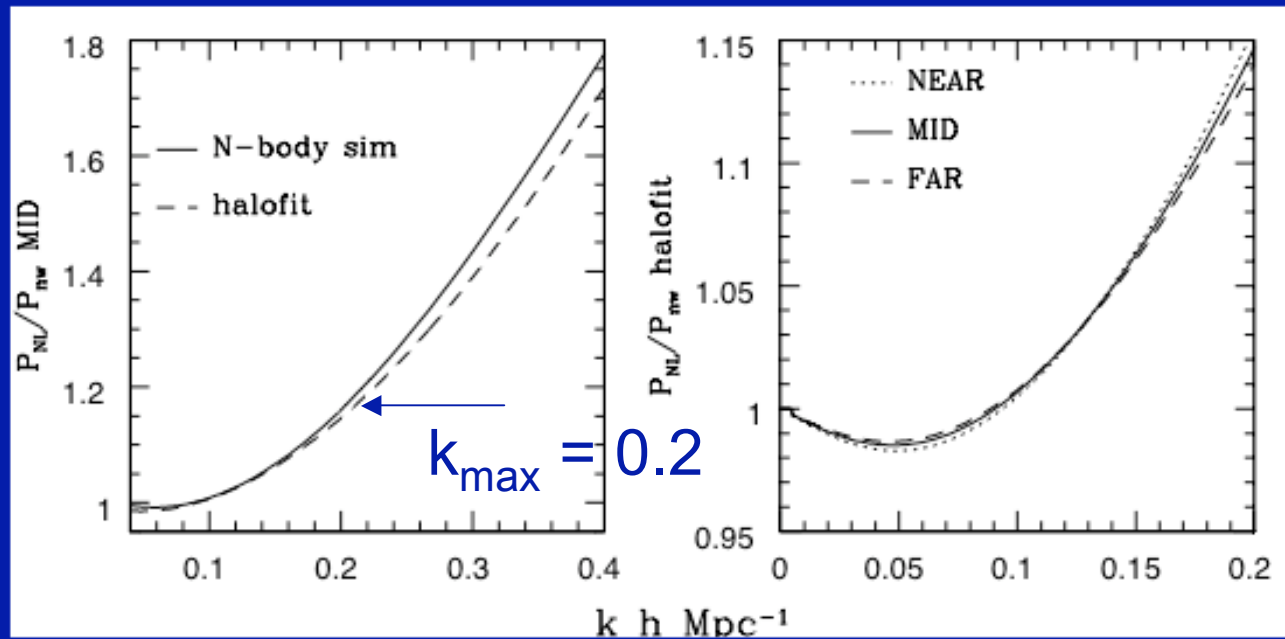
Cosmological parameter dependence

$$P_{LRG}(k, \mathbf{p}) = w_{NEAR} P_{NEAR}(k, \mathbf{p}) + w_{MID} P_{MID}(k, \mathbf{p}) + w_{FAR} P_{FAR}(k, \mathbf{p})$$

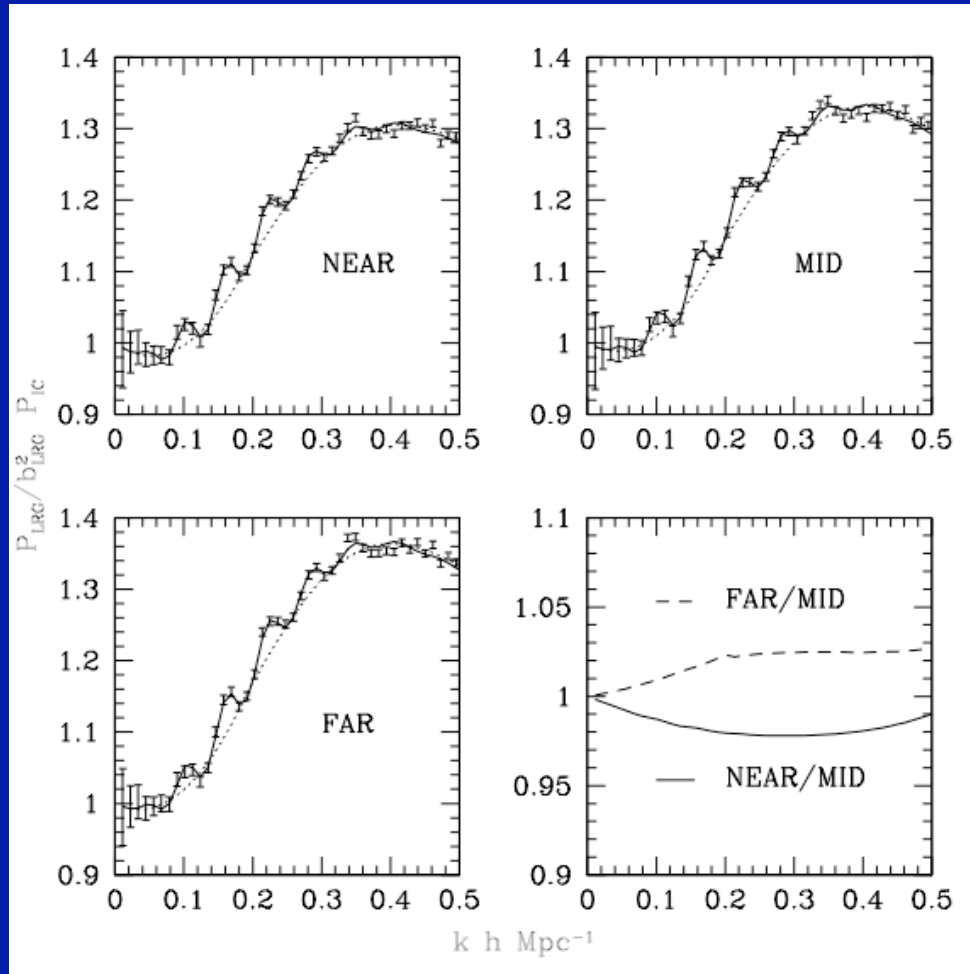
$$\{z_{NEAR}, z_{MID}, z_{FAR}\} = \{0.235, 0.342, 0.421\}$$

Nonlinear Model $P_{mm}(k)$

- Halofit better when BAOs treated separately



Calibrating $P_{\text{CIC}}(k)$ on Mocks



$P(k)$ shape nearly independent of satellite fraction, z

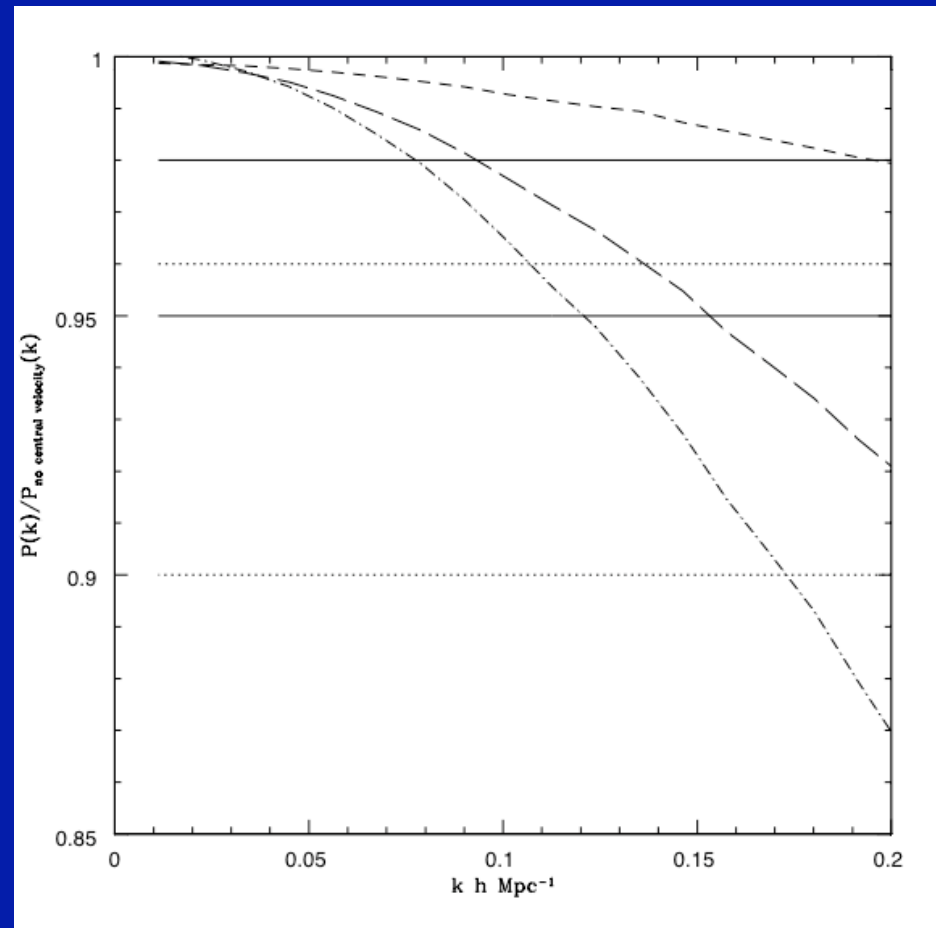
Fixing Nuisance Parameters:

$$F_{\text{nuis}}(k) = b_0^2(1 + a_1k + a_2k^2)$$

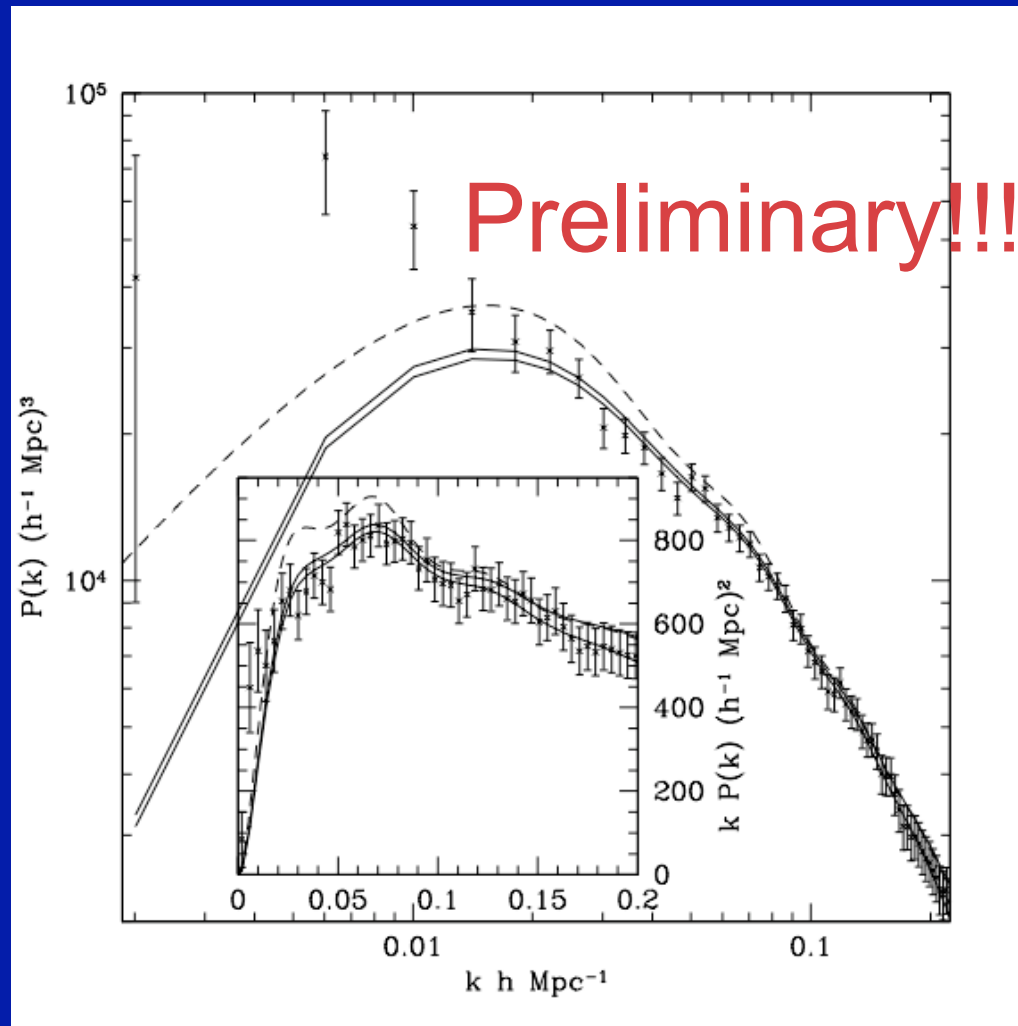
- P^{1h} subtracted to within 20% suggests
 - 2% uncertainty at $k=0.1$, 5% at $k=0.2$
 - Conservative: 4% ($k=0.1$), 10% ($k=0.2$)
- Marginalize numerically over allowed a_1 - a_2 space

Systematic Error from Velocity Dispersion of Central LRG?

- “Extreme” velocity dispersion model has $\sigma_{\text{cen}}/\sigma_{\text{DM}} = 0.6$ and central/satellite misidentification 20% of the time [Skibba et al, prep]

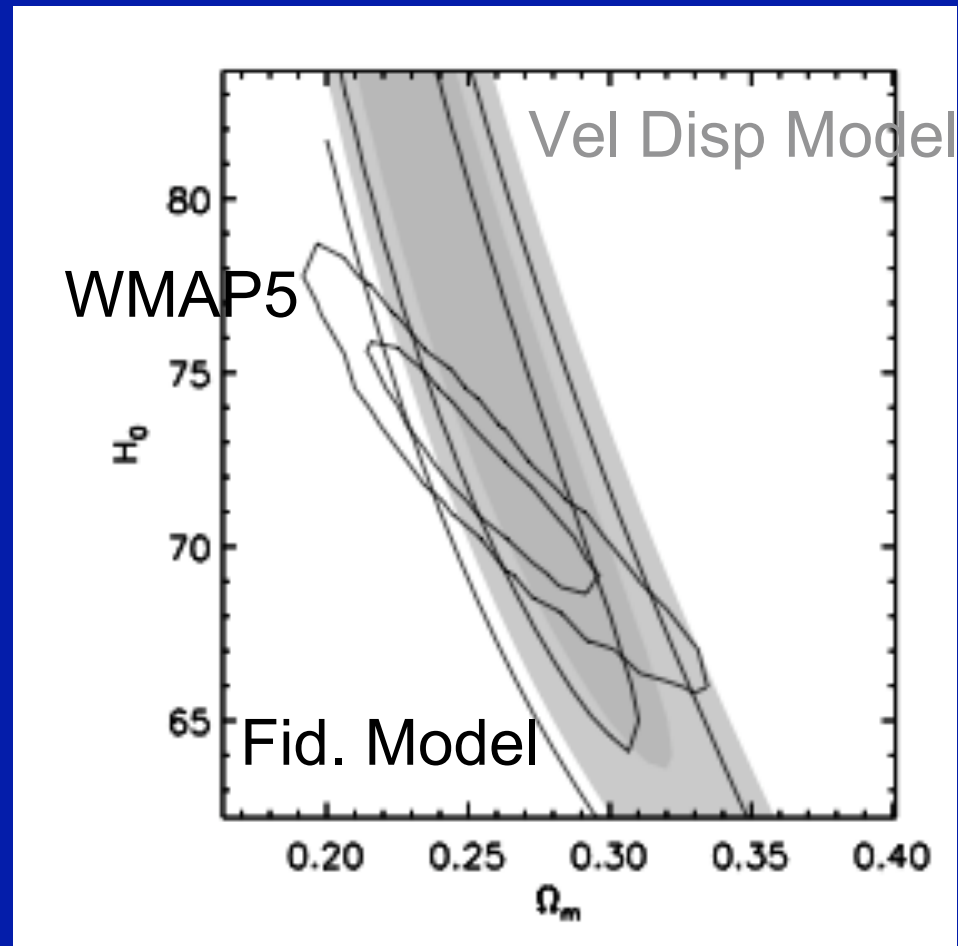


DR7 SDSS LRG vs Model $P(k)$



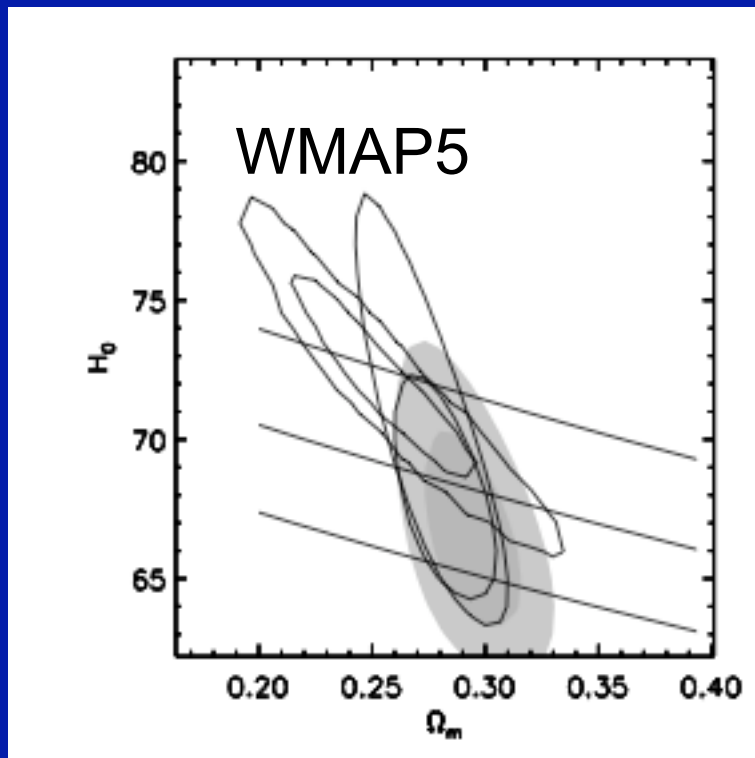
Cosmological Constraints I: Fits to 'No wiggles' $P(k)$

- $n_s = 0.96$,
 $\omega_b = 0.02265$,
conservative $F_{\text{nuis}}(k)$
- Systematic Error
from Velocity
Dispersion \ll
Statistical Error
- All information at
 $k < 0.1$



Cosmological Constraints II: $P(k \leq 0.2)$

- Additional information comes from BAO
- $n_s = 0.96$, $\omega_b = 0.02265$, conservative $F_{\text{nuis}}(k)$

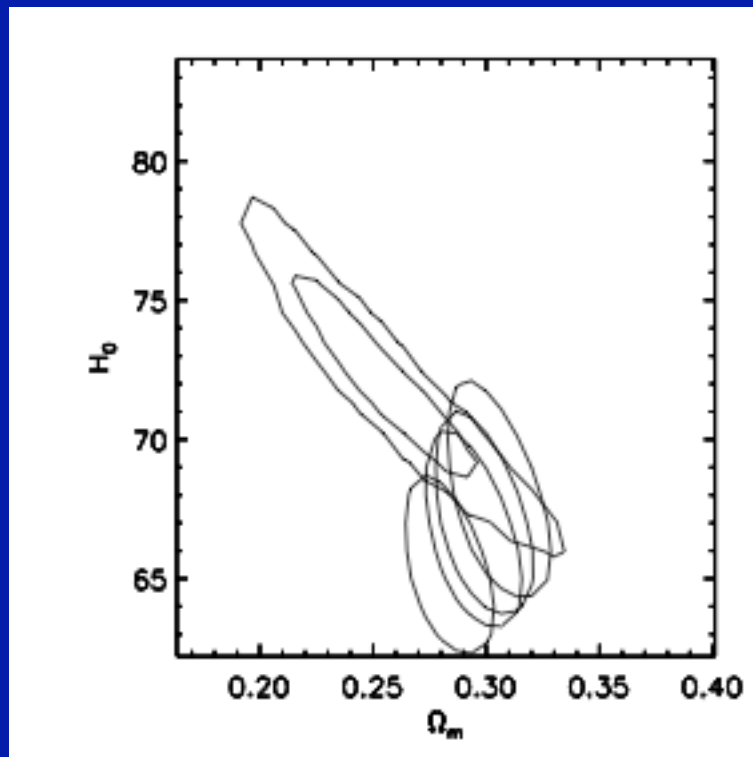


$$k_{\text{max}} = 0.1, 0.15, 0.2$$

Eisenstein et al
2005 $D_V(z=0.35)$
 $\pm 1\sigma$

Cosmological Constraints III: Degeneracy with n_s

- Systematic shift from velocity dispersion is subdominant



$$n_s = 0.90$$

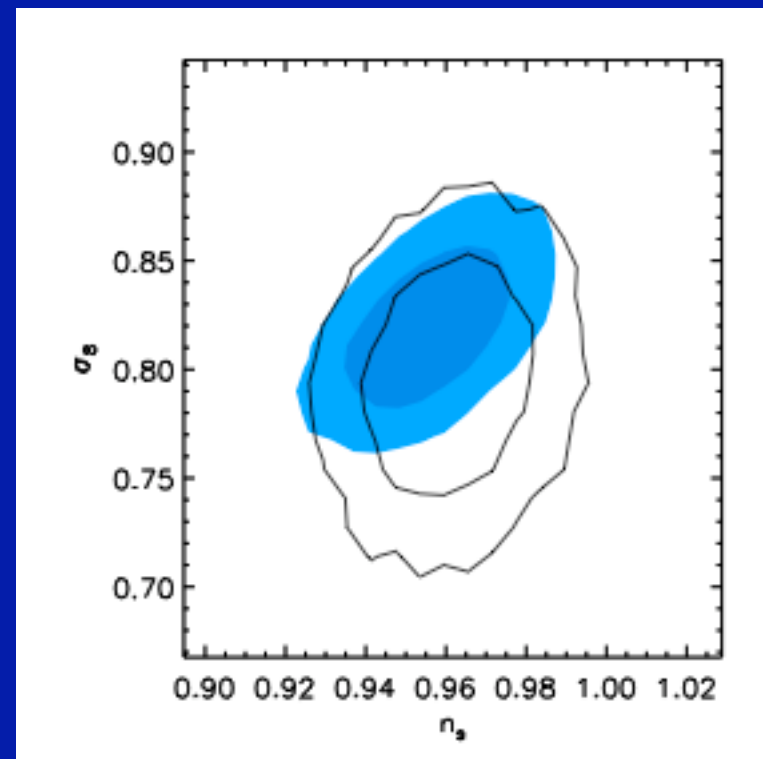
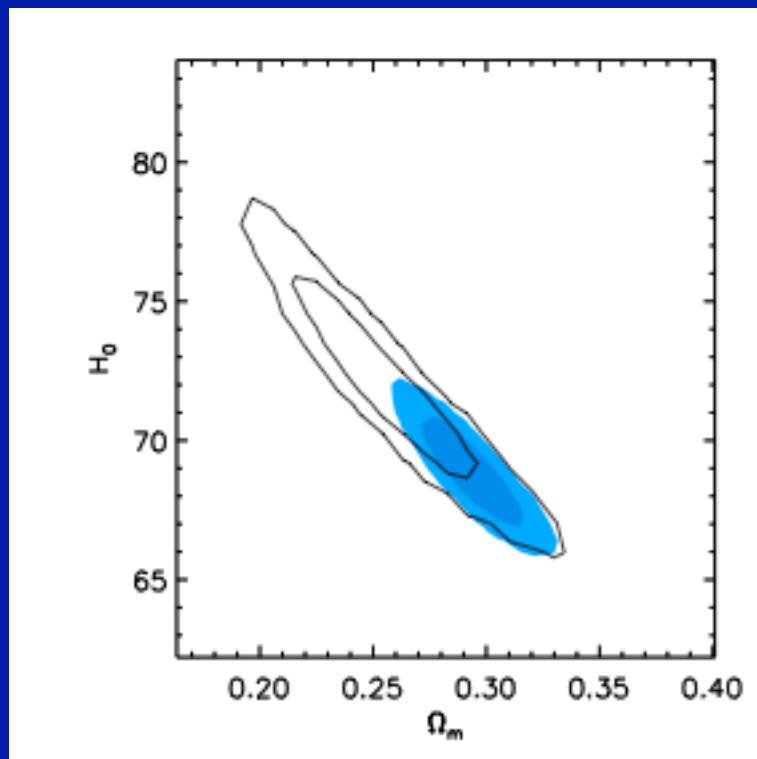
$$n_s = 0.96, \text{ vel disp model}$$

$$n_s = 0.96, \text{ fiducial}$$

$$n_s = 1.02$$

Combined constraints: DR7 LRGs + WMAP5

- $k_{\min} = 0.02$, $k_{\max} = 0.2$, no velocity disp



Advantages of our approach

- Eliminate P^{1h} and systematic variation with n_{LRG} or z
- Make high fidelity mocks and calibrate model in the quasi-linear regime ($k < 0.2$)
 - Constrain both shape and BAO scale
- Use the Halo Model framework to
 - Fix tight constraints on nuisance parameters
 - Propagate uncertainties to understand systematics on cosmological parameters

Conclusions

- Particulars of galaxies \rightarrow mass can matter even at $k < 0.1$!
- Modeling the shape up to $k=0.2$ does not provide more information on Λ CDM
- BUT.. allows us to extract BAO+shape information simultaneously
- BUT.. may be useful in more general models (e.g., w_0 - w_1)?