

Who ordered that?

Shahram Vatani
with Giacomo Cacciapaglia and Aldo Deandra
Arxiv=Next Week!

Gauge:

$$SU(3)_c \times SU(2) \times U(1)_Y$$

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Fermions:

Up, Down, Electron, Neutrino « Family »

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Fermions:

Up, Down, Electron, Neutrino « Family »

ElectroWeak Symmetry Breaking:

H

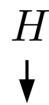
Gauge:

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ElectroWeak Symmetry Breaking:



Fermi Theory + Mass

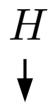
Gauge:

$$SU(3)_c \times SU(2) \times U(1)_Y$$

Fermions:

Up, Down, Electron, Neutrino « Family »

ElectroWeak Symmetry Breaking:



Fermi Theory + Mass

Muon

Strange

Fermions:

Up, Down, Electron, Neutrino « Family »

Charm

Tau

Fermions:

Up, Down, Electron, Neutrino « Family »

x3 = Flavor

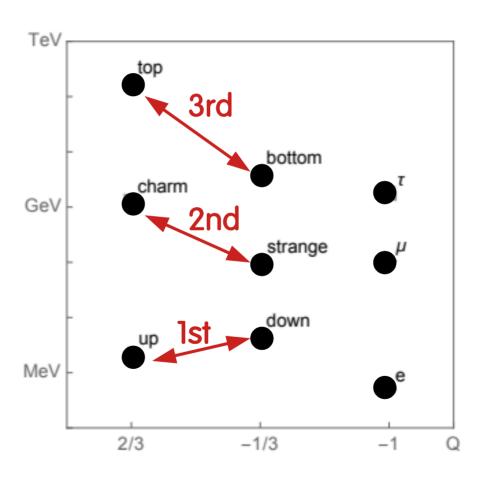
Only aspect that does not derive from Gauge Principle

Fermions:

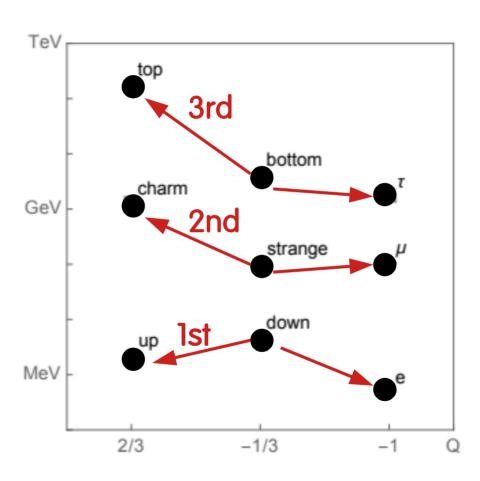
Up, Down, Electron, Neutrino « Family »

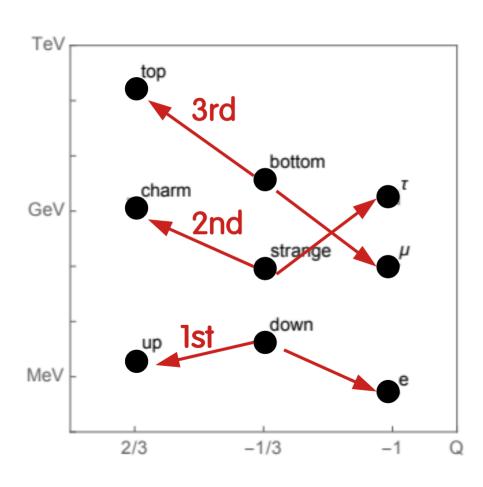
 $\times 3$ = Flavor

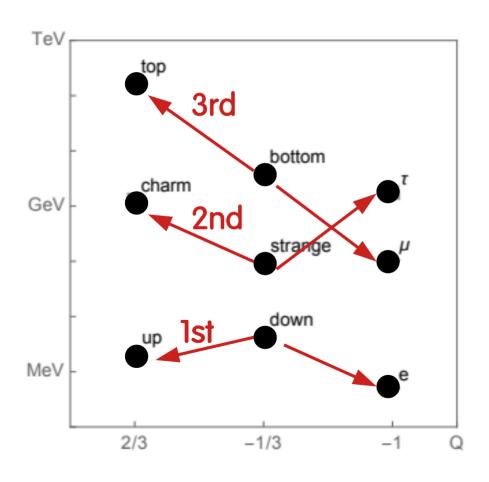
SM Family Assignment



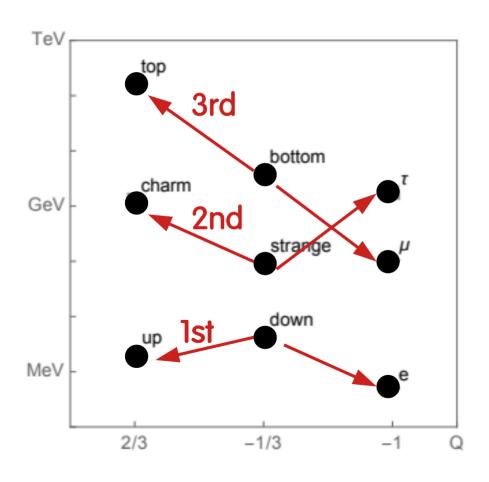
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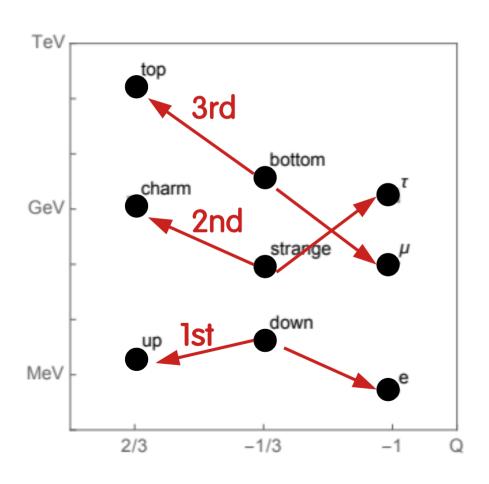




• Relevant in BSM:

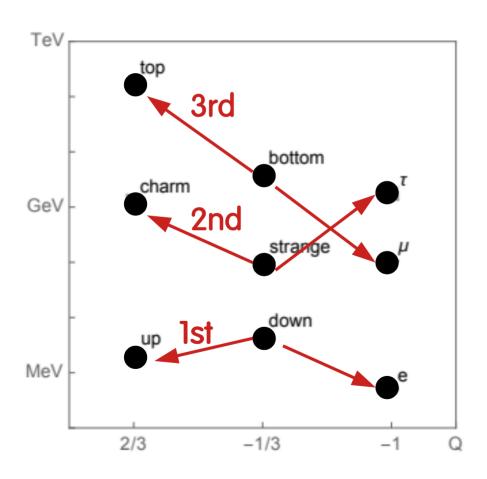


Relevant in BSM :
 Pati-Salam Unification

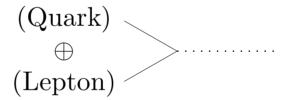


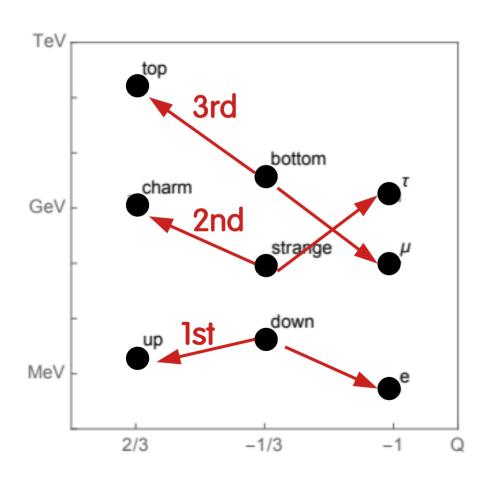
Relevant in BSM :
 Pati-Salam Unification

$$\begin{pmatrix} \text{Quark} \\ \text{Lepton} \end{pmatrix} \Leftrightarrow \text{New Physics}$$

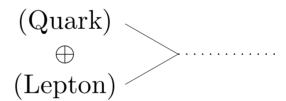


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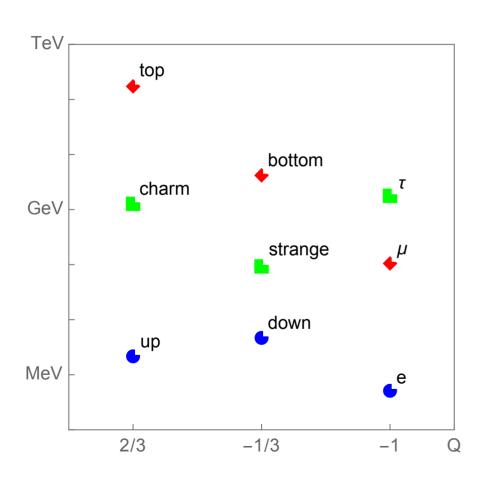
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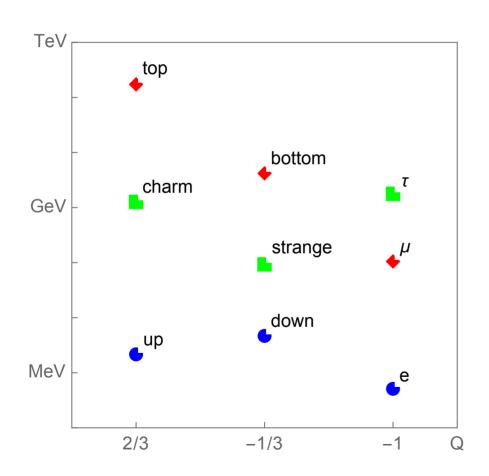


A new mass structure :
 New origin for Yukawa pattern

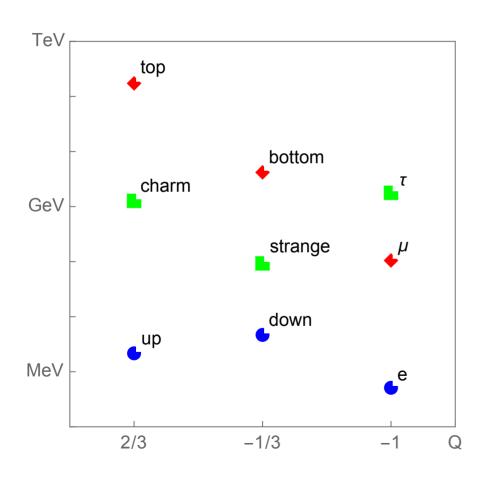
• 1) Loop Model for Masses

· 2) B Anomalies

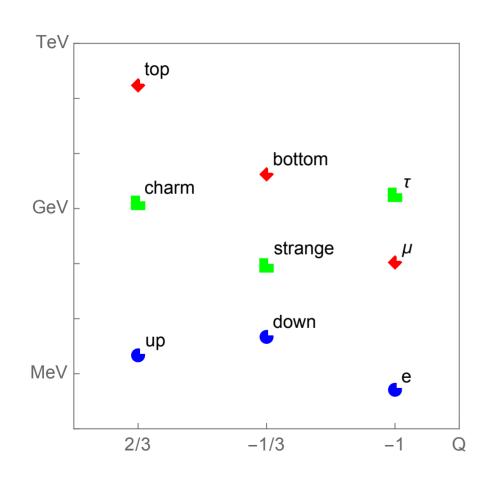




· 1st ~ MeV

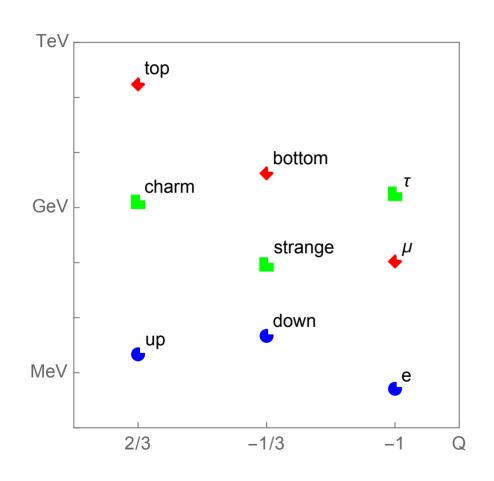


- · 1st ~ MeV
- · 2nd ~ GeV



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- 3rd with specific pattern:

$$X_{\rm tb} = \frac{m_{\rm t}}{m_{\rm b}} = 41.31_{-0.21}^{+0.31}$$
$$X_{\rm b\mu} = \frac{m_{\rm b}}{m_{\rm \mu}} = 39.56_{-0.19}^{+0.28}$$



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$$\frac{X_{\text{b}\mu}}{X_{\text{tb}}} = 0.958_{-0.009}^{+0.014}$$

$$S = (3, 1, -1/3)$$

$$\phi = (3, 2, 1/6)$$

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$$\mathcal{L}_{\text{Yuk}} = y_t \, \bar{t}_R q_L \, H + \lambda_S \, S \, \left(c_{qq} \, \bar{q}_L^c q_L + c_{tb} \, \bar{b}_R^c t_R \right)$$

$$+ c_{ql} \, \bar{q}_L l_L^c + c_{t\mu} \, \bar{t}_R \mu_R^c + c_{b\nu} \, \bar{b}_R \nu_R^c + c_{b\nu} \, \bar{b}_R \nu_$$

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$$\lambda_\phi \, \phi \left(c_{q\nu} \, \bar{q}_L \nu_R + c_{bl} \, \bar{b}_R l_L \right) + \text{h.c.}$$



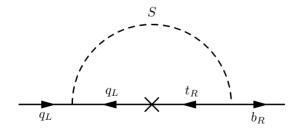
$$m_t = y_t \langle H \rangle$$

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$$\frac{m_b}{m_t} = \frac{\lambda_S^2 c_{qq} c_{tb}}{8\pi^2} N_c \ln \frac{\Lambda}{M_S}$$

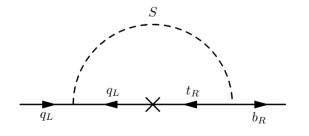
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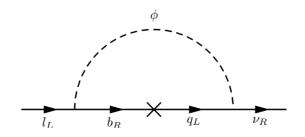
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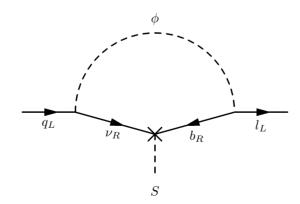


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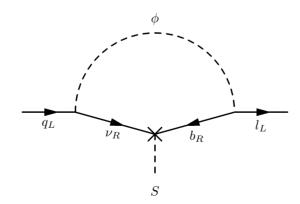
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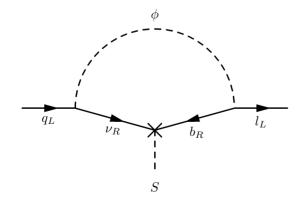
$$\lambda_{\phi} \; \phi \; \left(c_{q\nu} \; \bar{q}_L \nu_R + c_{bl} \; \bar{b}_R l_L \right) + \text{h.c.}$$



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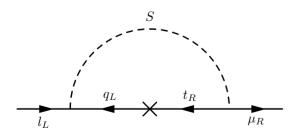
$$c_{ql} = \frac{\lambda_{\phi}^2 c_{q\nu} c_{bl}}{8\pi^2} N_R \ln \frac{\Lambda}{M_{\phi}}$$

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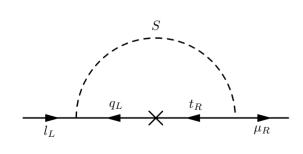
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$$\frac{m_{\mu}}{m_t} = \frac{\lambda_S^2 c_{qL} c_{t\mu}}{8\pi^2} N_C \ln \frac{\Lambda}{M_S}$$

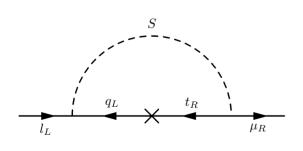
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$$m_{\nu} = \frac{m_{\nu,D}^2}{M_R}$$

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$$M_R = 1.3 \ 10^7 GeV \ , \ \frac{M_S}{M_\phi} = 1150 \ , \ \frac{\Lambda}{M_S} = 490$$

$$R_K = \frac{\text{Br}(B^+ \to K^+ \mu^+ \mu^-)}{\text{Br}(B^+ \to K^+ e^+ e^-)} = 0.846^{+0.042}_{-0.039}(\text{stat}) K^{+0.013}_{-0.012}(\text{syst})$$

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$$\text{Br}(B_s \to \mu^+ \mu^-)_{Exp} = 3.09^{+0.46}_{-0.430.11} \times 10^{-9}$$

$$\text{Br}(B_s \to \mu^+ \mu^-)_{SM} = 3.65 \pm 0.23 \times 10^{-9}$$

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The LEFT highlight a specific set of 4-Fermion interactions

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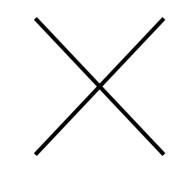
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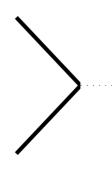
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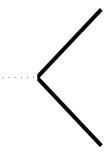
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New Physics (LeptoQuark)

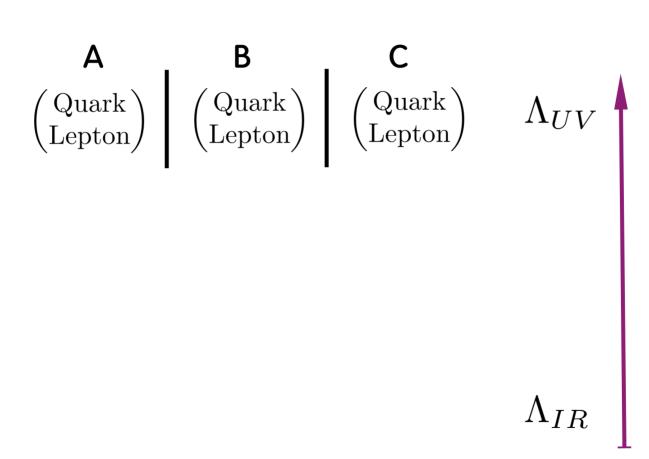


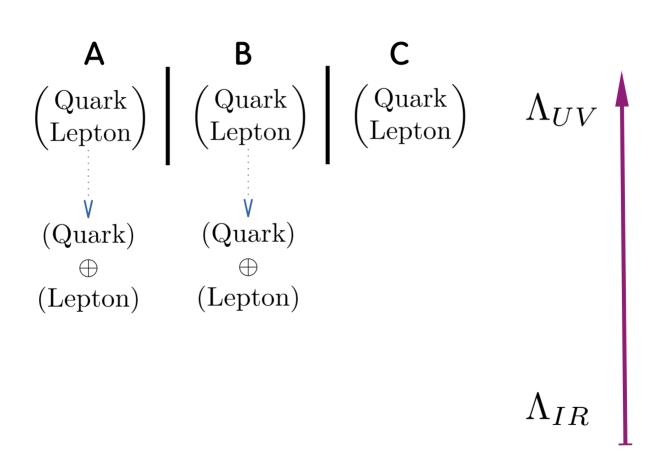


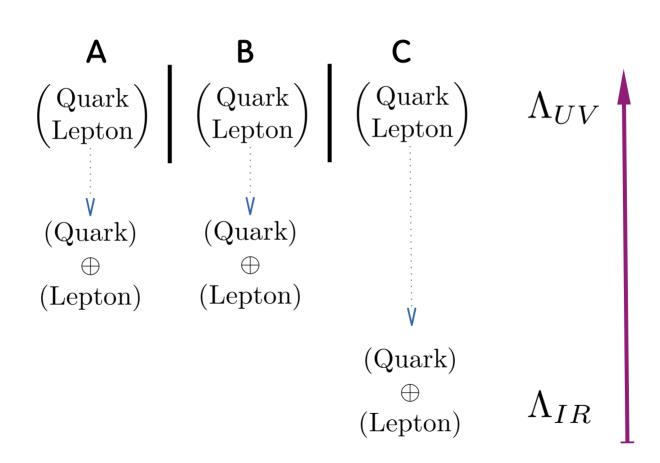


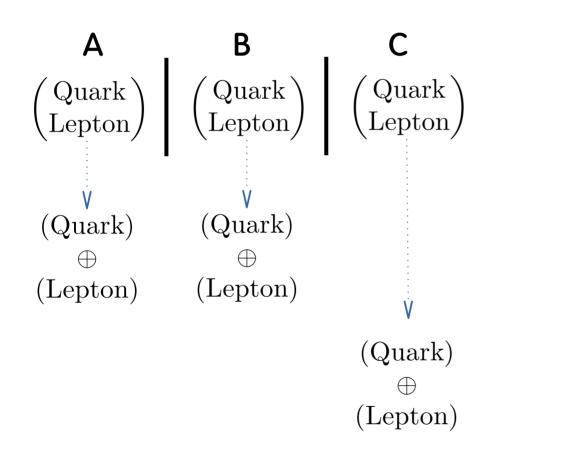
$$\begin{pmatrix} \operatorname{Quark} \\ \operatorname{Lepton} \end{pmatrix} \quad \begin{pmatrix} \operatorname{Quark} \\ \operatorname{Lepton} \end{pmatrix} \quad \begin{pmatrix} \operatorname{Quark} \\ \operatorname{Lepton} \end{pmatrix}$$

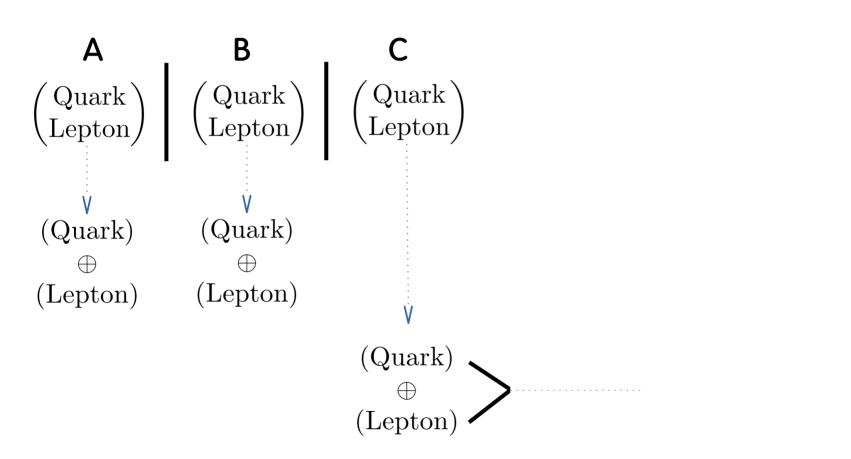
$$egin{array}{c|c} oldsymbol{\mathsf{A}} & oldsymbol{\mathsf{B}} & oldsymbol{\mathsf{C}} \ & \left(egin{array}{c} \operatorname{Quark} \\ \operatorname{Lepton}
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ight) & \left(egin{array}{c} \operatorname{Quark} \\ \operatorname{Lepton}
ight) & \Lambda_{UV} \end{array}$$

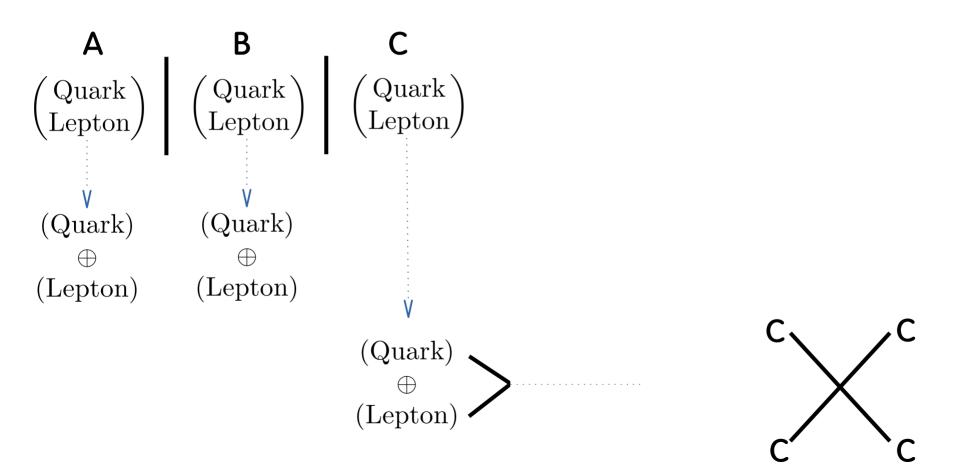


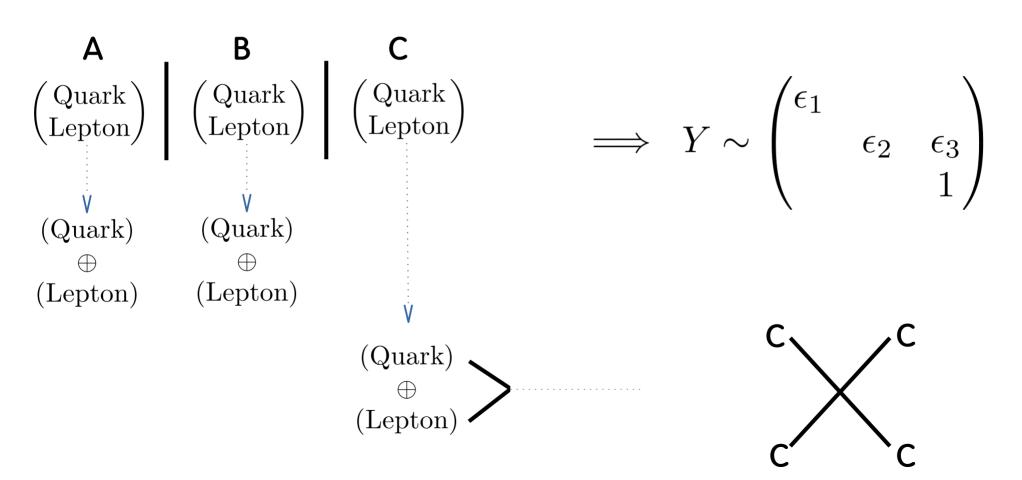


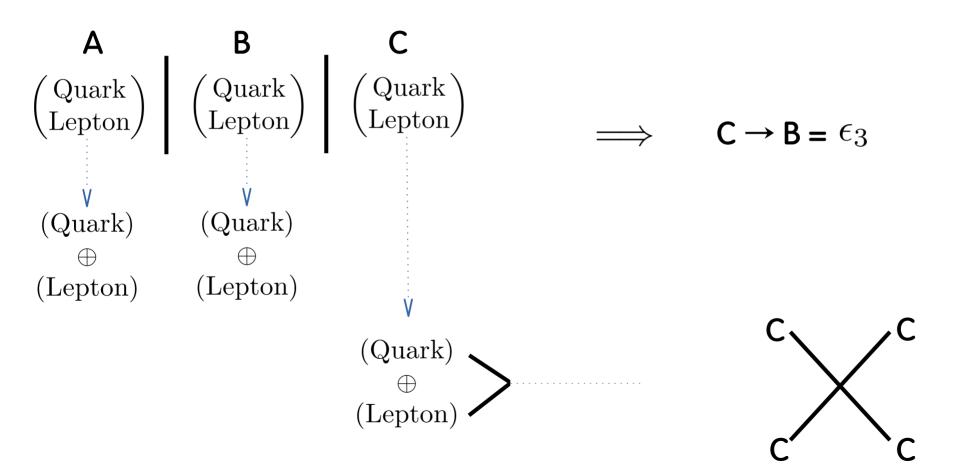


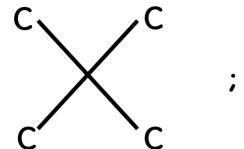


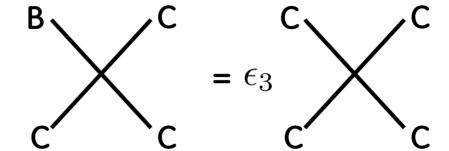












$$\begin{array}{c} B \\ C \\ C \\ \end{array} = \epsilon_3 \begin{array}{c} C \\ C \\ \end{array}$$

$$\begin{array}{c} B \\ C \\ C \end{array} = \epsilon_3^2 \begin{array}{c} C \\ C \\ C \end{array}$$

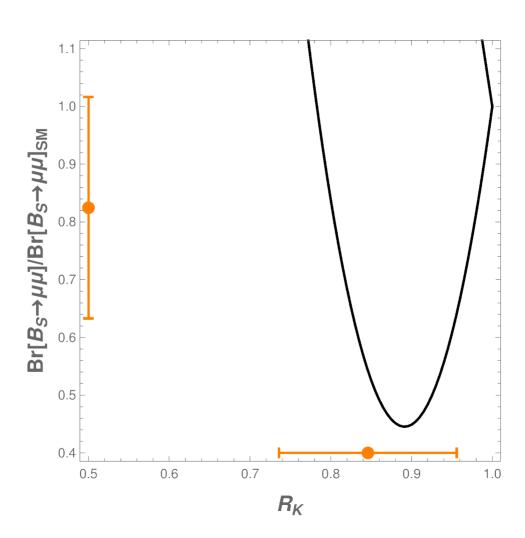
$$\mathcal{O}_{9(10)}=rac{lpha}{4\pi}\left[ar{s}\gamma_{\mu}P_{L}b
ight]\left[ar{\mu}\gamma^{\mu}(\gamma_{5})\mu
ight] \ = \ \epsilon_{3}{}^{3}$$
 3rd 3rd

$$\mathcal{O}_{9(10)}=rac{lpha}{4\pi}\left[ar{s}\gamma_{\mu}P_{L}b
ight]\left[ar{\mu}\gamma^{\mu}(\gamma_{5})\mu
ight] \ = \ \epsilon_{3}{}^{3}$$
 3rd 3rd

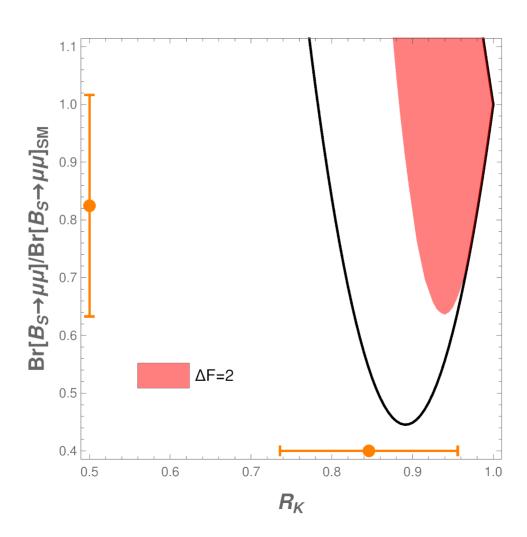
$$Y \sim \begin{pmatrix} \epsilon_1 & & & \\ & \epsilon_2 & \epsilon_3 \\ & & 1 \end{pmatrix}$$

$$Y \sim \begin{pmatrix} \epsilon_1 \\ \epsilon_2 & \epsilon_3 \\ 1 \end{pmatrix} \implies \begin{pmatrix} \epsilon_1 \\ \epsilon_2 & 1 \\ \epsilon_3 \end{pmatrix}$$

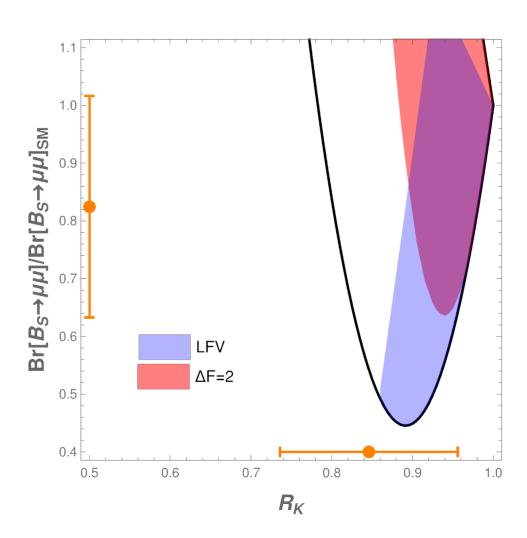
Results



Results



Results



Thank You!