

# INFLATION

*What have we learnt?*

*What can we learn?*

*Why should we care?*

**Oliver H. E. Philcox**



# What do we want to know about inflation?

Simplest (phenomenological) model

- A **single field**,  $\phi$  evolving along an almost **flat potential**
- Curvature is sourced by **quantum fluctuations** in  $\delta\phi$

$$\mathcal{L} \sim \frac{1}{2}(\partial\phi)^2 - V(\phi)$$

HOWEVER:

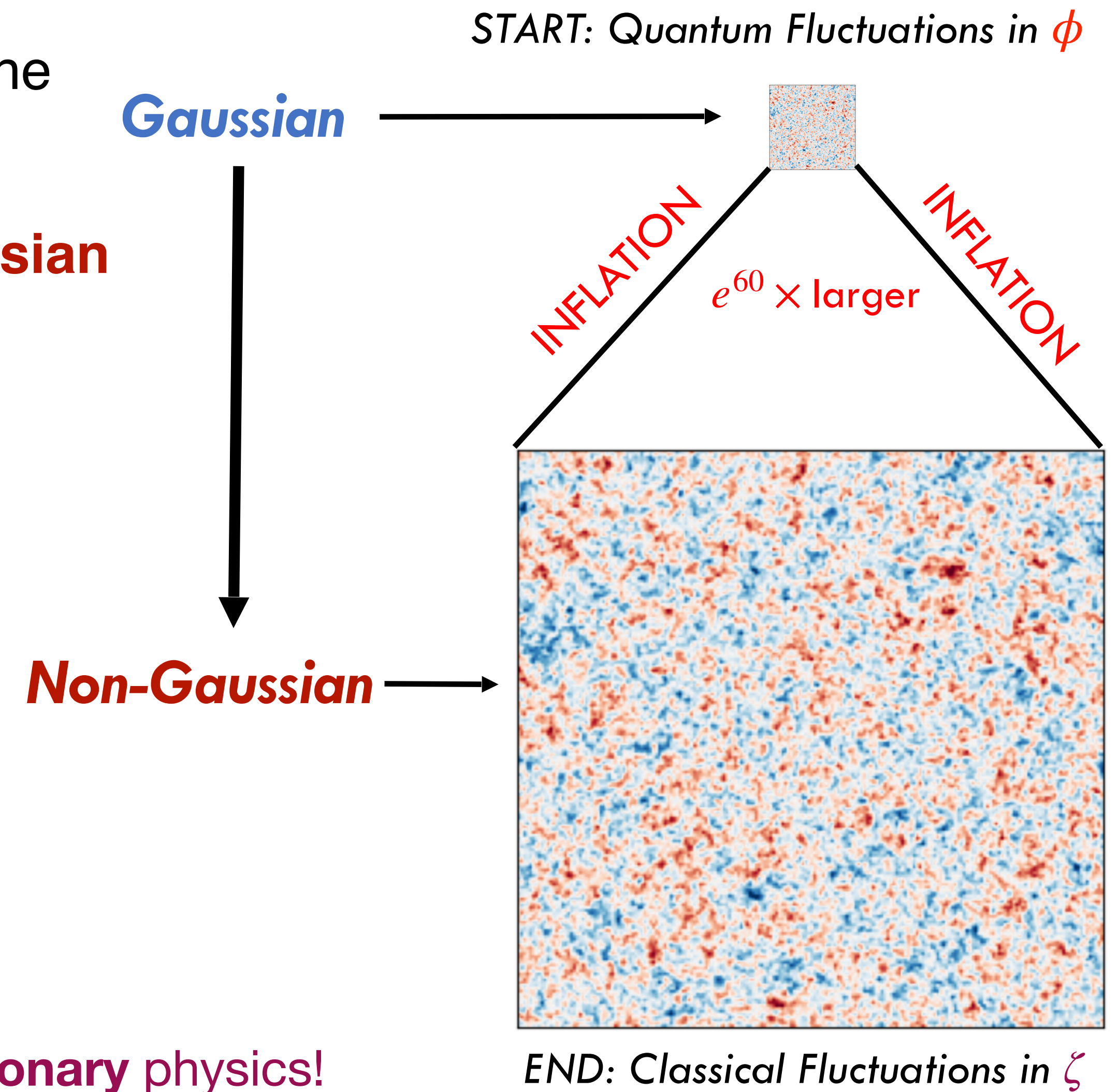
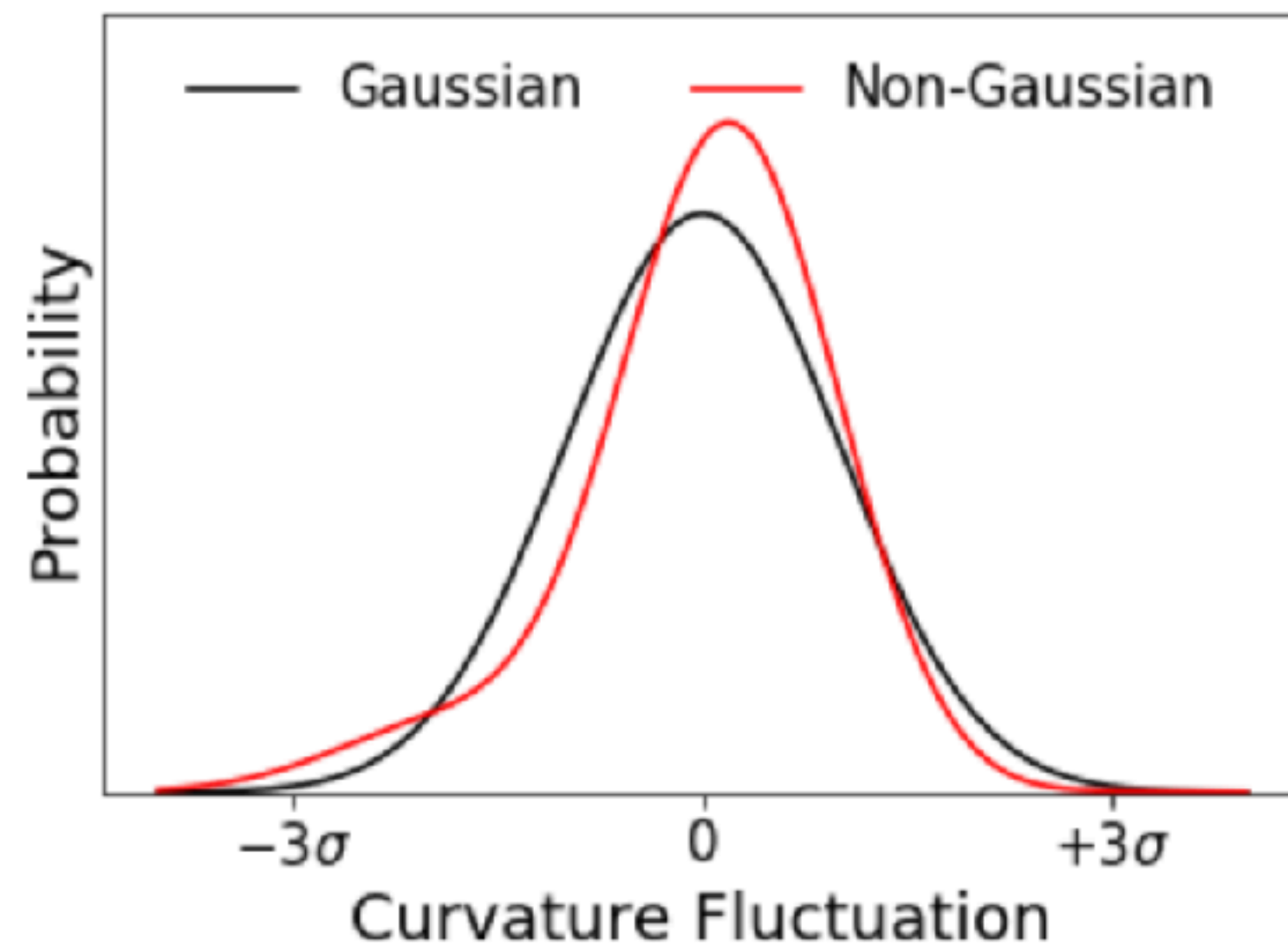
- What is the **energy scale** of inflation? [Hubble]  $\longrightarrow H \sim 10^{16}\text{GeV}$
- What sets the **potential**?  $\longrightarrow V(\phi) = ???$
- Were there **other fields** during inflation?  $\longrightarrow \phi \rightarrow \phi, \chi, \psi_u, \dots$
- Did the fields **interact**?  $\longrightarrow \text{Lagrangian} \supset \dot{\phi}^3 + \dots$



# How do we learn about inflation?

**Vanilla inflation** leads to **Gaussian** fluctuations in the primordial curvature perturbations,  $\zeta$

**New physics** in the early Universe gives **non-Gaussian** curvature fluctuations

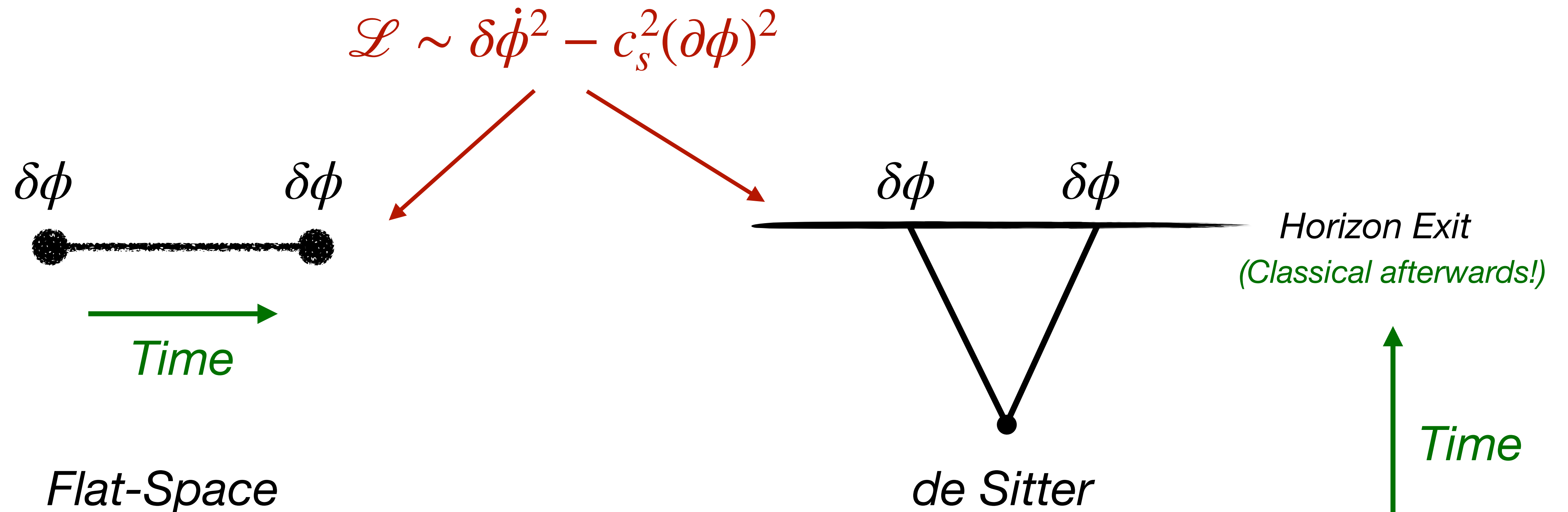


By searching for **non-Gaussianity**, we can constrain **inflationary** physics!



# Two-Point Functions

- Let's assume we have just a **single field**  $\phi$  in inflation (the “inflaton”)
- The simplest inflationary action is **quadratic in perturbations**:

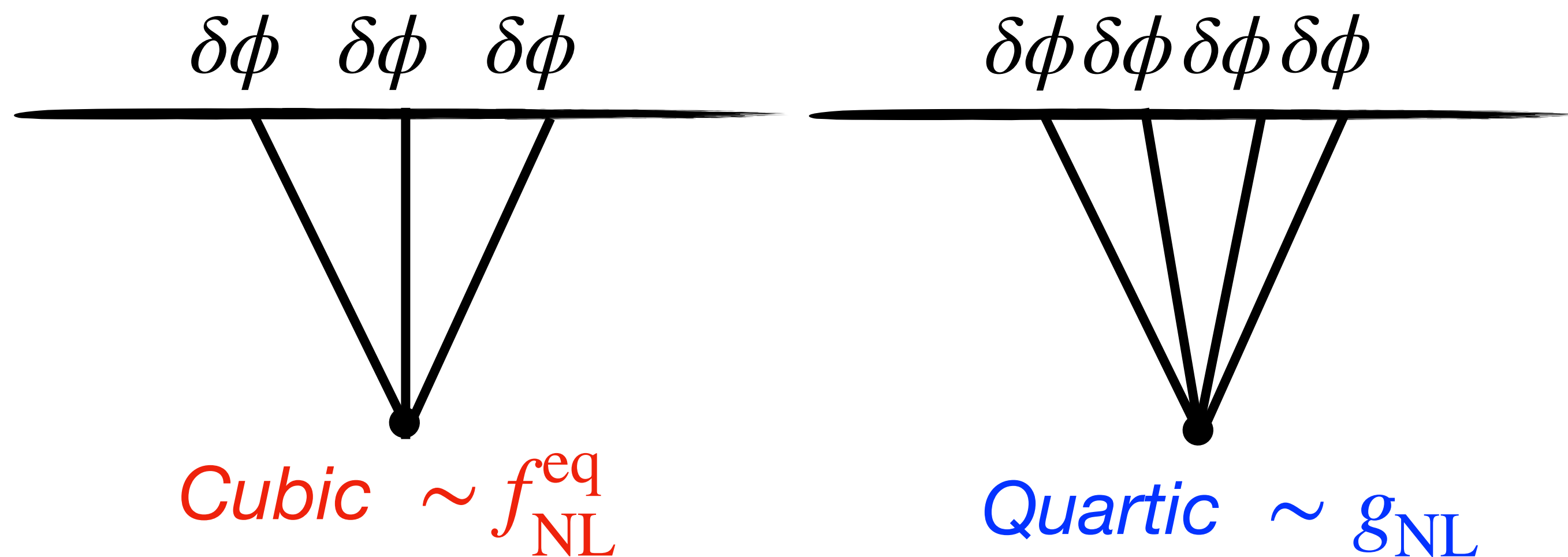




# Self-Interactions

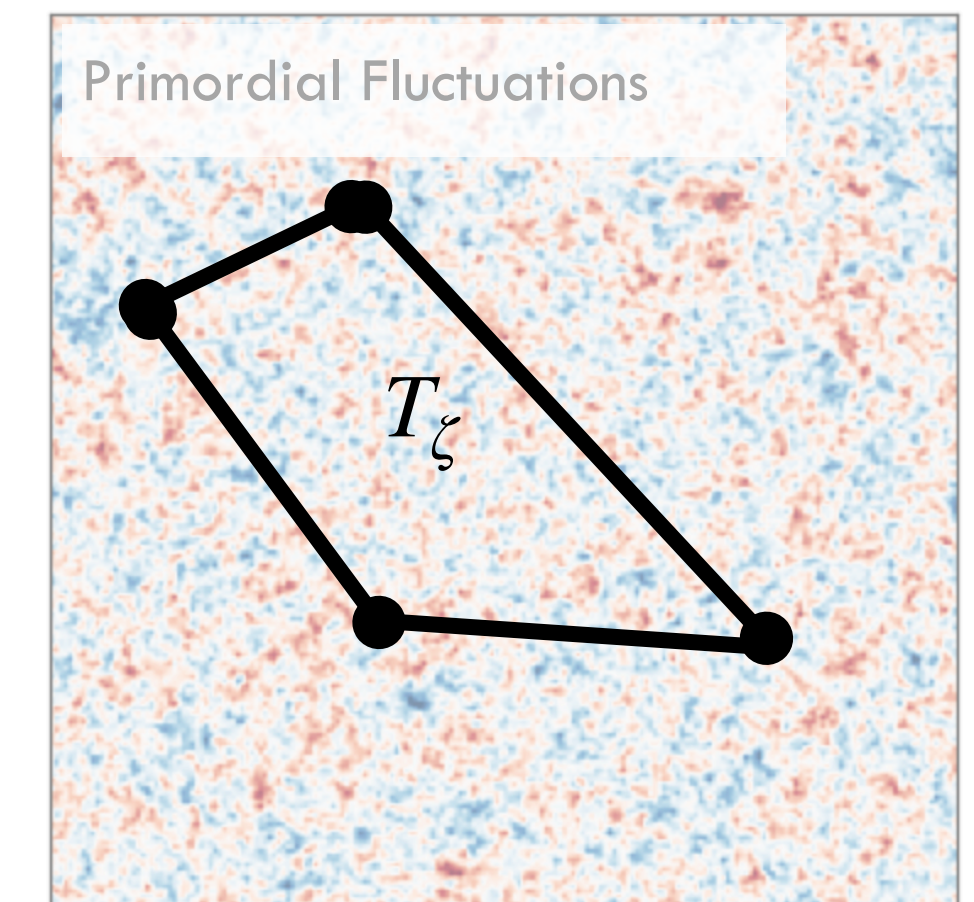
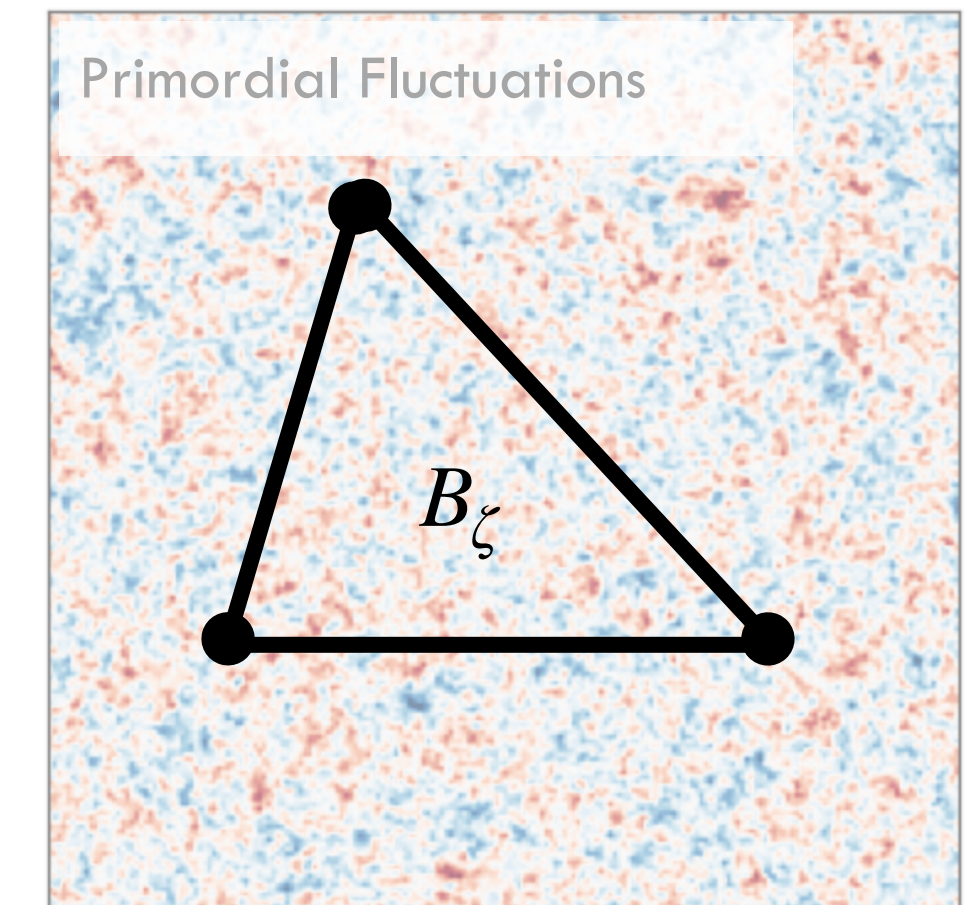
- Many models of inflation feature **self-interactions**:

$$\mathcal{L} \supset \delta\dot{\phi}^3, \quad \delta\dot{\phi}(\partial\phi)^2, \quad \delta\dot{\phi}^4, \quad \dots$$



- This leads to **three-** and **four-point** functions at the end of inflation
- The **shape** encodes the vertex, the **amplitude** encodes the microphysics

$$\text{e.g. } \langle \zeta(\mathbf{k}_1)\zeta(\mathbf{k}_2)\zeta(\mathbf{k}_3) \rangle \sim f_{\text{NL}}^{\text{eq}} \times \text{shape}$$

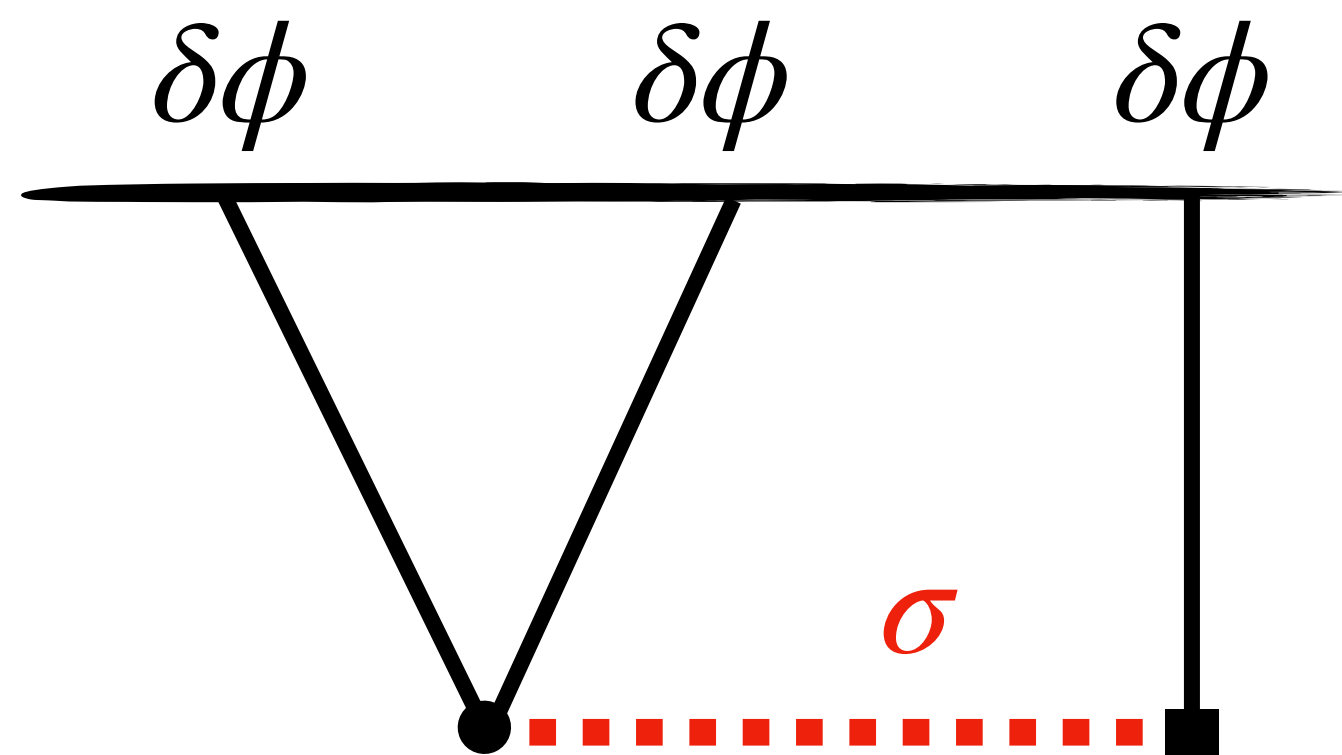




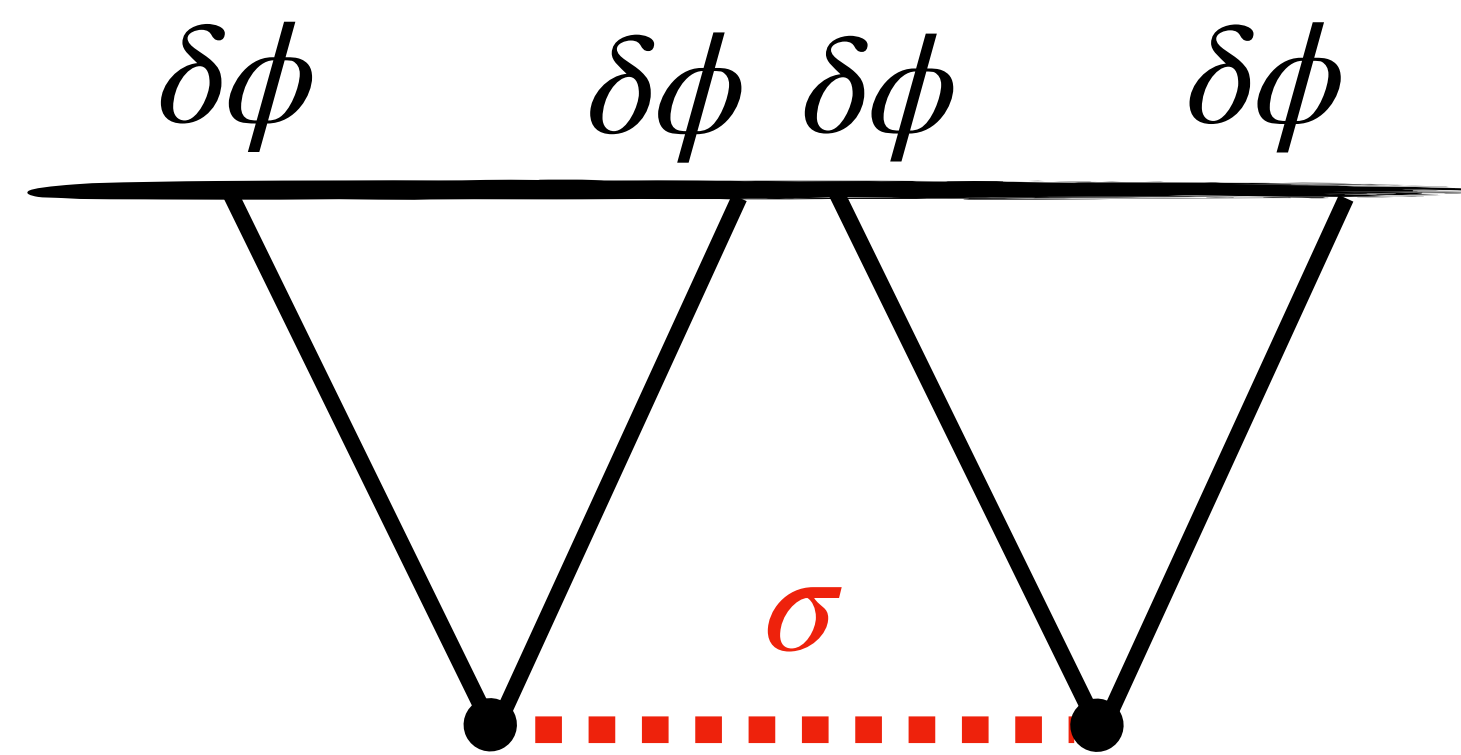
# Self-Interactions

- Other models feature **new particles**,  $\sigma$ :

$$\mathcal{L} \supset \delta\dot{\phi}\sigma, \quad \delta\dot{\phi}^2\sigma, \quad \dots$$



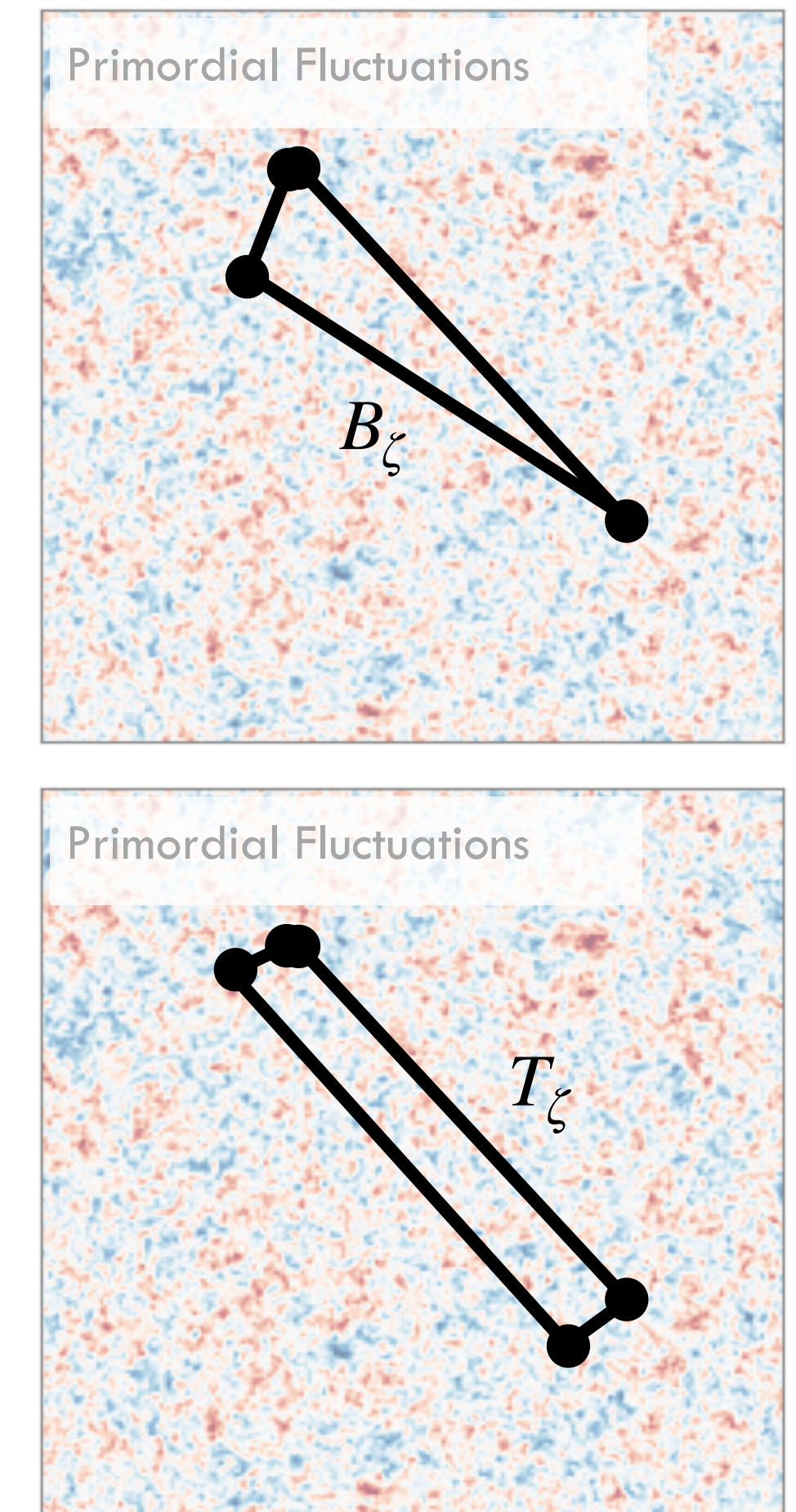
*Linear-Quadratic*  $\sim f_{\text{NL}}^{\text{loc}}$



*Quadratic<sup>2</sup>*  $\sim \tau_{\text{NL}}$

- This leads to **three-** and **four-point** functions at the end of inflation
- The **shape** encodes the vertex, the **amplitude** encodes the microphysics

e.g.  $\langle \zeta(\mathbf{k}_1)\zeta(\mathbf{k}_2)\zeta(\mathbf{k}_3) \rangle \sim f_{\text{NL}}^{\text{loc}} \times \text{shape}$





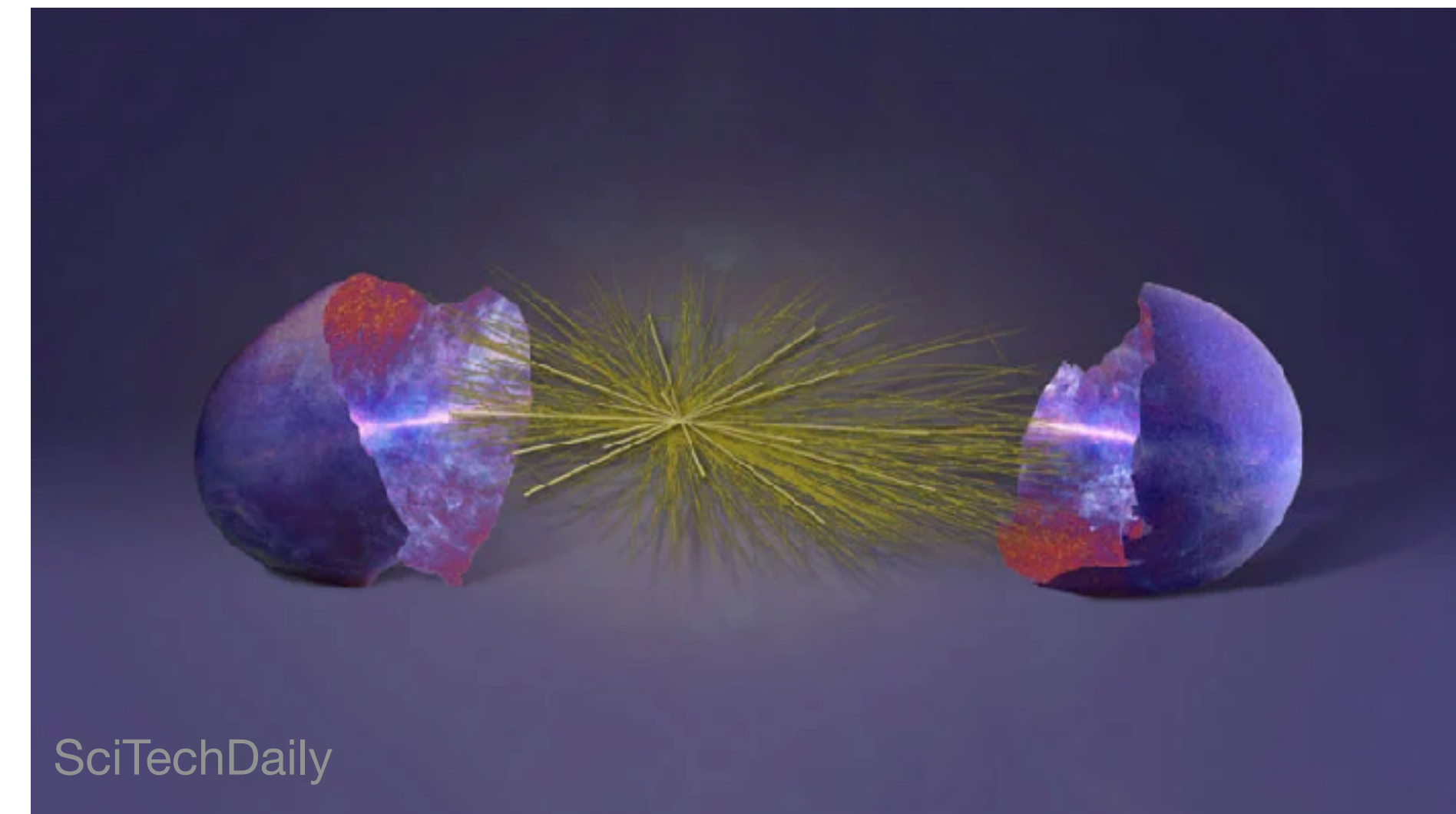
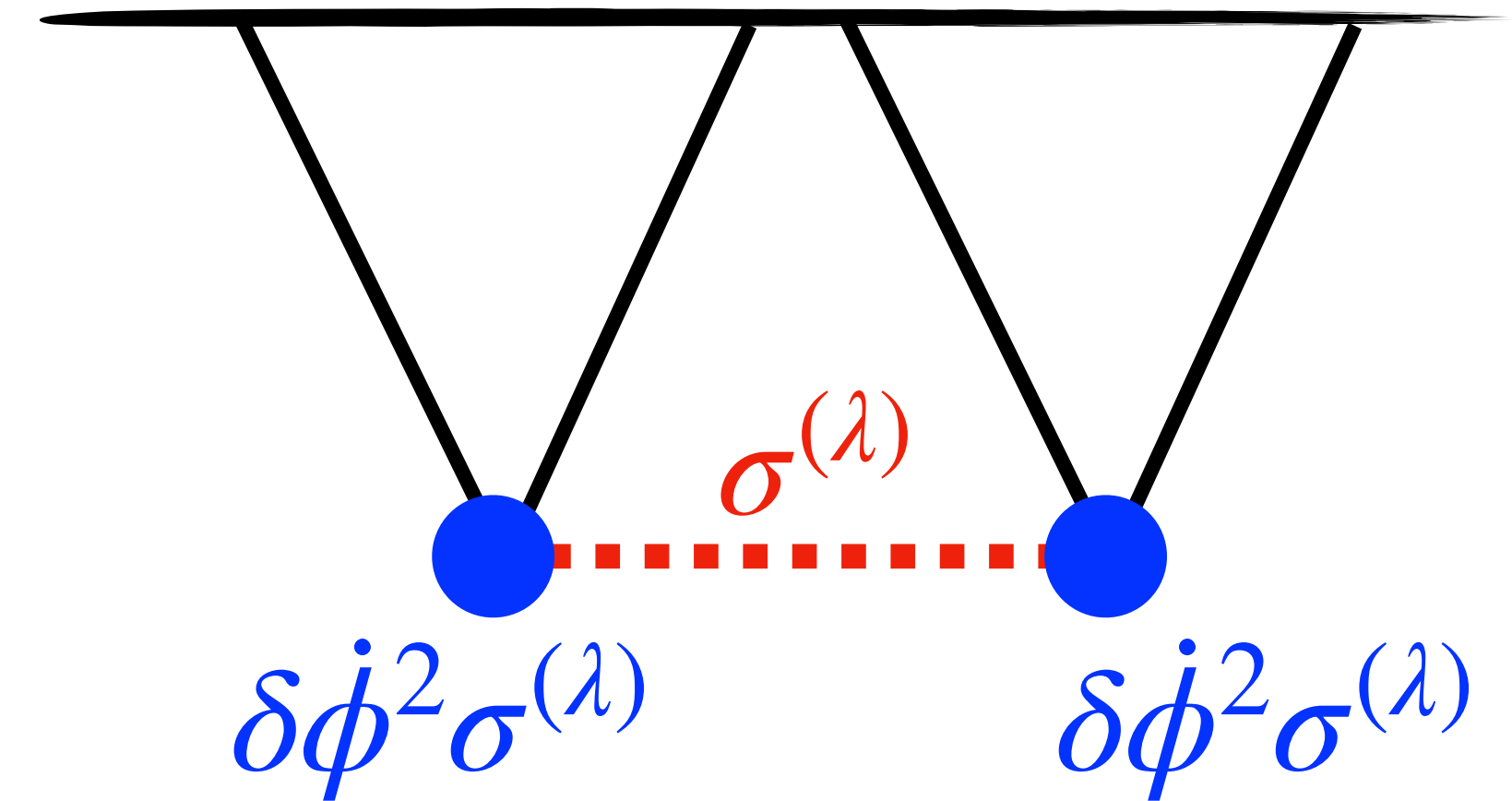
# The Cosmological Collider

- The four-point function tracks the **exchange** of a particle  $\sigma_{\mu_1 \dots \mu_s}$  of mass  $m_\sigma \sim H$  and spin  $s = 0, 1, 2, \dots$
- This depends on the **power spectrum** of  $\sigma$ , including all its **helicity states**,  $\sigma^{(\lambda)}$

$$\langle \zeta(\mathbf{k}_1) \zeta(\mathbf{k}_2) \zeta(\mathbf{k}_3) \zeta(\mathbf{k}_4) \rangle \sim \sum_{\lambda} P_{\zeta}(k_1) P_{\zeta}(k_3) P_{\sigma^{(\lambda)}}(K) \times \text{coupling}$$

- In the **collapsed limit** (low exchange momentum), the inflationary signatures are set by **symmetry**
- They depend **only** on mass and spin (and the speed) **not** on the microphysical model!

**By studying the trispectrum we can probe new particles present during inflation!**



SciTechDaily



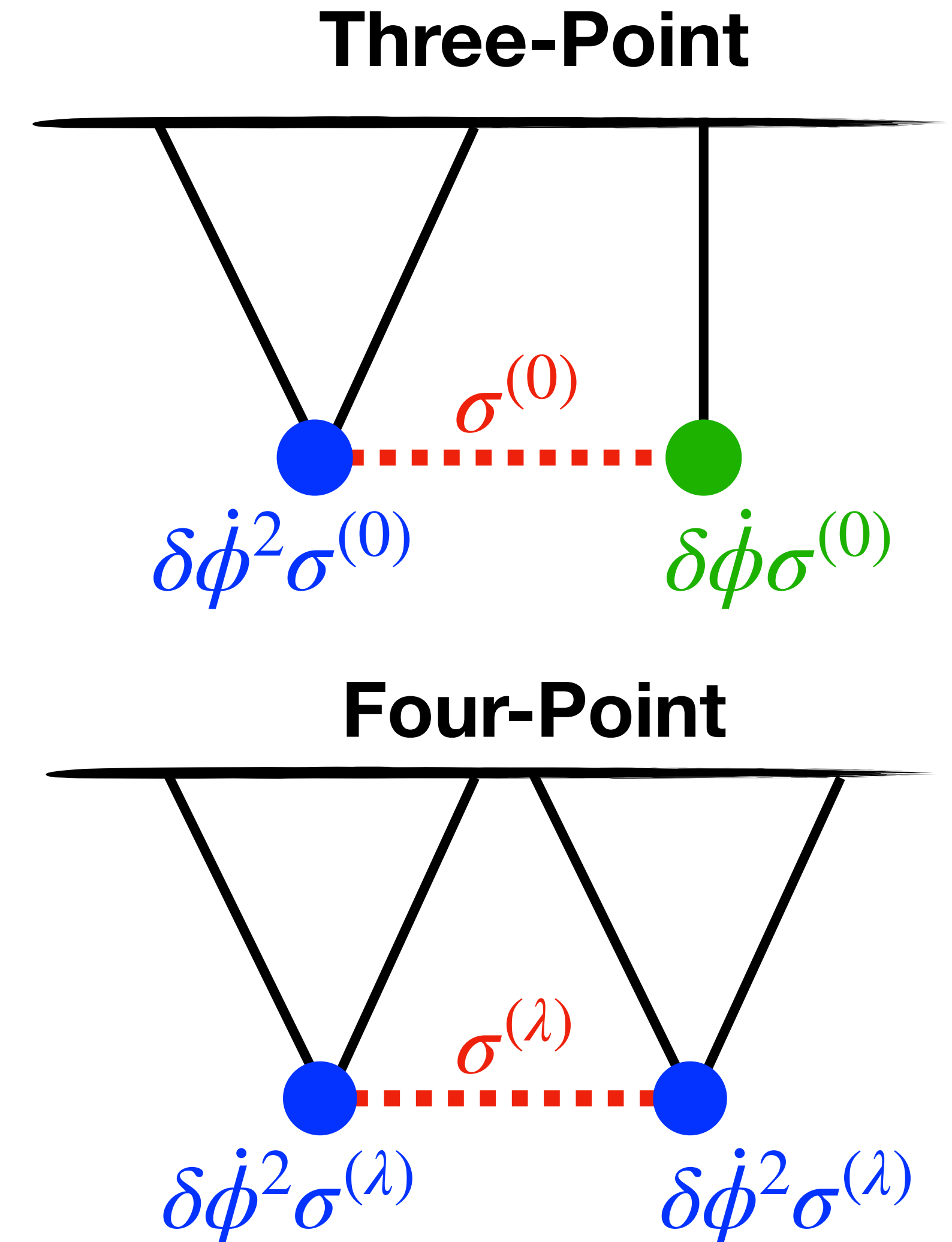
# The Cosmological Collider

- The **three-point** function also probes particle-exchange

See Sam's talk!

$$B_\zeta(k_1, k_2, k_3) \sim P_\zeta(k_1) P_{\sigma^{(0)}}(k_3) \times \text{coupling}$$

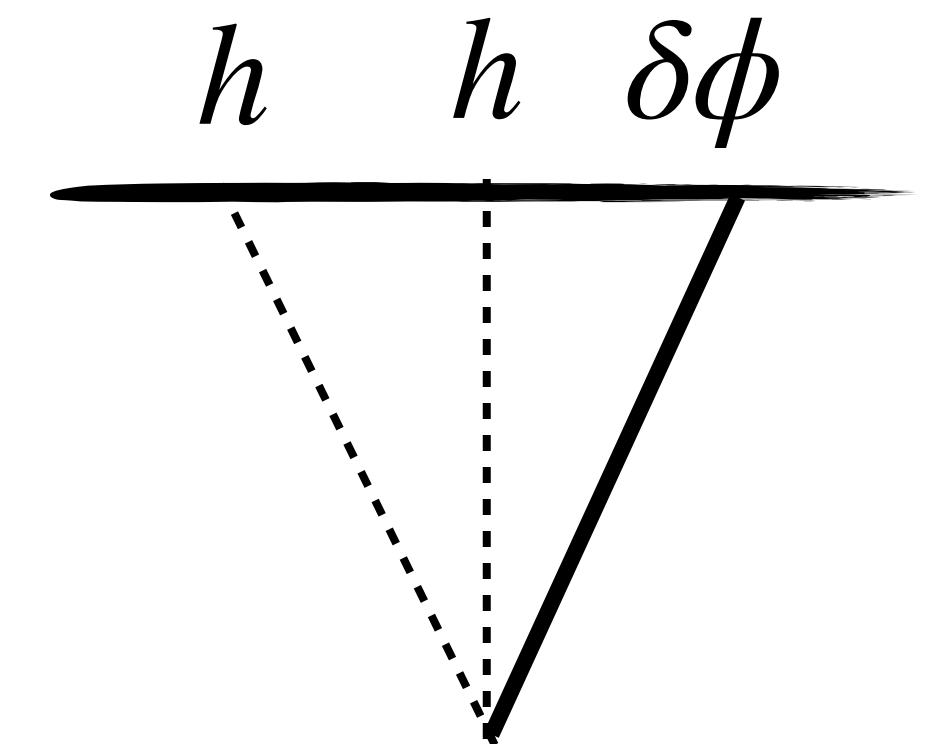
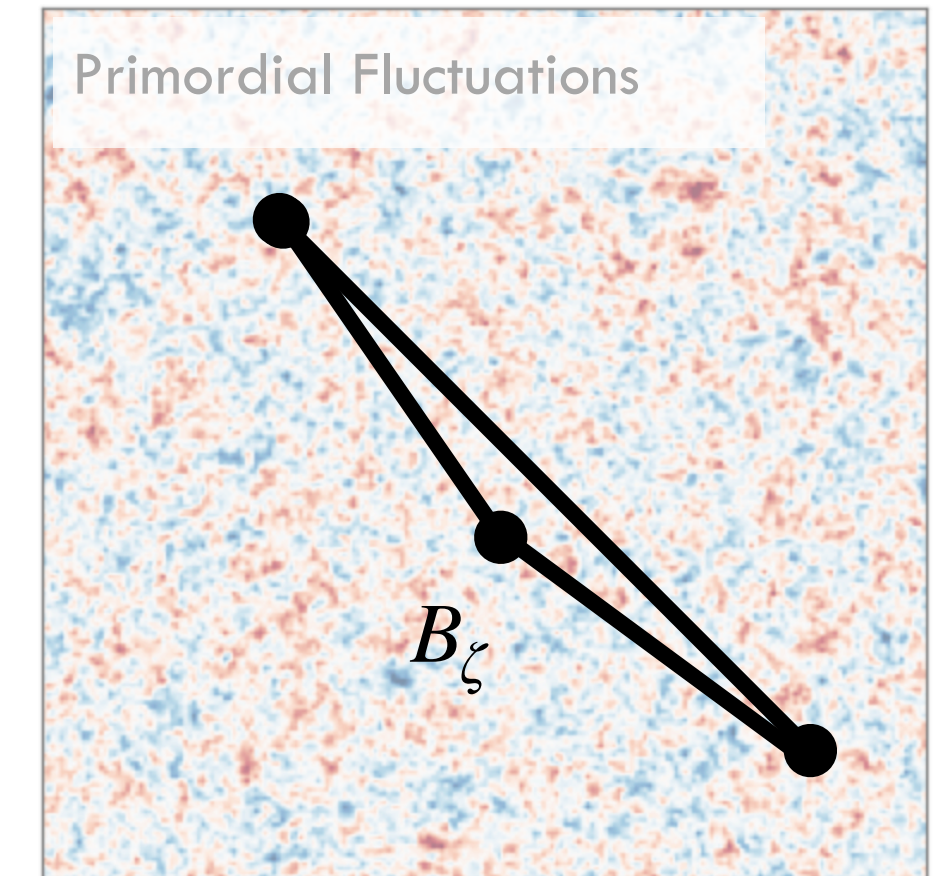
- However,**
  - It requires a **quadratic** coupling  
(which could be slow-roll suppressed)
  - It only probes the **longitudinal mode,  $\sigma^{(0)}$**   
(which could be subdominant)
- We need the **four-point** function to fully probe collider physics!





# Other Inflationary Effects

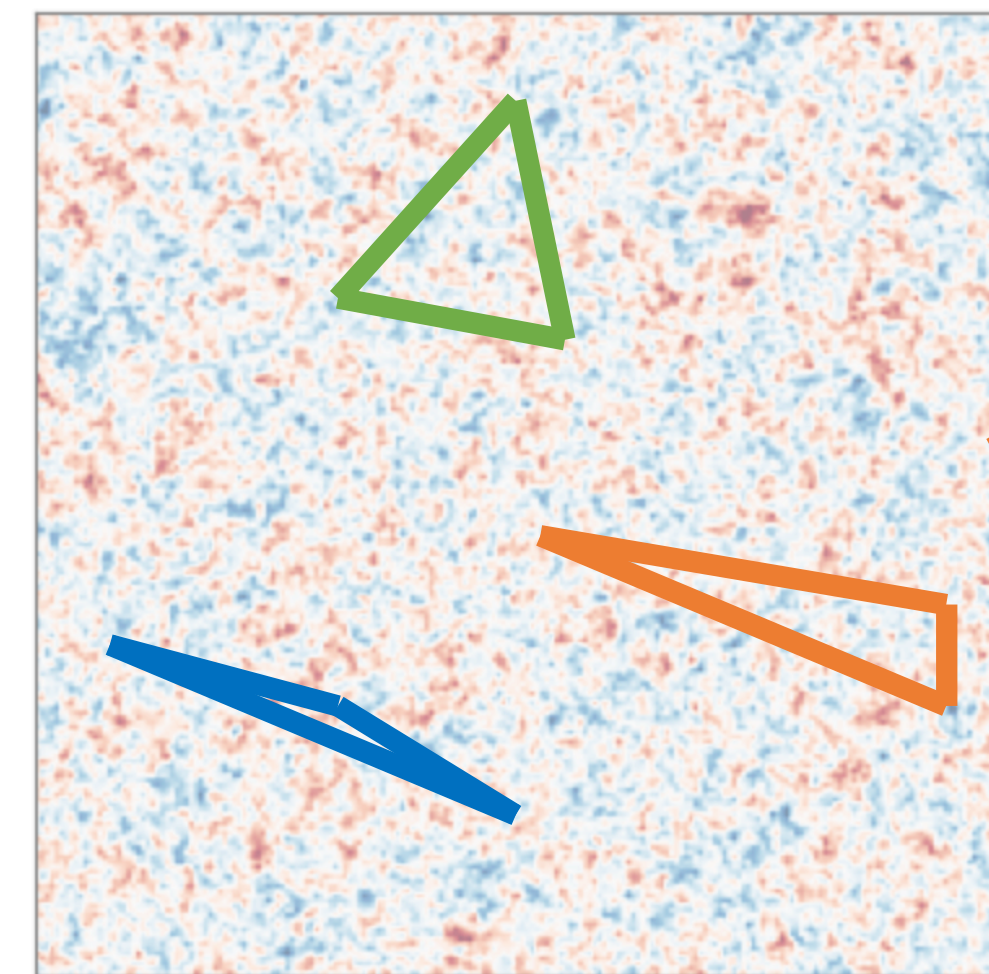
- **Folded** non-Gaussianity?
  - Dissipative effects in inflation
  - Modified initial conditions
- **Oscillatory** effects and **non-perturbativity**?
  - Resonances, axions
  - Very massive particles
- **Tensor** non-Gaussianity?
  - Modified gravity, gauge fields, massive gravity, magnetic fields...



$$\langle h\zeta\zeta \rangle, \langle hh\zeta \rangle, \langle hhh \rangle \neq 0?$$



# How to Measure Primordial Non-Gaussianity

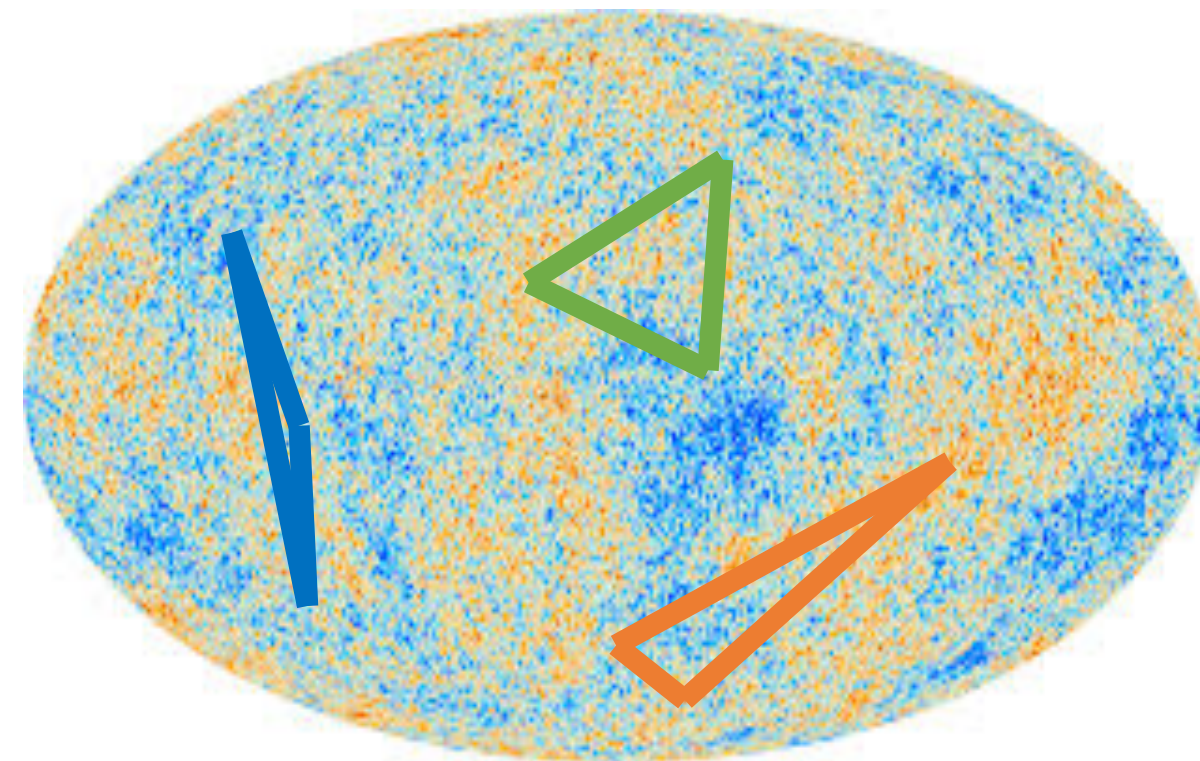


Primordial Correlator

$$\langle \zeta^n \rangle \neq 0?$$

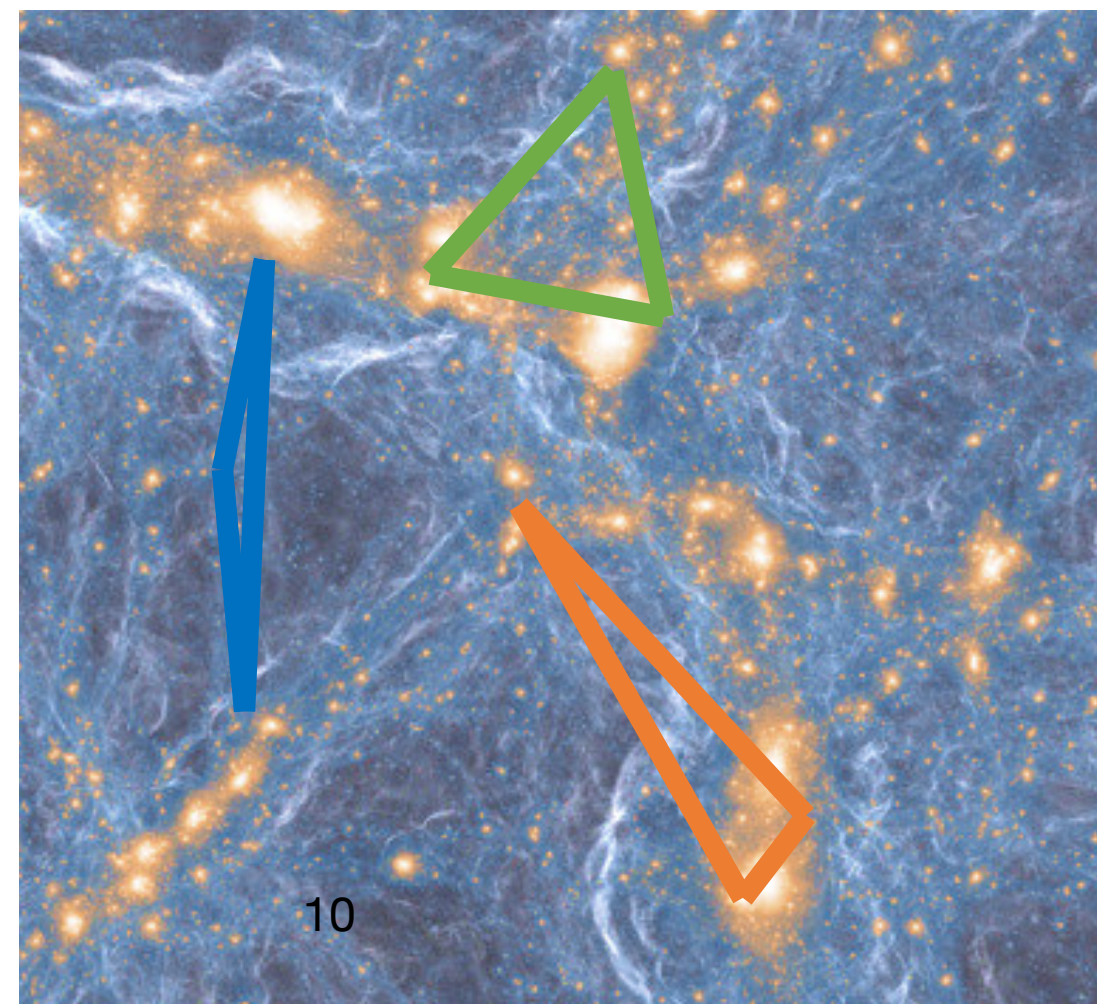
Linear Physics

Non-Linear Physics



Cosmic Microwave Background Correlator

$$\langle \delta T^n \rangle \neq 0?$$



Galaxy Distribution Correlator

$$\langle \delta \rho_{\text{galaxy}}^n \rangle \neq 0?$$



# CMB Constraints (Easyish)

- *Planck* placed **strong** constraints on scalar **three-point** functions

Planck 2018	Local . . . . .	$-0.9 \pm 5.1$
	Equilateral . . . . .	$-26 \pm 47$
	Orthogonal . . . . .	$-38 \pm 24$

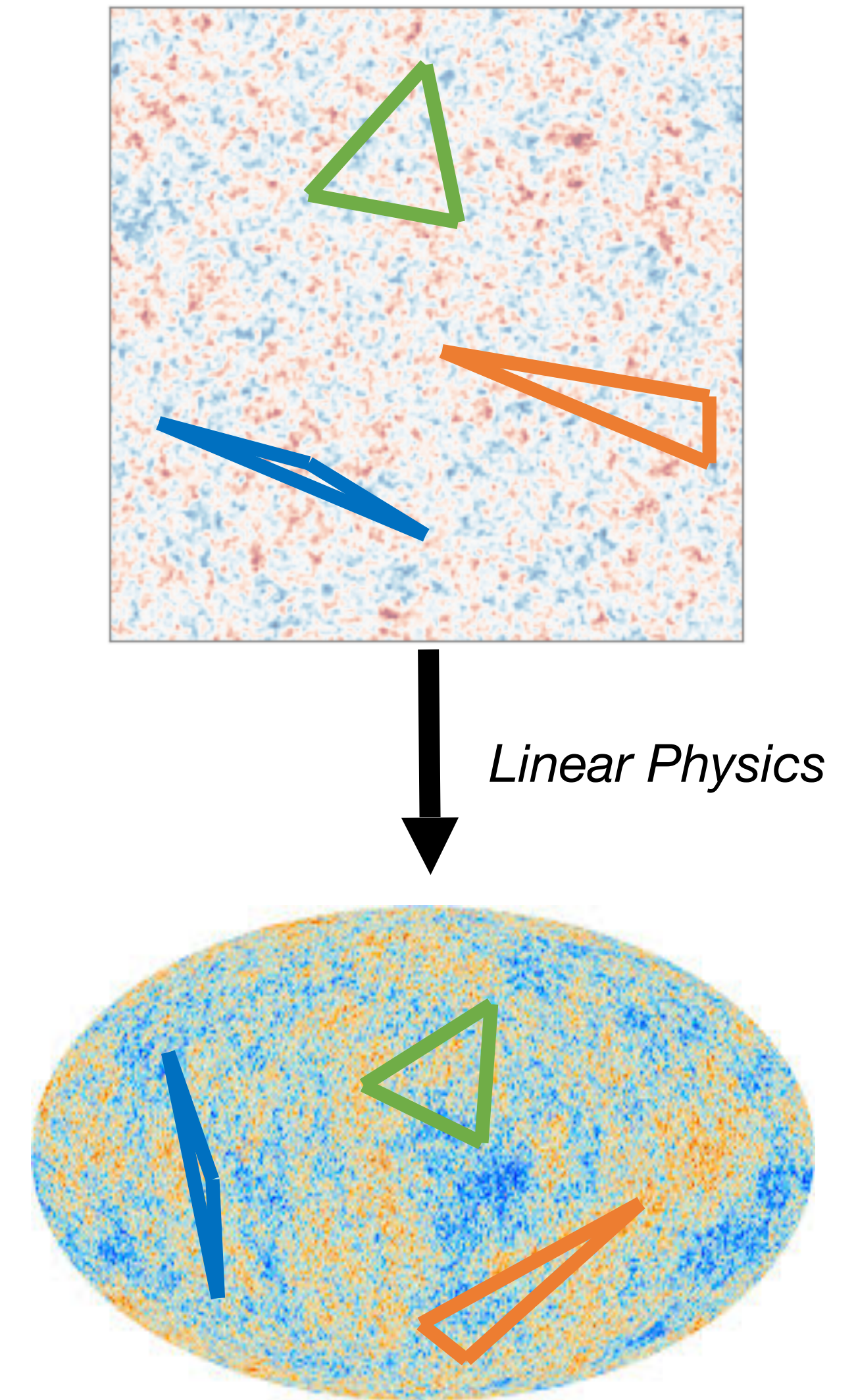
- These span **many** phenomenological templates
- Recent work by Wuhyun Sohn++ group probed **cosmological collider bispectra**

**Conclusion:** Scalar primordial non-Gaussianity is **small!**

$$10^{-5} |f_{\text{NL}}| \ll 1$$

However, we are still far from the (vaguely defined) theory limits

$$\sigma(f_{\text{NL}}) \sim 1$$





# CMB Constraints (Hardish)

- *Planck* can also constrain **tensor three-point** functions

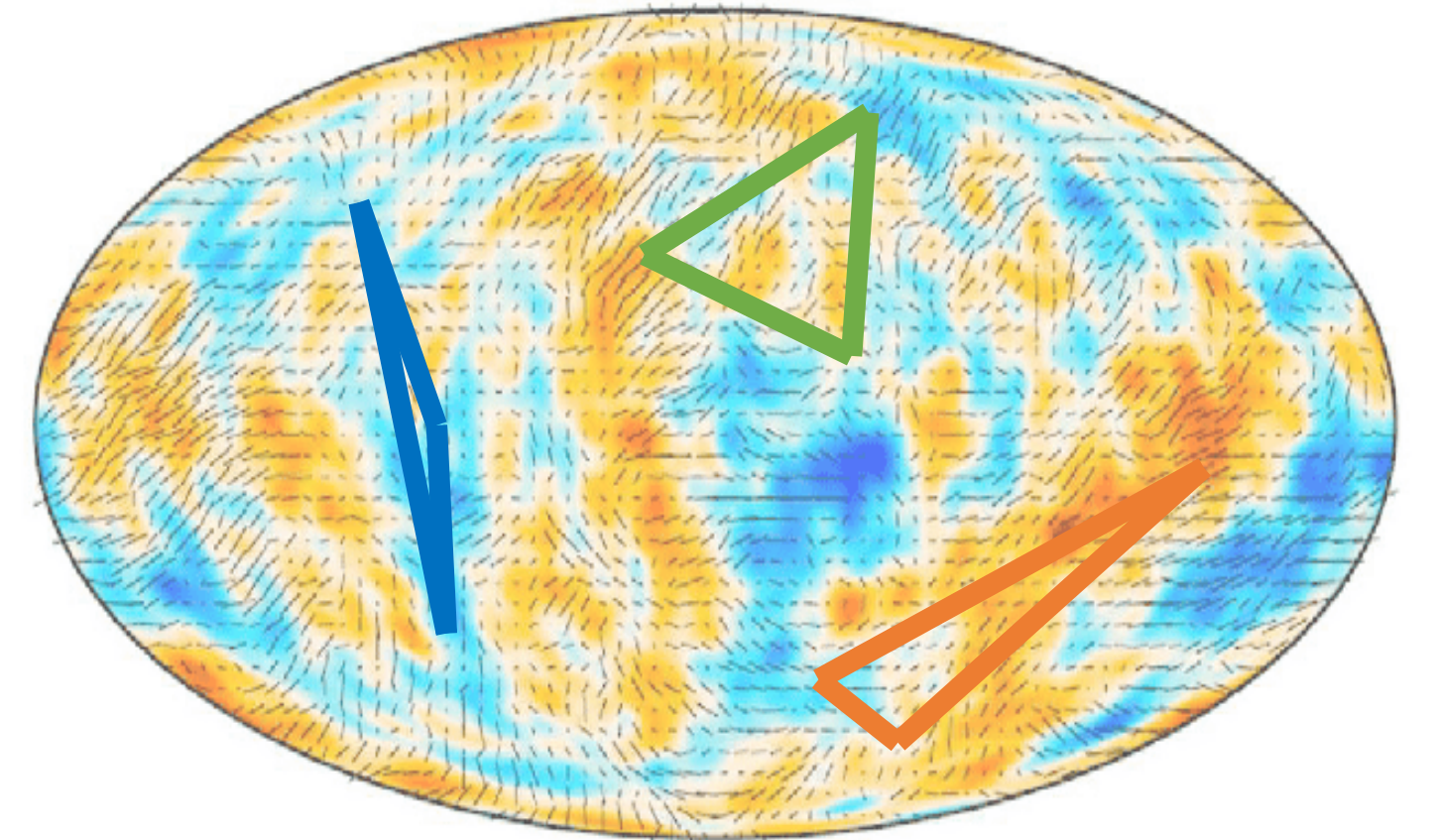
$$\text{e.g., } \langle TTB \rangle \sim \langle \zeta \zeta (h_+ - h_\times) \rangle$$

- Recent work has constrained several **gravitational wave** templates:
  - Weyl gravity, squeezed bispectra, massive gravity, gauge fields, ...

- This uses **binned bispectrum** estimators (not very optimal)
- The signals are mostly on **large scales** due to tensor transfer-functions
- This is limited by **lensing** and **B-mode noise**, not cosmic variance

**Conclusion:** Tensor primordial non-Gaussianity is **small!**

$$10^{-5} |f_{\text{NL}}^{\text{tens}}| \ll 1$$



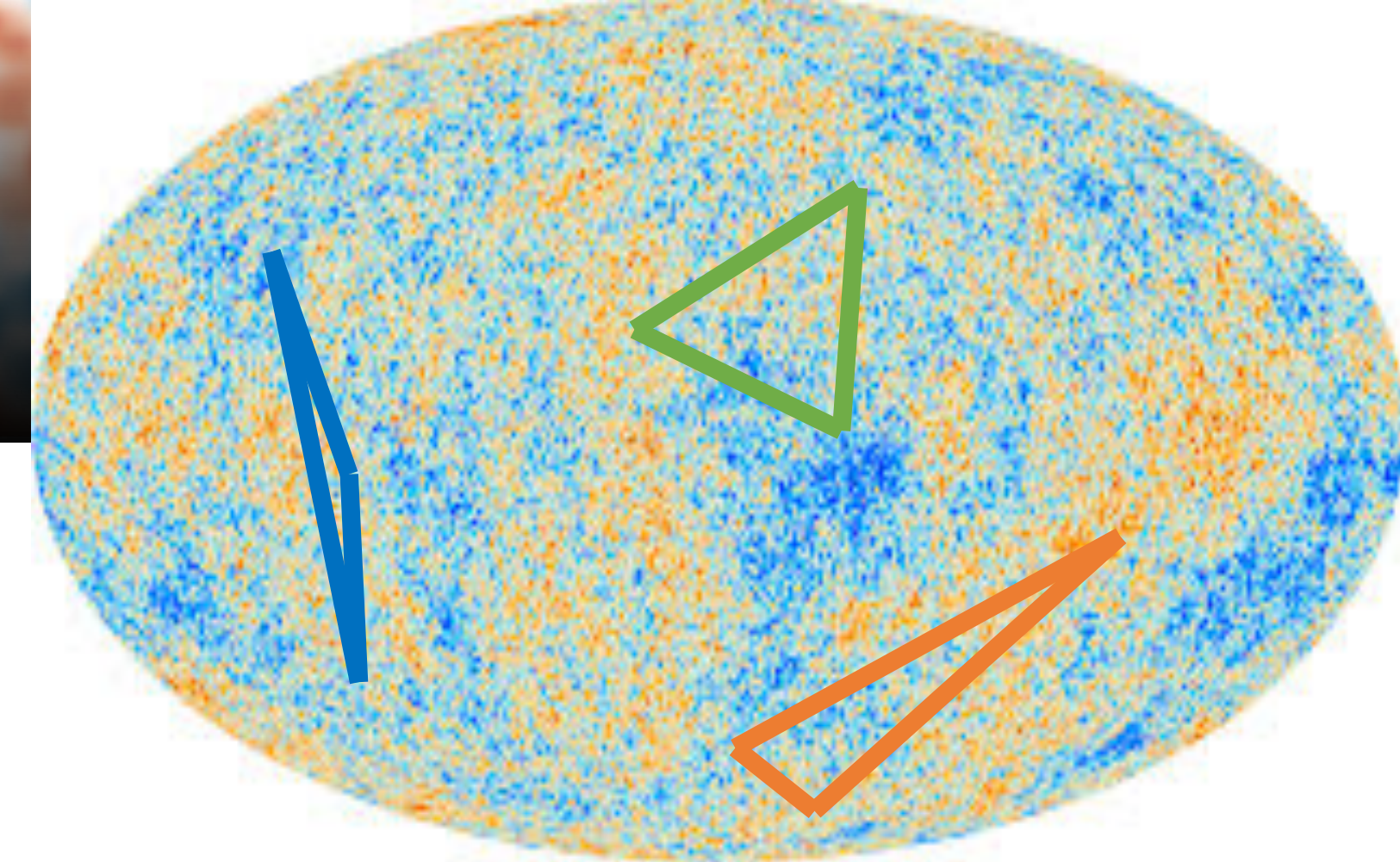
Model		<i>Planck</i>		
		T	T+E	T+E+B
<b>Tensor-Tensor-Tensor</b>				
Squeezed	( $\times 10^{-1}$ )	$51 \pm 32$	$-4 \pm 13$	$7 \pm 9$
Equilateral	( $\times 10^{-2}$ )	$-5 \pm 13$	$-3 \pm 5$	$-0 \pm 3$
$W^3 (n_{\text{NL}} = +1)$	( $\times 10^{-3}$ )	$-63 \pm 34$	$-7 \pm 7$	$8 \pm 4$
$W^3 (n_{\text{NL}} = 0)$	( $\times 10^{-2}$ )	$-8 \pm 14$	$-4 \pm 6$	$4 \pm 4$
$W^3 (n_{\text{NL}} = -1)$	( $\times 10^0$ )	$-3 \pm 41$	$-7 \pm 27$	$-6 \pm 15$
$\widetilde{W}W^2 (n_{\text{NL}} = +1)$	( $\times 10^{-3}$ )	$61 \pm 98$	$-18 \pm 15$	$-8 \pm 6$
$\widetilde{W}W^2 (n_{\text{NL}} = 0)$	( $\times 10^{-2}$ )	$42 \pm 63$	$-9 \pm 11$	$-3 \pm 5$
$\widetilde{W}W^2 (n_{\text{NL}} = -1)$	( $\times 10^0$ )	$136 \pm 222$	$-24 \pm 55$	$5 \pm 20$
$\widetilde{F}F$	( $\times 10^{-2}$ )	$-16 \pm 27$	$-10 \pm 10$	$3 \pm 6$
<b>Tensor-Tensor-Scalar</b>				
$\widetilde{W}W$	( $\times 10^{-2}$ )	$29 \pm 460$	$31 \pm 67$	$5 \pm 11$
<b>Tensor-Scalar-Scalar</b>				
Squeezed	( $\times 10^0$ )	$-17 \pm 31$	$9 \pm 15$	$13 \pm 10$



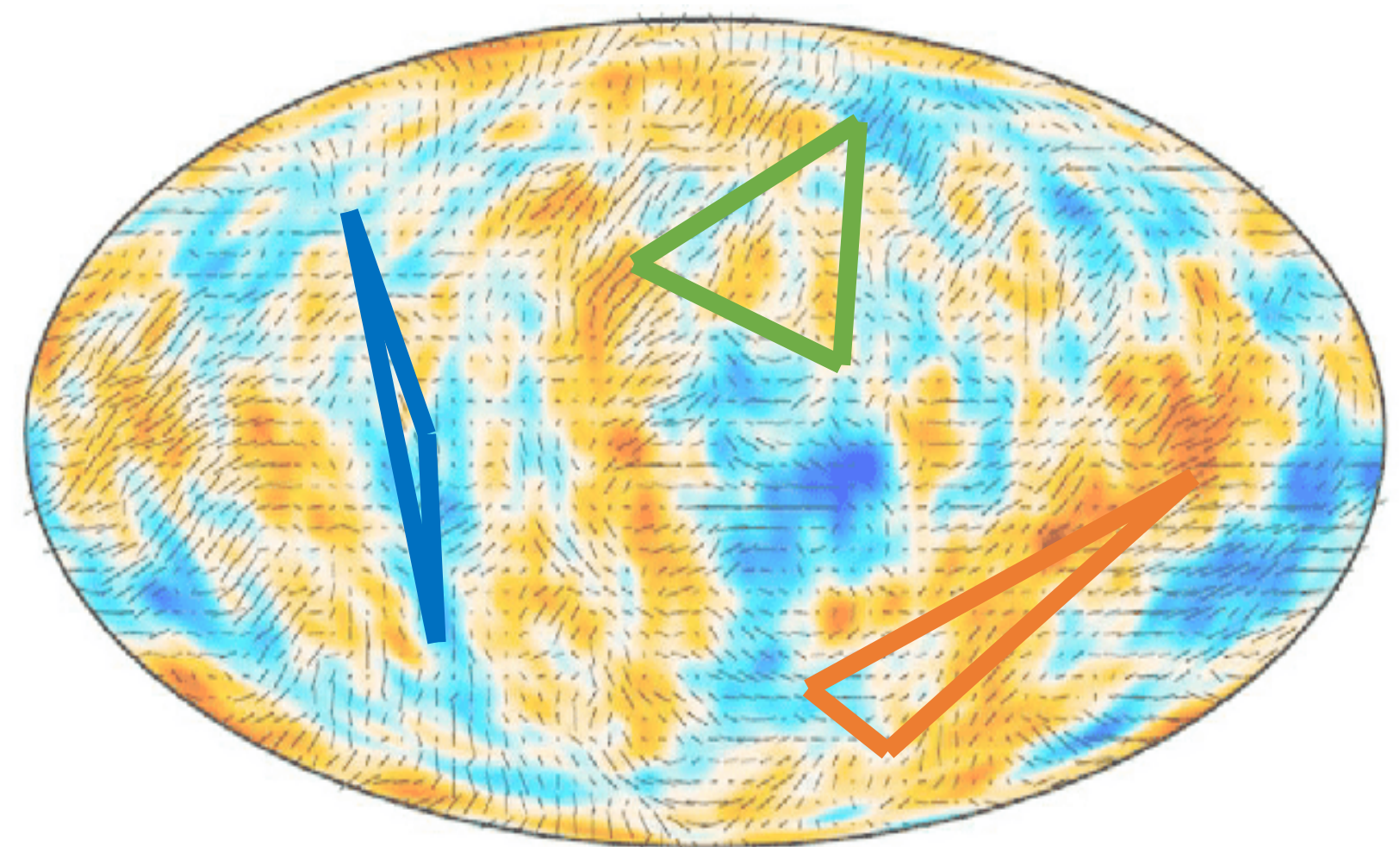
# CMB Constraints (Nightmarish)

- **Very few** previous works have considered **four-point** functions!
- Until recently, we *only* had constraints on
  - Local effects ( $g_{\text{NL}}^{\text{loc}}, \tau_{\text{NL}}^{\text{loc}}$ )
  - Self-interactions (from the EFT of inflation:  $g_{\text{NL}}^{\text{equil}} \times 3$ )
- There's **much** more to learn from the CMB!

**Let's search for primordial physics in the CMB four-point function!**



Planck CMB Temperature



Planck CMB Polarization



# How to Measure a Four-Point Function

- CMB experiments measure the **temperature** and **polarization** across the whole sky

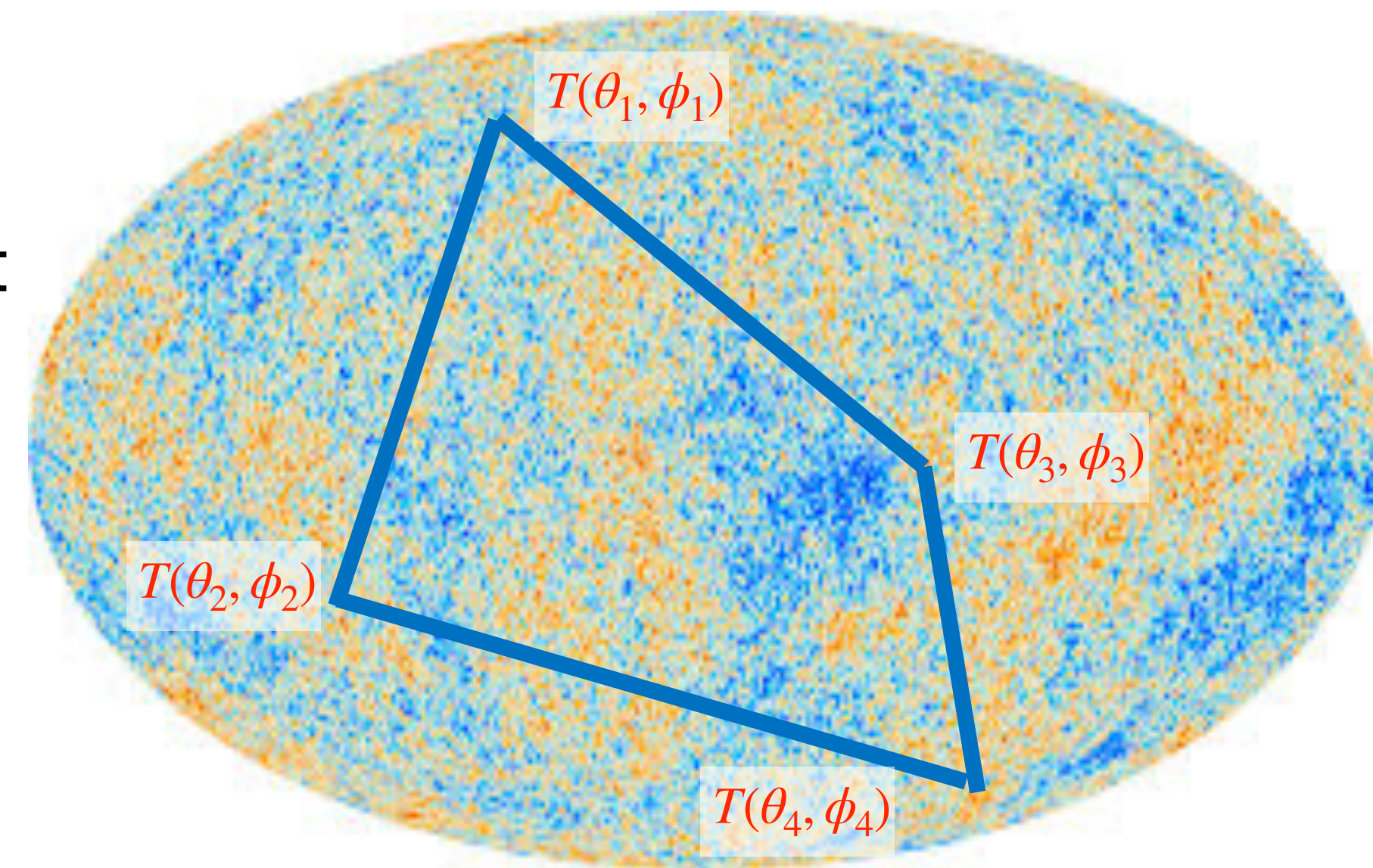
$$T(\theta, \phi), \quad E(\theta, \phi) \quad \leftrightarrow \quad a_{\ell m}^T, \quad a_{\ell m}^E$$

- Since the physics is **linear** we just need to correlate the CMB at **four** angles

$$\langle T(\theta_1, \phi_1) T(\theta_2, \phi_2) T(\theta_3, \phi_3) T(\theta_4, \phi_4) \rangle \leftrightarrow \langle a_{\ell_1 m_1}^T a_{\ell_2 m_2}^T a_{\ell_3 m_3}^T a_{\ell_4 m_4}^T \rangle$$

- BUT:**

- The trispectrum is **8-dimensional**!?
- There's  $10^{28}$  combinations of points?!



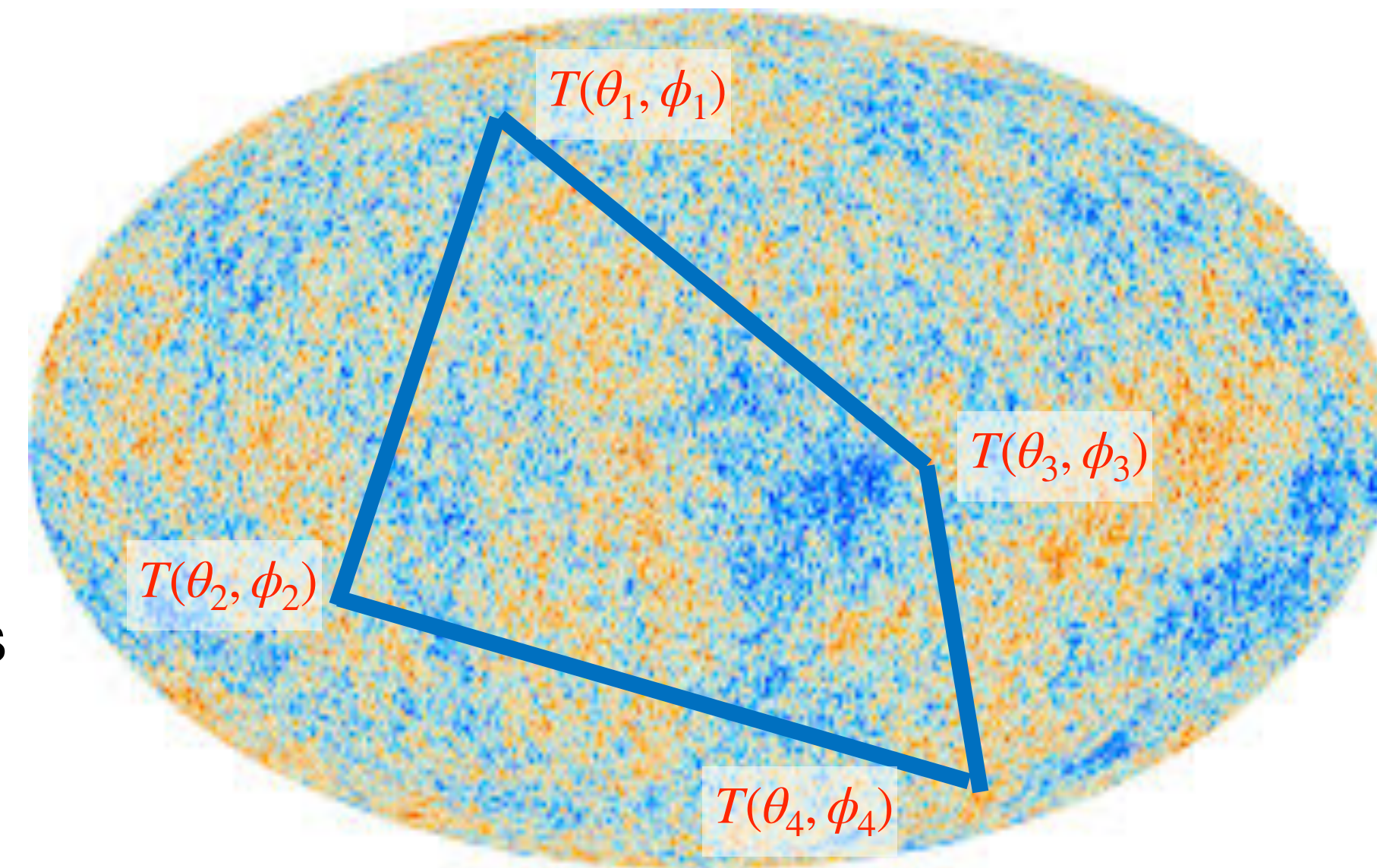


# Optimal Trispectrum Analyses

- To **compress** the data, we'll use techniques from **signal processing**

$$\hat{A} \sim \sum_{\ell_1 m_1 \ell_2 m_2 \ell_3 m_3 \ell_4 m_4} \underbrace{\langle a_{\ell_1 m_1} a_{\ell_2 m_2} a_{\ell_3 m_3} a_{\ell_4 m_4} \rangle_{\text{theory}}^\dagger}_{\text{Model}} \times \underbrace{(a_{\ell_1 m_1} a_{\ell_2 m_2} a_{\ell_3 m_3} a_{\ell_4 m_4})}_{\text{Data}}$$

- We compress all  $10^{28}$  elements into a **single** number!
- This encodes the **amplitude** of a specific model, e.g.,  $\tau_{\text{NL}}$ , which traces the **microphysics** of inflation
- To **compute** the  $\ell, m$  sum we use a variety of tricks, including low-dimensional integrals, harmonic transforms, and Monte Carlo summation
- If the trispectrum can be (integral-) **factorized**, this reduces the complexity from  $\mathcal{O}(\ell_{\text{max}}^8)$  to  $\mathcal{O}(\ell_{\text{max}}^2 \log \ell_{\text{max}})$





# Optimal Trispectrum Analyses

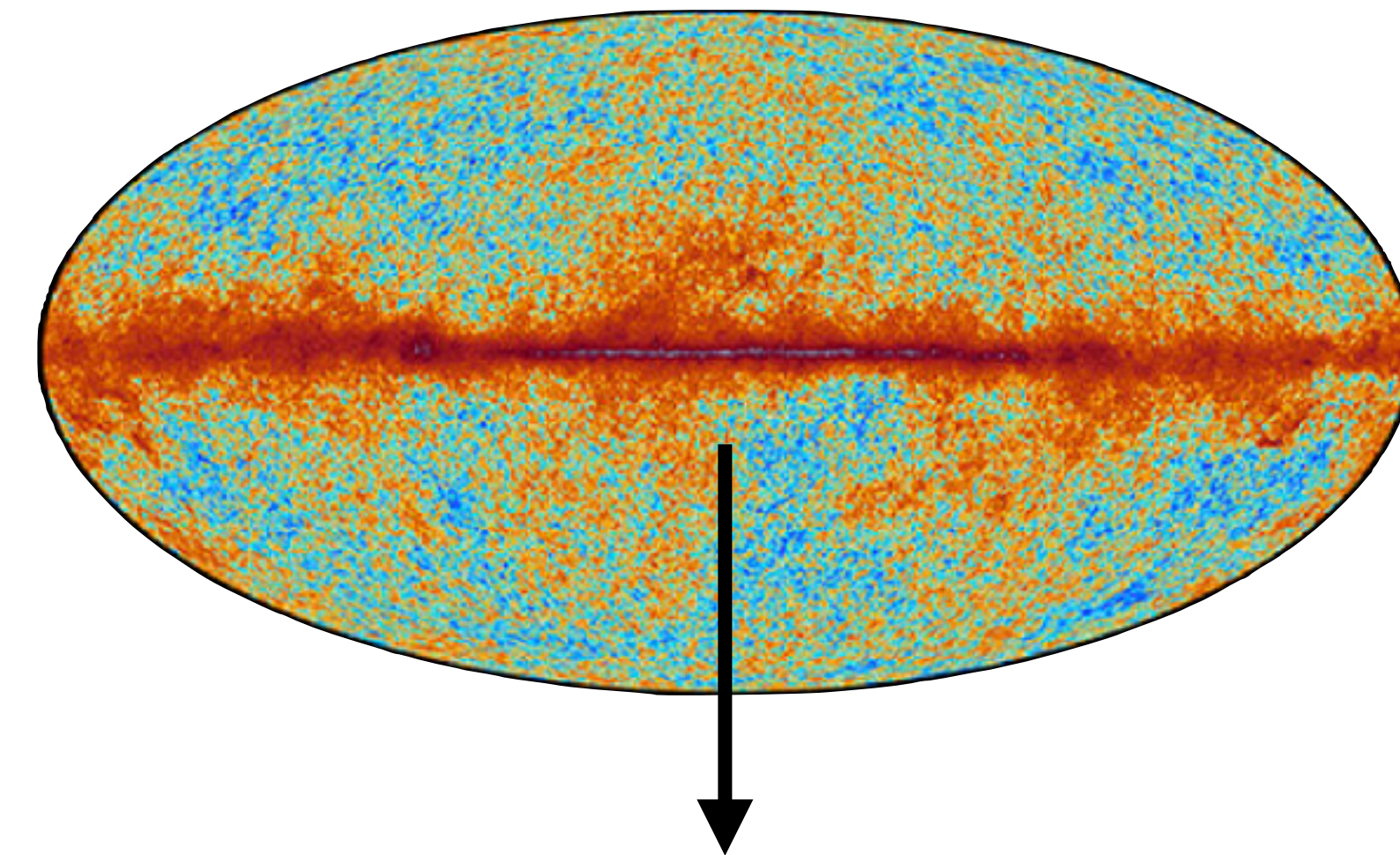


The result: **fast** estimation of four-point amplitudes!

The estimators are

- **Unbiased** (by the mask, geometry, beams, lensing, ...)
- **Efficient** (limited by spherical harmonic transforms)
- **Minimum-Variance** (they saturate the Cramer-Rao bound)
- **Open-Source** (entirely written in Python/Cython)
- **General** (17 classes of model included so far)

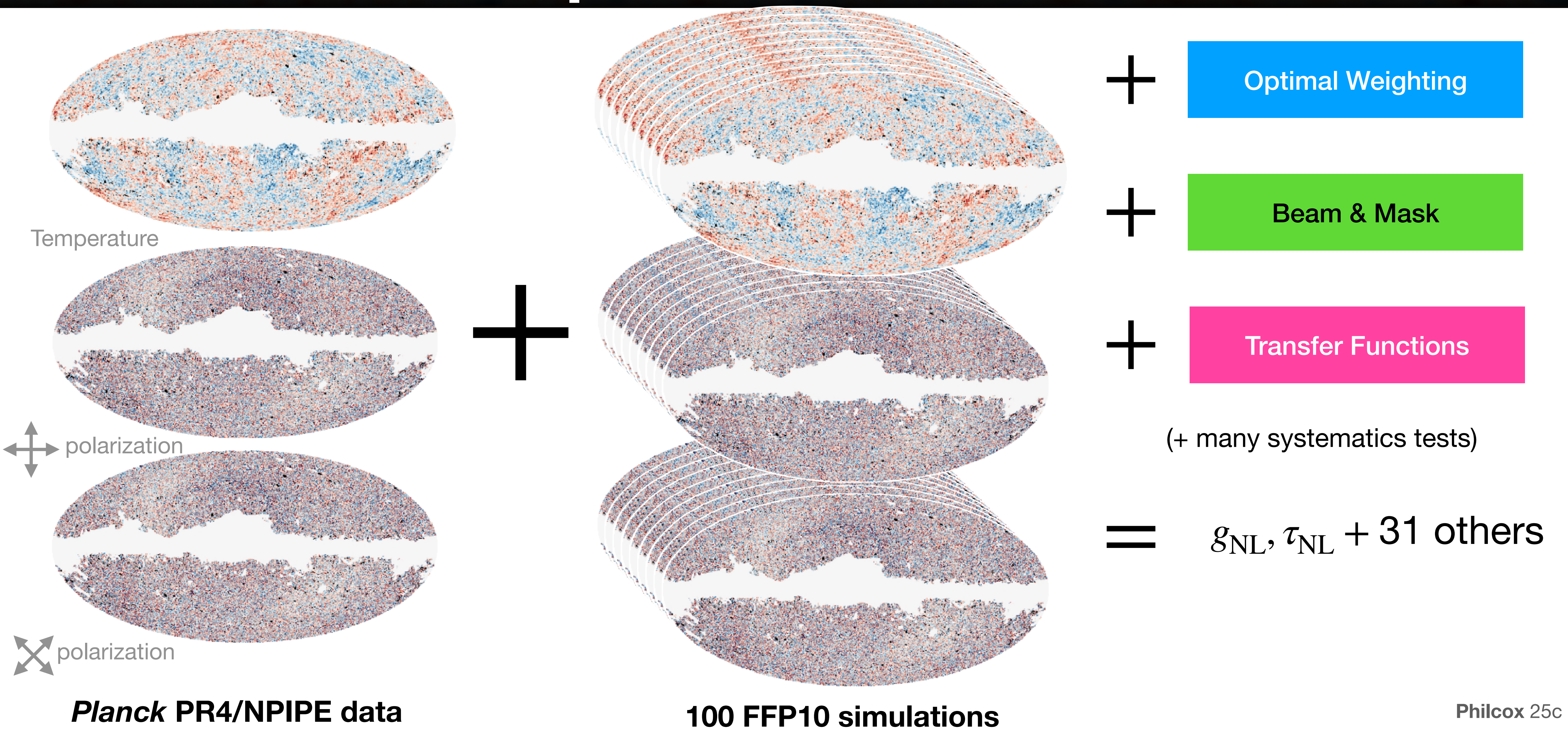
Public at <https://github.com/oliverphilcox/PolySpec>



inflation parameters



# The *Planck* Trispectrum





# Detecting Non-Gaussianity?



## What did we try to detect?

1. **Cubic local** shape ( $g_{\text{NL}}^{\text{loc}}$ )
2. **Quadratic<sup>2</sup> local** shape ( $\tau_{\text{NL}}^{\text{loc}}$ )
3. **Constant** shape ( $g_{\text{NL}}^{\text{con}}$ )
4. **Effective Field Theory of Inflation** shapes ( $\times 3$ )
5. **Direction-Dependent** shapes
6. **Cosmological Collider** Shapes
7. Weak **Gravitational Lensing**
8. Unresolved **Point-Sources**
9. ISW-lensing **Trispectra**



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## Did we detect it?

No

No

No

No ( $\times 3$ )

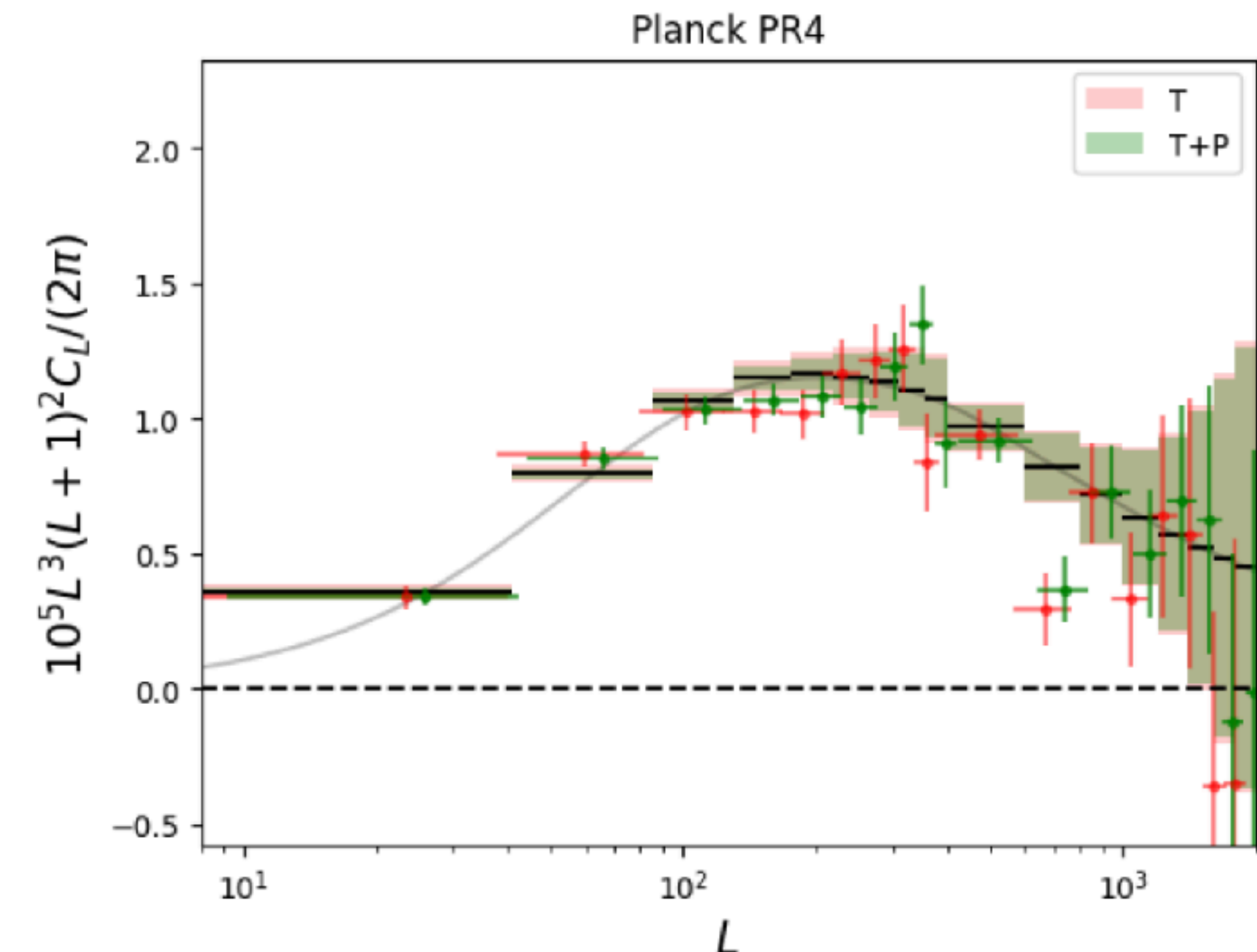
No ( $\times 8$ )

No ( $\times 17$ )

Yes!!!

No

No



**OMG! Lensing!**  
(already detected many times)

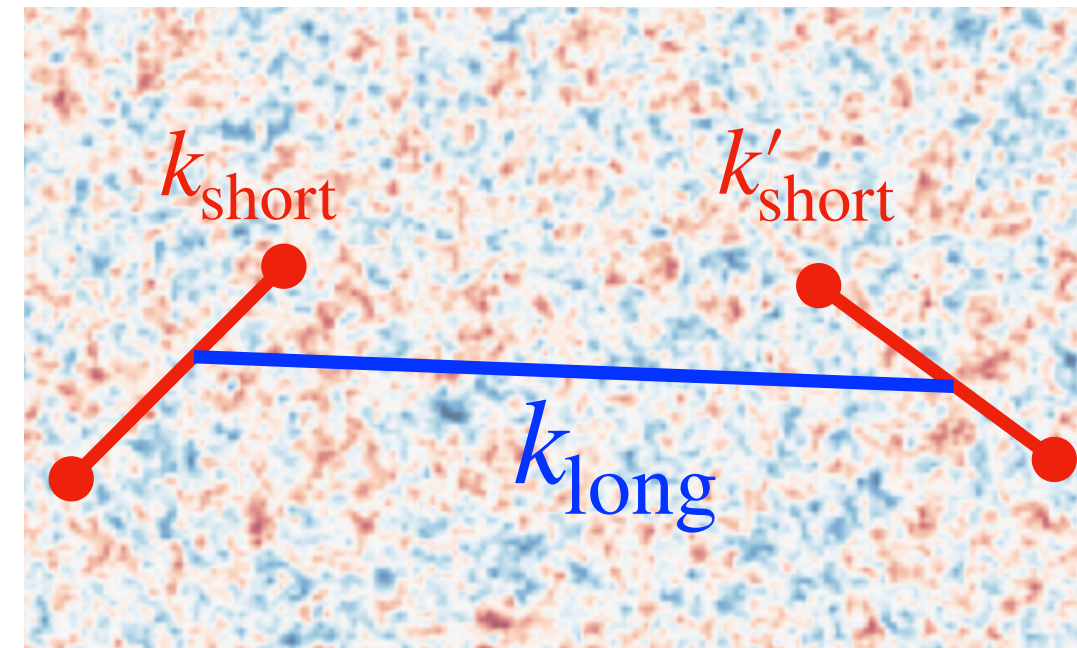


# An Example: Cosmological Colliders

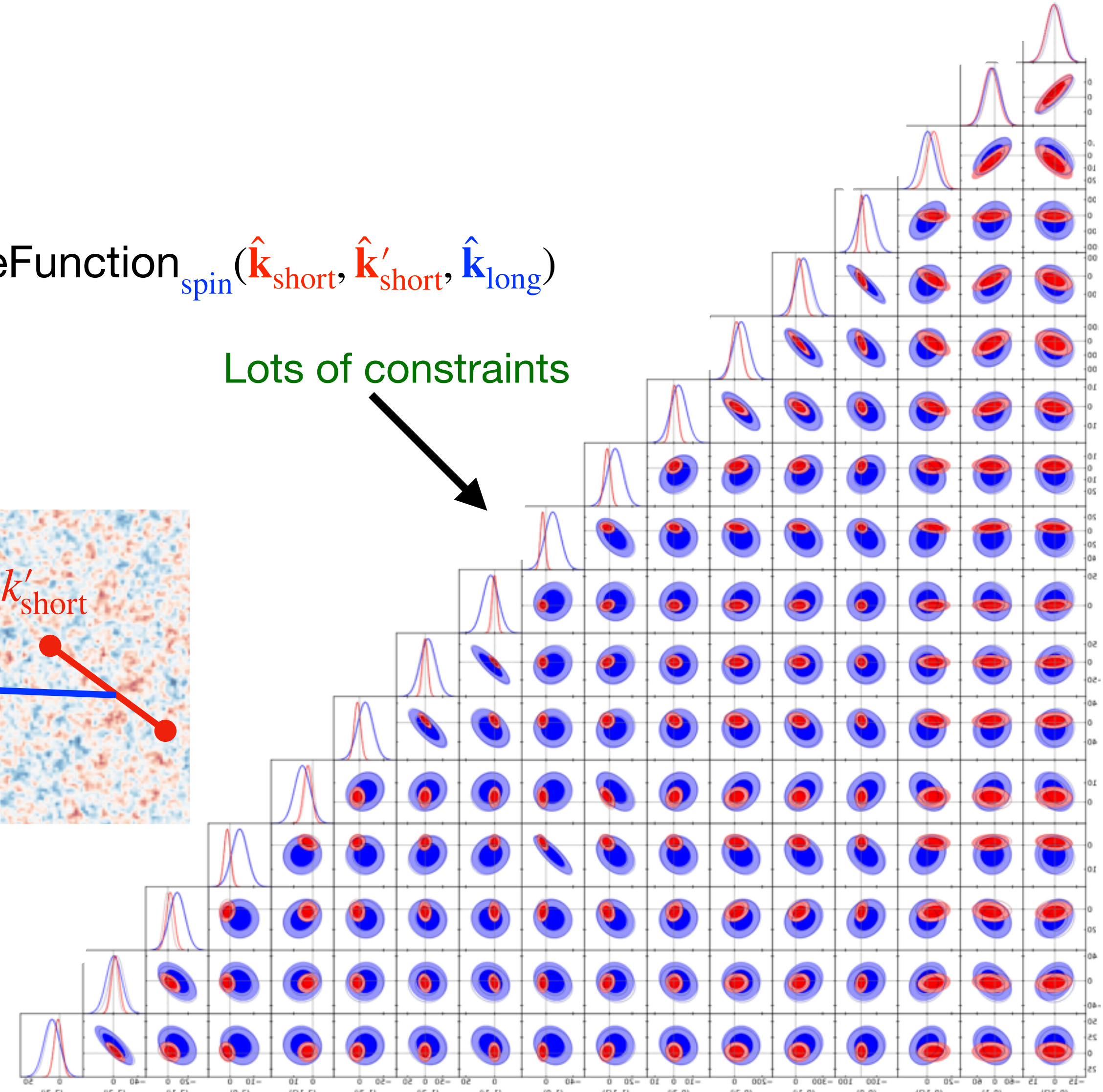
**Model:** inflationary *massive* and *spinning* particles

$$\langle \zeta^4 \rangle \sim P_\zeta(k_{\text{short}})P(k'_{\text{short}})P_\zeta(k_{\text{long}}) \times \left( \frac{k_{\text{long}}^2}{k_{\text{short}}k'_{\text{short}}} \right)^{3/2 \pm i\sqrt{m_\sigma^2/H^2 - 9/4}} \text{AngleFunction}_{\text{spin}}(\hat{\mathbf{k}}_{\text{short}}, \hat{\mathbf{k}}'_{\text{short}}, \hat{\mathbf{k}}_{\text{long}})$$

- Several regimes, including:
  - **Light Fields** (Complementary Series):  
 $m_\sigma \lesssim 3H/2$
  - **Conformally Coupled Fields:**  
 $m_\sigma = 3H/2$
  - **Heavy Fields** (Principal Series):  
 $m_\sigma \gtrsim 3H/2$



Lots of constraints



**No detections!**



# What's Next For the Trispectrum?

There are *many* ways to extend.

## 1. More Data

$$\sigma(\tau_{\text{NL}}) \sim \ell_{\text{max}}^{-2}$$



- ACT, SPT, Simons Observatory, LiteBird, CMB-HD, GMB-S4 will provide data down to **much** smaller scales!
- **Polarization** will be particularly useful and could benefit from **delensing**

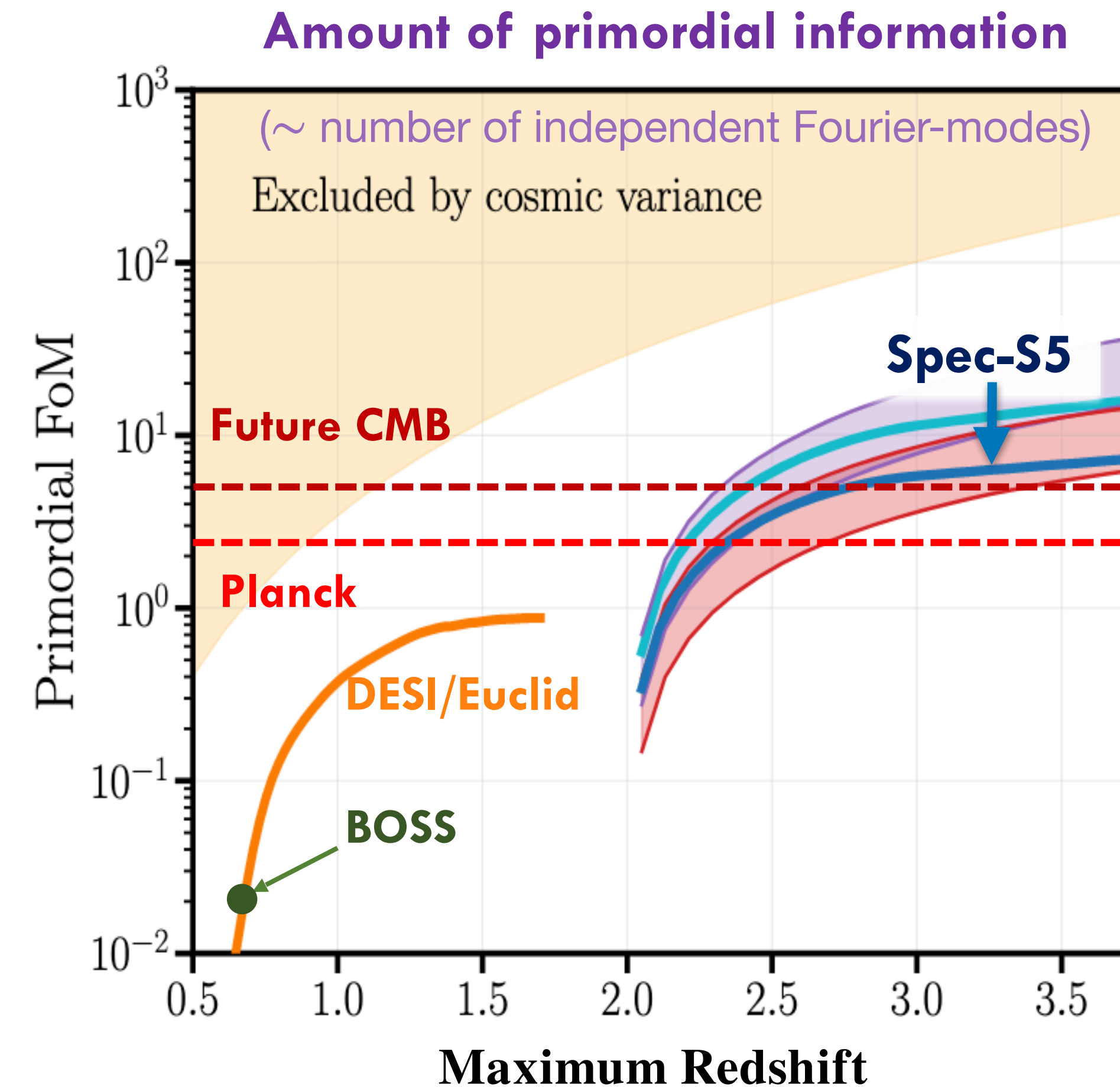
## 2. More Models

- Lighter particles? Heavier particles?
- Tensor non-Gaussianity?
- Collider physics beyond the collapsed limit?
- Thermal baths? Higher-spin particles? Modified sound speeds? Fermions?
- Scale-dependence? Isocurvature? Primordial magnetic fields?



# The Future of Non-Gaussianity

- Future **CMB** experiments will improve bounds by  $\lesssim 10 \times$   
( $f_{\text{NL}}^{\text{loc}}$  might be better)
  - This is a **two-dimensional** field
  - We're running out of modes to look at!
  - Small-scales are **hard**
- What about **galaxy surveys**?
  - The data precision is **rapidly increasing**
  - This is a **three-dimensional** field
    - We aren't limited by **projection effects**
  - There are new observables e.g., galaxy **shapes**



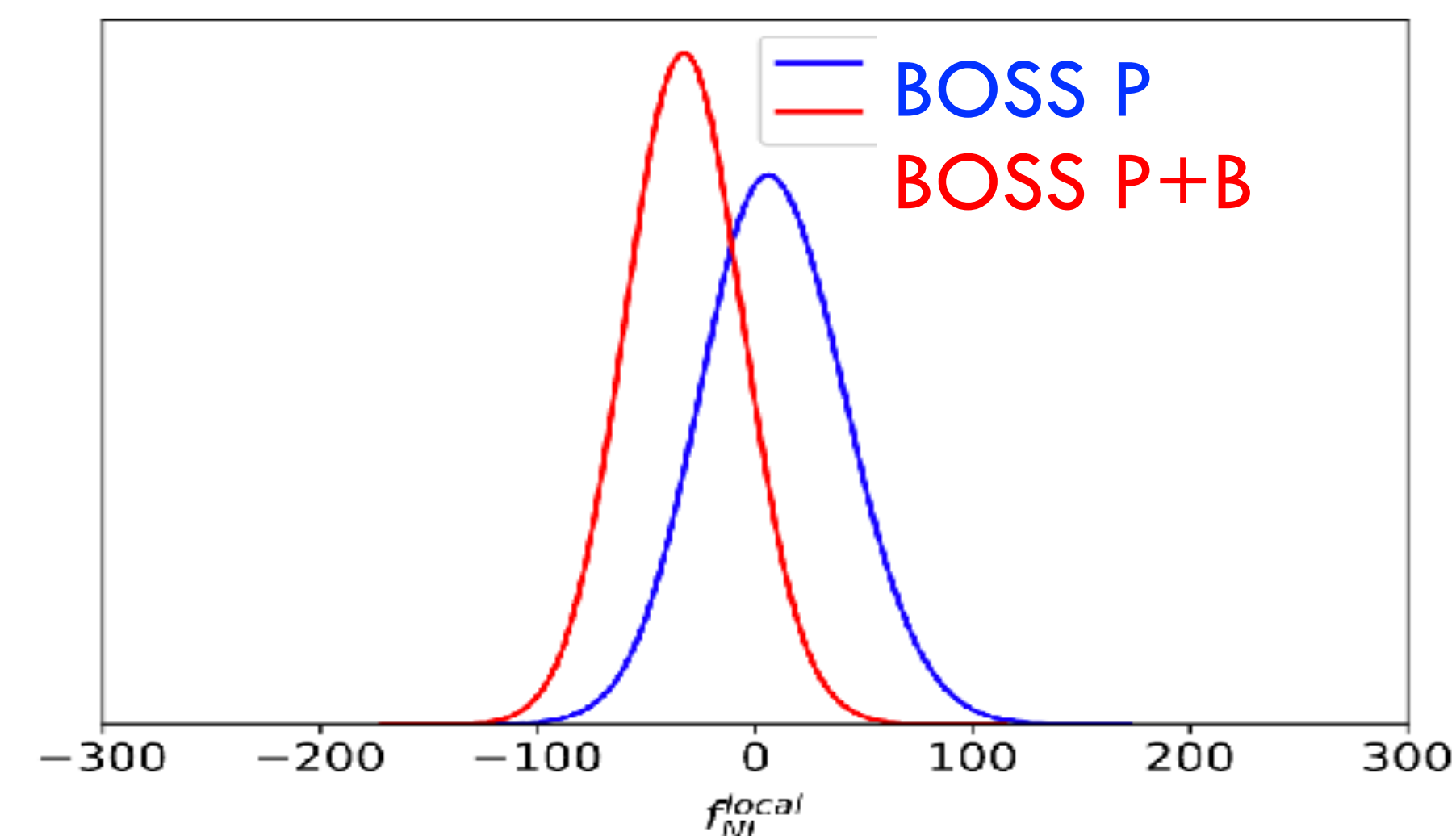


# Inflation from Galaxy Surveys

## LOCAL

- The **BOSS galaxy survey** has been used to constrain primordial **three-point** functions using the
  - One-loop** power spectrum:  $P_\ell(k) \supset f_{\text{NL}} P_{12}$
  - Tree-level** bispectrum:  $B_0(k_1, k_2, k_3) \supset f_{\text{NL}} B_{111}$
  - Skew-spectra**:  $P[\delta, \delta \star \delta] \supset f_{\text{NL}} B_{111}$
- We have constrained:
  - Local** three-point functions  $f_{\text{NL}}^{\text{loc}}$  from additional **light fields**

See Dennis' talk for Euclid prospects!  
See Marina's talk for eBOSS quasars!



$$f_{\text{NL}}^{\text{loc}} = -33 \pm 28 \quad (9 \pm 34 \text{ w/o } B_g)$$

(Now better with DESI Quasars:  $\pm 9$ )

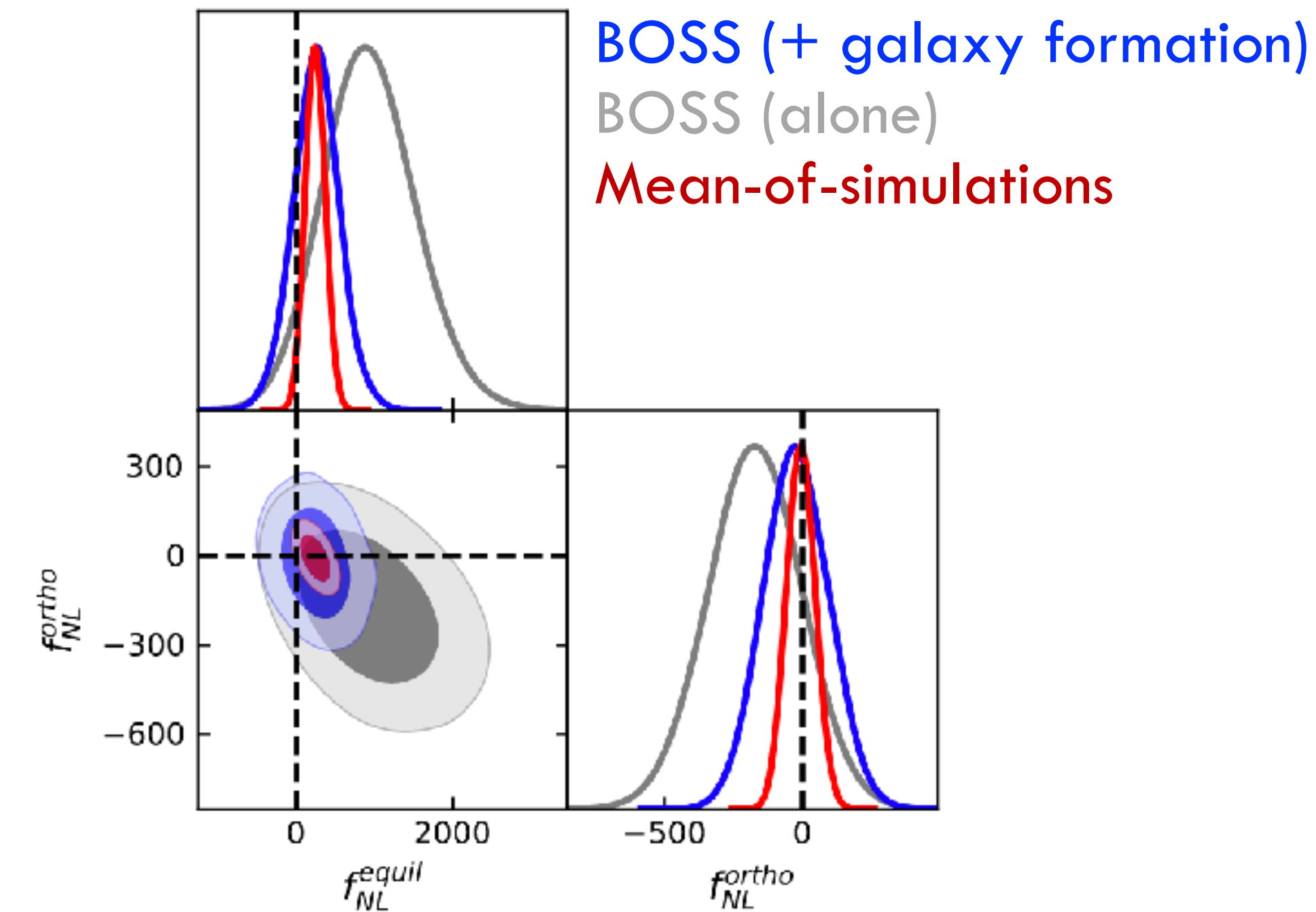
(CMB:  $\pm 5$ , Target:  $\pm 1$ )



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- We have constrained:
  - **Local** three-point functions  $f_{\text{NL}}^{\text{loc}}$  from additional **light fields**
  - **Equilateral** three-point functions  $f_{\text{NL}}^{\text{eq,orth}}$  from cubic interactions in single-field inflation

## SELF-INTERACTION



$$f_{\text{NL}}^{\text{eq}} = 260 \pm 300, f_{\text{NL}}^{\text{orth}} = -23 \pm 120$$

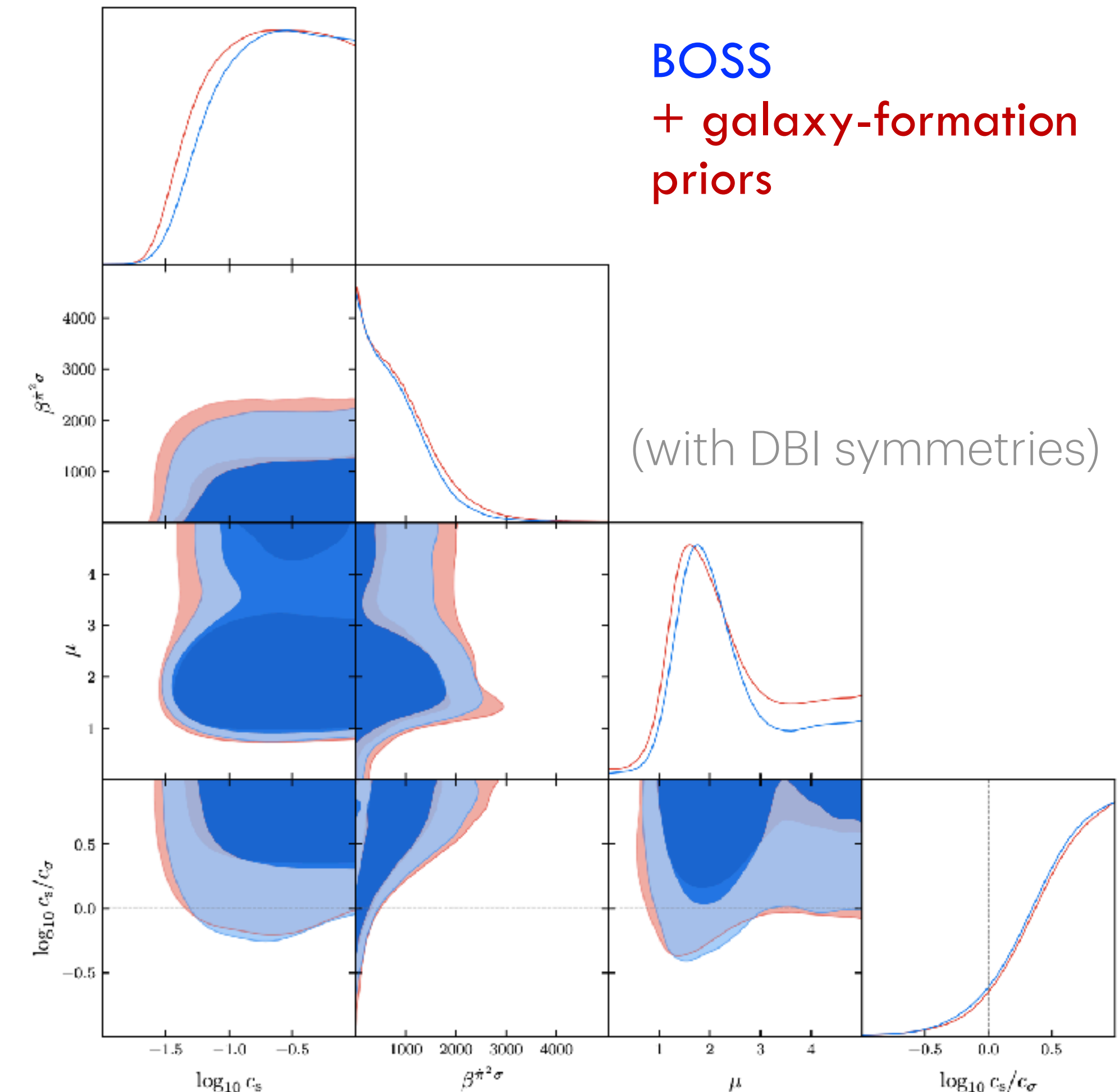
(CMB:  $\pm 50, \pm 25$ , Target:  $\pm 1$ )



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- We have constrained:
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  - **Equilateral** three-point functions  $f_{\text{NL}}^{\text{eq,orth}}$  from cubic interactions in single-field inflation
  - **Collider** three-point functions from the exchange of massive *scalar* fields

## MASSIVE PARTICLE





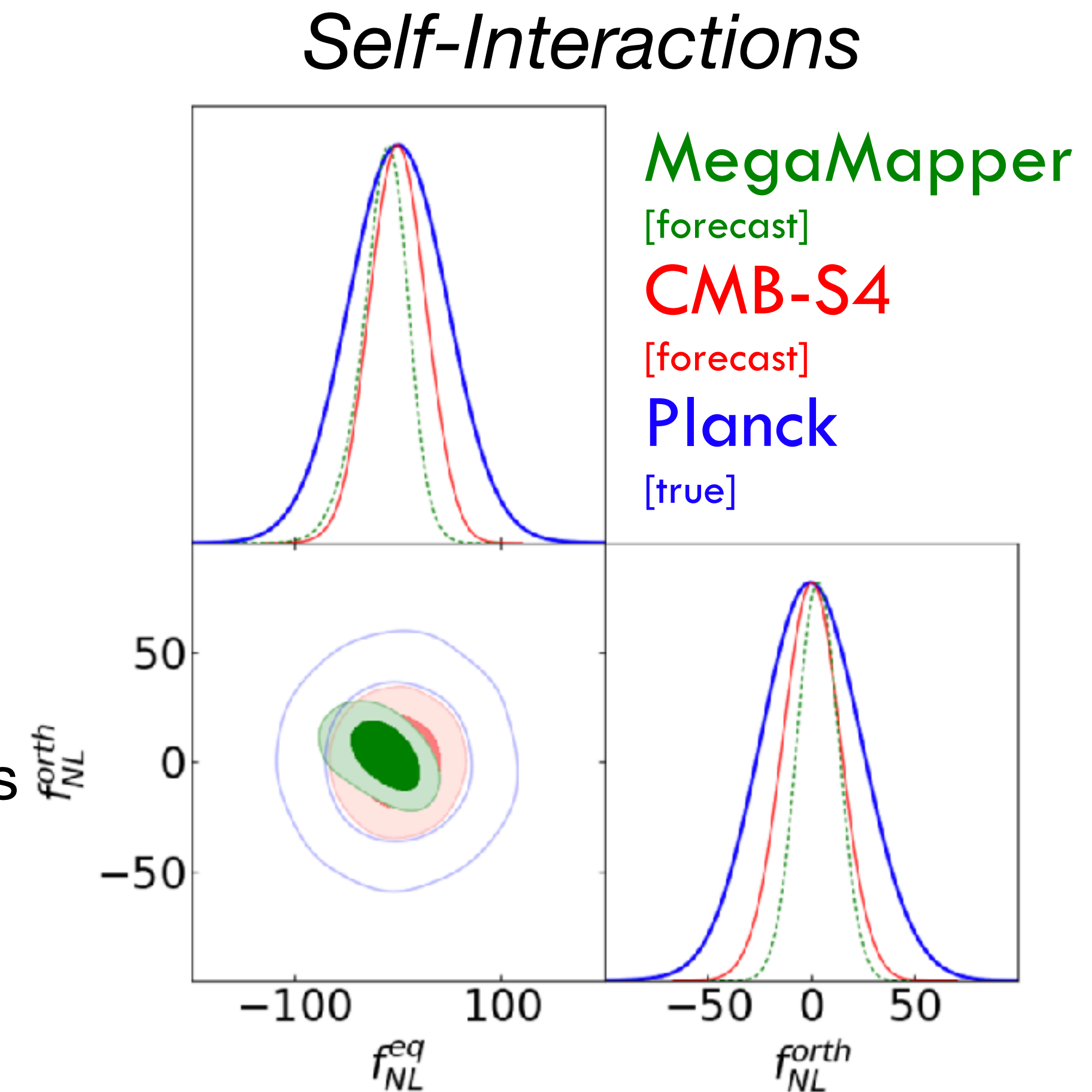
# Why are the constraints so bad?

- Current LSS constraints are  $\sim 5 - 20 \times$  worse than the CMB, because:
  - **Volume** — BOSS contains fewer modes than Planck
  - **Scale-cuts** — we can't model beyond  $k_{\text{NL}}$
  - **Galaxy formation** — few assumptions on non-linear physics
  - **Statistics** — information propagates to other observables



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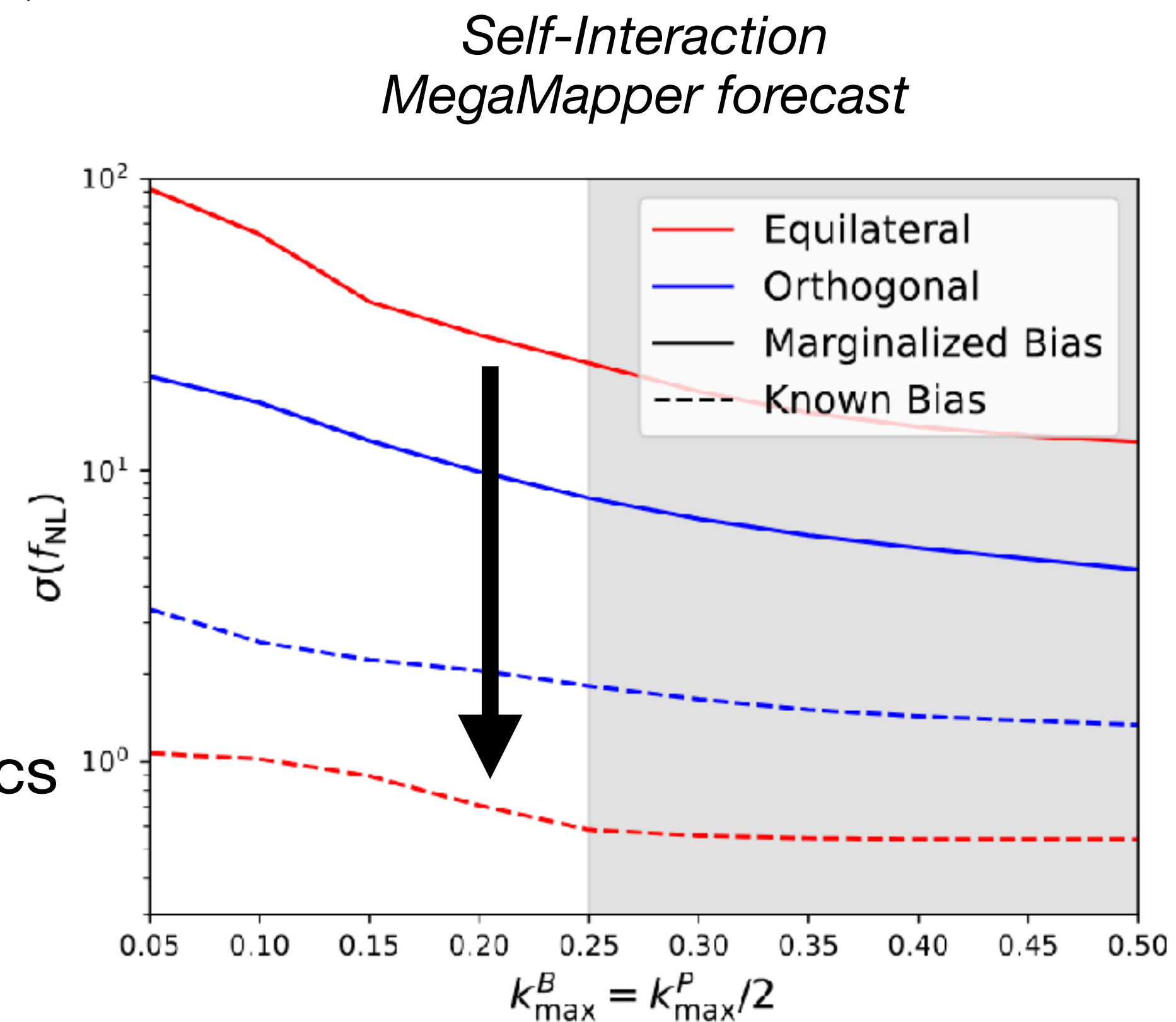
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  - **Volume** — BOSS contains fewer modes than Planck
    - DESI, Euclid, Spec-S5 will improve this
  - **Scale-cuts** — we can't model beyond  $k_{\text{NL}}$ 
    - Use **simulations** or *non-linear responses*  
**See Sam's talk / Will's talk**
  - **Galaxy formation** — few assumptions on non-linear physics
    - (Careful) **priors** on bias parameter relations
  - **Statistics** — information propagates to other observables
    - Use **new statistics**





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  - **Volume** — BOSS contains fewer modes than Planck
    - DESI, Euclid, Spec-S5 will improve this
  - **Scale-cuts** — we can't model beyond  $k_{\text{NL}}$ 
    - Use **simulations** or *non-linear responses*
  - **Galaxy formation** — few assumptions on non-linear physics
    - (Careful) **priors** on bias parameter relations
  - **Statistics** — information propagates to other observables
    - Use **new statistics**



(Optimistic  $k_{\text{max}}$  — see Jamie's talk)



# Why are the constraints so bad?

- Current LSS constraints are  $\sim 5 - 20 \times$  worse than the CMB, because:
  - **Volume** — BOSS contains fewer modes than Planck
    - DESI, Euclid, Spec-S5 will improve this
  - **Scale-cuts** — we can't model beyond  $k_{\text{NL}}$ 
    - Use **simulations** or *non-linear responses*
  - **Galaxy formation** — few assumptions on non-linear physics
    - (Careful) **priors** on bias parameter relations
  - **Statistics** — information propagates to other observables
    - Use **new statistics**

## Other observables

Trispectra / kurtospectra

kSZ correlators

CMB lensing correlators

Weak lensing statistics

Galaxy shapes

Galaxy spins

Halo mass functions

(and many others)



# The Next Generation of LSS

- DESI has already observed **millions** of galaxies across a wide range of redshifts
- So far, this has been used primarily through:
  - **BAO** parameters:  $\alpha_{\parallel,\perp} \sim r_d/D_A(z), H(z)r_d$
  - **Power spectra** (galaxies & Ly- $\alpha$ )
- to measure  $\Lambda$ CDM + extensions:
  - $H_0, \Omega_m, \sigma_8, \sum m_\nu$
  - $\Omega_k, w_0, w_a$
  - $f_{\text{NL}}^{\text{loc}}$

The year one data is now **public** — what else could we measure?



*Each blob is a 3D galaxy position!*



# The Next Generation of LSS

- The first (roughly independent) **re-analyses** of DESI data are being performed!
  - These include **power spectra & bispectra** from all galaxy chunks
- This is **hard**:
  - The public data only contains galaxy **positions** and **weights**
  - There's no **simulations** to use or **covariances**
- There's lots of **systematics** to account for, including:
  - **Fiber collisions**
  - **Bispectrum** window functions
  - **Angular** systematics

TARGETID int64	Z float64	NTILE int64	RA float64	DEC float64	...
39627540901396844	0.42060841162467566	1	159.30684159361635	-10.155757636765902	...
39627546836338876	0.8668980715716706	1	158.44667596279407	-9.962760066342906	...
39627546840531340	0.9348172077800124	1	158.4799294702238	-9.880343166939232	...
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39627546844725593	0.7619120932610688	1	158.72751630870823	-10.011383569041937	...
39627546844726132	0.8129116729090922	1	158.76343950179967	-9.912671320450734	...
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39627546848921194	0.8148312339778753	1	159.052157885943	-9.992428612452807	...
39627546848922139	0.7200341373651288	1	159.10202657806508	-9.938566366253678	...
39627546848922621	0.7606337242857438	1	159.1309146297404	-10.02377942401391	...
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39627546848923188	0.7210857282186207	1	159.16399100631358	-9.912947332242044	...
39627546848923381	0.569430729151765	1	159.17802210549974	-9.97892860399317	...
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39627546848923493	0.9513285375888253	1	159.1840389390485	-9.910321824120278	...
39627546848923519	0.7212784017696859	1	159.1860701777553	-9.944737378735352	...
39627546853114634	0.8131126675553368	1	159.25137421856687	-10.058275905081851	...
39627546853115304	0.5559672054059013	1	159.28855963426028	-9.955979493106813	...
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39627546853115682	0.9274570688680336	1	159.30835543527493	-10.106935803496164	...
...	...	...	...	...	...

## Reanalyzing DESI DR1:

### 1. $\Lambda$ CDM Constraints from the Power Spectrum & Bispectrum

Anton Chudaykin,<sup>1,\*</sup> Mikhail M. Ivanov,<sup>2,3,†</sup> and Oliver H.E. Philcox<sup>4,5,6,7,‡</sup>

[arXiv:2507.13433](https://arxiv.org/abs/2507.13433)

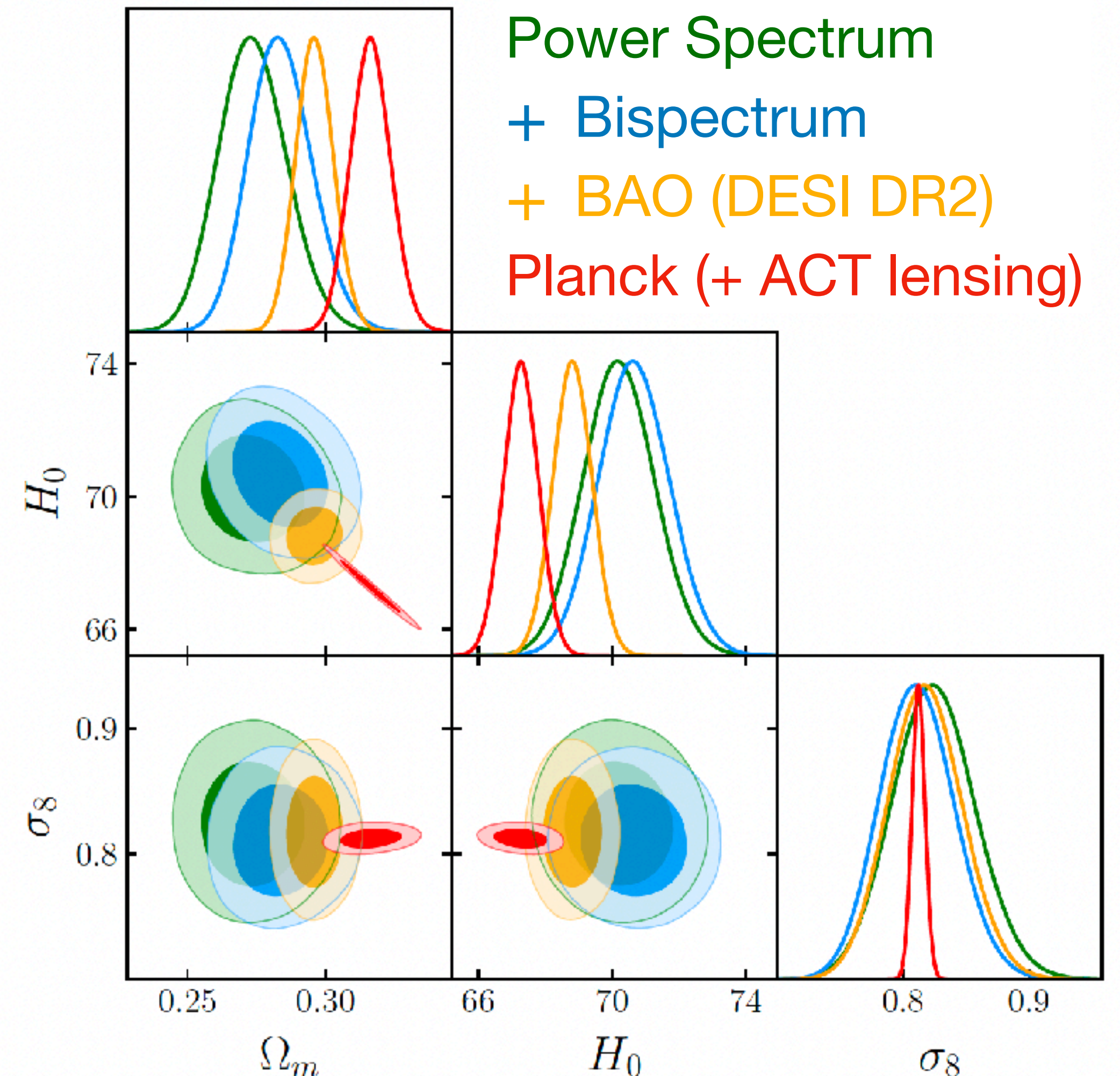




# The Next Generation of LSS

- The first (roughly independent) **re-analyses** of DESI data are being performed!
  - These include **power spectra & bispectra** from all galaxy chunks
- So far, we only have published  $\Lambda$ CDM constraints
  - $\Lambda$ CDM extensions coming soon!
- There's a **lot** more to explore, including:
  - *Bispectrum templates*:  $f_{\text{NL}}^{\text{loc}}, f_{\text{NL}}^{\text{eq}}, f_{\text{NL}}^{\text{orth}}$
  - *Cosmological colliders* (including mass and spin)
  - *Trispectrum templates*:  $g_{\text{NL}}^{\text{loc}}, \tau_{\text{NL}}^{\text{loc}}, g_{\text{NL}}^{\text{eq}}, \dots$

## DESI DR1 Constraints





# Summary

- There are many sources of inflationary non-Gaussianity
- The CMB is a **powerful** probe for measuring PNG  
(though the results are depressing)
- Galaxies will become a leading probe of PNG  
(eventually)