

High-redshift Galaxy Bias for Stage-V Spectroscopic Surveys

New Physics from Galaxy Clustering at GGI

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(based on work w/ **Misha Ivanov**, **Carol Cuesta-Lazaro**,
& Ni, Bose, Hadzhiyska, Hernquist, Hernández-Aguayo, Kannan)

[arXiv: 2505.03626](https://arxiv.org/abs/2505.03626)



The Brinson Foundation





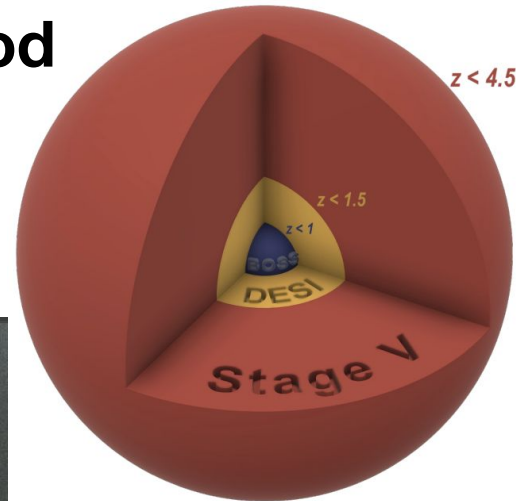
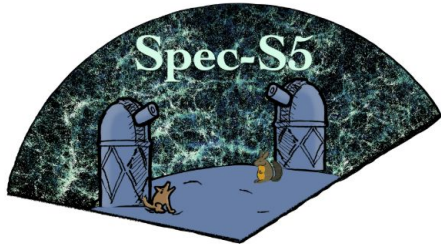
Future surveys

Future of LSS is at $z > 2$ (*Noah's talk*)

DESI-II, Spec-S5 (US), WST (EU), MUST (CN)

↑: large k_{NL} , probe new volume

↓: tyranny of D_{L} , galaxies not well understood



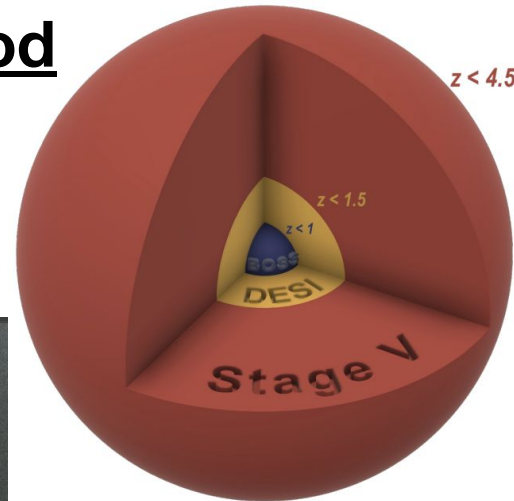
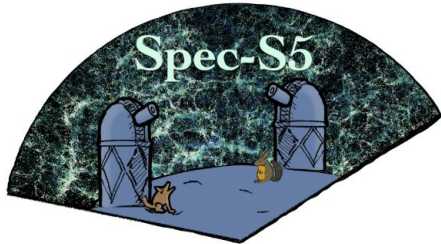
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What kind of galaxies?

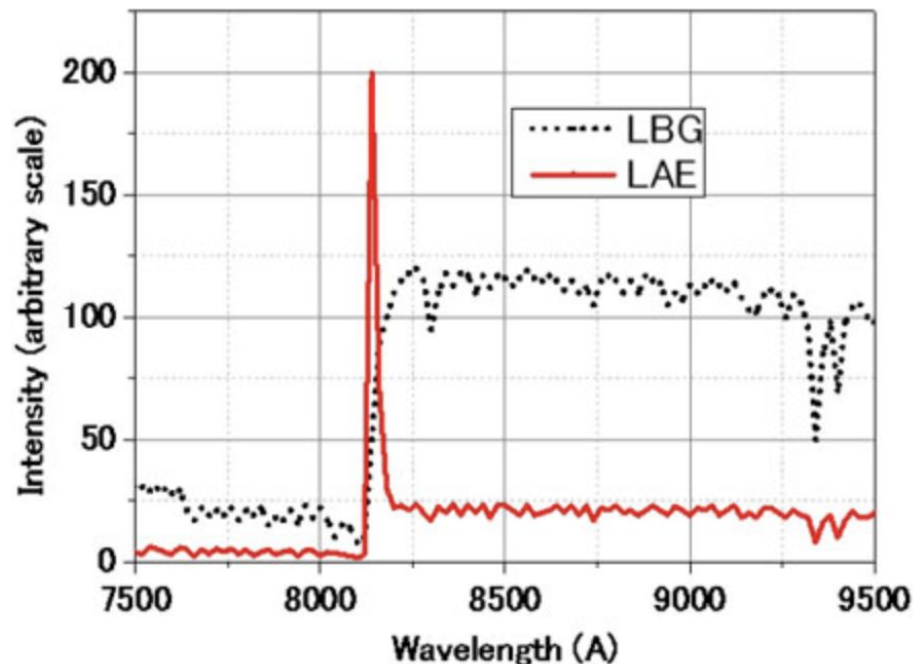
Lyman-alpha emitters (LAEs):

- **Line selection** (~ELGs)
- Lower mass, bias $b_1 \sim 2$

Lyman-break galaxies (LBGs):

- Break selection (--)
- ~Higher mass, brighter, higher bias $b_1 \sim 3.5 - 4$

Both star-forming



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What are higher-order biases? What is k_{\max} ?

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1. Use simulated galaxies (MTNG, Astrid)*
2. Look at existing (small-field) data (ODIN, CARS)
3. Match b_1 , number density, to observed $w(\theta)$
4. Measure biases, P_{err} at field-level (cancel s.v.)

Simulation Selection

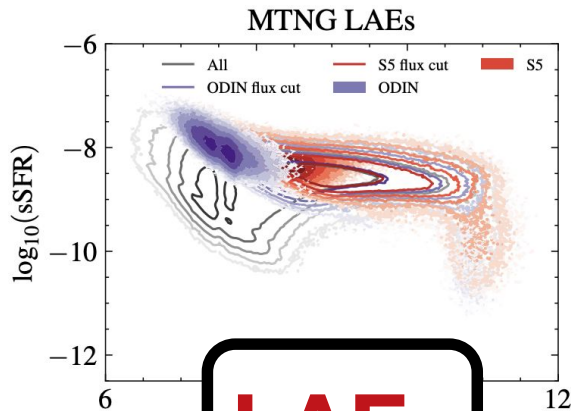
No realistic colors
or spectra

Do best possible w/
hydro properties

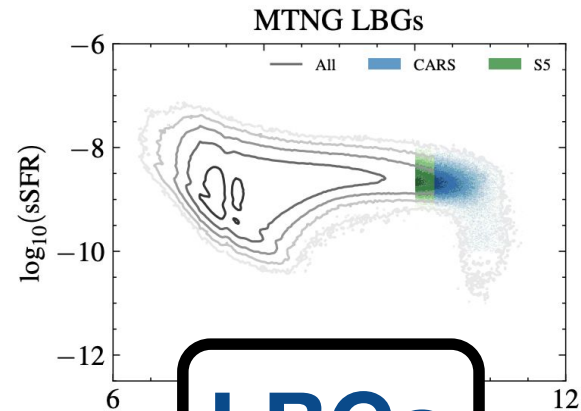
Stellar mass

Star formation rate

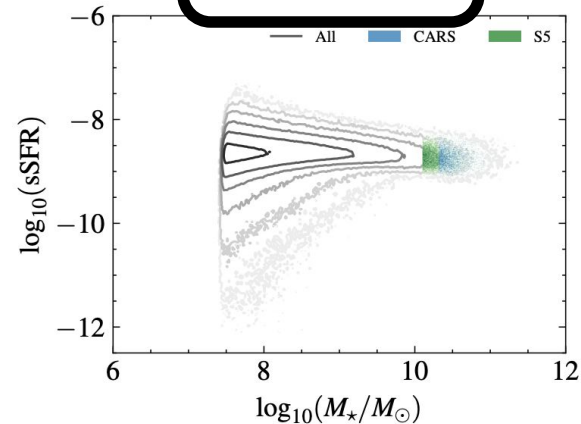
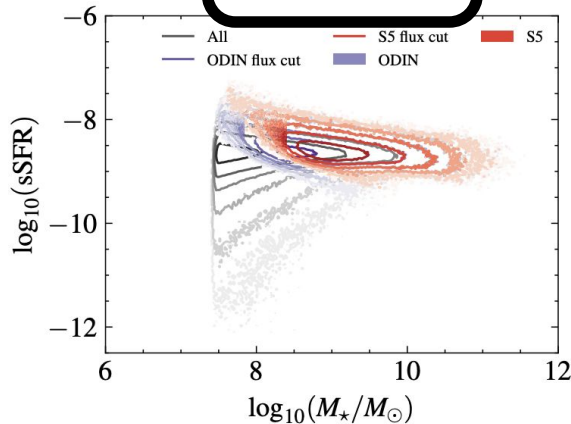
Metallicity



LAEs

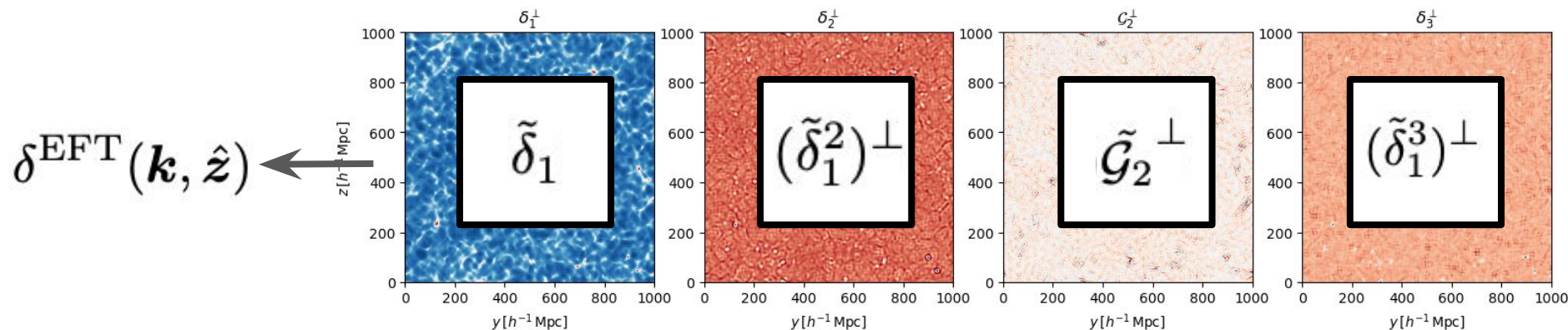


LBGs



Field-level machinery

“Transfer function” tooling (*Misha’s talk, alt. Bea, Fabian’s talks*)



Redshift space, look at scale dependence in:

$$P_{\text{err}}(k, \mu) = \langle |\delta^{\text{EFT}}(\mathbf{k}, \hat{\mathbf{z}}) - \delta_g^{\text{truth}}(\mathbf{k}, \hat{\mathbf{z}})|^2 \rangle'$$

Results - k_{\max}

LAEs:

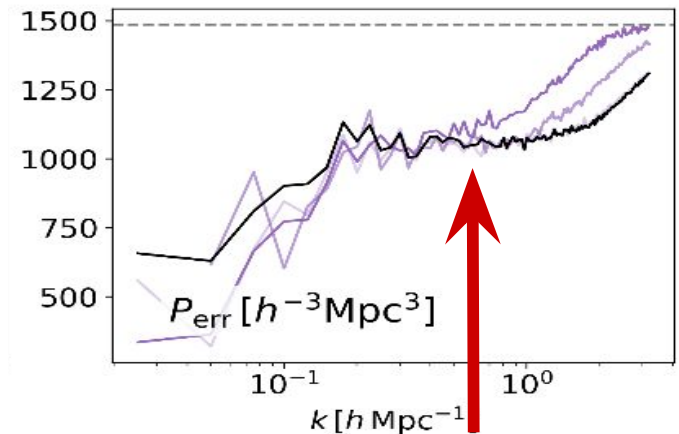
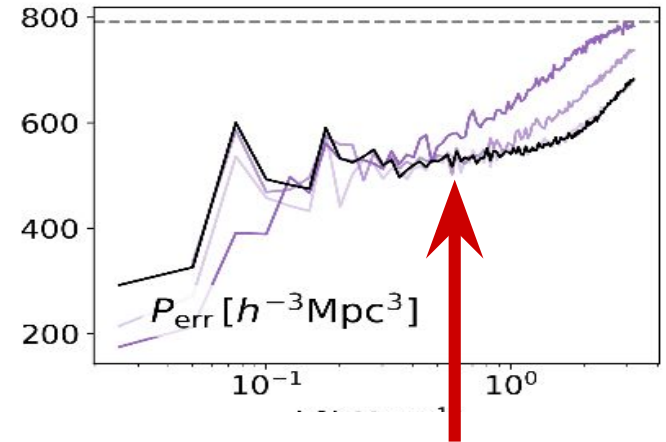
$$k_{\max} \gtrsim 0.3 \text{ [h/Mpc]}$$

LBGs:

$$k_{\max} \gtrsim 0.2 \text{ [h/Mpc]}$$

Set by FoG

Can be significantly higher



Conclusions

Take away:

k -reach of PT similar or better than current surveys

Simulation/selection-dependent

Now what?:

More realistic simulated galaxies (e.g. ~Khoraminezhad+25)

Simulation-based priors

Cheap mock generation

Extra

EFT model - transfer functions w/ cubic

$$\begin{aligned}\delta_g^{\text{EFT}}(\mathbf{k}, \hat{\mathbf{z}}) &= \delta_Z(\mathbf{k}, \hat{\mathbf{z}}) - \frac{3}{7}\mu^2 f \tilde{\mathcal{G}}_2 \\ &\beta_1(k, \mu) \tilde{\delta}_1(\mathbf{k}, \hat{\mathbf{z}}) + \beta_2(k, \mu) (\tilde{\delta}_1^2)^\perp(\mathbf{k}, \hat{\mathbf{z}}) \\ &+ \beta_{\mathcal{G}_2}(k, \mu) \tilde{\mathcal{G}}_2^\perp(\mathbf{k}, \hat{\mathbf{z}}) + \beta_3(k, \mu) (\tilde{\delta}_1^3)^\perp(\mathbf{k}, \hat{\mathbf{z}})\end{aligned}$$

Simulated LBG Selection

Goal - Build a $z=3$ sample that matches:

- 1. Comoving number density \bar{n}**
- 2. Linear bias b_1**

Of two setups:

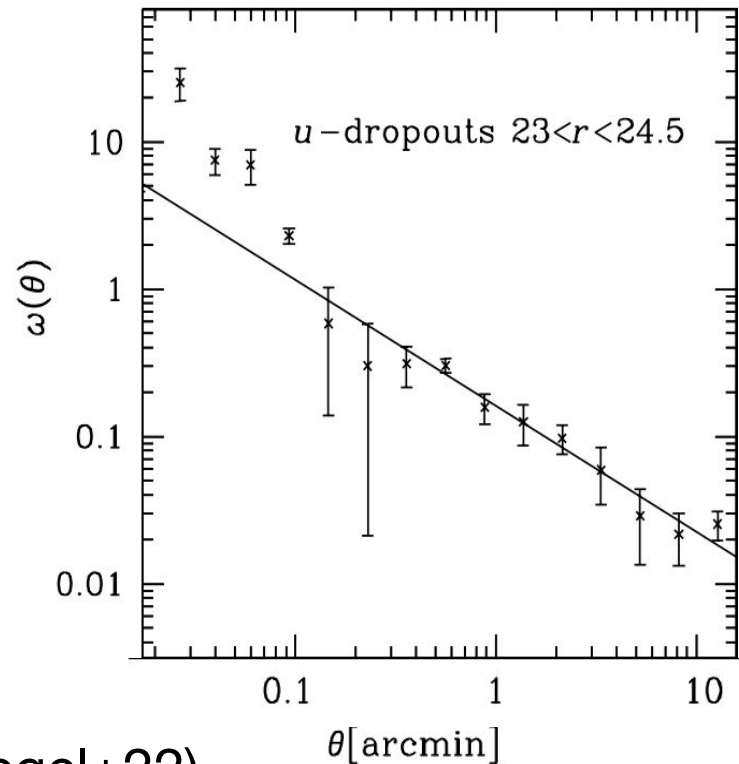
- 1. Existing data - CARS u -drop galaxies**

Hildebrandt+09 ($23 < r < 24.5$, 3 deg^2)

$\sim 7\text{e-}4 \text{ [Mpc/h]}^{-3}$, $b_1 \sim 4$

- 2. Planned data - Spec-S5-like survey**

Following spectroscopic roadmap (Schlegel+22)



Simulated Selection

Simple procedure:

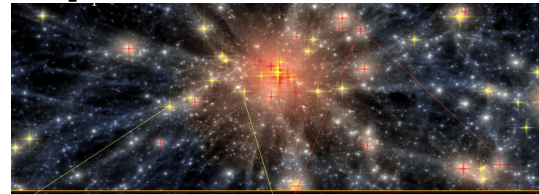
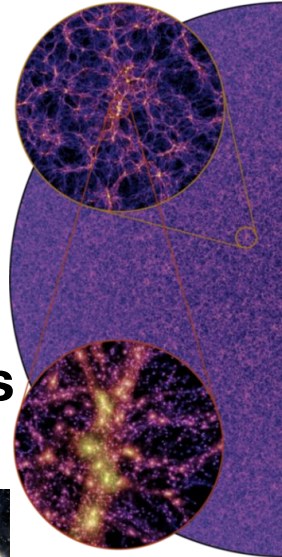
1. Apply M_* - sSFR cut to hydro. sim. galaxies ($\text{sSFR} = \text{SFR}/M_*$)

LBGs on SF MS \rightarrow restrict $10^{-10} < \text{sSFR} < 10^{-8}$

2. Match number density using minimum M_*

2 simulations:

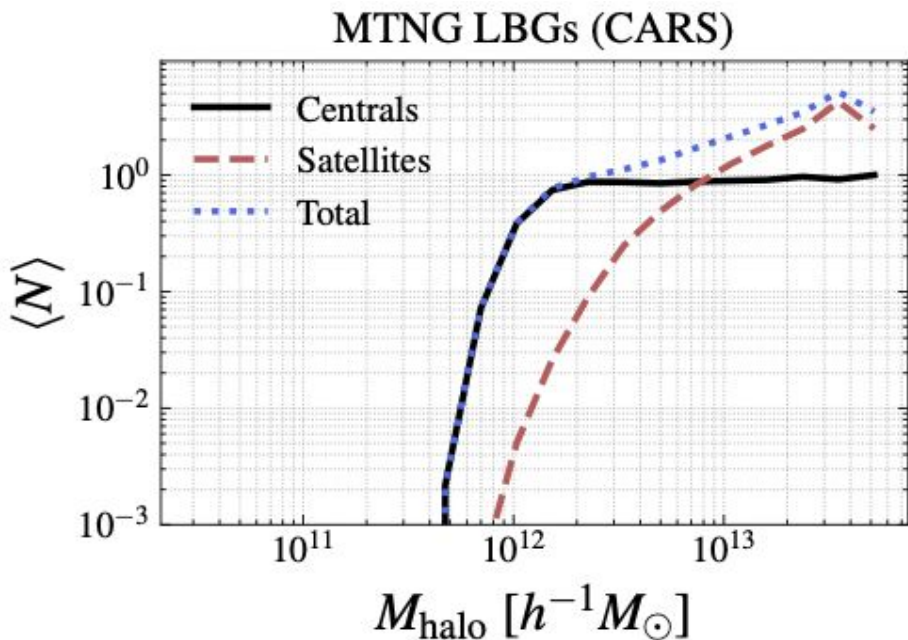
- MillenniumTNG (MTNG) \rightarrow 500 Mpc/h, 2×4230^3 particles
- Astrid \rightarrow Astrid - 250 Mpc/h, 2×5500^3 particles



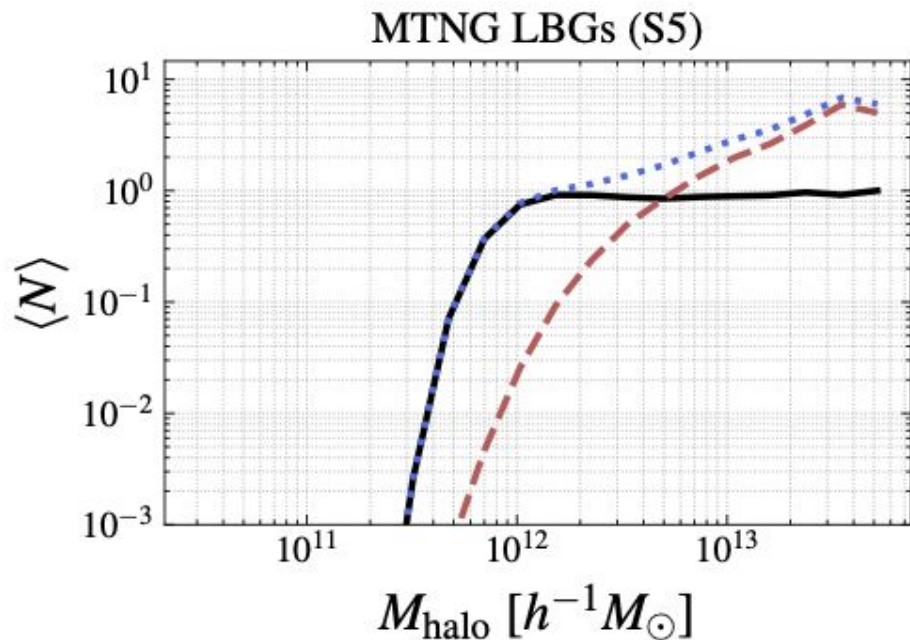
LBG HODs - MTNG

Roughly Zheng07-like

Higher min. M_{\square}



Lower min. M_{\square}

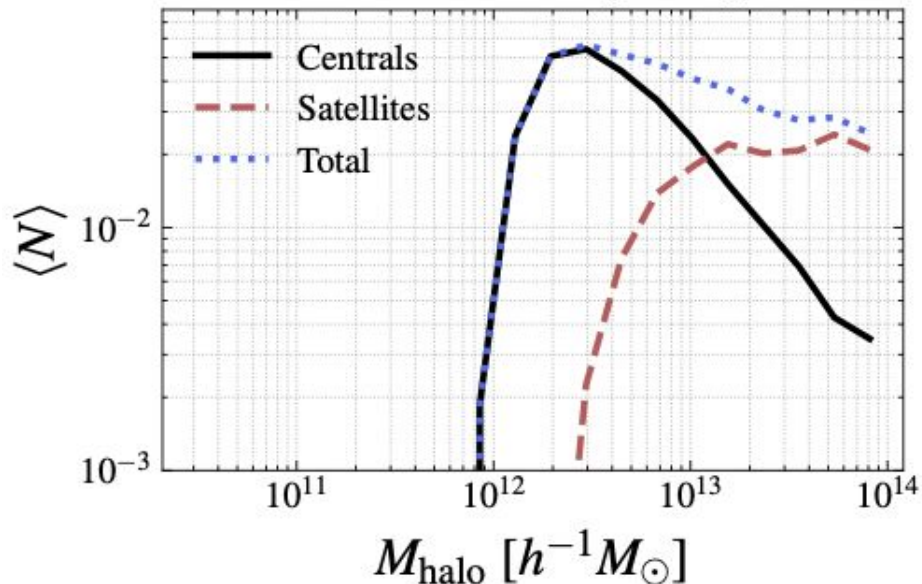


LBG HODs - Astrid

A bit different...

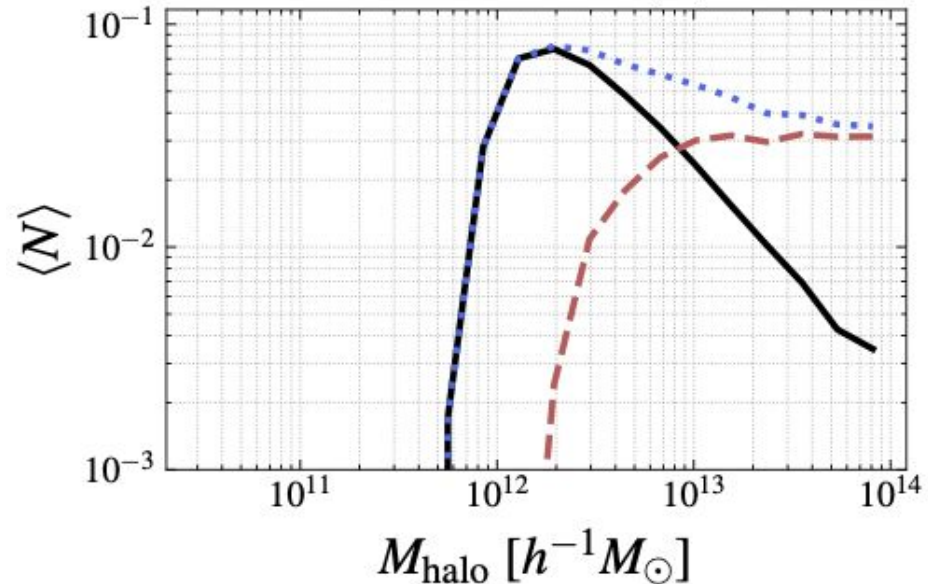
Higher min. M_{\square}

ASTRID LBGs (CARS)



Lower min. M_{\square}

ASTRID LBGs (S5)



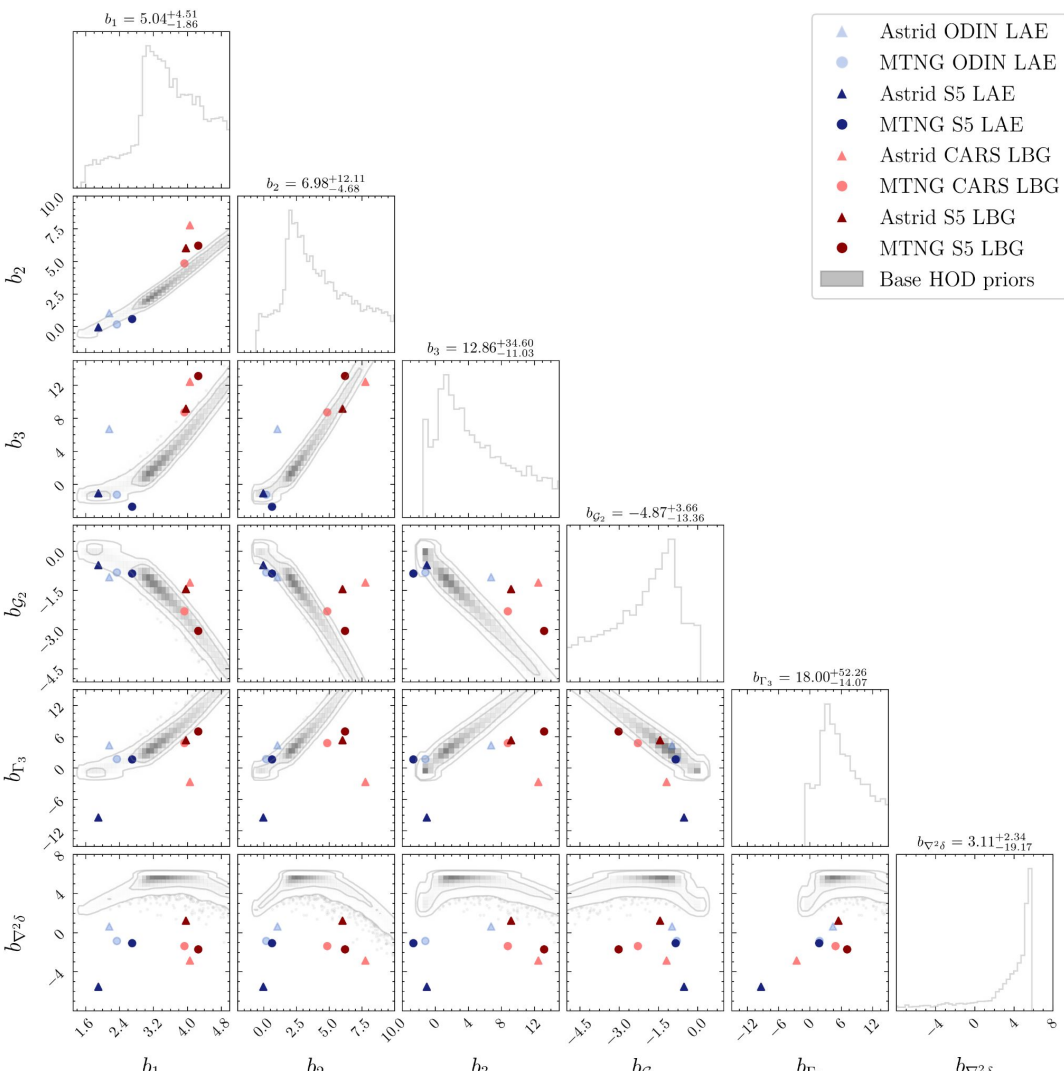
Selection Table - MTNG

		$\bar{n} [h^{-1}\text{Mpc}]^{-3}$	$\log_{10} \left(\frac{\langle M_h \rangle}{h^{-1} M_{\odot}} \right)$	$b_1^{w(\theta)}$	f_{sat}	$\langle \frac{\sigma}{\text{km/s}} \rangle$
LAE	ODIN	1.2×10^{-3}	11.40	2.1	30%	60
	S5	1.3×10^{-3}	11.51	2.4	15%	88
LBG	CARS	6.7×10^{-4}	12.37	3.9	12%	200
	S5	1.3×10^{-3}	12.26	3.6	10%	179

Selection Table - Astrid

		$\bar{n} [h^{-1}\text{Mpc}]^{-3}$	$\log_{10} \left(\frac{\langle M_h \rangle}{h^{-1} M_{\odot}} \right)$	$b_1^{w(\theta)}$	f_{sat}
LAE	ODIN	1.3×10^{-3}	11.98	2.0	40%
	S5	1.3×10^{-3}	11.96	2.1	33%
LBG	CARS	6.7×10^{-4}	12.63	3.8	12%
	S5	1.3×10^{-3}	12.52	3.8	13%

Nonlinear bias



Zheng07-like model & priors

$$\log_{10} M_{\text{cut}} \in [11, 13], \quad \log_{10} M_1 \in [12, 14],$$

$$\log \sigma \in [-3, 0], \quad \alpha \in [0.5, 1.5],$$

$$\alpha_c \in [0, 0.5], \quad \alpha_s \in [0.7, 1.3], \quad \kappa \in [0.0, 1.5]$$

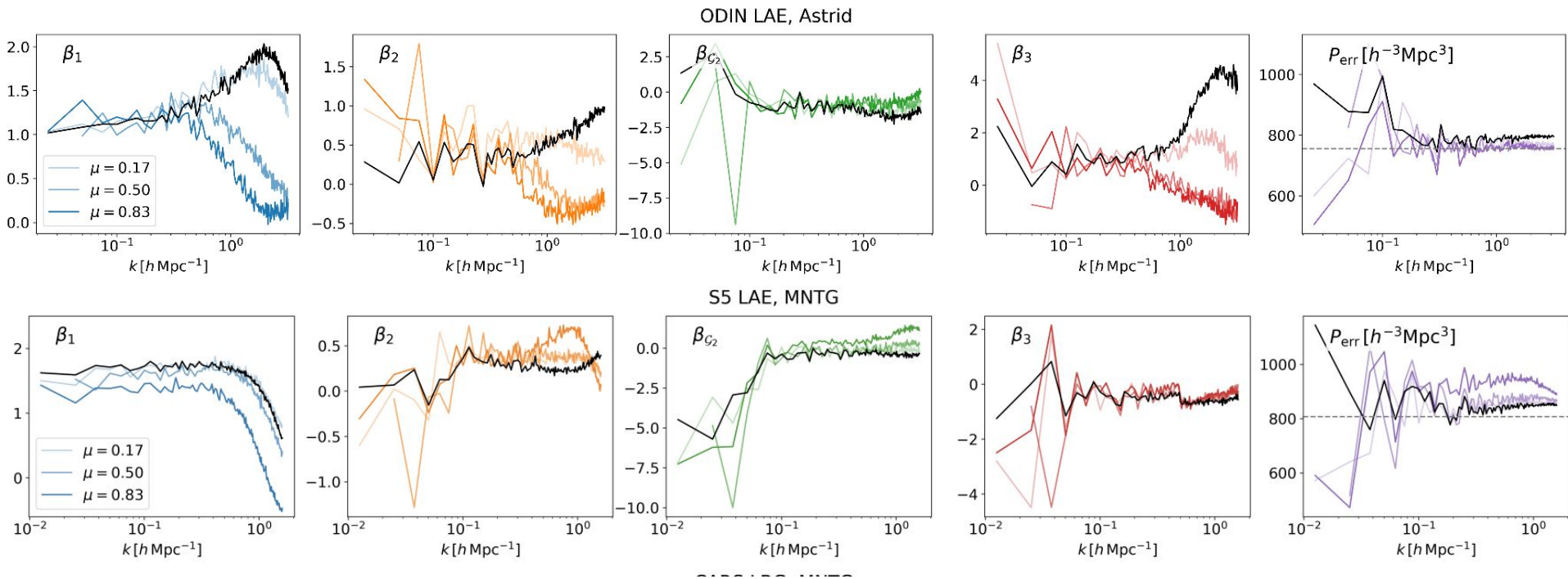
$$\langle N_c \rangle(M) = \frac{1}{2} \left[1 + \text{Erf} \left(\frac{\log M - \log M_{\text{cut}}}{\sqrt{2}\sigma} \right) \right],$$

$$\langle N_s \rangle(M) = \langle N_c \rangle(M) \left(\frac{M - \kappa M_{\text{cut}}}{M_1} \right)^\alpha,$$

Nonlinear bias

Param.	ODIN LAE MTNG	S5 LAE MTNG	S5 LBG MTNG	CARS LBG MTNG	ODIN LAE Astrid	S5 LAE Astrid	S5 LBG Astrid	CARS LBG Astrid
b_1	2.33	2.68	3.92	4.24	2.15	1.89	4.05	3.96
b_2	0.17	0.61	4.85	6.21	1.05	-0.052	7.76	6.02
b_3	-1.23	-2.68	8.75	13.14	6.73	-1.05	12.46	9.17
$b_{\mathcal{G}_2}$	-0.803	-0.84	-2.28	-3.03	-0.98	-0.52	-1.19	-1.44
b_{Γ_3}	1.76	1.71	4.83	7.04	4.37	-9.44	-2.62	5.38
$b_{\nabla^2\delta}$	-0.84	-1.05	-1.35	-1.69	0.66	-5.49	-2.83	1.25
α_0	0.046	0.041	-0.17	-0.16	0.074	0.023	-0.307	-0.32
α_1	-0.023	-0.018	-0.0085	-0.037	-0.068	0.063	0.010	-0.047
α_2	0.18	0.32	0.73	0.48	-0.12	-0.093	0.0081	0.044
c_{μ^2}	-13.49	-24.39	-16.33	-9.22	-3.16	1.53	1.96	-1.80
b_4	-815.02	-1202.88	-692.46	-499.51	-6.09	-10.44	-43.52	-18.15

Transfers for LAEs



Thanks!
