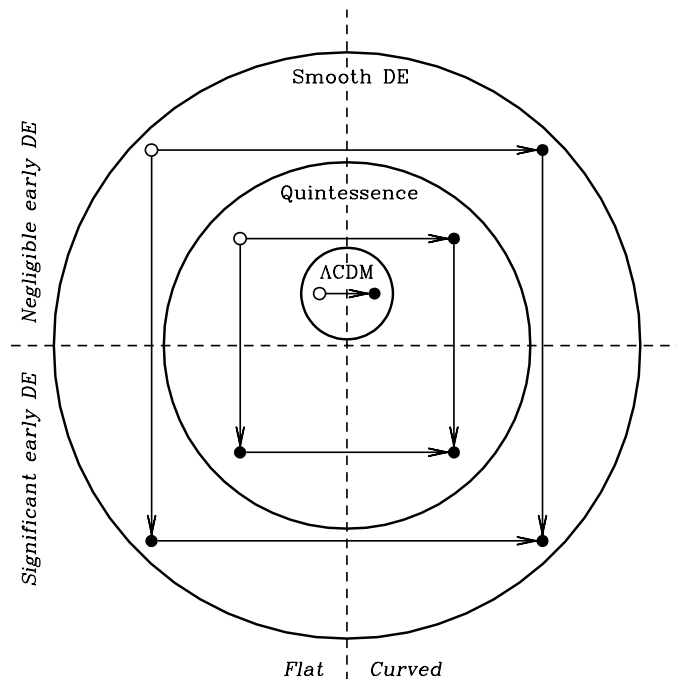


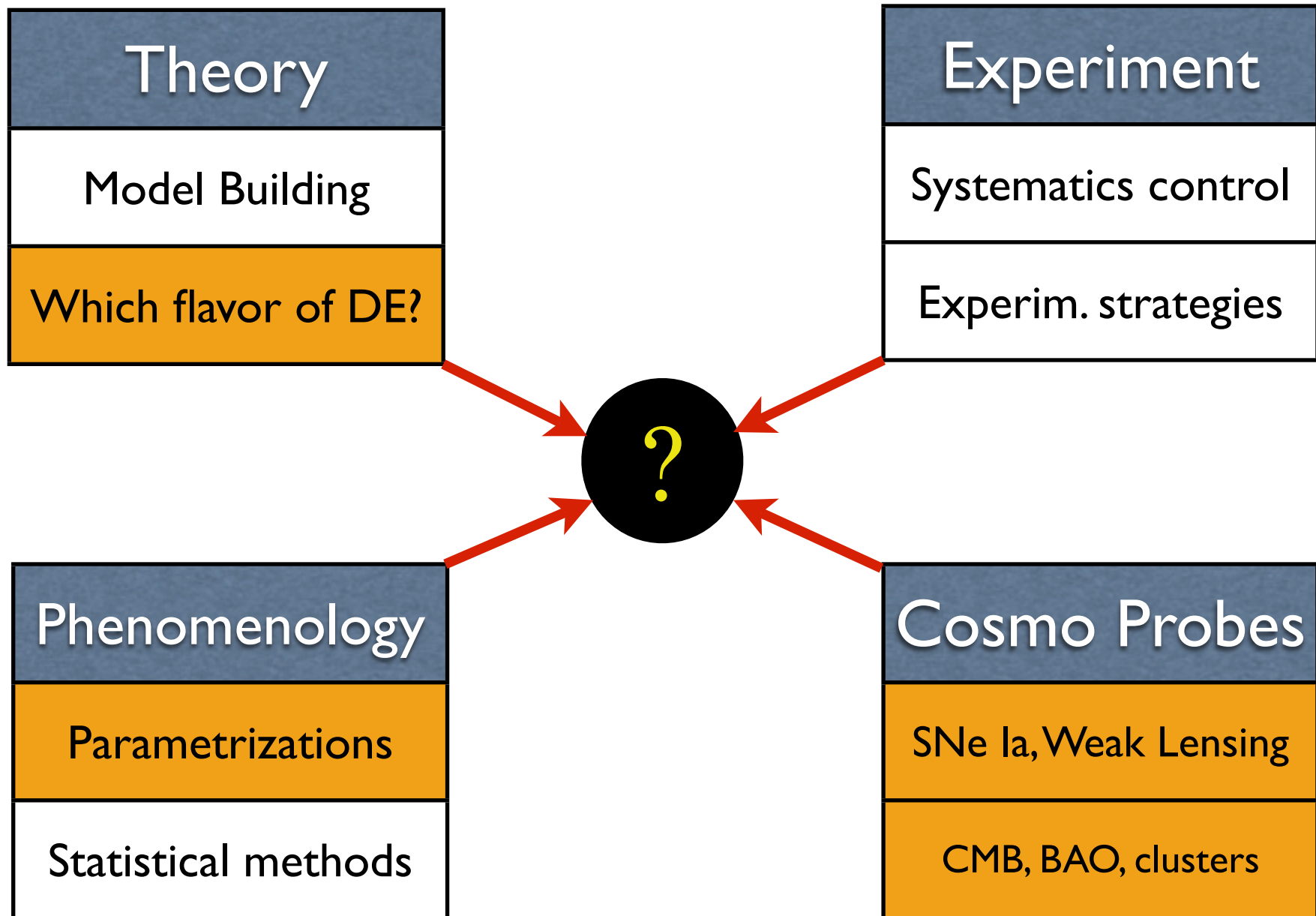
Falsifying Paradigms for Cosmic Acceleration



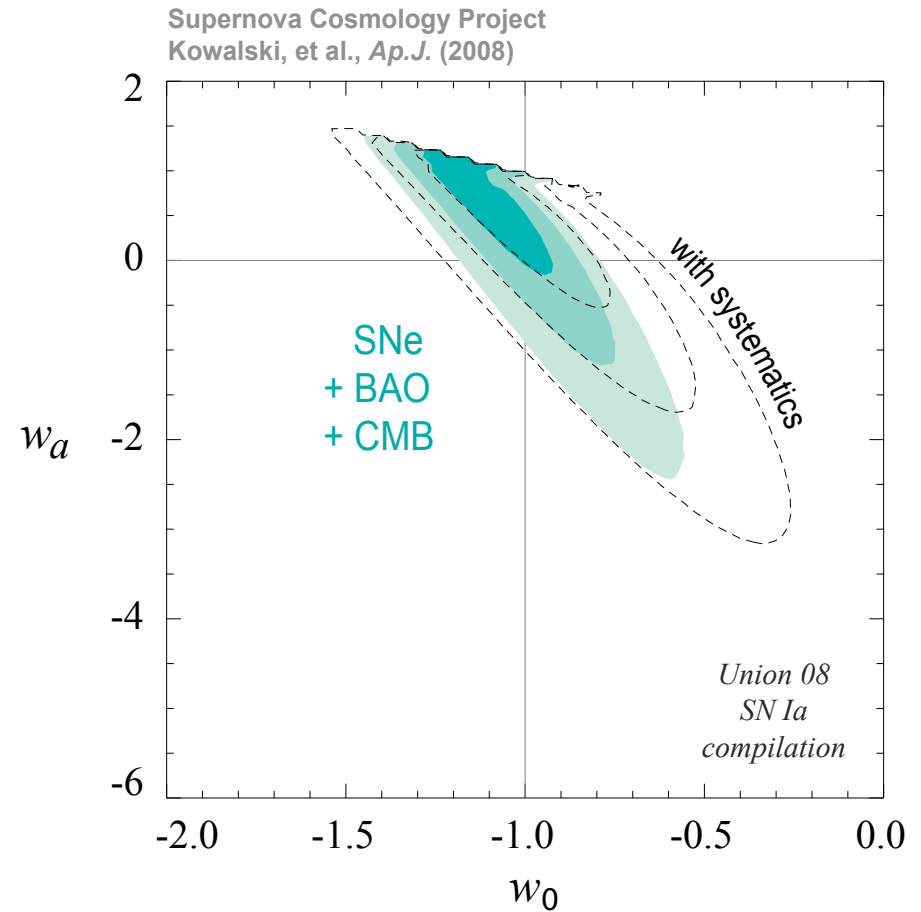
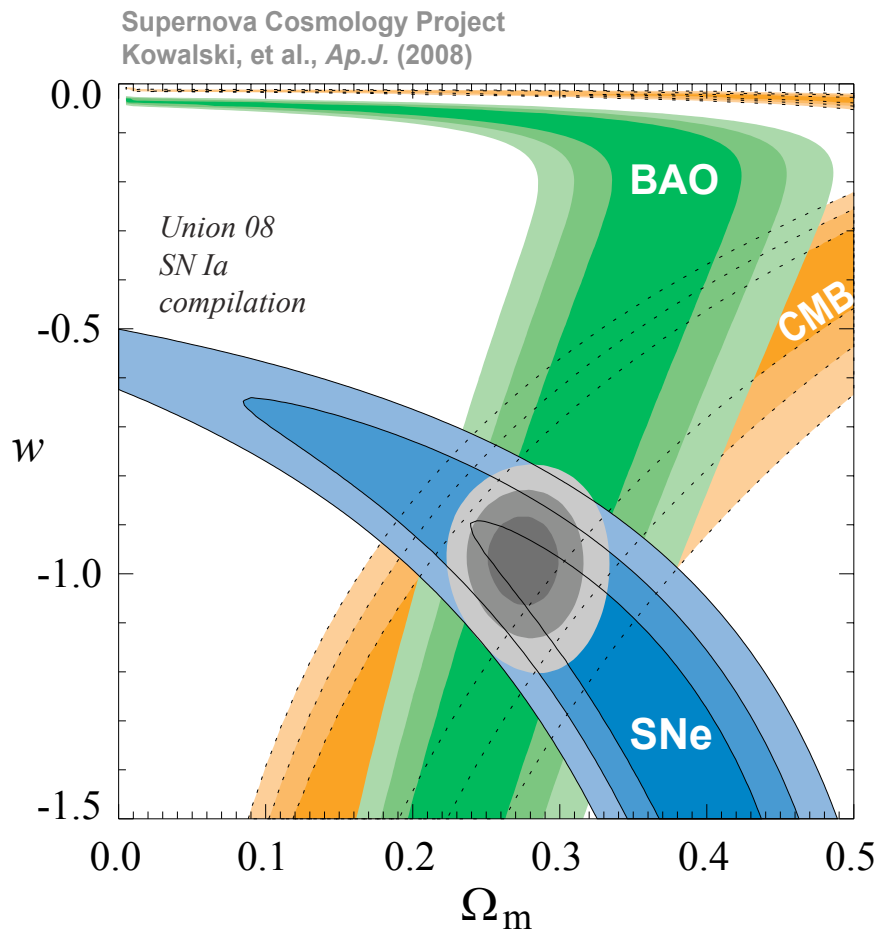
Dragan Huterer
Department of Physics
University of Michigan

Mortonson, Hu & Huterer, arXiv:0810:1744 (PRD, in press)

What next for Dark Energy?



Dark Energy constraints: current status



We really need - a decision tree

- The data are now consistent with LCDM, but that may change
- If so, **what observational strategies** do we use to determine which violation of Occam's Razor has the nature served us?
- Possible alternatives:
 - $w(z)$
 - early DE
 - curvature $\neq 0$
 - clustered DE
 - modified gravity
 - more than one of the above
 -



Subject of this work

Data and modeling of DE

Assumed “data”:

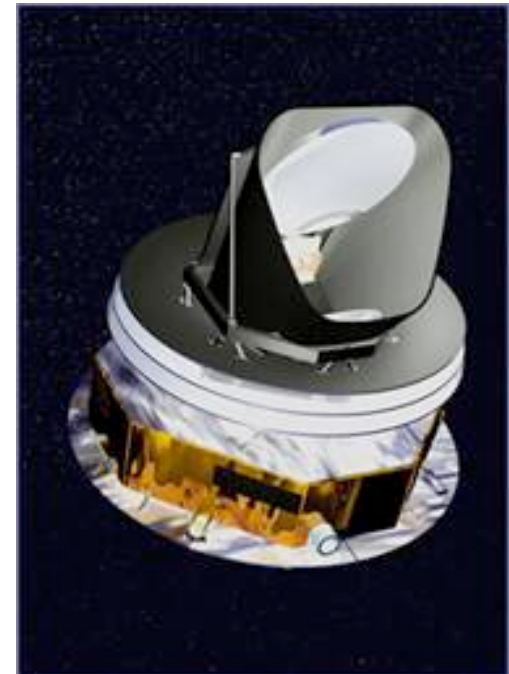
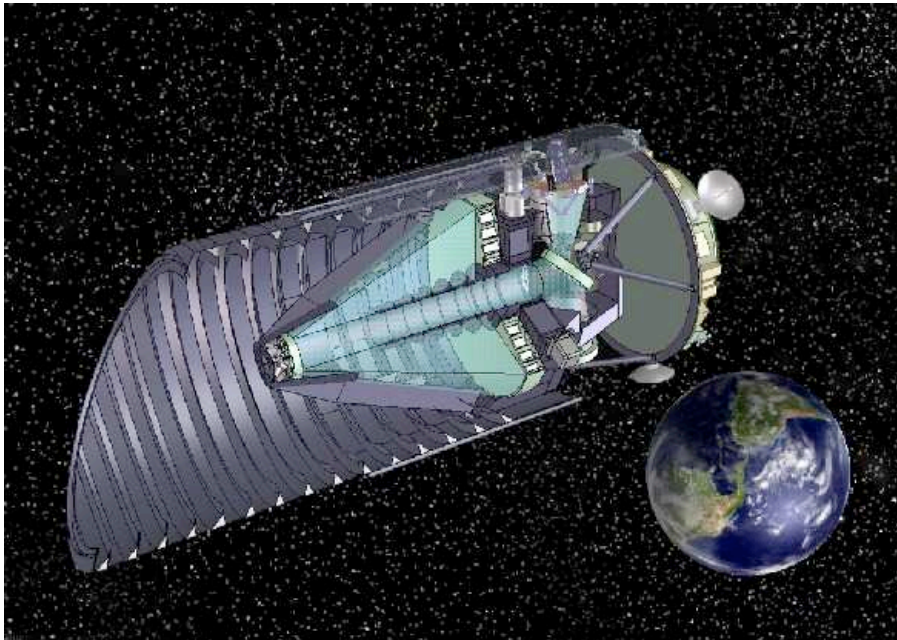
1. SNAP 2000 SNe, $0.1 < z < 1.7$

(plus 300 low- z SNe);

converted into distances

$$\sigma_{\alpha}^2 = \left(\frac{0.1}{\Delta z_{\text{sub}}} \right) \left[\frac{0.15^2}{N_{\alpha}} + 0.02^2 \left(\frac{1+z}{2.7} \right)^2 \right]$$

2. Planck info on $\Omega_m h^2$ and $D_A(z_{\text{rec}})$



Cosmological Functions

Expansion Rate (BAO):

$$H(z) = H_0 \left[\Omega_{\text{M}}(1+z)^3 + \Omega_{\text{DE}} \frac{\rho_{\text{DE}}(z)}{\rho_{\text{DE}}(0)} + \Omega_{\text{K}}(1+z)^2 \right]^{1/2}$$

Distance (SN, BAO, CMB):

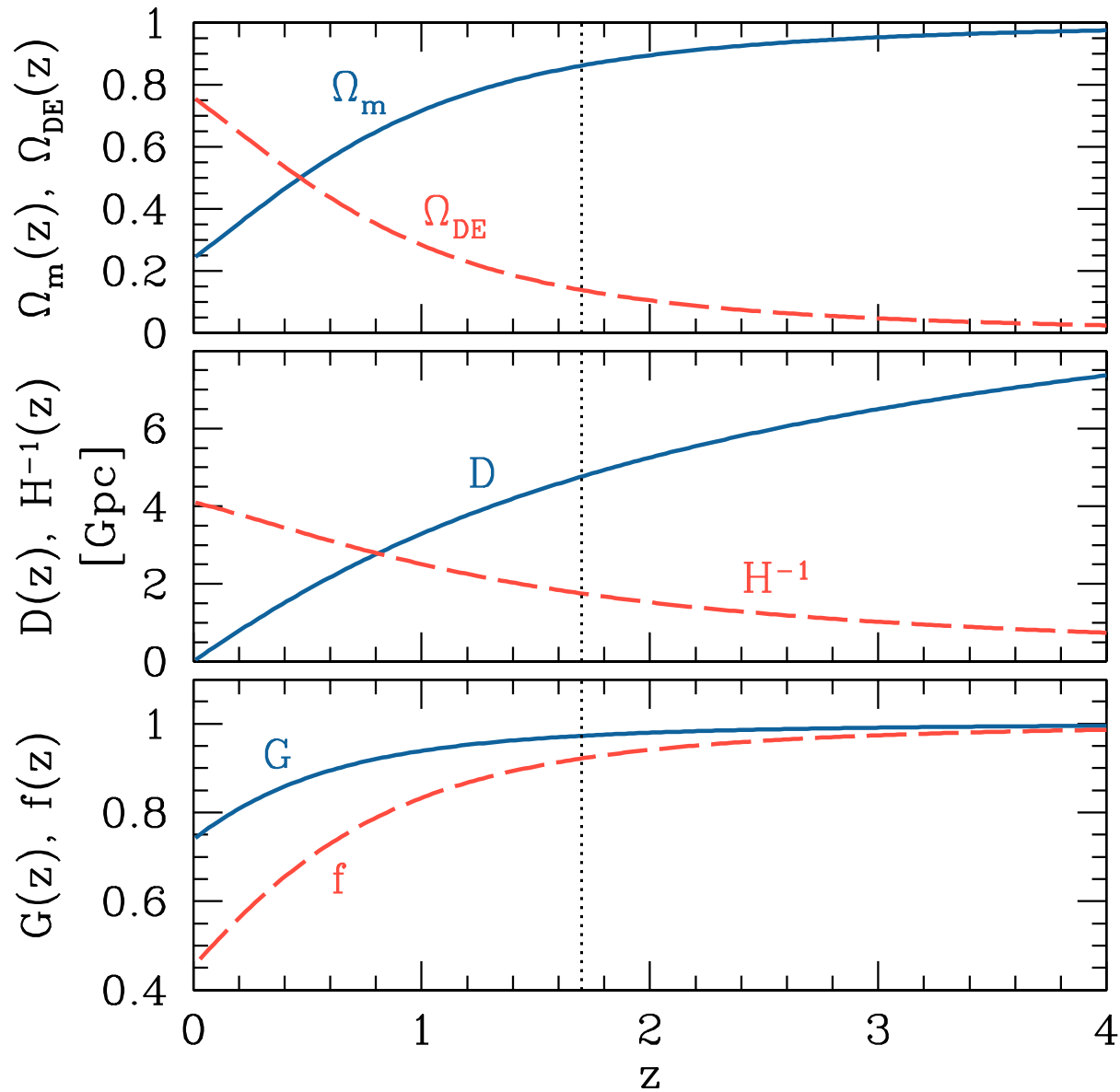
$$D(z) = \frac{1}{(|\Omega_{\text{K}}|H_0^2)^{1/2}} S_{\text{K}} \left[(|\Omega_{\text{K}}|H_0^2)^{1/2} \int_0^z \frac{dz'}{H(z')} \right]$$

Growth (WL, clusters):

$$G'' + \left(4 + \frac{H'}{H} \right) G' + \left[3 + \frac{H'}{H} - \frac{3}{2} \Omega_{\text{M}}(z) \right] G = 0$$

$$G = D_1/a$$

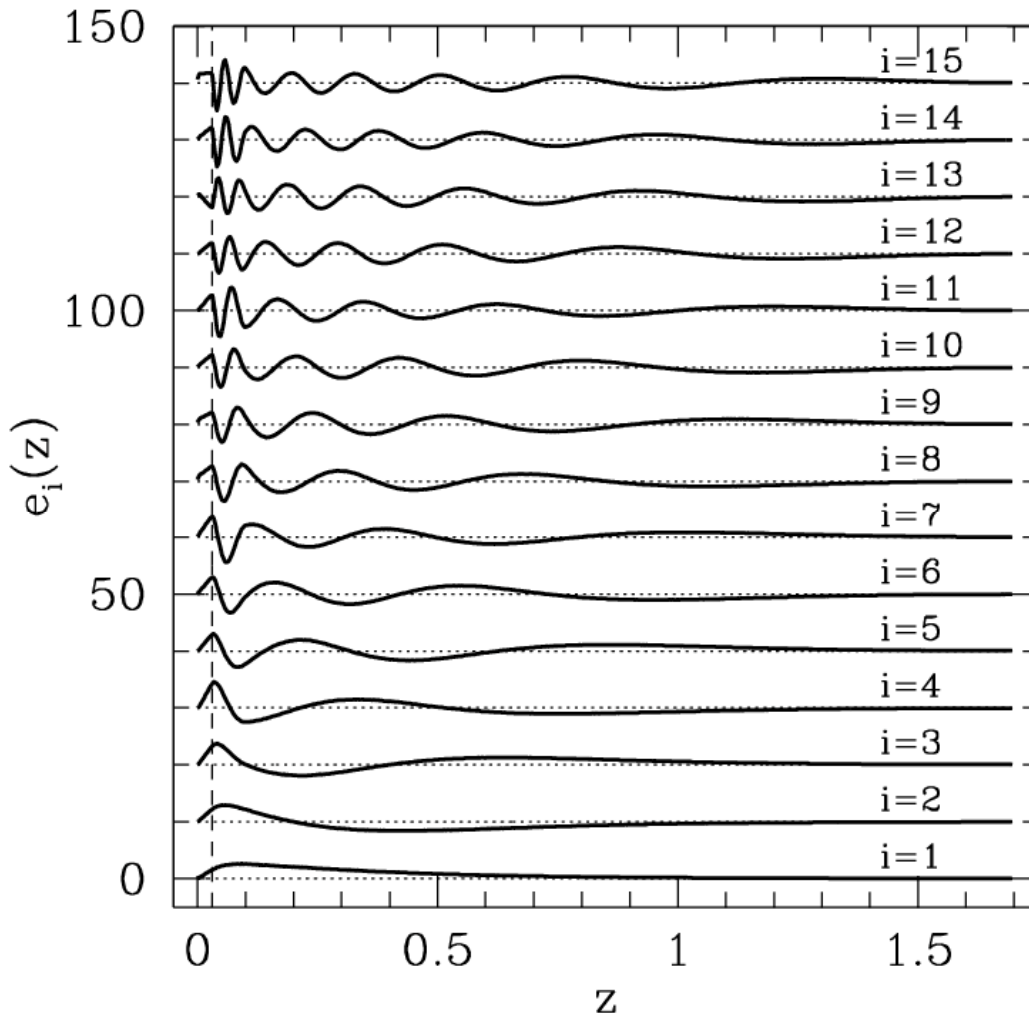
Cosmological Functions



Modeling of DE

Modeling of low- z $w(z)$:
Principal Components

$$w(z_j) = -1 + \sum_{i=1}^N \alpha_i e_i(z_j)$$



500 bins (so 500 PCs)
 $0.03 < z < 1.7$

We use first ~ 15 PCs;
(results converge $10 \rightarrow 15$)

Not too dissimilar from parametrization employed in...

**Findings of the
Joint Dark Energy Mission
Figure of Merit Science Working Group**

Andreas Albrecht, Luca Amendola, Gary Bernstein, Douglas Clowe, Daniel Eisenstein,
Luigi Guzzo, Christopher Hirata, Dragan Huterer, Robert Kirshner, Edward Kolb, Robert Nichol
(Dated: Dec 7, 2008)

These are the findings of the Joint Dark Energy Mission (JDEM) Figure of Merit (FoM) Science Working Group (SWG), the FoMSWG. JDEM is a space mission planned by NASA and the DOE for launch in the 2016 time frame. The primary mission is to explore the nature of dark energy. In planning such a mission, it is necessary to have some idea of knowledge of dark energy in 2016, and a way to quantify the performance of the mission. In this paper we discuss these issues.

[arXiv:0901:0721](https://arxiv.org/abs/0901.0721)

<http://jdem.gsfc.nasa.gov/fomswg.html>

Modeling of **Early** DE



$$\rho_{\text{DE}}(z > z_{\text{max}}) = \rho_{\text{DE}}(z_{\text{max}}) \left(\frac{1+z}{1+z_{\text{max}}} \right)^{3(1+w_{\infty})}$$

Early DE - current constraints

- $\Omega_{\text{DE}}(z_{\text{rec}}) < 0.03$ (CMB peaks; Doran, Robbers & Wetterich 2007)
- $\Omega_{\text{DE}}(z_{\text{BBN}}) < 0.05$ (BBN; Bean, Hansen & Melchiorri 2001)

Procedure

1. Start with the parameter set:

$$\Omega_M, \Omega_K, H_0, w(z), w_\infty$$

2. Use the future data:

SNAP SNe data converted into distances

Planck CMB data as a distance, and its $\Omega_M h^2$

also use H_0 , $D_{\text{BAO}}(z=0.35)$, and *weak* $w(z)$ **priors**

everything centered on LCDM

3. Employ the likelihood machine:

Markov Chain Monte Carlo likelihood calculation,

~15-20 parameters constrained

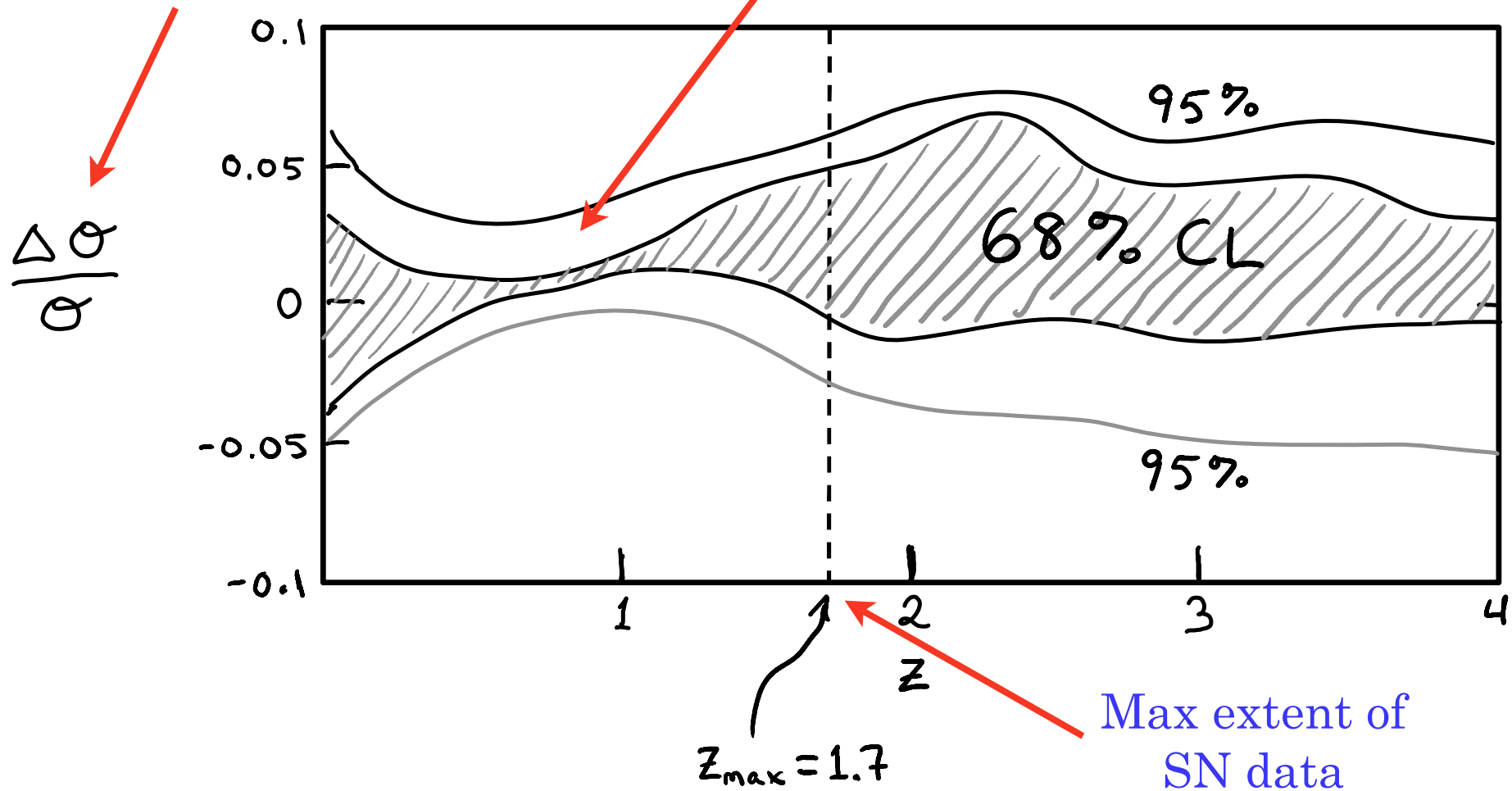
4. Compute predictions for $D(z)$, $G(z)$, $H(z)$

Read off these functions directly from the chains

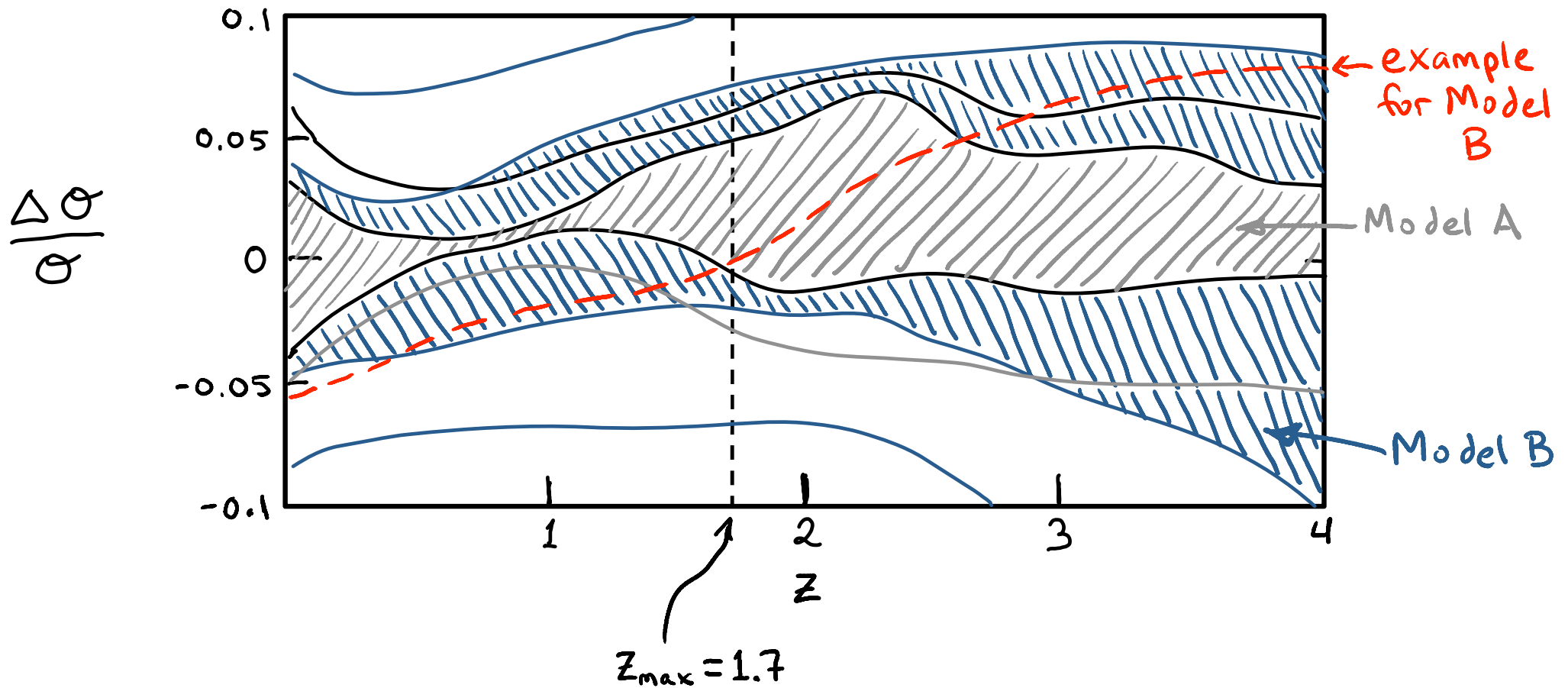
Structure of graphs to follow

Prediction on observable
by SNe+CMB

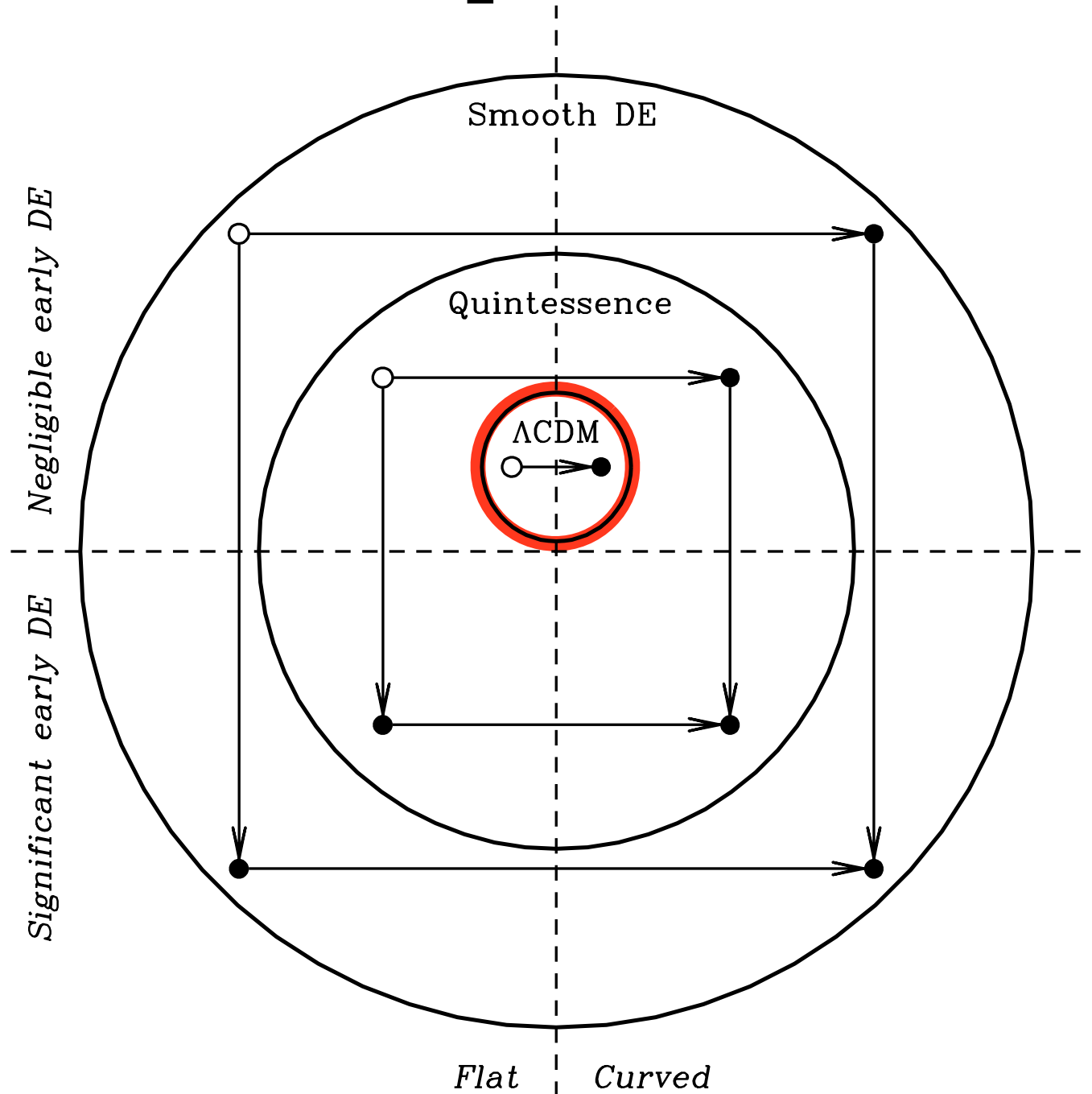
Pivot



Structure of graphs to follow



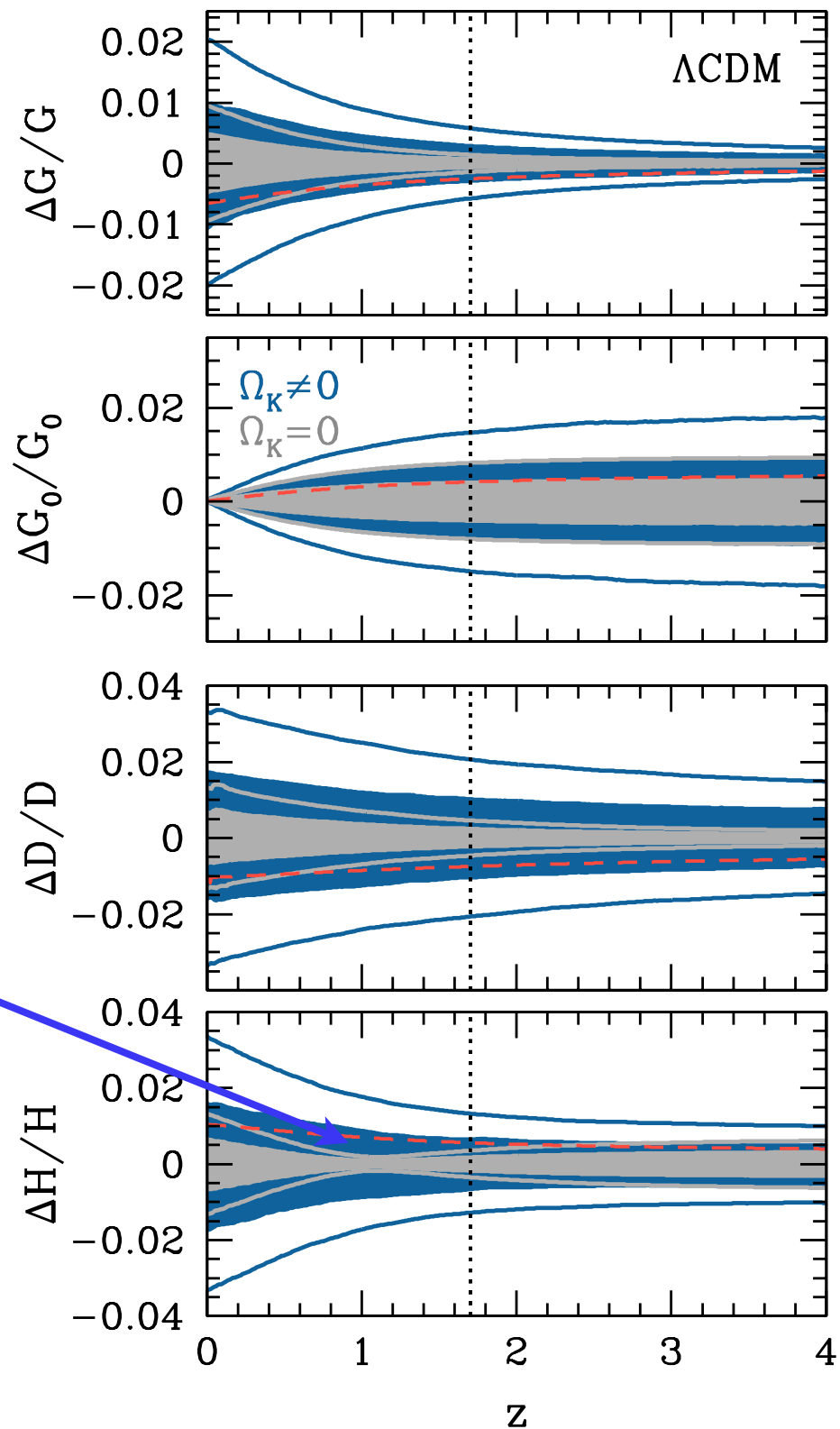
ΛCDM predictions



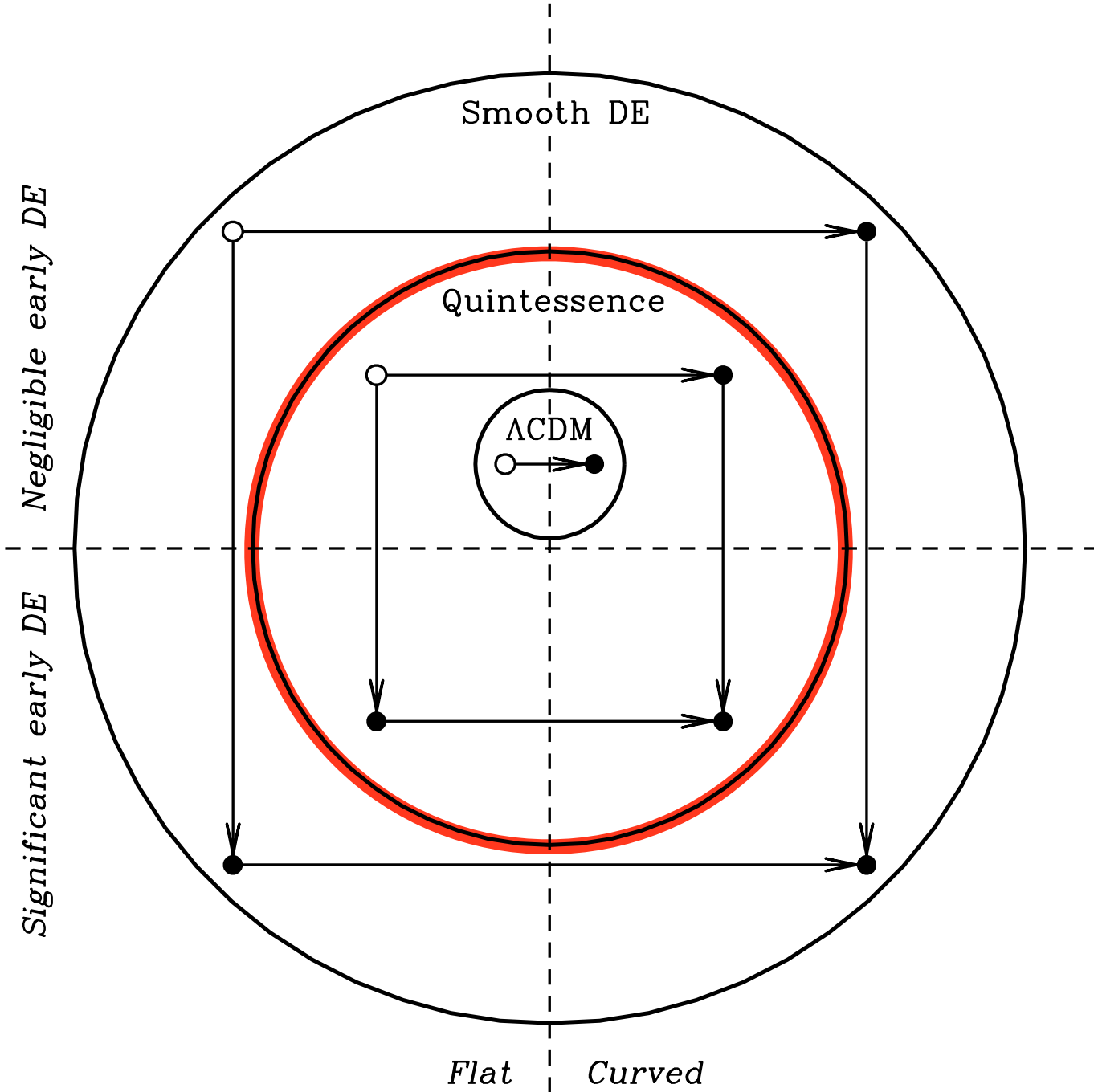
ΛCDM predictions (flat or curved)

Grey: flat
Blue: curved

D, G to <1% everywhere
H(z=1) to 0.1% for flat ΛCDM

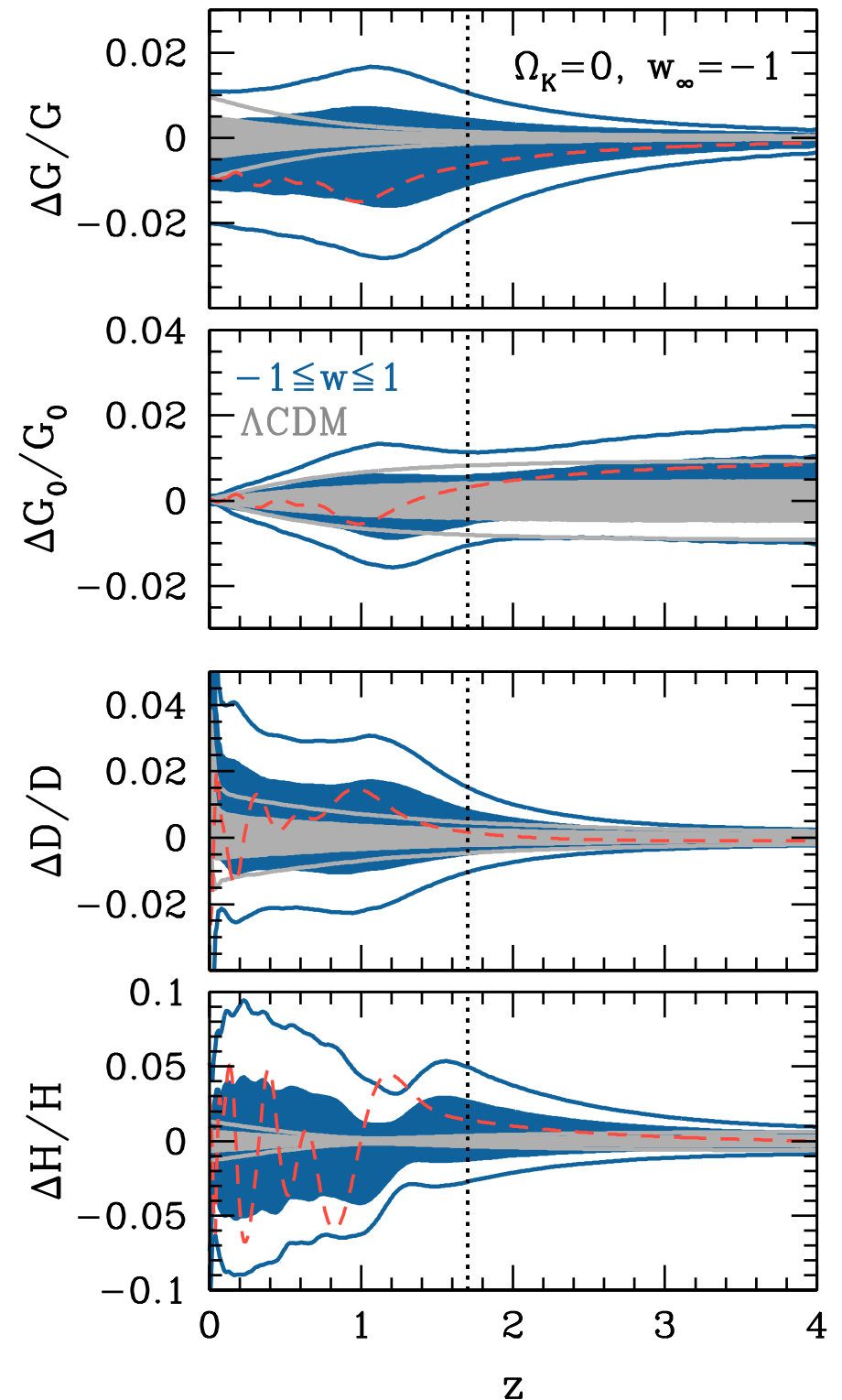


Quintessence ($-1 < w(z) < 1$) predictions



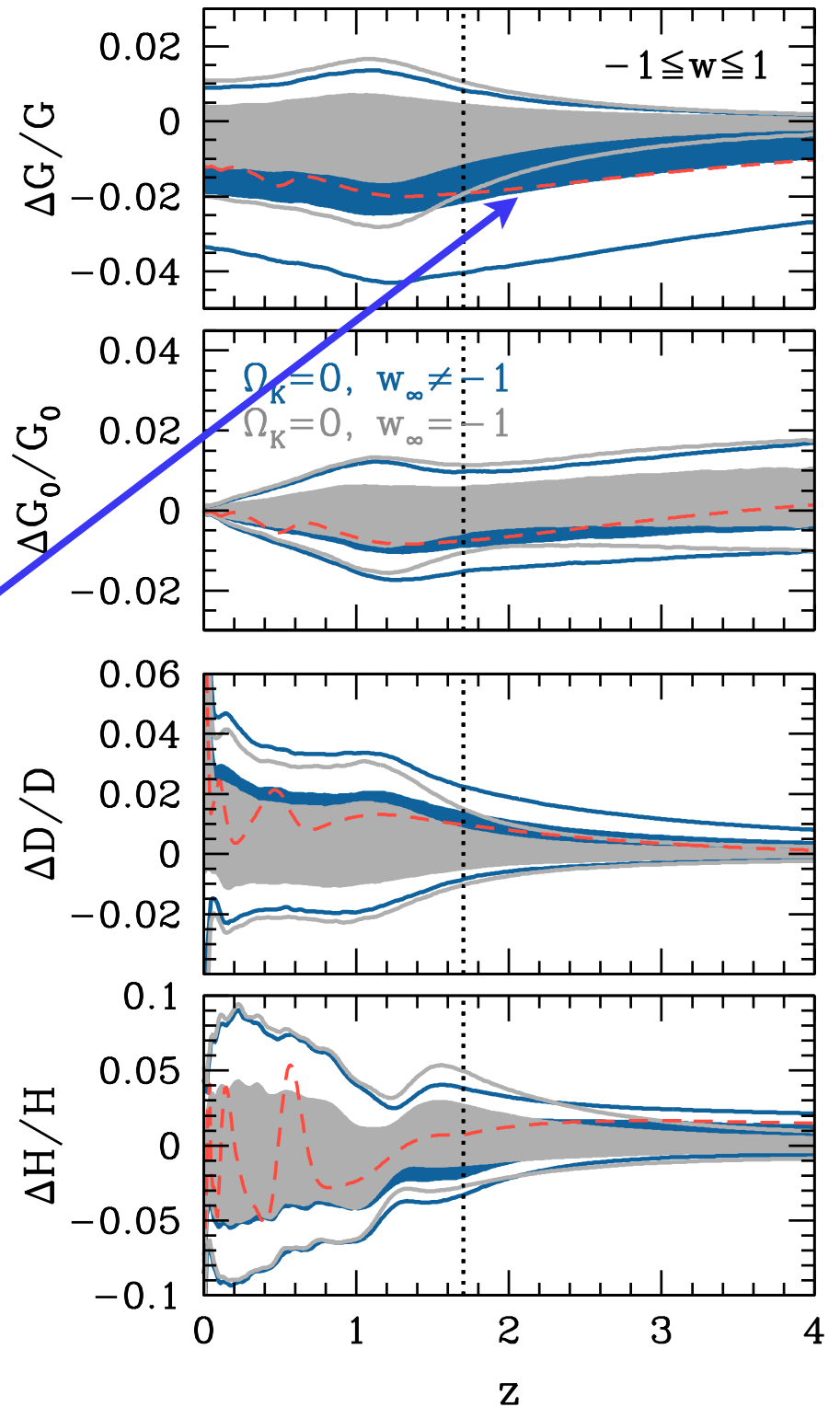
Quintessence predictions flat, no Early DE

>>1 effective dof, so
“waist” at $z=1$ disappears



Quintessence predictions flat, with Early DE

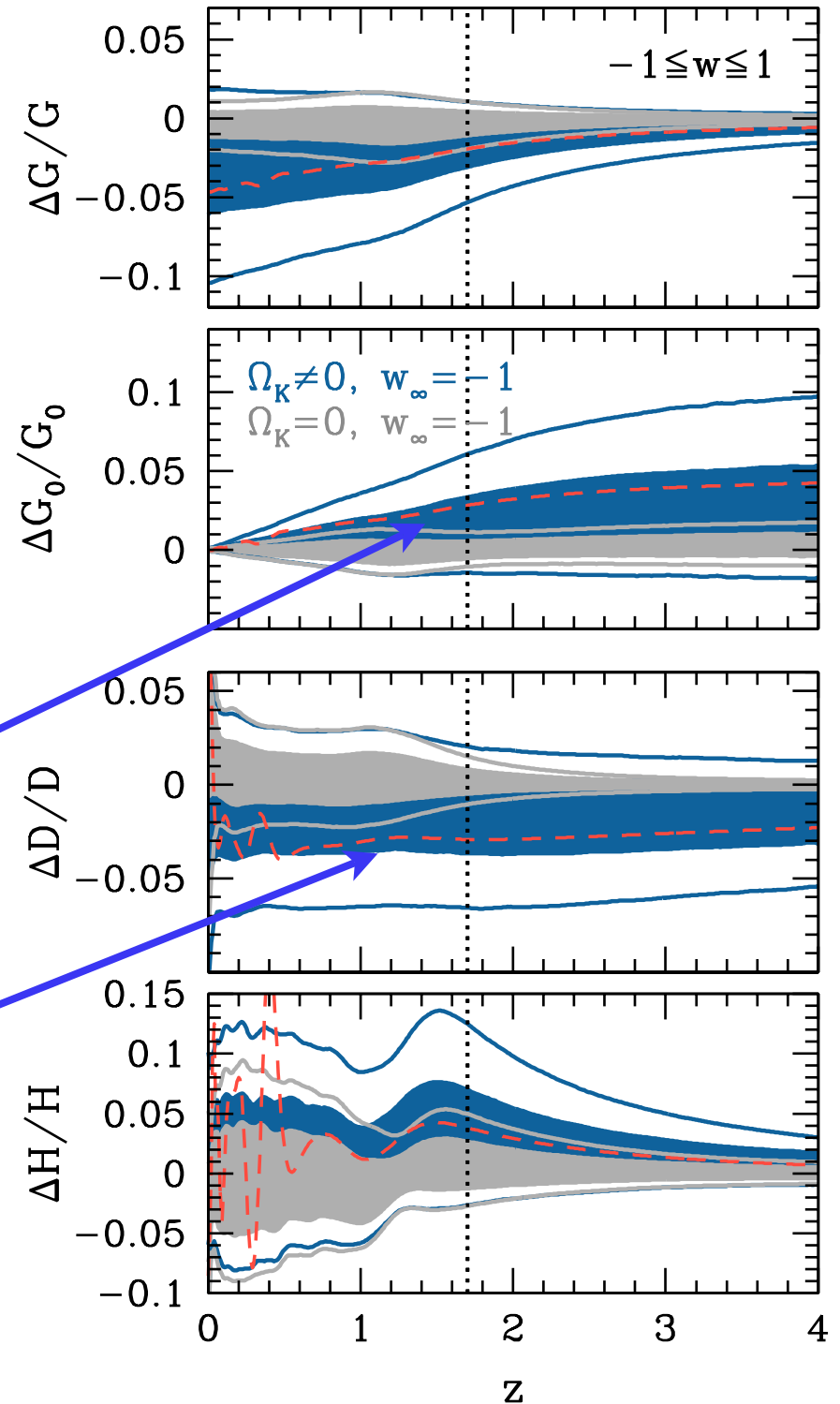
Smoking Gun:
Uniform suppression in G



Quintessence predictions with curvature, no EDE

Smoking Gun:

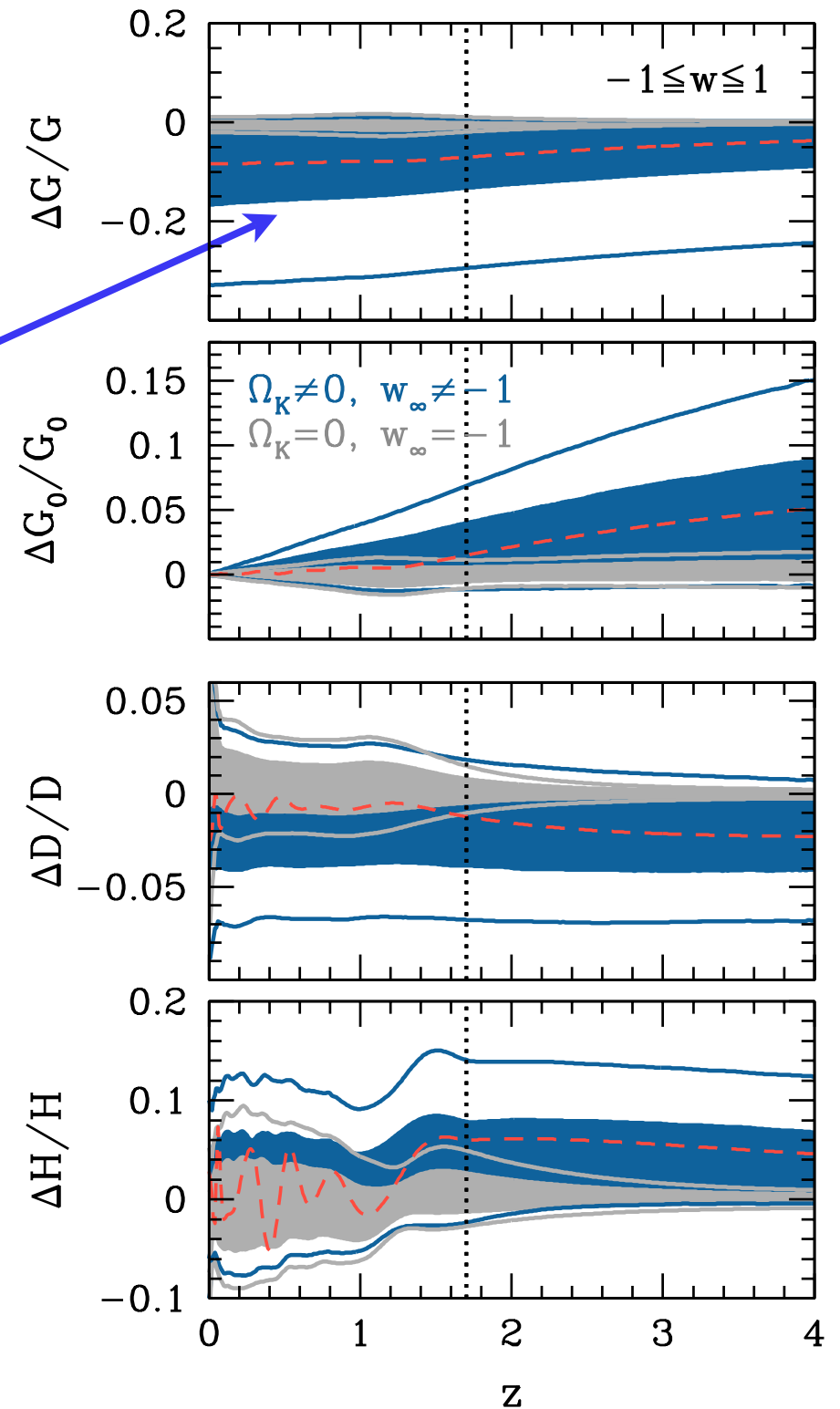
1. Shift in G_0
2. Negative const offset in D



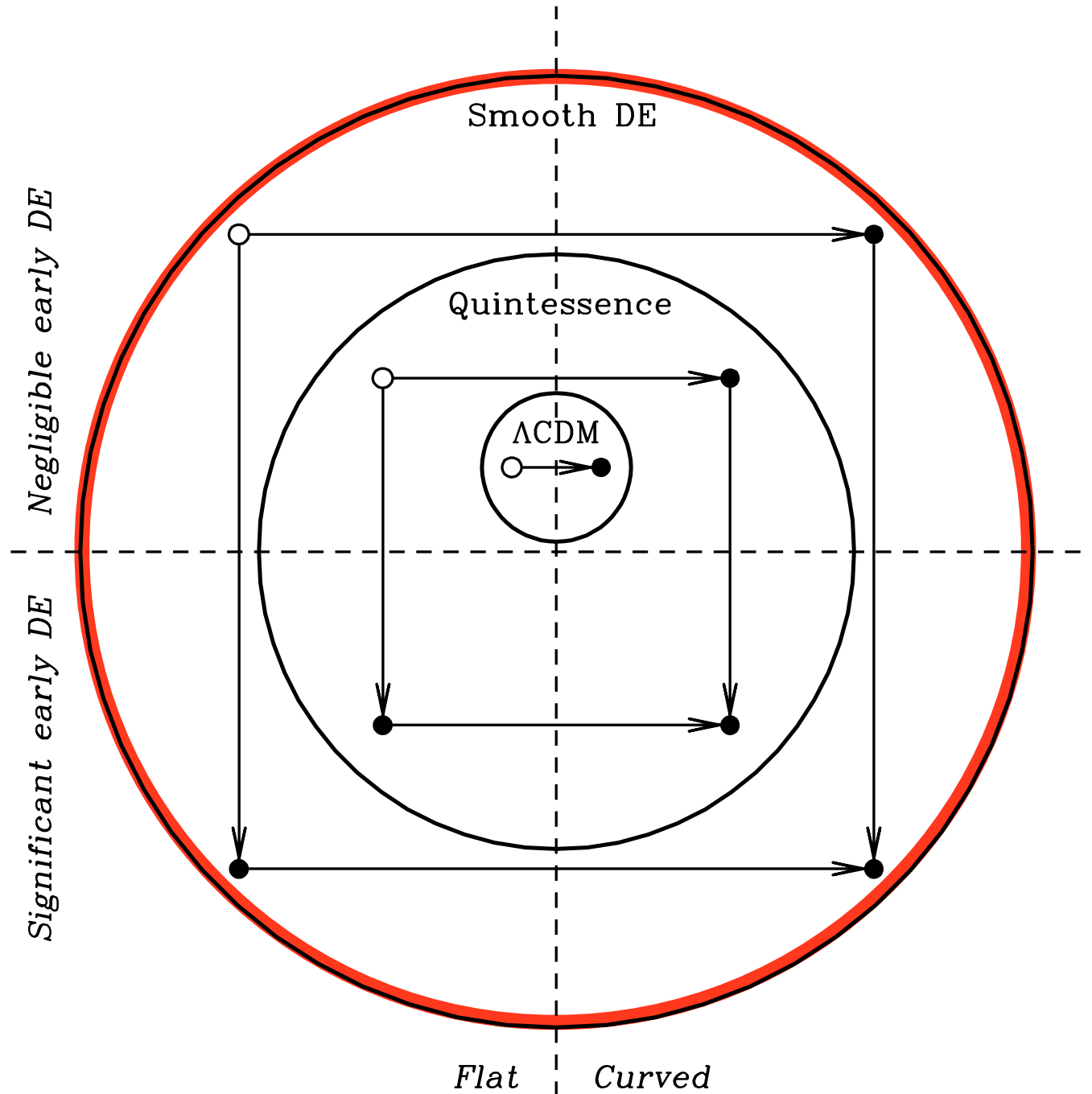
Quintessence predictions with curvature and EDE

Smoking Gun:
Large negative deviation in G

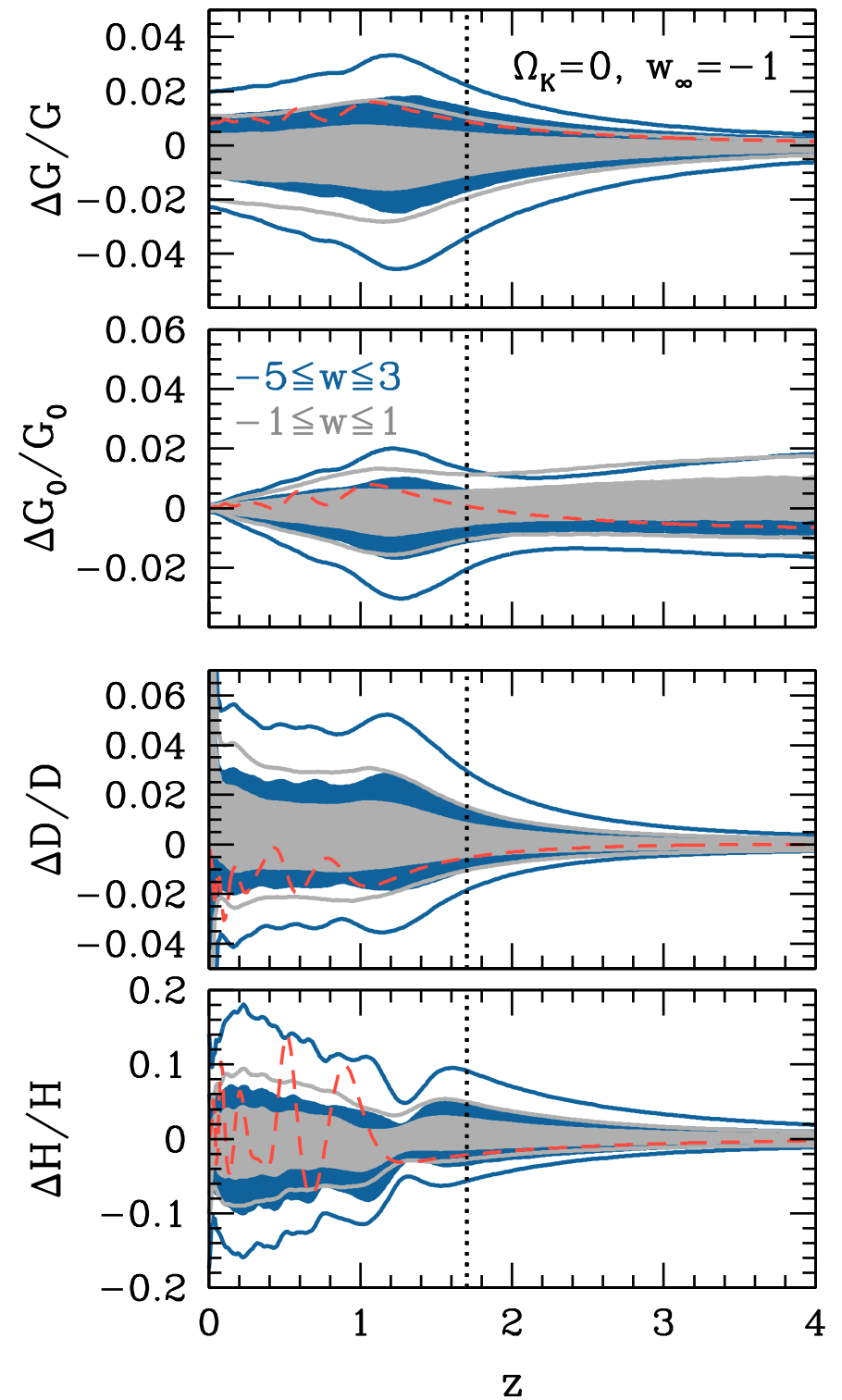
Note even in this general class,
firm predictions: e.g.,
 G and D can't be \gg LCDM value



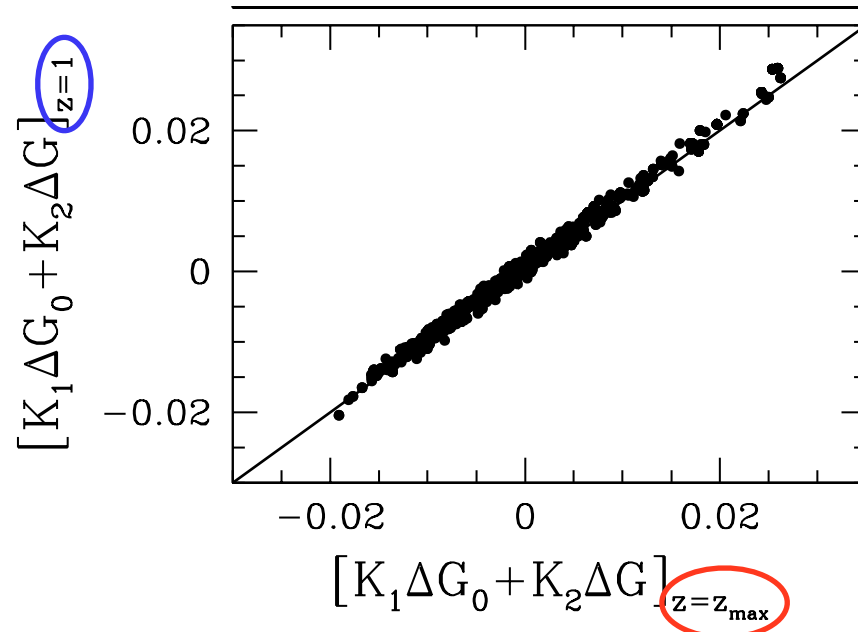
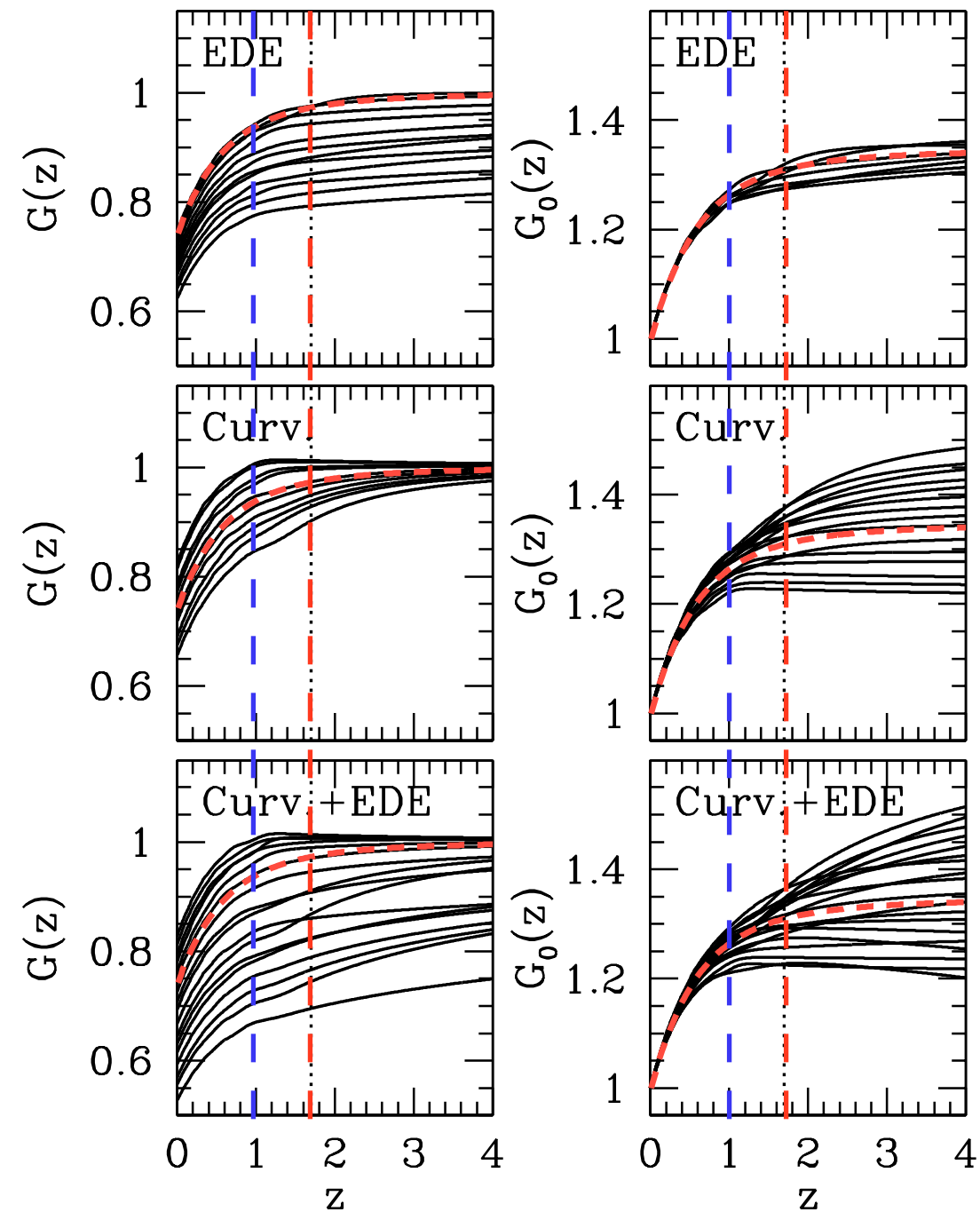
Smooth DE ($-5 < w(z) < 3$) predictions



Smooth DE
predictions
flat, no Early DE

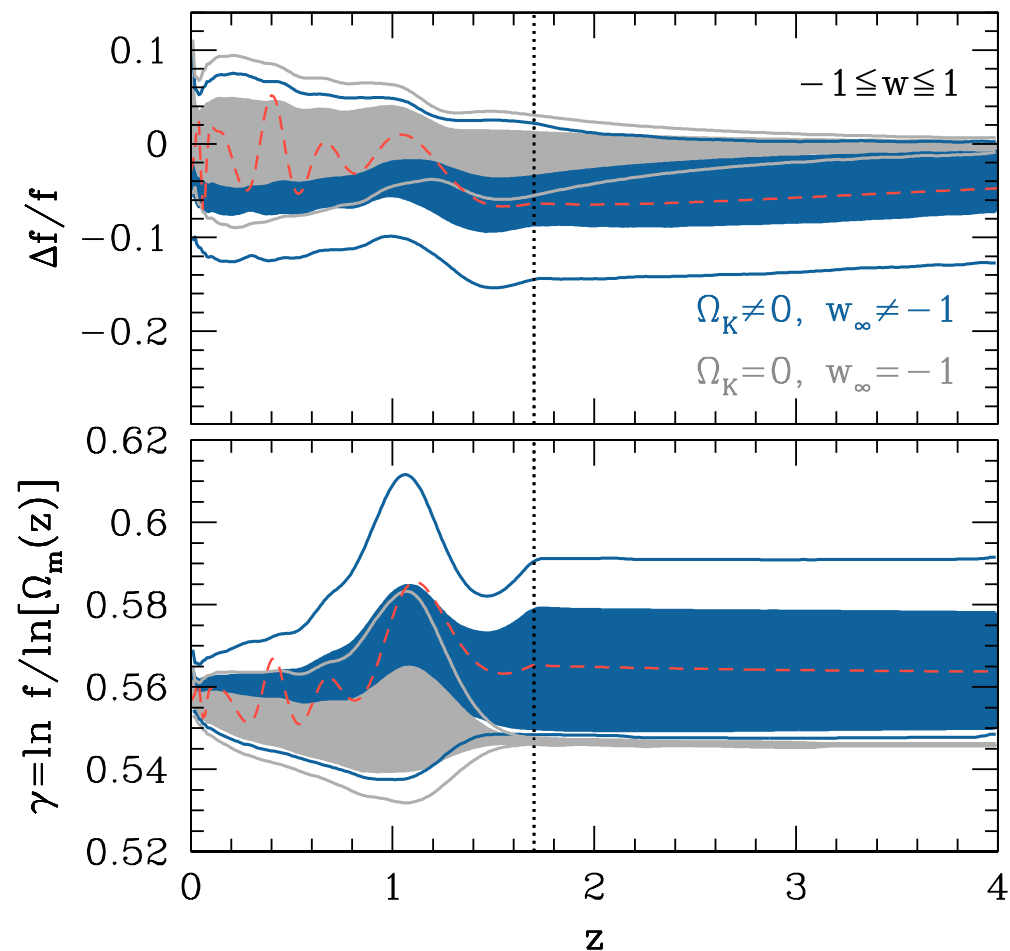
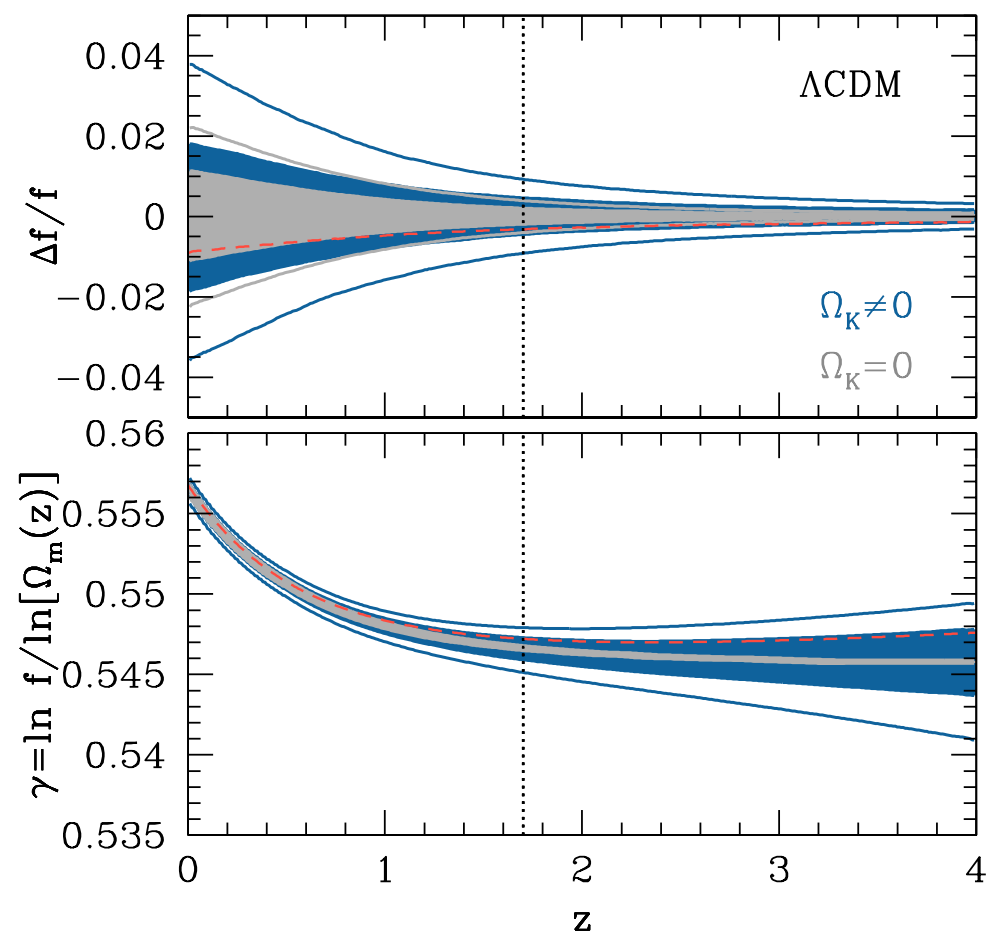


Smooth DE with curvature and/or Early DE



Modified Gravity

$$G(a) = \exp \left(\int_0^a d \ln a' [\Omega_M^\gamma(a') - 1] \right)$$



Conclusions

- Combined distance + growth data can falsify whole classes of dark energy models
 - LCDM
 - Quintessence (scalar field)
 - Smooth DE models
 - (modified gravity)
- Upcoming SN + Planck observations will impose strong predictions on growth and distance observables (1% in many interesting cases)
- Even in more general cases (e.g. smooth DE), stringent predictions from SNe+CMB that can be verified with BAO, WL, Cluster data

Examples of SNAP+Planck predictions

→ Flat LCDM:

- $D(z)$, $G(z)$ to 1% everywhere
- $H(z=1)$ to 0.1%
- γ to 0.1% at all z

→ Quintessence - with/out curvature or early DE

- $D(z)$, $G(z)$ to $<5\%$; one-sided deviations

→ Smooth dark energy - with/out curvature or early DE:

- Tight consistency relations (e.g. $G(z=1)$ vs. $G(z=1.7)$)

→ General Relativity

- γ to 5% (~ 0.02) even with arbitrary $w(z)$