

***Asking for a high- $p_T$  photon  
in Higgs production at LHC***



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**Barbara Mele**

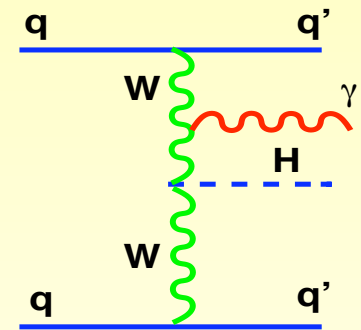
*Sezione di Roma*

# focus on two processes :

►  $pp \rightarrow H (\rightarrow bb) 2j + \gamma$

Gabrielli, Maltoni, B.M., M.Moretti,  
Piccinini, Pittau, NPB 781 (2007) 64

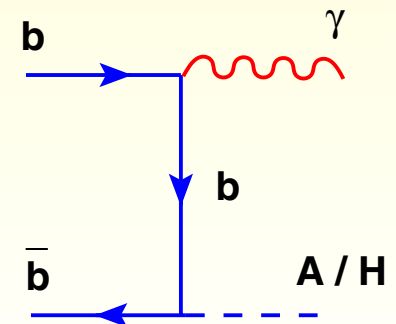
(in the SM)



►  $pp \rightarrow H / A (\rightarrow \tau\tau) + \gamma$

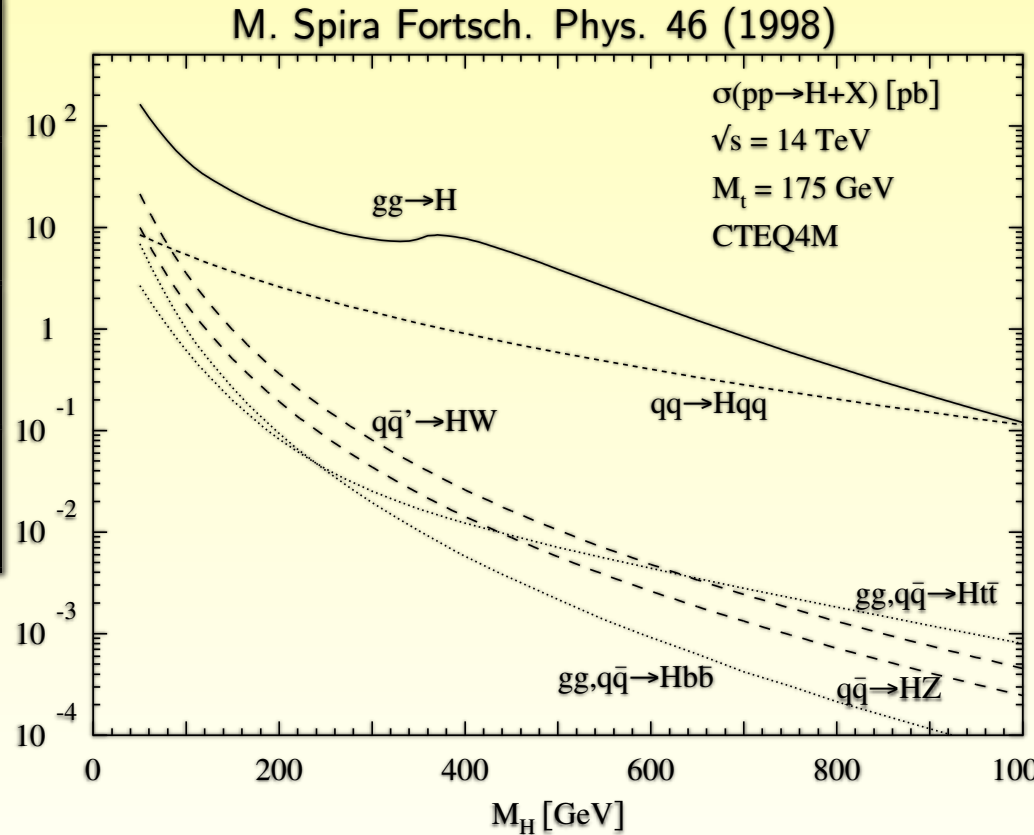
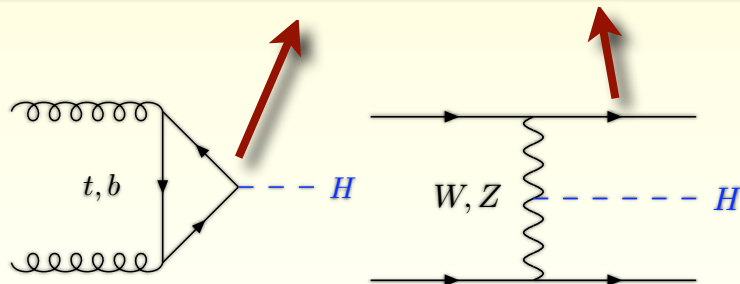
Gabrielli, B.M., Rathsmann,  
PRD 77 (2008) 015007

(in the MSSM)



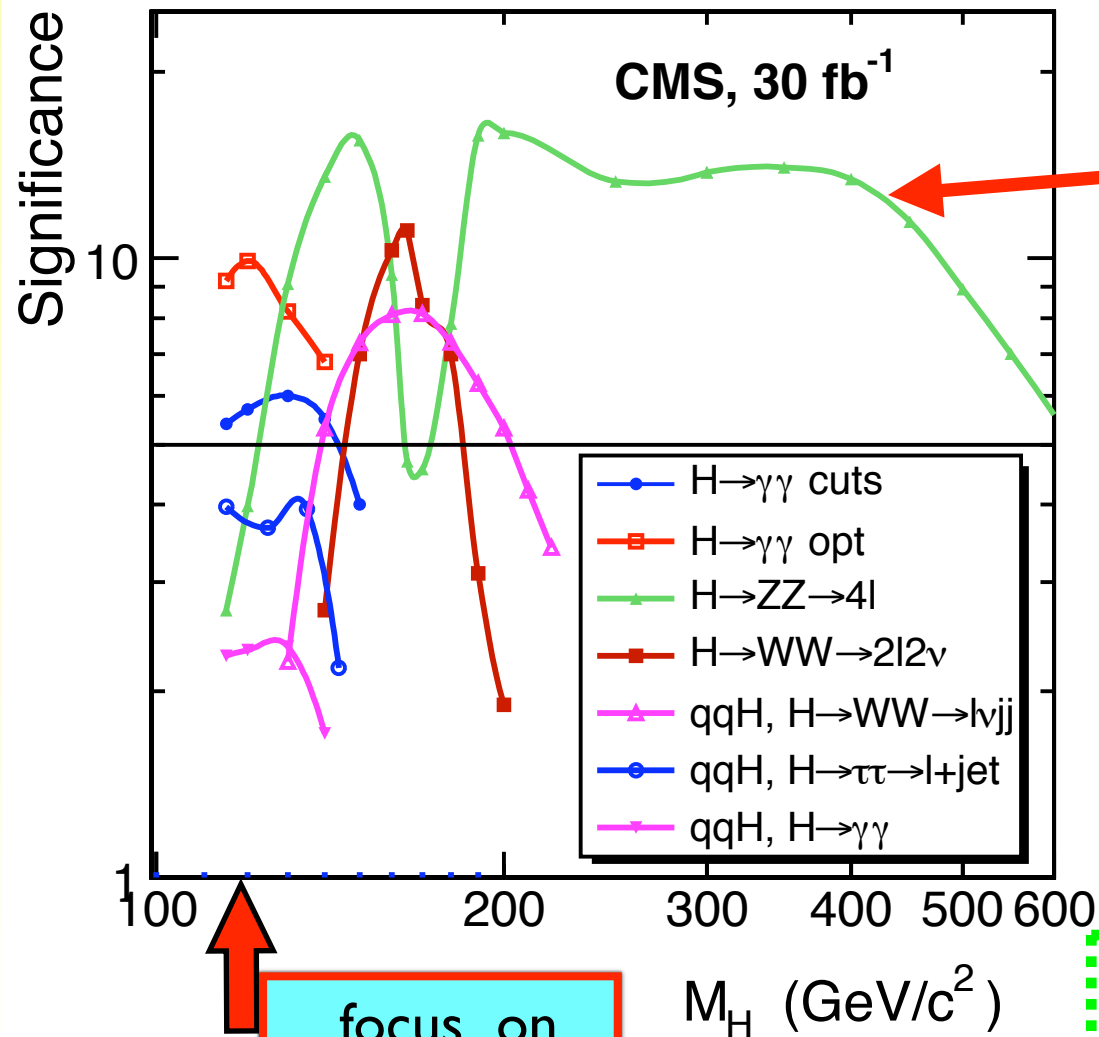
# HIGGS TOTAL CROSS SECTIONS

$m_H$ (GeV)	$\sigma_{gg}$ [pb]	$\sigma_{VBF}$ [pb]
120	42	4.4
140	33	3.8
200	18	2.5
300	10	1.4



different final states !

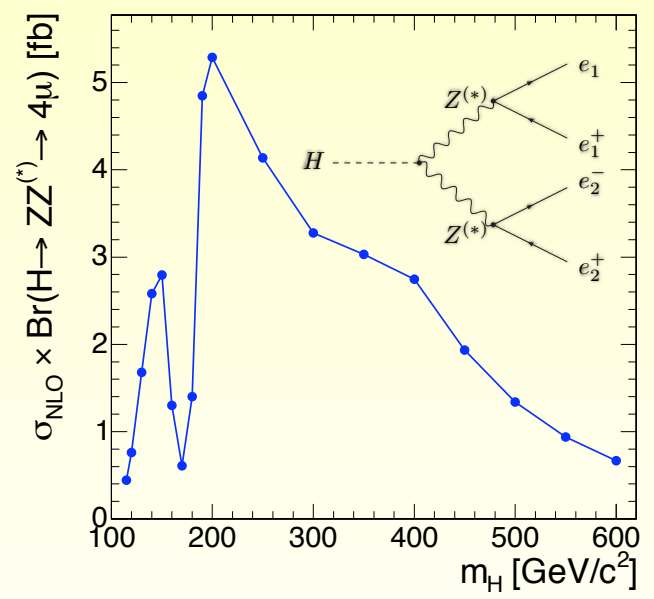
but interesting  $\sigma$ 's are of the order of few fb's  
 ( after BR's + cuts for enhancing signal/bckg )



focus on  
 $m_H \sim 120$  GeV

**GOLDEN CHANNEL !**

$$H \rightarrow ZZ \rightarrow 4l$$



$\sigma \times \text{BR}(H \rightarrow 4\mu) < 6$  fb

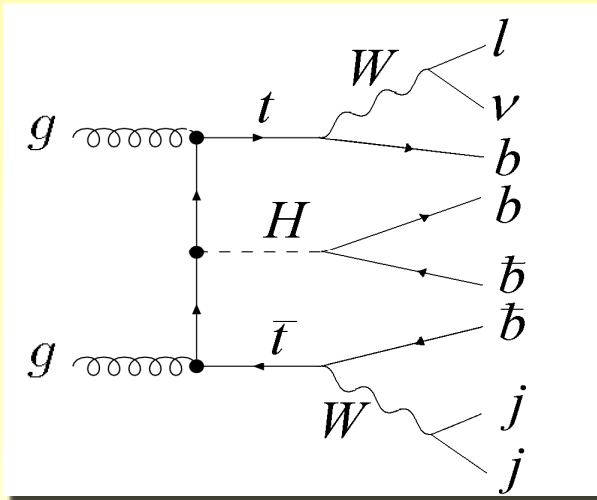
Hbb coupling dominant in light-H decay !

[BR(H→bb) ~ 70% at  $m_H \sim 120$  GeV]

but QCD bb continuum tends to swamp  
any EW bb resonance  
at hadron colliders !

Can one constrain the Hbb coupling at all ?

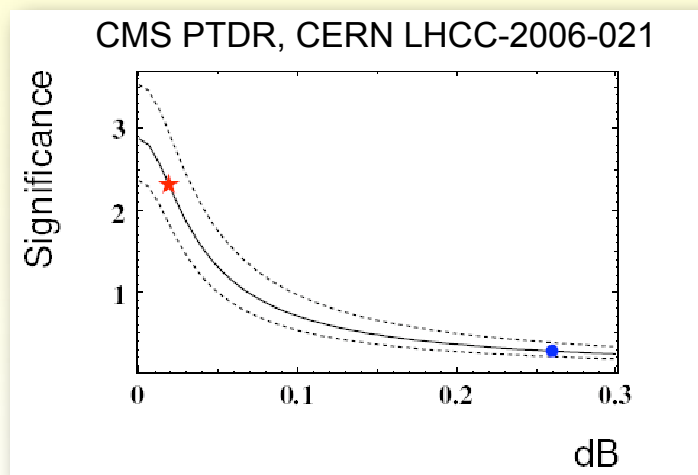
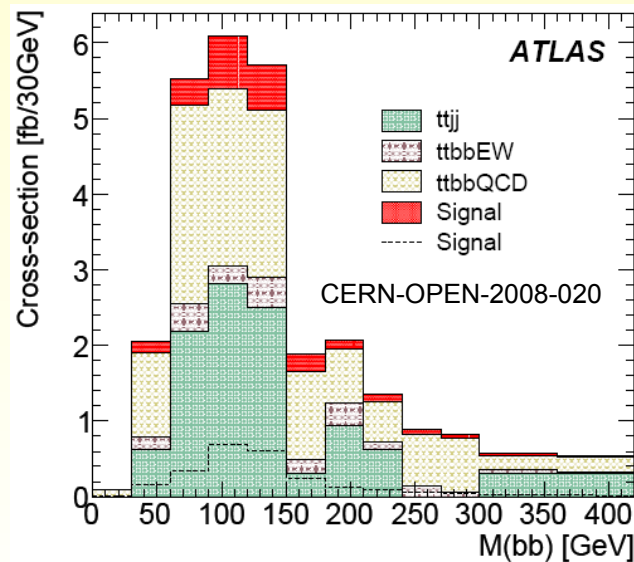
# Constraining $Hbb$ coupling for light $H$



most studied channel :

$$pp \rightarrow ttH \rightarrow ttbb$$

after including detector simulation,  
initial "optimistic" expectations vanished !



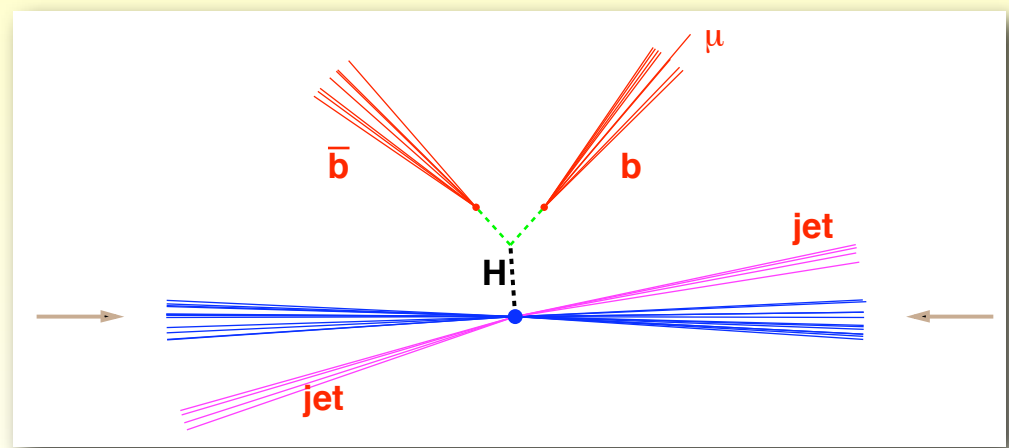
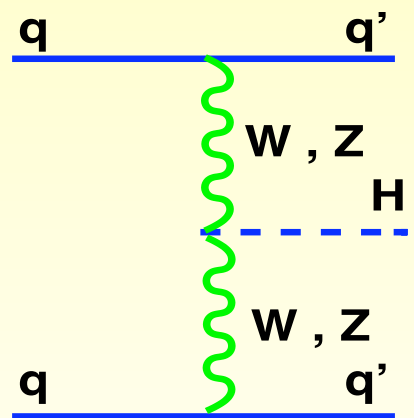
Also, an expected  
 $k \sim 1.8$  factor on  
bckgd at NLO\*\*\*  
makes everything  
even worse !

(\*\*\*Bredenstein, Denner, Dittmaier, Pozzorini,  
arXiv:0905.0110)

# Alternatives :

$$pp \rightarrow H (\rightarrow bb) + 2j \quad (\text{VBF fusion})$$

- light Jets with large invariant mass  $p_T(j) \approx 40 \text{ GeV}$
- widely separated in rapidity (forward/backward)
- Higgs decay products lying at intermediate rapidity



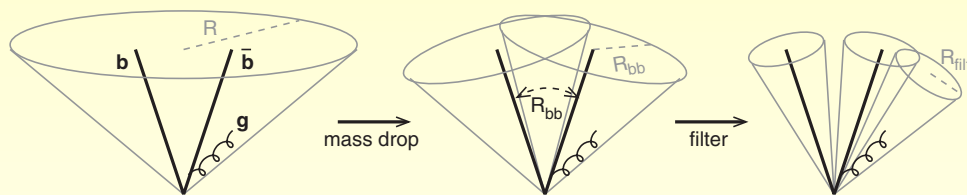
potential difficult to assess (4-jet final state...???)

Mangano, Moretti, Piccinini, Pittau, Polosa (2003)

## new strategy for $pp \rightarrow H (\rightarrow bb) W, Z (\rightarrow \ell\ell')$

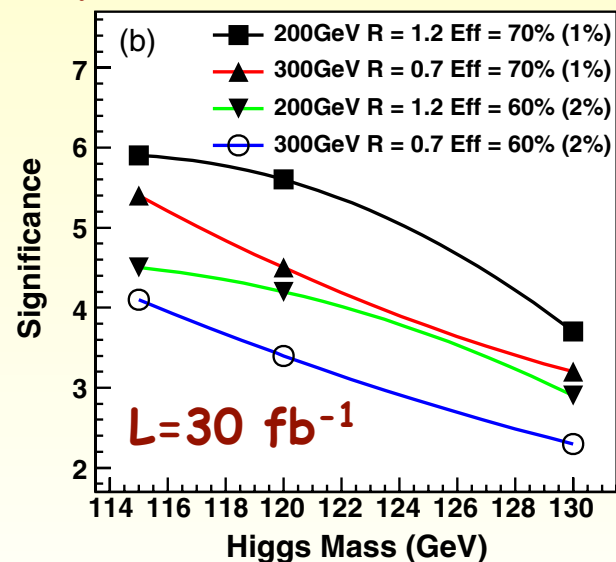
\* increase (tiny)  $S/B$  for  $pp \rightarrow HW(Z) \rightarrow bbl\ell'$   
 by looking to events with **very high- $p_T$**  H and W(Z) ( $p_T > 200, 300$  GeV)  
 $\rightarrow$   $S/B$  improves (but  $\sigma$  drops ...)!

**challenge** : high- $p_T$   $H \rightarrow bb$  quite collimated  $\rightarrow$  may give a single jet  
 $\rightarrow$  using a (QCD-motivated) **subjet analysis** could help !



Jet definition	$\sigma_S/\text{fb}$	$\sigma_B/\text{fb}$	$S/\sqrt{B \cdot \text{fb}}$
CA, $R = 1.2$ , MD-F	0.57	0.51	0.80
$K_{\perp}$ , $R = 1.0$ , $y_{\text{cut}}$	0.19	0.74	0.22
SISCONE, $R = 0.8$	0.49	1.33	0.42

TABLE I. Cross section for signal and the  $Z$  + jets background in the leptonic  $Z$  channel for  $200 < p_{TZ}/\text{GeV} < 600$  and  $110 < m_J/\text{GeV} < 125$ , with perfect  $b$ -tagging; shown for our jet definition, and other standard ones at near optimal  $R$  values.

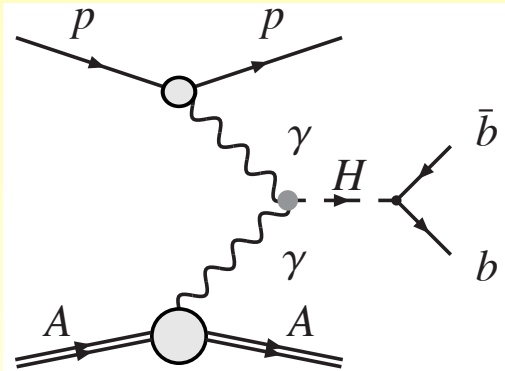
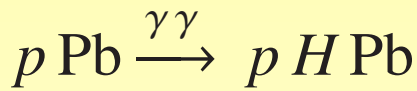


to be validated by complete detector simulation !

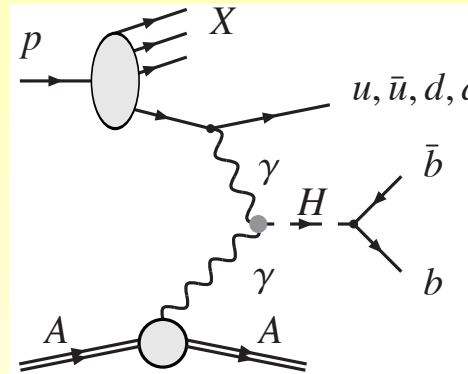
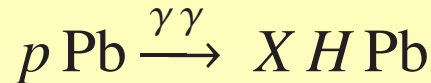


# $\gamma\gamma$ collisions in $p\text{Pb} \rightarrow p H (\rightarrow b\bar{b}) \text{Pb}$

d'Enterria and Lansberg arXiv:0909.3047



(a) Elastic case

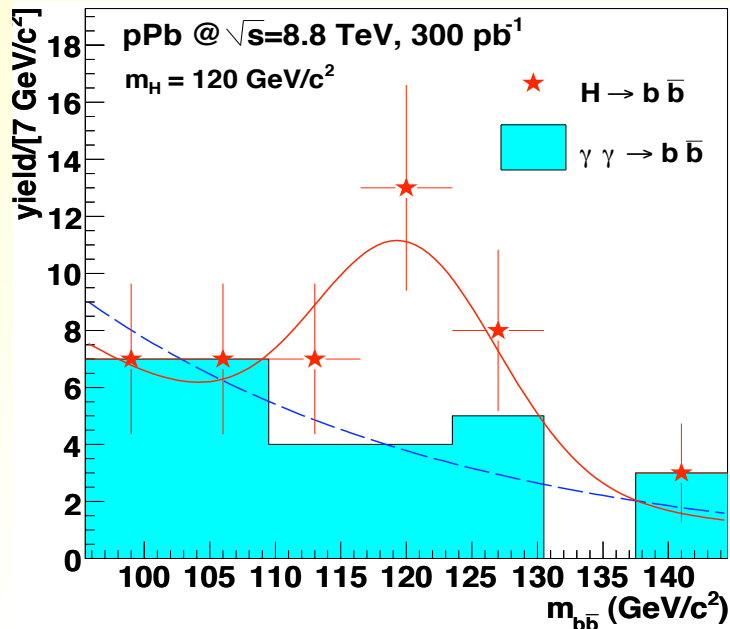


(b) Semielastic case

given  $E_p \sim 7 \text{ TeV}$  ( $B \sim 8.3 \text{ T}$ )  
 $\rightarrow E_{N(Z,A)} \sim E_p \times Z/A$

$p\text{-Pb} \rightarrow \sqrt{s_{NN}} = 8.8 \text{ TeV}$

$\mathcal{L}_{p\text{Pb}} \sim 10^{31} \text{ cm}^{-2} \text{ s}^{-1}$



- Pb increases  $\gamma$  flux ( $\sim Z^2$ ), and kills pile-up (low lumi)
- p increases  $\gamma$ -flux end-point and lumi

$m_H = 120 \text{ GeV}$  Higgs observed with  $S/\sqrt{B} \sim 3$  after 3-year run

# summing up

measurement of  $g_{Hbb}$   
challenging at LHC !

LHC potential not yet  
really established !

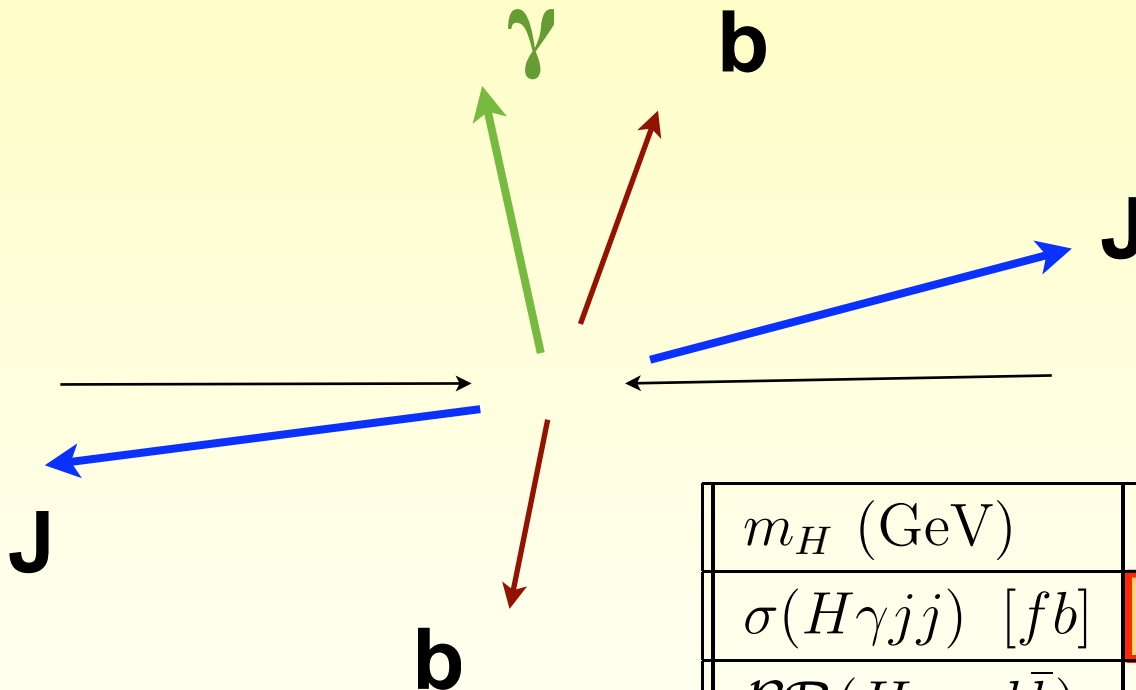
# New Channel :

(Gabrielli, Maltoni,  
B.M., M. Moretti,  
Piccinini, Pittau, 2007)



require a further central photon from VBF

$$pp \rightarrow H (\rightarrow bb) + 2j + \gamma$$

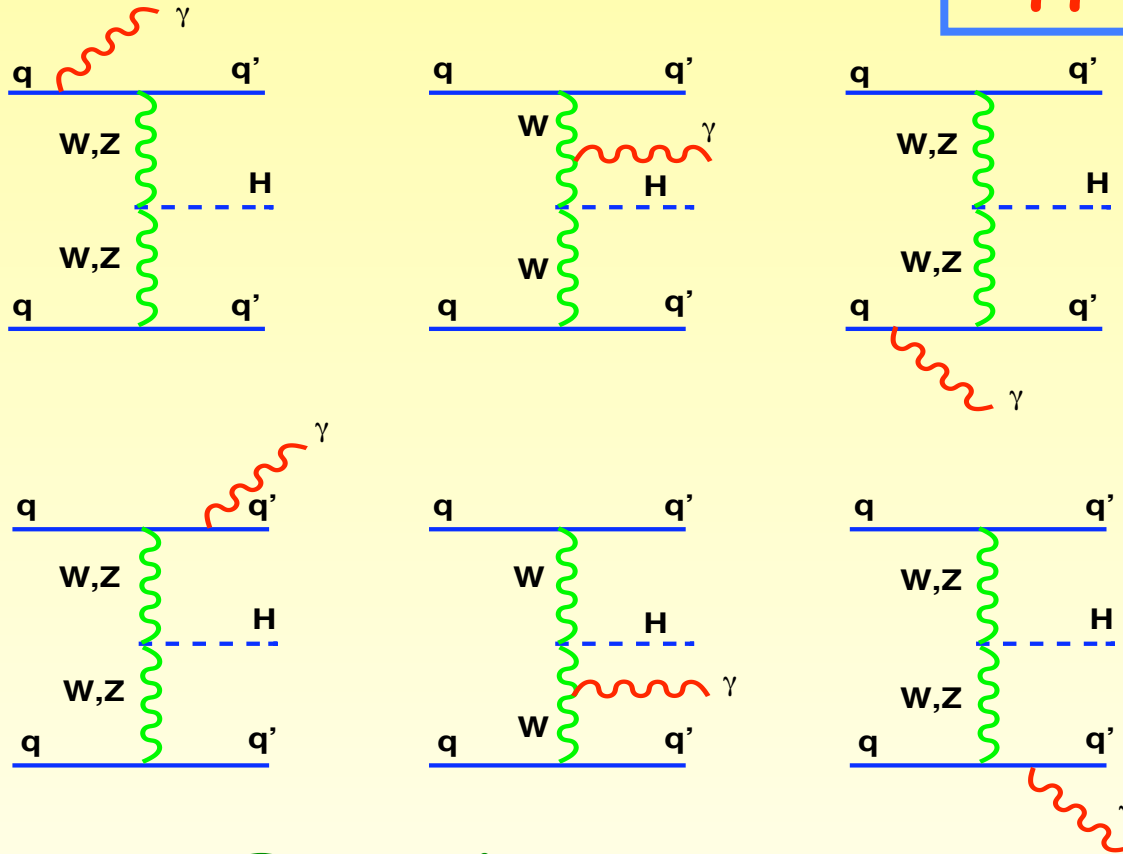


increases  
triggering  
efficiency!

$m_H$ (GeV)	110	120	130	140
$\sigma(H\gamma jj)$ [fb]	67.4	64.0	60.4	56.1
$\mathcal{BR}(H \rightarrow b\bar{b})$	0.770	0.678	0.525	0.341

( $\Delta R_{\gamma j} > 0.4$ ,  $p_T^\gamma \geq 20$  GeV, and  $m_{jj} > 100$  GeV)

$$qq \rightarrow qq H + \gamma$$

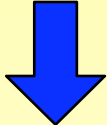


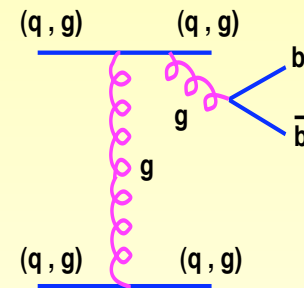
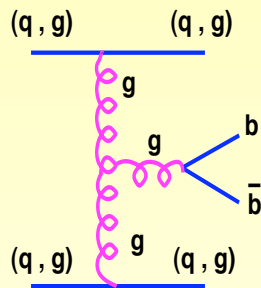
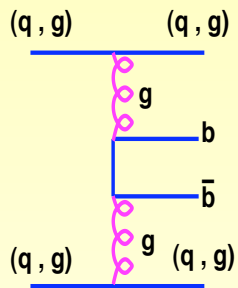
from naive QED scaling :

$$(S/\sqrt{B})|_{H\gamma jj} \sim \sqrt{\alpha} (S/\sqrt{B})|_{H jj} \lesssim 1/10 (S/\sqrt{B})|_{H jj}$$

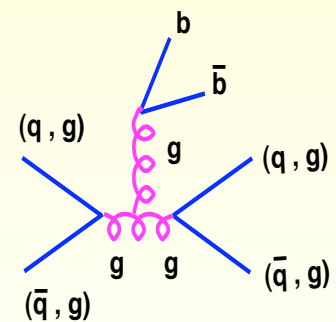
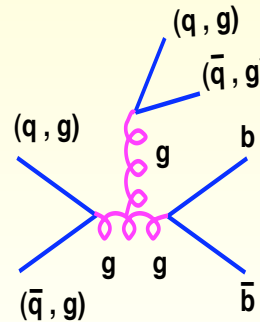
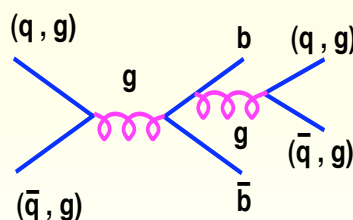
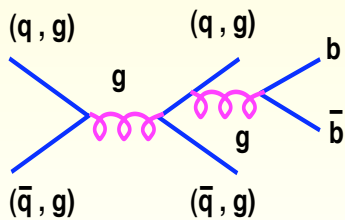
**Actual  $S/\sqrt{B}$  much better than this !!!!**

# IRREDUCIBLE BCKGD

add a photon to  (gluons are idle !)



**t,u-channel** (most relevant !)



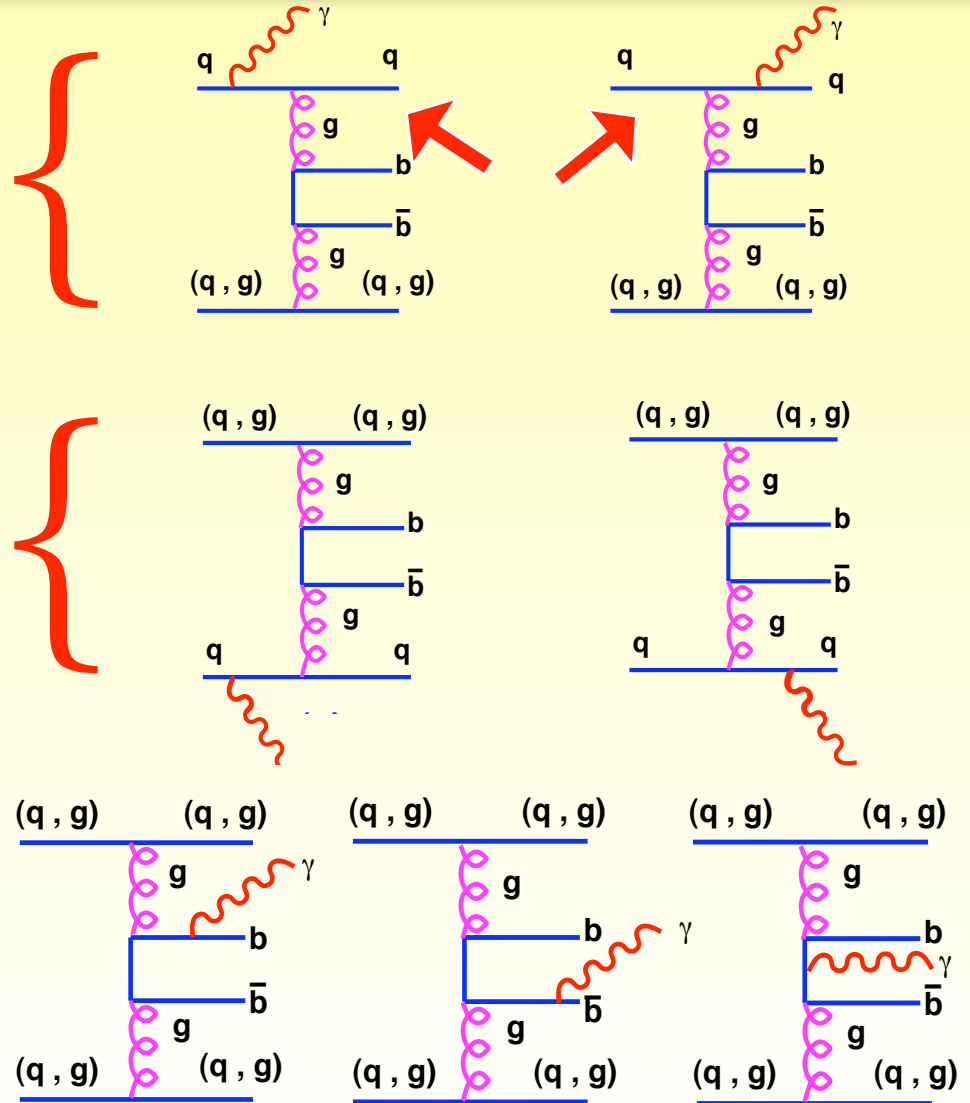
**s-channel** (suppressed at  $M_{jj} \sim 1\text{TeV}$ )

# Also, destructive interf.s in central $\gamma$ emissions off $q_{in}$ and $q_{fin}$ in a t-channel gluon diagram

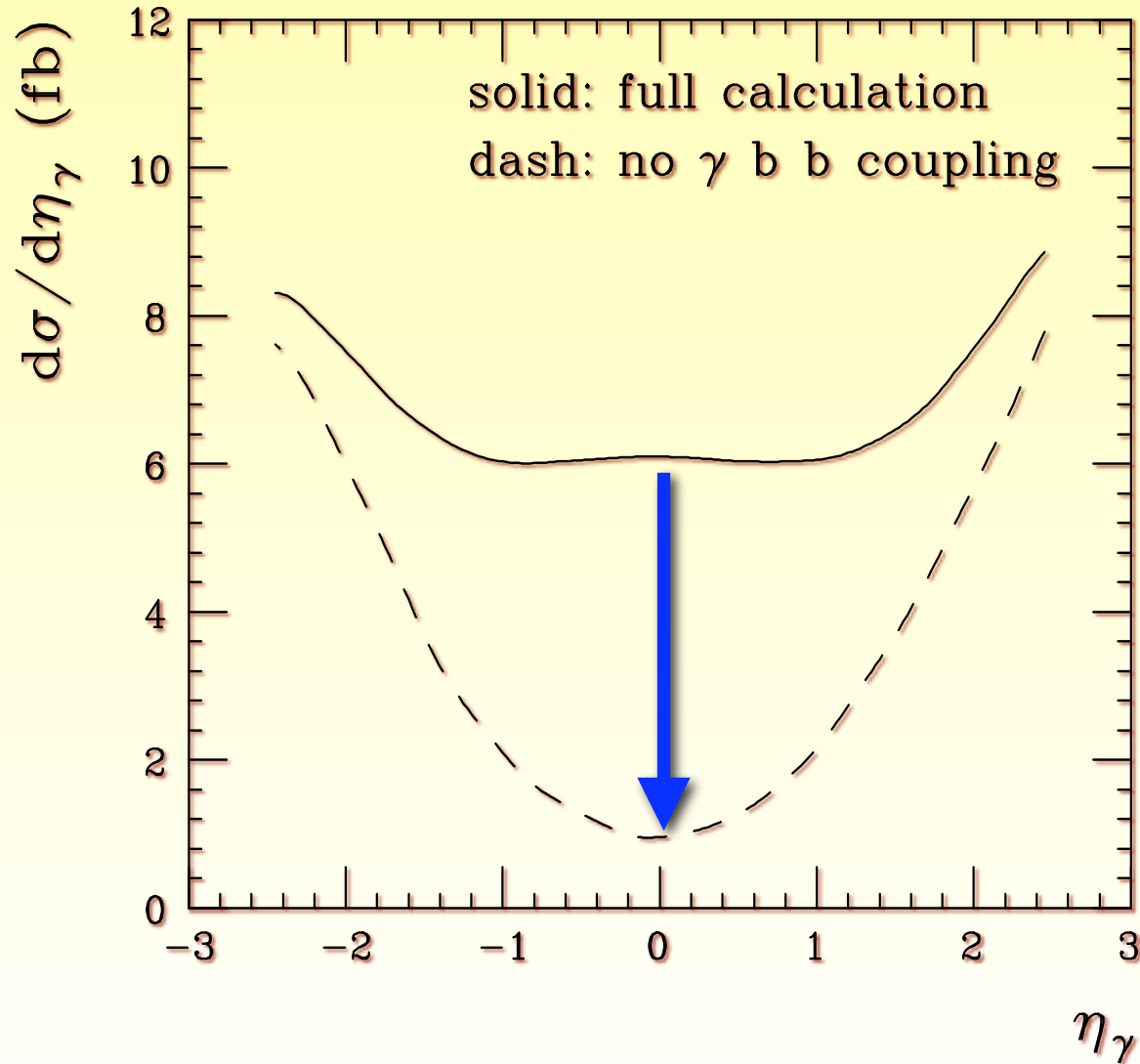
("coherence" effect)

→ bckg suppressed by requiring a central photon by  $O(1/10)$  compared to naive QED scaling!

dominant contrib. →  
(suppressed by b-quark electric charge)



# switching off the $\gamma b b$ coupling in irred. bckg



**photon  
rapidity  
distributions**

**(optimized cuts)**

# what about signal ?

**W charged current spoils destructive interference at large angle !**

$$(WW \rightarrow H) \quad \frac{\sigma^{(C)}(H\gamma jj)}{\sigma^{(C)}(Hjj)} = 0.013$$

**but Z neutral current follows BCKG pattern !!!**

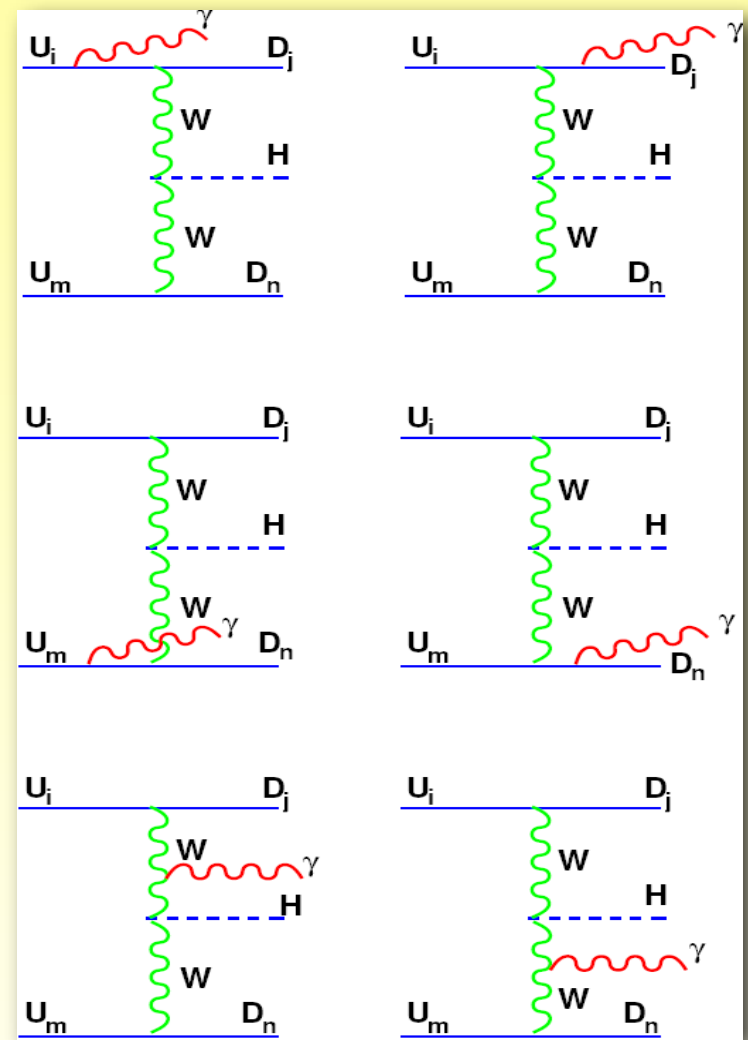
$$(ZZ \rightarrow H) \quad \frac{\sigma^{(N)}(H\gamma jj)}{\sigma^{(N)}(Hjj)} = 0.0016$$

$$p_T^\gamma \geq 20 \text{ GeV}$$

$$|\eta_\gamma| \lesssim 2.5$$

$$\Delta R_{j\gamma} \geq 0.7$$

Barbara Mele



**central photon singles out WW over ZZ fusion !!!**



## basic cuts :

EVENT  
SELECTION

$$p_T^j \geq 30 \text{ GeV}, \quad p_T^b \geq 30 \text{ GeV}, \quad \Delta R_{ik} \geq 0.7,$$

$$|\eta_\gamma| \leq 2.5, \quad |\eta_b| \leq 2.5, \quad |\eta_j| \leq 5,$$

$$m_{jj} > 400 \text{ GeV}, \quad m_H(1 - 10\%) \leq m_{b\bar{b}} \leq m_H(1 + 10\%),$$

- 1)  $p_T^\gamma \geq 20 \text{ GeV}$ ,
- 2)  $p_T^\gamma \geq 30 \text{ GeV}$ ,

then, look at distrib's :

$$\frac{d\sigma}{dm_{jj}}, \quad \frac{d\sigma}{dp_T^{j1}}, \quad \frac{d\sigma}{dp_T^{b1}}, \quad \frac{d\sigma}{dm_{\gamma H}}, \quad \frac{d\sigma}{|\Delta\eta_{jj}|},$$

→ add optimized cuts :

$$m_{jj} \geq 800 \text{ GeV}, \quad p_T^{j1} \geq 60 \text{ GeV}, \quad p_T^{b1} \geq 60 \text{ GeV},$$

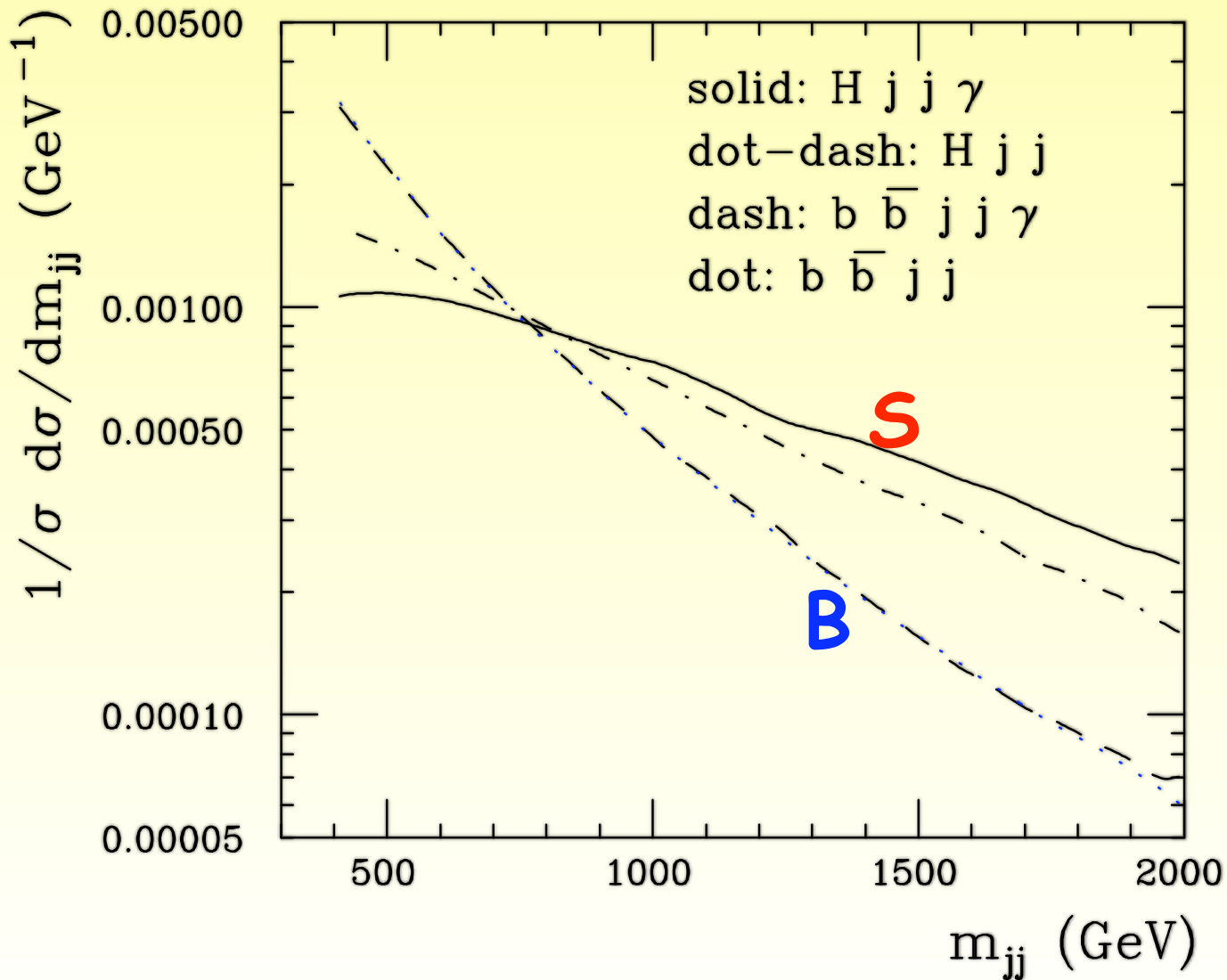
$$|\Delta\eta_{jj}| > 4, \quad m_{\gamma H} \geq 160 \text{ GeV}, \quad \Delta R_{\gamma b/\gamma j} \geq 1.2.$$

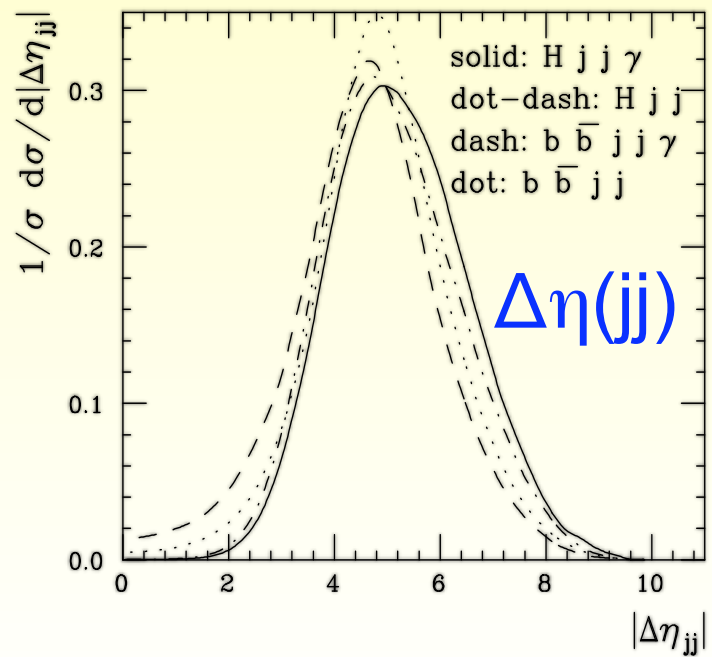
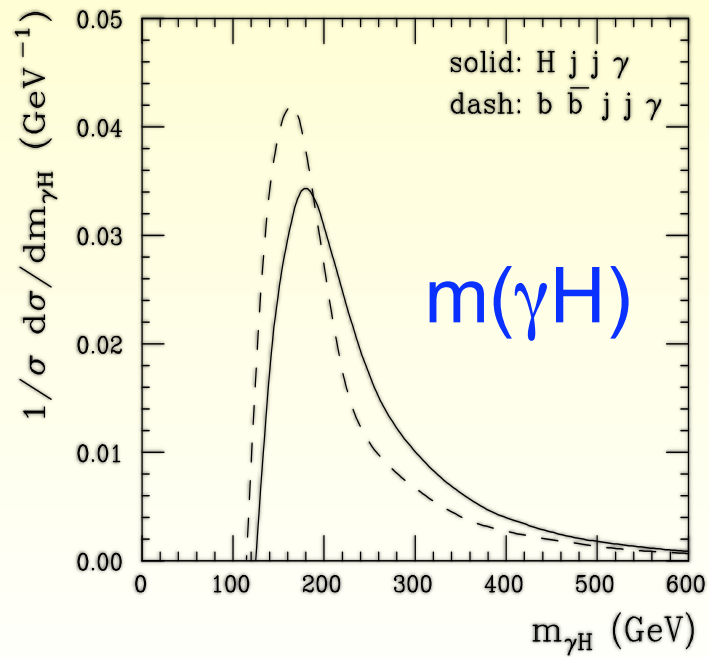
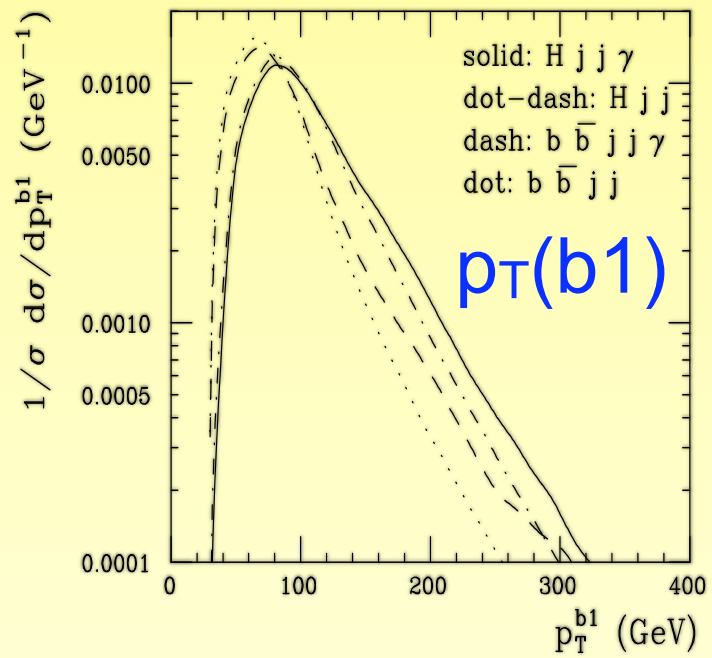
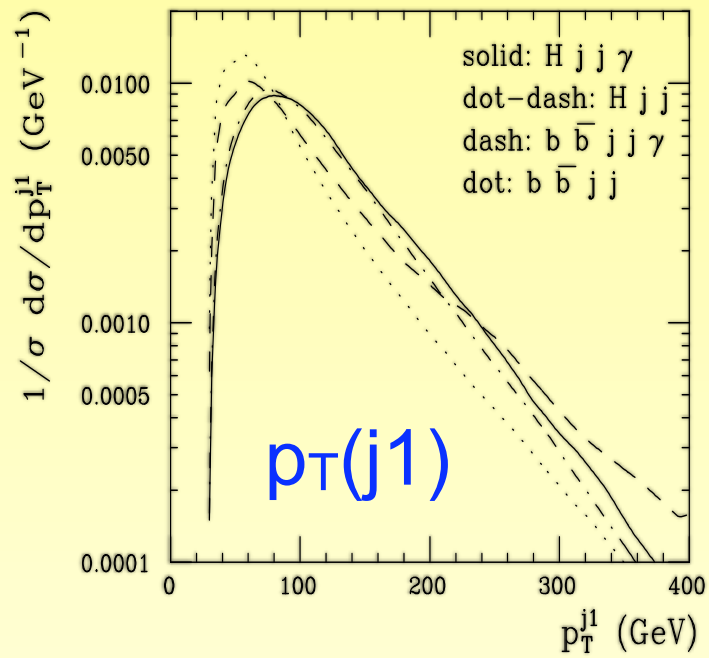
well isolated photon



# $m_{jj}$ distribution critical to enhance S/B

( even more than in plain VBF !!! )





irreducible bckgr  $\sigma$ 's

(optimized cuts)

$p_T^\gamma \geq 20$  GeV

sub-processes	$\sigma_i$ (pb)	$\sigma_i/\sigma$	$\sigma_i^\gamma$ (fb)	$\sigma_i^\gamma/\sigma^\gamma$
$gq \rightarrow b\bar{b} gq (\gamma)$	57.2(1)	55.3 %	17.3(1)	51.6 %
$gg \rightarrow b\bar{b} gg (\gamma)$	25.2(1)	24.4 %	3.93(3)	11.7 %
$qq' \rightarrow b\bar{b} qq' (\gamma)$	7.76(3)	7.5 %	4.04(2)	12.1 %
$qq \rightarrow b\bar{b} qq (\gamma)$	6.52(2)	6.3 %	4.49(3)	13.4 %
$q\bar{q}' \rightarrow b\bar{b} q\bar{q}' (\gamma)$	4.60(2)	4.4 %	2.28(2)	6.8 %
$q\bar{q} \rightarrow b\bar{b} q\bar{q} (\gamma)$	2.13(2)	2.1 %	1.21(2)	3.6 %
$gg \rightarrow b\bar{b} q\bar{q} (\gamma)$	0.0332(7)	0.03 %	0.124(3)	0.37 %
$q\bar{q} \rightarrow b\bar{b} gg (\gamma)$	0.0137(2)	0.01 %	0.094(2)	0.28 %
$q\bar{q} \rightarrow b\bar{b} q'\bar{q}' (\gamma)$	0.000080(3)	0.00007 %	0.00080(8)	0.002 %

( $m_H=120$  GeV)

**bckg( $\gamma$ ) / bckg  $\sim 33$  fb / 103 pb  $\sim 1/3000$**

**cf. signal( $\gamma$ ) / signal  $\sim 1/100$**

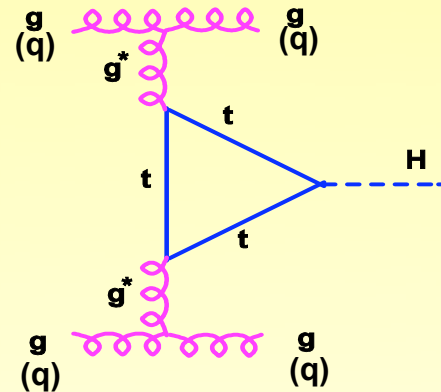
**note : conservative choice of QCD scales in the bckg evaluation !**

● requirement of a central photon also

suppresses contamination from  $g^*g^* \rightarrow H jj \gamma$

(induced by top loop)

("bckg" to Higgs via VBF)



●  $\sigma(H \gamma jj)_{g^*g^* \rightarrow H} \sim 8 \times 10^{-4} \sigma(H jj)_{g^*g^* \rightarrow H}$



●  $\sigma(H \gamma jj)_{g^*g^* \rightarrow H} \sim 0.21 \text{ fb}$  negligible !

(basic cuts,  $p_T^\gamma > 20 \text{ GeV}$ )

# $\sigma$ 's : $pp \rightarrow H \gamma jj$ vs irrid. bckgr

PDF : CTEQ5L

(ALPGEN + MADEVENT)

	$p_T^{\gamma, cut}$	$m_H = 120$ GeV	$m_H = 130$ GeV	$m_H = 140$ GeV
$\sigma[H(\rightarrow b\bar{b})\gamma jj]$	20 GeV	3.59(7) fb	2.92(4) fb	1.98(3) fb
	30 GeV	2.62(3) fb	2.10(2) fb	1.50(3) fb
$\sigma[b\bar{b}\gamma jj]$	20 GeV	33.5(1) fb	37.8(2) fb	40.2(1) fb
	30 GeV	25.7(1) fb	27.7(1) fb	28.9(2) fb
$\sigma[H(\rightarrow b\bar{b})jj]$		320(1) fb	254.8(6) fb	167.7(3) fb
$\sigma[b\bar{b}jj]$		103.4(2) pb	102.0(2) pb	98.4(2) pb

for  $m_H=120$  GeV :  $S/B(\gamma) \sim 1/10 \sim 30 S/B_0 !$

$\epsilon_b = 60\%$  (b tagging eff.)  
 $\epsilon_{b\bar{b}} \simeq 70\%$   
 (finite  $m_{bb}$  resolution)

cf.  $S/B(gg \rightarrow H \rightarrow \gamma\gamma) \sim 1/20$

$L=100 \text{ fb}^{-1}$	$p_T^{\gamma, cut}$	$m_H = 120$ GeV	$m_H = 130$ GeV	$m_H = 140$ GeV
$S/\sqrt{B} _{H\gamma jj}$	20 GeV	2.6	2.0	1.3
$S/\sqrt{B} _{H\gamma jj}$	30 GeV	2.2	1.7	1.2
$S/\sqrt{B} _{Hjj}$		3.5	2.8	1.9

# N<sub>events</sub> for red. vs irred. bckgs (m<sub>H</sub>=120 GeV)

$$\epsilon_b = 60\%$$

$$\epsilon_{b\bar{b}} \simeq 70\%$$

$$L=100 \text{ fb}^{-1}$$

		$p_T^\gamma \geq 20 \text{ GeV}$	$p_T^\gamma \geq 30 \text{ GeV}$
(signal)	$pp \rightarrow \gamma H (\rightarrow b\bar{b}) + 2j$	90	66
(irred)	$pp \rightarrow \gamma b\bar{b} + 2j$	1206	925
(red.)	$pp \rightarrow \gamma + 4j$	23	17
	$pp \rightarrow b\bar{b} + 3j$	440	324
	$pp \rightarrow 5j$	14	11
	$S/\sqrt{B}$	2.2	1.8

$$\epsilon_{\text{fake}} = 1\%$$

eff for mistagging  
light-jet as a b-jet

$$\epsilon_{\gamma j} = 1/5000$$

$\gamma j$  rejection factor

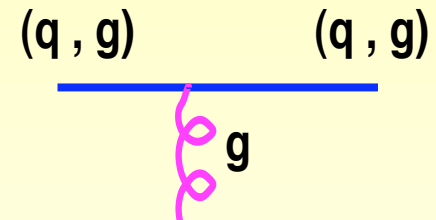
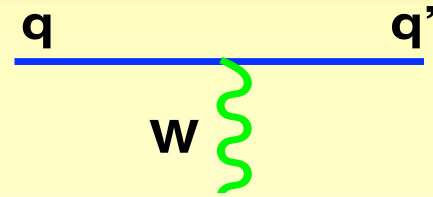


(CMS can do better than this !)

irred. bckg is  
dominant !

# Parton shower effects and central-jet veto help S/B

- no color exchanged in the signal between up and down fermionic lines
- on the contrary, in bckg t-channel virtual gluons
- higher-order QCD radiation much more relevant for bckg than for signal !
- in bckg,  $m_{jj}$  and  $|\Delta\eta_{jj}|$  for light tagging jets expected to decrease with respect to partonic configurations





# ALPGEN + HERWIG

jet cone as in GETJET  $p_T^j > 20 \text{ GeV}$   $|\eta_j| < 5$   $R = 0.7$

● identification of light tagging jets not uniquely defined, due to extra QCD radiation

## 2 different algorithms for jets :

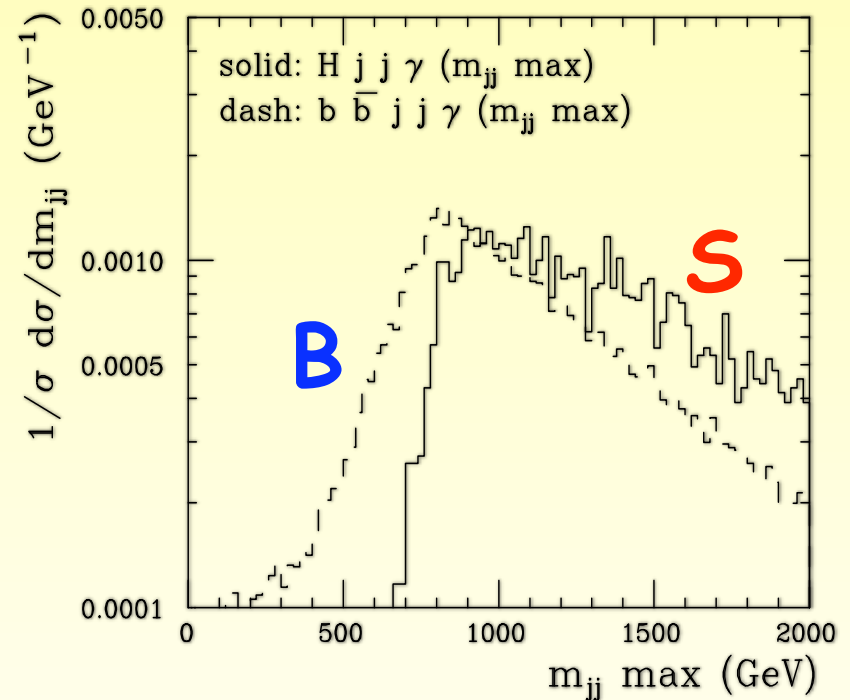
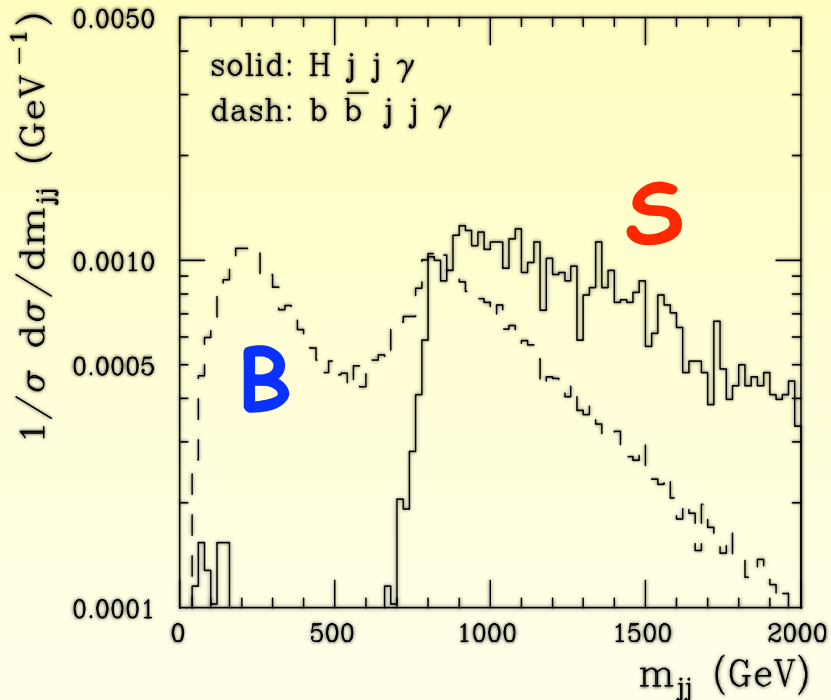
**a<sub>1</sub>** - highest and second highest  $p_T$  with  
 $p_T(j_1) > 60 \text{ GeV}$   $p_T(j_2) > 30 \text{ GeV}$

**a<sub>2</sub>** - pair of jets with highest invariant  
mass,  $p_T(j_1) > 60 \text{ GeV}$   $p_T(j_2) > 30 \text{ GeV}$

# distributions after parton shower

$(j_1, j_2)$  invariant mass distribution

$p_{T1} > 60 \text{ GeV}, p_{T2} > 30 \text{ GeV}$



$a_1$

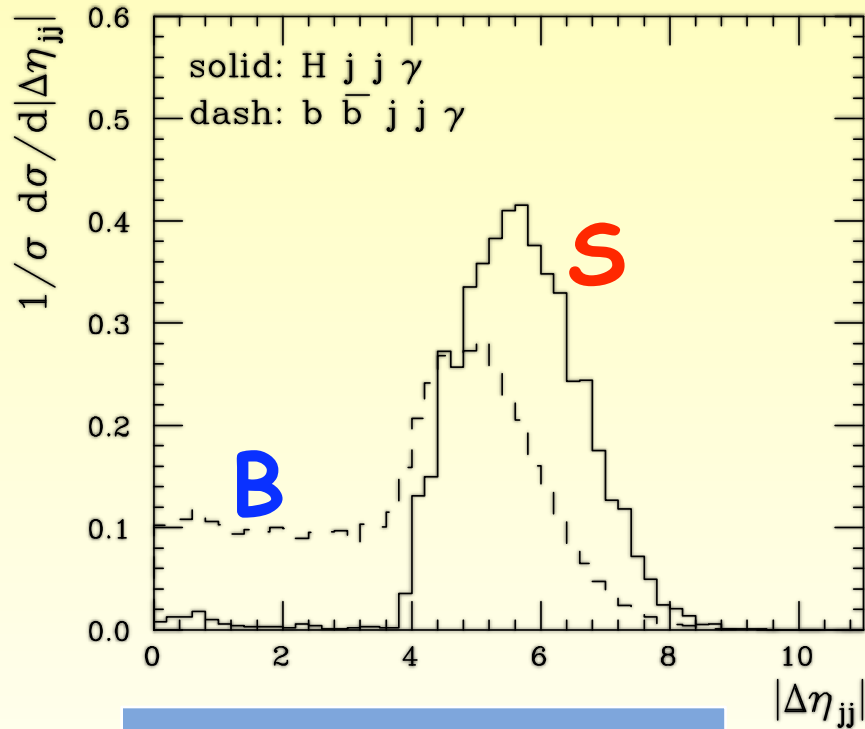
$m(j_1, j_2)$   
 $j_1 = \text{highest } p_T$   
 $j_2 = \text{second highest } p_T$

$a_2$

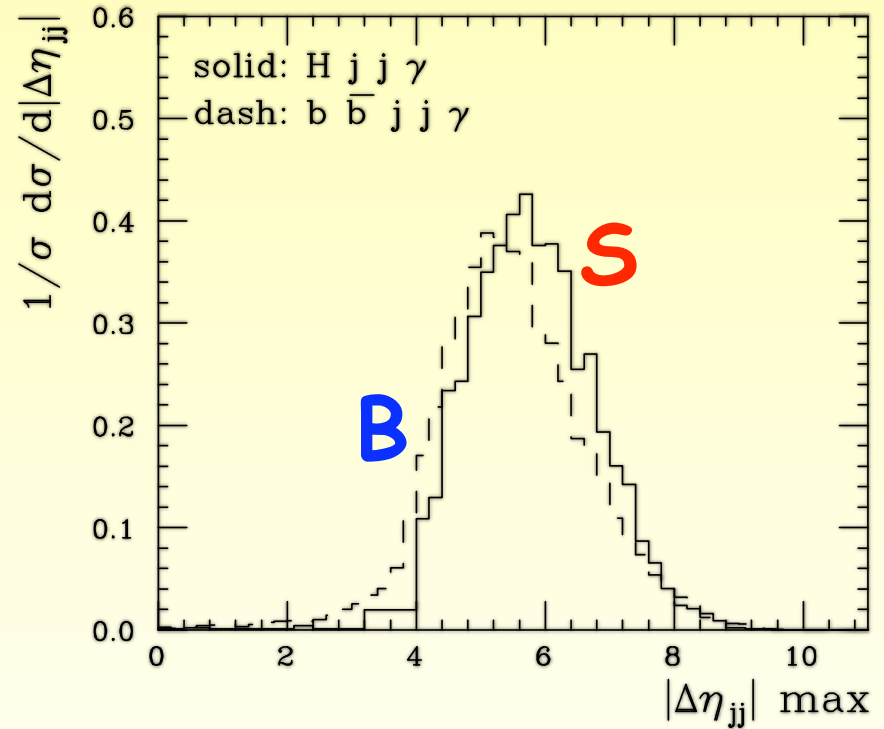
$\max[m(j_1, j_2)]$  among  
all jets

# $(j_1, j_2)$ rapidity difference distribution

$p_{T1} > 60 \text{ GeV}, p_{T2} > 30 \text{ GeV}$

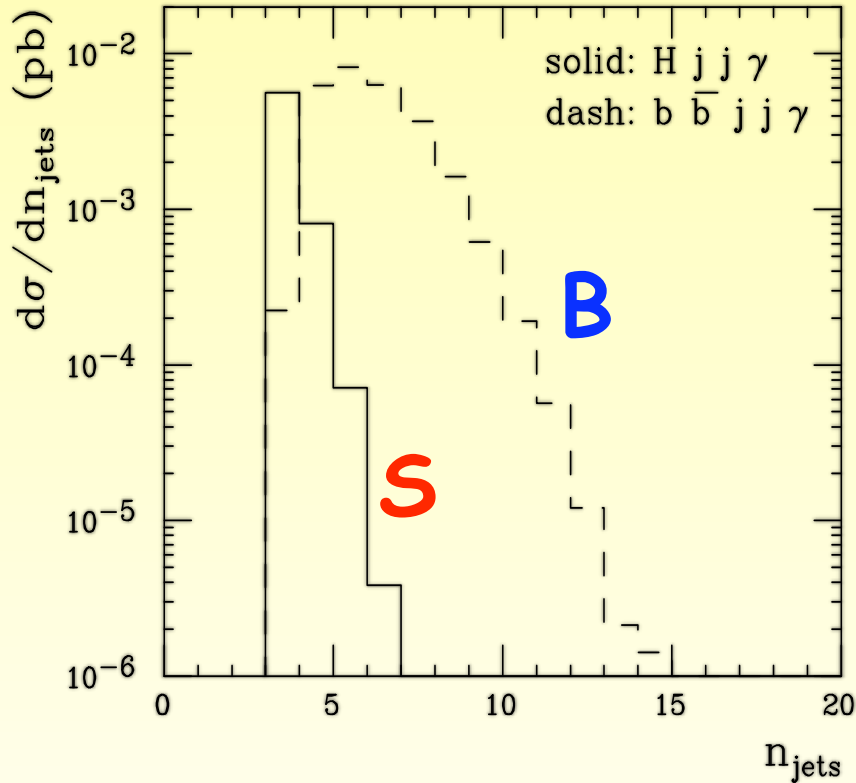


$\Delta\eta(j_1, j_2)$   
 $j_1 = \text{highest } p_T$   
 $j_2 = \text{second highest } p_T$

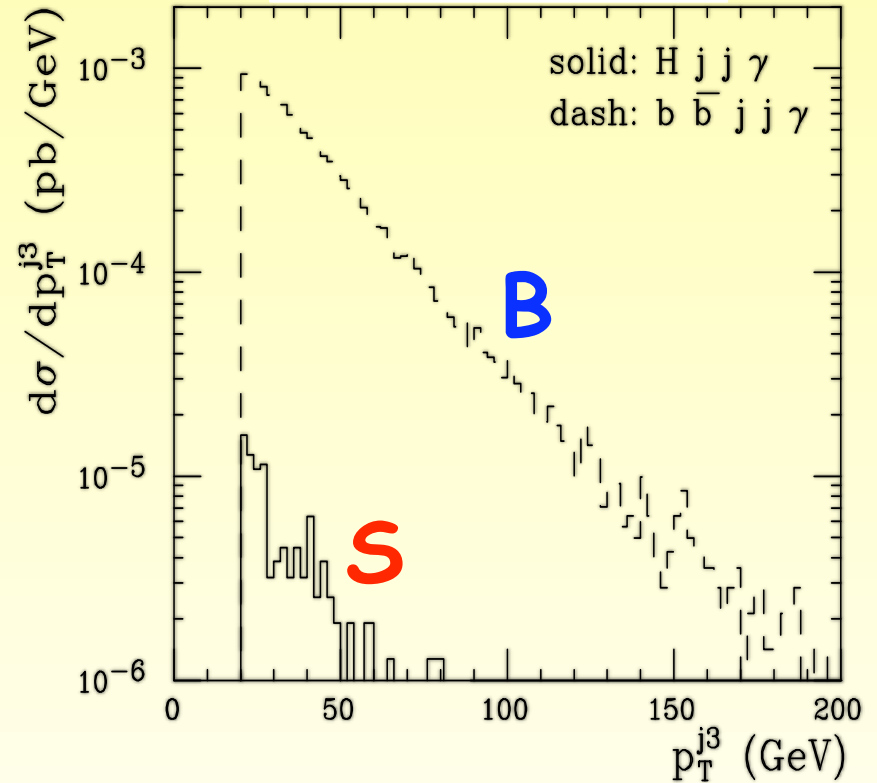


$\max[\Delta\eta(j_1, j_2)]$  among  
all jets

jet multiplicity  
distribution



$p_T$  distribution  
of the third  
highest  $p_T$  jet



COMBINING ALL :

$\Rightarrow$  bckg drops by a factor  $\sim 4$   
(signal almost unaffected !)

$\Rightarrow$  { factor  $\sim 2$  gain in  $S/\sqrt{B}$  !  
 $S/\sqrt{B} \sim 5$  ( $m_H=120$  GeV) !

what if  $\gamma \rightarrow W$ ?  $pp \rightarrow HW jj$

Rainwater (2001)

Ballestrero, Bevilacqua, Maina "BBM" (2008)

$\nu \ell = e, \mu$

could also help in constraining  $bbH$  coupling

cross section smaller than for  $pp \rightarrow H \gamma 2j$

for optimized event selection (and  $p_T(\gamma) > 20 \text{ GeV}$ )  
(with photon constraints applied to charged lepton)  
for  $m_H = 120 \text{ GeV}$ , we get :

$$\sigma(H \gamma jj) \sim 4.4 \times \sigma(HW jj)$$

$\nu \ell = e, \mu$

"BBM" obtains  $S/\sqrt{B} \sim 1.8$  at parton level ( $S/B \sim 1/25$ )  
( $L = 100 \text{ fb}^{-1}$ ,  $m_H = 120 \text{ GeV}$ )

# summary on $pp \rightarrow H (\rightarrow bb) 2j + \gamma$

- measurement of  $g_{Hbb}$  not yet established at LHC
- $pp \rightarrow H jj + \gamma$  offers
  - a) trigger on  $\gamma$
  - b) improved  $S/B$
- $S/\sqrt{B} \sim 2.5$  at parton level  $\rightarrow S/\sqrt{B} \sim 5$  expected after central-jet veto , ( $L=100 \text{ fb}^{-1}$ ,  $m_H=120 \text{ GeV}$ )
- could provide a new independent test of  $Hbb$  and  $HWW$  couplings (sensitivity to  $HZZ$  drops) !
- if problems with  $H \rightarrow \gamma\gamma$ , could even have a crucial role in light Higgs searches !
- $pp \rightarrow H jj + \gamma$  deserves complete detector effect simulation . . . (now ongoing in both ATLAS and CMS)

# focus on two processes :

▶  $pp \rightarrow H (\rightarrow bb) 2j + \gamma$

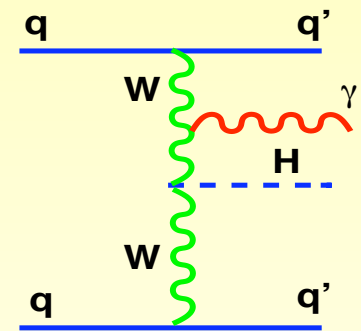
Gabrielli, Maltoni, B.M., M.Moretti,  
Piccinini, Pittau, NPB 781 (2007) 64



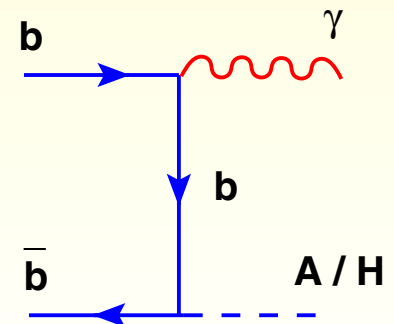
▶  $pp \rightarrow H / A (\rightarrow \tau\tau) + \gamma$

Gabrielli, B.M., Rathsmann,  
PRD 77 (2008) 015007

(in the SM)



(in the MSSM)

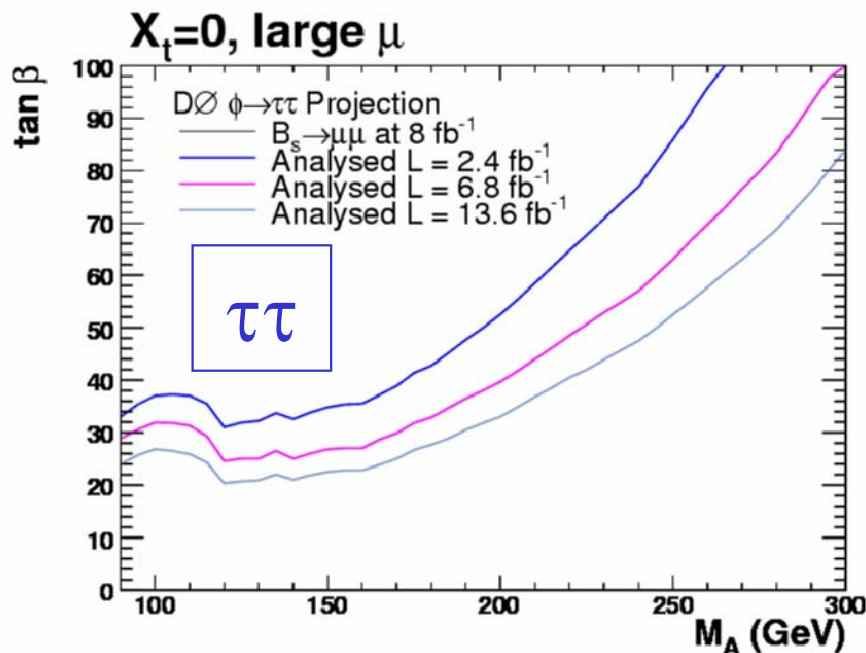
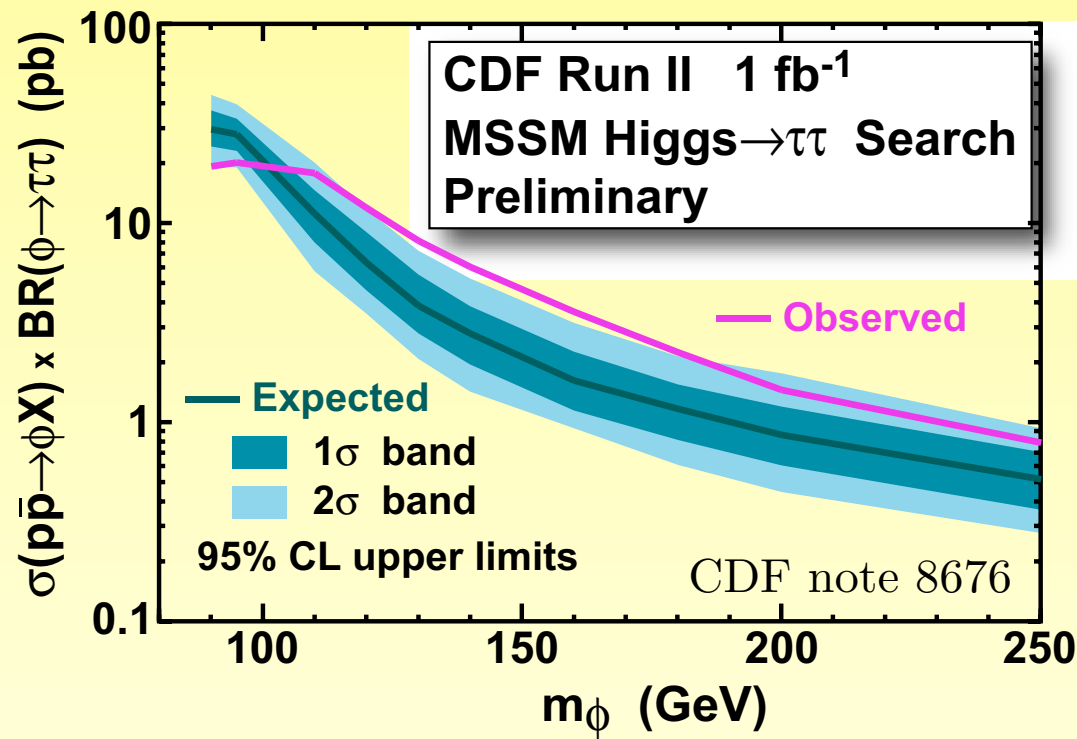


# Search for a MSSM Higgs at TeVatron

$$p\bar{p} \rightarrow \phi \rightarrow \tau^+ \tau^-$$

$$\phi = \{h, H, A\}$$

robust prediction in  
H/A  $\rightarrow$   $\tau^+\tau^-$  channel!



strong SUSY parameter  
dependence in Rad. Corrs ( $\Delta_b$ )  
[present in H/A  $\rightarrow$  bb channel]  
drops in H/A  $\rightarrow$   $\tau^+\tau^-$  channel:

$$\sigma(gg, b\bar{b} \rightarrow A) \text{ BR}(A \rightarrow \tau^+ \tau^-)$$

$$\simeq \sigma(gg, b\bar{b} \rightarrow A)_{\text{SM}} \frac{\tan^2 \beta}{(1 + \Delta_b)^2} \frac{(1 + \Delta_b)^2}{(1 + \Delta_b)^2 + 9}$$

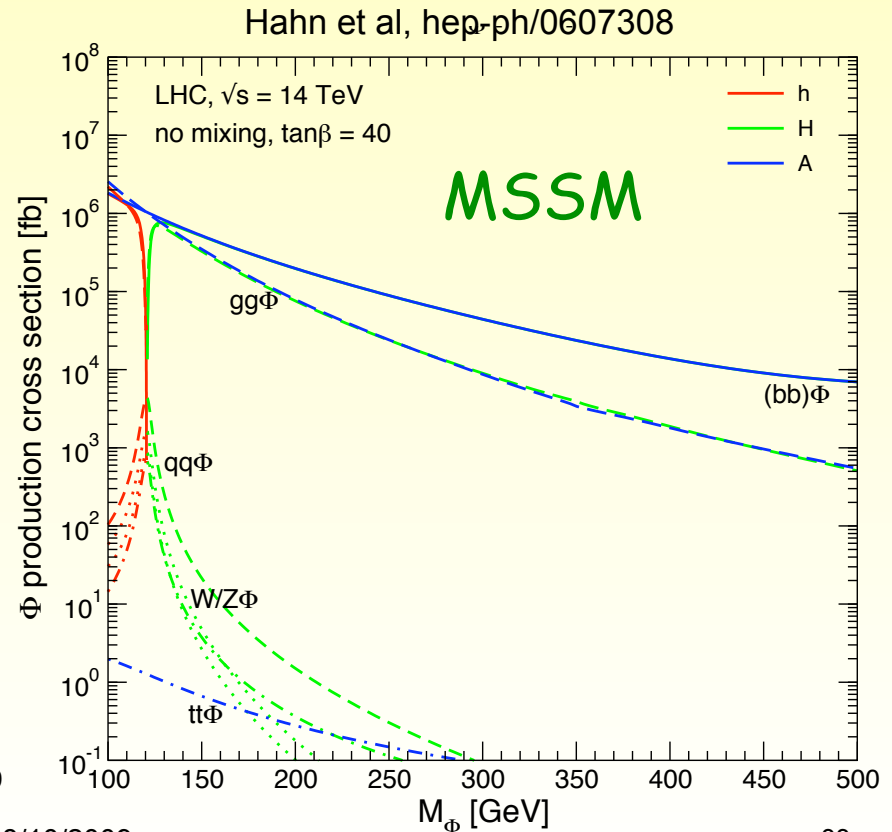
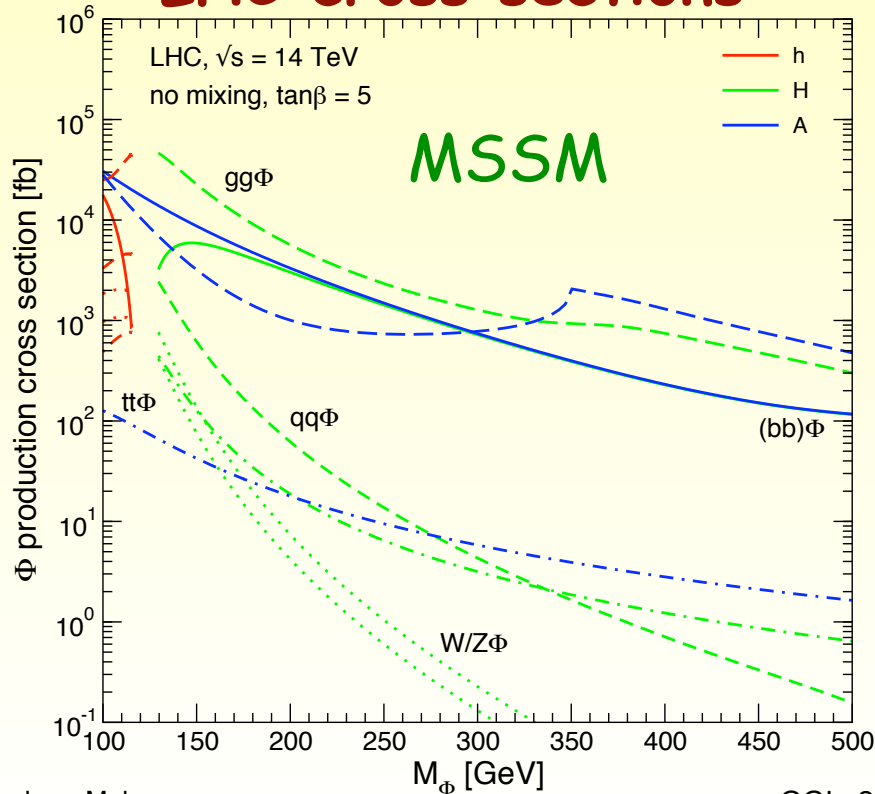


at large  $\tan\beta = v_2/v_1$  enhanced couplings  
to down quarks and leptons !

in MSSM  $\sigma(b\bar{b} \rightarrow A/H) \approx \sigma(gg \rightarrow A/H)$  (at moderate  $\tan\beta$ , too)

[ in SM  $\sigma(b\bar{b} \rightarrow h) \ll \sigma(gg \rightarrow h)$  ]

## LHC cross sections



$b\bar{b} \rightarrow A/H$  sensitive to  $Y_{bbA/H}$  coupling and  
to b-quark parton densities

in b-quark parton density presently derived  
perturbatively by  $g(x)$ !

[no direct measurement of  $b(x)$ ]

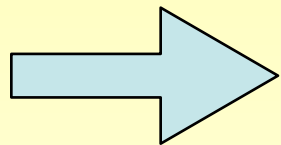
$\Rightarrow \Delta g(x)$  propagates to  $\Delta b(x)$

in SM one plans to determine  $b(x)$  studying  $bg \rightarrow bZ/b\gamma$

$b\bar{b} \rightarrow h$  would be more sensitive to  $b(x)$ ,  
but swamped by  $gg \rightarrow h$

in MSSM  $\sigma(b\bar{b} \rightarrow A/H) \approx \sigma(gg \rightarrow A/H)$

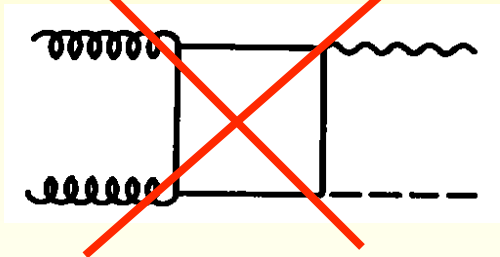
but how to disentangle bb from gg ?



ask for a high  $p_T$  photon !

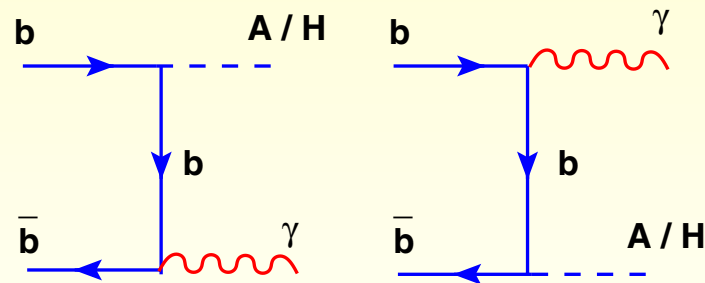
$$\phi = \{h, H, A\}$$

$gg \rightarrow \phi \gamma$



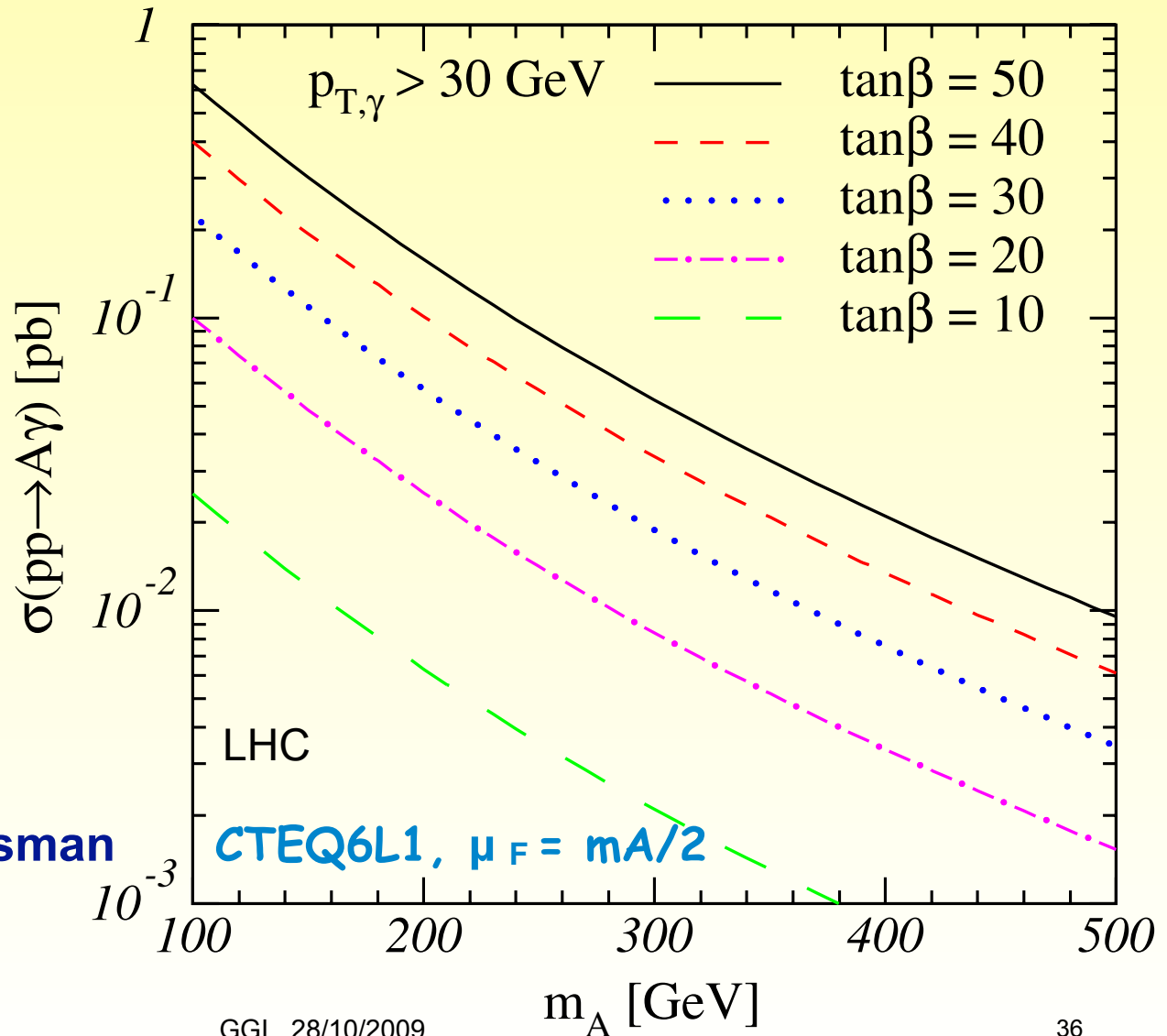
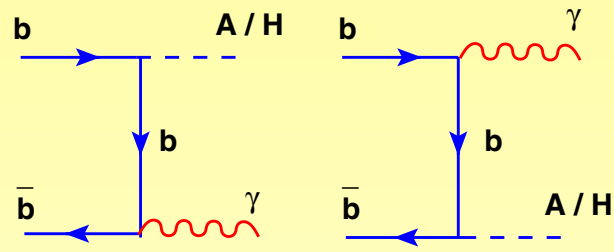
by C-parity

$b\bar{b} \rightarrow \phi \gamma$



only contribution to  $pp \rightarrow \phi \gamma$

$\sigma$  suppressed  
by  $\alpha_{em}$  and  
 $Q_b^2 = 1/9$ ,  
but still quite  
large at large  
 $\tan\beta$  !



Gabrielli, B.M., Rathsmann

we consider :  $b\bar{b} \rightarrow \phi\gamma \rightarrow \tau\tau\gamma$

$\text{BR}(A/H \rightarrow \tau\tau) \simeq 10\%$  for large  $\tan\beta$ , almost insensitive to  $m_H$

- irreducible BCKGs have EW origin (manageable !)
- tau-tau signature extensively studied in SM and MSSM  
(can help in Higgs discovery)

**Note:** the complete tau-tau invariant mass can be fully reconstructed, provided the two taus are neither back-to-back nor collinear in lab frame (due to undetected neutrinos)

a large- $p_T$  photon naturally satisfies the above condition !

- Large SUSY radiative corrections on b-Yukawa factorizes, residual dependence is small
- in MSSM,  $m_A \sim m_H$  (at large  $\tan\beta$ )
  - gives a factor 2 of enhancement in the  $\chi$ -section
- assumed tau-pair efficiency = 0.2
  - comes from
    - $\tau \rightarrow \ell \nu_\tau \nu_\ell$  (35%) ID efficiency = 90%
    - $\tau \rightarrow h\nu$  (50%) ID efficiency = 25%
  - double hadronic decays contribute with 0.016 to 0.2

$$b\bar{b} \rightarrow \phi \gamma \rightarrow \tau\tau\gamma$$

main irred. bckgs :

$$pp \rightarrow Z^*/\gamma^* \gamma \rightarrow \tau\tau\gamma$$

$$gg, bb \rightarrow \phi \rightarrow \tau^*\tau \rightarrow \tau\tau\gamma$$

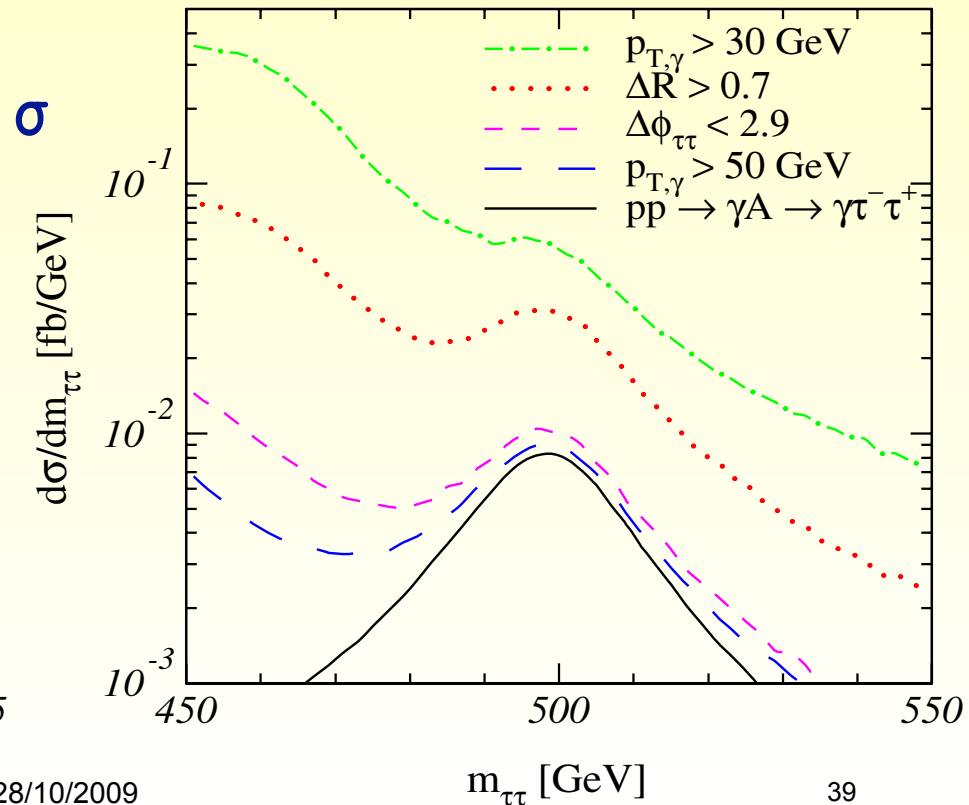
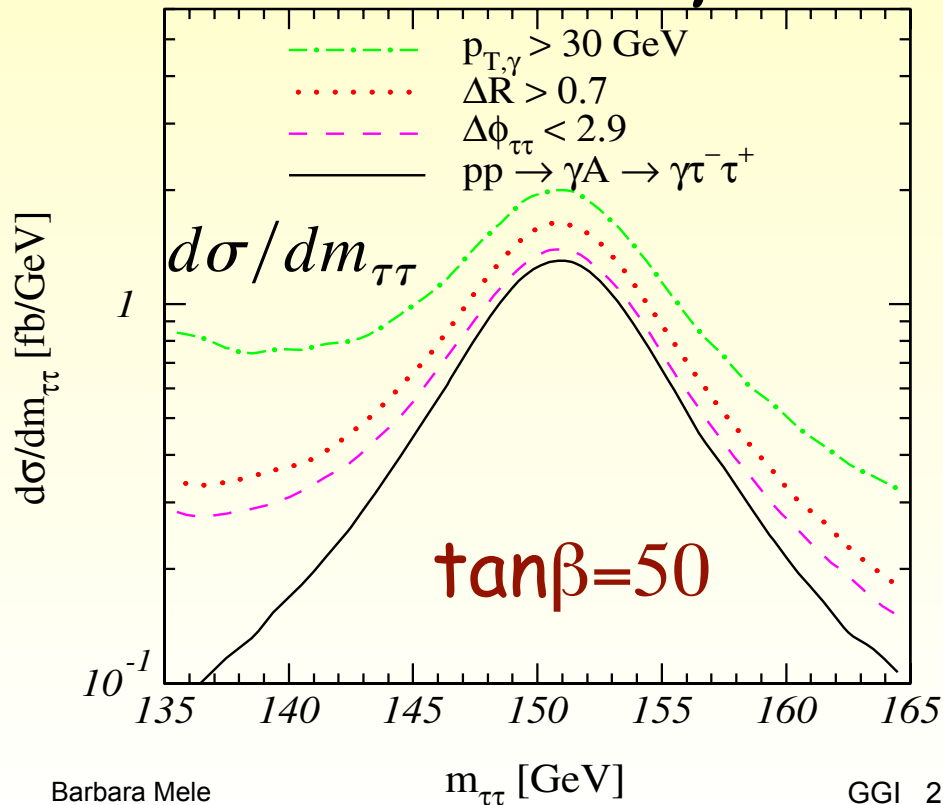
$$(\sigma_A + \sigma_H \approx 2 \sigma_A)$$

$$0.9m_A < m_{\tau\tau} < 1.1m_A$$

$$p_T^{\tau^\pm} > 20 \text{ GeV}, |\eta_\gamma| < 2.5, |\eta_{\tau^\pm}| < 2.5$$

$$\Delta R_{\gamma\tau^\pm} > 0.7, \Delta R_{\tau\tau} > 0.7, \Delta\phi_{\tau\tau} < 2.9$$

$$b\bar{b} \rightarrow \tau\tau\gamma$$



$$pp \rightarrow \tau^+ \tau^- \gamma \quad (\sigma_A + \sigma_H \approx 2 \sigma_A)$$

$$n(S) \Rightarrow b\bar{b} \rightarrow \phi \gamma \rightarrow \tau\tau\gamma$$

$$n(B) \Rightarrow \text{irred. bckgs}$$

$\tan\beta$	20		30		40		50	
$m_A$	$\sigma_S$ (fb)	$\mathcal{S}$	$\sigma_S$ (fb)	$\mathcal{S}$	$\sigma_S$ (fb)	$\mathcal{S}$	$\sigma_S$ (fb)	$\mathcal{S}$
150	5.58	7.3	12.5	13	22.1	19	34.5	24
200	3.00	5.3	6.81	9.5	12.3	14	19.9	18
300	0.727	2.4	1.67	4.5	3.08	6.7	5.03	9.1
500	0.0981	0.72	0.238	1.5	0.456	2.4	0.768	3.4

$$\epsilon_{\tau\tau} \simeq 0.2$$

$$\mathcal{L} = 100 \text{ fb}^{-1}$$

$$\mathcal{S} = n(S) / \sqrt{n(S) + n(B)} \gtrsim 5$$

**for**  $m_A \lesssim 300 \text{ GeV}$  **and**  $\tan\beta \gtrsim 30$



# comments on $pp \rightarrow H / A (\rightarrow \tau\tau) + \gamma$

- cross section varies by 20% within LHAPDF; actual uncertainty on  $b(x)$  could well be larger than that (see e.g. Thorne, arXiv:0711.2986)
- $Hbb$  coupling ( $\tan\beta$ ) can be determined via complementary processes ( $gg \rightarrow b\bar{b}H/A$ ); then  $b\bar{b} \rightarrow \phi\gamma$  cleaner probe of  $b(x)$  densities
- needs inclusion of QCD corrections  
(Carloni Calame, Gabrielli, BM, Piccinini, in progress)
- needs full exp simulation to assess its actual potential