

New physics effects in neutrino fluxes from cosmic accelerators

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work with Walter Winter (Wuerzburg University, Germany), **JCAP03(2011)041**

What is ν ? @ The Galileo Galilei Institute for Theoretical Physics, Florence **[June 22, 2012]**

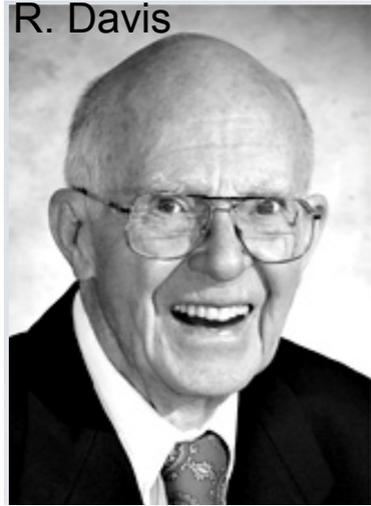
Plan

- Motivation
- High energy neutrino production
- Propagation (standard oscillations) effects
- Flavor detection at neutrino telescopes
- Energy-dependent new physics effects during propagation
- Summary and Outlook

High energy astrophysical neutrinos

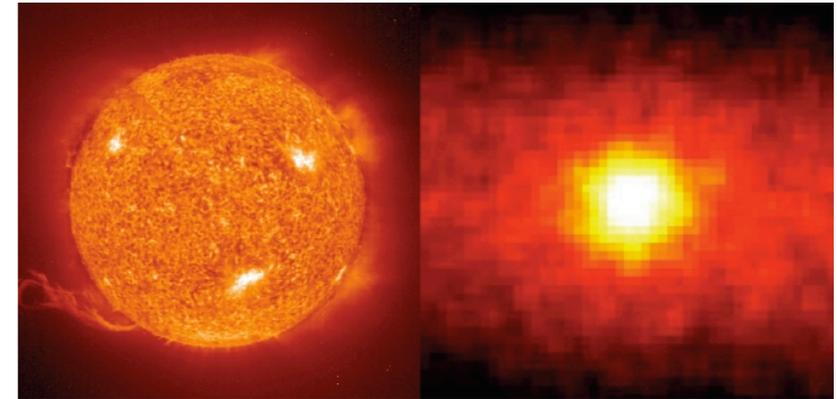
Extra-terrestrial neutrino signals

R. Davis



Low (~ 10 MeV) energy neutrinos

stellar evolution + evidence for
new neutrino physics



- Solar neutrinos - Sun shines due to the nuclear fusion reactions

2002 Noble prize

M. Koshiba



- Neutrinos from SNI 1987A - core collapse of massive stars

LECTURE BY G. RAFFELT

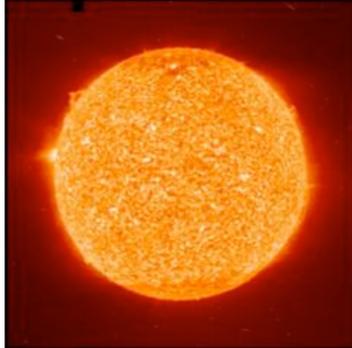
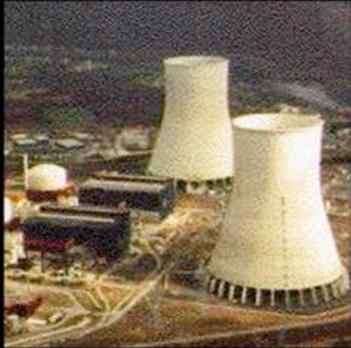
core collapse +
neutrino properties



Natural “MeV neutrinos”

Sources of neutrinos

✓ Nuclear Reactors



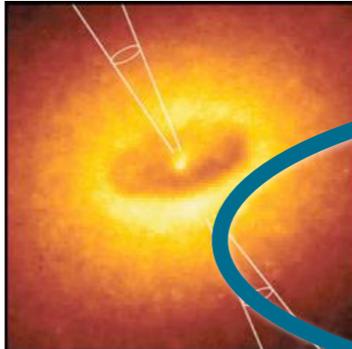
Sun ✓

✓ Particle Accelerators



Supernovae
(Stellar Collapse)
SN 1987A ✓

✓ Earth Atmosphere
(Cosmic Rays)



Astrophysical
Accelerators **Soon ?**

✓ Earth Crust
(Natural
Radioactivity)

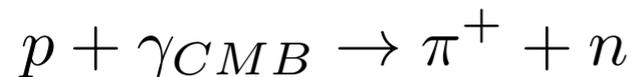


Big Bang
(Today $330 \nu/\text{cm}^3$)
Indirect Evidence

The neutrino sky

Astrophysical neutrinos

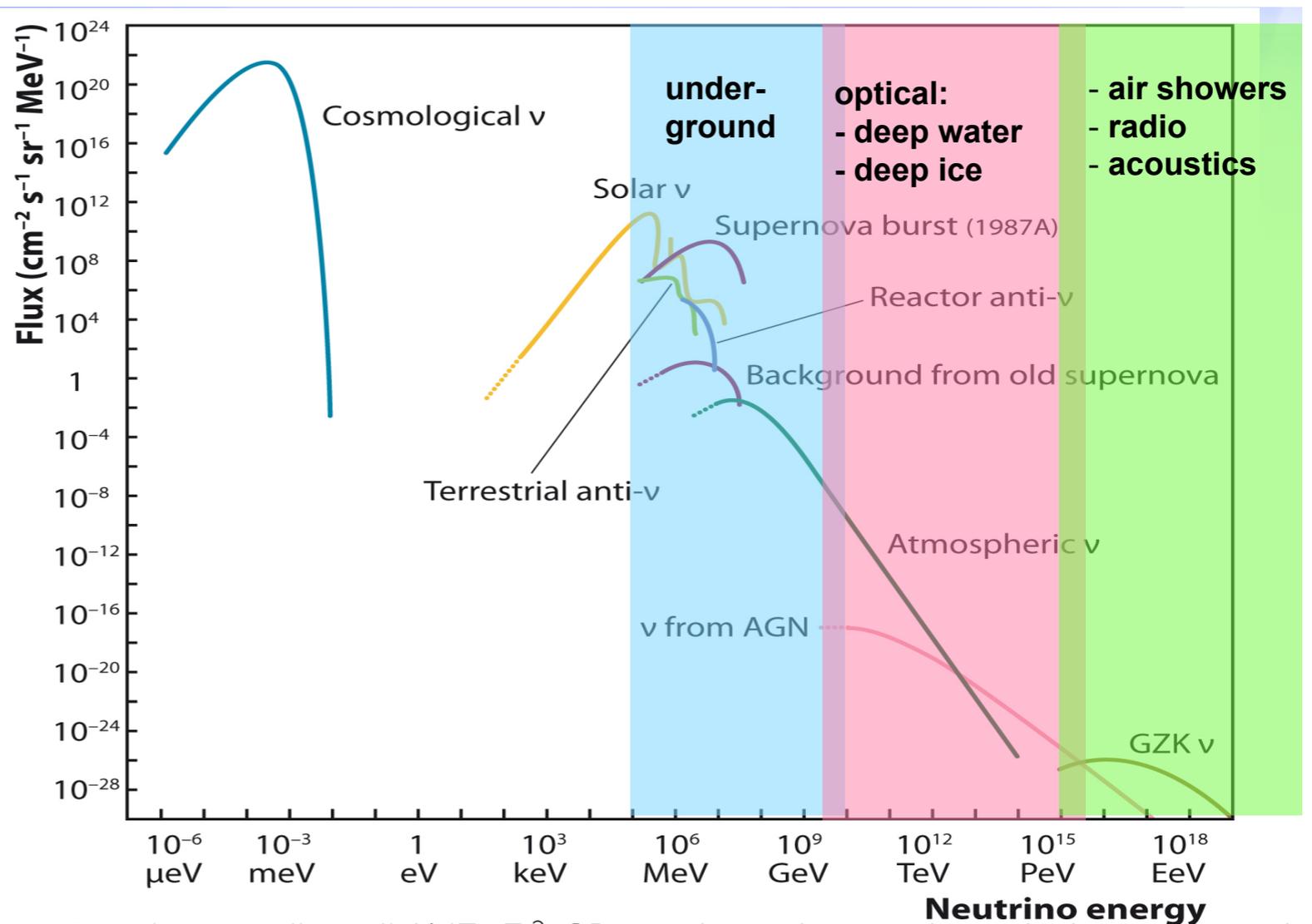
- sub-eV: Cosmological neutrinos
- MeV: SN, Sun
- TeV: GRB, AGN
- EeV:



$$E_{th} \simeq 5 \times 10^{19} \text{ eV}$$

“GZK neutrinos”

Ref: Greisen, PRL 16, 748 (1966); Zatsepin and Kuzmin, ZhETF Pisma 4, 114 (1966)



Why are high energy neutrinos special ?

- **Astrophysics and cosmology**

- physical processes in core of sources, probe the acceleration mechanism, effects due to magnetic field
- cosmological parameters such as source redshift using neutrinos

Ref: Wagner and Weiler, MPLA 12, 2497 (1997) Weiler, Simmons, Pakvasa and Learned, hep-ph/9411432

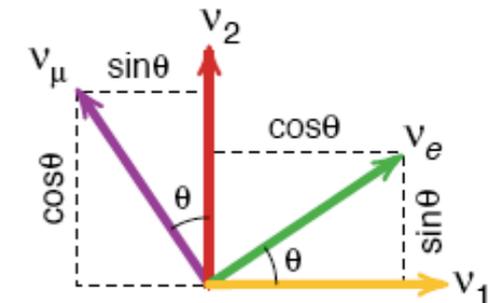
- **Particle Physics**

- Flavor ratios are sensitive probes of new physics effects (beyond the reach of terrestrial experiments)
- Probe of neutrino-nucleon cross section at UHE: $E_{cm} = \sqrt{2m_p E_{lab}}$

- **Hints of high energy neutrinos in recent IC data - two ~PeV cascades**

TALK BY ISHIHARA@NEUTRINO 2012

Neutrino flavor oscillations

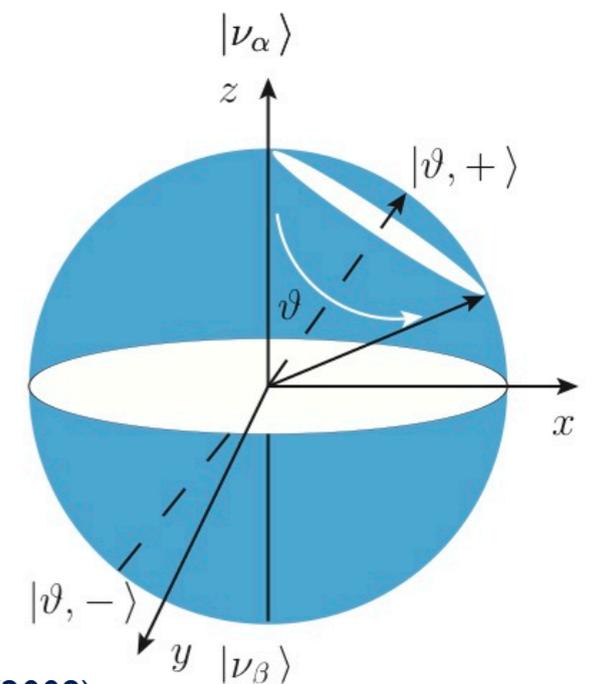


- Neutrinos are produced and detected via weak interactions in states of definite flavor
- Flavor states differ from the stationary (mass) eigenstates $\begin{pmatrix} \nu_e \\ \nu_\mu \end{pmatrix} = \begin{pmatrix} \cos\theta & \sin\theta \\ -\sin\theta & \cos\theta \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \end{pmatrix}$
- Hamiltonian is non-diagonal in flavor basis eg. for the two flavor case in vacuum :

$$\mathbb{H} = \left(p + \frac{m_1^2 + m_2^2}{4p} \right) \mathbb{I} + \frac{1}{2} \begin{pmatrix} -\omega \cos 2\theta & \omega \sin 2\theta \\ \omega \sin 2\theta & \omega \cos 2\theta \end{pmatrix}$$

$$\omega = \delta m^2 / 2p$$

- In the ultra-relativistic limit, 2 flavor oscillations analogous to a 2 state system (in the limit of equal and fixed momenta) and Hilbert space can be mapped to the Poincare/Bloch sphere
- The effect of oscillation is precession about mass (eigen) axis



Ref: Mehta, PRD79 (2009);

see also Kim, Sze and Nussinov, PRD35 (1987); Kim, Kim and Sze, PRD37 (1988).

Neutrino mass and new physics

Beyond the new physics that gives rise to neutrino mass

- Neutrinos are strictly massless in the Standard Model
- Observation of neutrino flavor oscillations implies that neutrinos are massive
- However, the nature of neutrinos is unknown
- A positive signal from neutrinoless double beta decay experiment would imply Majorana neutrino mass
- Seesaw mechanism : Elegant possibility to generate tiny Majorana neutrino masses
- But, it is hard to obtain the desired mixing pattern
- One of the several attempts :
 - use hybrid seesaws to explain large mixing angles

Ref: Chakraborty, Joshipura, Mehta and Vempati, 0909.3116 (2009)

New physics at very long baselines

- **Neutrino decay**

Ref: Beacom, Bell, Hooper, Pakvasa, Weiler, PRL90, 181301 (2003), Maltoni and Winter, (2008), Bhattacharya, Choubey, Gandhi and Watanabe, JCAP 1009 (2010) 009 and PLB 690, 42 (2010), Mehta and Winter, JCAP 1103, 041 (2011),

- **Quantum Decoherence**

Ref: Hooper et al, PRD72, 065009 (2005), Anchordoqui et al., PRD72, 065019 (2005), Bhattacharya, Choubey, Gandhi and Watanabe, JCAP 1009 (2010) 009 and PLB 690, 42 (2010), Mehta and Winter, JCAP 1103, 041 (2011)

- **Pseudo-Dirac nature**

Ref: Beacom, Bell, Hooper, Learned, Pakvasa and Weiler, PRL92, 011101 (2004)

- **Violation of Lorentz invariance and CPT invariance**

Ref: Hooper, Morgan and Winstanley, PRD72, 065009 (2005), Bhattacharya, Choubey, Gandhi and Watanabe, JCAP 1009 (2010) 009 and PLB 690, 42 (2010)

- **Unitarity violation**

Ref: Bustamante, Gago and Pena Garay, JHEP 1004 (2010) 066

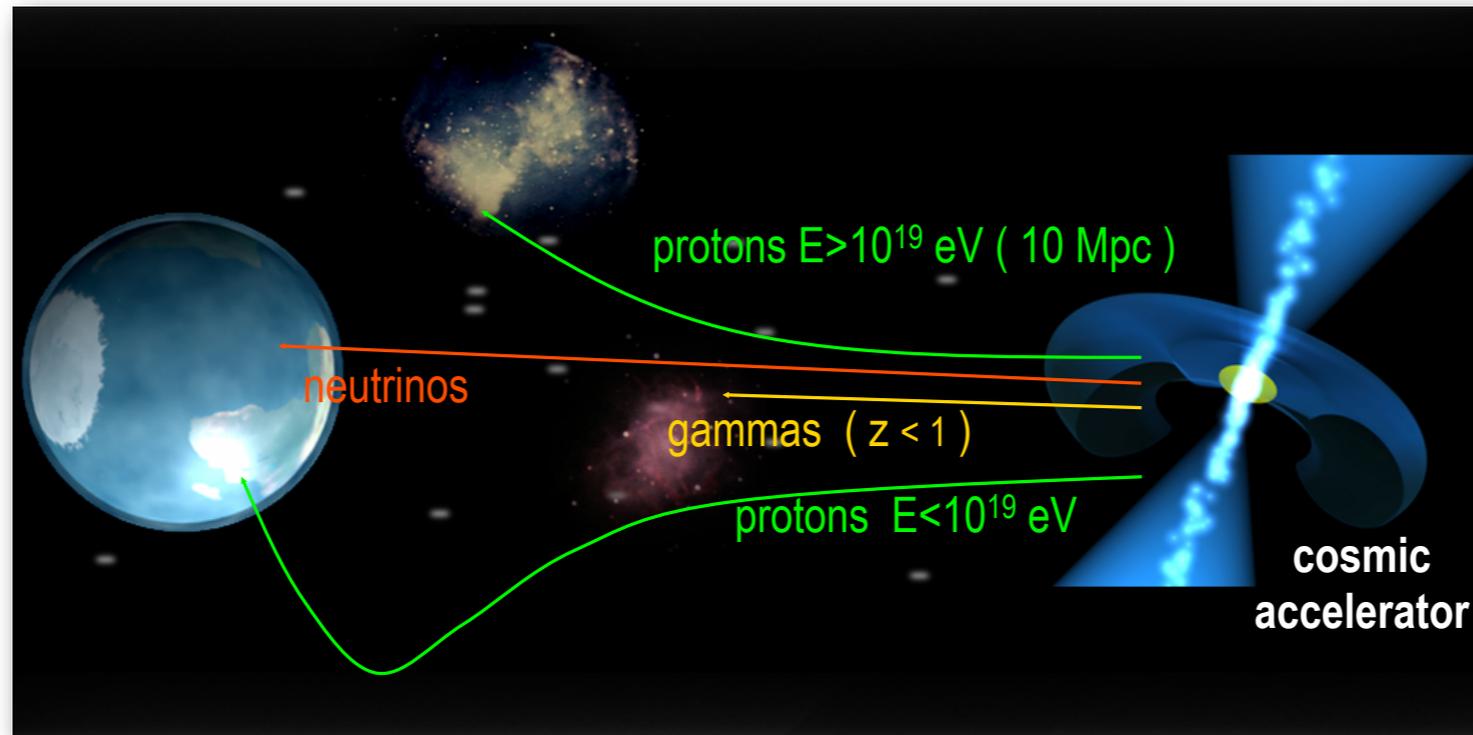
- **Violation of Equivalence principle**

Ref: Pakvasa, Simmons and Weiler, PRD39, 1761 (1989); Minakata and Smirnov, PRD54, 3698 (1996)

E-dependent and E-independent effects

Sources

The three messengers



Ref: Montaruli, talk at SSI 2010

- protons/nuclei: deflected by magnetic fields, absorbed on radiation (GZK)
- photons: absorbed on radiation/dust; reprocessed at source
- neutrinos: neither absorbed nor bent, straight path from source

$$l_\gamma = \frac{1}{\sigma_{p-\gamma_{2.7K}} \times n_\gamma} \sim \frac{1}{5 \times 10^{-28} \text{cm}^2 \times 400 \text{cm}^{-3}} = 10 \text{Mpc}$$

$$l_\nu = \frac{1}{\sigma_{res} \times n} = \frac{1}{5 \times 10^{-31} \text{cm}^2 \times 112 \text{cm}^{-3}} = 6 \text{Gpc}$$

Neutrinos : can reliably lead to the discovery of such point sources

$$1 \text{pc} = 3.1 \times 10^{13} \text{ km}$$

Terrestrial vs cosmic accelerators

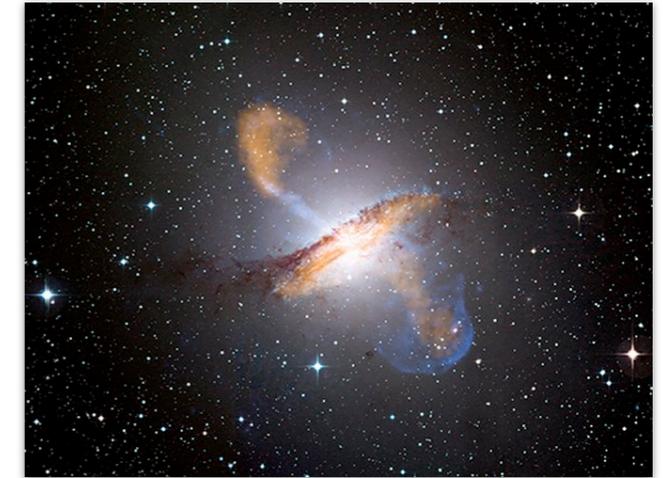
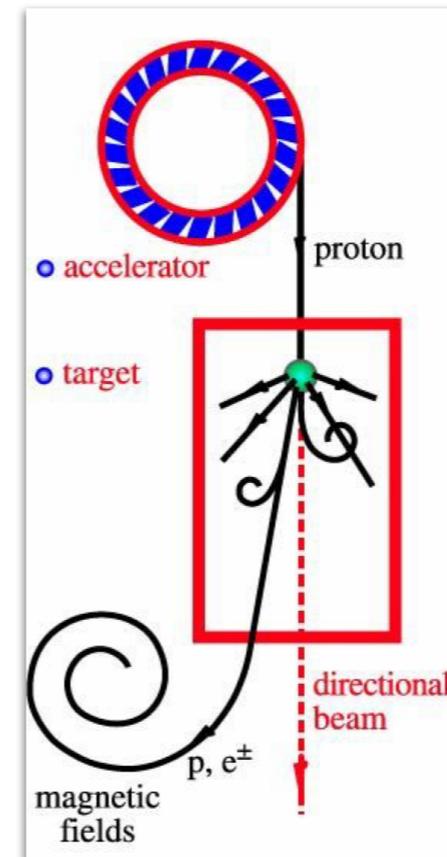
- Terrestrial :

- neutrinos in a directional beam
- At LHC-14 TeV cms energy implies a 0.1 EeV proton in the lab frame

$$E_{cm} = \sqrt{2m_p E_{lab}}$$

- Cosmic :

- cosmic rays, photons and neutrinos escape with linked fluxes



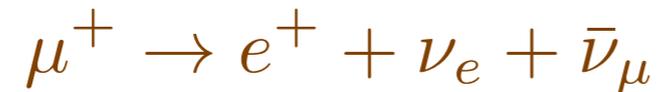
Ref: Halzen, ICRC'07

A typical cosmic accelerator

Pion photoproduction

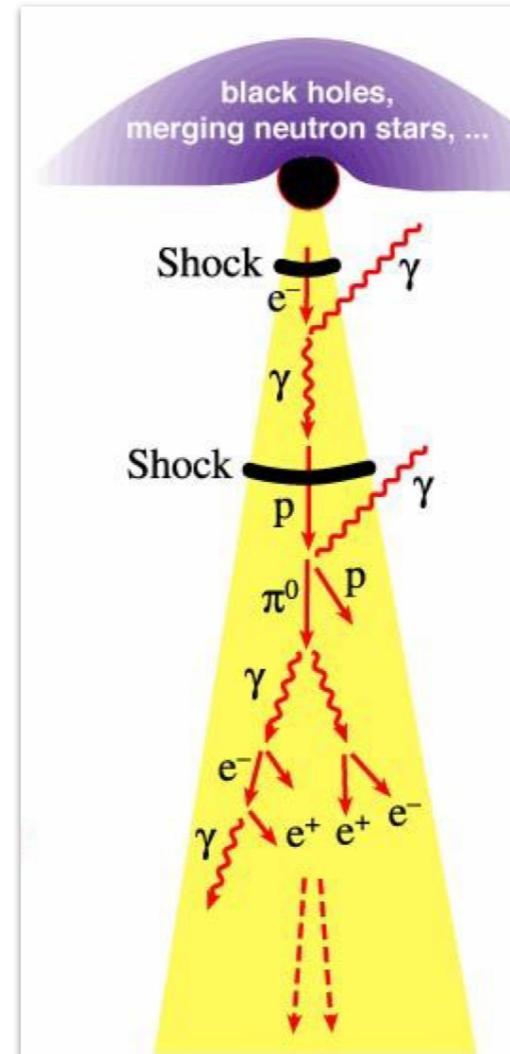


Weak decays

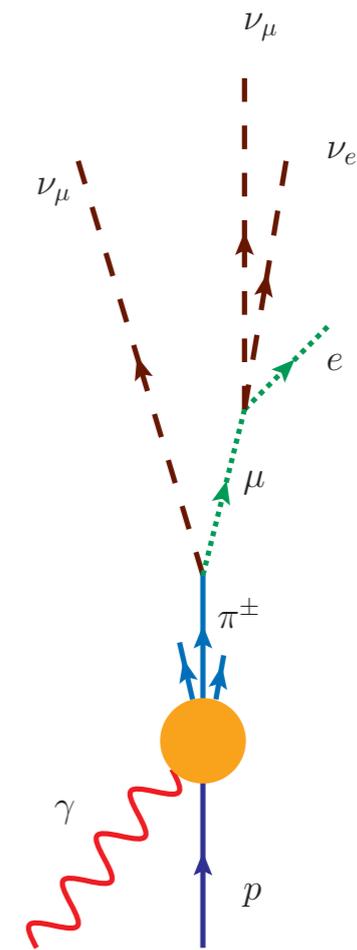


1:2:0

If n exits the source



Ref: Halzen, ICRC'07

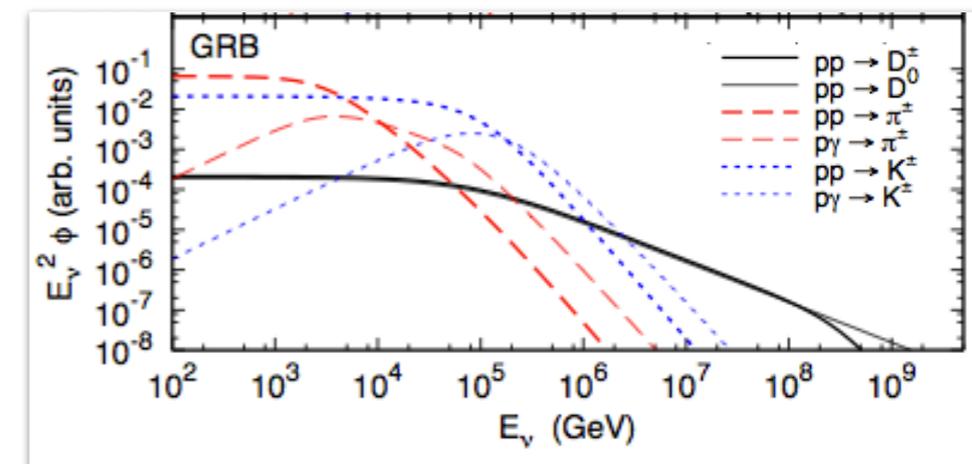


Hadron-hadron interactions



Caveats...

- The generic composition at source (1:2:0) is due to an over-simplified treatment and does not take into account :
 - other source types
 - decay of n (from $p \rightarrow \gamma$) $n \rightarrow p + e^- + \bar{\nu}_e$
 - Production and decay of charm mesons (1:1:0)
 - E dependent effects
 - muons loose E, cooled muons pile up at low E
 - Kaon decay contribution at high E
 - Charged pion production is underestimated (factor ~ 2.4) in the simplistic Δ resonance approach (no negatively charged pions)



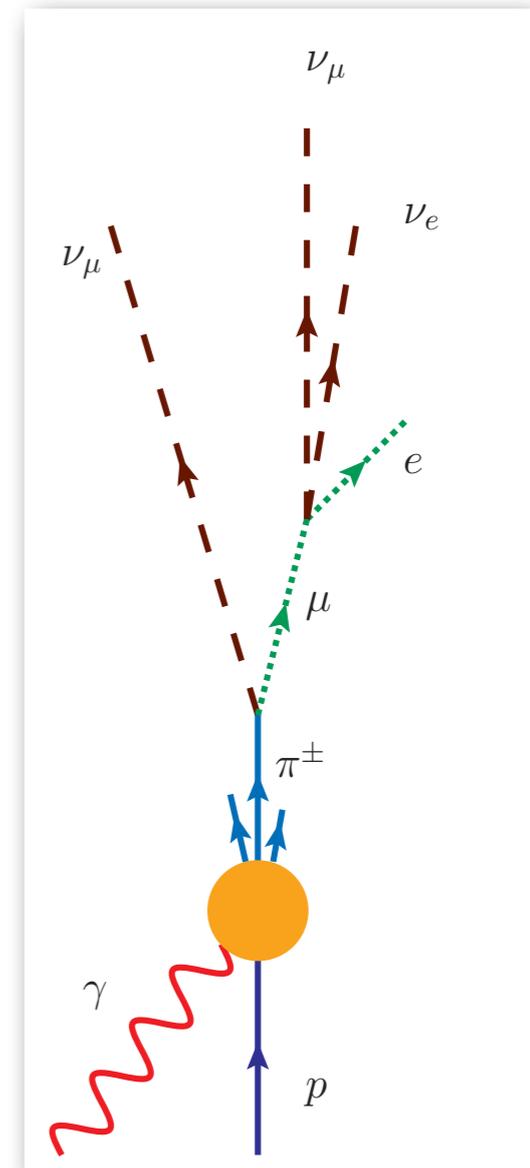
Ref: Enberg et al., PRD79 (2009),
see also Gandhi et al., JCAP0909 (2009)

Ref: Hummer et al., APJ721 (2010)

Source types

- New production mechanisms
- A source can be characterized by $\hat{X} = \Phi_e^0 / \Phi_\mu^0$
- Different source classes :

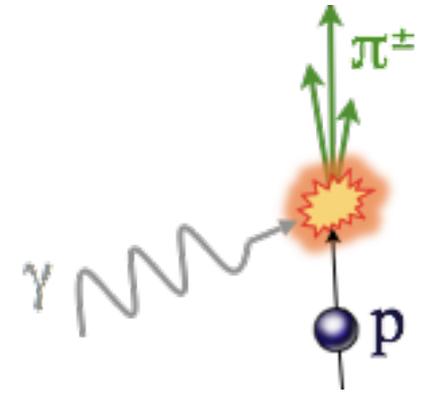
Source	$\Phi_e^0 : \Phi_\mu^0 : \Phi_\tau^0$	$\hat{X} = \Phi_e^0 / \Phi_\mu^0$
Pion beam	1:2:0	0.5
Neutron beam	1:0:0	$\gg 1$
Muon beam/prompt	1:1:0	1
Muon-damped	0:1:0	0



Our toy model and parameter space

The HMWY Model

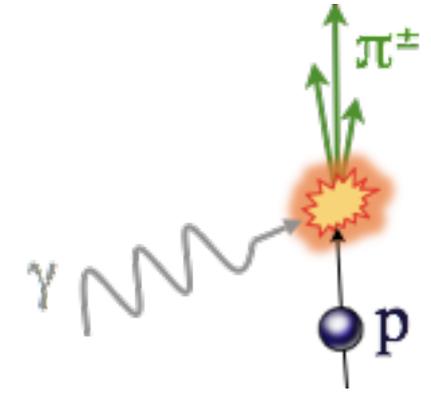
Ref: Hummer, Maltoni, Winter and Yaguna, *Astropart. Phys.* 34, 205 (2010)



Ref: DeYoung

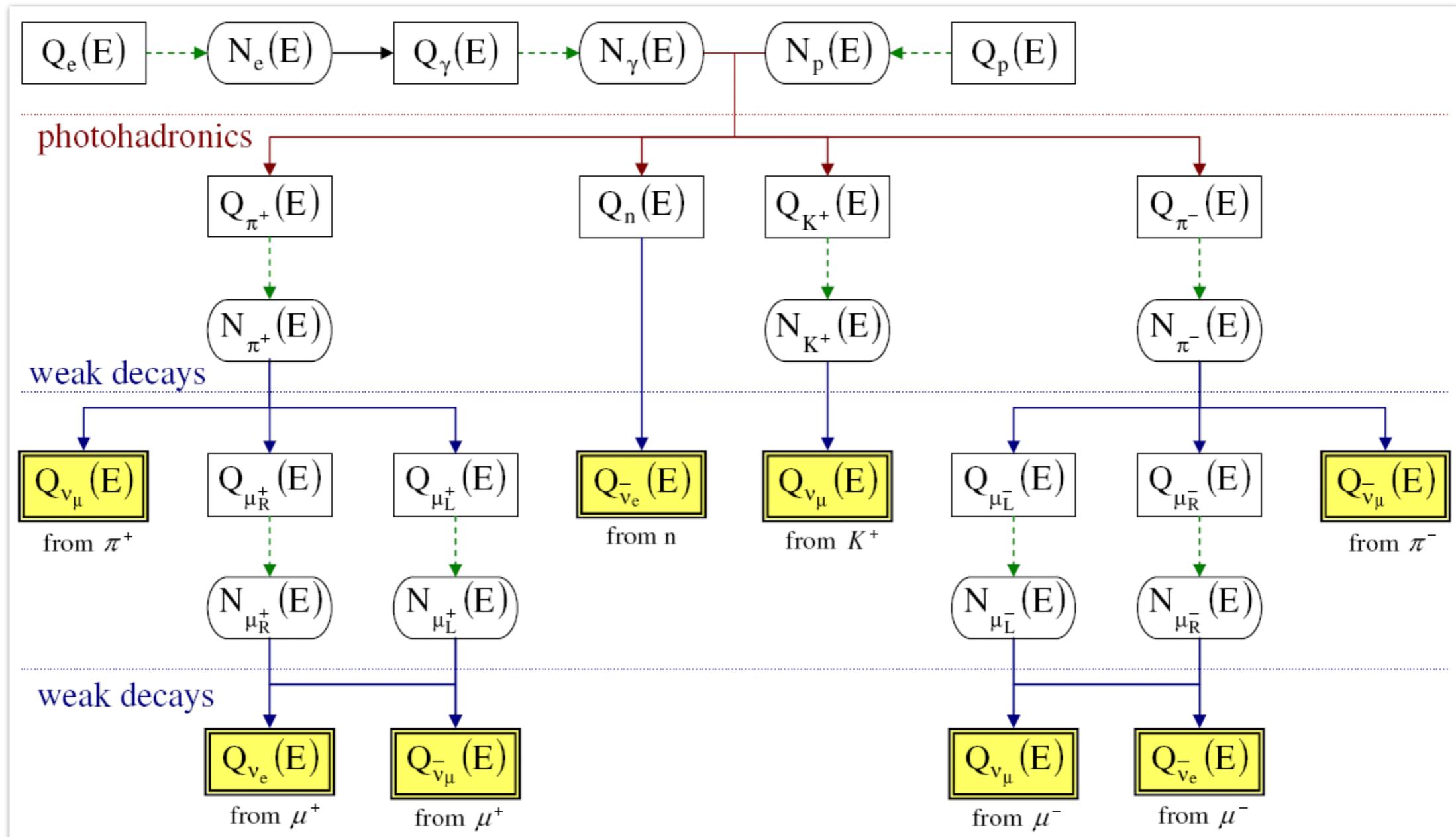
- A self-consistent approach used to compute meson photoproduction
 - Target photon field - synchrotron radiation of co-accelerated e $p + \gamma \rightarrow \pi + p'$
 - Predicts charged pion ratio
 - Kaon production at high E $p + \gamma \rightarrow K^+ + \Lambda/\Sigma$
 - Losses and weak decay of secondaries π, K, μ, n
- Few input astrophysical parameters
 - B, R, injection index (universal for primary e, p)
- No biased connection with cosmic ray and gamma fluxes
- Fast enough to do parameter space scans

Model summary



p interact with synchrotron radiation from co-accelerated electrons/positrons

Ref: DeYoung



Ref: Hummer et al, *Astropart. Phys.* 34, 205 (2010)

Astrophysical parameter space

- Hillas criterion for acceleration and confinement :

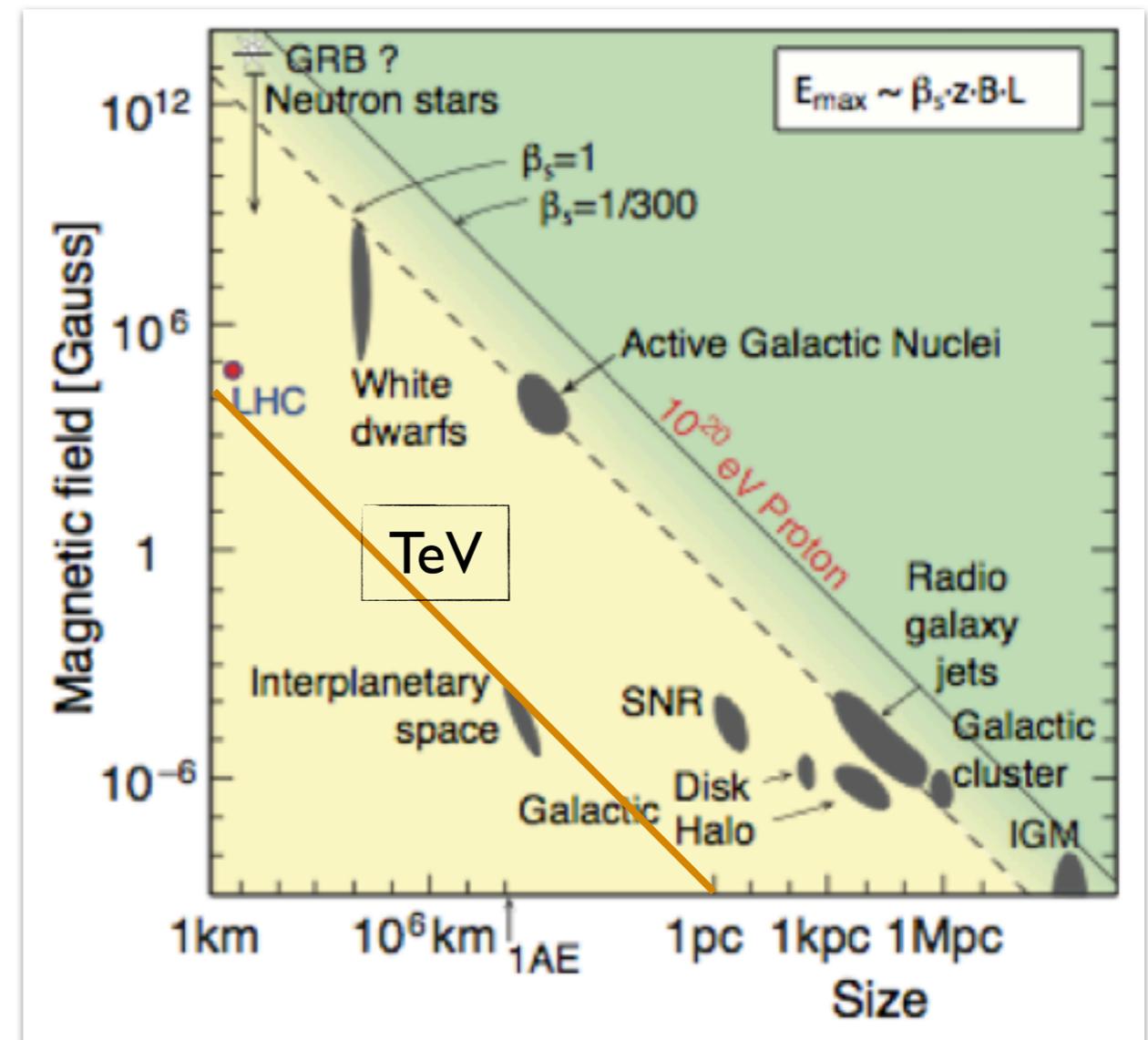
$$r_L < R$$

Larmor radius size of accelerator

$$E \leq E_{max} = qBR$$

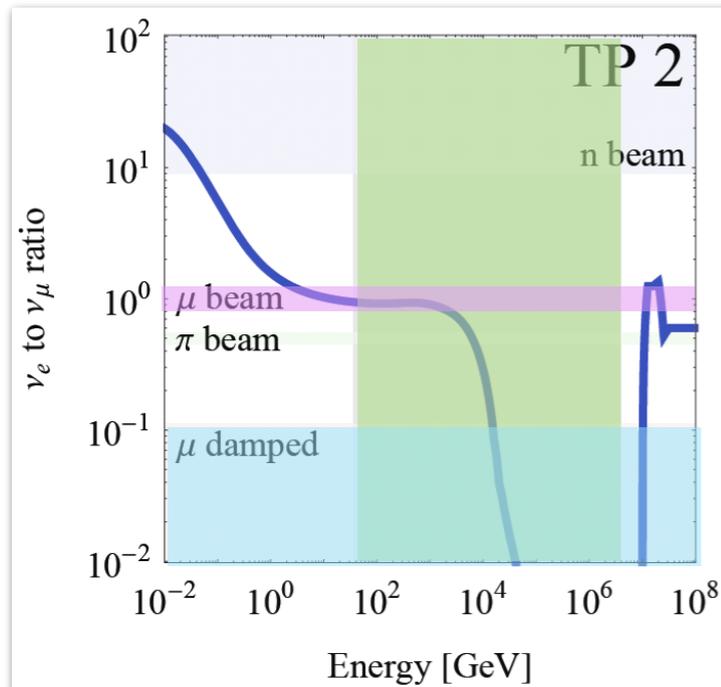
Ref: Hillas (1984), Boratav (2001), Hummer et al. (2010)

- constraint on B and R
- Call sources as “test points” in order to discuss E-dependent effects at source

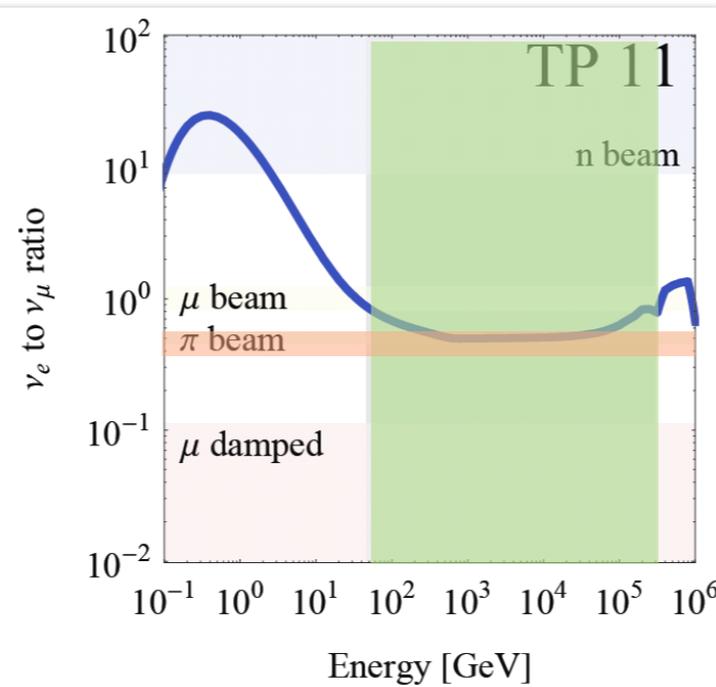


E-dependence at source

Muon beam to Muon damped



Pion beam

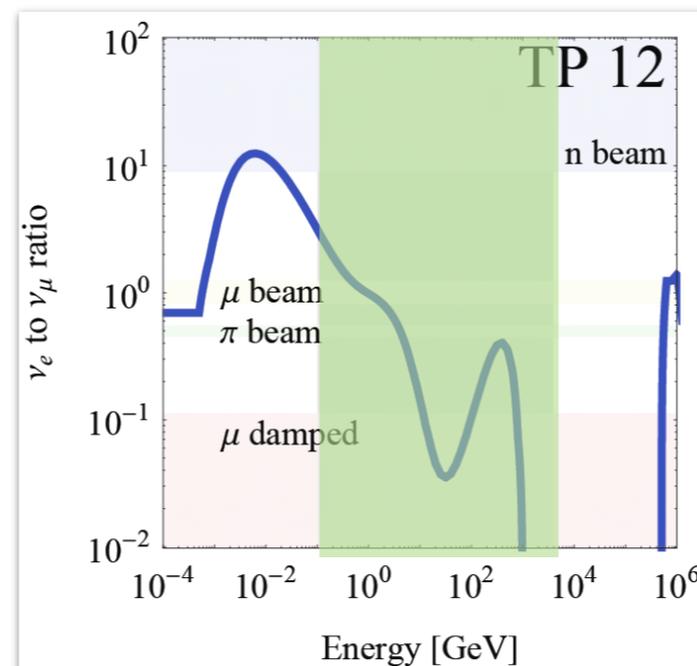


- Horizontal shaded region : approximate regions for different sources
- Vertical shaded region : flux large

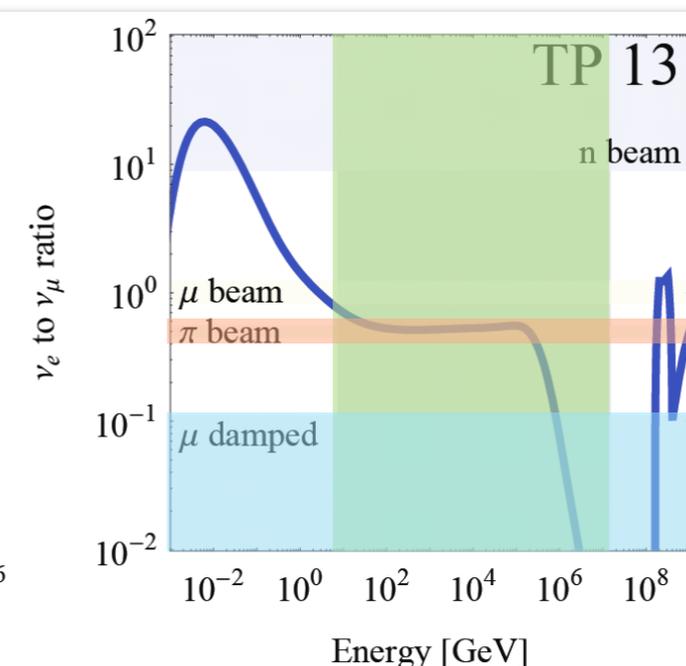
Ref: Hummer et al, *Astropart. Phys.* 34, 205 (2010), see also Kashti and Waxman, *PRL* (2005)

- Smooth transition
- Transition energy depends on a particular source
- Mixes up the flavor ratios at sources

Mixed

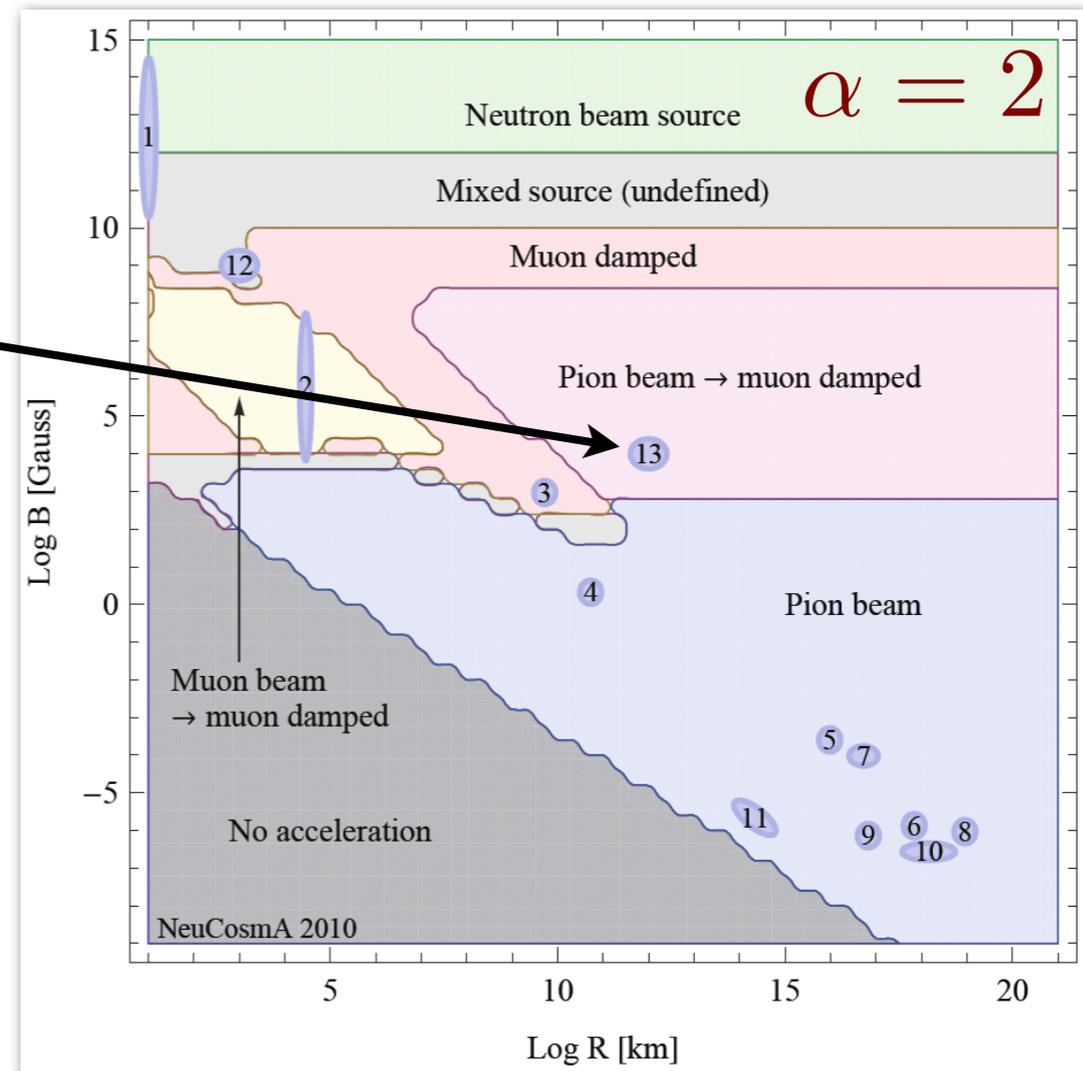
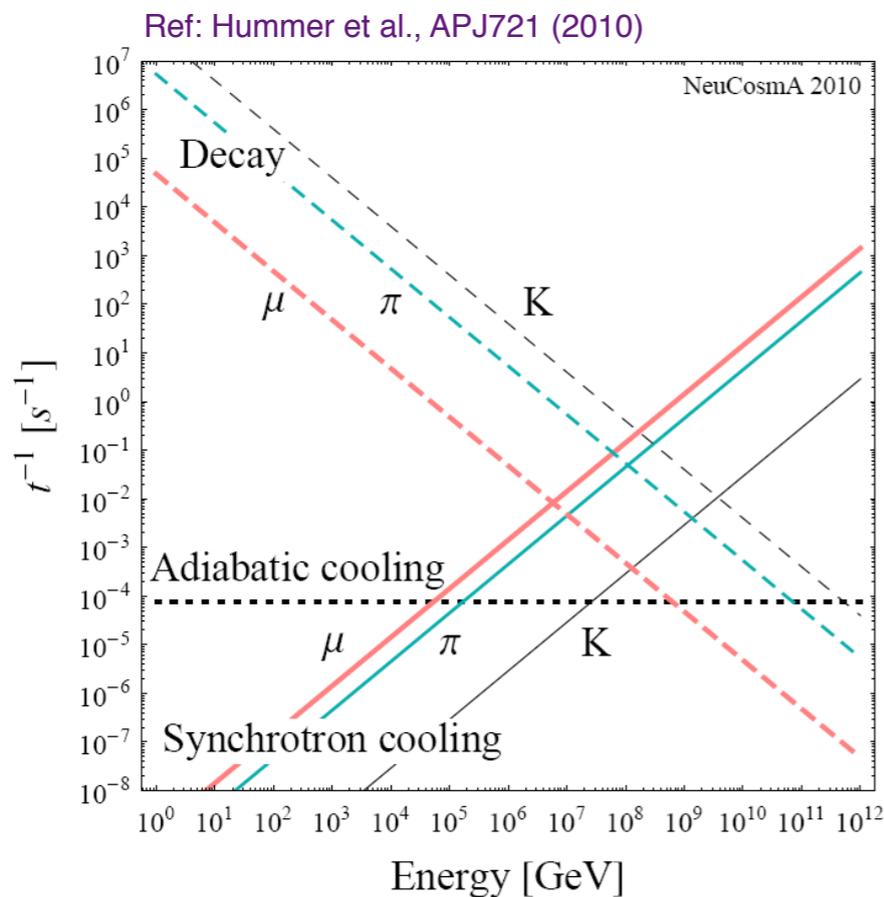


Pion beam to muon damped



Neutrino sources on the Hillas plot

- Classification is a function of source parameters: R, B
- TP 13 - pion beam to muon damped, need B and R to be large
- Competition between decay and cooling



$$E_c = \sqrt{\frac{9\pi\epsilon_0 m^5 c^5}{\tau_0 e^4 B^2}}$$

Propagation effects

Flavor flux at detector

Ref: Pakvasa, MPLA23, 1313 (2008), talk@GGI 2012

- The flux at the detector is given by

$$\Phi_{\beta}^{Det} = \sum_{\alpha=e,\mu,\tau} P_{\alpha\beta} \Phi_{\alpha}^0$$

Flux at source

- Average oscillation probability in vacuum
(same expression for anti-neutrinos)

$$P_{\alpha\beta} \equiv P_{\beta\alpha} = \sum_{i=1}^3 |U_{\alpha i}|^2 |U_{\beta i}|^2$$

achromatic

$$L_{osc} = 4\pi E / \delta m^2 \simeq 10^{-10} \text{ Mpc (for } E = \text{PeV)}$$

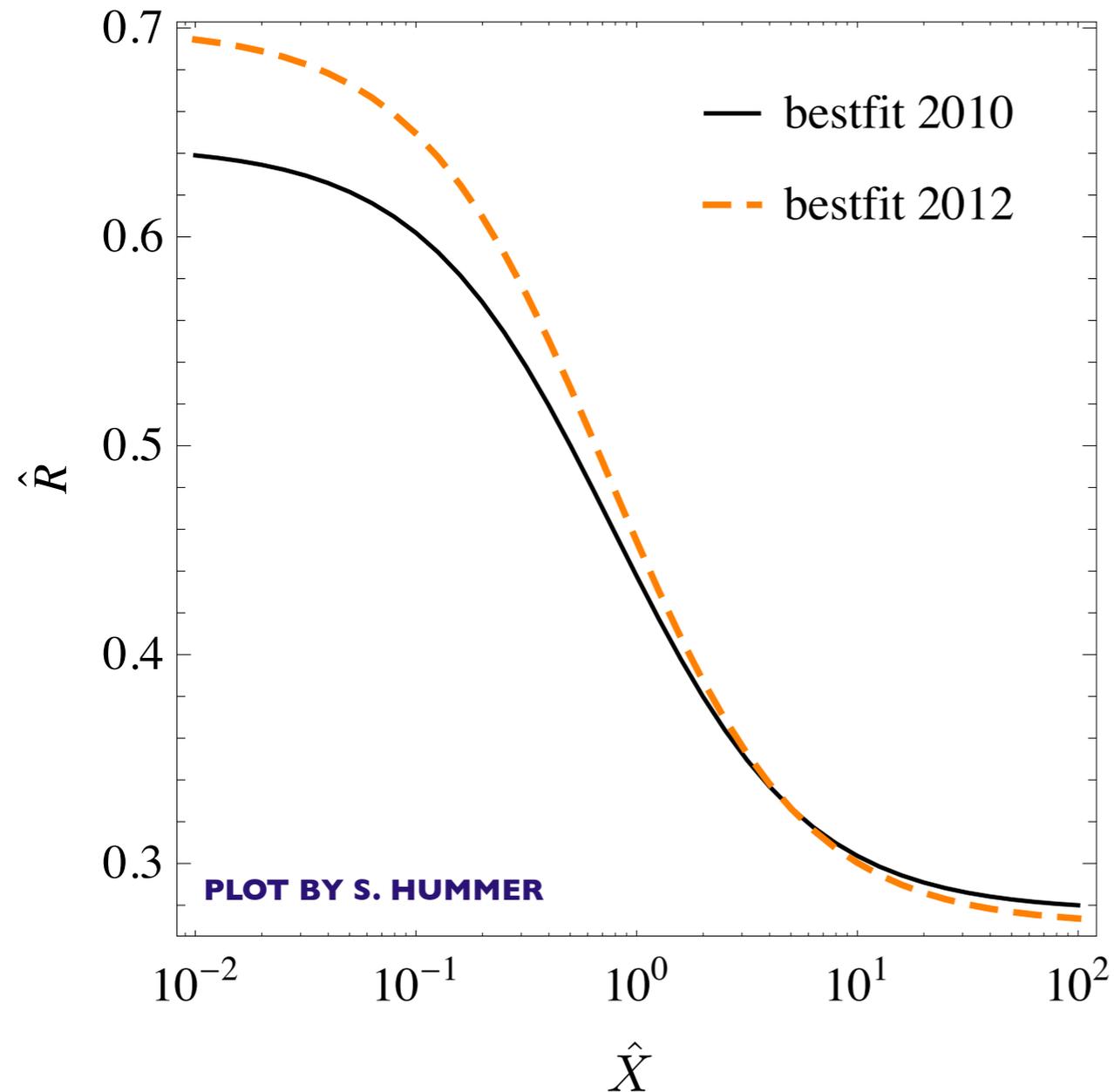
- mass states do acquire relative phases but the uncertainties in L and E leads to a wash out
- **FLAVOR EQUILIBRATION** at the detector (1:1:1) for the conventional pion beam source !

Different source classes

- Using the neutrino mixing angles in tri-bi-maximal form $\theta_{13} = 0, \theta_{12} = \pi/6, \theta_{23} = \pi/4$
- Equal mu-tau fluxes irrespective of source !

Source	$\Phi_e^0 : \Phi_\mu^0 : \Phi_\tau^0$	$\Phi_e^{Det} : \Phi_\mu^{Det} : \Phi_\tau^{Det}$
Pion beam	1:2:0	1:1:1
Neutron beam	1:0:0	3:1:1
Muon beam/prompt	1:1:0	1.3:1:1
Muon-damped	0:1:0	0.5:1:1

Parameter dependence



- Bestfit 2012 :
Forero et al., [arXiv:1205.4018](https://arxiv.org/abs/1205.4018)
- Effect of nonzero theta | 3
depends on source type
- Visible effect for muon damped
source but other source types,
the effect is tiny

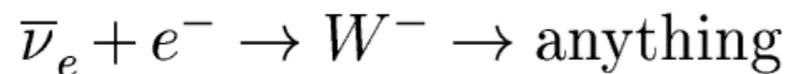
Can we identify flavors ?

IceCube

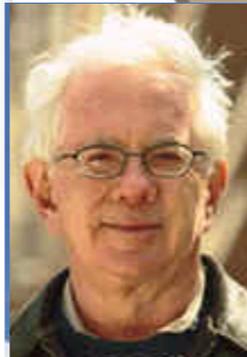
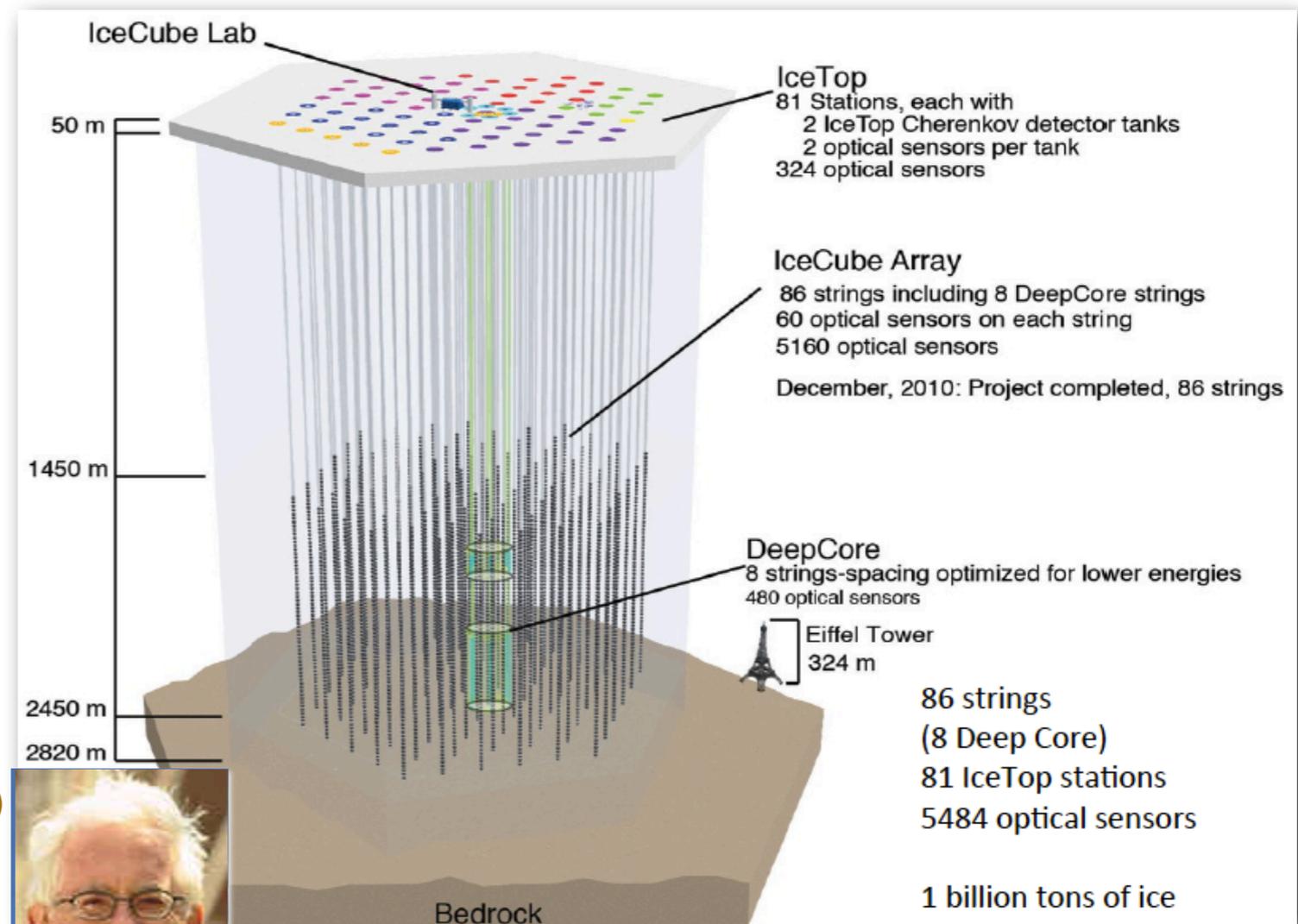
Completed in Dec 2010

E = 100 GeV - EeV

- At south pole, antarctic ice, 1 cubic km
- Secondary charged particles from neutrino-Nucleon scattering produce Cherenkov radiation seen by optical sensor arrays
- FLAVOR id possible: First flavor analysis
Ref: IC22 Cascade detection, 1101.1692
- CHARGE id (almost) impossible:
- except at the Glashow resonance (6.3 PeV)
- sensitive to neutrino/anti-neutrino ratio



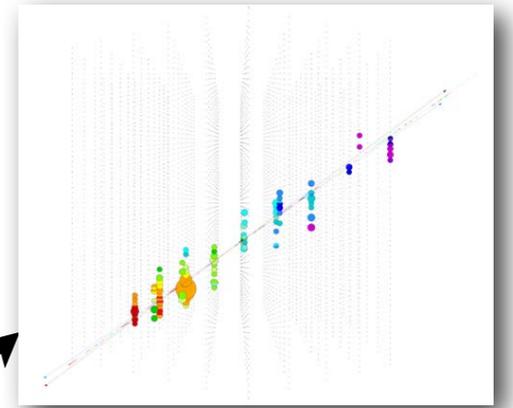
$$E_{\bar{\nu}_e} \simeq \frac{M_W^2}{2m_e} \simeq 6.3 \text{ PeV}$$



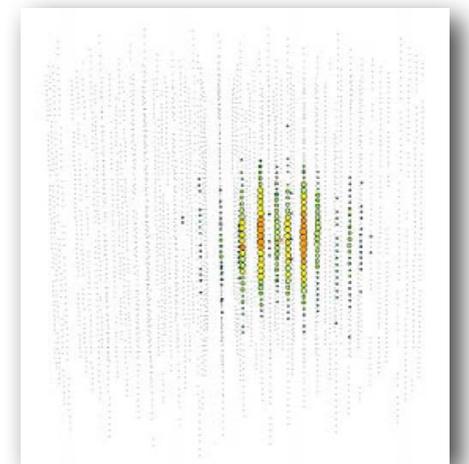
<http://icecube.wisc.edu/>

Event topologies

10 TeV muon track



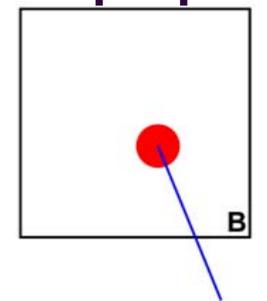
375 TeV cascade



double bang



lollipop



- Muon tracks due to ν_μ (threshold 100 GeV)
- Cascades or showers : em or hadronic (threshold TeV)
 - CC interactions of ν_e, ν_τ
 - NC interactions of all active flavors
- High energy (threshold PeV) due to ν_τ
 - double bang
 - lollipop

a few PeV

$$l_\tau = \gamma c t_\tau \sim 50 \left(\frac{E_\tau}{\text{PeV}} \right) m$$

Ref: Learned and Pakvasa (1995), Beacom et. al, (2003)

<http://icecube.wisc.edu/>

Flavor ratios at detector

Ref: Pakvasa, MPLA23, 1313 (2008), talk@GGI 2012

- Define flavor-dependent ratios :

unknown flux normalization drops out,
detector specific

- Muon tracks to cascades

$$\hat{R} = \frac{\Phi_{\mu}^{Det}}{\Phi_e^{Det} + \Phi_{\tau}^{Det}}$$

easiest

- Electromagnetic to hadronic cascades

$$\hat{S} = \frac{\Phi_e^{Det}}{\Phi_{\tau}^{Det}}$$

hard near threshold

- Resonant production of electron antineutrinos to muon tracks at 6.3 PeV

$$\hat{T} = \frac{\Phi_e^{Det}}{\Phi_{\mu}^{Det}}$$

Glashow resonance

- Flavor is inferred from different event topologies

Flavor flux and observable ratio

- Muon tracks to cascades

$$\begin{aligned}\hat{R} &= \frac{\Phi_{\mu}^{Det}(E)}{\Phi_e^{Det}(E) + \Phi_{\tau}^{Det}(E)} \\ &= \frac{P_{e\mu}(E)\hat{X}(E) + P_{\mu\mu}(E)}{[P_{ee}(E) + P_{e\tau}(E)]\hat{X}(E) + [P_{\mu e}(E) + P_{\mu\tau}(E)]}\end{aligned}$$

- In general, two energy-dependent terms
- holds even if unitarity is violated

- We will quantify new physics effects using R

New physics effects

Neutrino Decay

Ref: Beacom et al. PRL (2003), Maltoni and Winter, JHEP07, 064 (2008)

- Neutrino decay is described by

$$e^{-\frac{t}{\tau}} = e^{-\frac{tm}{\tau^0 E}} \quad \tau = \gamma \tau^0$$
$$\gamma = E/m$$

- Lifetime for neutrinos is quoted as τ^0/m

- Astrophysical neutrinos :Typically $L \sim \text{Mpc}$ and $E \sim \text{TeV}$ which implies that

$$\frac{\tau_i^0}{m_i} \leq 10^2 \frac{L}{\text{Mpc}} \frac{\text{TeV}}{E} s \cdot \text{eV}^{-1}$$

- Solar neutrinos (invisible decay) :

$$\frac{\tau_i^0}{m_i} \geq 10^{-4} s \cdot \text{eV}^{-1}$$

~5 orders of magnitude more sensitive !

- Weak model-independent bounds imply that (invisible) decay of neutrinos over extragalactic distances is not ruled out !

TALK BY S. PAKVASA

Neutrino Decay

- The modified probability has an overall damping factor

$$P_{\alpha\beta} = \sum_{i=1}^3 |U_{\alpha i}|^2 |U_{\beta i}|^2 D_i(E) \quad D_i(E) = e^{-\hat{\alpha}_i \frac{L}{E}}$$
$$\hat{\alpha}_i^{-1} = \frac{\tau_i^0}{m_i} \leq 10^2 \frac{L}{Mpc} \frac{TeV}{E} s \cdot eV^{-1}$$

- Damping term characterizes complete $D_i \rightarrow 0$ and incomplete $0 \leq D_i \leq 1$ decays
- Considered (invisible) decay scenarios : 8 - 1 (all unstable) = 7
- In general, decays can be classified into visible, invisible, complete or incomplete

Quantum decoherence

- Generic prediction emerging from quantum gravity
- Modified propagation using the density matrix formalism

$$\dot{\rho} = -i[H, \rho] + \mathcal{D}[\rho]$$

pure to mixed states

- Expand all operators in SU(3) Hermitian basis to write EOM in component form

$$\dot{p}_\mu = (h_{\mu\nu} + d_{\mu\nu})p_\nu \quad \mu, \nu = 0, 1, \dots, 8$$

- Solve the coupled set of differential equations and compute probability using

$$P_{\alpha\beta}(t) = \text{Tr}[\rho_{\nu_\alpha}(t)\rho_{\nu_\beta}(0)]$$

mixed state neutrino density matrix at t

pure state neutrino density matrix at t=0

Quantum decoherence

- On averaging over sin and cos terms for astrophysical neutrinos,

$$P_{\alpha\beta} = \frac{1}{3} + \frac{1}{2}(U_{\alpha 1}^2 - U_{\alpha 2}^2)(U_{\beta 1}^2 - U_{\beta 2}^2)D_{\psi} + \frac{1}{6}(U_{\alpha 1}^2 + U_{\alpha 2}^2 - 2U_{\alpha 3}^2)(U_{\beta 1}^2 + U_{\beta 2}^2 - 2U_{\beta 3}^2)D_{\delta}$$

- E-dependence of the damping terms depend on model

$$D_{\kappa}(E) = e^{-2\kappa L E^n}$$

n depends on the specific model, n=-1,0,2

- For a model, four sub-cases :

- case 1 $\psi \neq 0, \delta = 0$ $P_{\alpha\beta}(L \rightarrow \infty) = \frac{1}{3} + \frac{1}{6}(U_{\alpha 1}^2 + U_{\alpha 2}^2 - 2U_{\alpha 3}^2)(U_{\beta 1}^2 + U_{\beta 2}^2 - 2U_{\beta 3}^2)$
- case 2 $\psi = 0, \delta \neq 0$ $P_{\alpha\beta}(L \rightarrow \infty) = \frac{1}{3} + \frac{1}{2}(U_{\alpha 1}^2 - U_{\alpha 2}^2)(U_{\beta 1}^2 - U_{\beta 2}^2)$
- case 3 $\psi = 0, \delta = 0$ $P_{\alpha\beta}(L \rightarrow \infty) = \sum_{i=1}^3 |U_{\alpha i}|^2 |U_{\beta i}|^2$
- case 4 $\psi \neq 0, \delta \neq 0$ $P_{\alpha\beta}(L \rightarrow \infty) = \frac{1}{3}$

- Recall pion beam+TBM gave 1:1:1 and here also 1:1:1 (equally populated flavors)
- Only 2 decoherence parameters appear in probability - coherences vanish.

Ref: Mehta and Winter, JCAP 1103, 041 (2011)

Results

Neutrino Decay

7 Invisible (complete) decay scenarios

stable: ①

unstable: ①

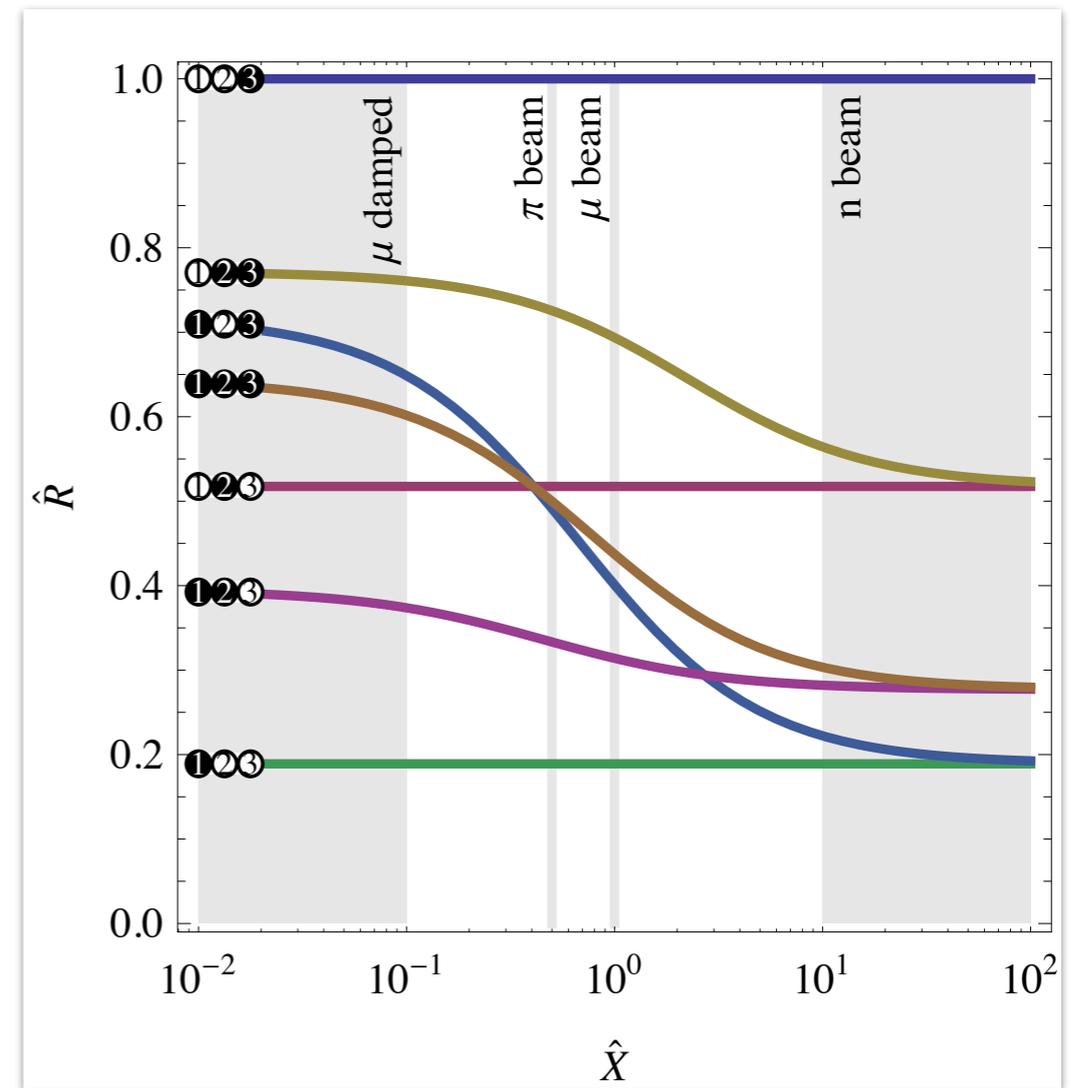
pion beam: 4 scenarios clear, 3 degenerate

muon beam/muon damped: 7 scenarios clear

single stable mass eigenstate

$$\hat{R} = \frac{|U_{\mu f}|^2}{|U_{ef}|^2 + |U_{\tau f}|^2}$$

sources with changing X can be useful to have clean identification of decay scenario !



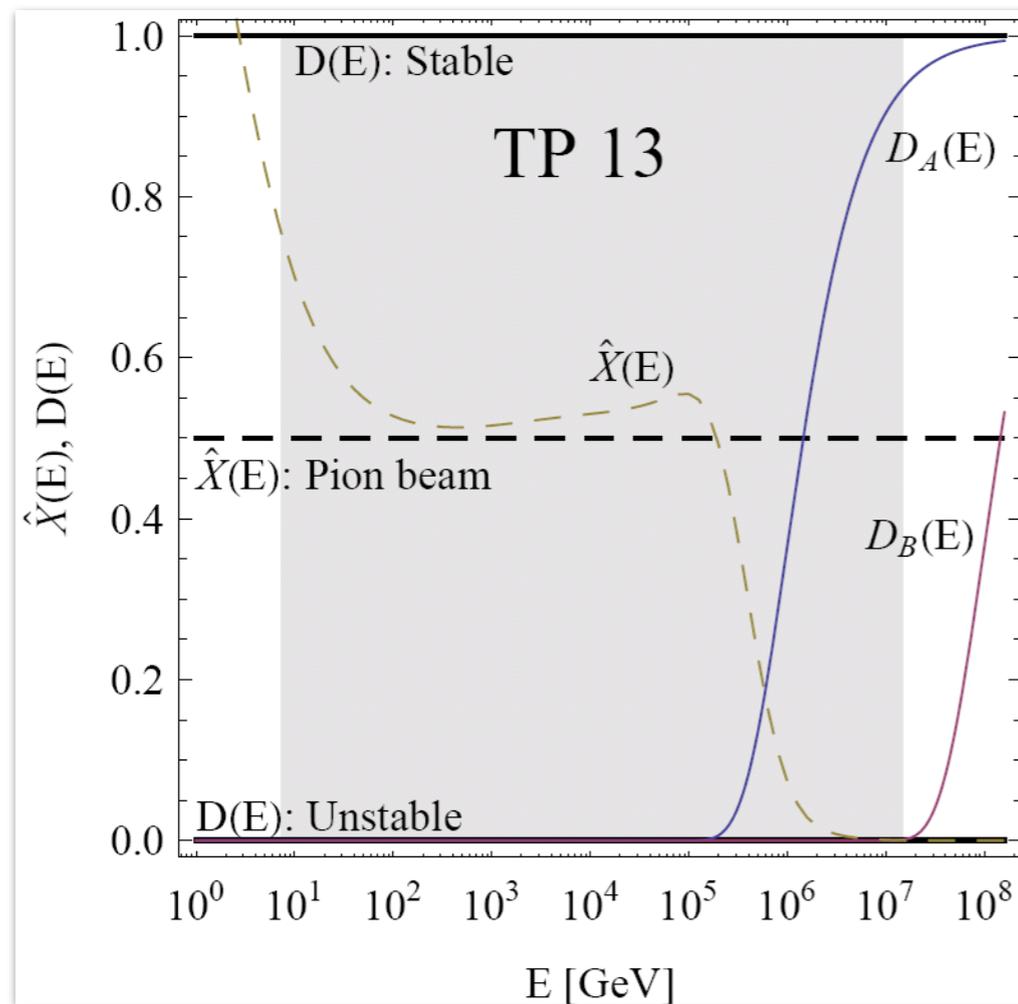
Neutrino Decay

stable ①

unstable ①

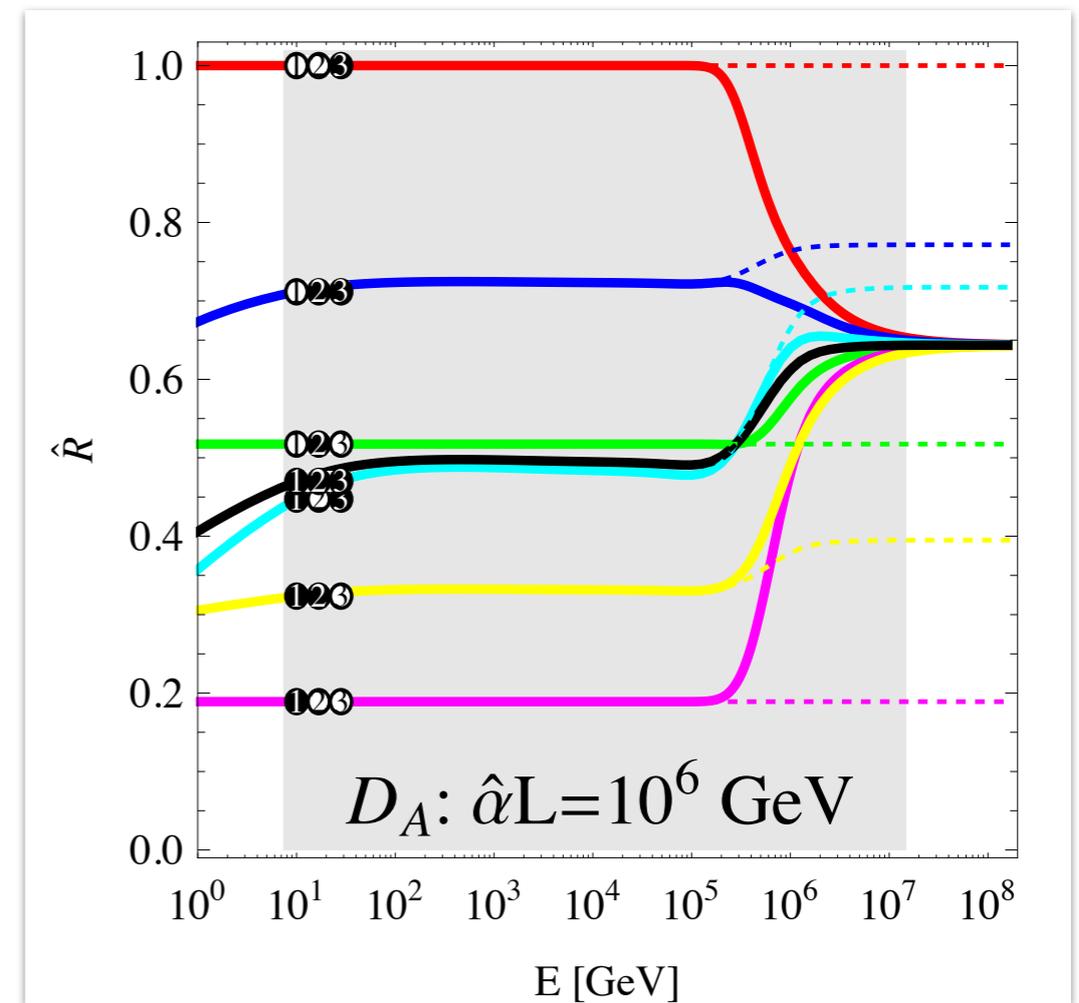
Decay effective at low E - 7
scenarios separate out

pion beam to muon-damped



decay effective

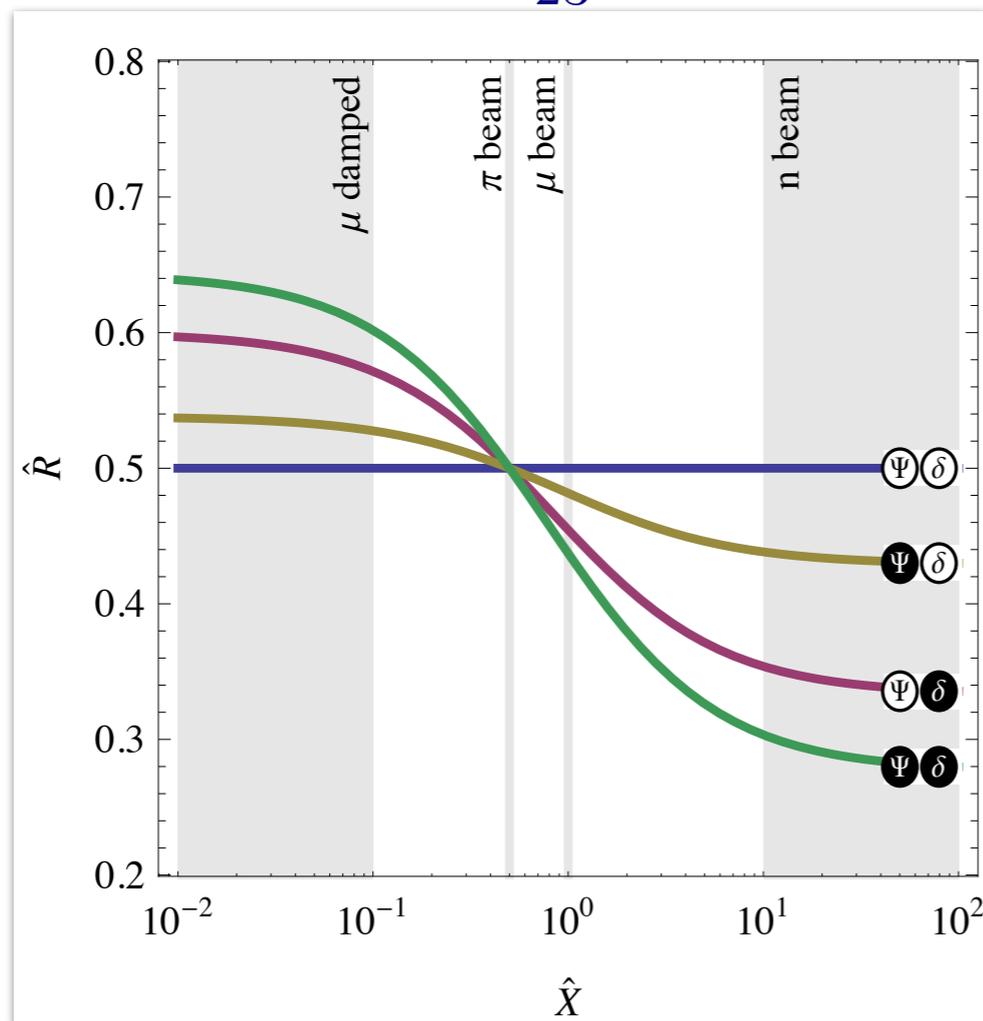
stable



Decoherence

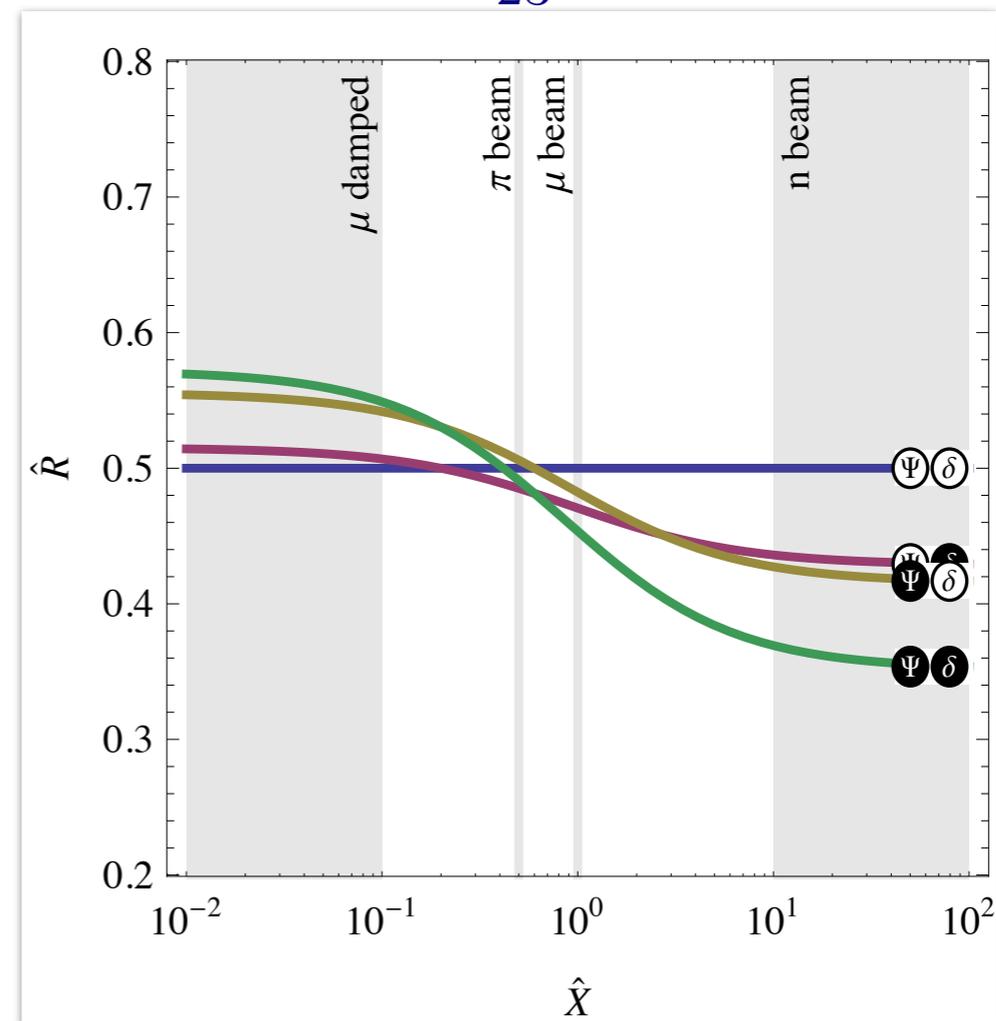
Prediction in asymptotic limit - Complete quantum decoherence always leads to 1:1:1 ($R=0.5$) (blue curves) for any source but this requires both decoherence parameters to be non-zero.

$$\sin^2 \theta_{23} = 0.5$$



Pion beam + TBM angles : all the 4 decoherence cases are degenerate

$$\sin^2 \theta_{23} = 0.4$$



Pion beam + non-maximal atmospheric mixing : breaks degeneracy

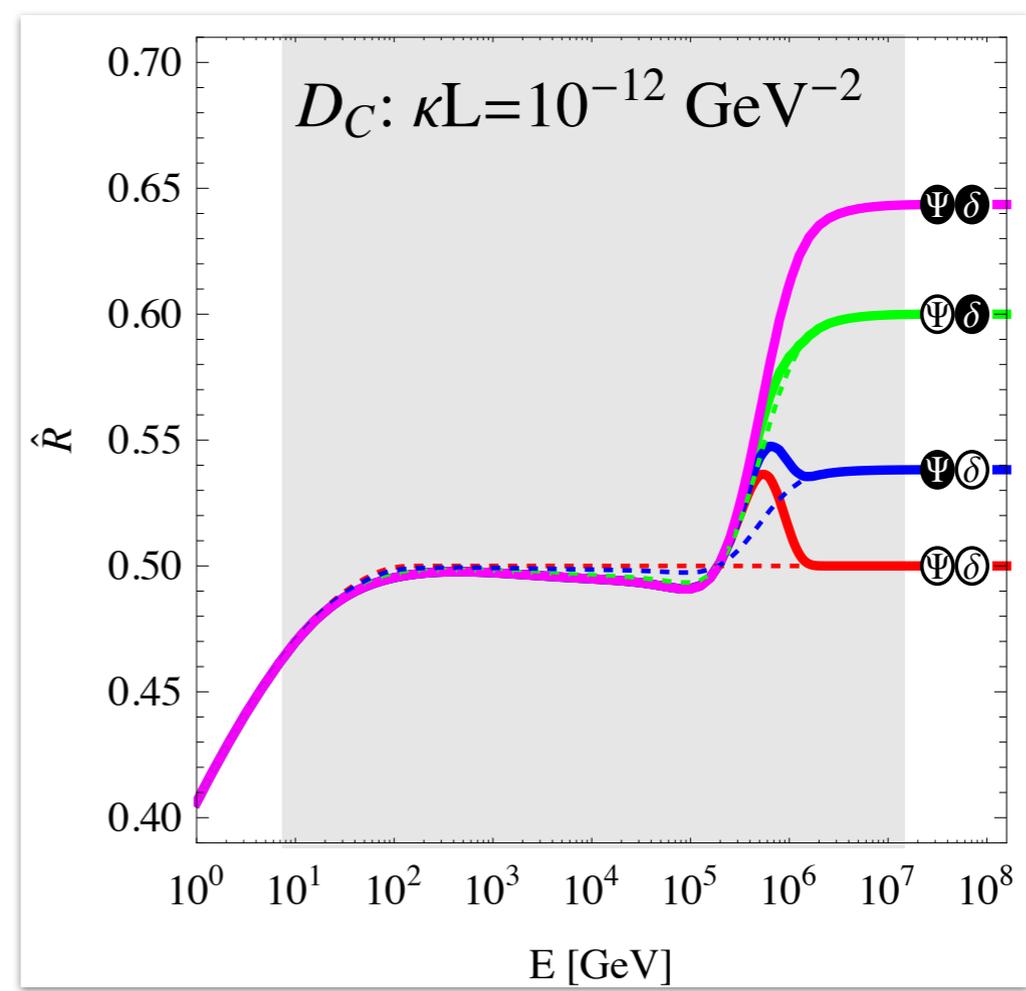
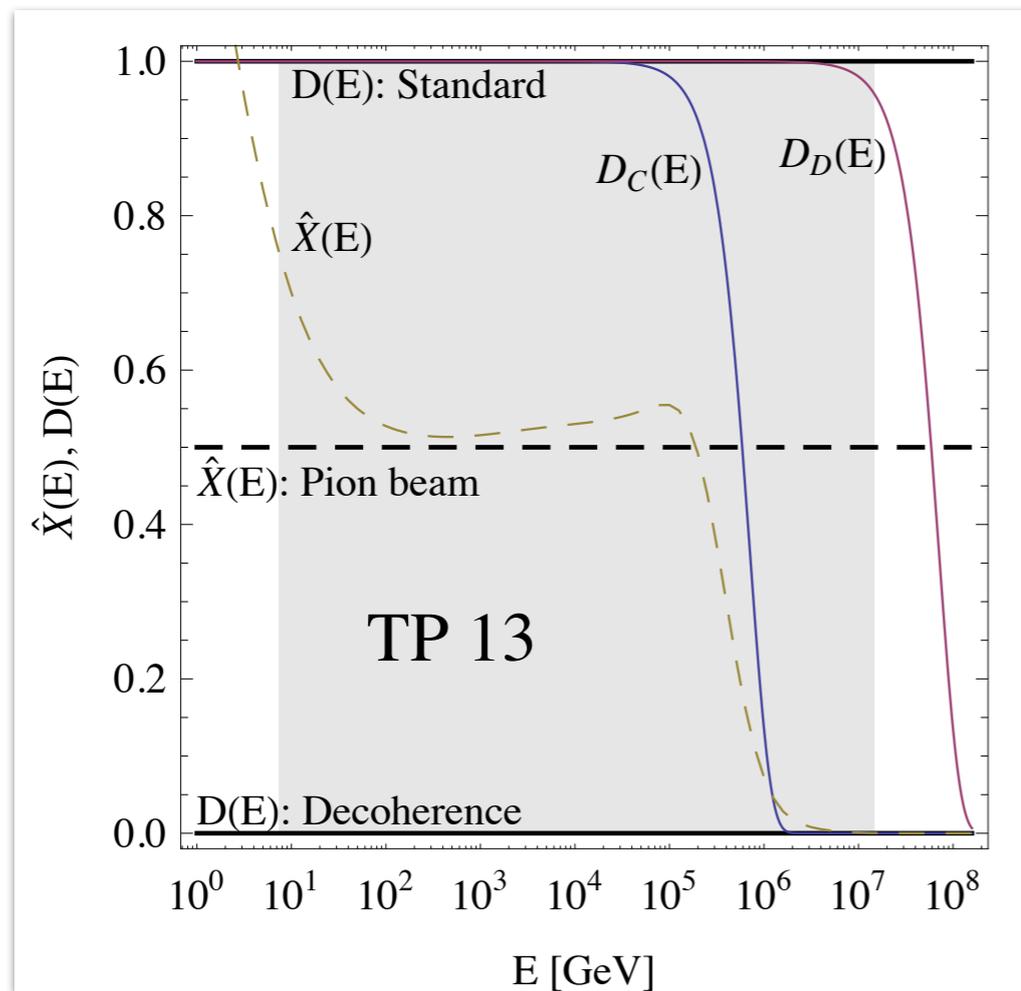
Decoherence

coherent ①

decoherent ①

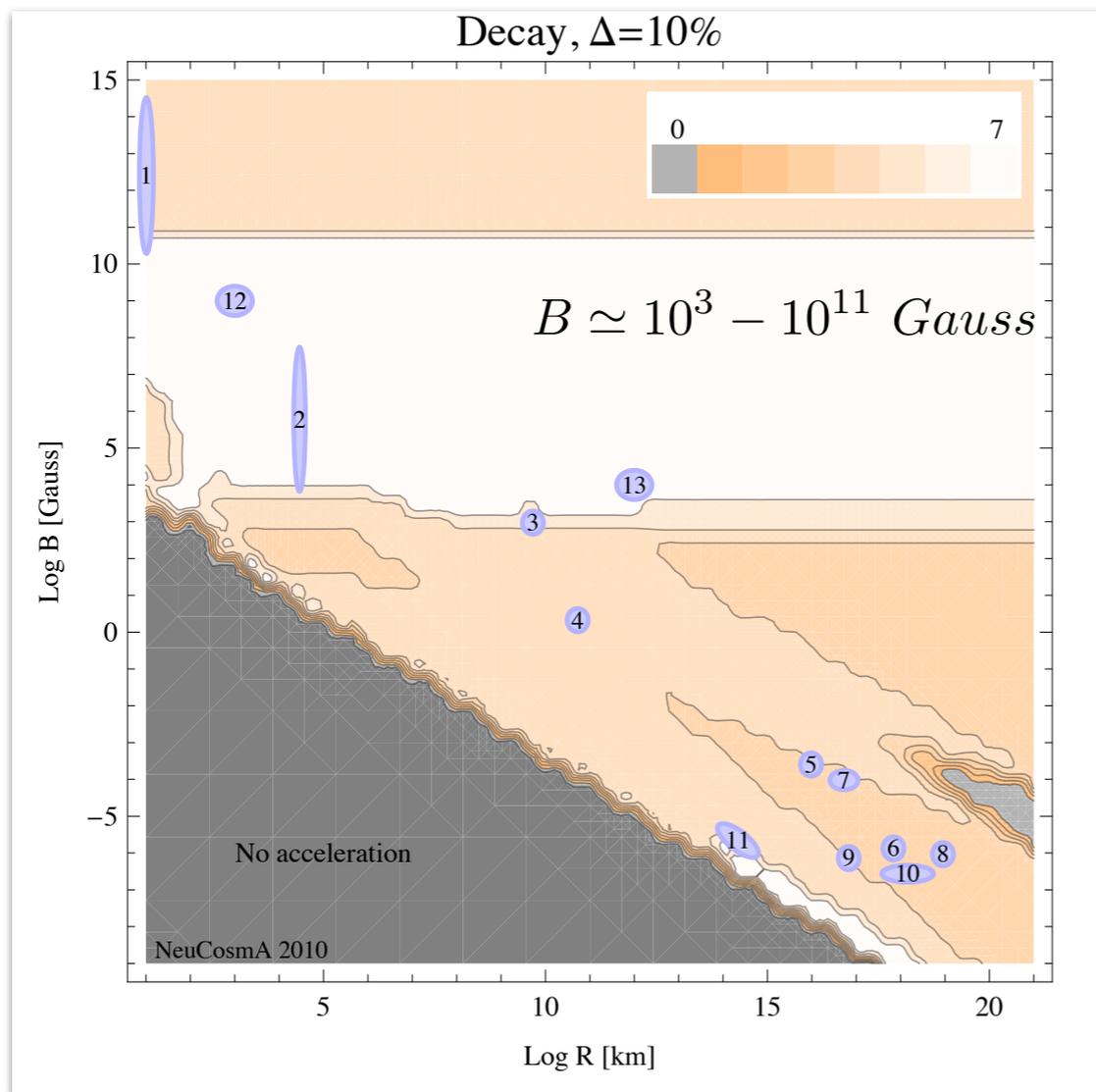
Decoherence ($n=2$)
effective at high E - 4
scenarios separate out

pion beam to muon-damped

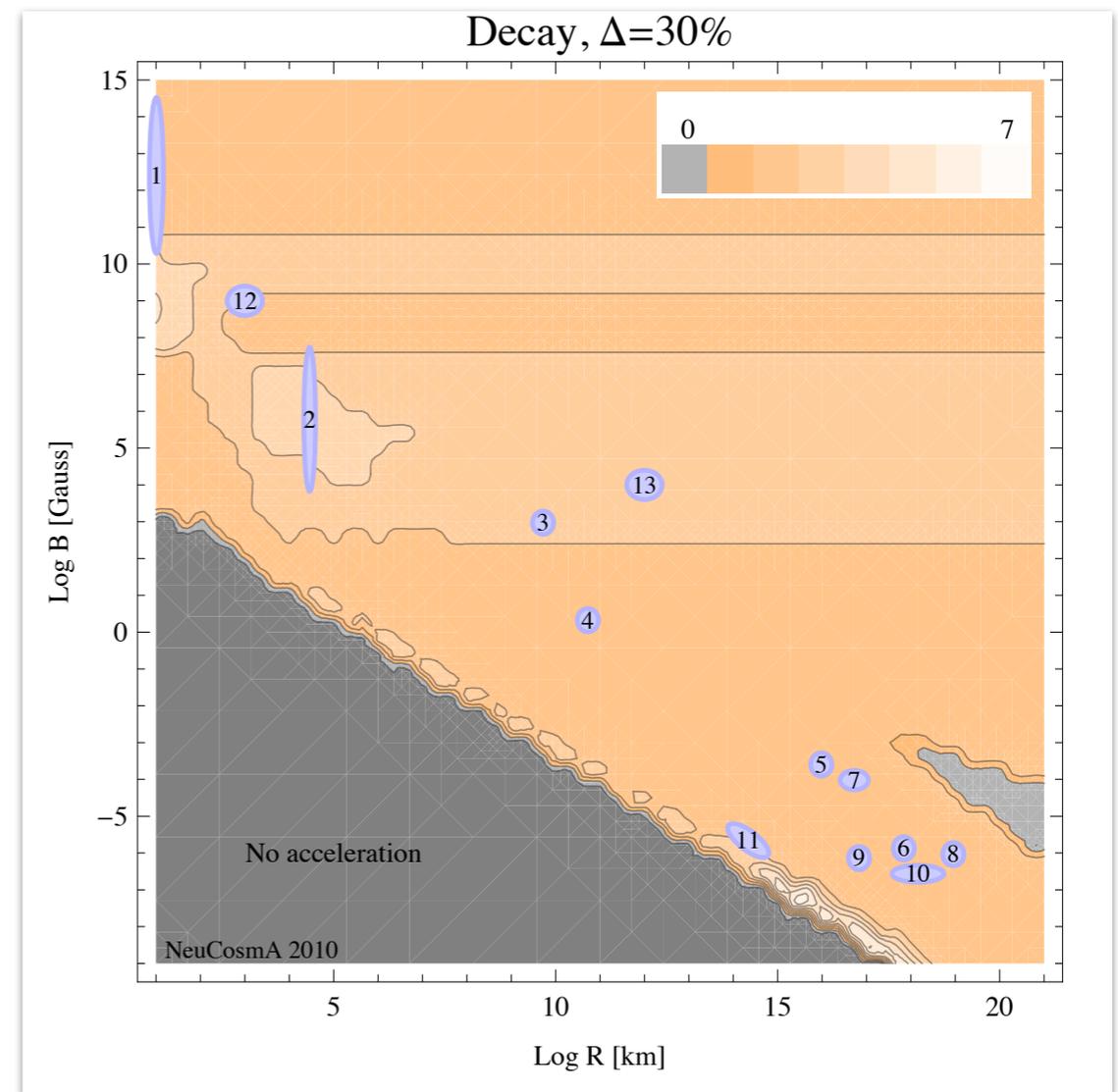


Useful sources

$$\hat{\alpha}L = 10^8 \text{ GeV}$$



Useful sources : TP 2, 12, 13

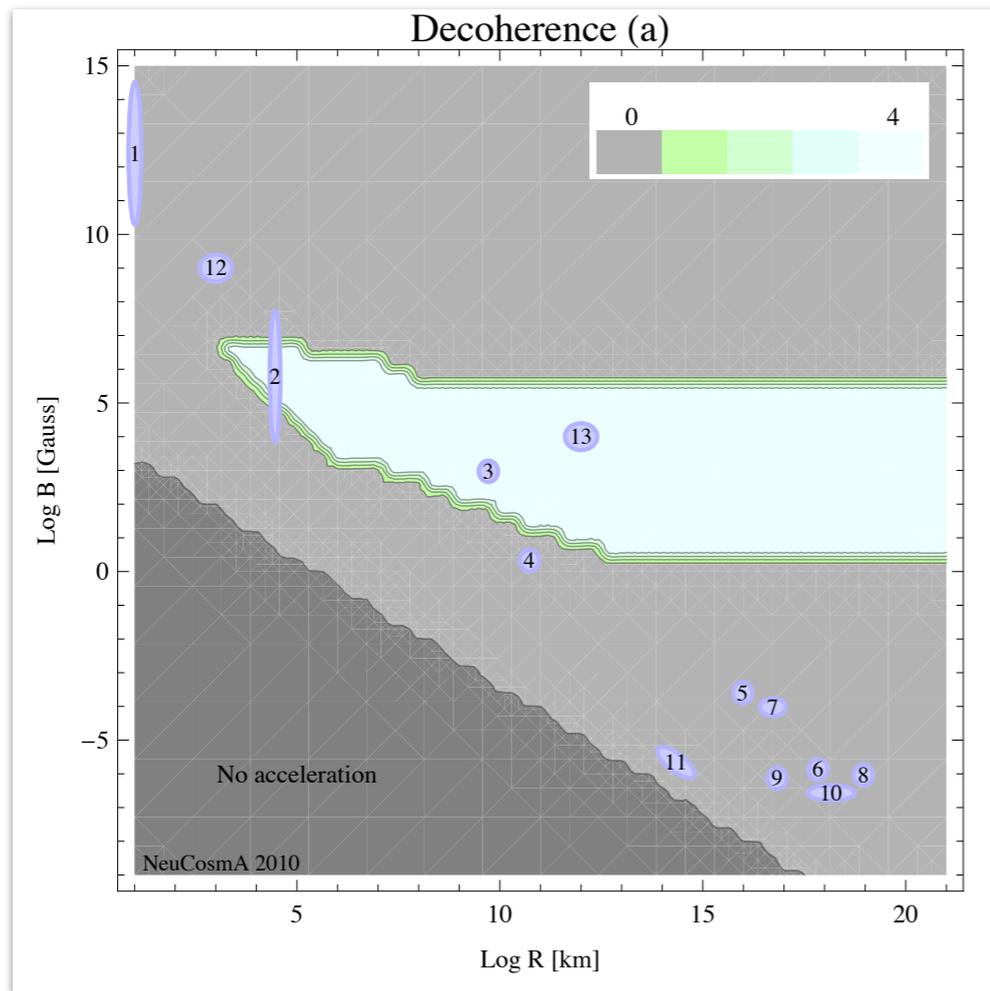


Useful sources : TP 2

Useful sources

n=2 case

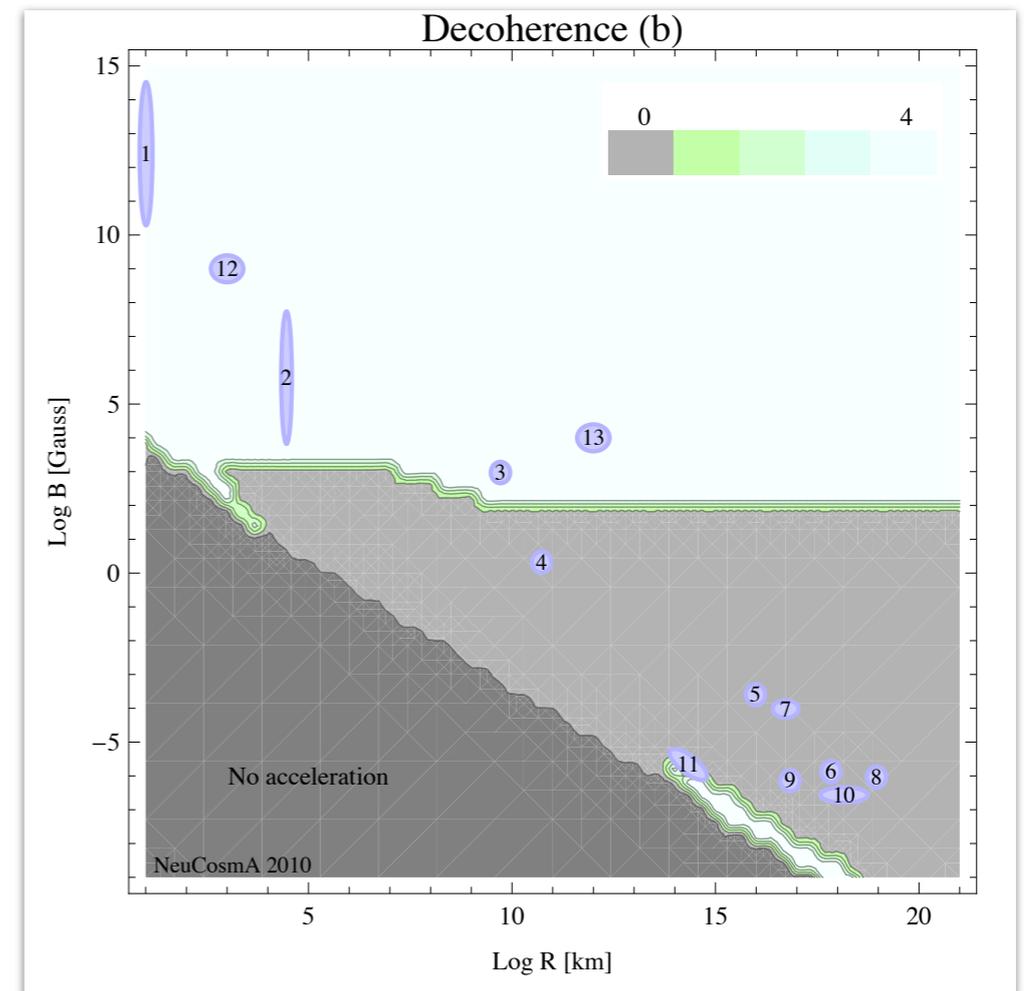
$$\kappa L = 10^{-12} \text{ GeV}^{-2}$$



Useful sources : TP 2, 3, 13

n=-1 case, like decay

$$\kappa L = 10^8 \text{ GeV}$$

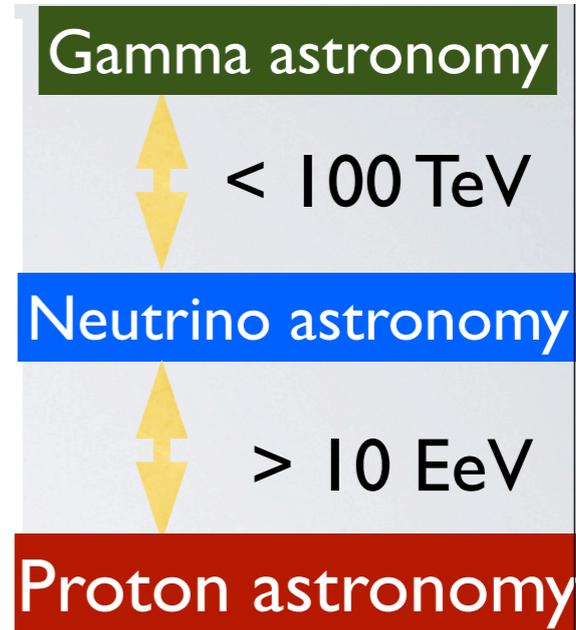
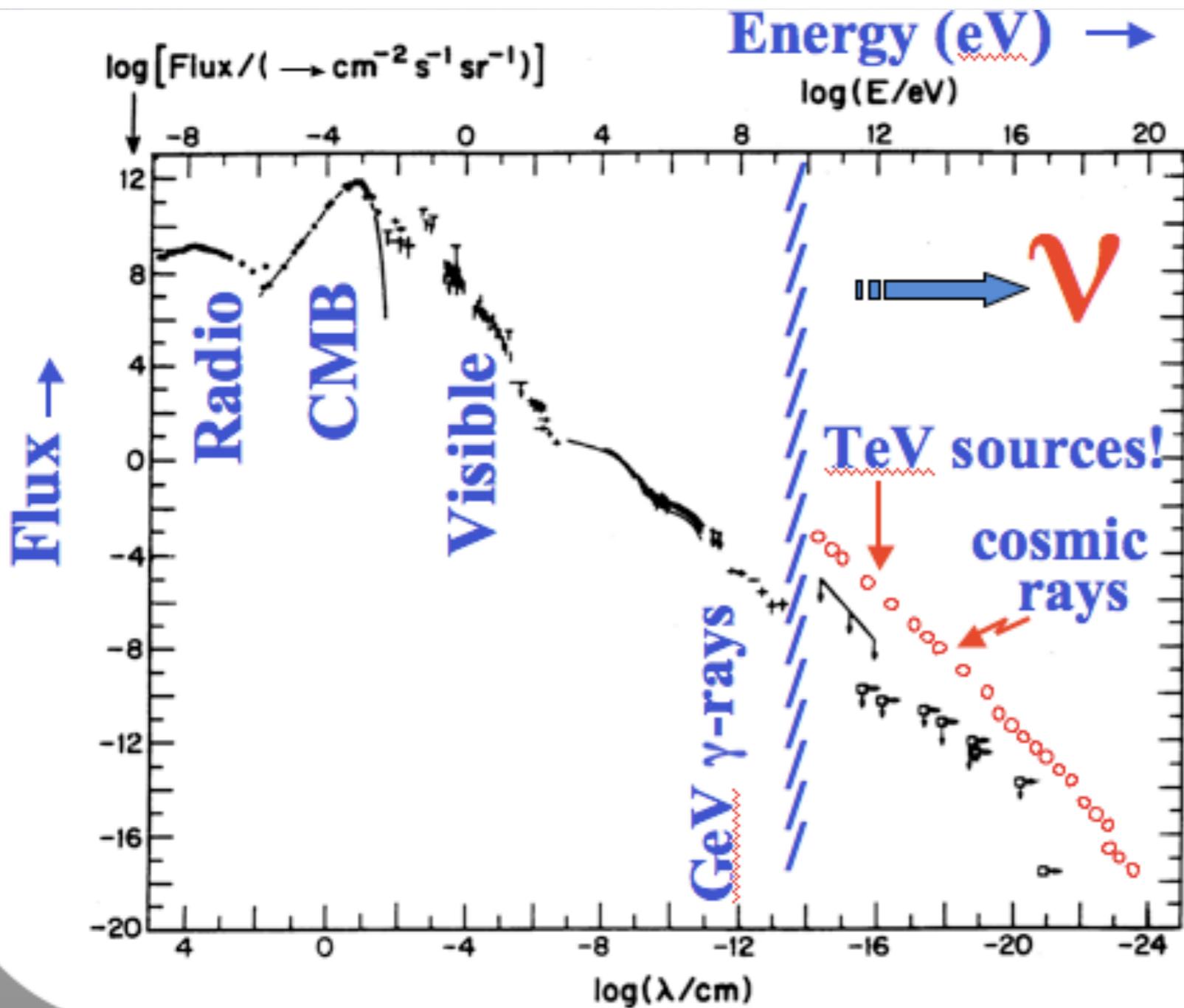


Useful sources : TP 1, 2, 3, 12, 13

Summary

- Flavor degree of freedom of neutrinos plays an indispensable role in revealing interesting particle physics effects and also can give some information on the astrophysics of source.
- Flavor is not directly measured at telescopes but can be indirectly inferred, for instance at IceCube. Need identification of distinct event topologies at UHE detectors.
- Neutrino observatories have reached the precision to constrain multi-messenger signals - gamma rays, cosmic rays and neutrinos.

Multi-messenger connection



Outlook

- High energy extra-galactic neutrino astronomy will lead us to an understanding of the acceleration processes in the Universe.
- The next decade should be very exciting
 - if high energy neutrinos are detected - will answer a lot of open questions such as clues towards identifying UHECR sources with neutrinos, understanding astrophysics of such sources, particle physics effects, nature and properties of neutrinos.
 - hints of high energy neutrino events in recent IC data...