

The Galactic Center GeV Excess: Have We Started to See Dark Matter?

Sam McDermott

Based on:

various observational works (Daylan et al 1402.6703, Calore et al 1409.0042, ...)

SDM, I. Cholis, P. Fox, S. K. Lee
(preliminary / in progress)





IS HINCHLIFFE'S RULE TRUE? *

Boris Peon

Abstract

Hinchliffe has asserted that whenever the title of a paper is a question with a yes/no answer, the answer is always no. This paper demonstrates that Hinchliffe's assertion is false, but only if it is true.

Outline

1. Observational facts (“introduction”)

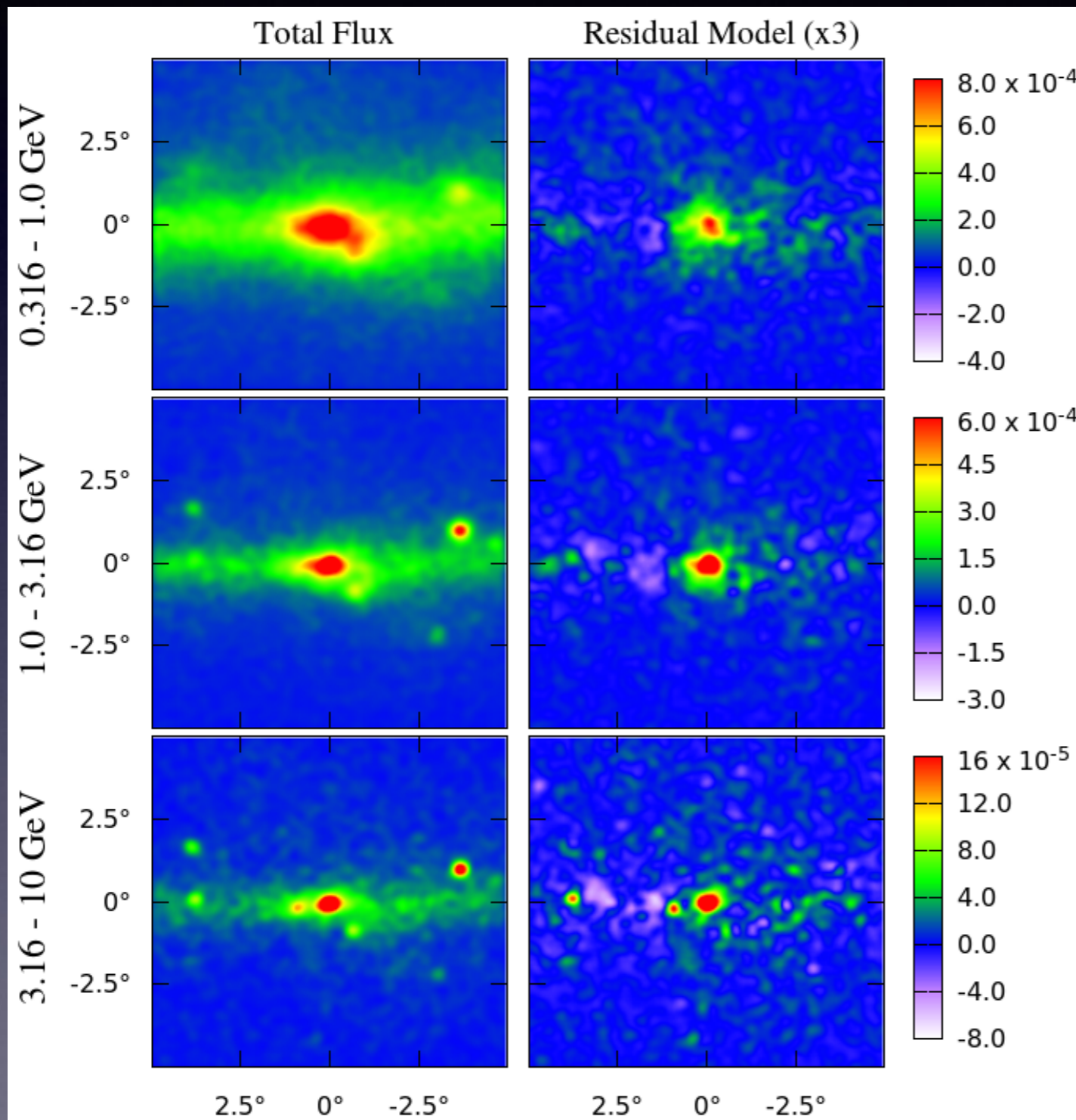
- how many photons? from where?
- what is it?

2. A new observational idea

Basics

- Two kinds of analyses
 - ***Galactic center*** — below the Bubbles
 - ***Inner Galaxy*** — excludes disk, goes out $> O(10^\circ)$
- “Excess” found both near and far from SgrA*
- Appears to be spherical and smooth; radial fall-off compatible with (gNFW profile)²: $\rho_{\text{gNFW}}(x) \sim \rho_0 / [x^\gamma (1+x)^{3-\gamma}]$

Galactic Center

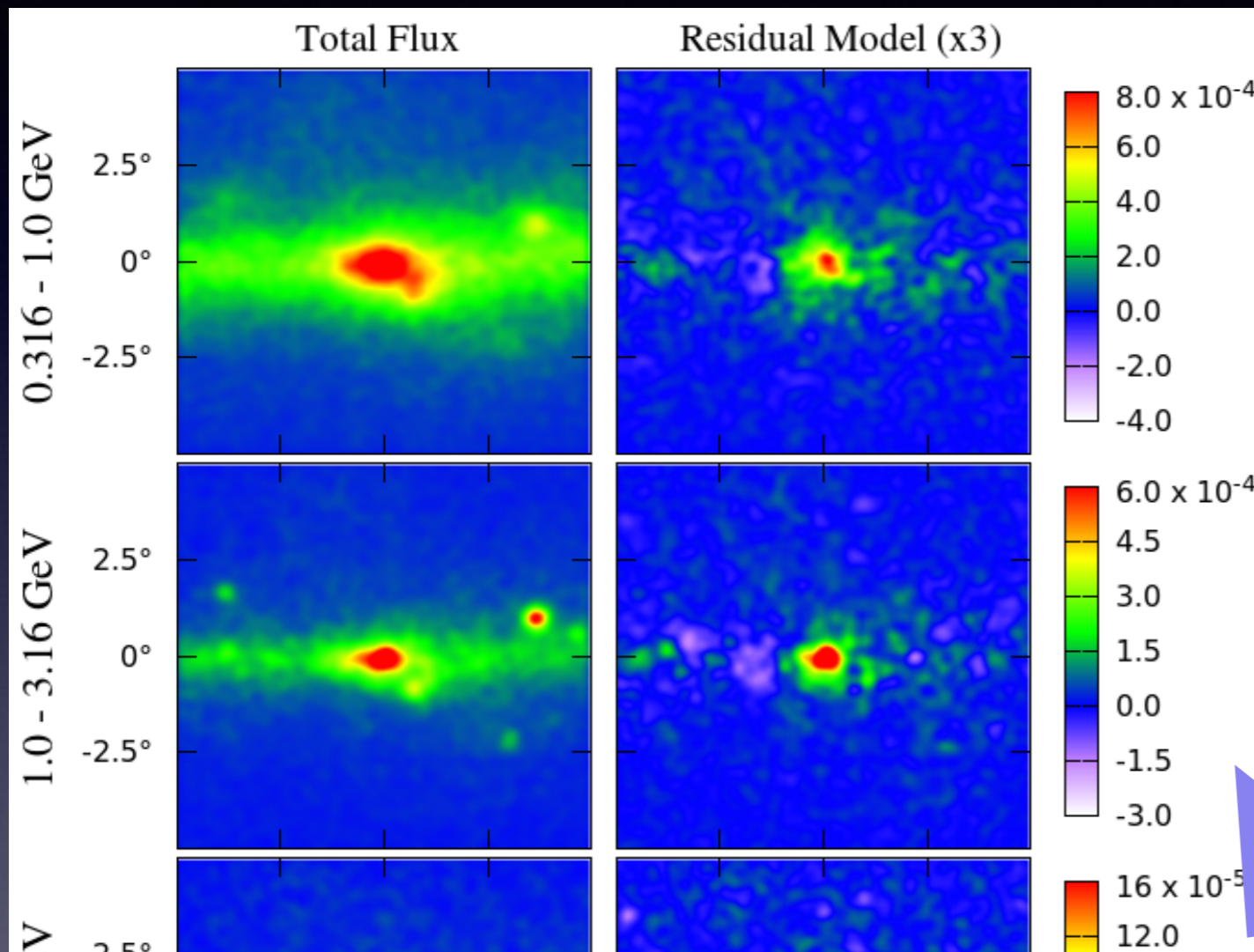


excess with
normalization
~ 30% of raw!

point sources;
isotropic;
diffuse emission;
map of 20 cm synchrotron

$\int_{\text{los}} (\text{gNFW profile})^2$
fits excess well

Galactic Center



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point sources;
isotropic:

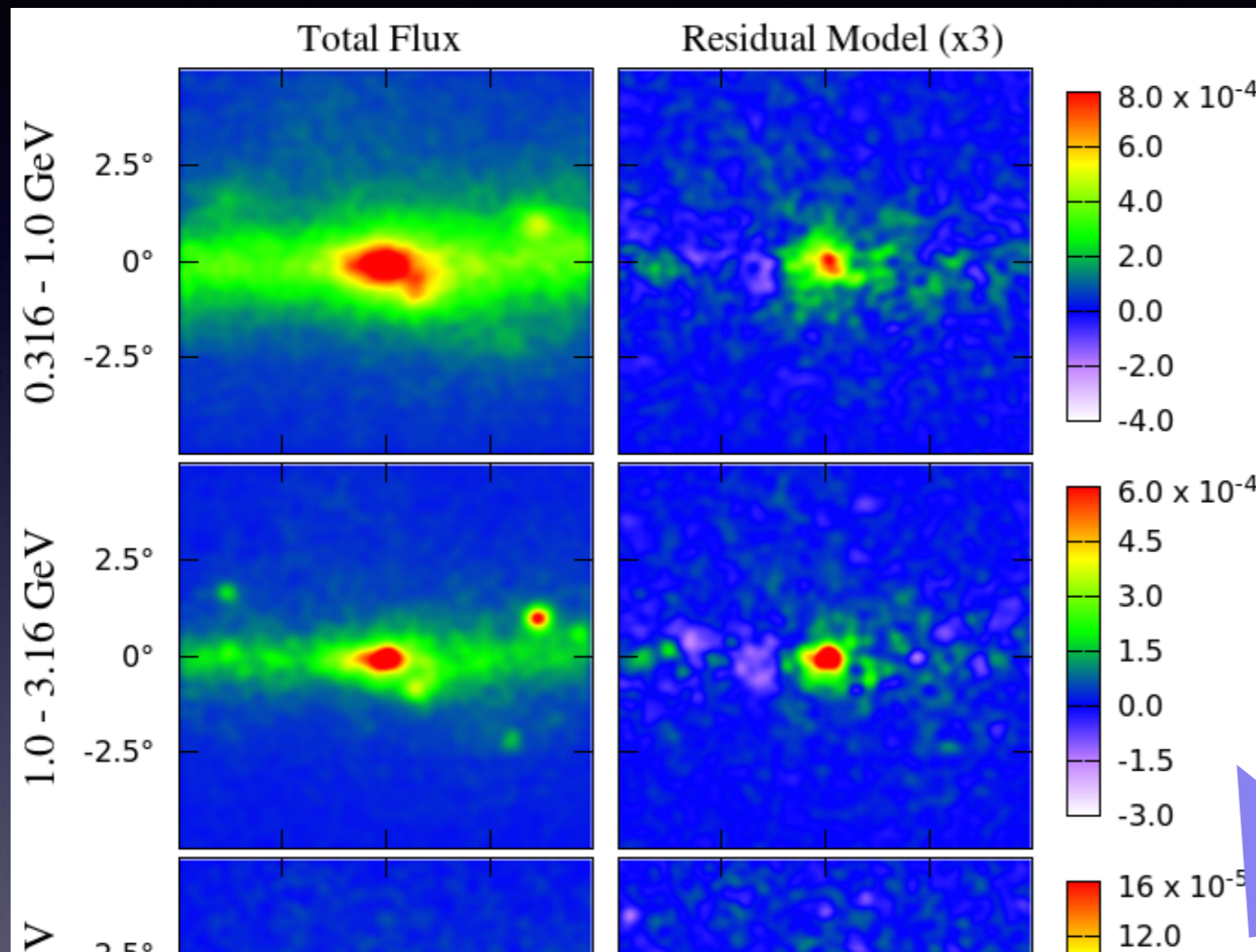
diffuse emission:

map of 20 cm synchrotron

$f_{\text{diffuse}} = (\alpha_{\text{NEW}} \text{ profile})^2$

“ π^0 's” = hadronic CRs interacting with dust
 “bremsstrahlung” = leptonic CRs interacting with dust
 “ICS” = leptonic CRs interacting with background light

Galactic Center



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point sources;
isotropic:

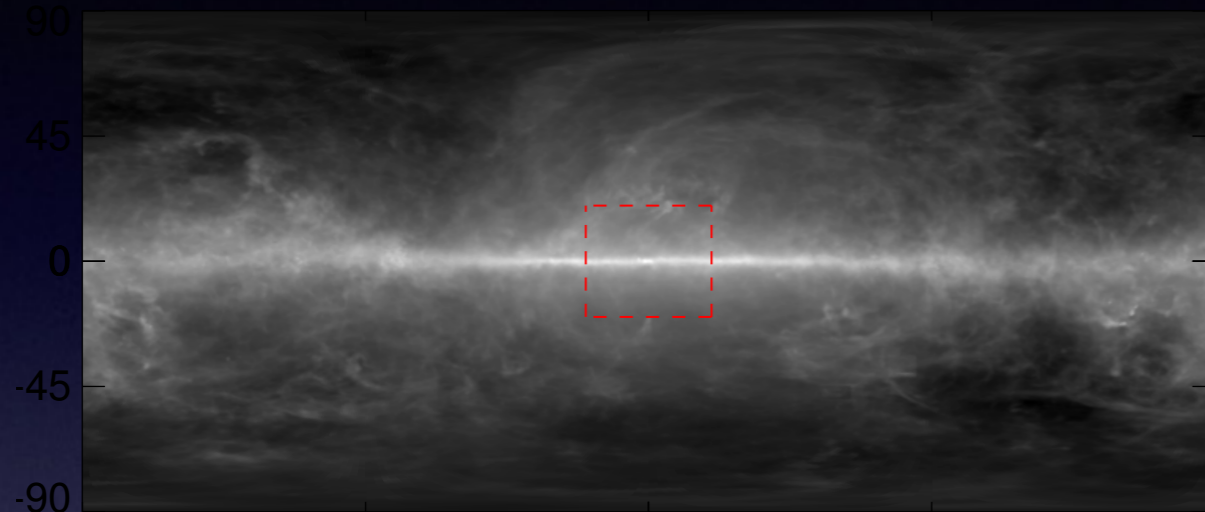
diffuse emission:

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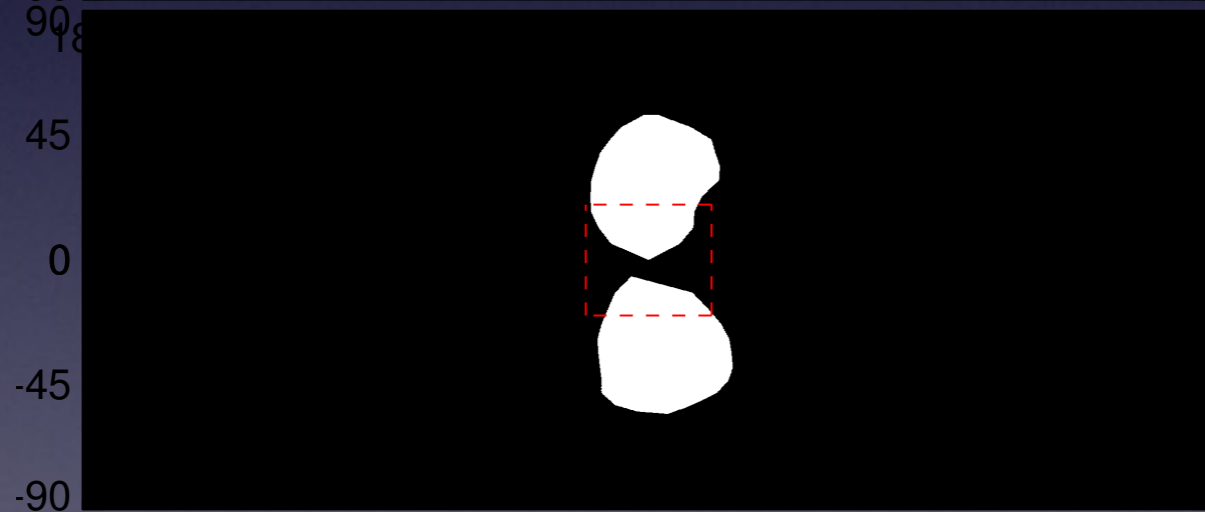
$f_{\nu} \propto (dNEW_{\text{profile}})^2$

“ π^0 's” = π^0 ’s
 “bremsstrahlung” = bremsstrahlung
 “ICS” = leptonic emission
 cosmic rays interacting with
 previously mapped stuff
 with dust
 ng with dust
 background light

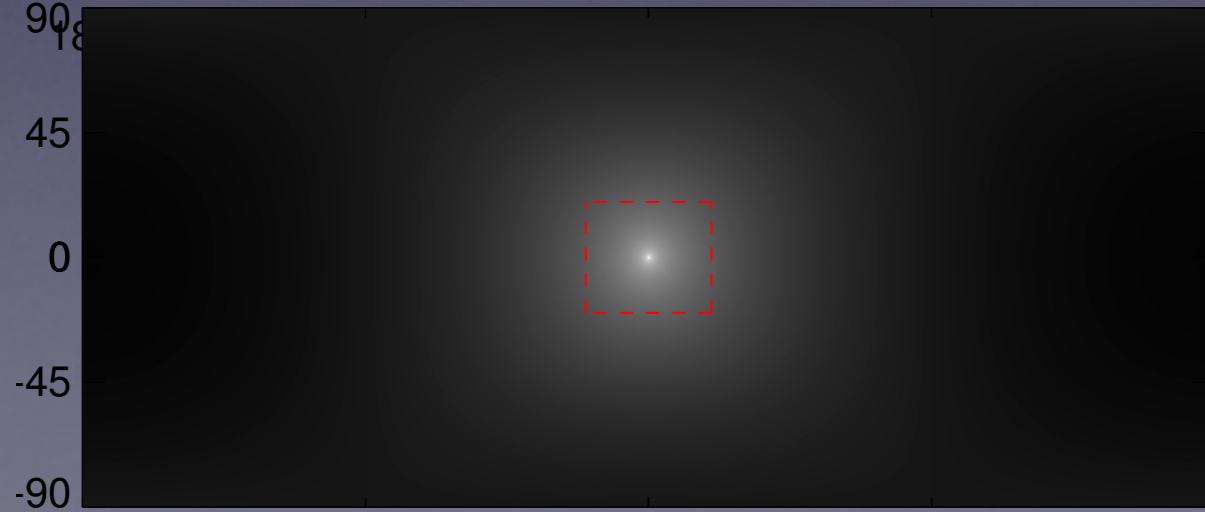
Inner galaxy



diffuse map



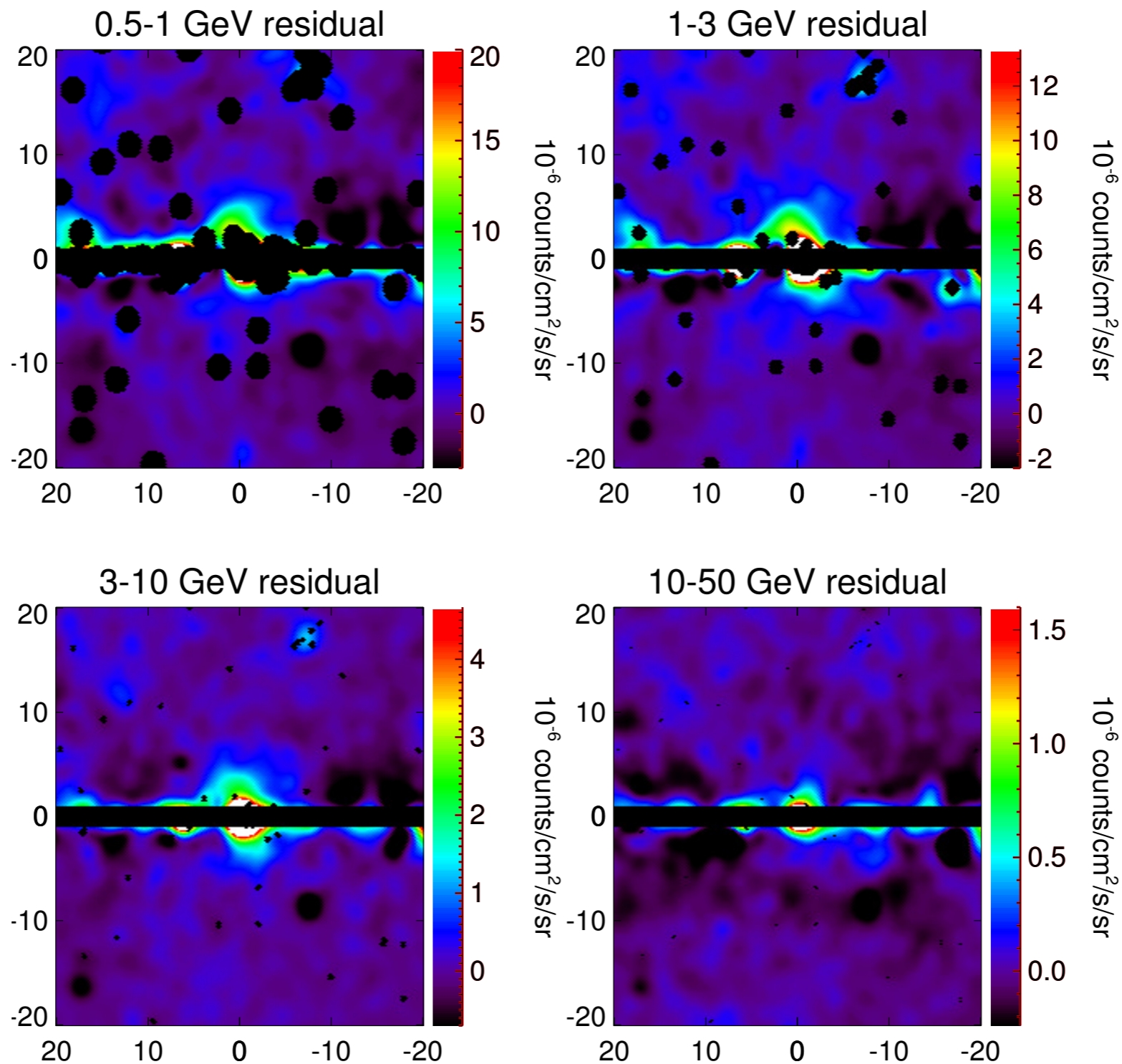
Fermi bubbles



NFW

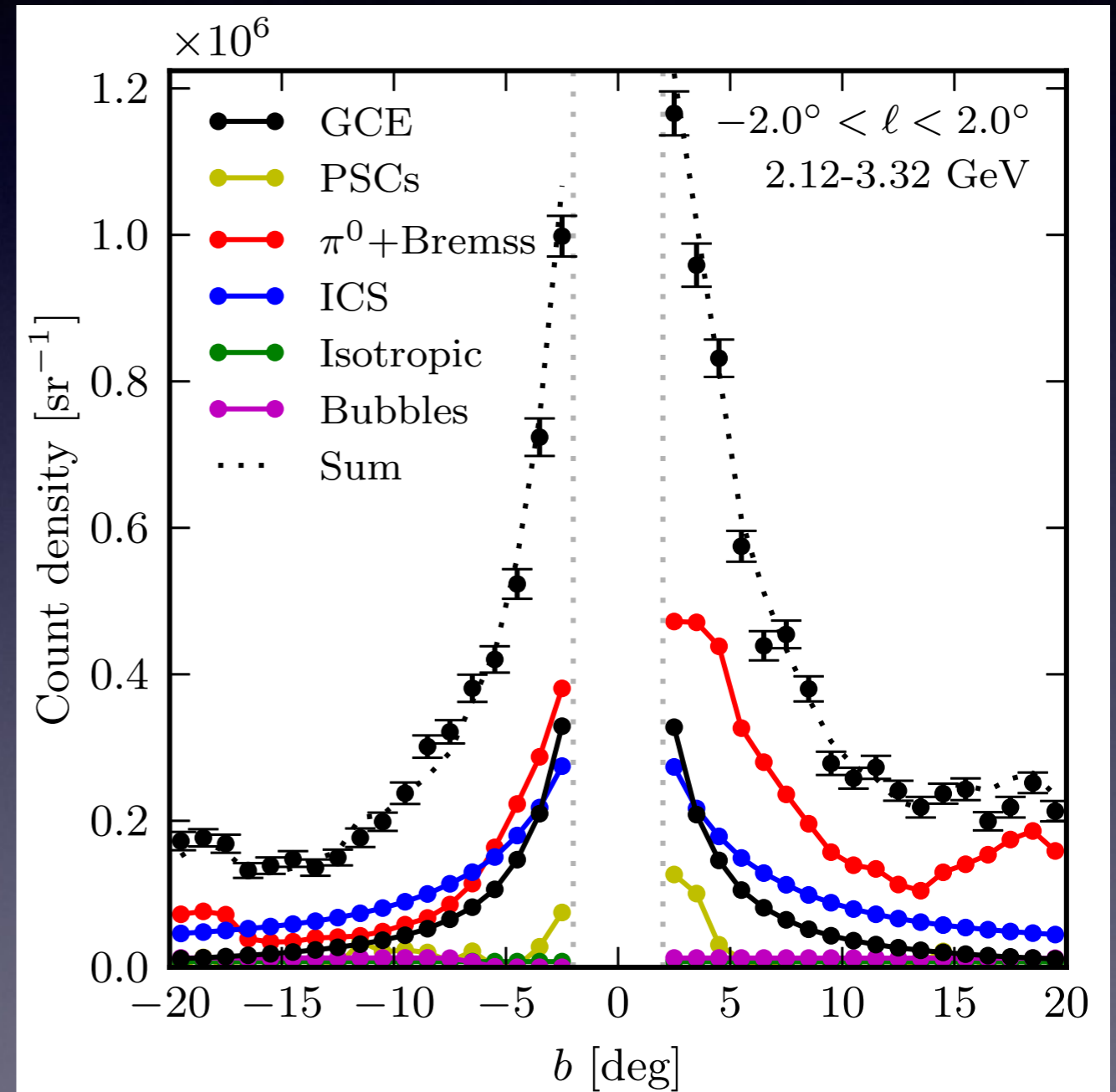
1402.6703

Inner galaxy



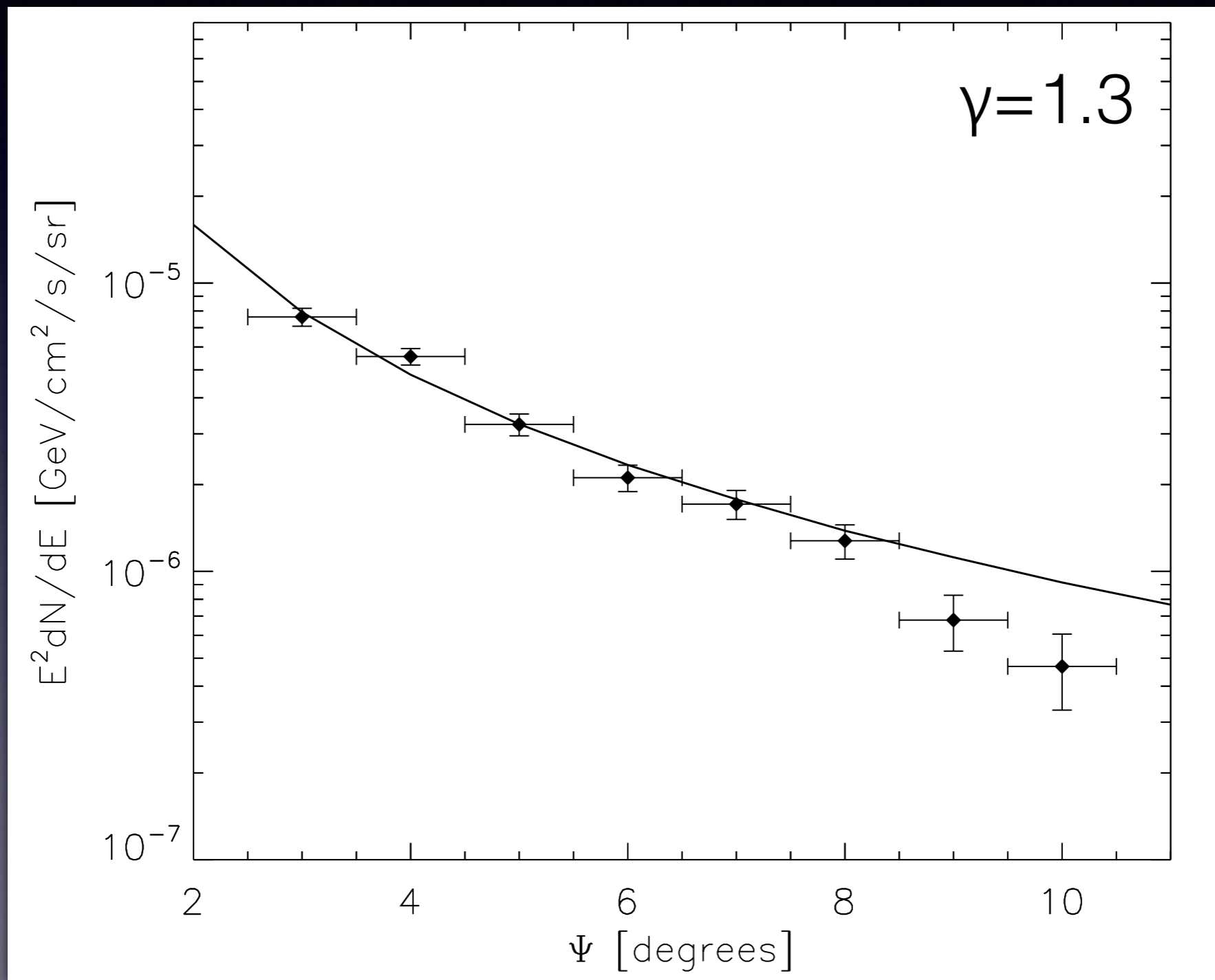
Total Normalization

at energies of interest,
much brighter than Bubbles
($\sim O(30\%)$ of total!)

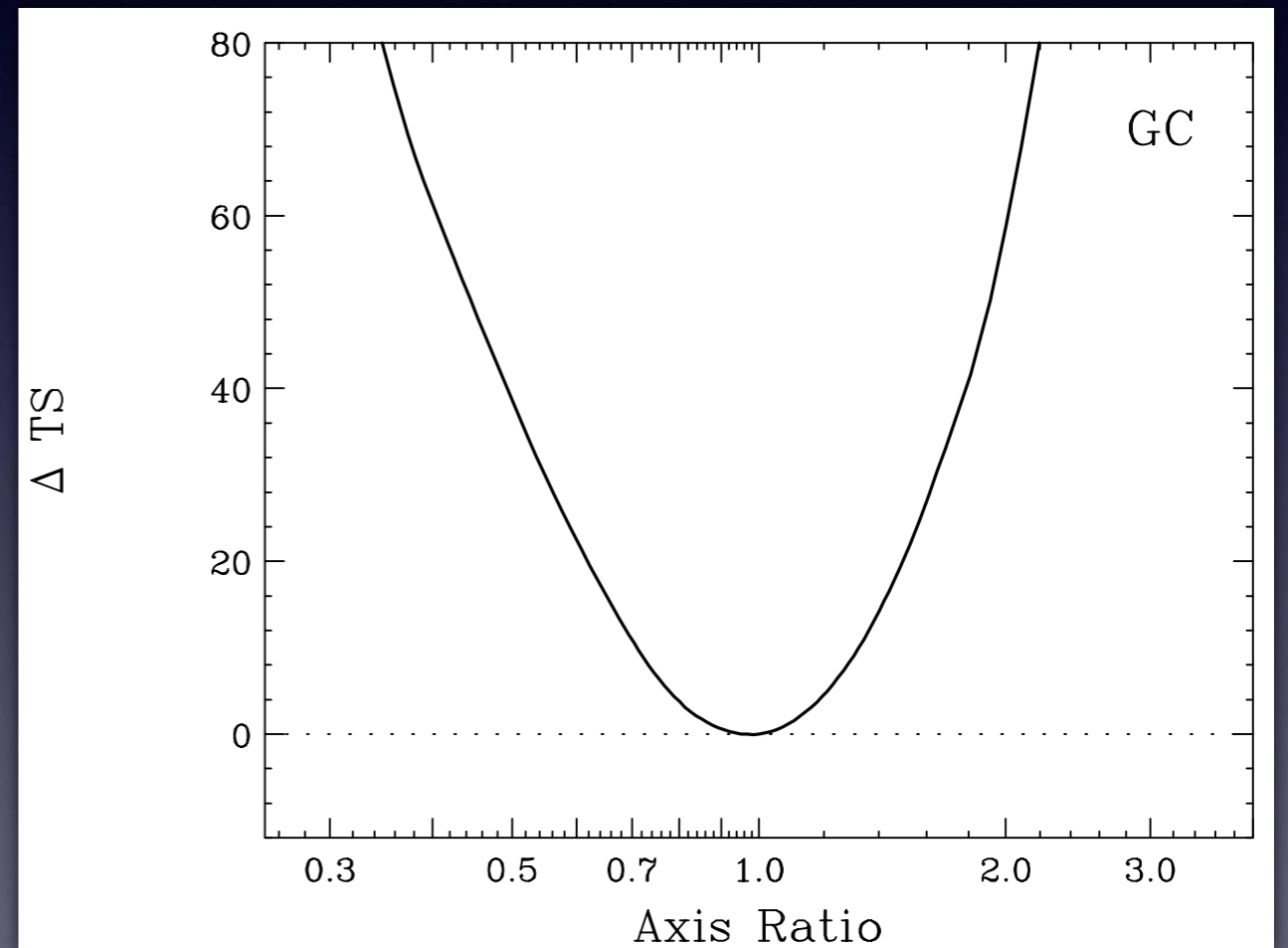
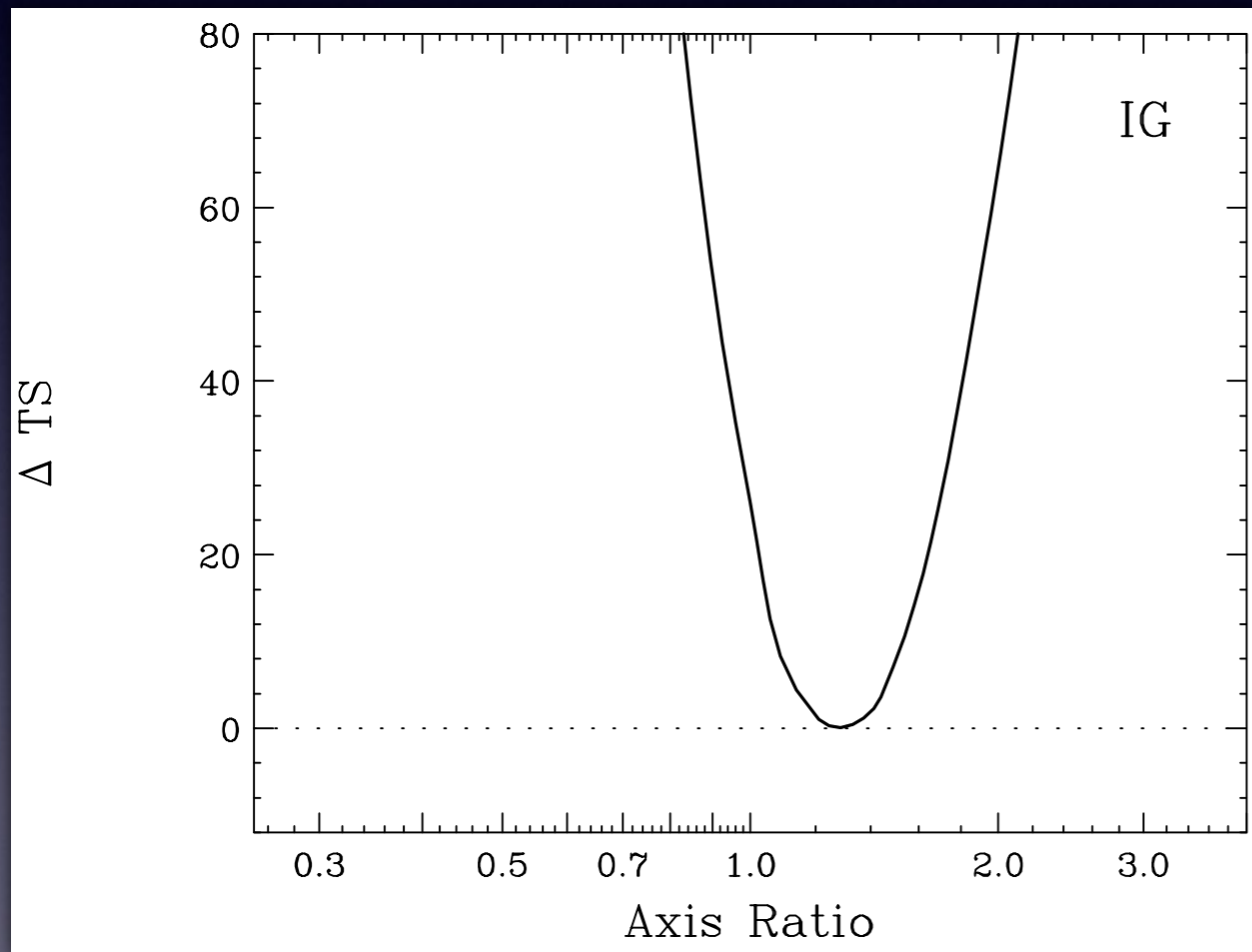


1409.0042

Seen out to $> 10^\circ$

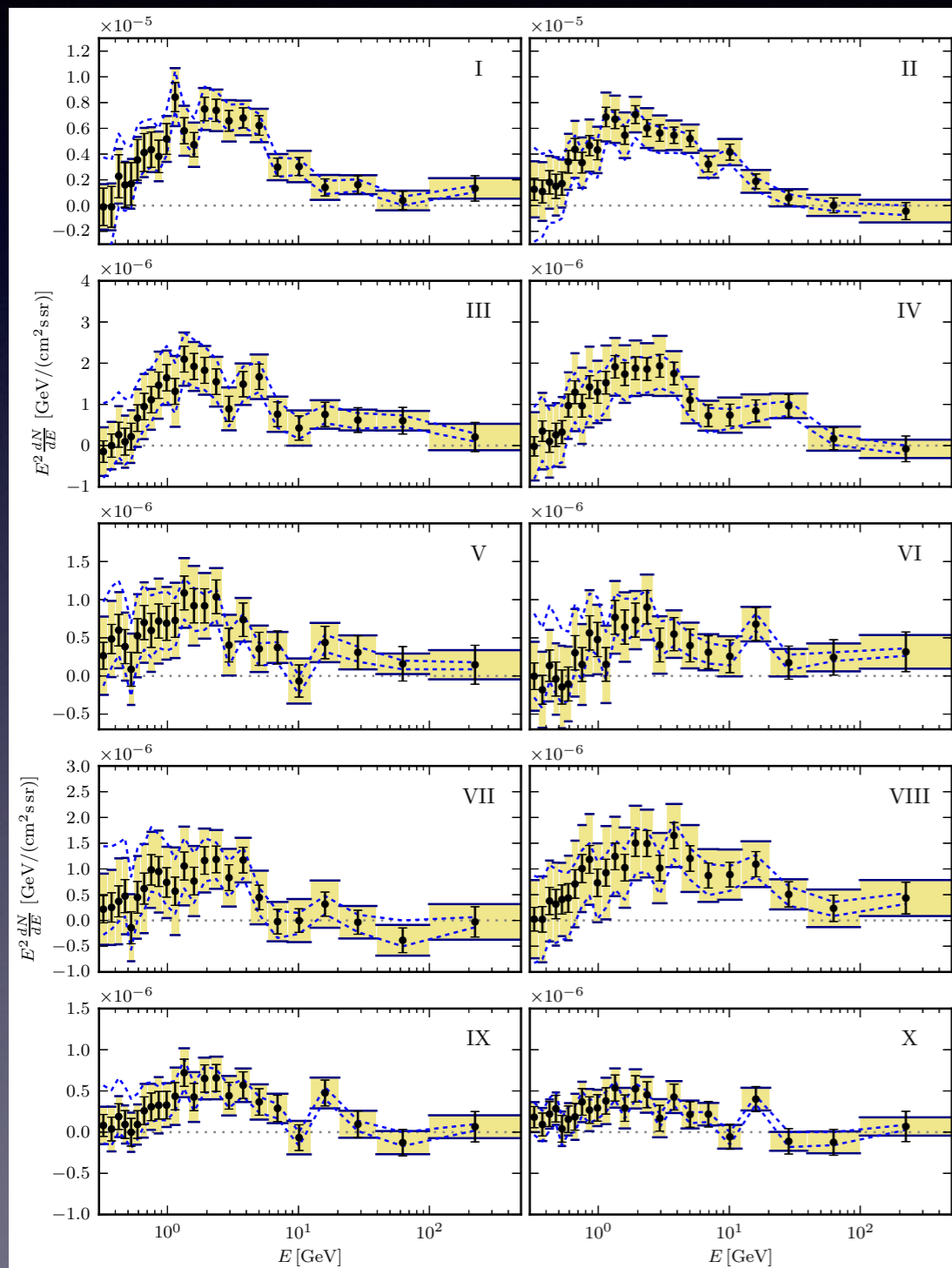


Highly spherical...



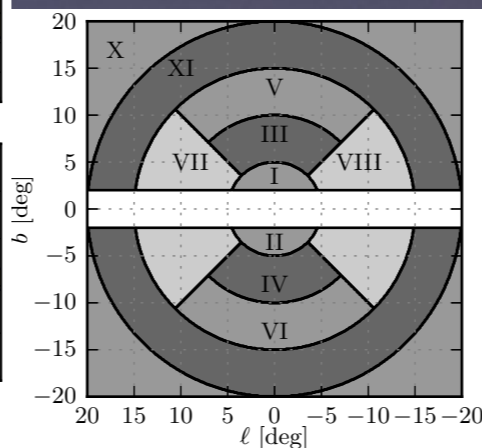
1402.6703

... robust to diffuse map



Presence of a signal with energy peak ~ 2 GeV is robust to changes in diffuse template

1409.0042



The existence of an excess is pretty well agreed upon (independent methods by independent groups* agree something is there)

Qualitative thing we are not yet sure of:

Is the excess from astrophysics or dark matter?

*also see work by: Abazajian and collaborators (1207.6047, 1402.4090, 1410.6168); Gordon, Macias, and collaborators (1306.5725, 1312.6671, 1410.1678, 1410.7840); Murgia's Fermi symposium slides

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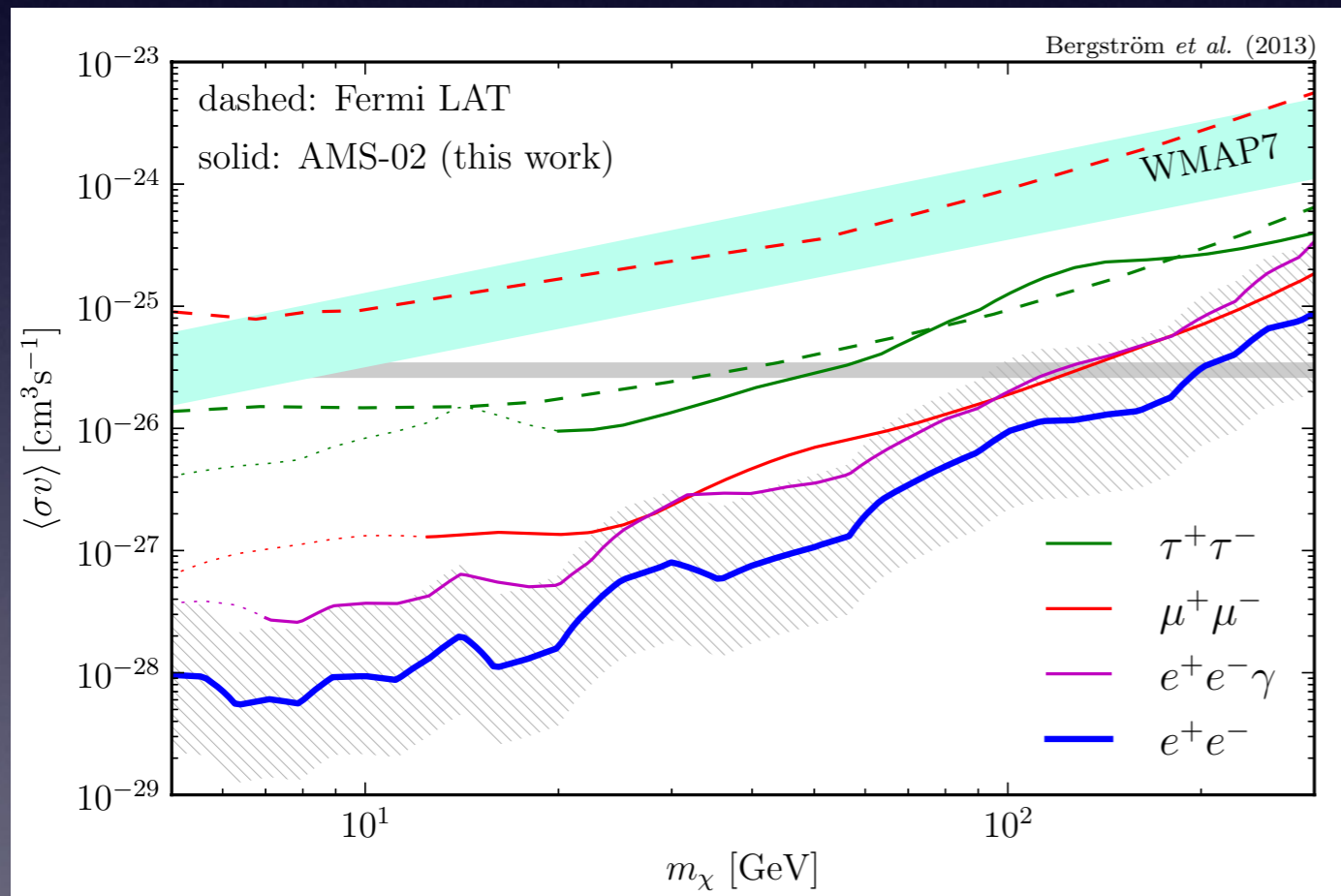
If DM, we need to confront other issues:

- are there other indirect detection signals? bounds?
- what are its interactions with the SM?
- what is the UV theory?

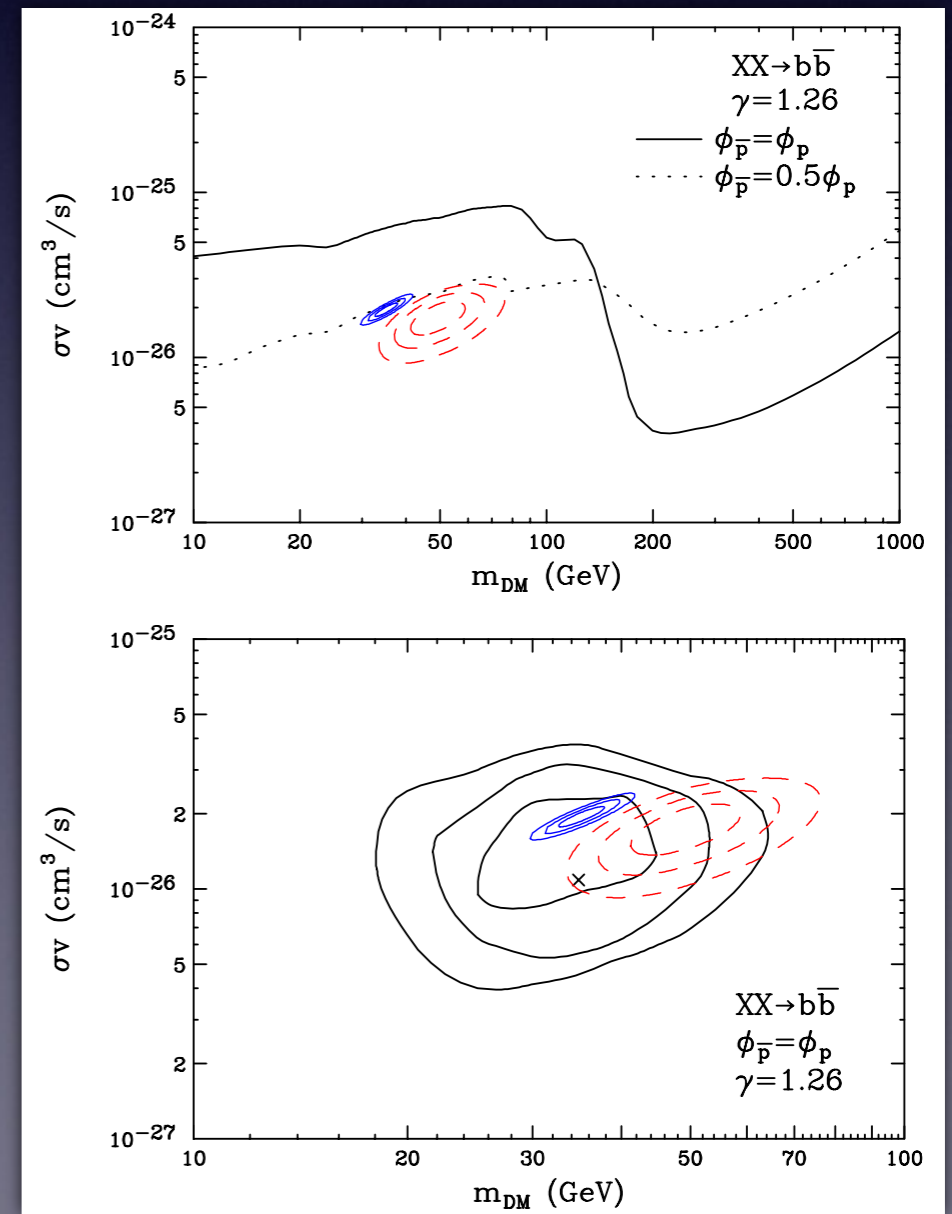
“Secondaries”

basic statements:
 no positron “bump” found,
 understanding of anti-baryons is murky

1410.1527



1306.3983

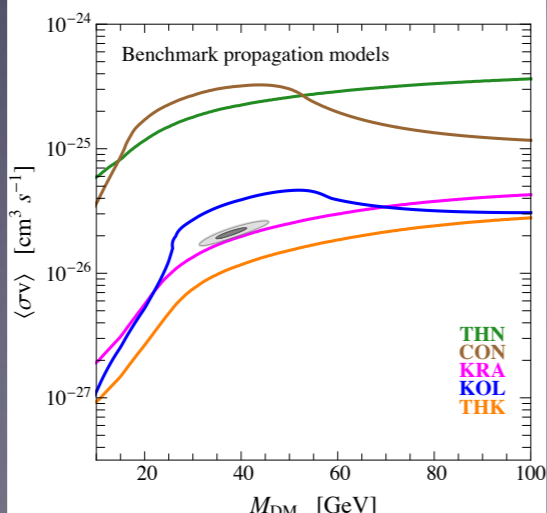
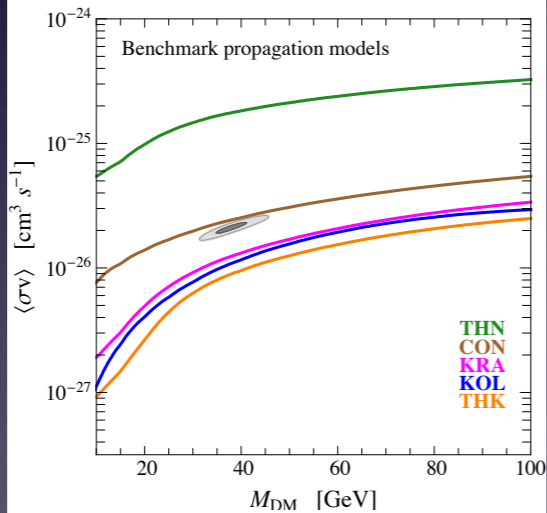
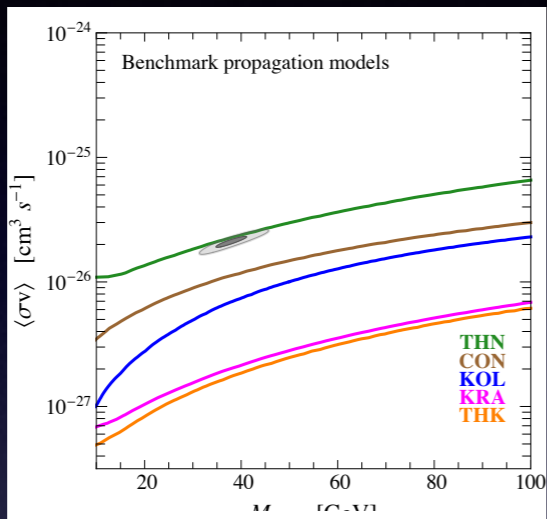


Cosmic Ray Constraints

$$\phi_F^{\bar{p}} = \phi_F^p \text{ fixed}$$

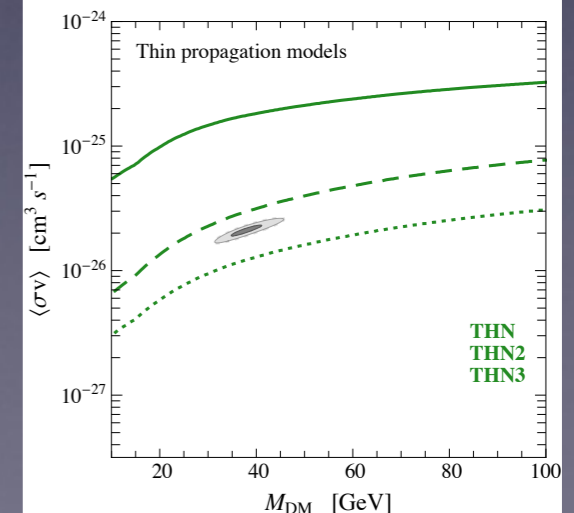
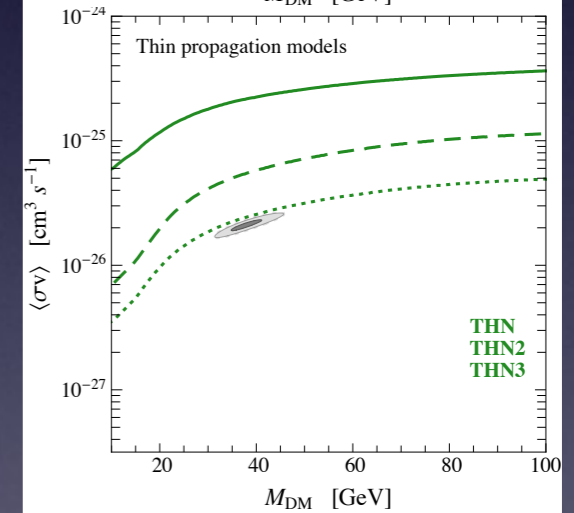
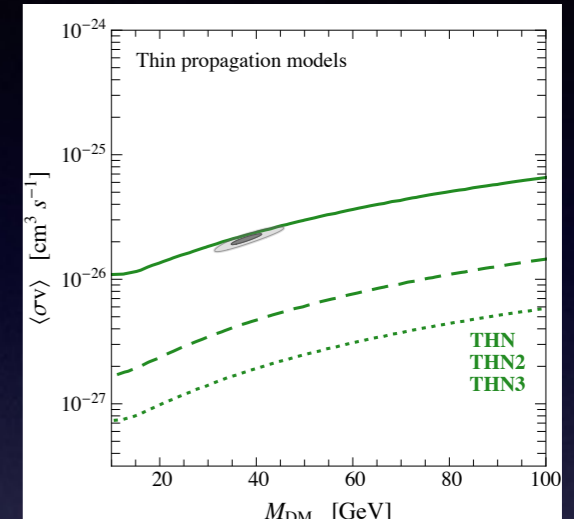
$$\phi_F^{\bar{p}} = \phi_F^p \pm 50\%$$

$$\phi_F^{\bar{p}} \in [0.1, 1.1] \text{ GV}$$

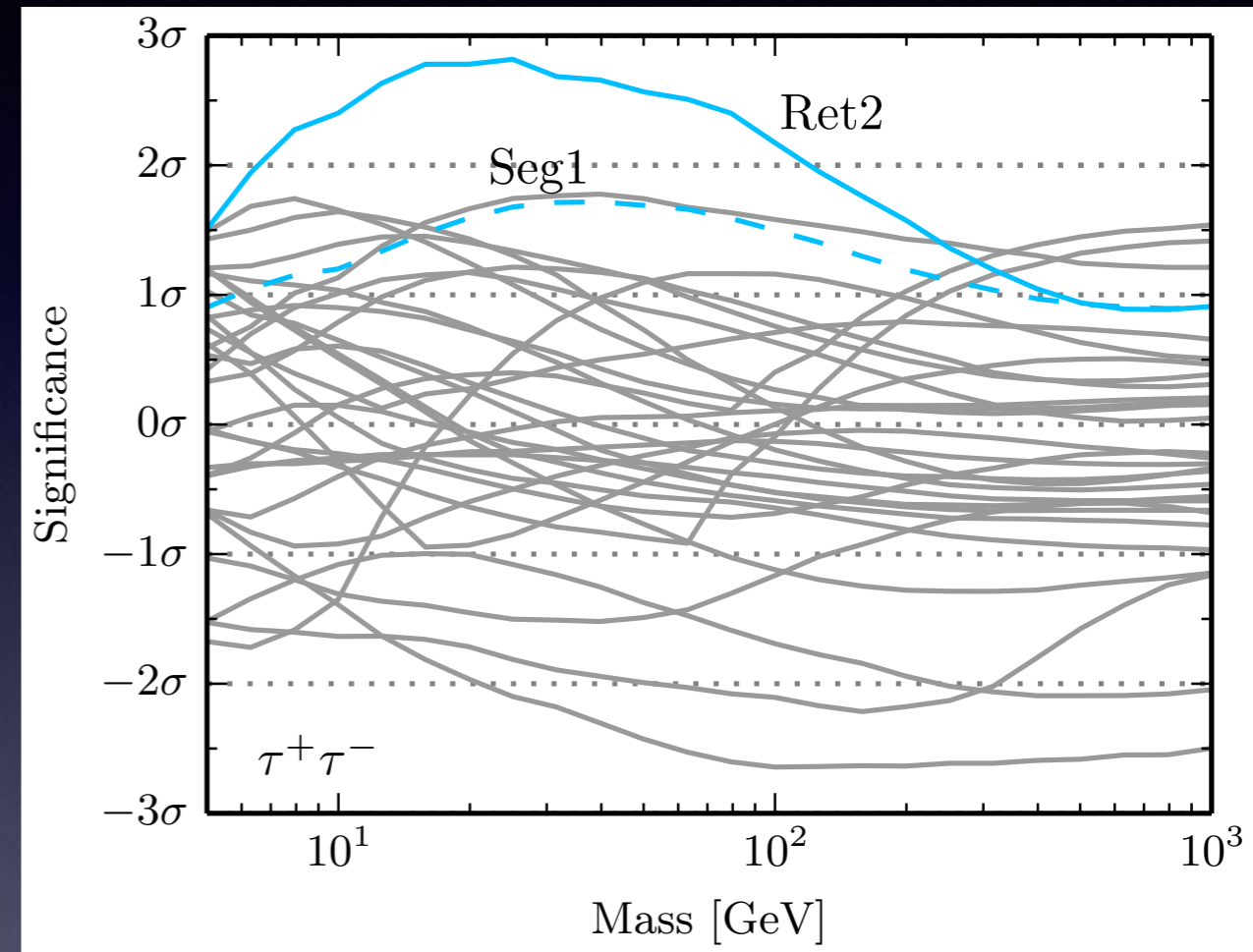
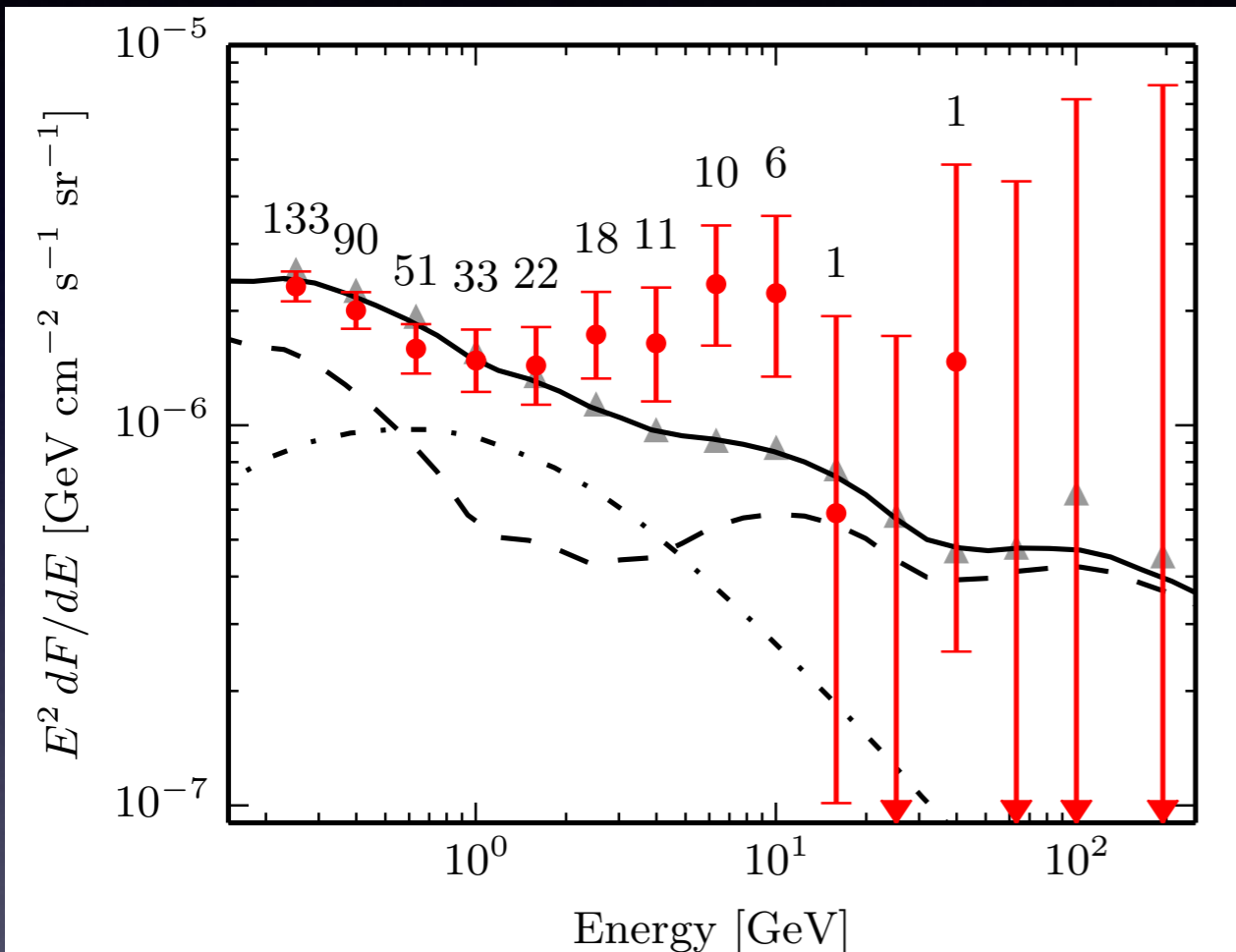


different colors:
different choices
of diffusion zone
parameters

different rows:
different choices
of relation b/w
 ϕ_F^p and $\phi_F^{\bar{p}}$ local
and Galactic

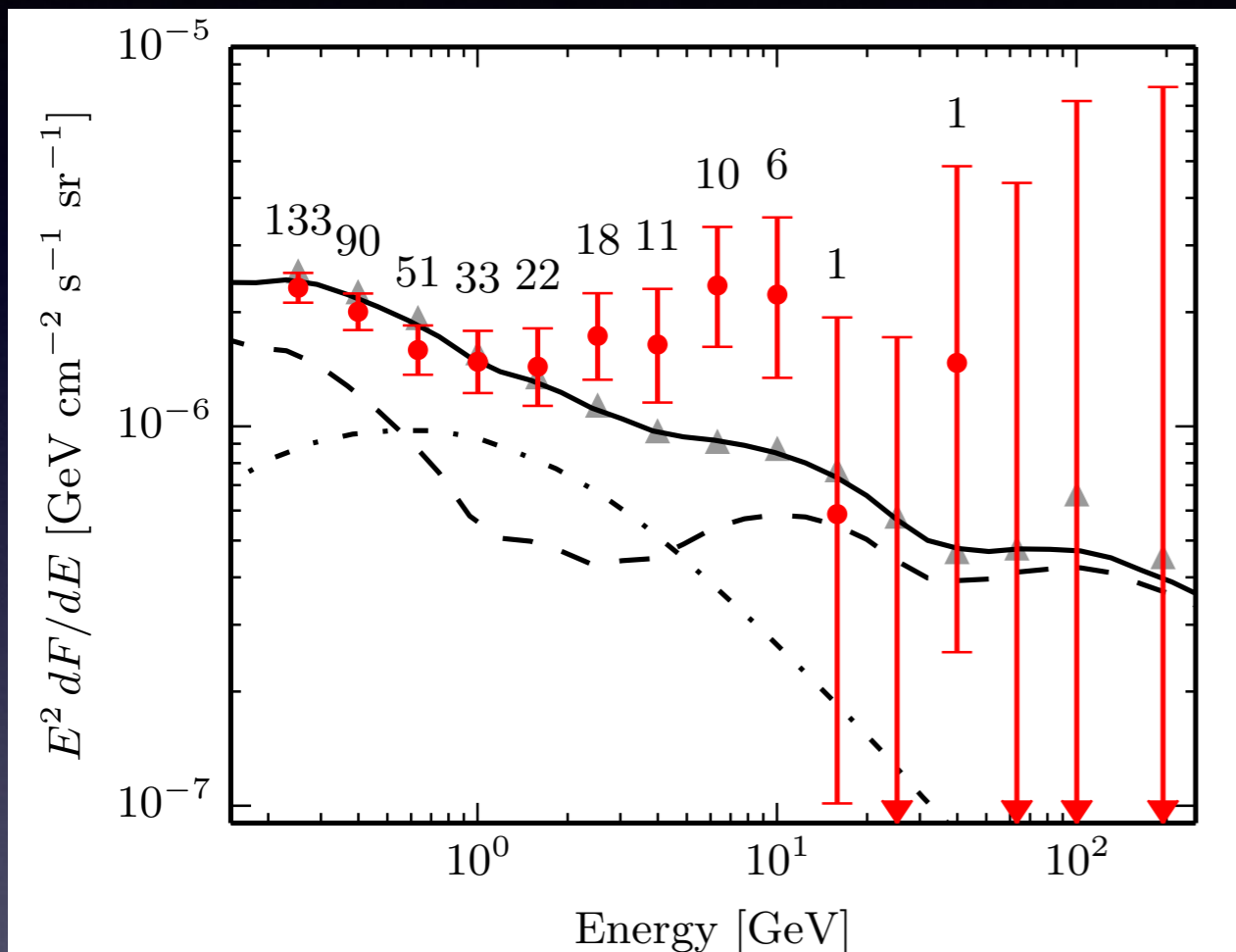


Dwarf Galaxies

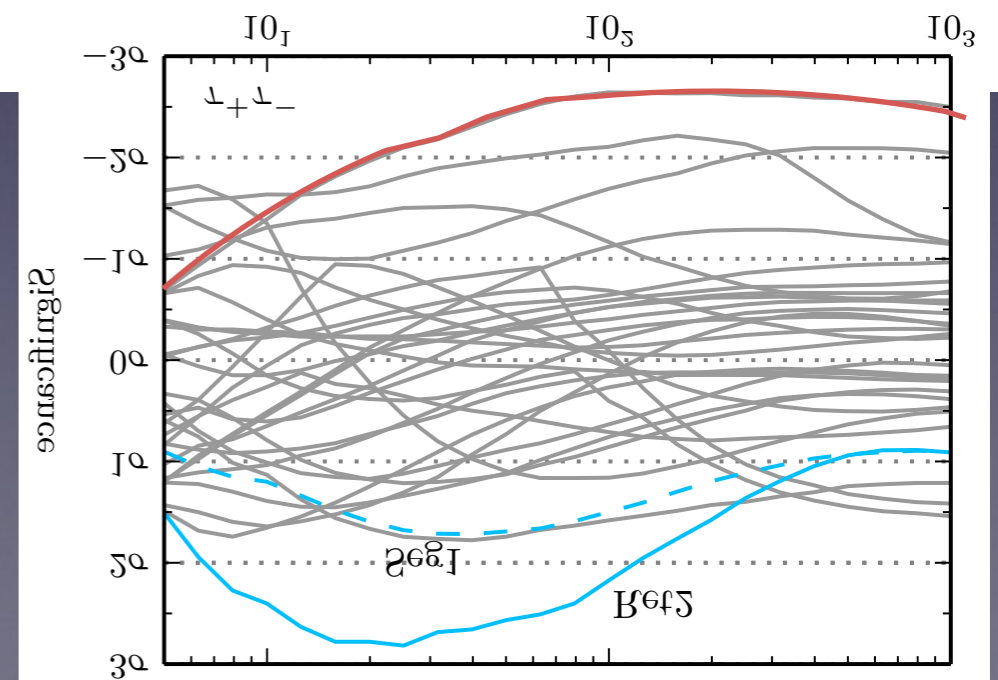
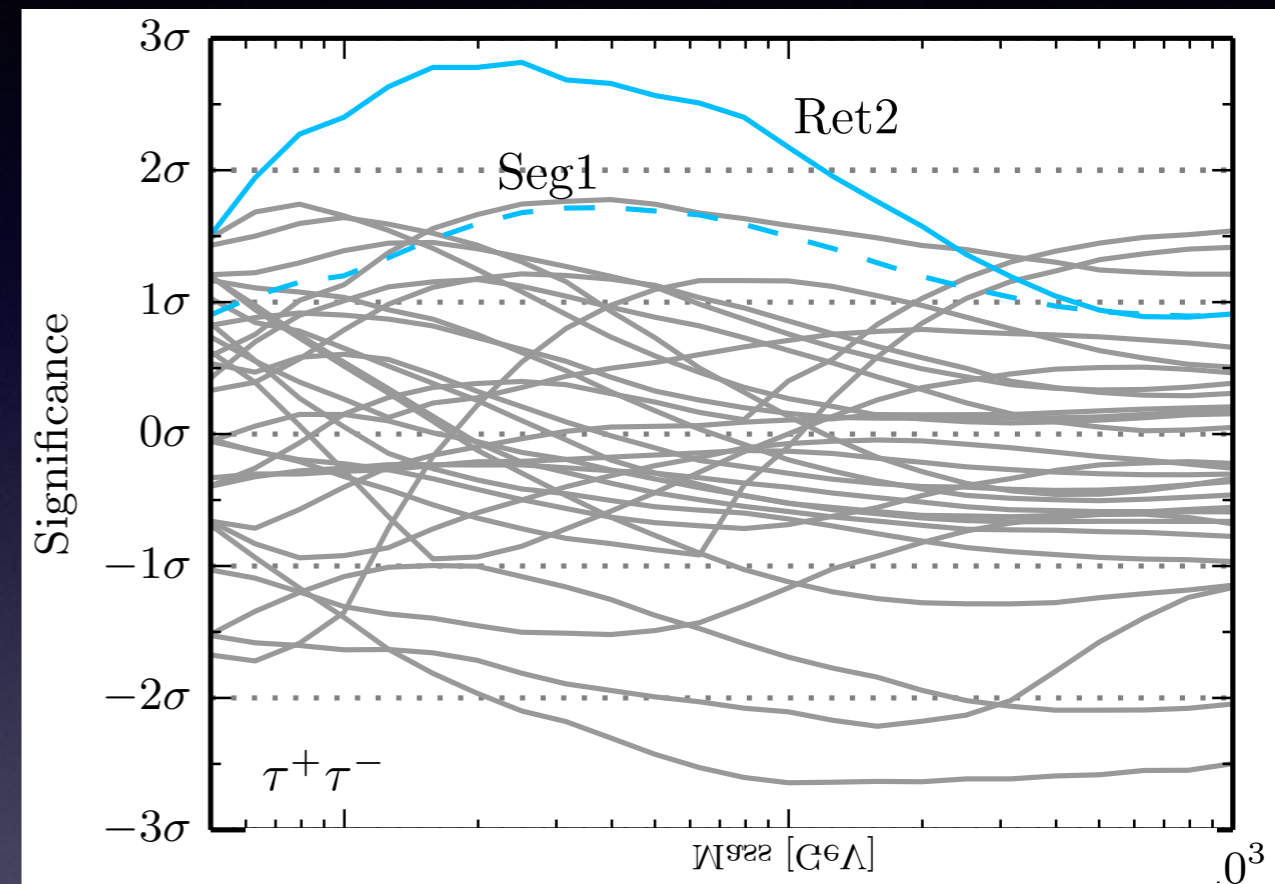


Geringer-Sameth
et al, 1503.02320

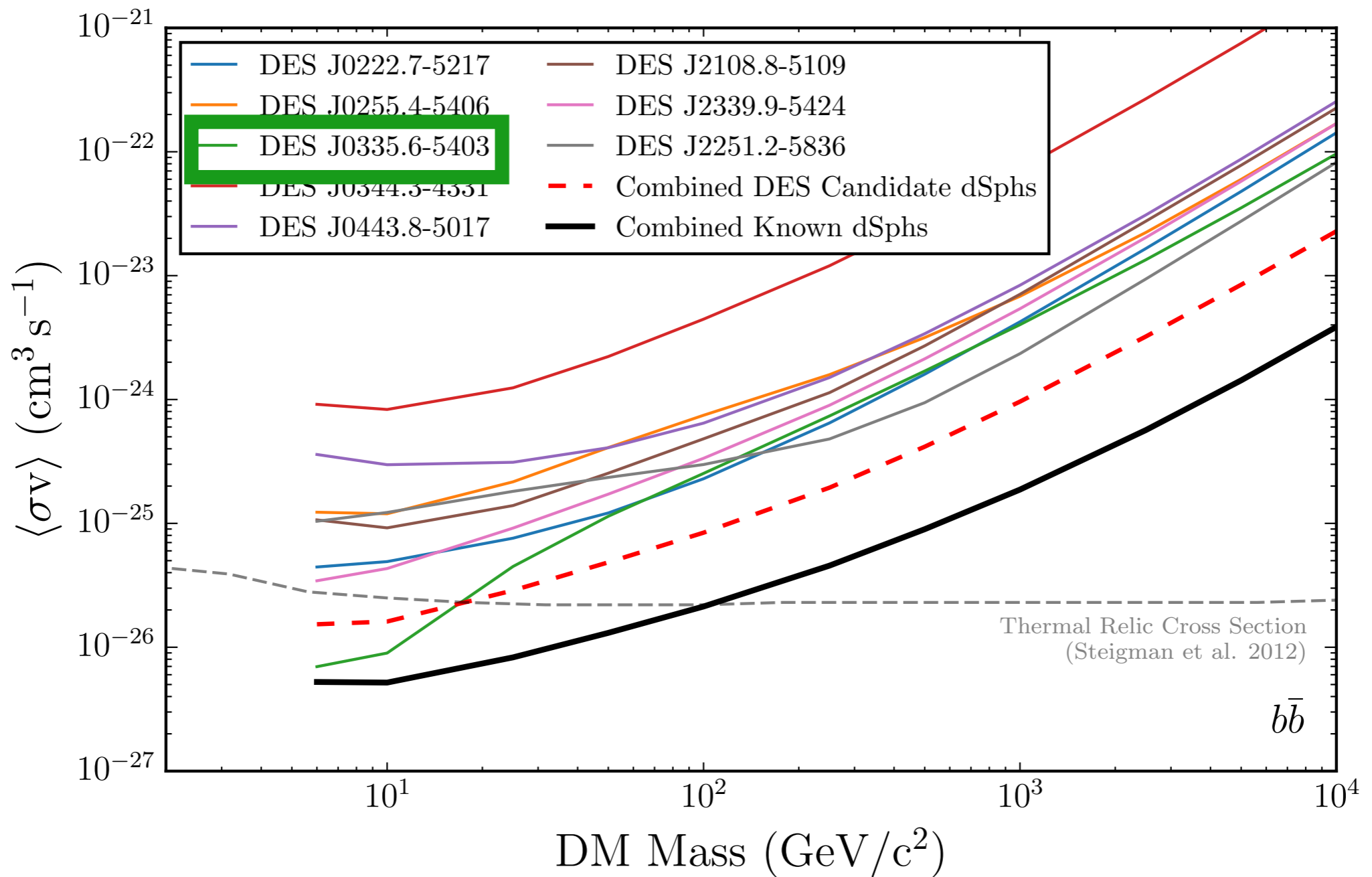
Dwarf Galaxies



Geringer-Sameth
et al, 1503.02320

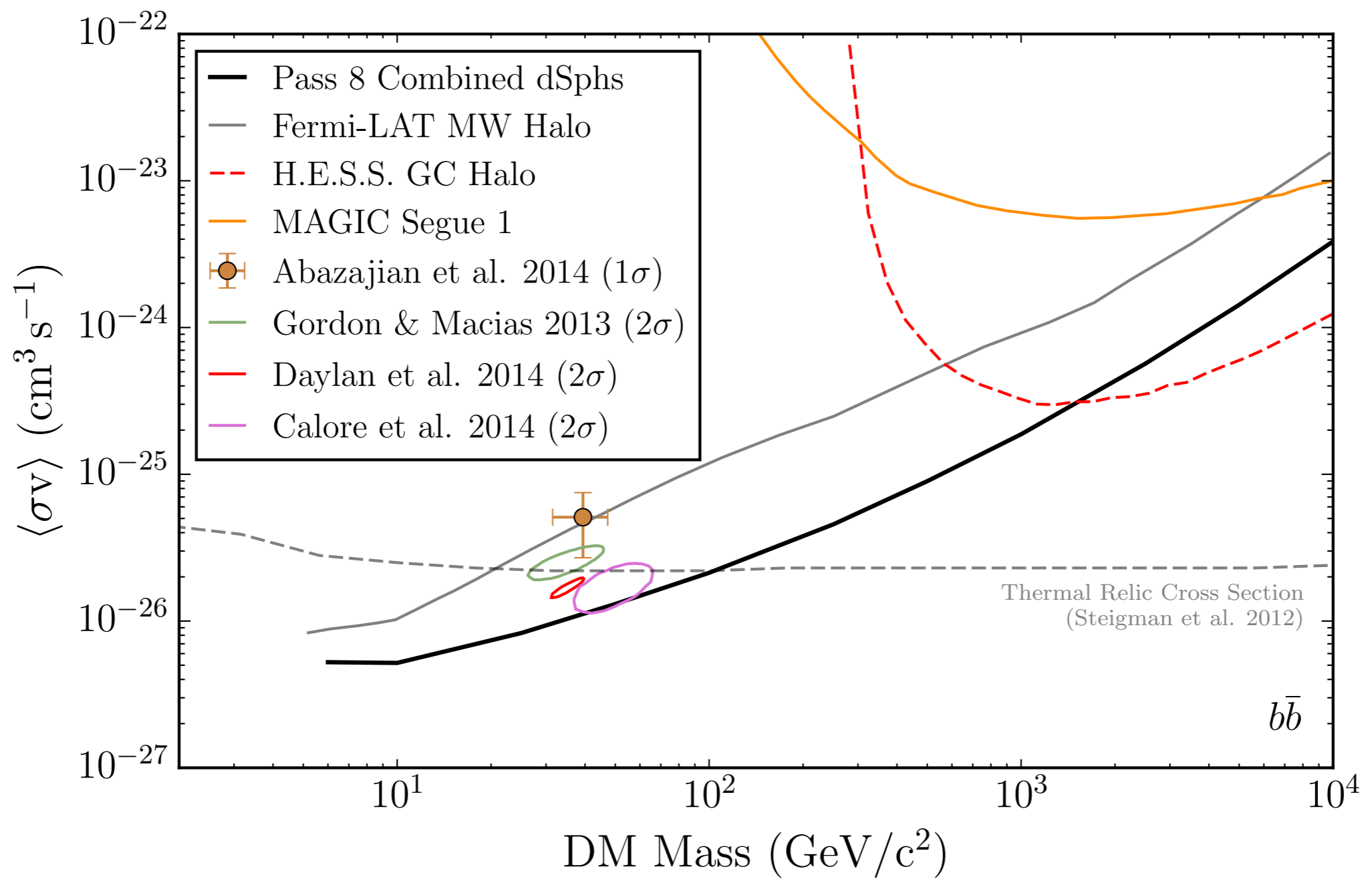


Dwarf Galaxies



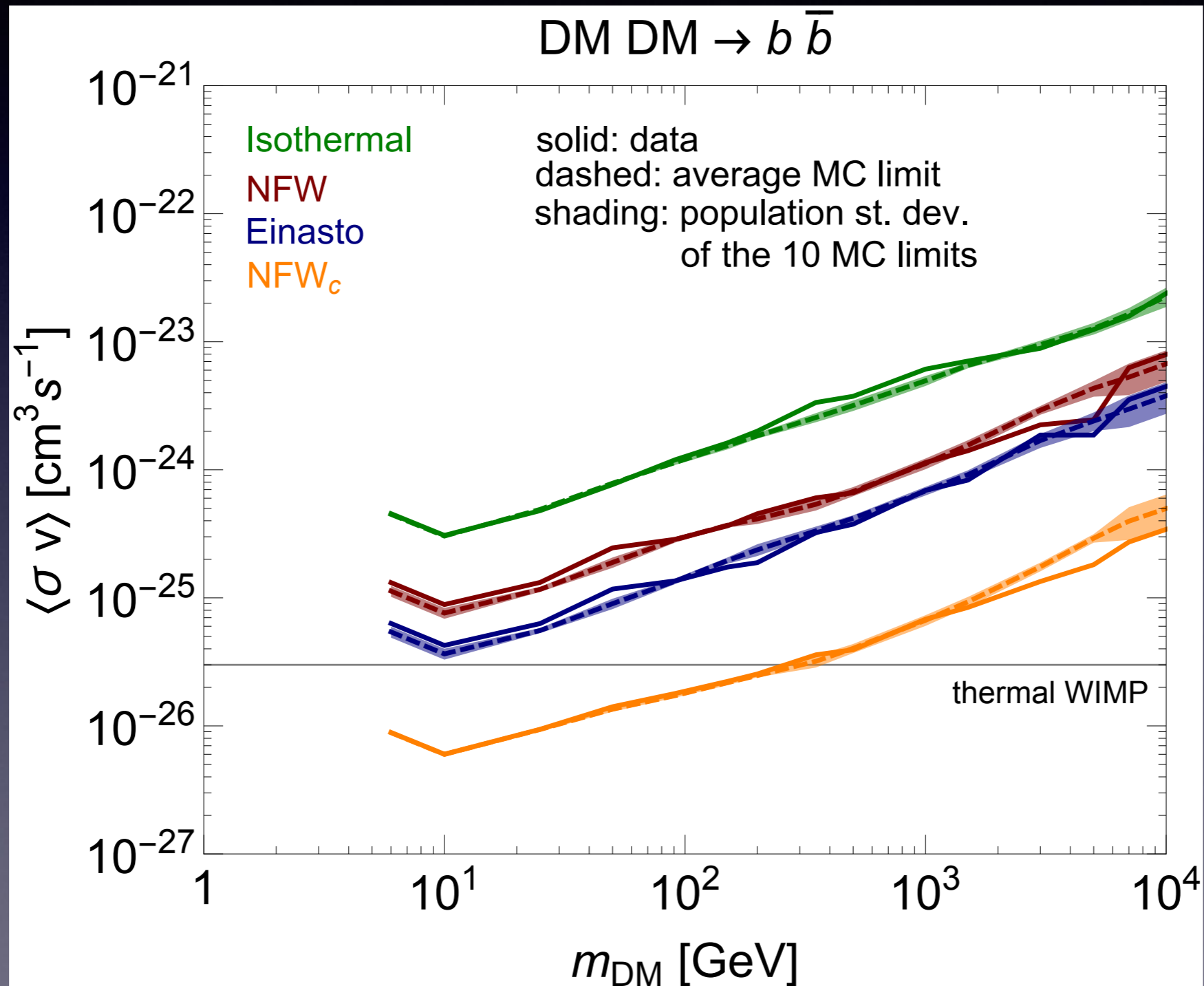
Drlica-Wagner et al,
1503.02632

Dwarf Galaxies



B. Anderson et al,
1503.02632

How Bright?



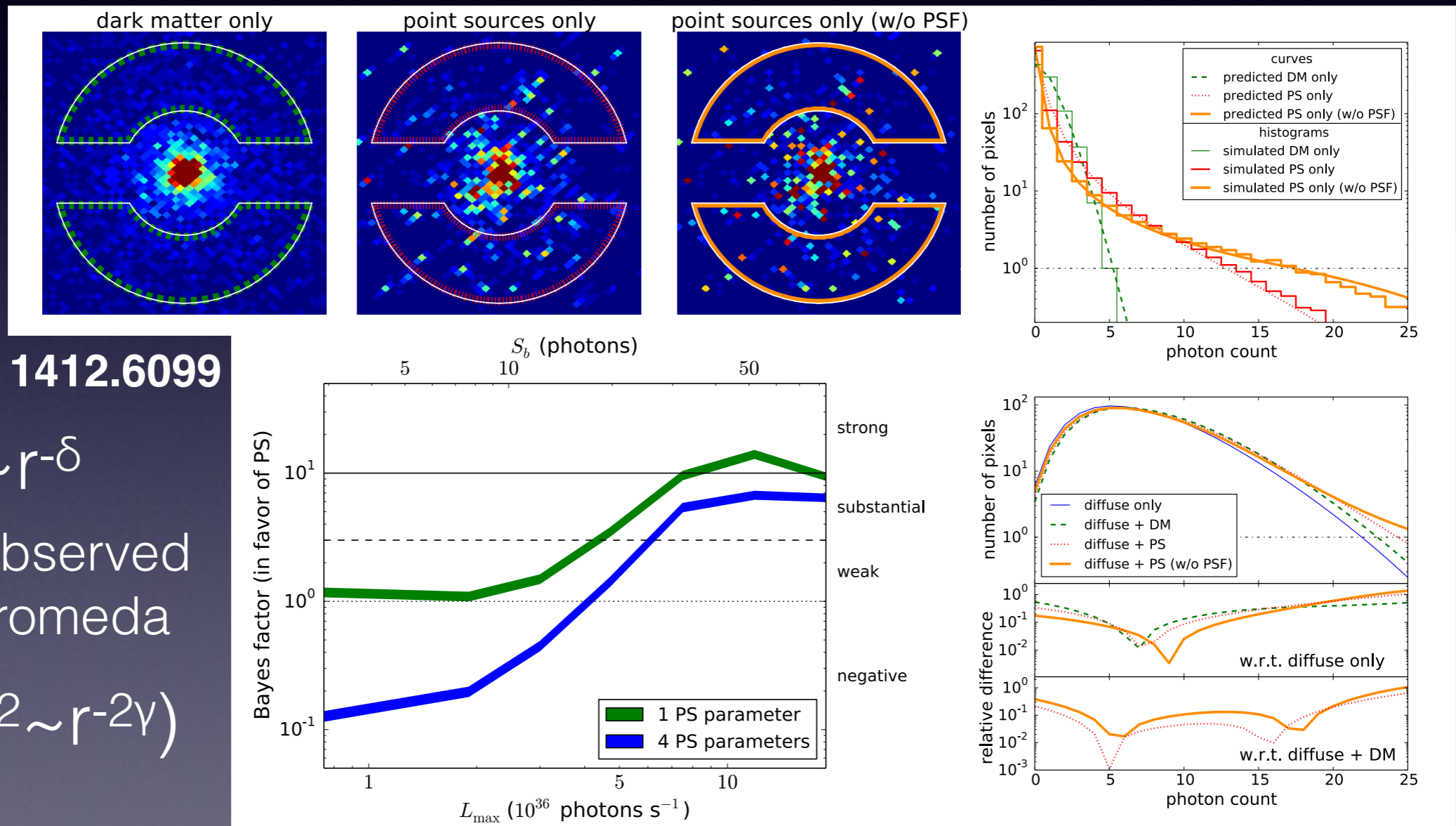
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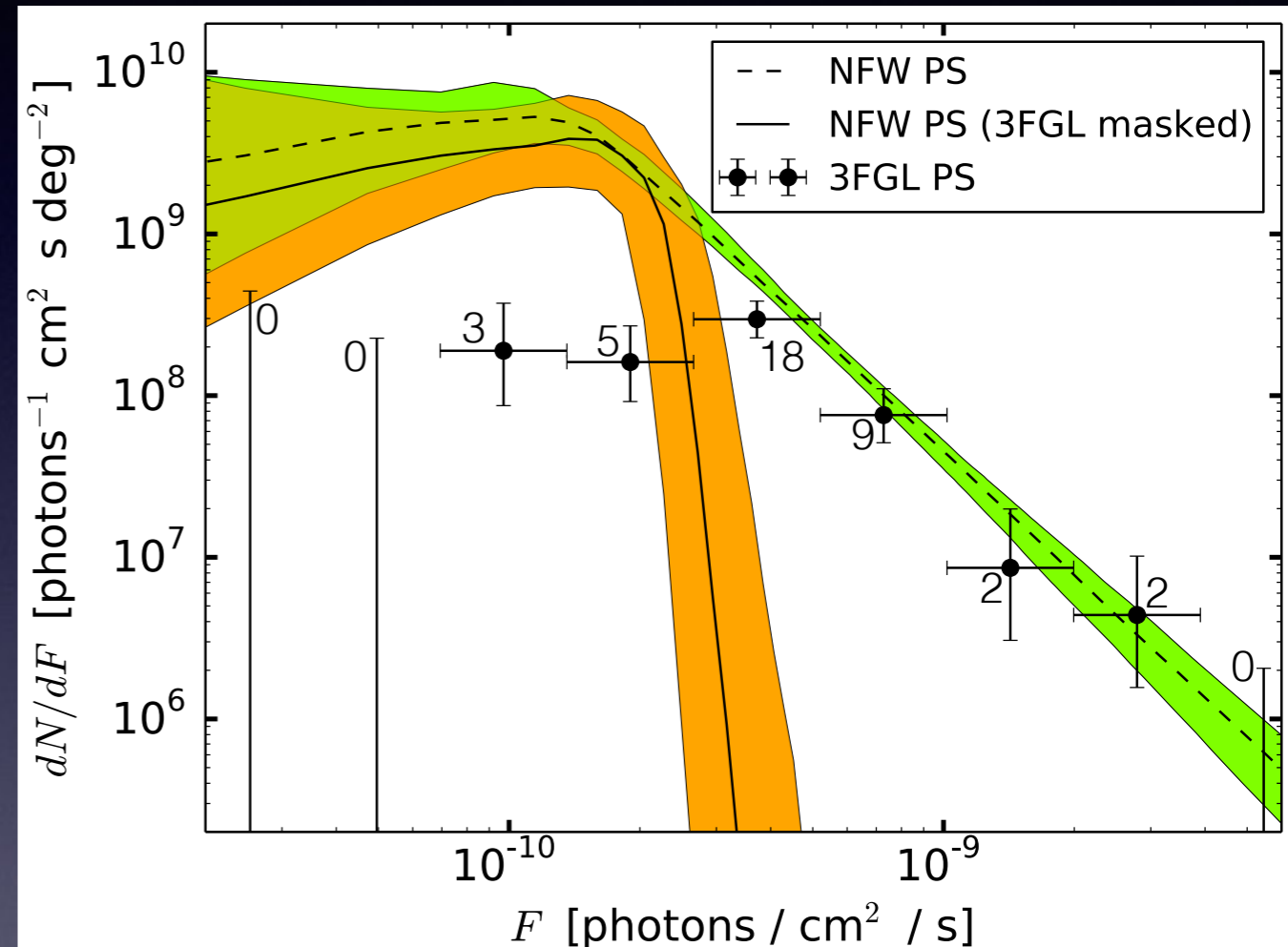
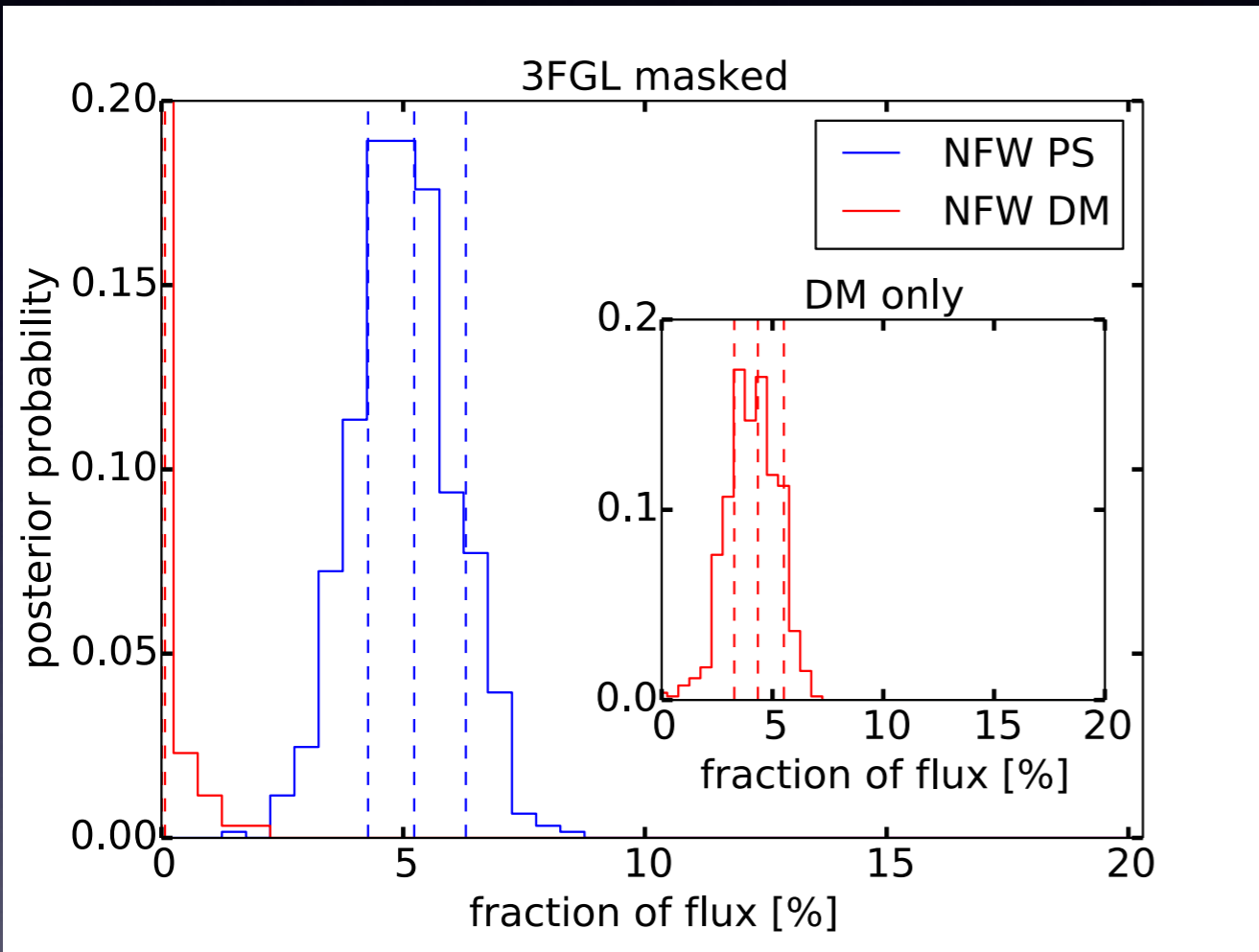
If SM, we need a consistent explanation:

- existence of the Fermi bubbles is suggestive; but hard to get smooth structure from this kind of burst
- millisecond pulsars show up over the correct scales range with plausibly correct morphology; but...

Point Sources



Point Source Fits

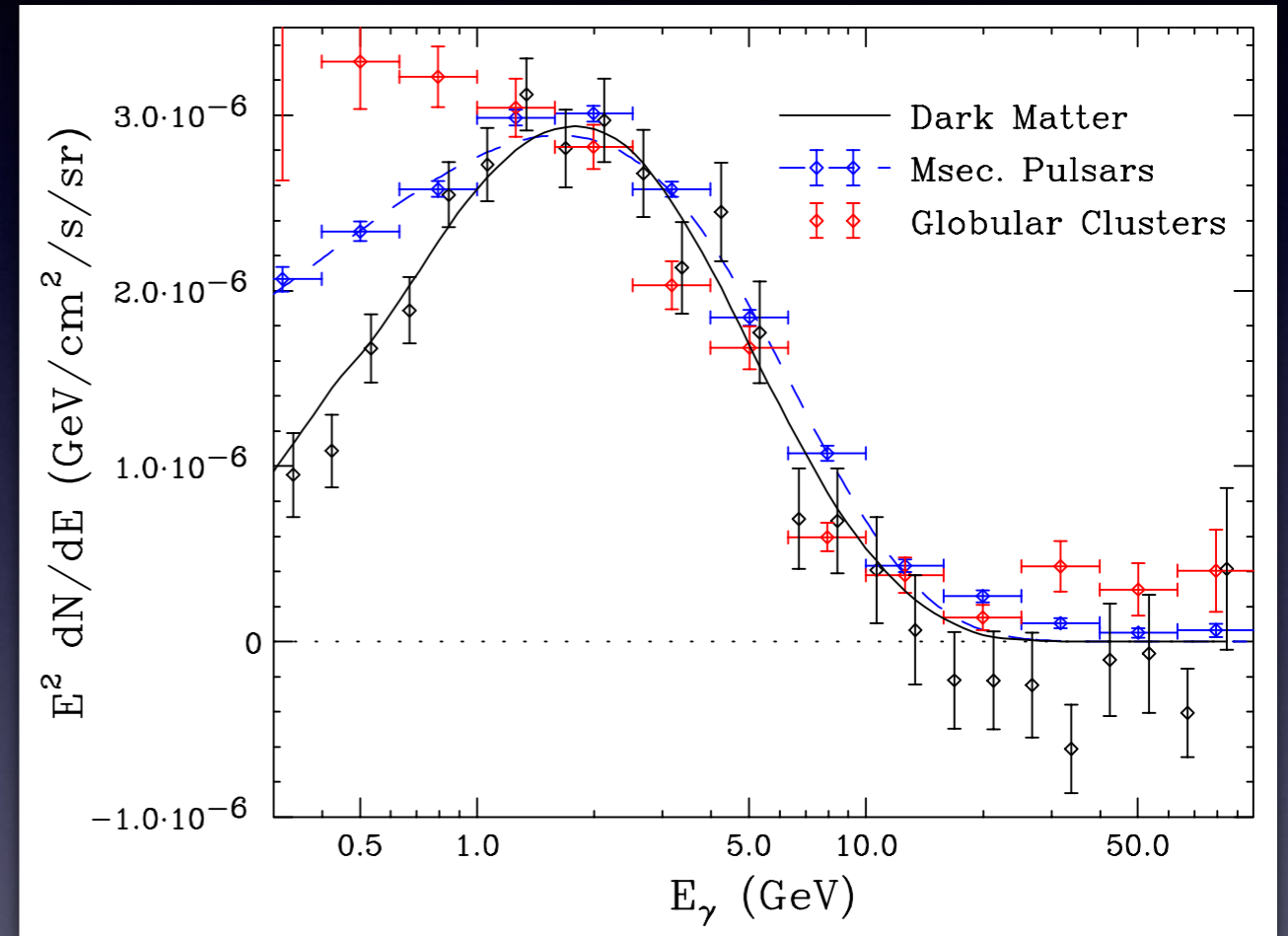


1506.05124

based on non-Poissonian template fit,
point sources can account for excess

Millisecond Pulsars

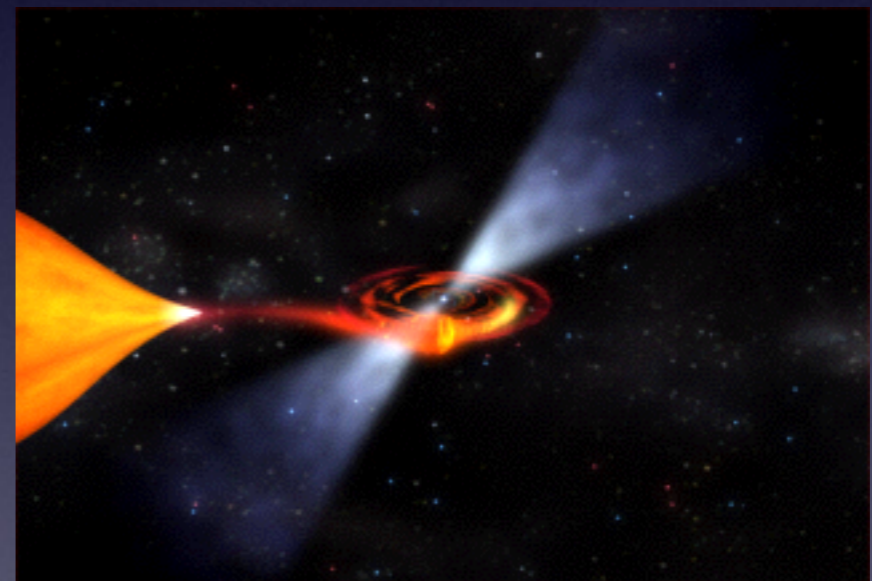
- Spectra are “significantly” different
- Should have resolved many more MSPs in inner 1.8 kpc (\sim few $^\circ$) given “reasonable” luminosity function:
 $N(L > 10^{34} \text{ erg/s}) \sim 200$,
 $N(L > 10^{35} \text{ erg/s}) \sim 60$



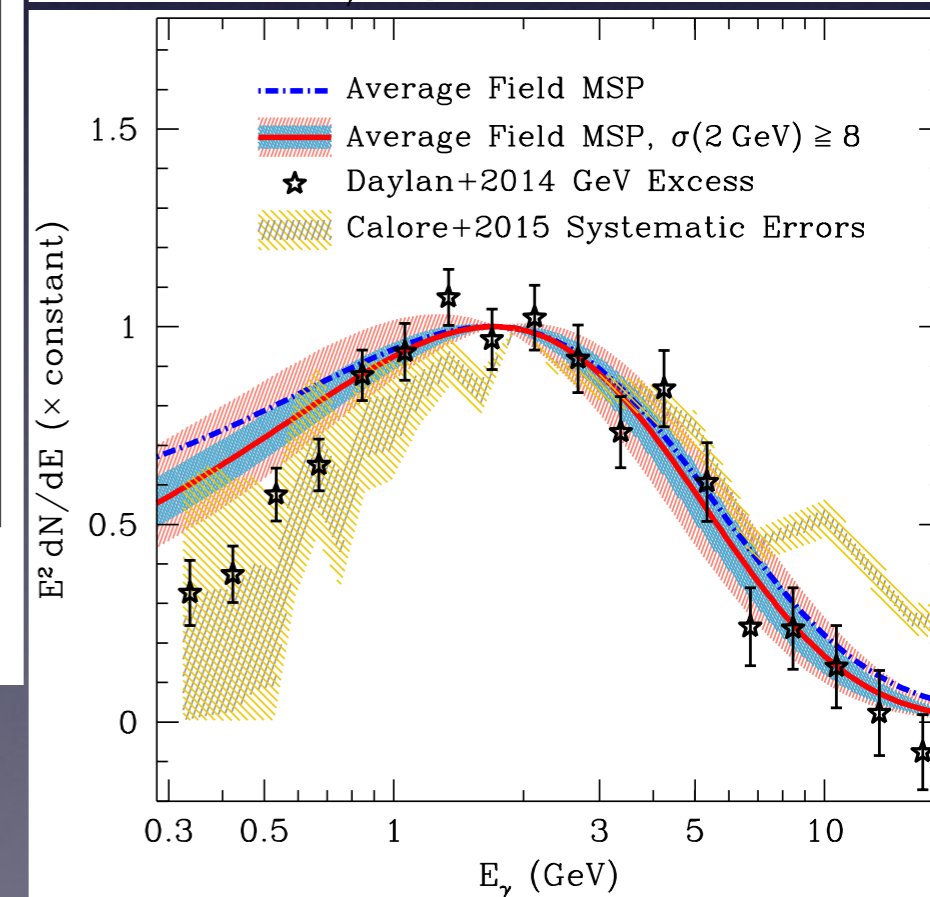
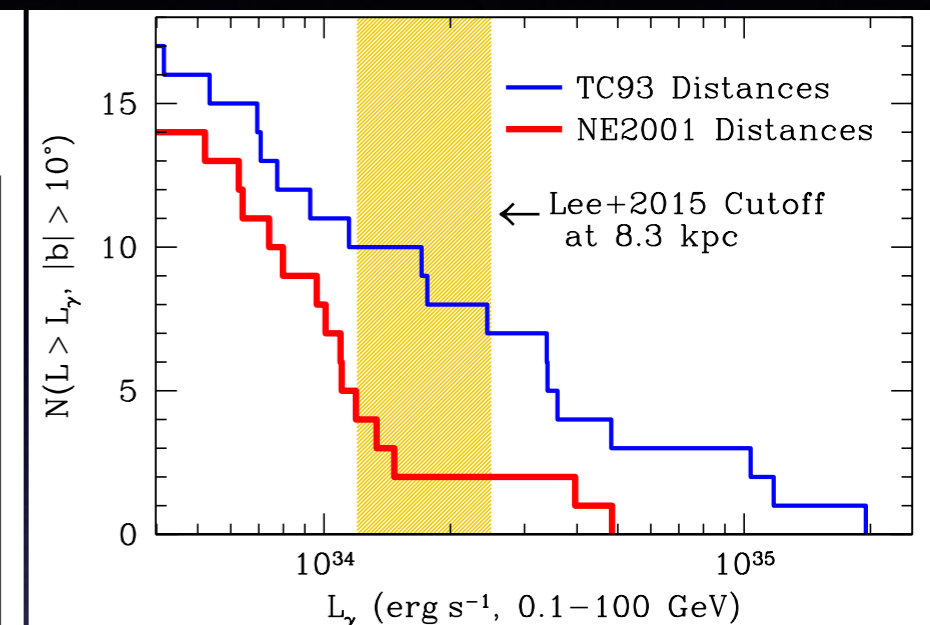
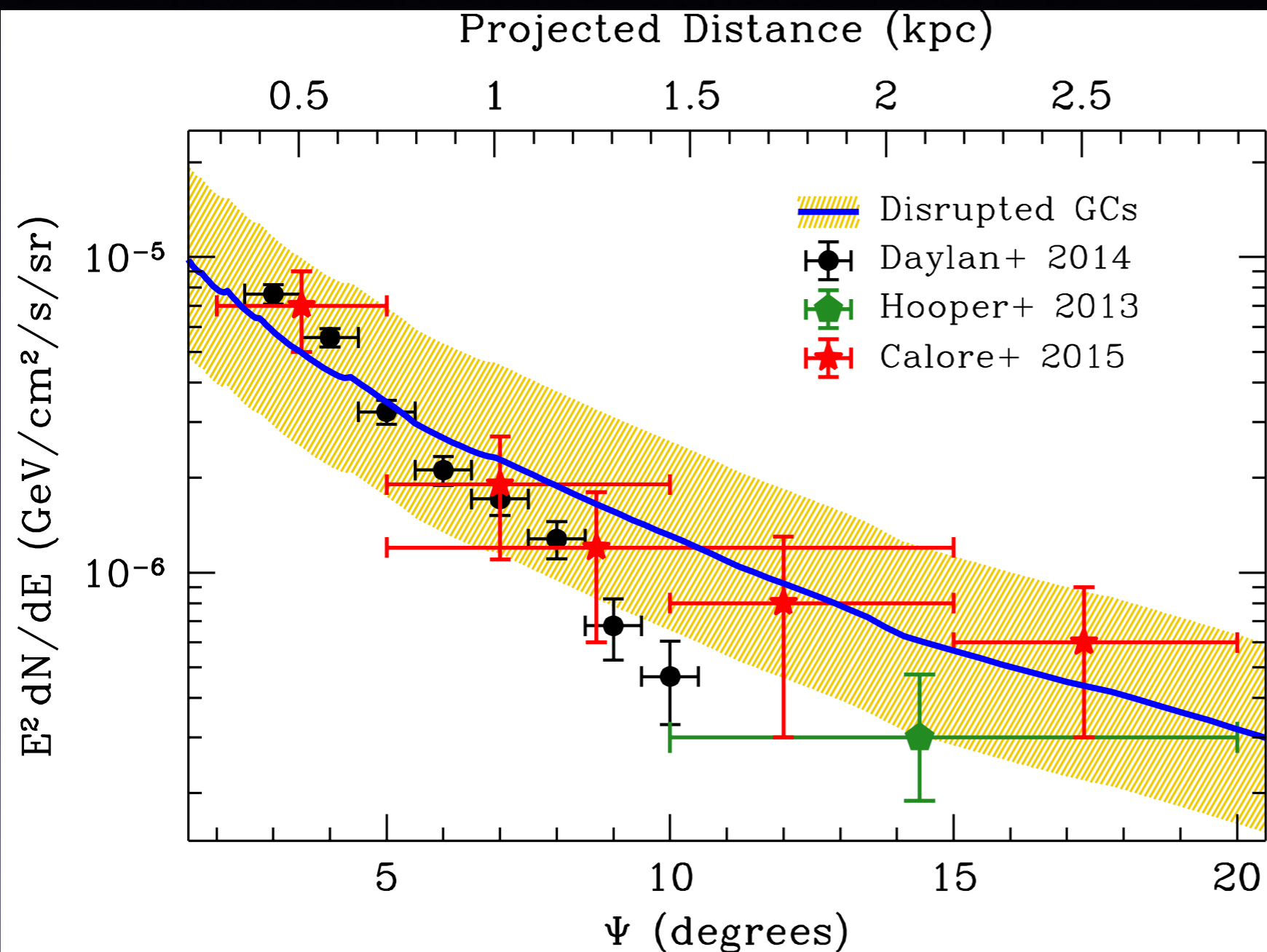
1407.5625

Globular Clusters

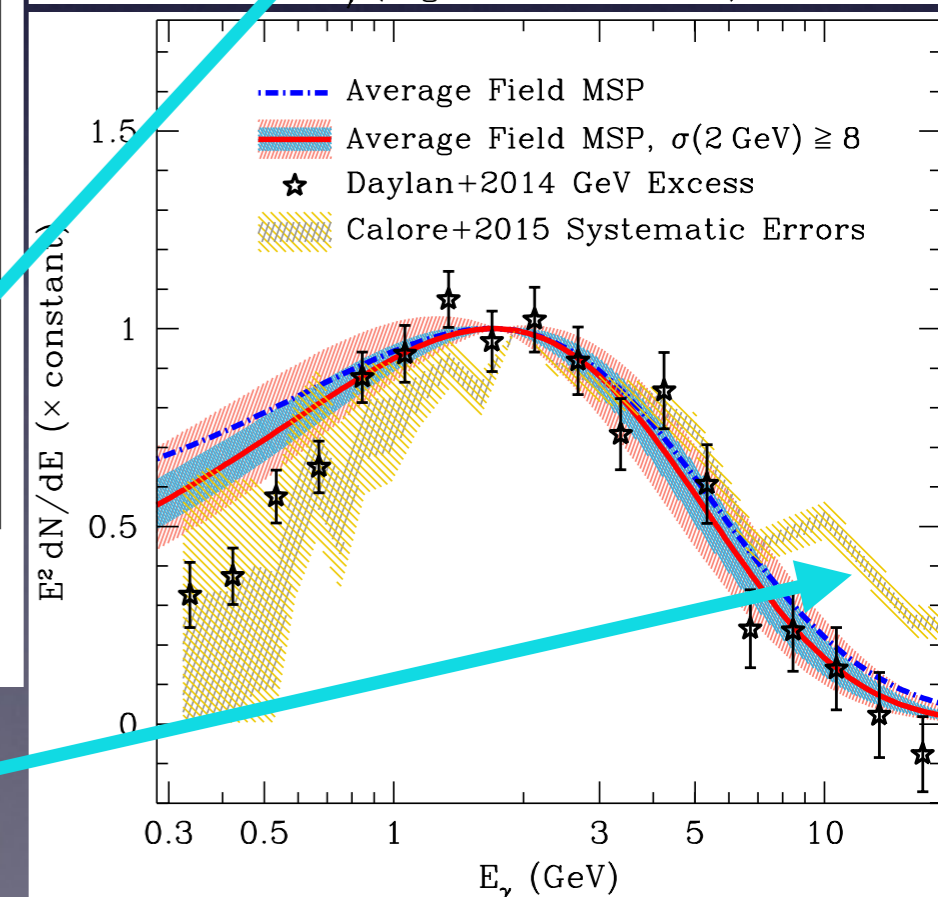
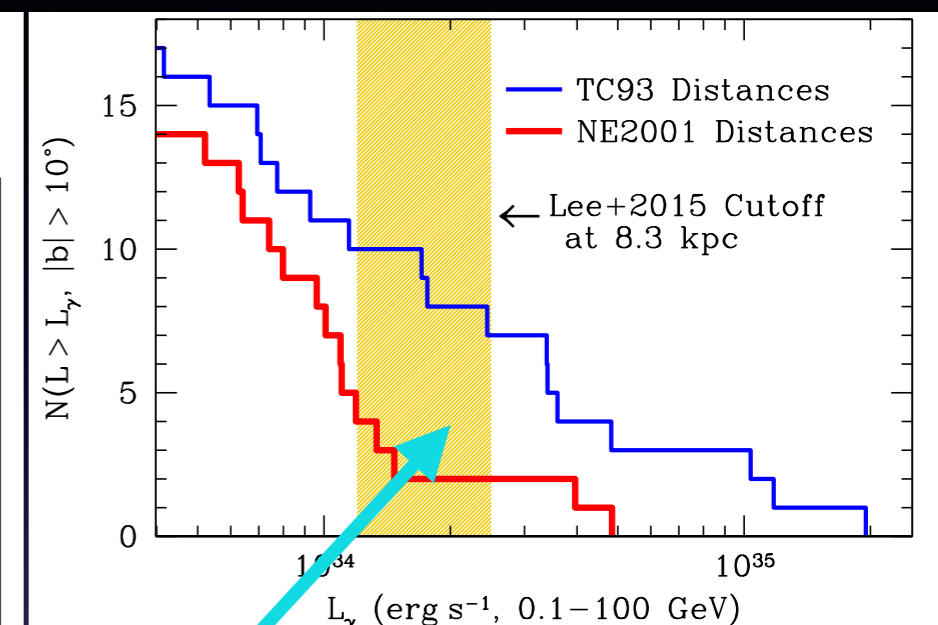
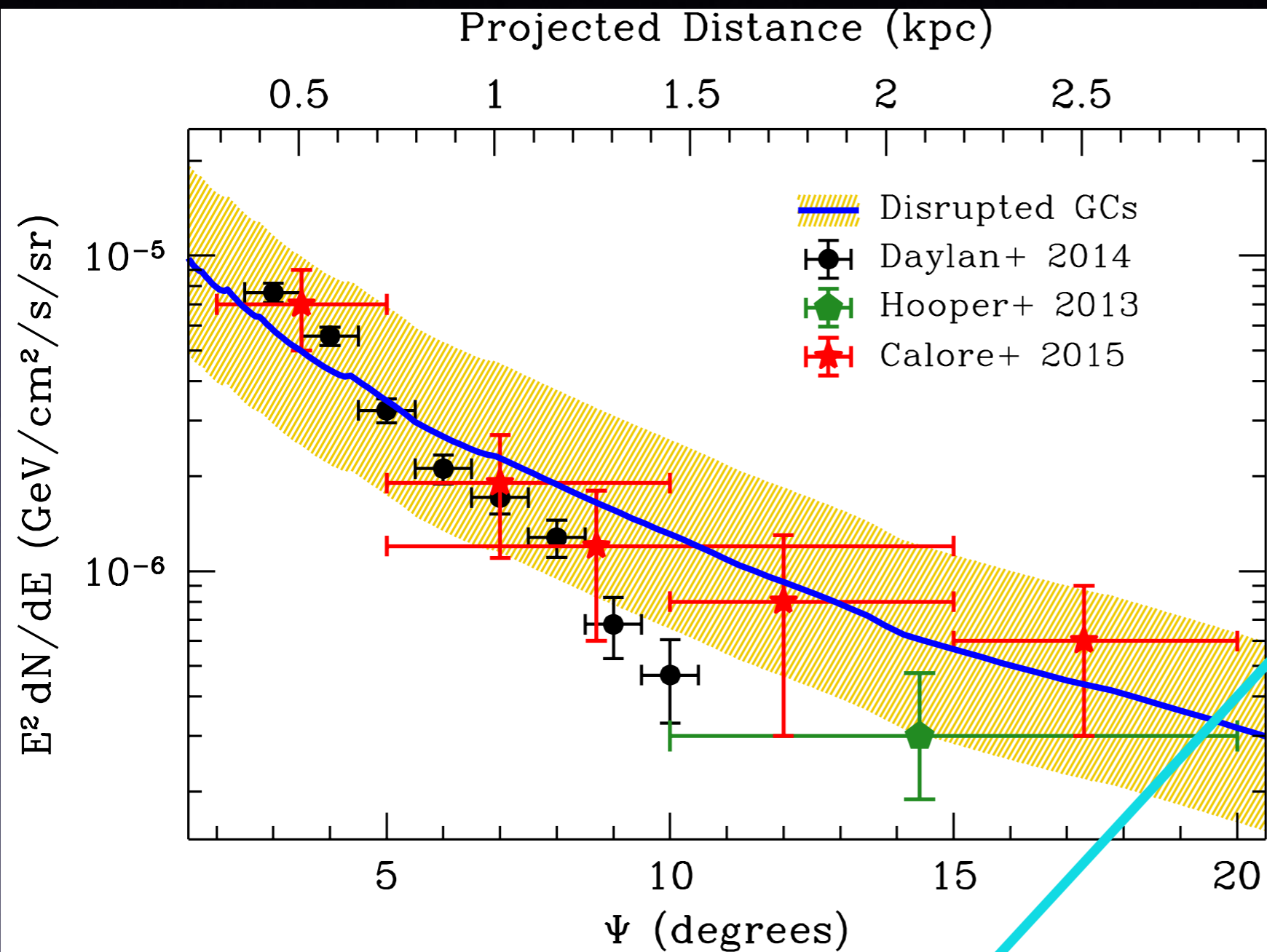
- globular clusters are dense stellar environments (\Rightarrow star-star encounters are common)
- Some star-star encounters create X-ray binaries, some create MSPs
- X-ray binaries fizzle out sooner than MSPs



DISRUPTED GLOBULAR CLUSTERS CAN EXPLAIN THE GALACTIC CENTER GAMMA RAY EXCESS

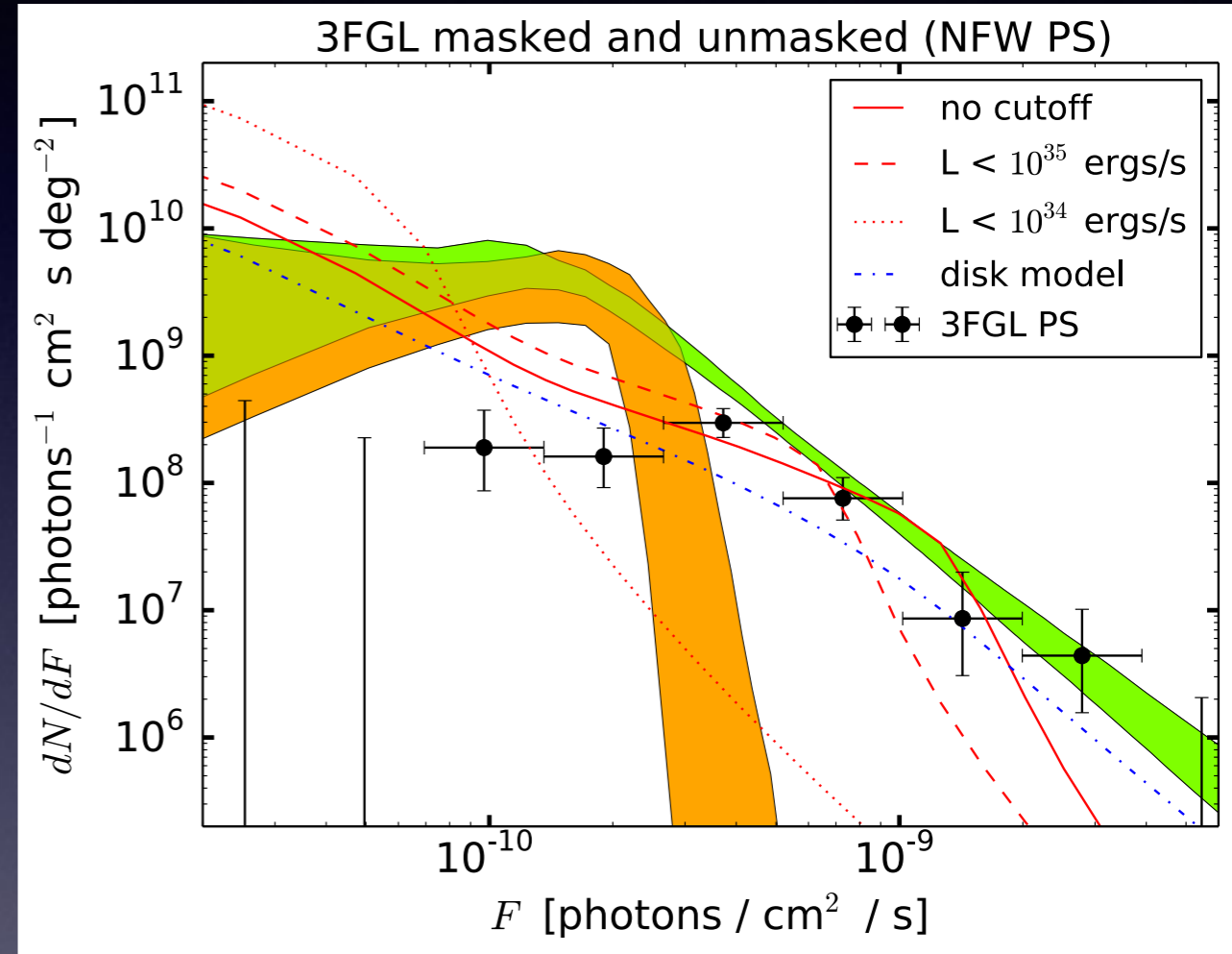
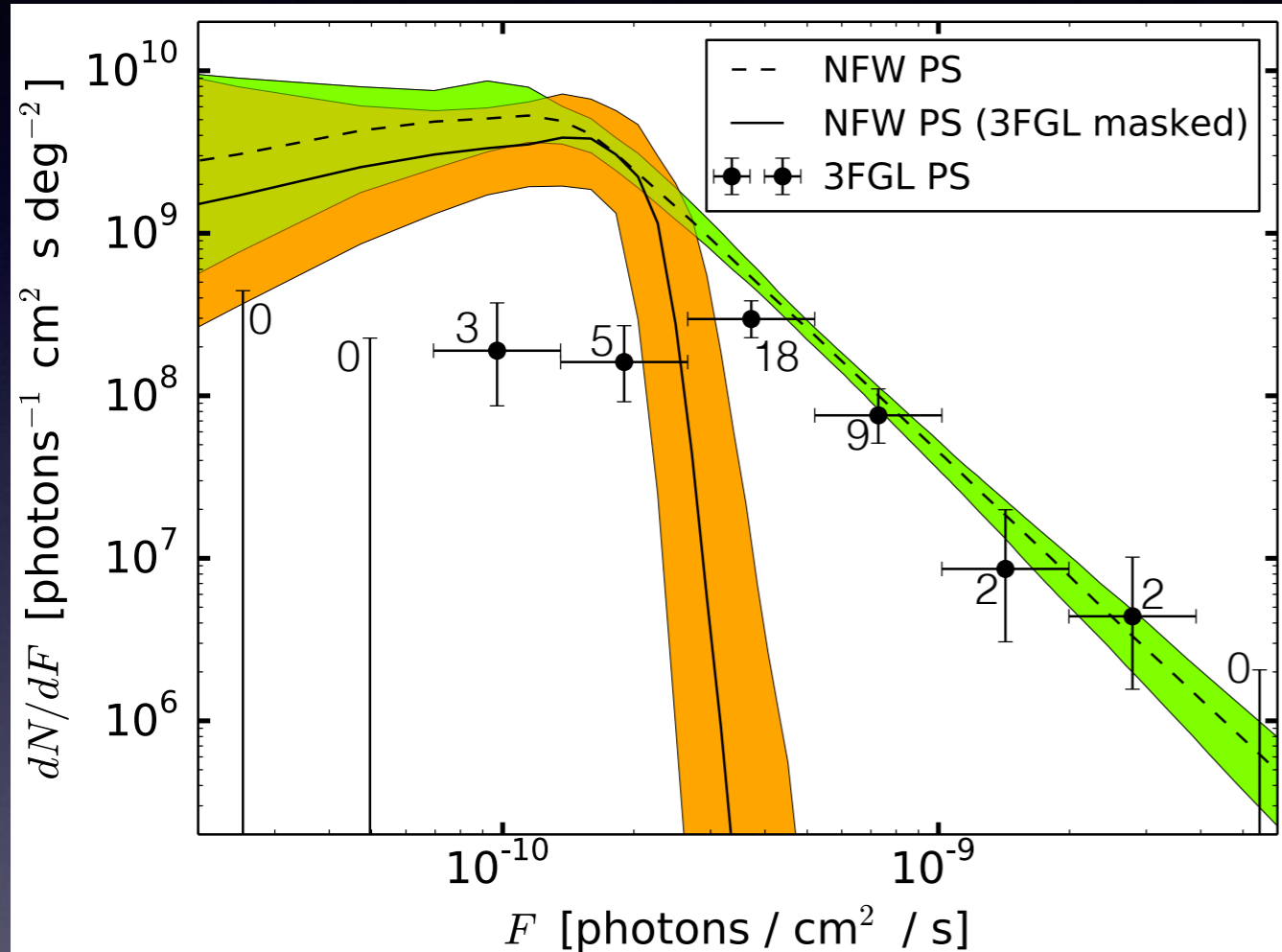
TIMOTHY D. BRANDT^{1,3} AND BENCE KOCSIS^{1,2}(with **zero** free parameters)

DISRUPTED GLOBULAR CLUSTERS CAN EXPLAIN THE GALACTIC CENTER GAMMA RAY EXCESS

TIMOTHY D. BRANDT^{1,3} AND BENCE KOCSIS^{1,2}(with **zero** free parameters)

some concerns, still

Point Sources, II



1506.05124

still some missing point sources?

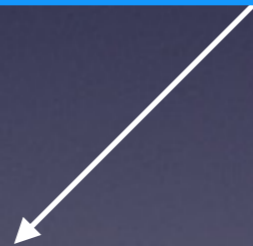
Lessons

existence of a signal is pretty robust, but...

- ... diffuse templates house large, energy-dependent uncertainties
- ... serious caution and healthy skepticism are required when interpreting as BSM physics
- ... a few opportunities so far that “could” have been convincing (either way) have not panned out

How else can we
convince ourselves this
is or isn't dark matter?

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Particle physics ideas

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Particle physics ideas

New observational ideas

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Particle physics ideas

New observational ideas

work in progress with Ilias Cholis, Paddy Fox, and Samuel K. Lee

1510.\$#%@&!

Current Technique

Test assumption of dark matter annihilation:

- statistical discrimination (χ^2 test) between fits with and without signal template
- fits with template do better

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...but what if there is a totally different shape on the sky that was not adequately tested?

Current Technique

Test assumption of dark matter annihilation:

- It would be nice to find evidence without making this assumption!
-

...but what if there is a totally different shape on the sky that was not adequately tested?

Wavelets

Allow analysis sensitive to both location and scale

Used for a wide variety of industrial and academic applications:

- image compression (JPEG-2000)
- fast astrophysical signal identification
- cochlear transforms (mimic hearing)
- image denoising
- jets (this is still in its infancy...)
- etc.**

What are wavelets?

wavelet coefficients

original signal

$$W(a, b) = \frac{1}{\sqrt{a}} \int f(x) \psi^* \left(\frac{x - b}{a} \right) dx$$

scale

position

mother wavelet
(different choices)

$$\int \psi(x) dx = 0$$

$$\int |\psi(x)|^2 dx = 1$$

$\psi(x) \in \mathbb{L}^2(\mathbb{R})$ and

$$\frac{1}{\sqrt{a}} \psi \left(\frac{x - b}{a} \right) \in \mathbb{L}^2(\mathbb{R})$$

for $a, b \in \mathbb{Z}$

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scale

How (and why) do they work?

other wavelet choices)

$$\int \psi(x) dx = 0$$

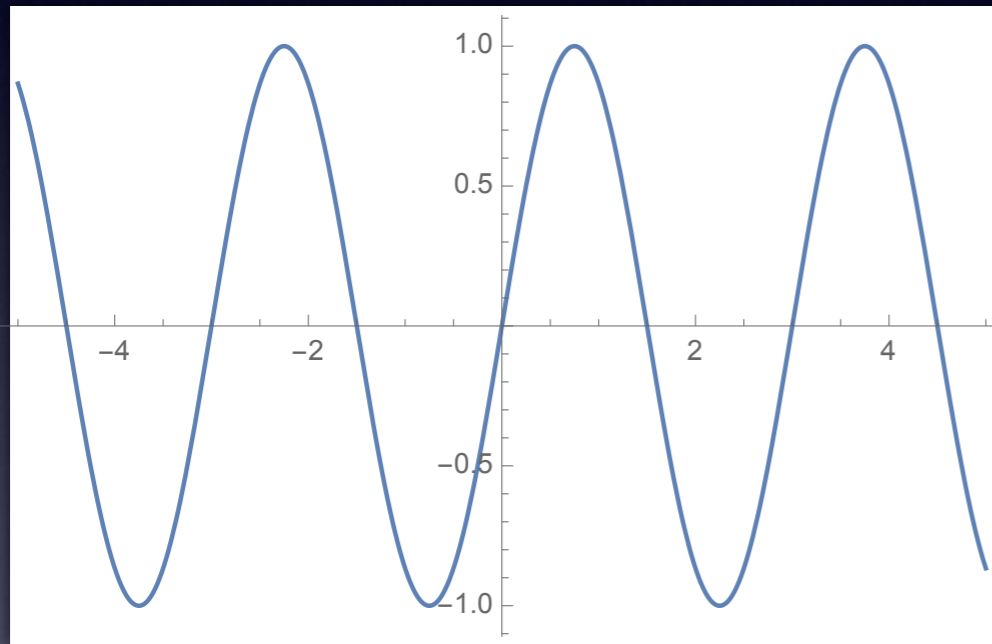
$\psi(x) \in \mathbb{L}^2(\mathbb{R})$ and

$$\int |\psi(x)|^2 dx = 1$$

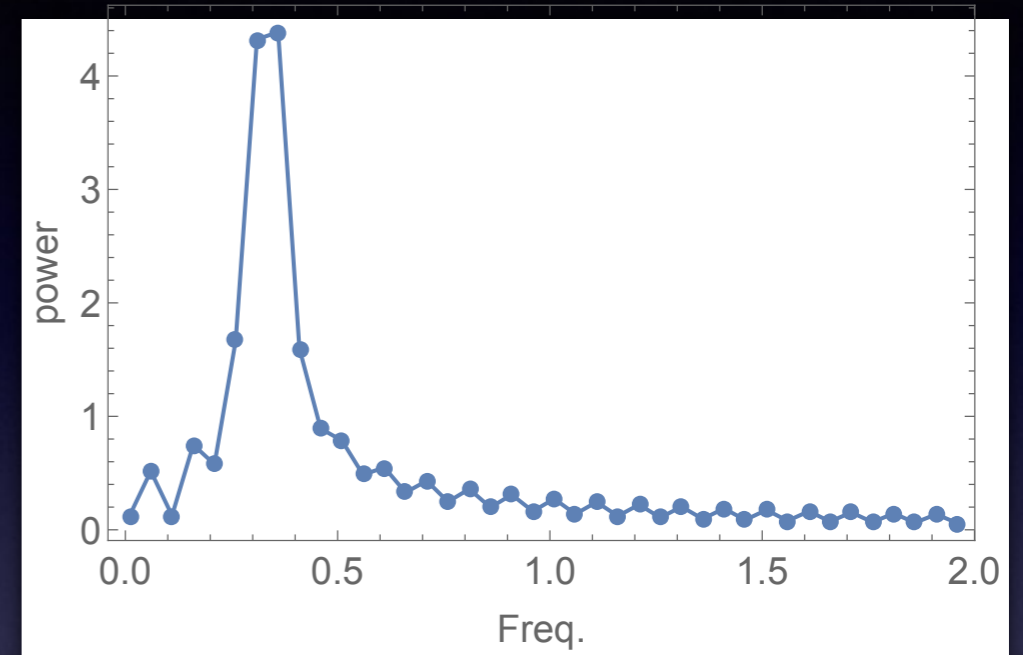
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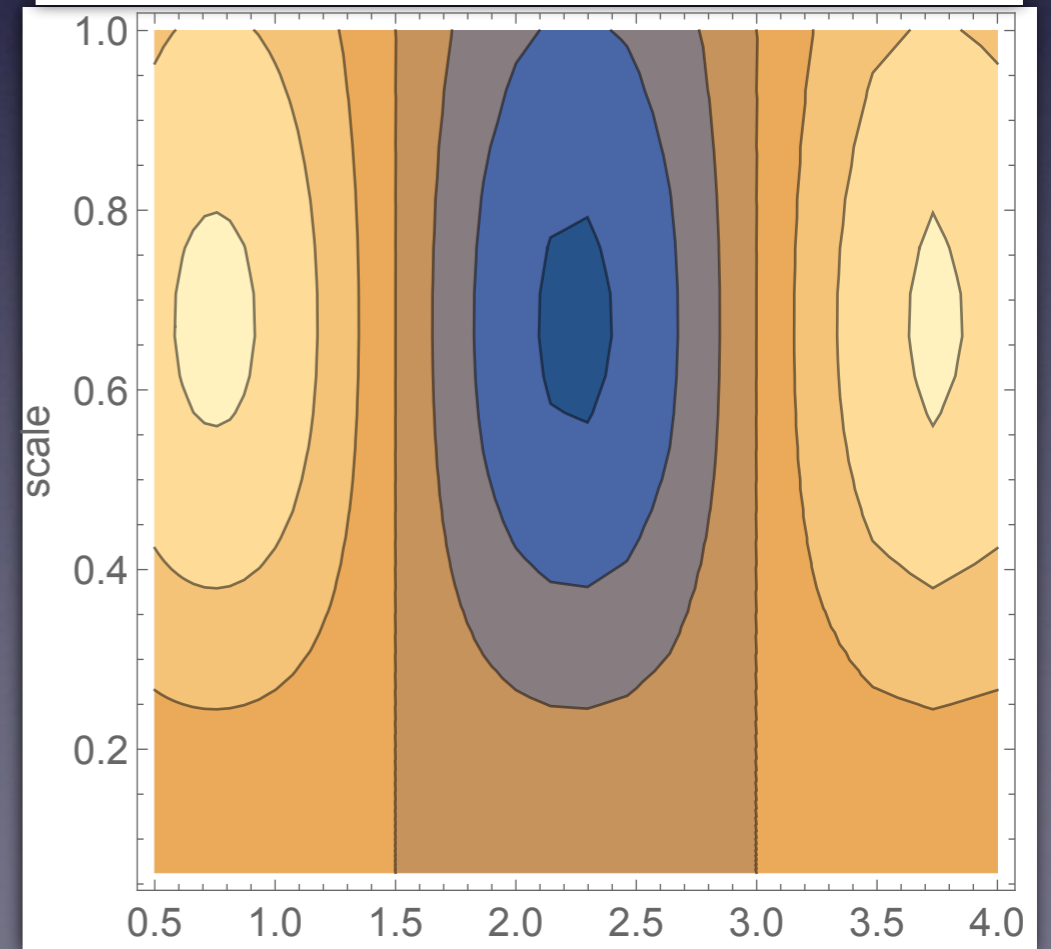
sine wave



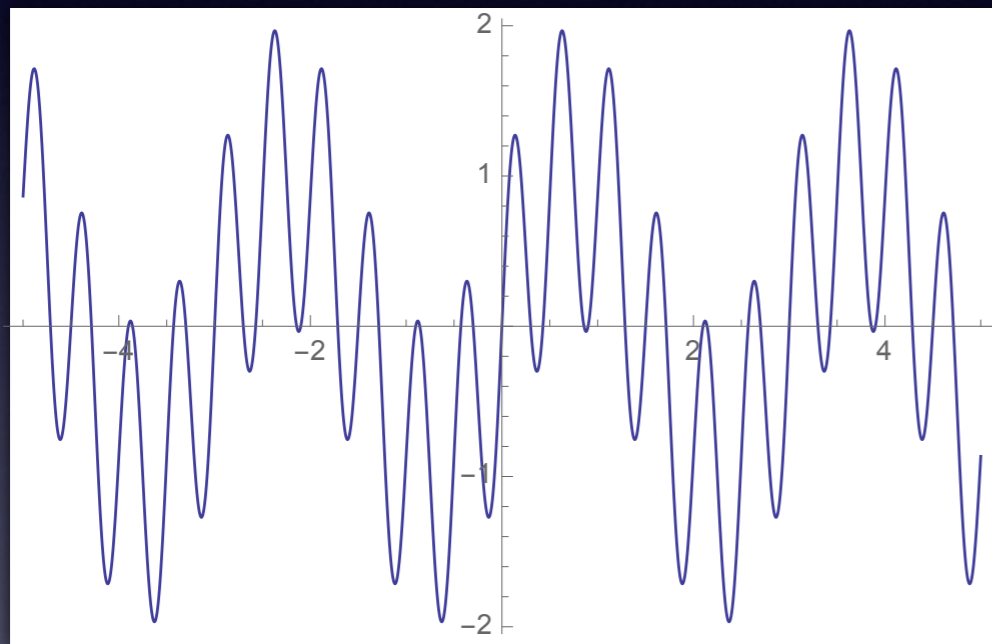
Fourier



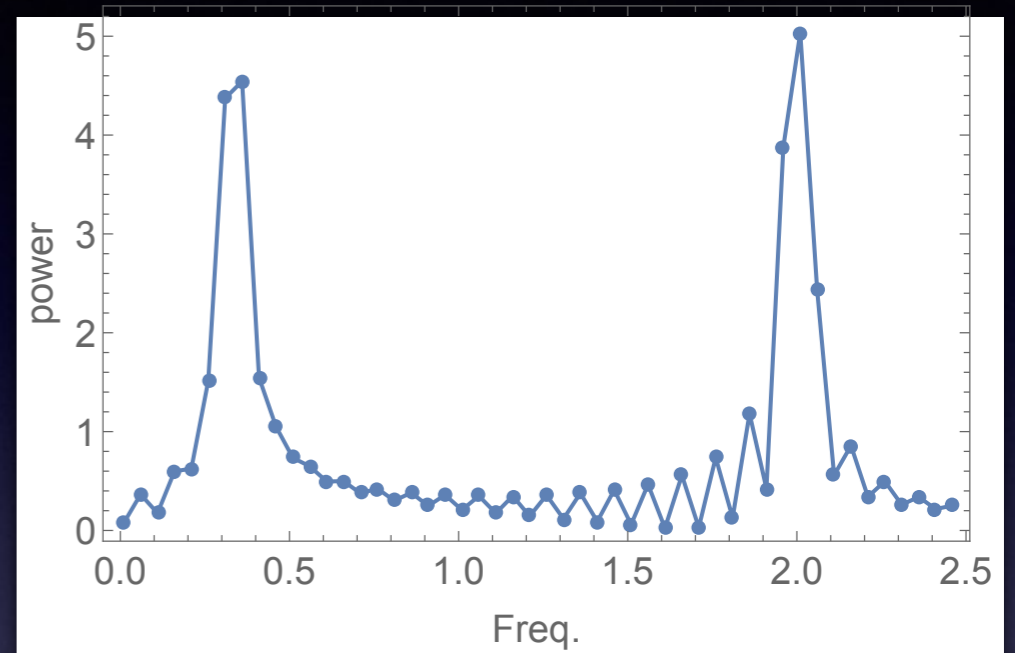
wavelet
Mex. hat



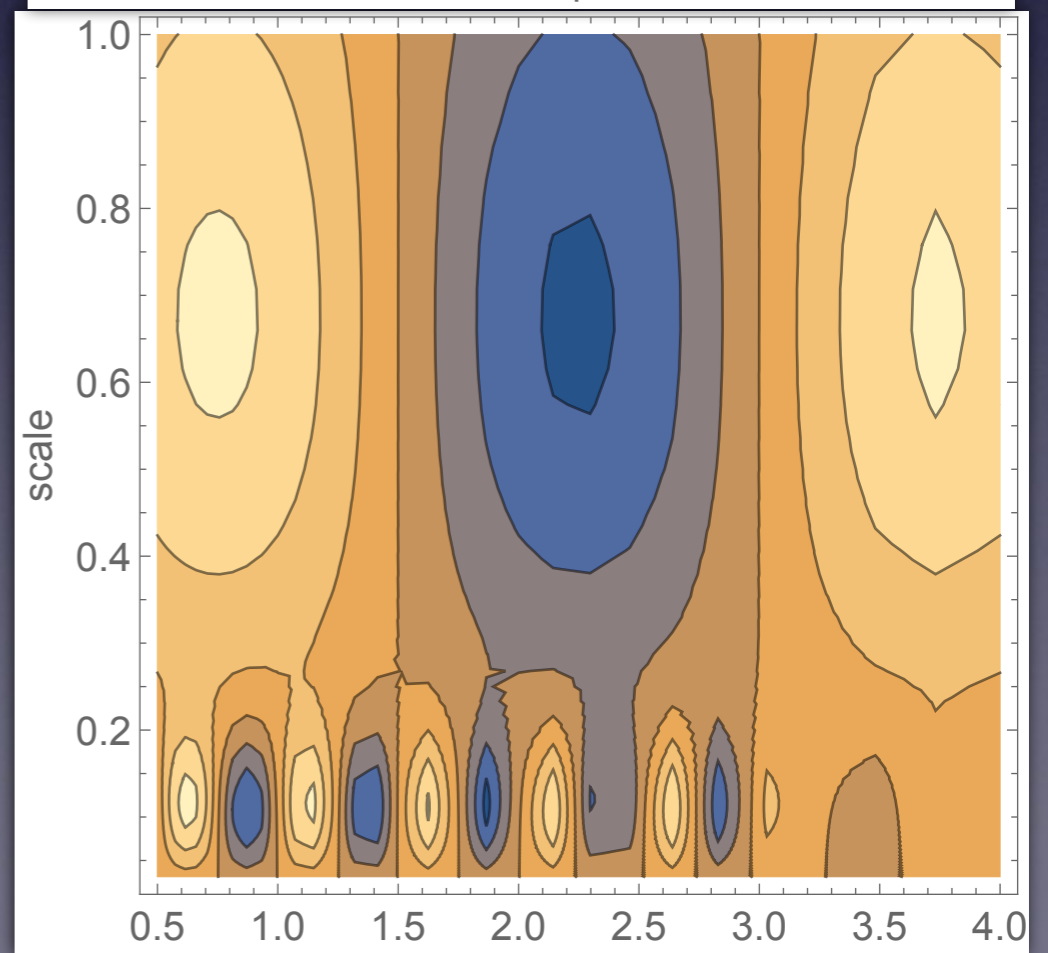
two sine waves



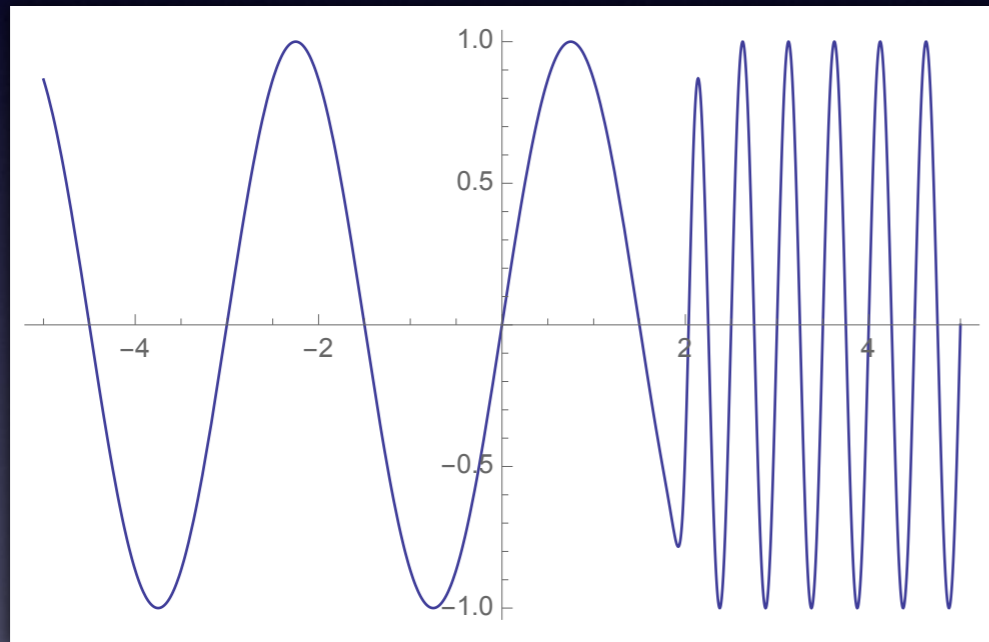
Fourier



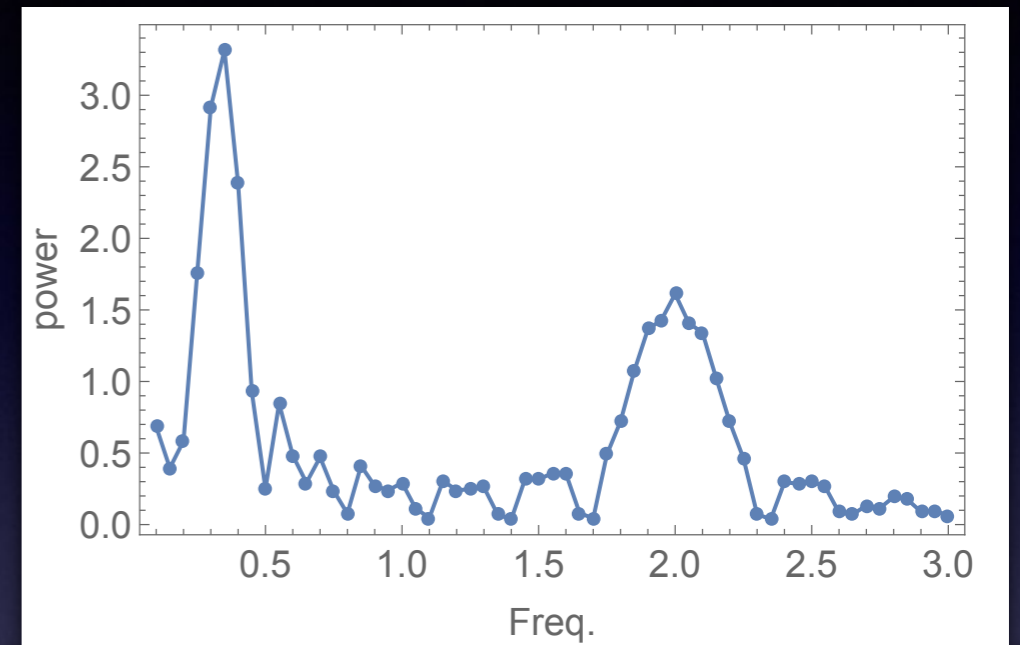
wavelet
Mex. hat



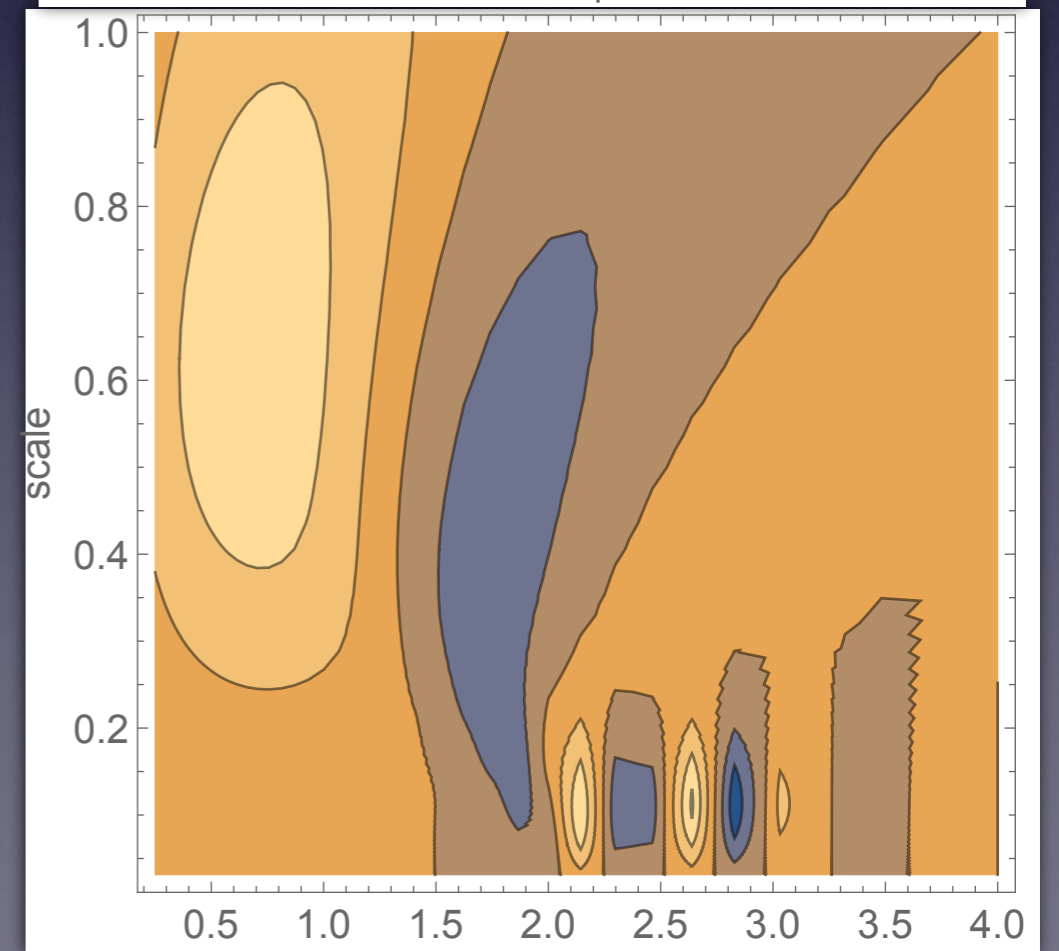
sine waves with transition



Fourier



wavelet
Mex. hat



How might this approach improve upon templates?

GeV sky can be thought of as a high resolution picture; wavelets can find structures in it

Poisson noise and SM uncertainty dominate at scales that are small relative to bubbles or NFW, and the wavelets can identify those scales

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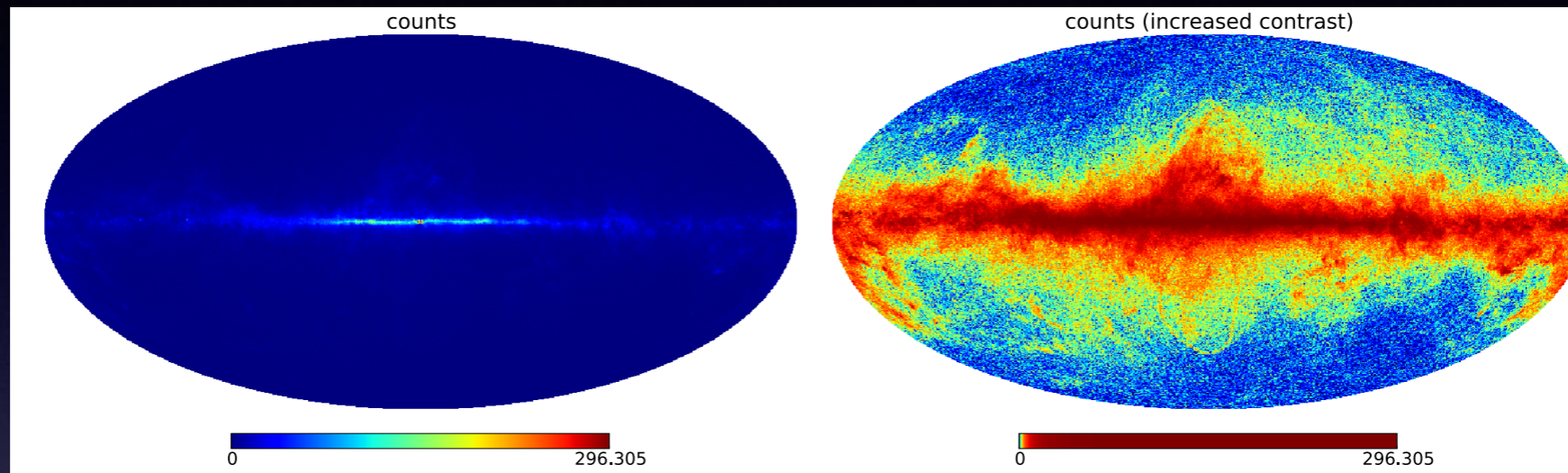
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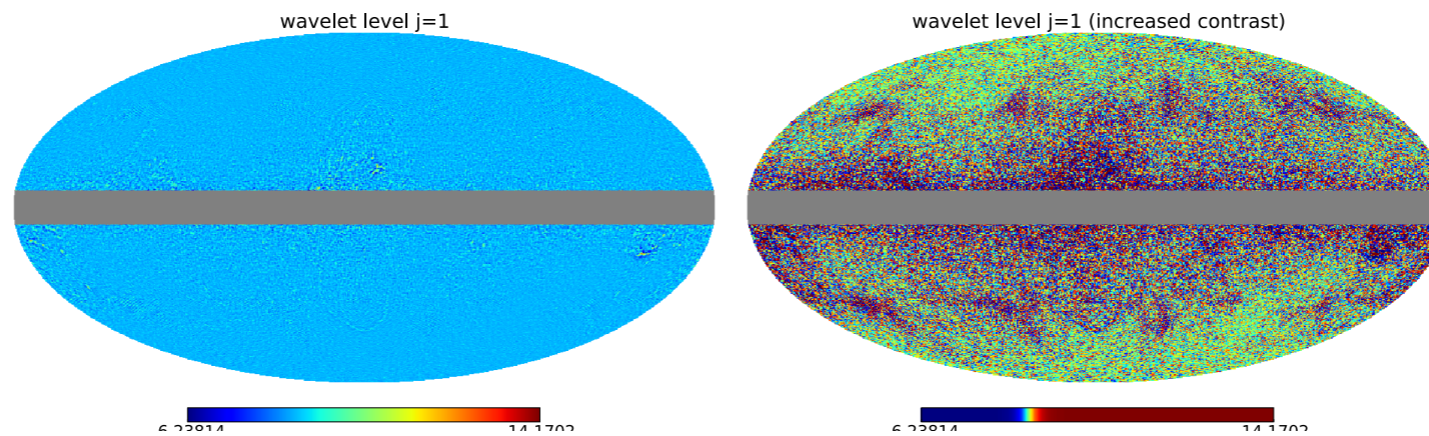
by identifying and removing such structures, wavelets provide a background expectation that is (relatively) robust against systematic astrophysics uncertainties

Example (mock data)



$$\ell_{\max}=512$$

mock
data only

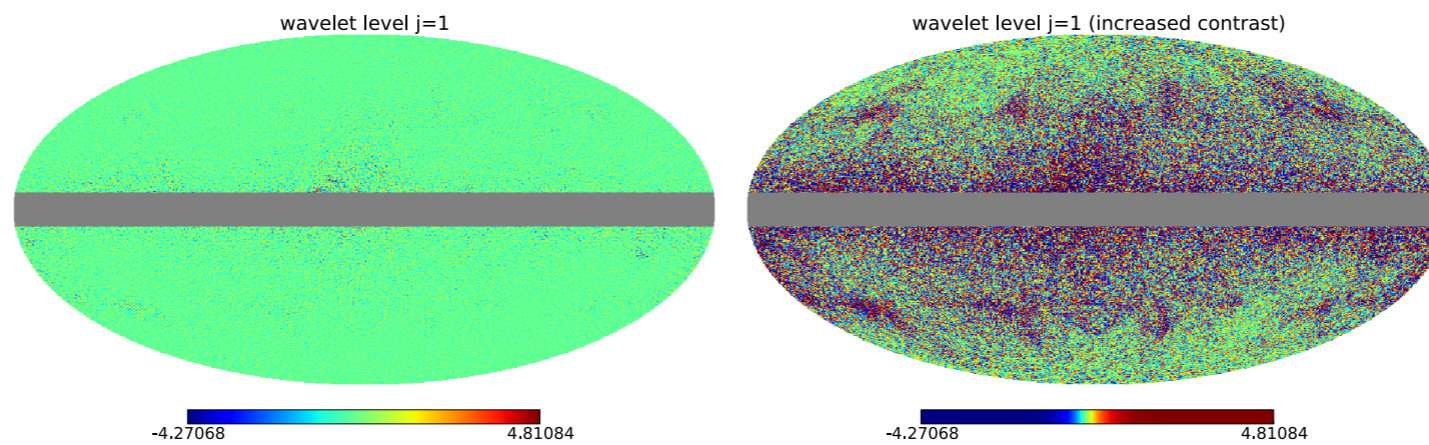


$$256 < \ell < 512$$

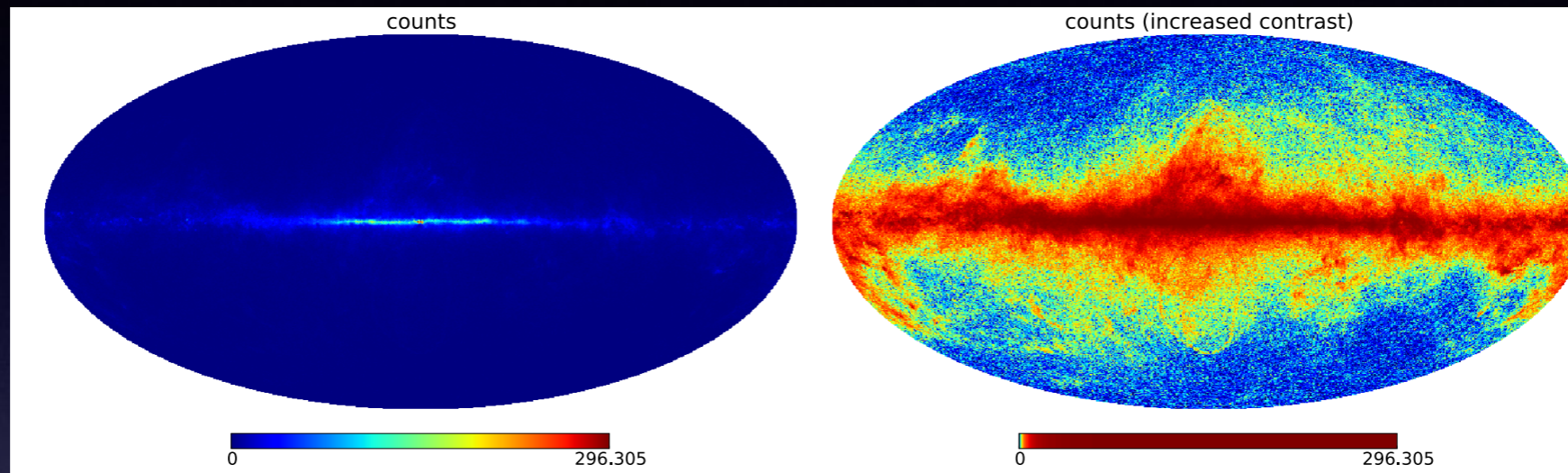


$$0.7^\circ < \theta < 1.4^\circ$$

diffuse
templates
subtracted

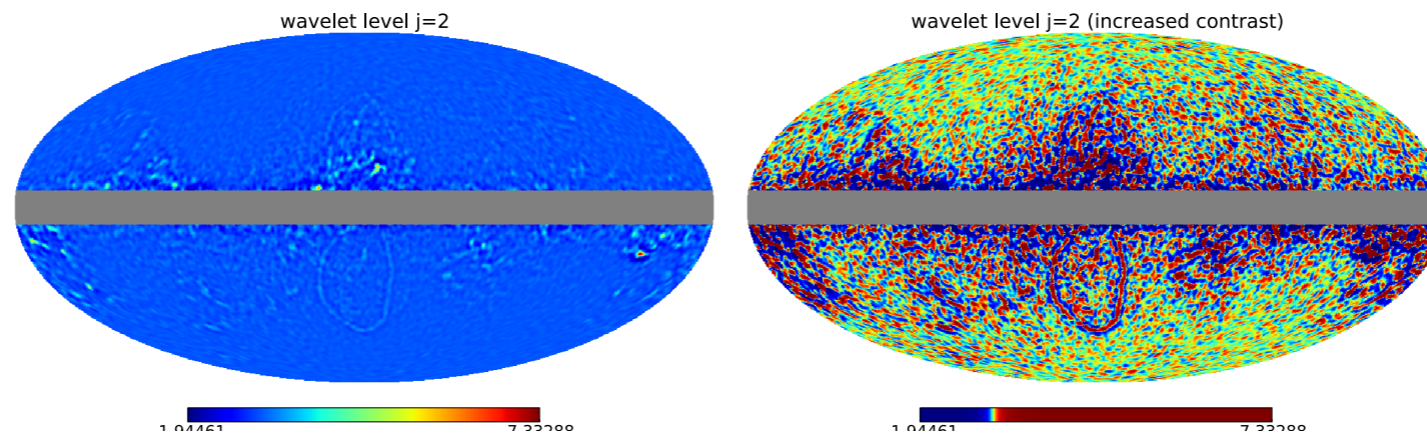


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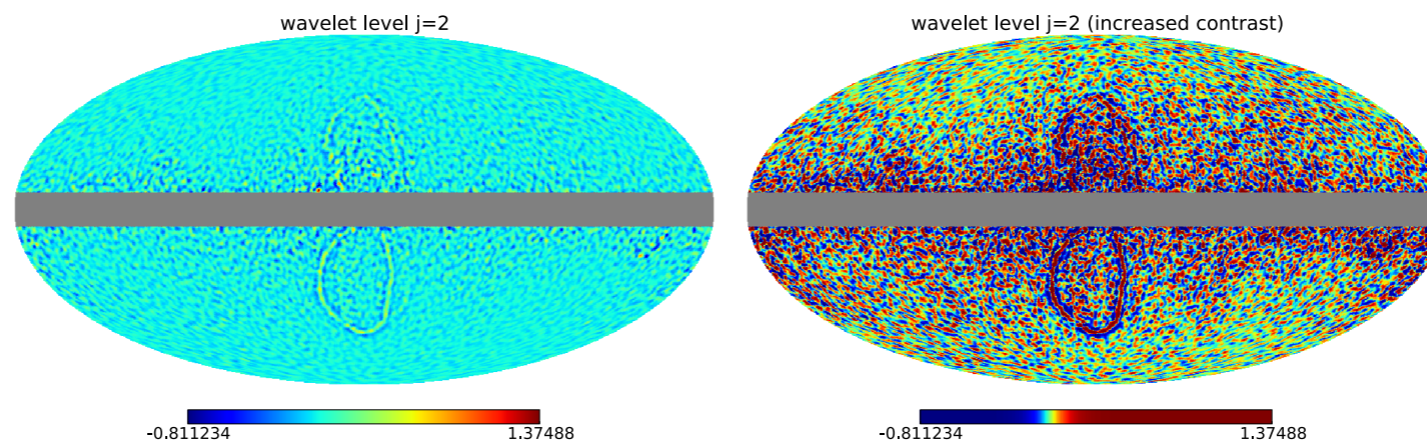


$$128 < \ell < 256$$

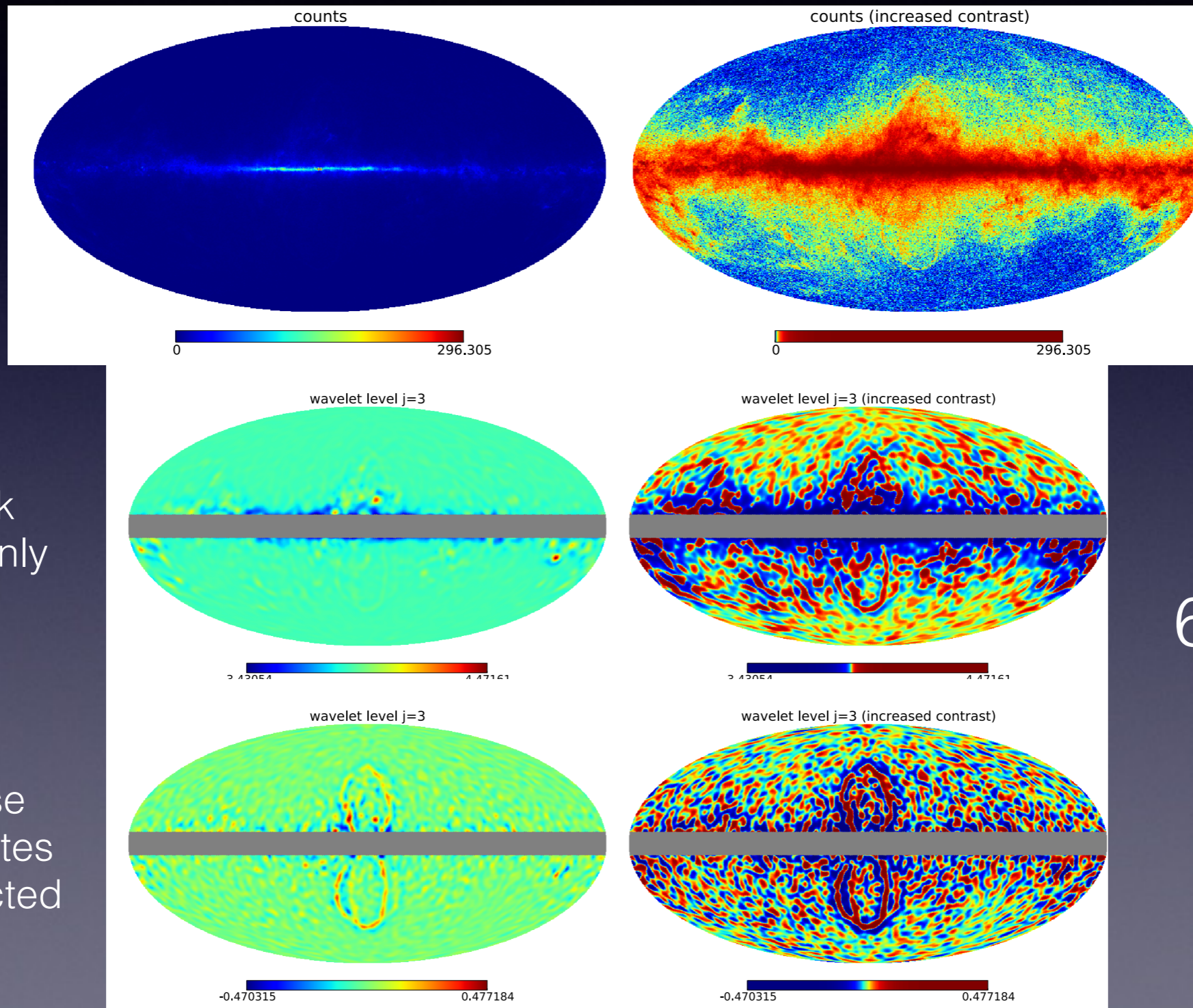


$$1.4^\circ < \theta < 3^\circ$$

diffuse
templates
subtracted



Example (mock data)



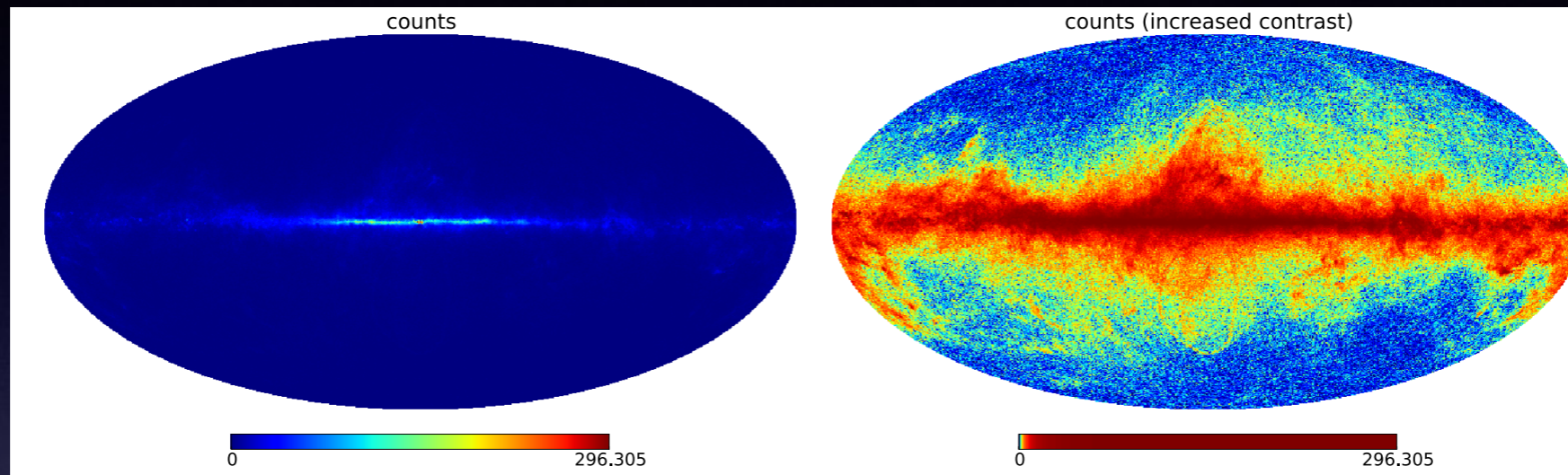
$$\ell_{\max}=512$$

$$64 < \ell < 128$$



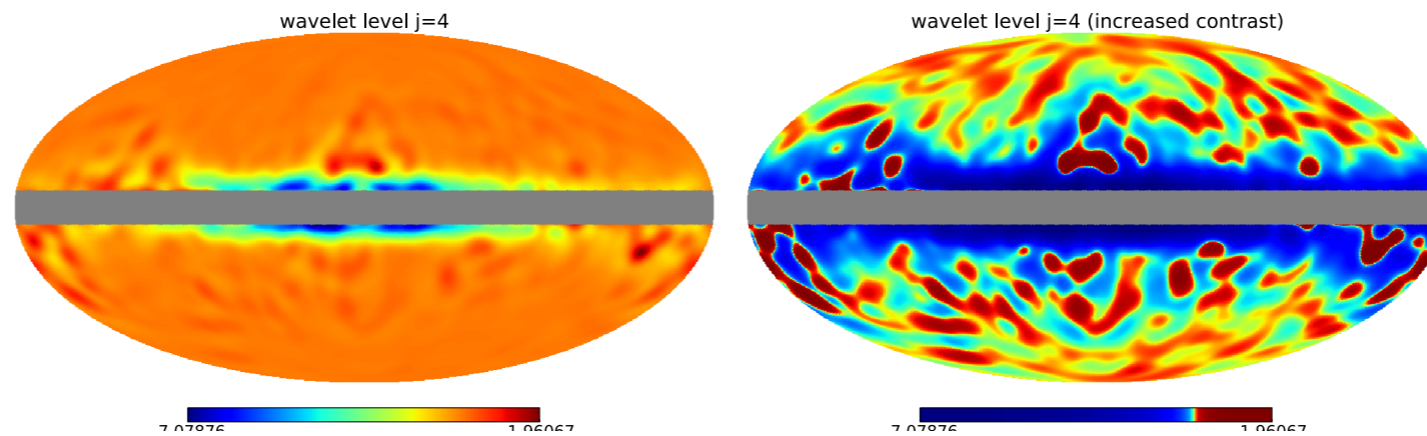
$$3^\circ < \theta < 6^\circ$$

Example (mock data)



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mock
data only

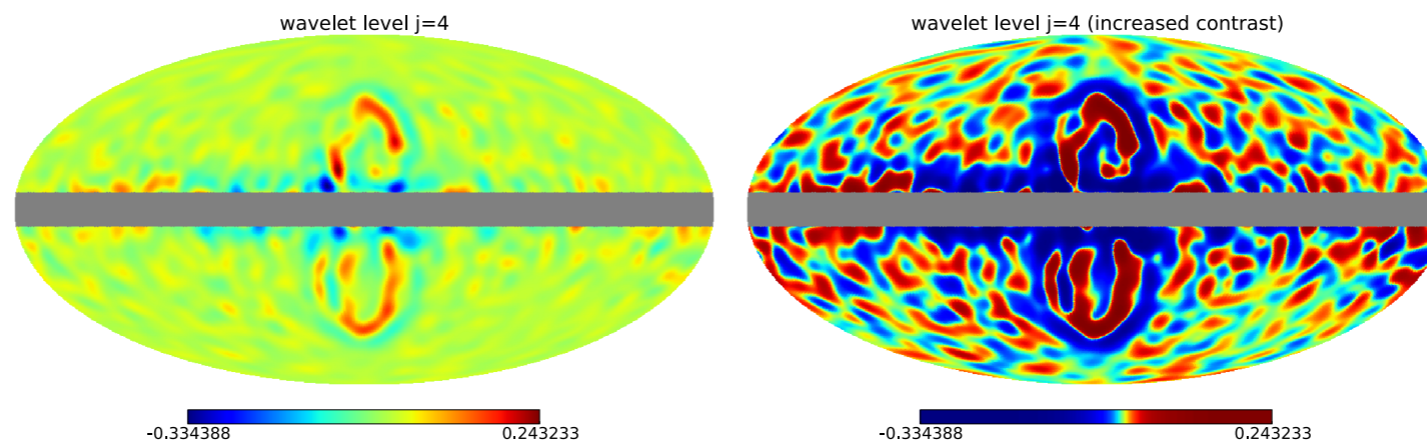


$$32 < \ell < 64$$

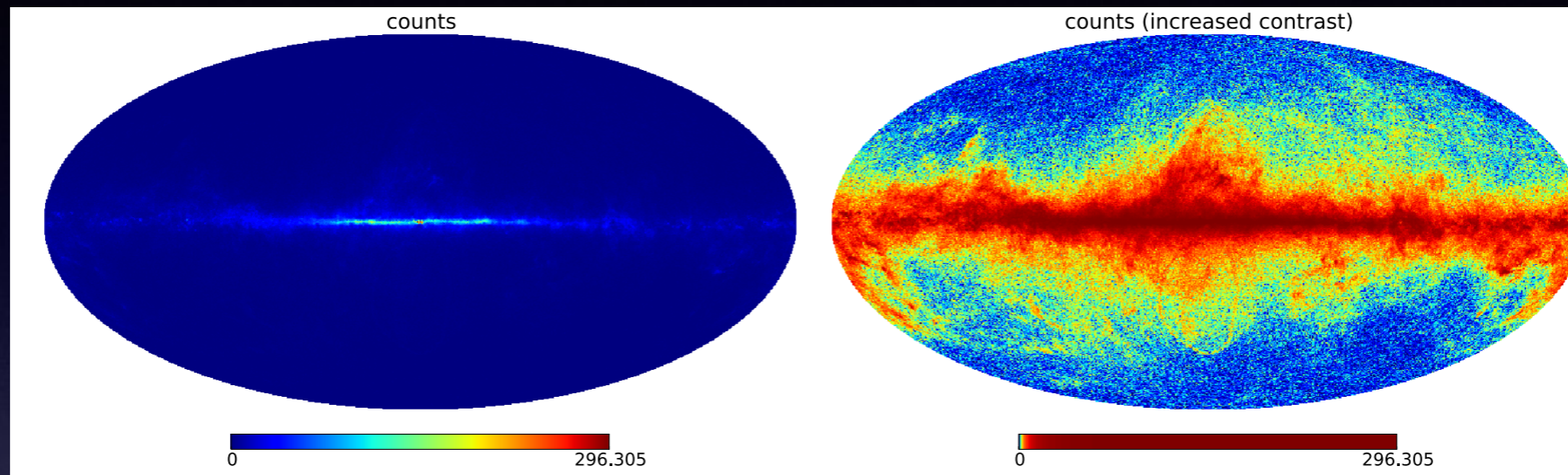


$$6^\circ < \theta < 10^\circ$$

diffuse
templates
subtracted

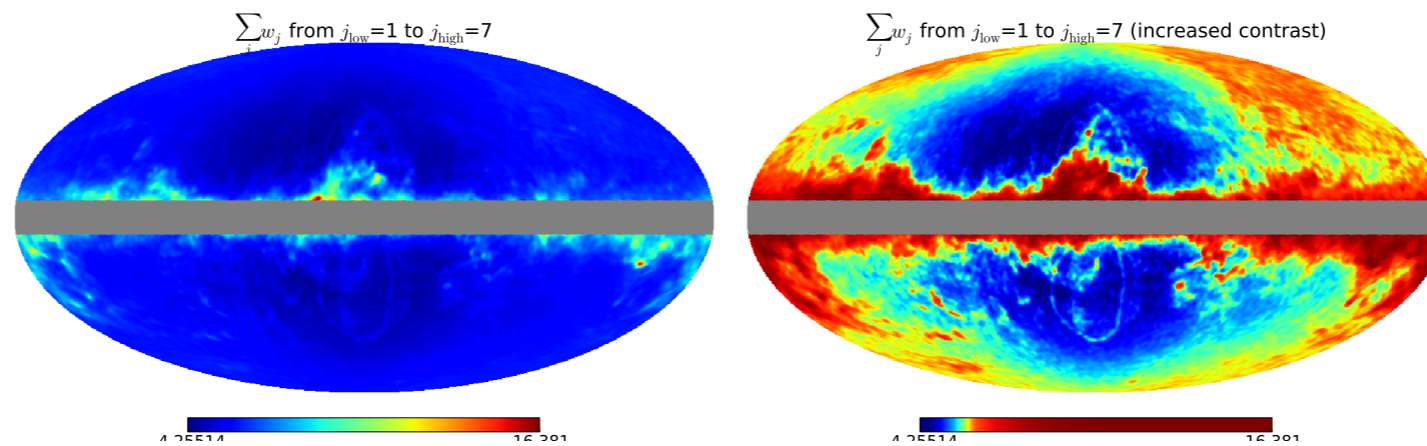


Example (mock data)



$$\ell_{\max}=512$$

mock
data only

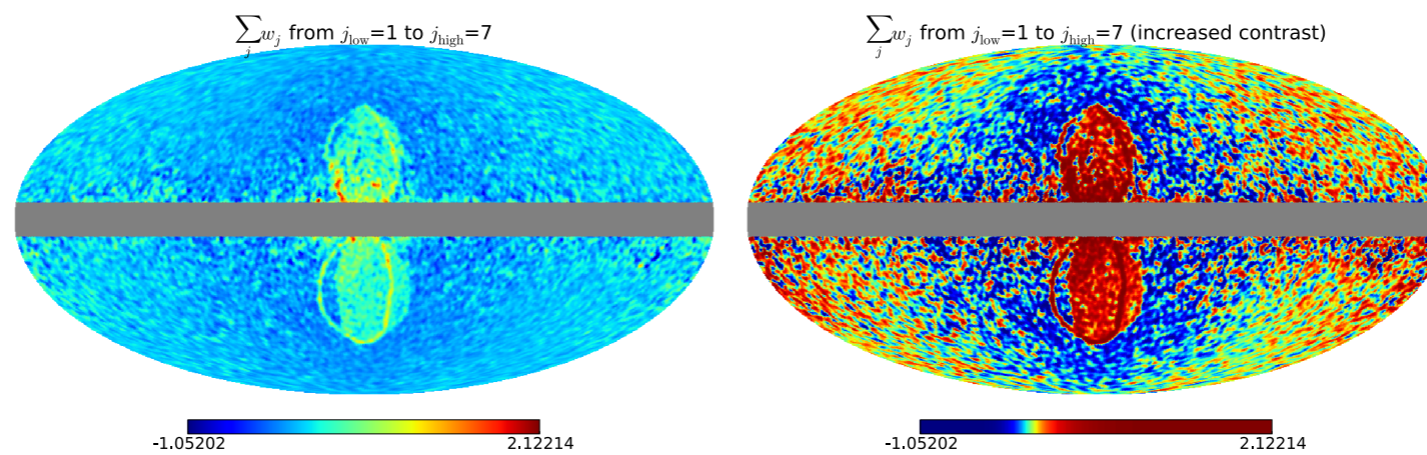


$$4 < \ell < 256$$

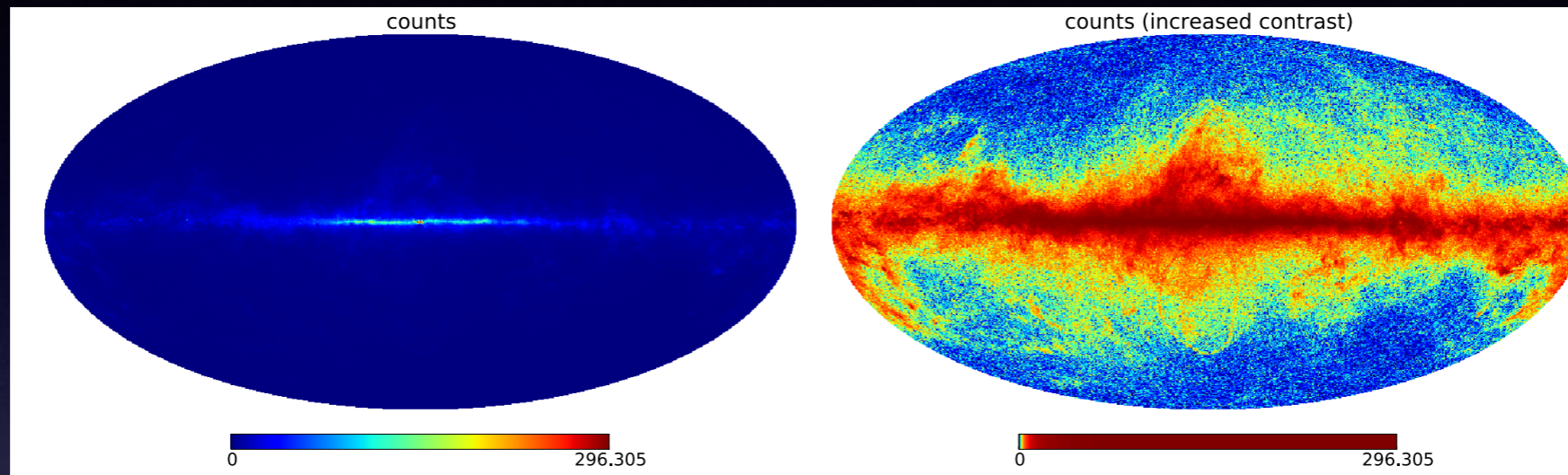


$$1.4^\circ < \theta < 90^\circ$$

diffuse
templates
subtracted

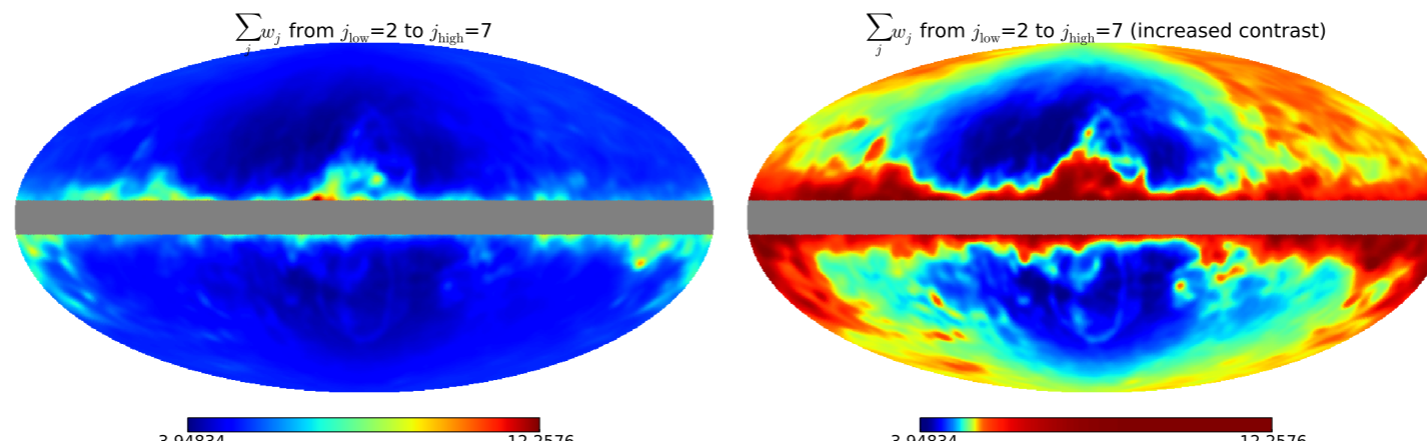


Example (mock data)



$$\ell_{\max}=512$$

mock
data only

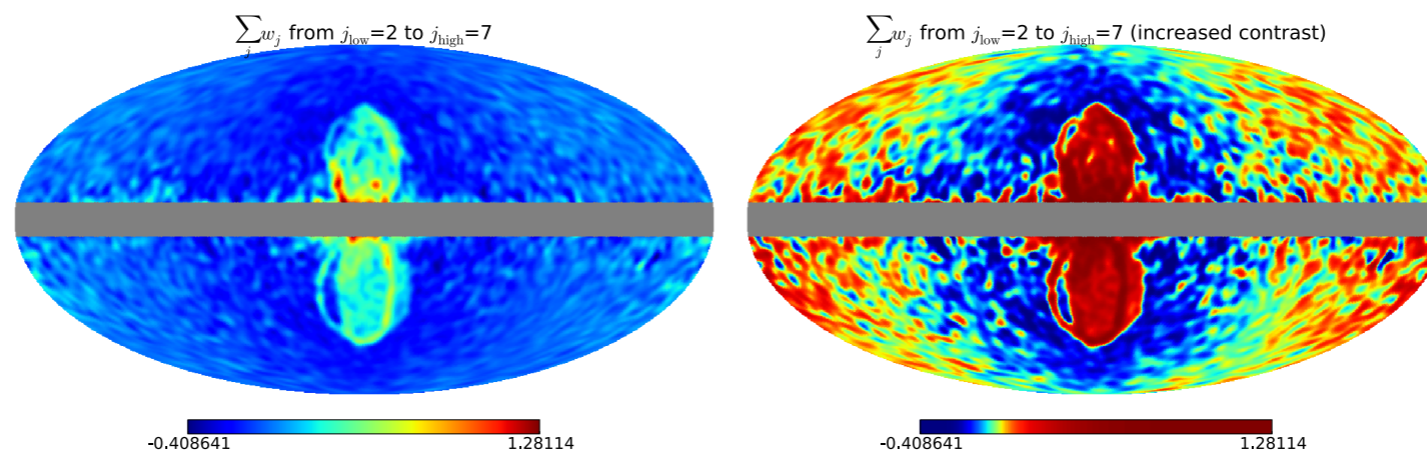


$$4 < \ell < 128$$

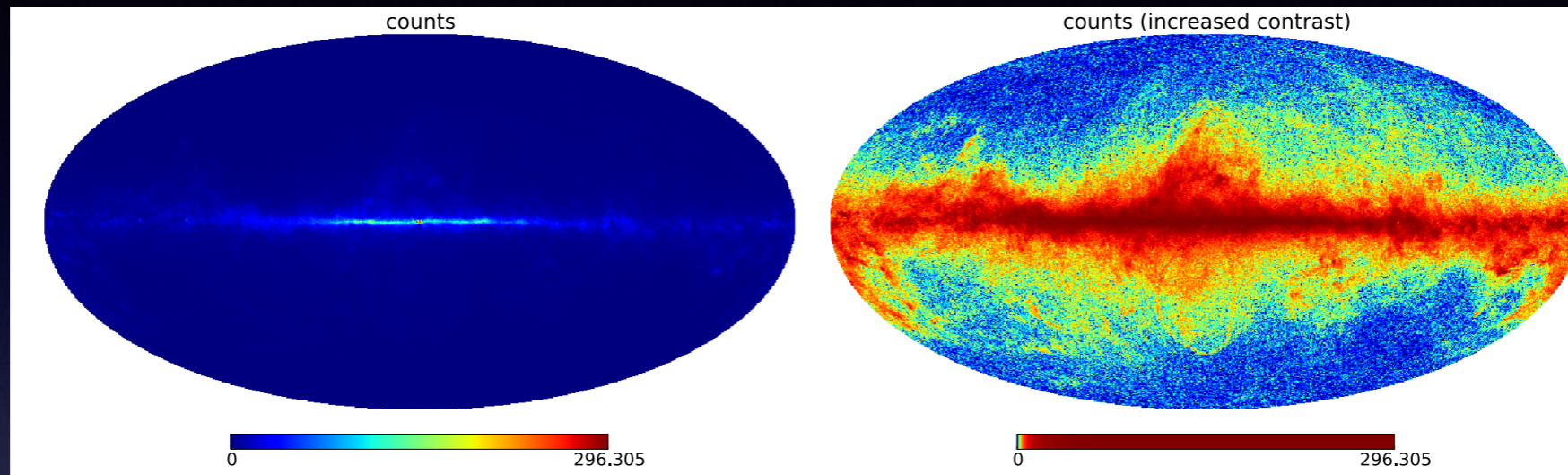


$$3^\circ < \theta < 90^\circ$$

diffuse
templates
subtracted

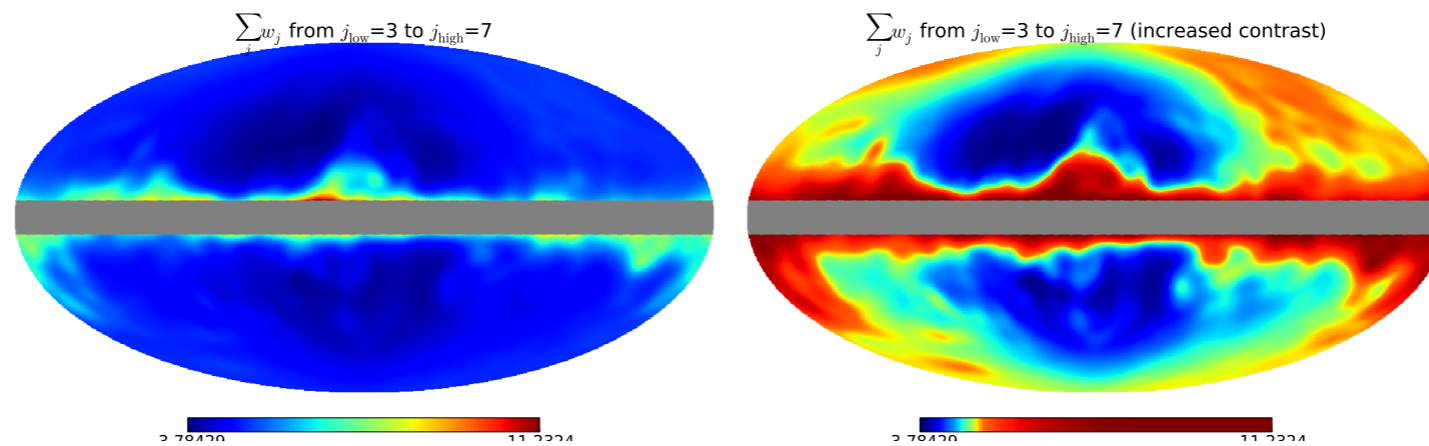


Example (mock data)



$$\ell_{\max}=512$$

mock
data only

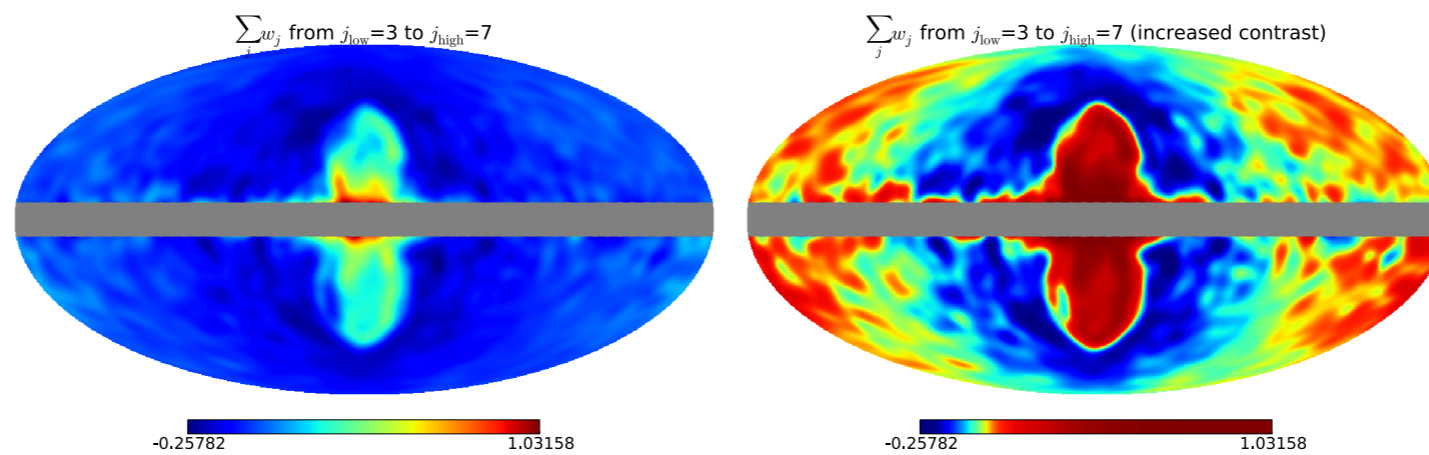


$$4 < \ell < 64$$

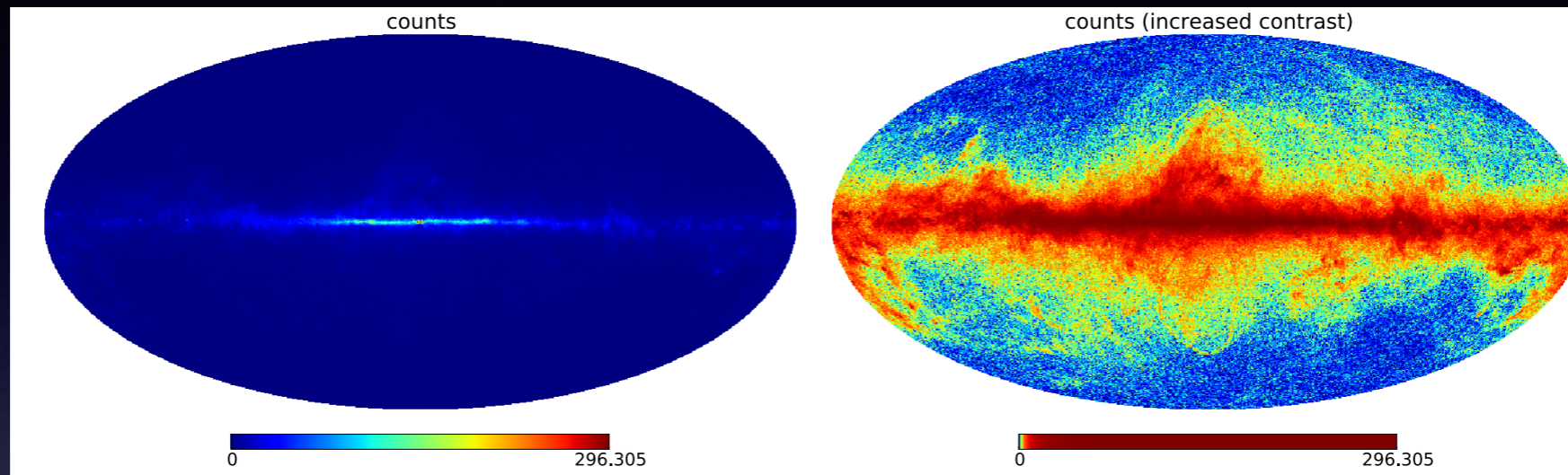


$$6^\circ < \theta < 90^\circ$$

diffuse
templates
subtracted

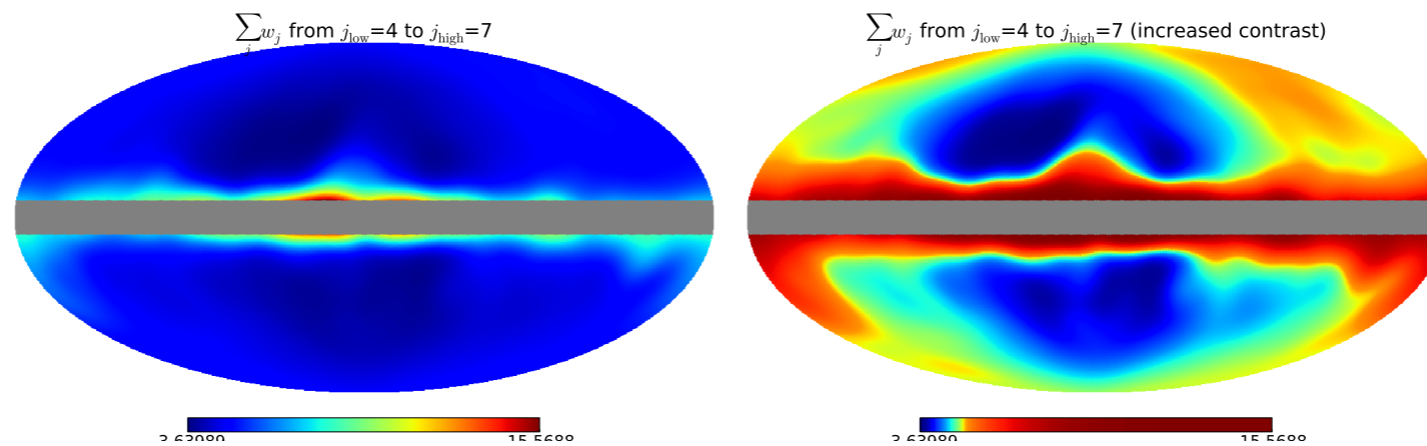


Example (mock data)



$$\ell_{\max}=512$$

mock
data only

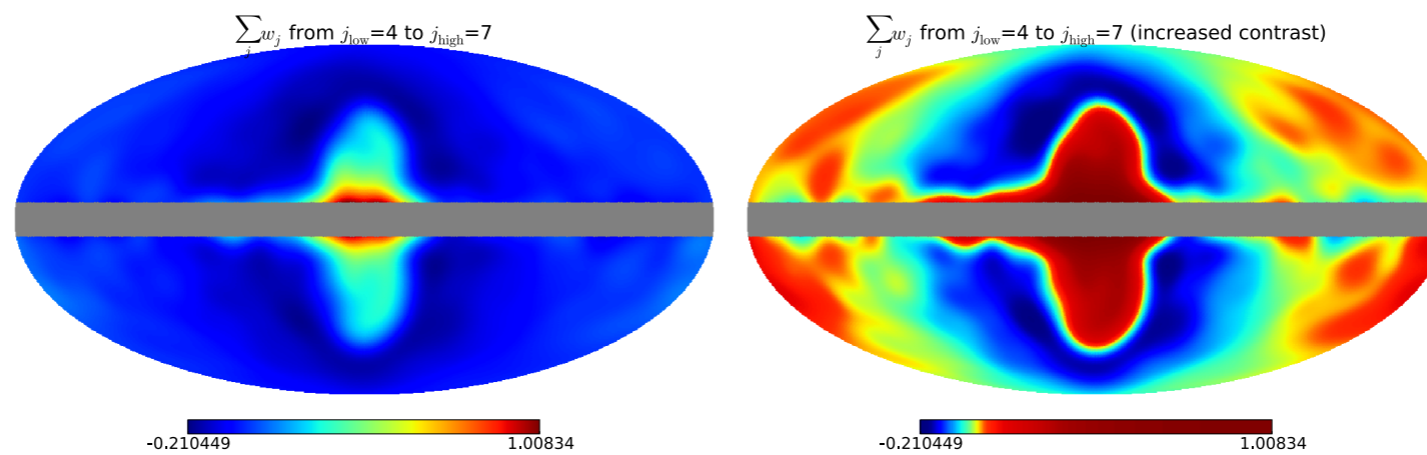


$$4 < \ell < 32$$

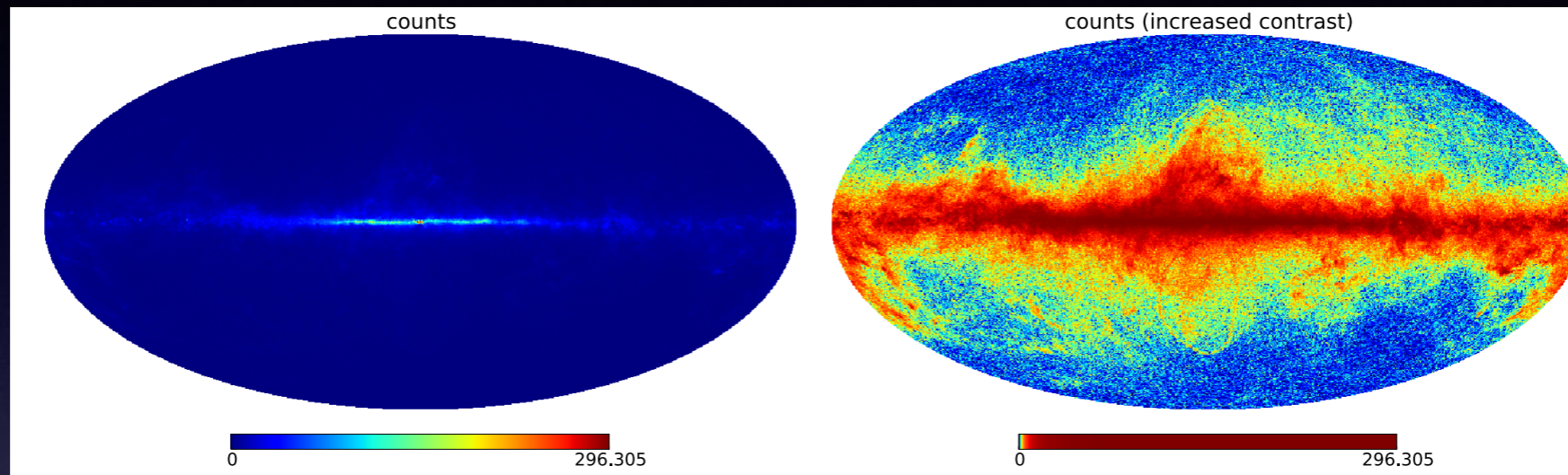


$$10^\circ < \theta < 90^\circ$$

diffuse
templates
subtracted

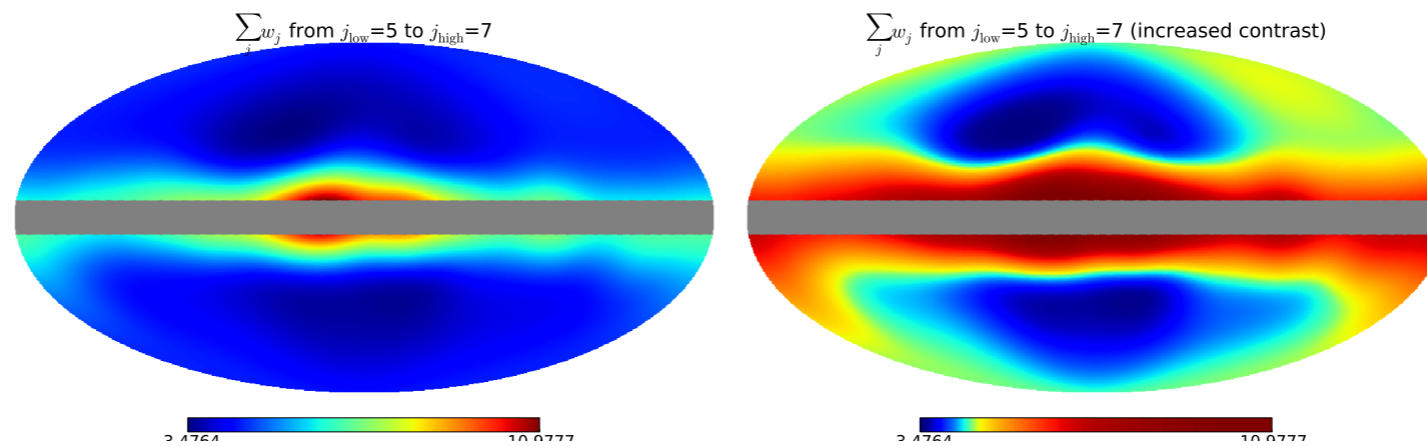


Example (mock data)

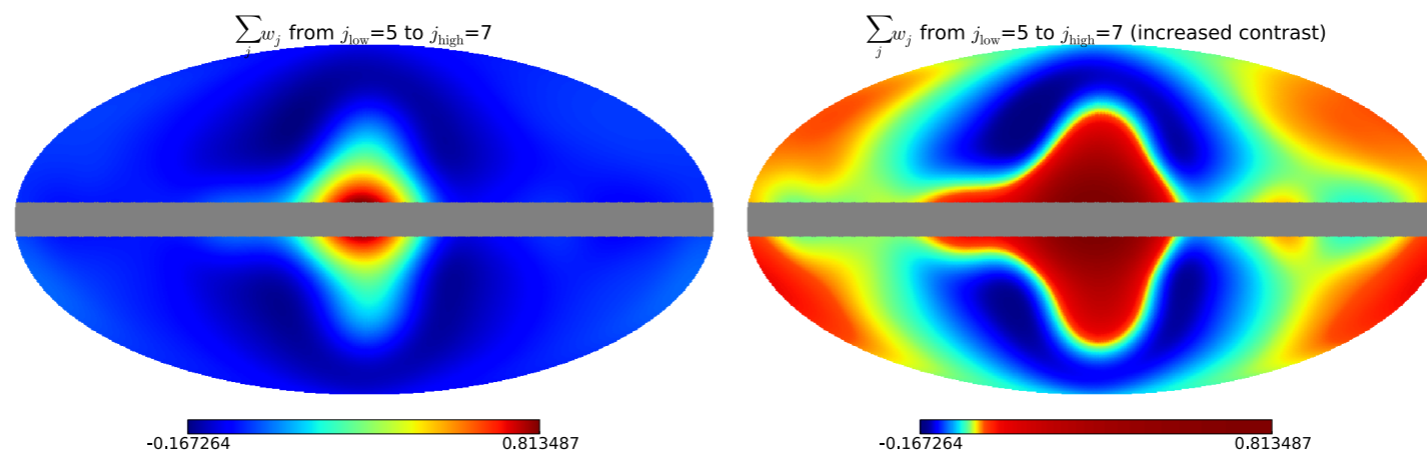


$\ell_{\max}=512$

mock
data only



diffuse
templates
subtracted



$4 < \ell < 16$

\Downarrow

$22^\circ < \theta < 90^\circ$

Lesson:

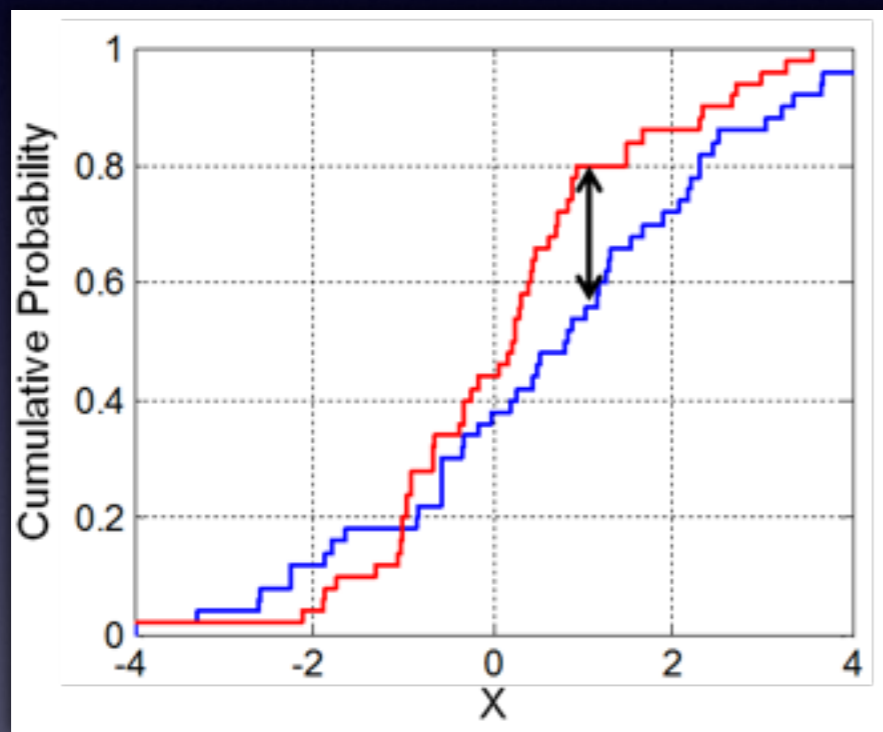
Getting rid of some wavelet levels can provide a much clearer picture of a signal

Question:

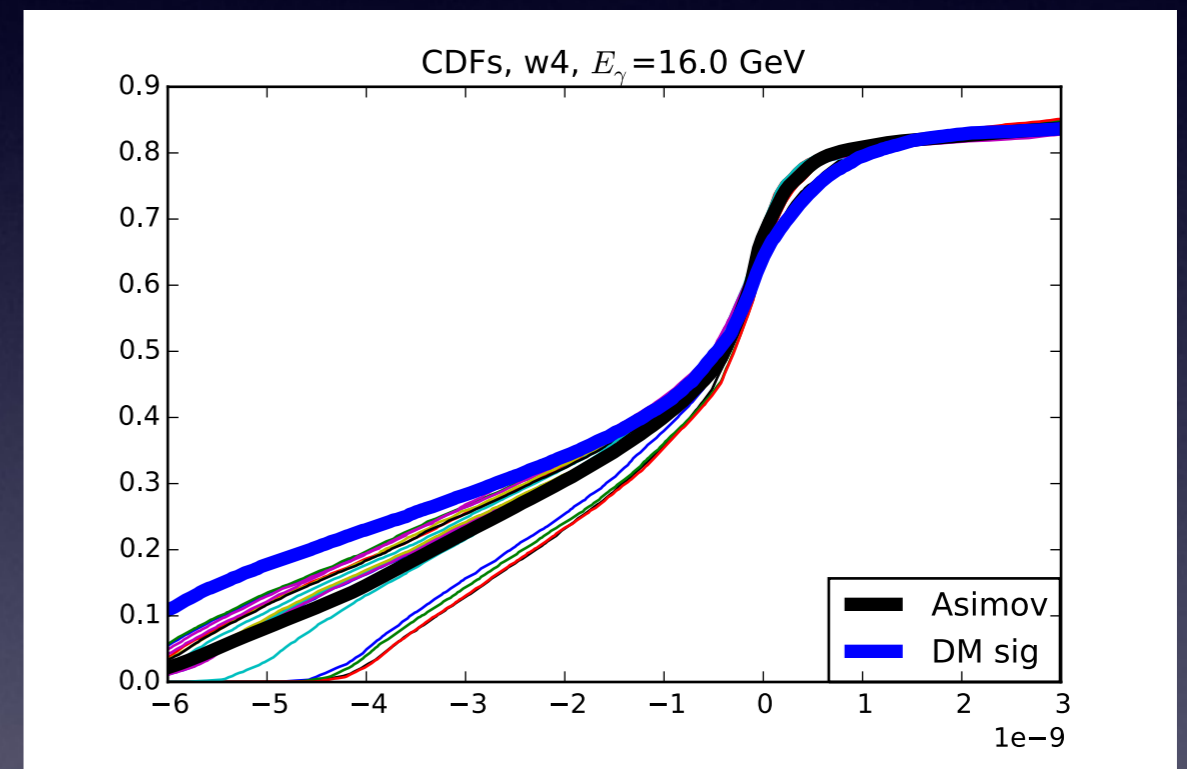
How can we do this in a data-driven (model-independent) (unbiased) (etc....) way?

Kolmogorov-Smirnov Test

maximum distance between two CDFs

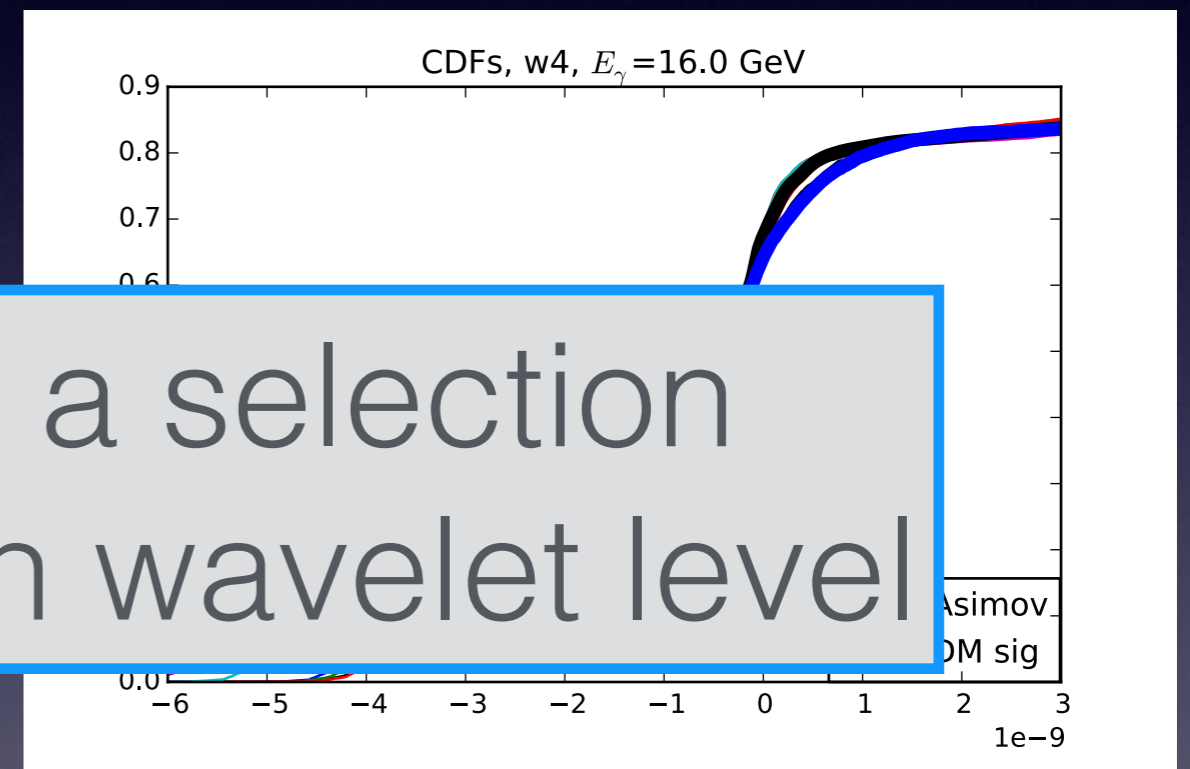
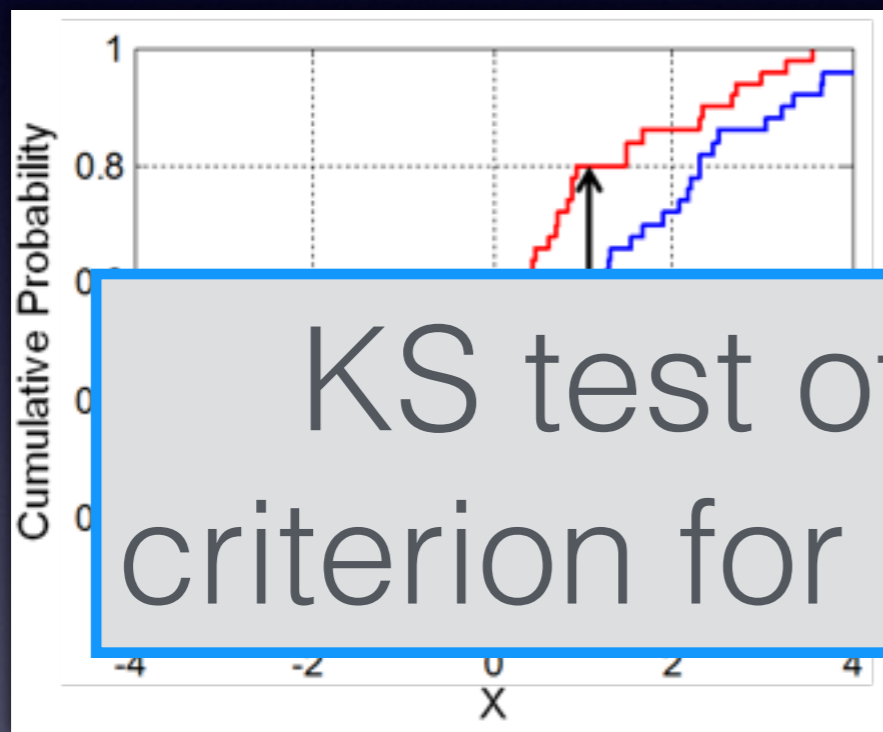


"KS2 Example" by Bscan - Own work.
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[https://commons.wikimedia.org/wiki/
File:KS2_Example.png#/media/
File:KS2_Example.png](https://commons.wikimedia.org/wiki/File:KS2_Example.png#/media/File:KS2_Example.png)



Kolmogorov-Smirnov Test

maximum distance between two CDFs



KS test offers a selection criterion for each wavelet level

"KS2 Example" by Bscan - Own work.
Licensed under CC0 via Commons -
https://commons.wikimedia.org/wiki/File:KS2_Example.png#/media/File:KS2_Example.png

“Thresholded” wavelets

signal = S

set of backgrounds = $\{B_i\}$

$$w_j^> = \begin{cases} w_j & \text{if } KS(S | \text{Asimov}) > 40\% KS(B_i | \text{Asimov}) \\ 0 & \text{otherwise} \end{cases}$$

define “cleaned maps:”

$$C^> = \sum_{j=2}^8 w_j^>(S)$$

$$B_i^> = \sum_{j=2}^8 w_j^>(B_i) \Theta[w_j^>(S)]$$

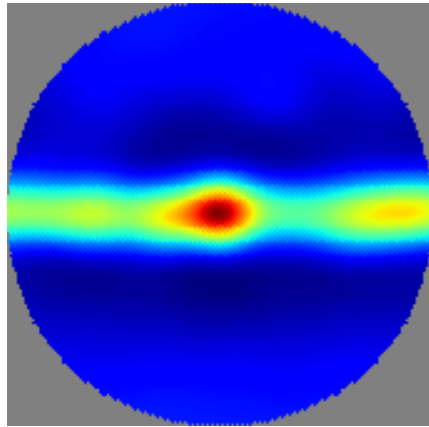
$$B^> = \text{avg}(\{B_i^>\})$$

and “cleaned residual:”

$$\Delta C^> = C^> - B^>$$

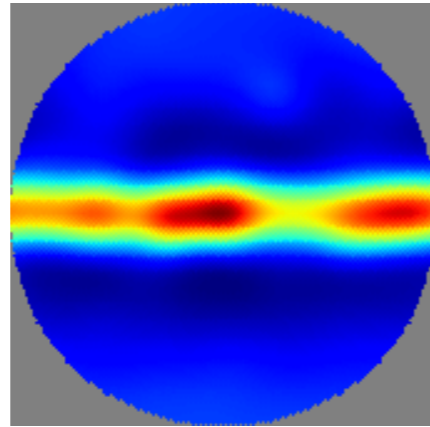
Cleaned Map Method

C_{signal}



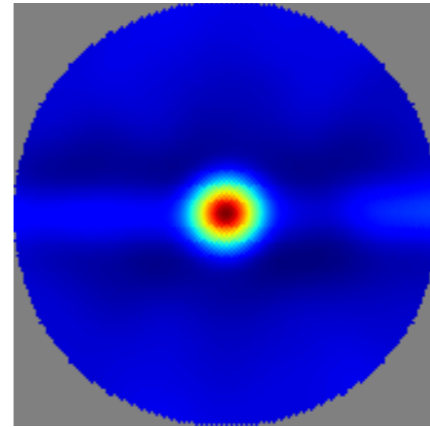
-7.46e-07 4.2e-06

$B_{\text{avg of bgds}}$ DM35: $2.2 < E_{\gamma} < 4.9$ GeV



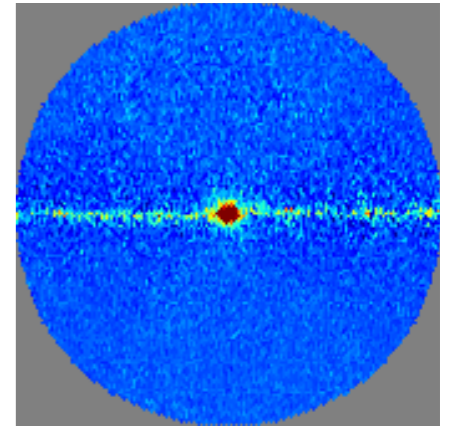
-6.57e-07 2.73e-06

residual ΔC_{signal}



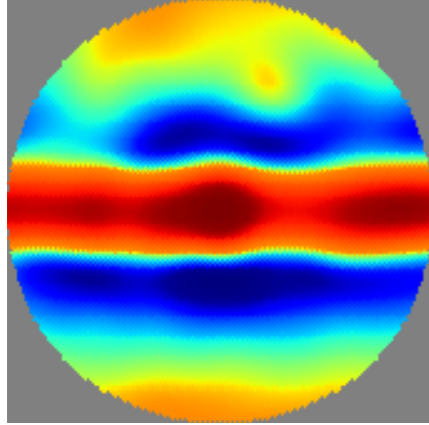
-1.33e-07 1.47e-06

$\Delta M_{\text{residual (maps)}}$



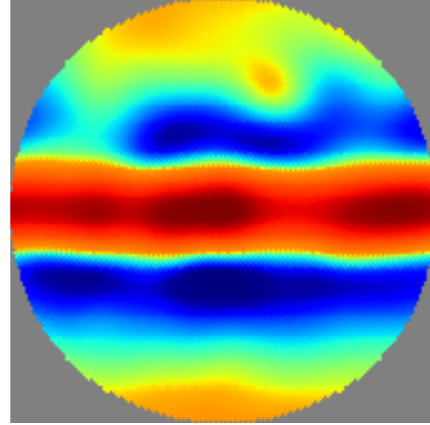
-1.04e-06 4e-06

C_{signal}



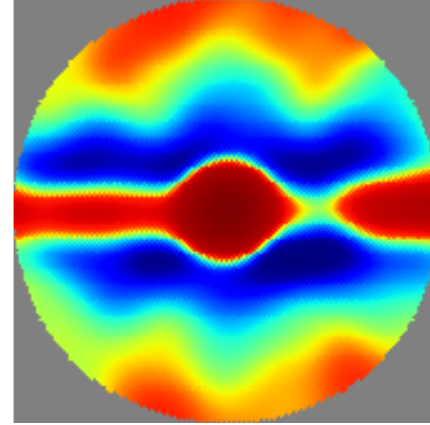
-7.46e-07 4.2e-06

$B_{\text{avg of bgds}}$ DM35: $2.2 < E_{\gamma} < 4.9$ GeV (increased contrast)



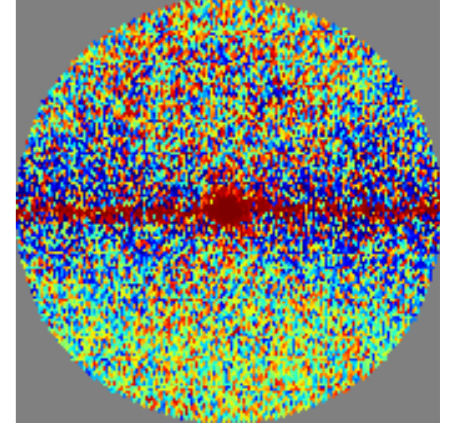
-6.57e-07 2.73e-06

residual ΔC_{signal}



-1.33e-07 1.47e-06

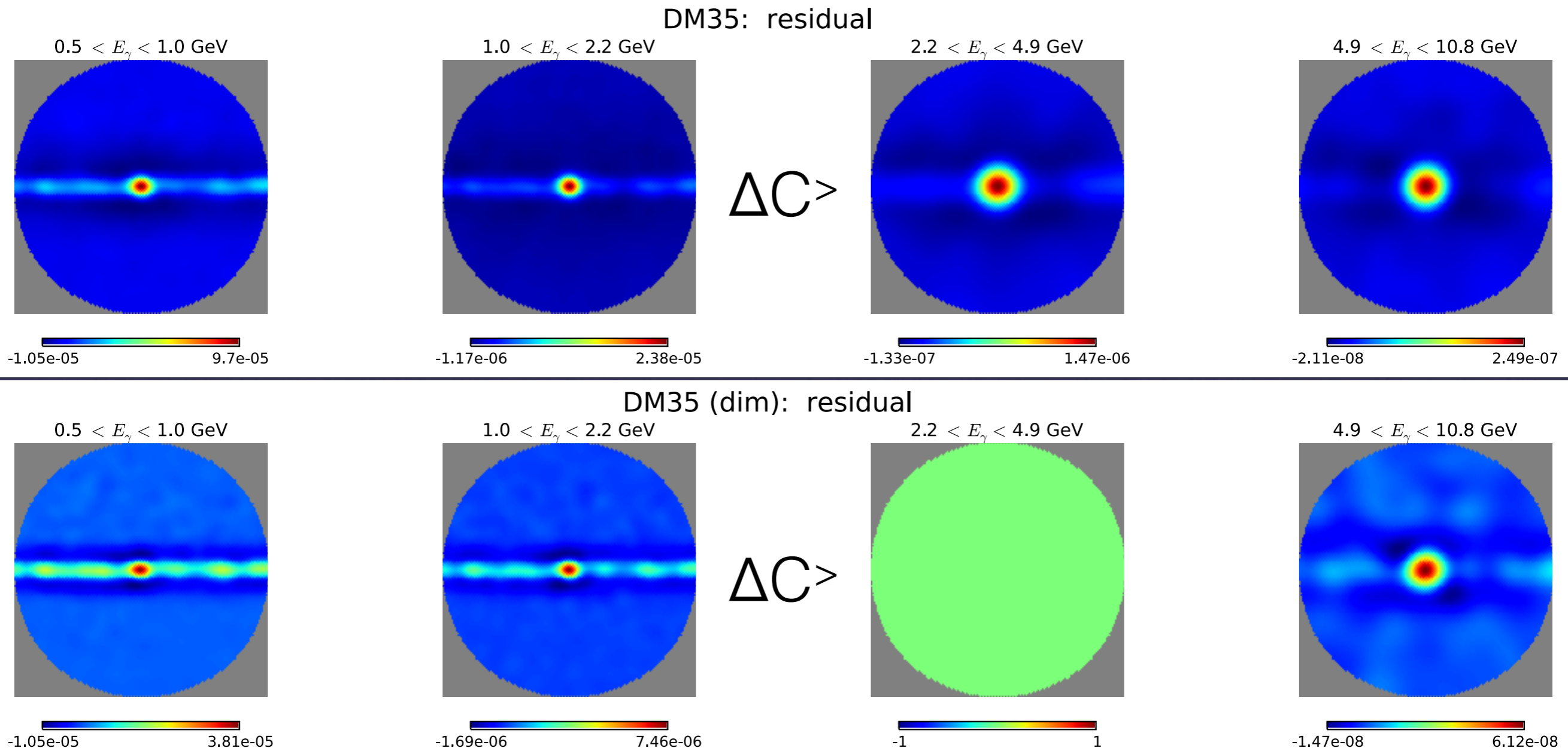
$\Delta M_{\text{residual (maps)}}$



-1.04e-06 4e-06

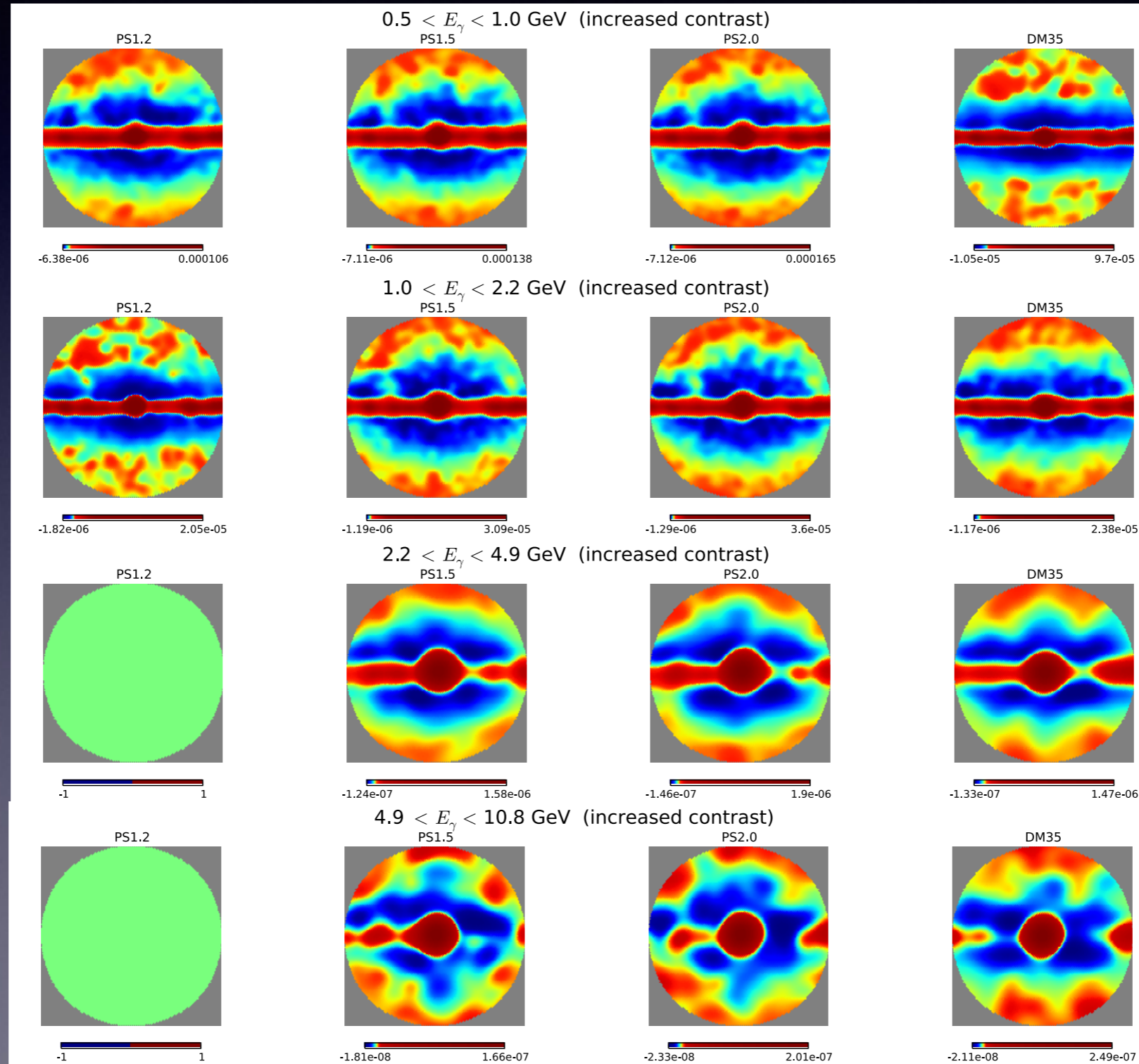
wavelets provide clearer residual than maps

Cleaned Map Threshold

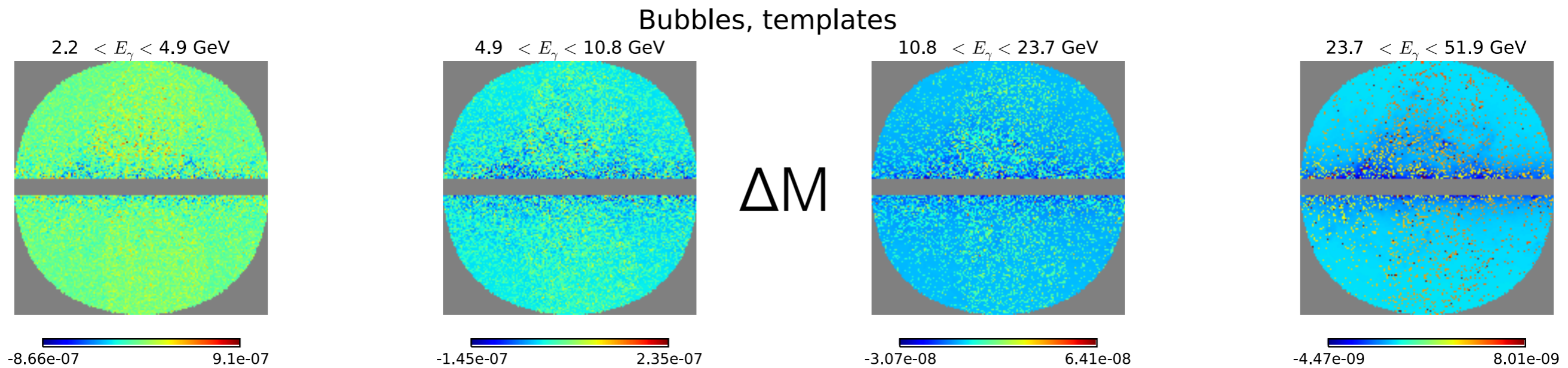
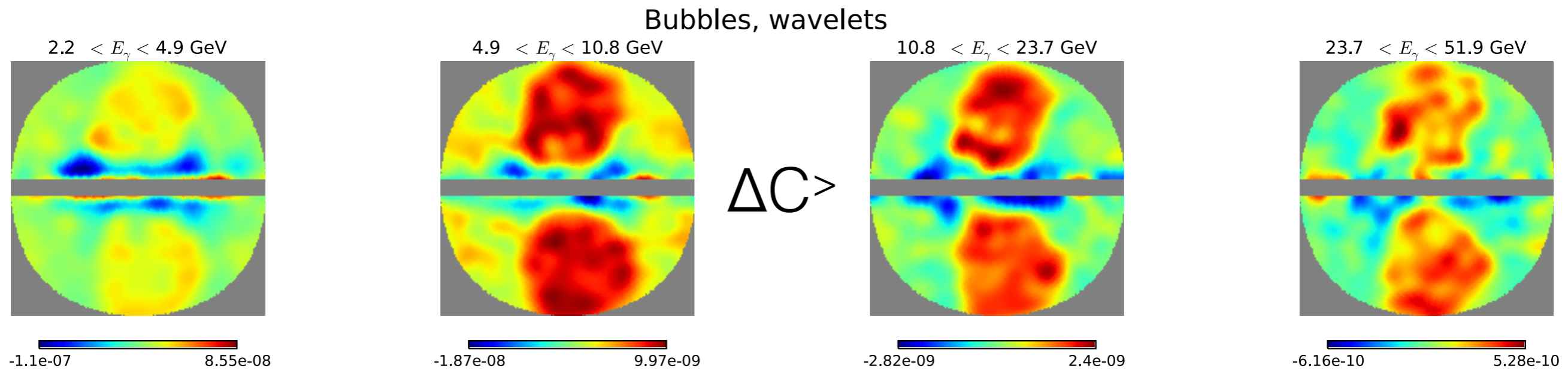


30% as bright is much harder to see

DM vs. Point Sources?



Cleaned Map, Bubbles



What are wavelets?

Allow analysis sensitive to both position and size



different structures have “power” at different levels of the decomposition (edges = sharp variation, important first; larger scale objects = broader variation, important later)



wavelets find structures, and the GCE is a qualitatively new structure that we ought to learn more about

Conclusions

Galactic center gamma ray excess is exciting to follow, but still so much more to learn about it

Need some less-model-dependent information

Wavelets are a promising tool for learning about this data

Conclusions

Galactic center gamma ray excess is exciting to follow, but still so much more to learn about it

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Much more to do!

Thanks!