

Twin Dark Matter

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Outline

- Twin Higgs Mechanism Z.Chacko, H-S.Goh, R.Harnik (hep-ph/0506256)
 - how does it work?
 - why does it solve the little hierarchy problem?
- Fraternal Twin Higgs N. Craig et al. (hep-ph/1501.05310)
 - what is the minimal implementation of the Twin Higgs idea?
- Dark Matter
 - twin WIMPs IGG, RL, JMR (hep-ph/1505.07109)
 - twin asymmetric DM IGG, RL, JMR (hep-ph/1505.07410)
- Conclusions

Twin Higgs

(Higgs as PNgB of approximate $SU(4)$)

Necessary ingredients:

- (i) twin sector — copy of the SM
both matter and gauge interactions
 - $SU(3)' \times SU(2)' \times U(1)'$
 - H' (twin Higgs)
 - $t', b', \text{etc}\dots$
- (ii) \mathbb{Z}_2 symmetry between twin and SM sectors
makes couplings in both sectors equal
 - $g_i = g'_i$
 - $y_t = y'_t \text{ etc}\dots$
- (iii) Higgs quadratic term satisfies an accidental $SU(4)$ global symmetry due to \mathbb{Z}_2

the Higgs particle we have observed is realised as a Pseudo-Nambu-Goldstone boson of the approximate $SU(4)$

- Tree-level Higgs scalar potential (fully SU(4)-symmetric):

8 real dof

$\Phi = \begin{pmatrix} H \\ H' \end{pmatrix}$ transforms as fundamental of global SU(4)

$$V_{tree}(\Phi) = -m^2 \Phi^\dagger \Phi + \lambda (\Phi^\dagger \Phi)^2$$

$$= -m^2 (|H|^2 + |H'|^2) + \lambda (|H|^4 + |H'|^4 + 2|H|^2 |H'|^2)$$

SU(4)-invariant quartic

$$\Rightarrow \langle |\Phi|^2 \rangle = \langle |H|^2 \rangle + \langle |H'|^2 \rangle = \frac{m^2}{2\lambda} \equiv \left(\frac{f}{\sqrt{2}} \right)^2$$

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SU(4) \rightarrow SU(3)

(rather: $o(8) \rightarrow o(7)$)



7 Goldstone bosons

3 eaten by SU(2)

3 eaten by SU(2)'

1 left: the Higgs we've seen

2 uneaten scalars:

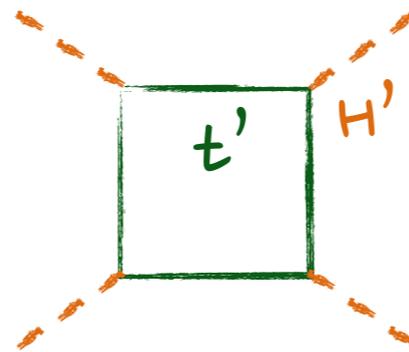
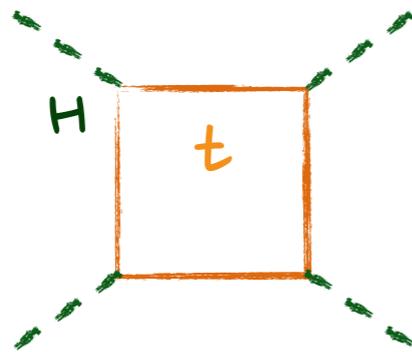
- Goldstone

$$\hat{m}^2 = 0$$

- 'Normal'

$$\hat{M}^2 = 2\lambda f^2$$

- SU(4)-breaking quartic (generated at 1-loop):



Yukawa and gauge interactions break SU(4)

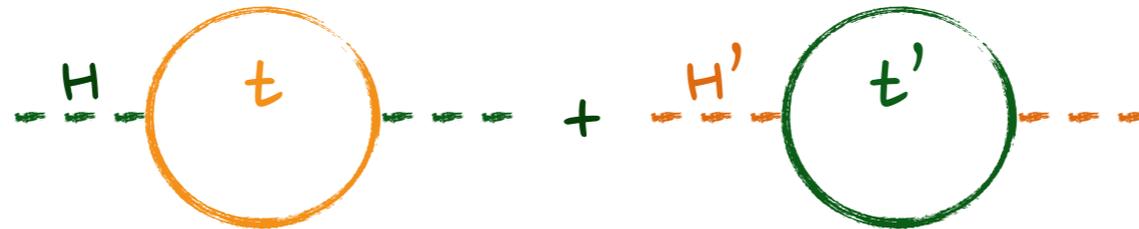
$$V(H, H') = V_{tree}(\Phi) + \delta(|H|^4 + |H'|^4)$$

SU(4)-breaking quartic

small mass for the pseudo-Goldstone

$$\Rightarrow \langle |H|^2 \rangle = \langle |H'|^2 \rangle \approx \frac{1}{2} \left(\frac{f}{\sqrt{2}} \right)^2 \quad \left\{ \begin{array}{l} \hat{m}^2 = \delta f^2 \\ \hat{M}^2 = 2\lambda f^2 \end{array} \right.$$

But, crucially:



$$\Rightarrow \delta V \sim -\frac{3y_t^2}{16\pi^2} \Lambda^2 |H|^2 - \frac{3y_t'^2}{16\pi^2} \Lambda^2 |H'|^2 = -\frac{3y_t^2}{16\pi^2} \Lambda^2 \underbrace{(|H|^2 + |H'|^2)}_{|\Phi|^2}$$

Sensitivity of the quadratic term in the potential to the cutoff scale is $SU(4)$ -symmetric!

- Radiative corrections to the quadratic piece don't affect the mass of the pseudo-Goldstone
- The vev f gets pulled up: cutoff $\sim 5-10$ TeV

But, crucially:

Partners of SM particles
(twins) that stabilise the
weak scale are not charged
under SM group



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Neutral Naturalness!

$|\Phi|^2$

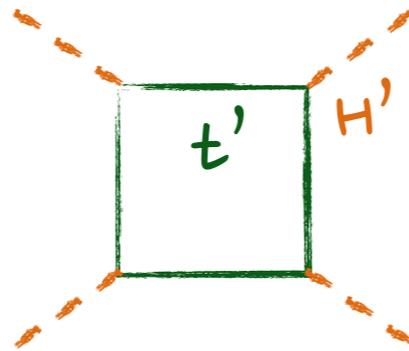
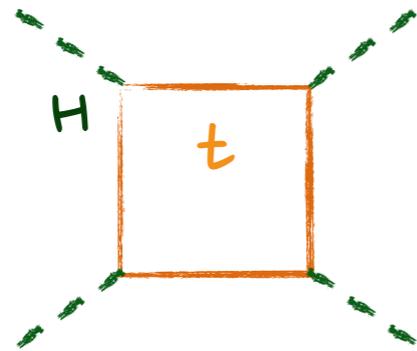
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TOP partner not coloured
- very much unlike SUSY

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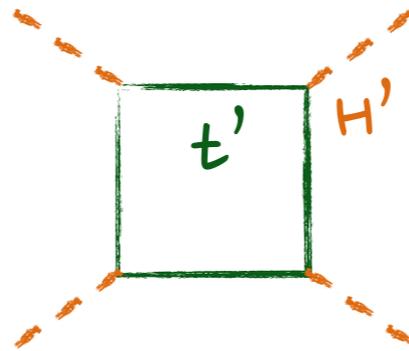
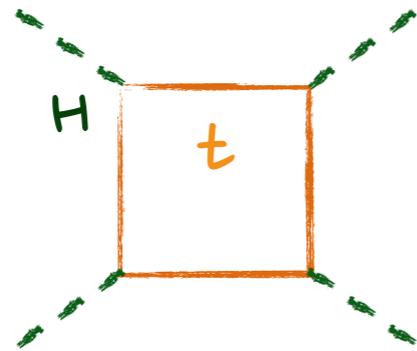
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$$\hat{h} = (h - h')/\sqrt{2}$$

$$\hat{H} = (h + h')/\sqrt{2}$$

This is experimentally ruled out.
The Higgs we have observed doesn't have $\text{BR}(\hat{h} \rightarrow \text{invisible}) = 50\%$

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Z₂ must be broken to allow for different vev's

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The Higgs we have observed doesn't have BR($\hat{h} \rightarrow$ invisible) = 50%

- \mathbb{Z}_2 symmetry must be broken (we will be agnostic about breaking mechanism):

$$V(H, H') = V_{tree}(\Phi) + \delta(|H|^4 + |H'|^4) + \mu^2 |H|^2$$

\mathbb{Z}_2 breaking term

$$\Rightarrow \langle |H|^2 \rangle + \langle |H'|^2 \rangle \approx \left(\frac{f}{\sqrt{2}} \right)^2$$

$$\left\{ \begin{array}{l} \langle |H|^2 \rangle \approx \frac{1}{2} \left(\frac{f}{\sqrt{2}} \right)^2 - \frac{\mu^2}{4\delta} \equiv \left(\frac{v}{\sqrt{2}} \right)^2 \\ \langle |H'|^2 \rangle \approx \frac{1}{2} \left(\frac{f}{\sqrt{2}} \right)^2 + \frac{\mu^2}{4\delta} \equiv \left(\frac{f}{\sqrt{2}} \right)^2 - \left(\frac{v}{\sqrt{2}} \right)^2 \end{array} \right.$$

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$$\langle |H'|^2 \rangle \approx \frac{1}{2} \left(\frac{f}{\sqrt{2}} \right)^2 + \frac{\mu^2}{4\delta} \equiv \left(\frac{f}{\sqrt{2}} \right)^2 - \left(\frac{v}{\sqrt{2}} \right)^2$$

This is where the tuning in the Twin Higgs mechanism arises: need to tune size of \mathbb{Z}_2 breaking term to get right vev!

Tuning: $\Delta \sim \frac{2v^2}{f^2} \sim 20\% \text{ for } f/v = 3$

Mass eigenvalues and eigenstates are now given by

$$\left\{ \begin{array}{l} \hat{m}^2 = 4\delta v^2 \\ \hat{M}^2 = 2\lambda f^2 \end{array} \right. \quad \begin{array}{l} \hat{h} = \cos\left(\frac{v}{f}\right) h - \sin\left(\frac{v}{f}\right) h' \\ \hat{H} = \cos\left(\frac{v}{f}\right) h' + \sin\left(\frac{v}{f}\right) h \end{array}$$

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couplings to visible sector modified by a factor $\cos\left(\frac{v}{f}\right)$

couplings to twin sector suppressed by a factor $\sin\left(\frac{v}{f}\right)$

Two very important features of Twin Higgs models:

- Higgs portal
 - Interactions between visible and twin sector only through the Higgs
- Collider signatures
 - Twins not produced very much at LHC - they are SM neutral!
 - Higgs coupling measurements should deviate from SM prediction
 - Non-zero Higgs invisible width

Fraternal Twin Higgs

N. Craig et al.
(hep-ph/1501.05310)

(Minimal implementation of Twin Higgs mechanism)

Minimum necessary ingredients:

(i) twin $SU(2)$ with twin H' in the fundamental

(at the heart of the Twin Higgs mechanism)

(ii) partial twin 3rd generation

Q', t'_R
 b'_R, L' (anomaly cancellation)
RH leptons optional

(iii) couplings in the two sectors similar to a high degree

\Rightarrow (iv) twin $SU(3)$ gauge group.

so that running of
top Yukawas is similar

- How similar do the couplings need to be?

(e.g. for a 5 TeV cutoff)

- Top Yukawas:

$$\left| \frac{y'_t(\Lambda) - y_t(\Lambda)}{y_t(\Lambda)} \right| \lesssim 0.01$$

the two yukawas
must be equal
within 1% !

- SU(2) couplings:

$$\left| \frac{g'_2(\Lambda) - g_2(\Lambda)}{g_2(\Lambda)} \right| \lesssim 0.1$$

- SU(3) couplings (feeds into running of y_t):

$$\left| \frac{g'_3(\Lambda) - g_3(\Lambda)}{g_3(\Lambda)} \right| \lesssim 0.15$$

- other Yukawa couplings allowed to differ from SM
(as long as $y_{b'}, y_{\tau'}, y_{\nu'} \ll y_{t'} \approx 1$).

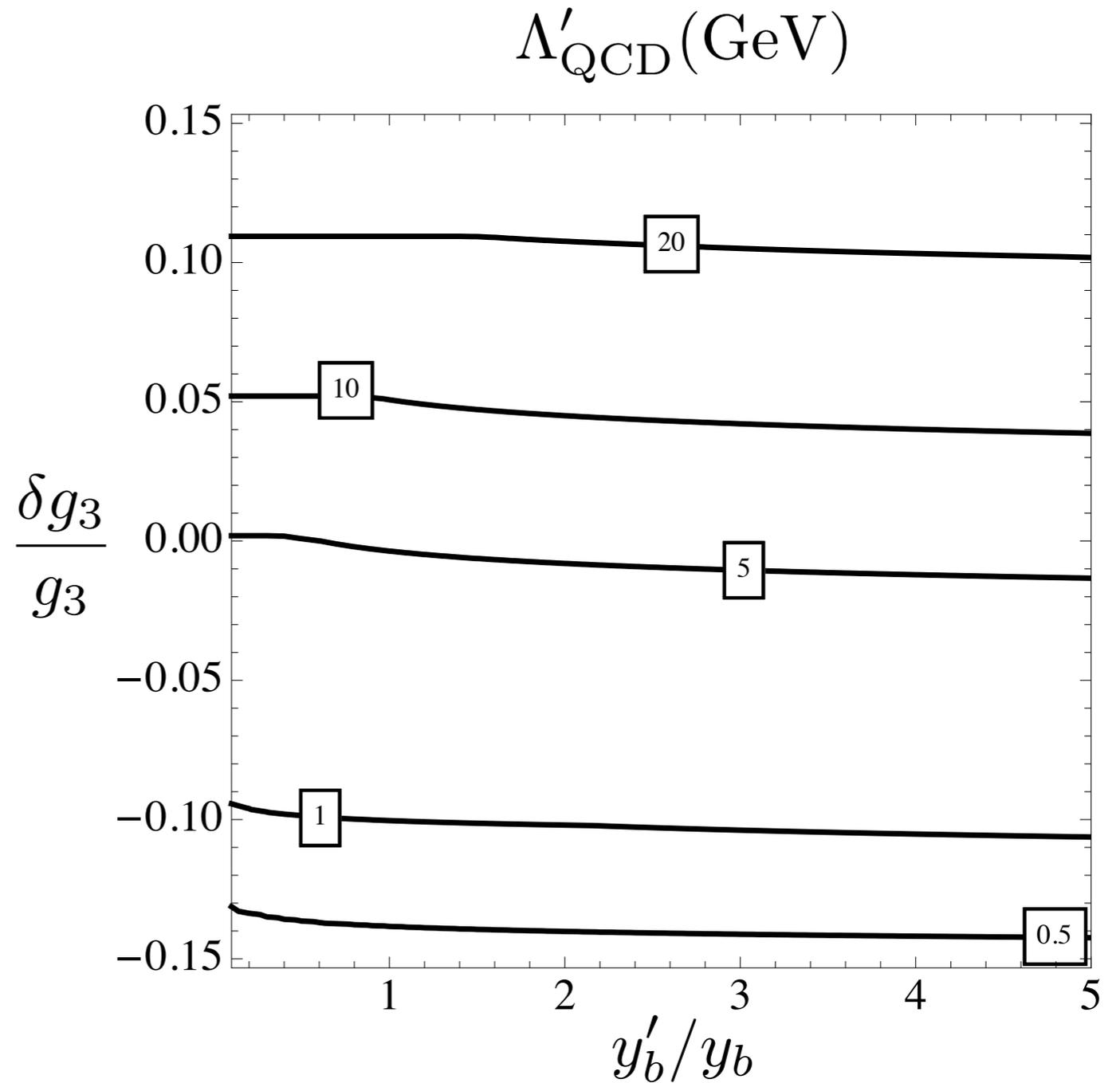
- Twin SU(3)

- less twin quarks
 $\Rightarrow g'_3$ coupling runs
 quicker to large
 values in the IR.

Twin SU(3) confinement
 scale Λ'_{QCD} is bigger!

- no light pions in
 the twin sector
 (regardless of $m_{b'}$):
 there is only one
 generation of quarks.

No flavour symmetry is
 recovered in the limit $m_{b'} \rightarrow 0$!



(for $\Lambda = 5 \text{ TeV}$, $\frac{f}{v} = 3$)

- Collider signatures/constraints:

- twins not very produced at LHC
- deviations from Higgs coupling measurements.

$$\Rightarrow f/v \gtrsim 3$$

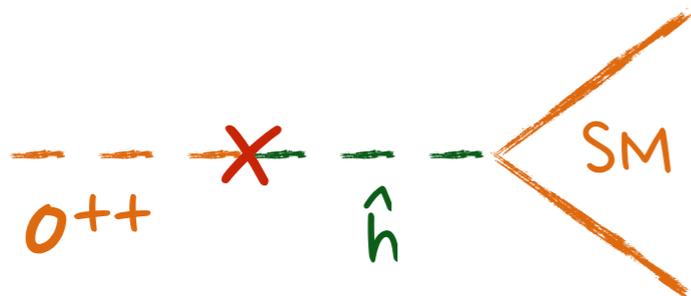
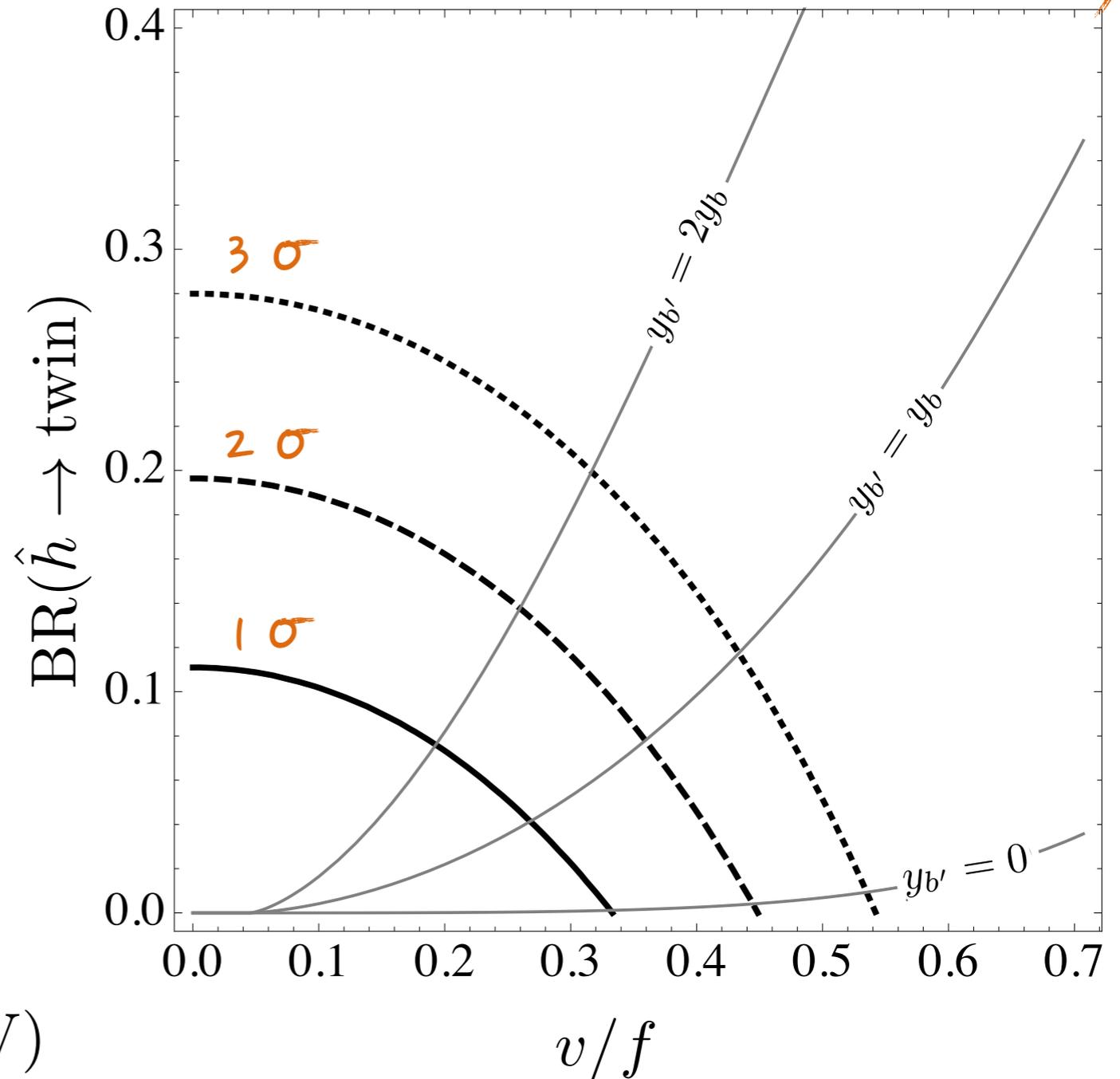
- Higgs invisible width.

constrains twin Yukawas

(other than y'_t)

- Twin glueball/quarkonium

(for $m_0 \lesssim 40$ GeV, $\Lambda'_{\text{QCD}} \lesssim 6$ GeV)



$$\tau_{0^{++}} \approx 10 \text{ cm} \left(\frac{21 \text{ GeV}}{m_0} \right)^7 \left(\frac{f/v}{3} \right)^4$$

Twin WIMPs

IGG, RL, JMR (hep-ph/1505.07109)

(most natural DM candidates in a Fraternal Twin Higgs scenario)

Simplest possibility:

- First, we assume no asymmetry in the twin sector
 final abundance determined purely by annihilation cross section
- Heavy quark limit ($m_{b'} \gg \Lambda'_{\text{QCD}}$), naturally the case for $y_{b'} \approx y_b$ and $f/v \gtrsim 3$ ($\Rightarrow m_{b'} \gtrsim 15$ GeV)
- Symmetries $\begin{cases} \text{global: } U(1)_{B'}, U(1)_{L'}, U(1)_{Q'} \\ \text{discrete: } C', P' \text{ broken; } CP' \text{ may be conserved.} \end{cases}$


focus on this case, but interesting things can potentially occur if CP' is broken

- Natural Dark Matter candidates:

- Lepton sector:

τ', ν' (assume $m_{\nu'} \lesssim m_{\tau'}$ for simplicity)

Since $m_{W'} = g'_2 f / 2 \gtrsim 240$ GeV, both twin leptons are naturally stable

automatic DM candidates

We take

$$\begin{cases} m_{\tau'} \gtrsim m_h/2 \\ m_{\nu'} \gtrsim m_h/2 \end{cases} \begin{array}{l} \text{evades Higgs invisible width constraints} \\ \text{or massless.} \end{array}$$

N_{eff} within bounds

- Natural Dark Matter candidates:

- Strong sector:

Twin baryon $\Delta' \sim b'b'b'$ is the lightest state with $B' \neq 0$ but $\bar{b}'b'$ annihilation to twin gluons is very efficient

$\Rightarrow \Delta'$ irrelevant as DM candidate unless $m_{b'} \gtrsim 1$ TeV.

very bad level of tuning - 
worse than 0.5 %

Very interesting glueball sector: lightest glueball is scalar.

 plays a big role in indirect detection

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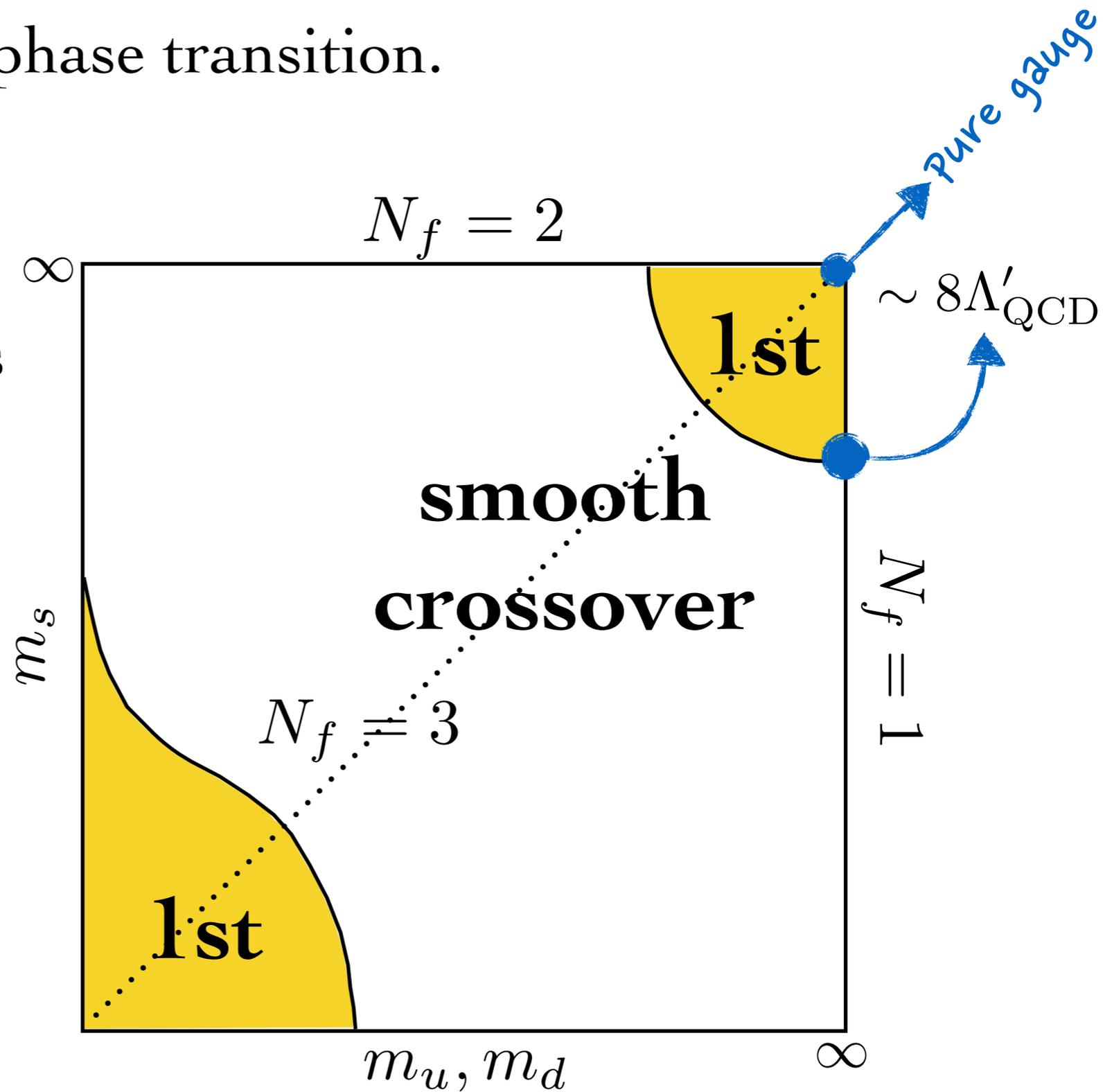
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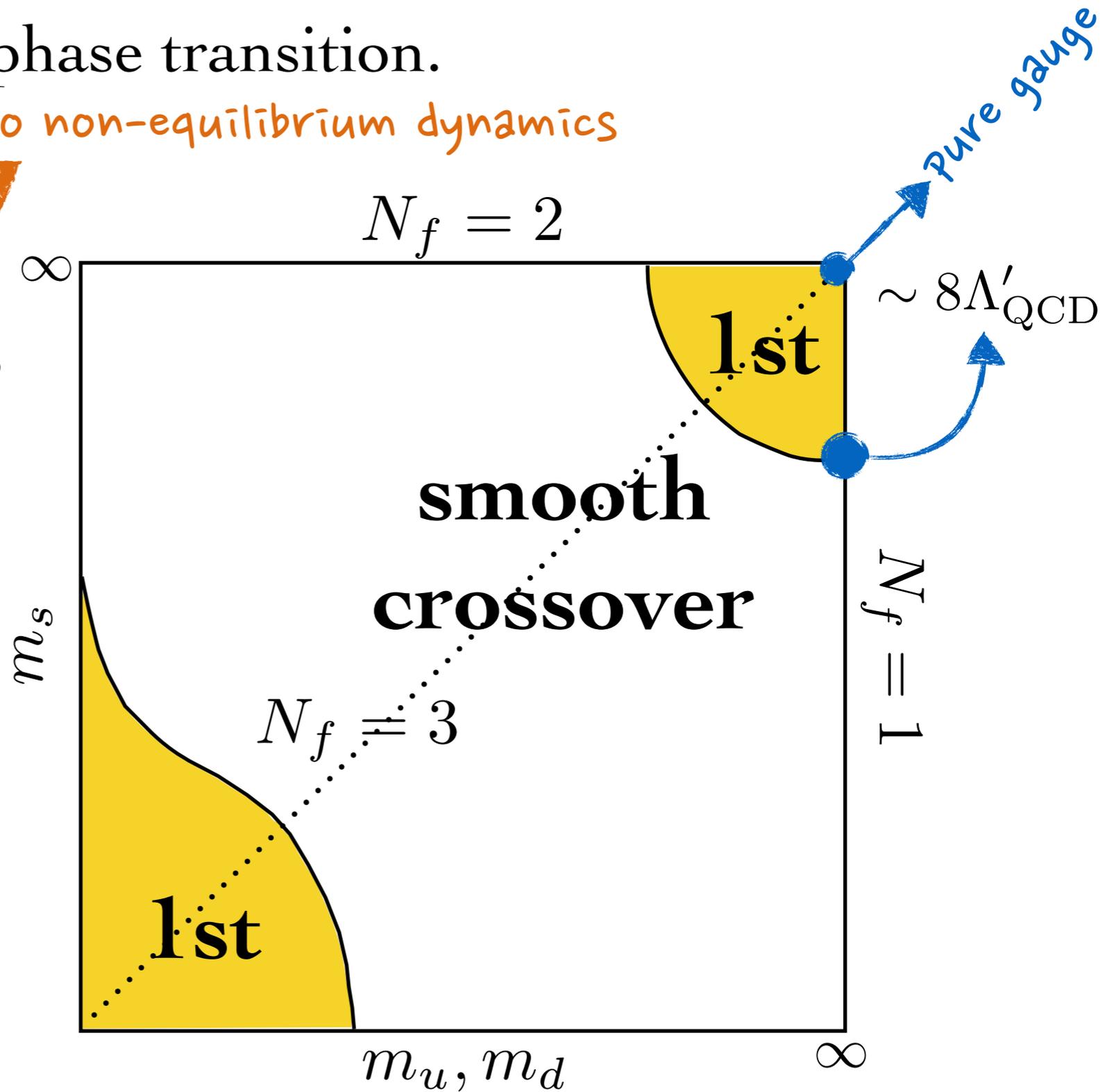
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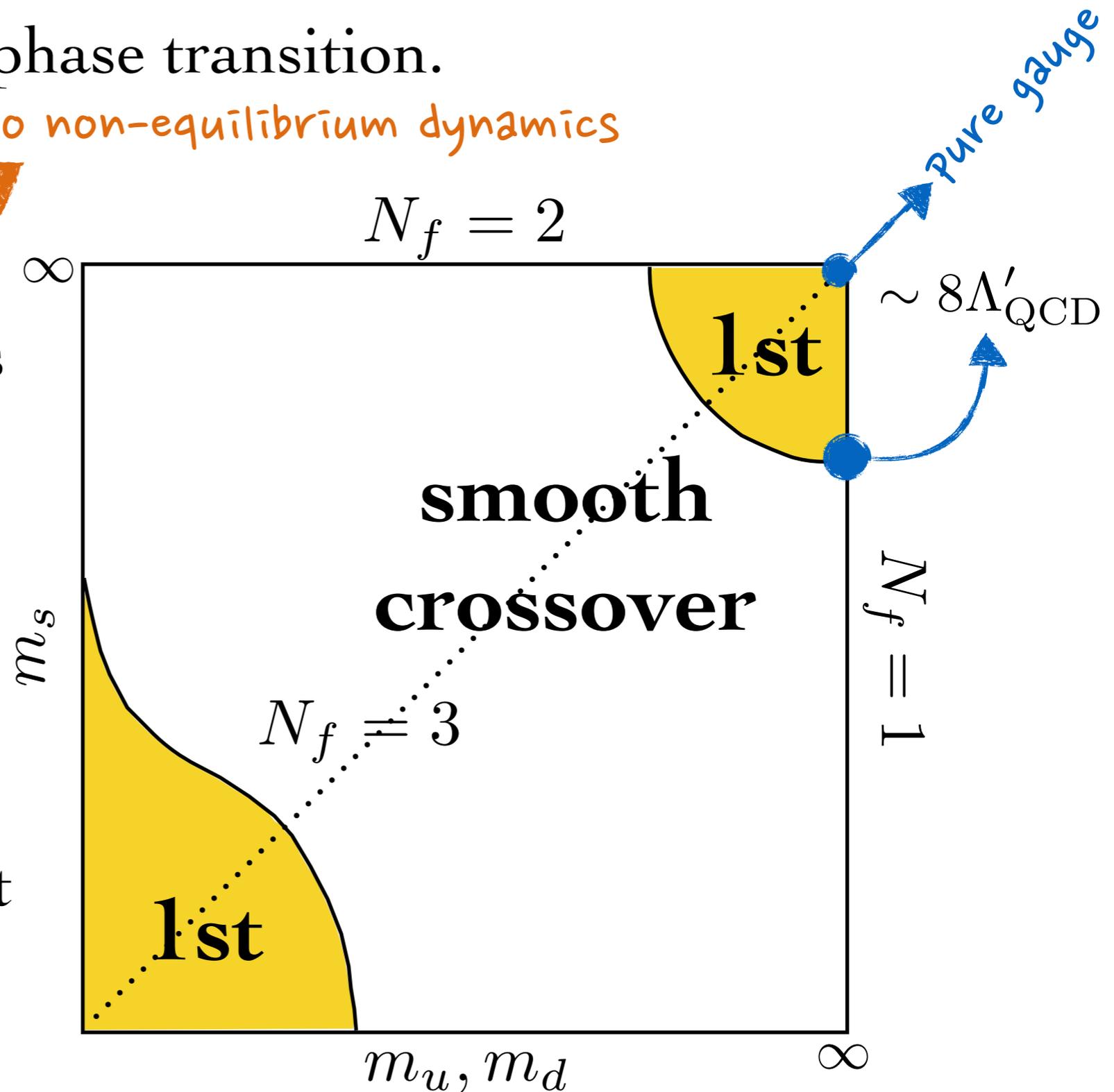


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- even if we go above
 $\sim 8\Lambda'_{\text{QCD}}$, the phase
transition is *weakly* 1st
order, with negligible
entropy production



- why *weakly* first order?

Consider pure SU(3) phase transition. Most recent & detailed lattice studies tell us following facts

$$T_c \simeq 1.26 \Lambda_{QCD}^{\overline{MS}}$$

'formal' T_c (equal free energy densities of confined and plasma phases)

$$\sigma \simeq 0.0155 T_c^3$$

bubble wall surface tension (small)

$$\rho_L \simeq 1.4 T_c^4$$

latent heat

We care about amount of supercooling of actual transition in expanding universe

$$T_{nuc} = (1 - \delta) T_c$$

A bubble of the confined phase can expand if the pressure difference ΔP between phases overcomes surface tension

$$\Delta P = P_{conf}(T) - P_{plasma}(T) \simeq -\delta T_c (s_{conf}(T_c) - s_{plasma}(T_c)) = \delta \rho_L$$

This happens for bubbles of size greater than critical

$$R_c = \frac{2\sigma}{\Delta P}$$

The free energy to temperature ratio of such a critical bubble is

$$\frac{\Delta F_c}{T} \simeq \frac{16\pi}{3} \frac{\sigma^3}{\rho_L^2 T_c} \delta^{-2} \simeq 3 \times 10^{-5} \delta^{-2}$$

Nucleation in an expanding universe happens when

$$\frac{\Delta F_c}{T} \leq \log \left(\frac{T^4}{H^4} \right) \longrightarrow \delta \geq \delta_{nuc} \simeq 4 \times 10^{-4}$$

Thus nucleation occurs after a very small amount of supercooling and nucleations quickly become very efficient [for $\delta \sim 10\delta_{nuc}$ have $\exp(-\Delta F_c/T) \sim \mathcal{O}(1)$]

But latent heat of nucleations *heats surrounding plasma back up to T_c* unless heat capacity of supercooled unconfined phase just below T_c *very* large (lattice studies indicate not, but relatively poorly determined)



Bubbles stop expanding apart from slow quasi-equilibrium growth with Hubble (phase separation dynamics with tiny gravity wave signals)

In any case the entropy production is bounded and *small*

$$10^{-7} \simeq \frac{\delta_{nuc}^2 \rho_L}{T_c^4} \leq \frac{\Delta s}{T_c^3} \leq \text{few} \times \frac{\delta_{nuc} \rho_L}{T_c^4} \simeq 10^{-3}$$

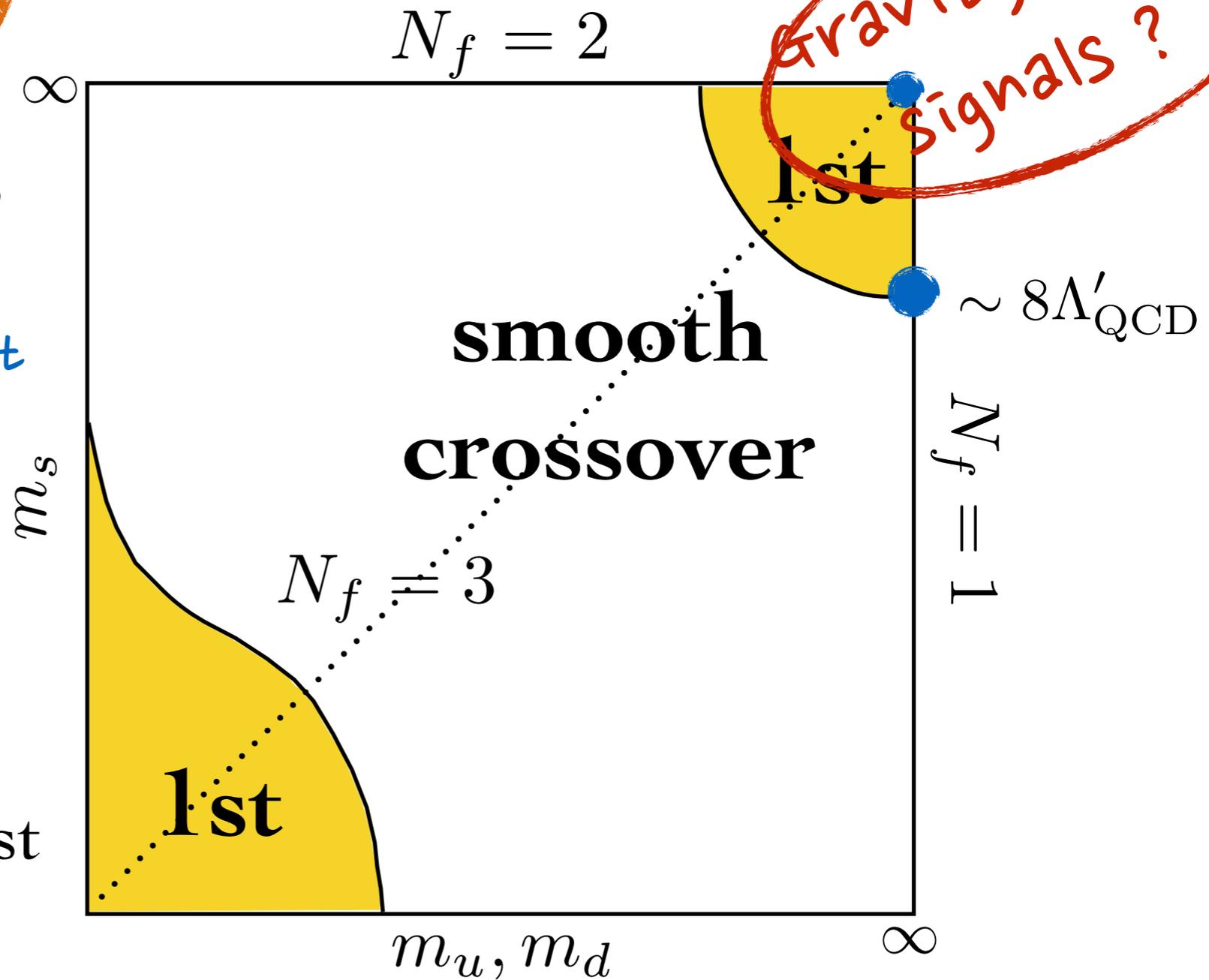
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 even in the heavy quark limit
 (we are typically
 in that regime)

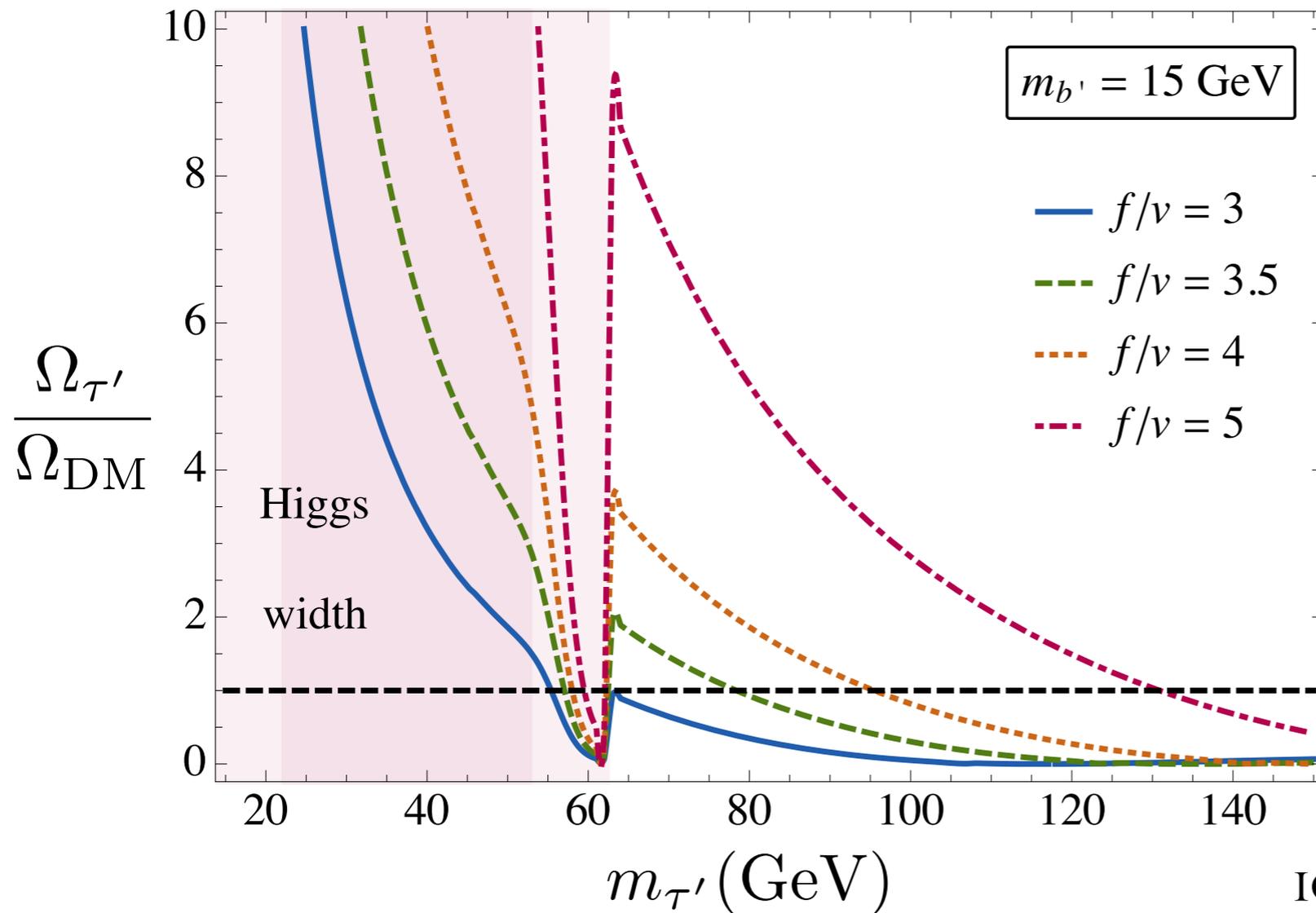
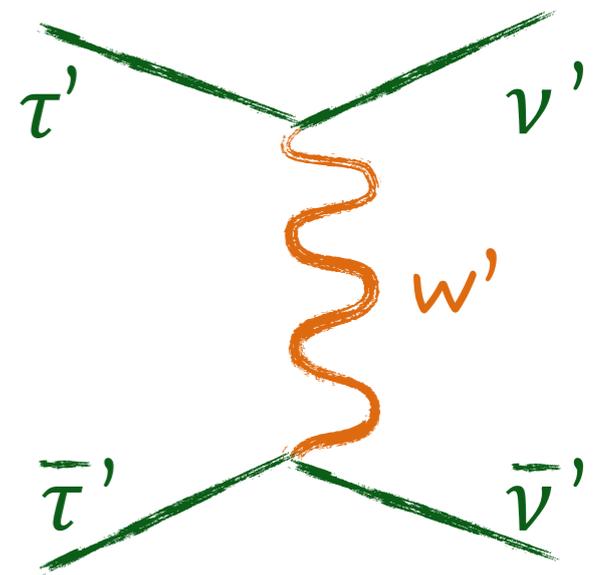
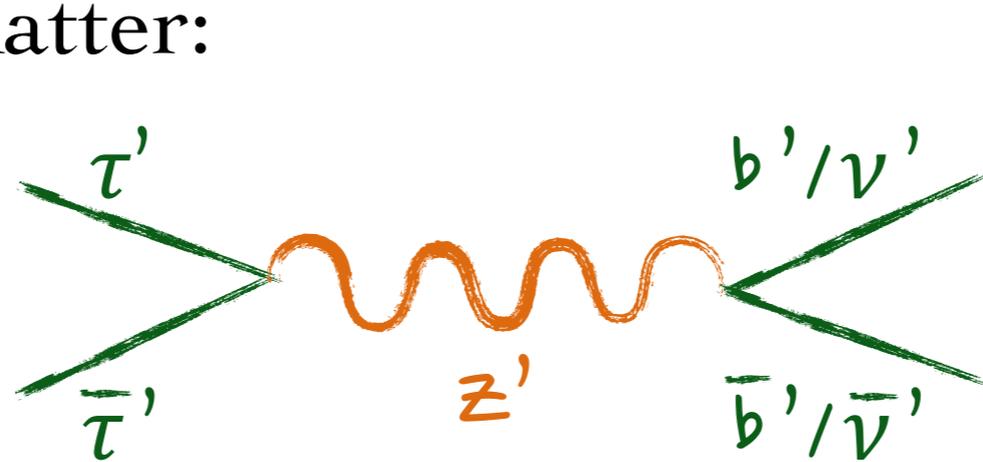
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no dilution of relics



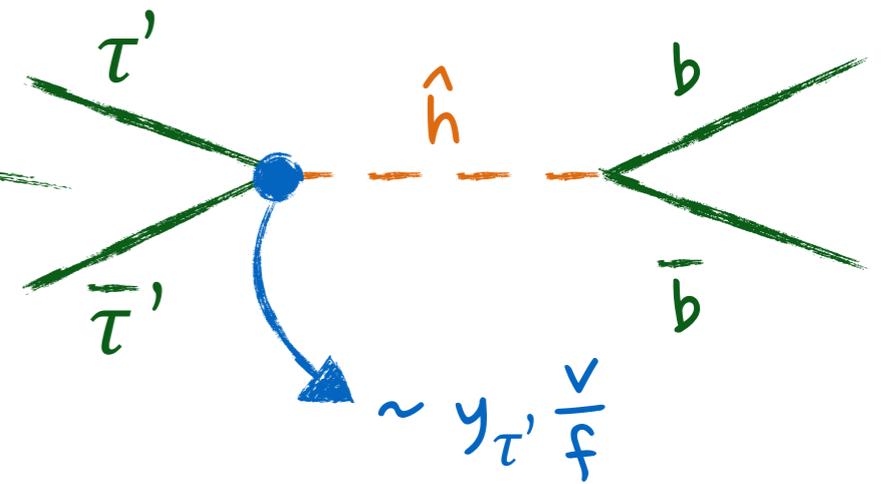
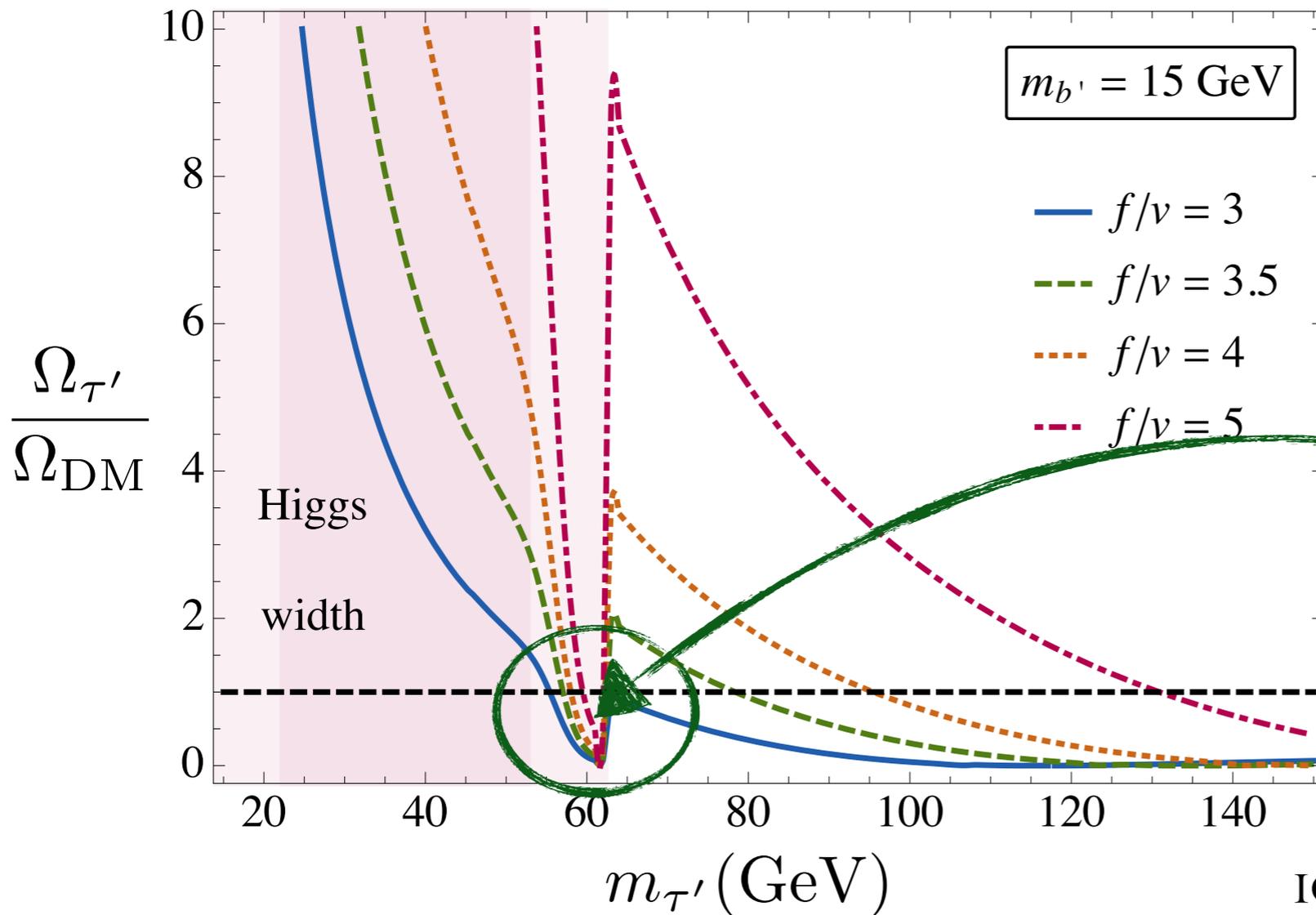
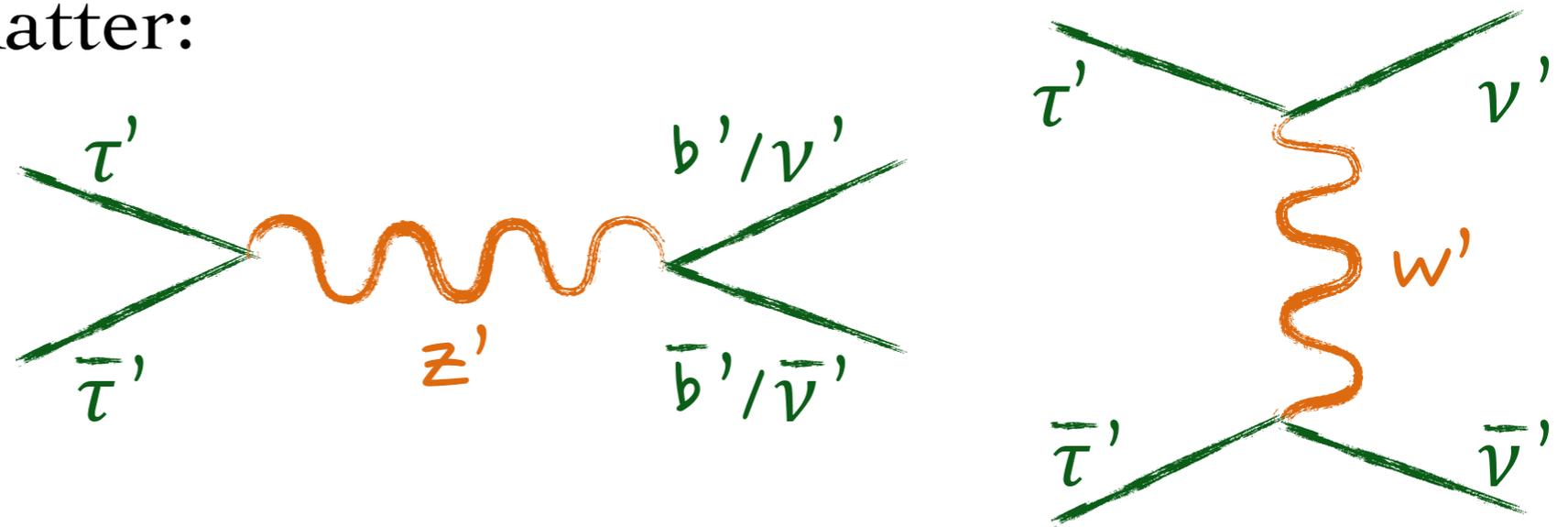
- Twin τ Dark Matter:

- Annihilation cross section:



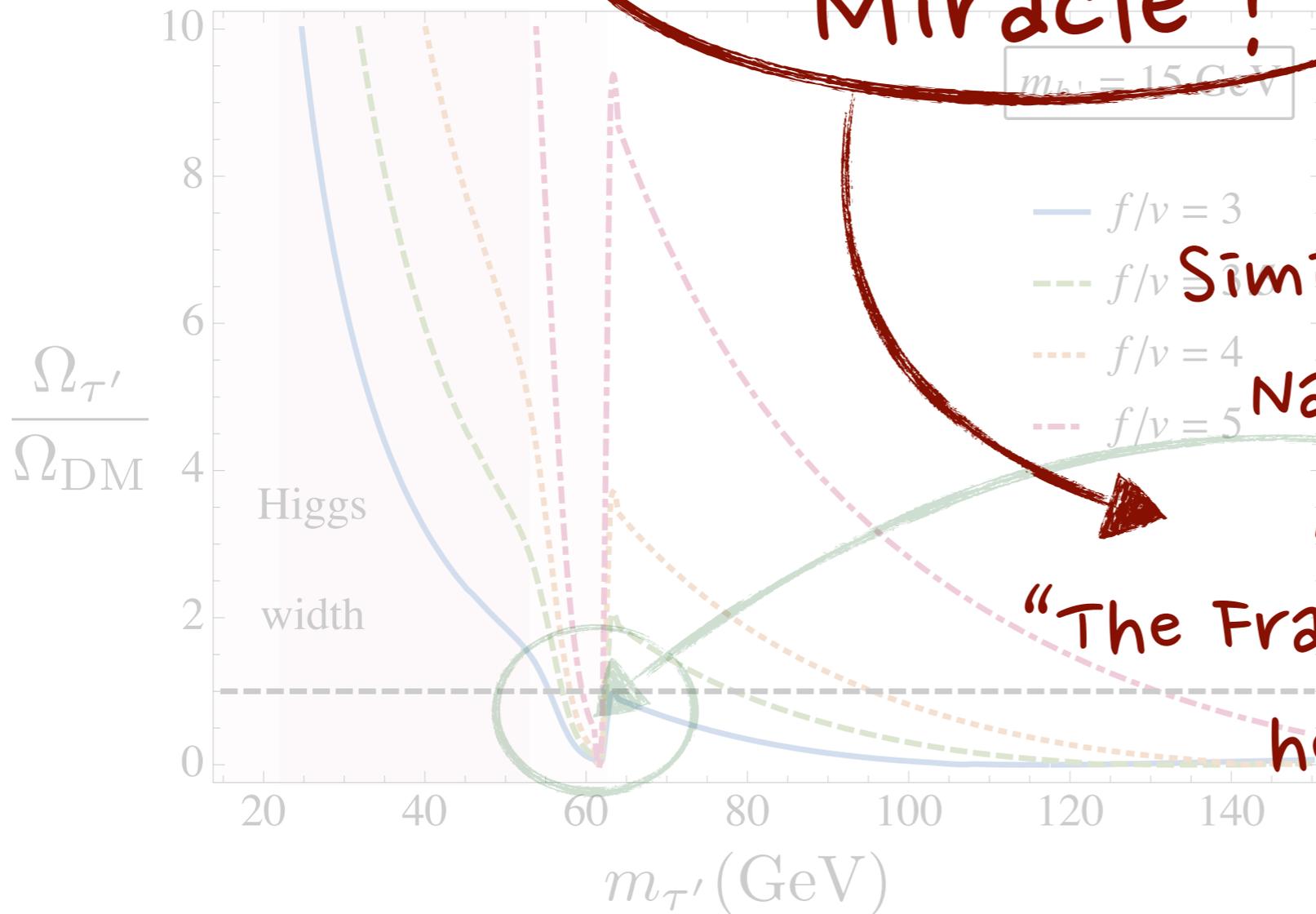
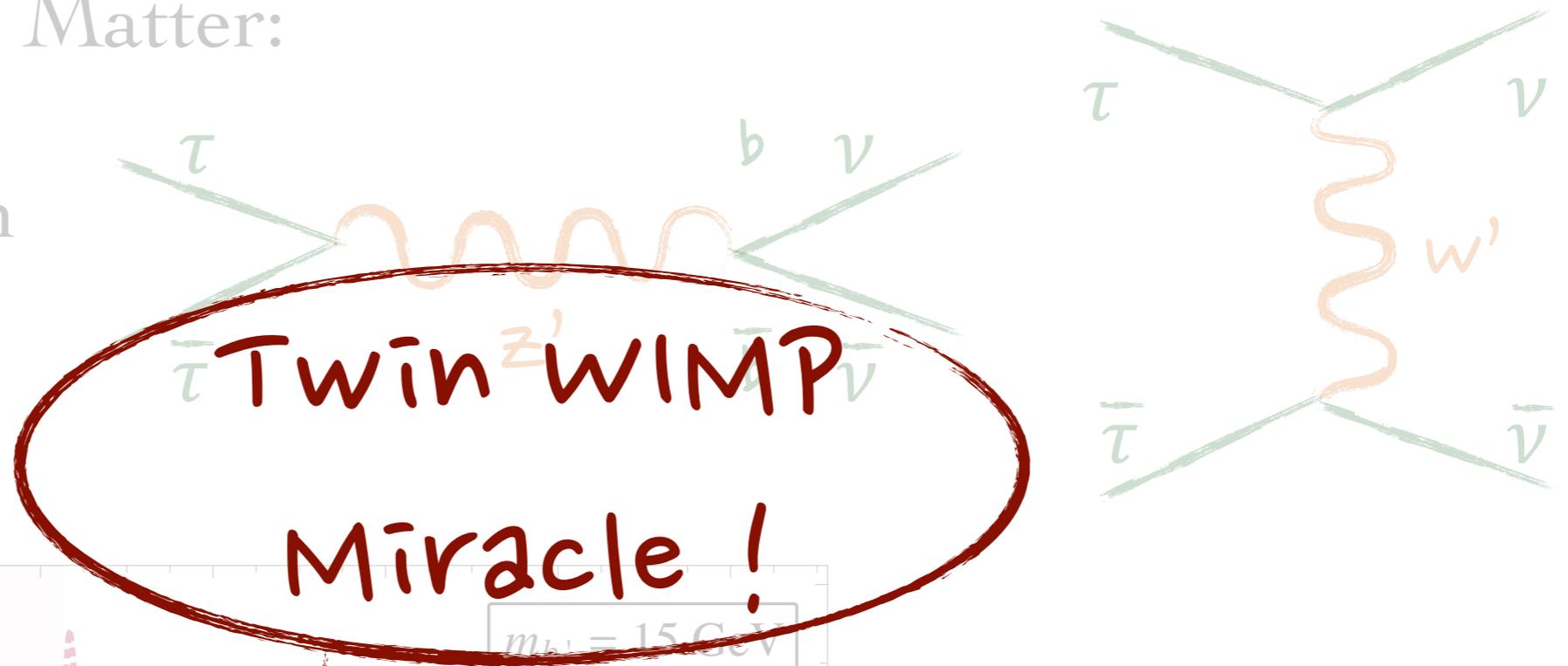
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Similar work done by

Nathaniel Craig &

Andrey Katz:

“The Fraternal WIMP Miracle”

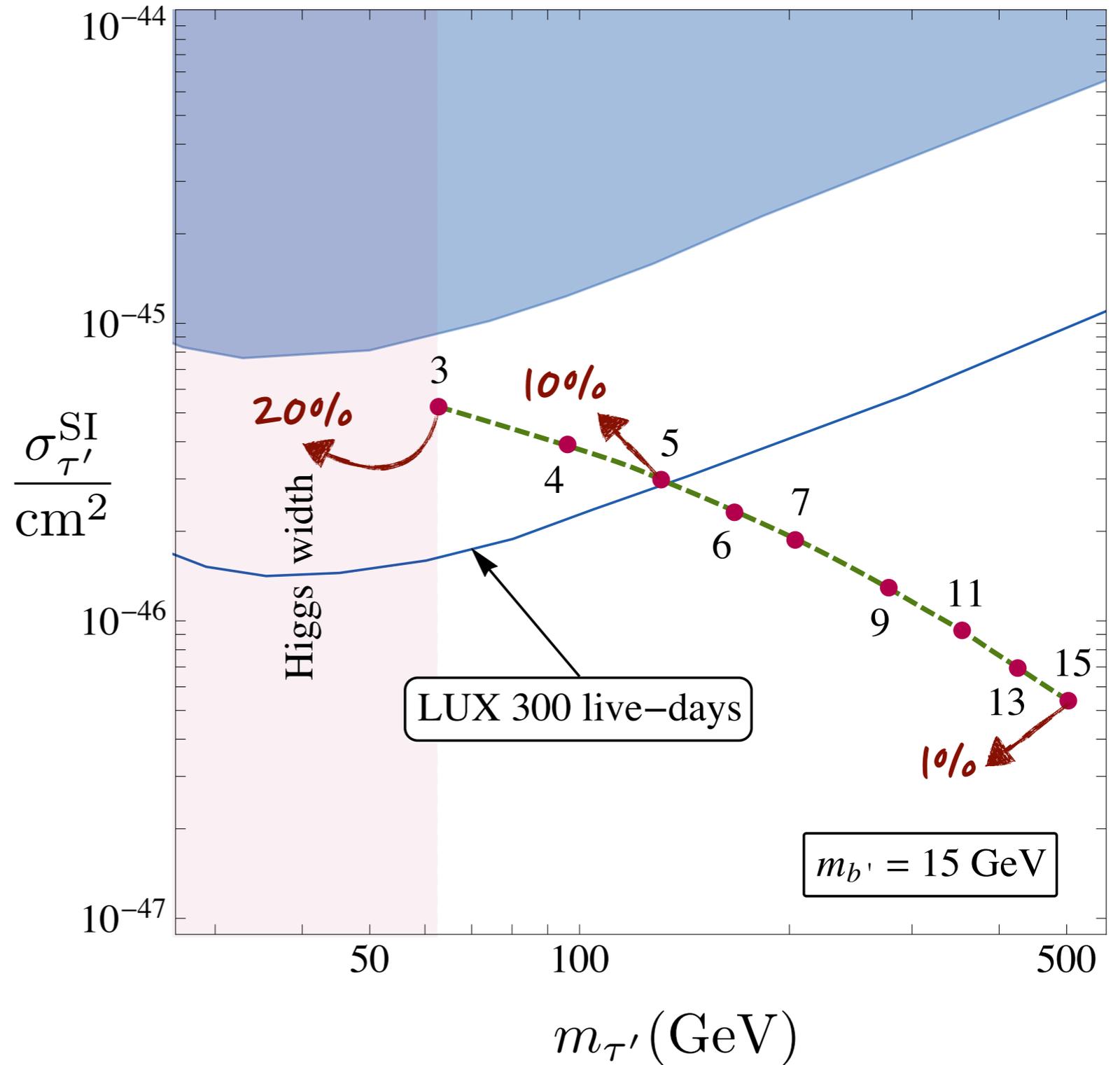
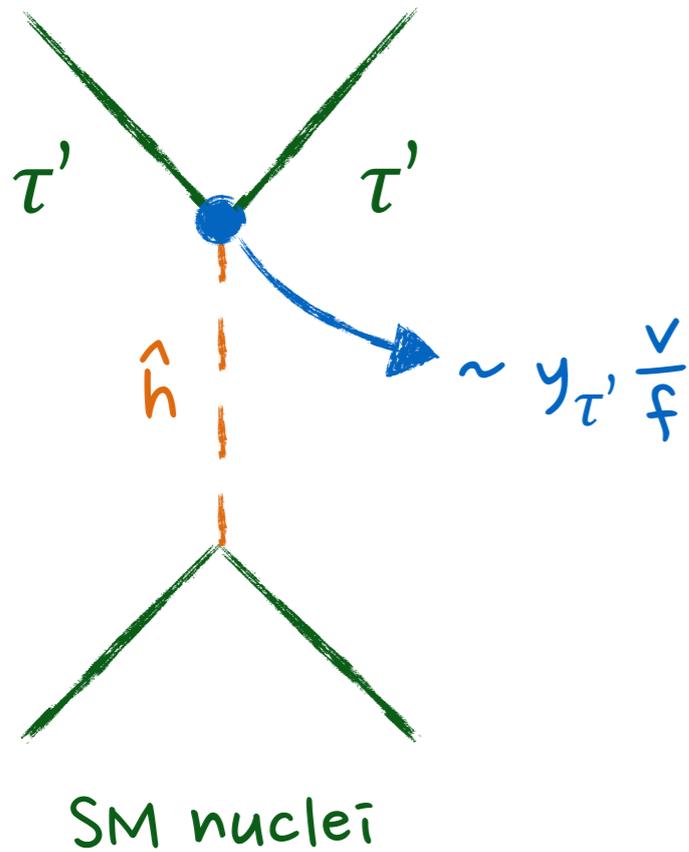
hep-ph/1505.07113



- Twin τ Dark Matter:

IGG, RL, JMR (hep-ph/1505.07109)

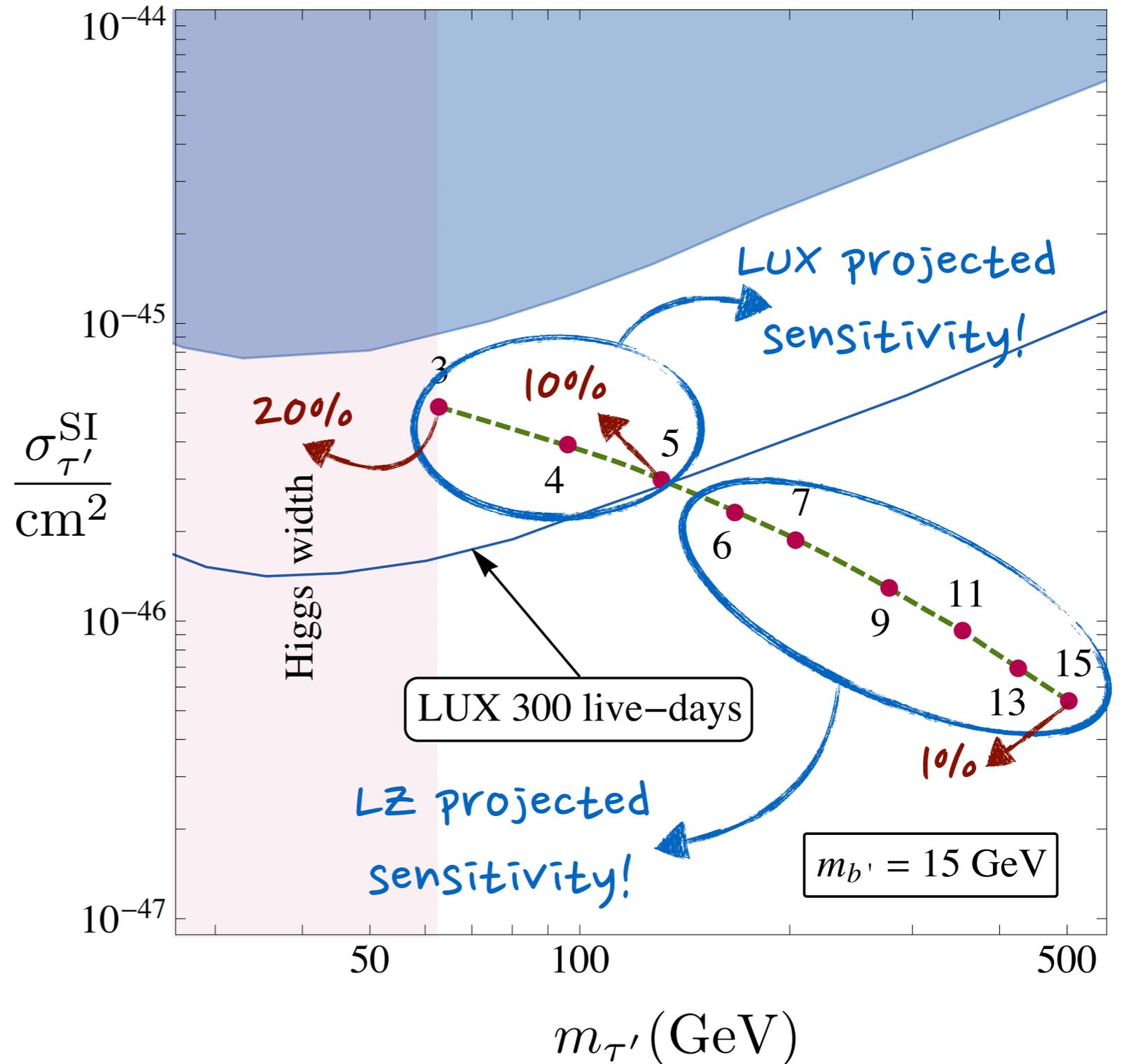
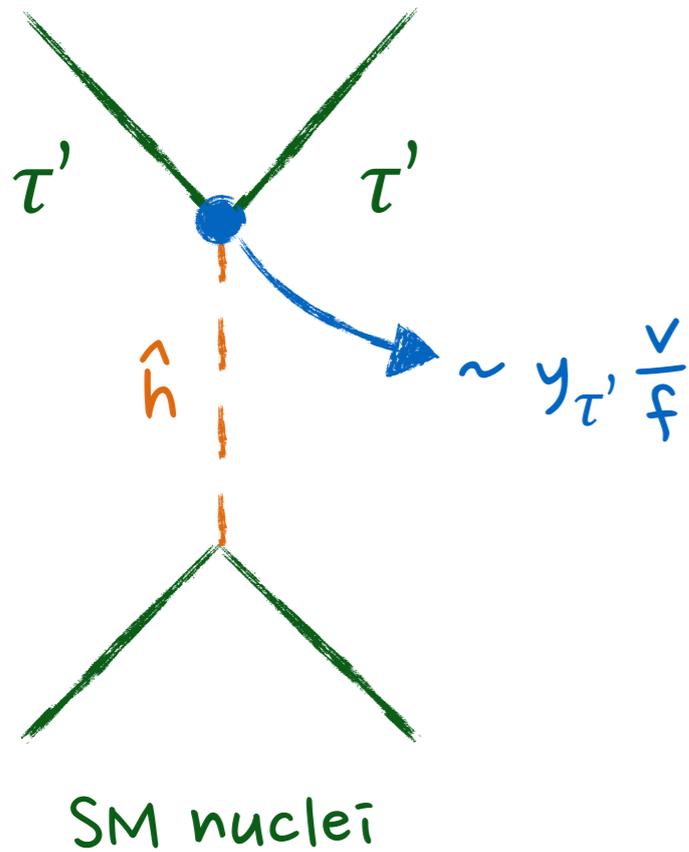
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- *Multicomponent* Dark Matter is a very natural possibility
 - if $m_{\nu'} \sim m_{\tau'} \Rightarrow \tau', \nu'$ DM
- 2-component DM scenario
very similar to
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(not very exciting...)

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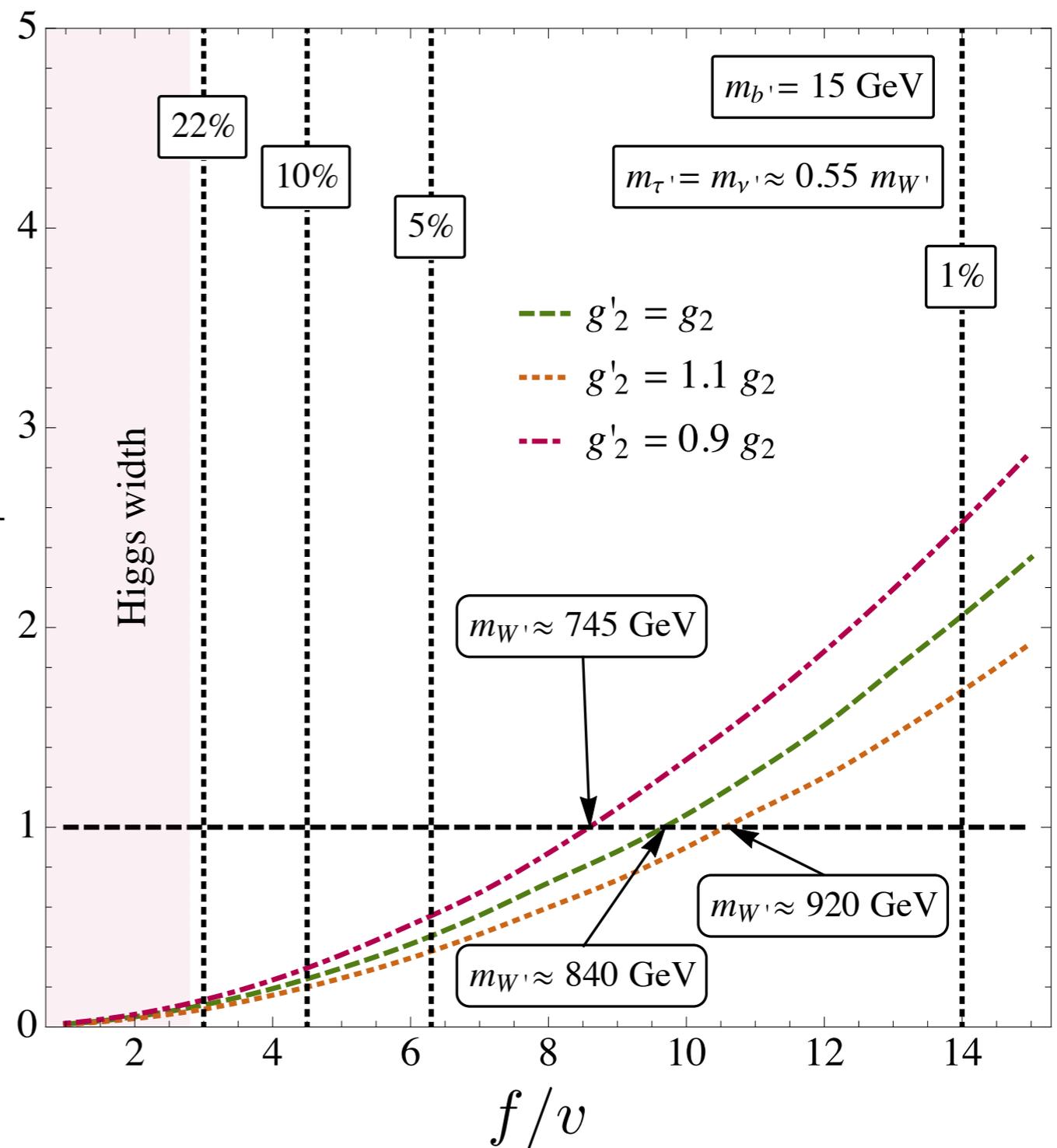
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- if $m_{\tau'} + m_{\nu'} \gtrsim m_{W'}$

$\Rightarrow \tau', \nu', W'^{\pm}$ DM

3-component scenario

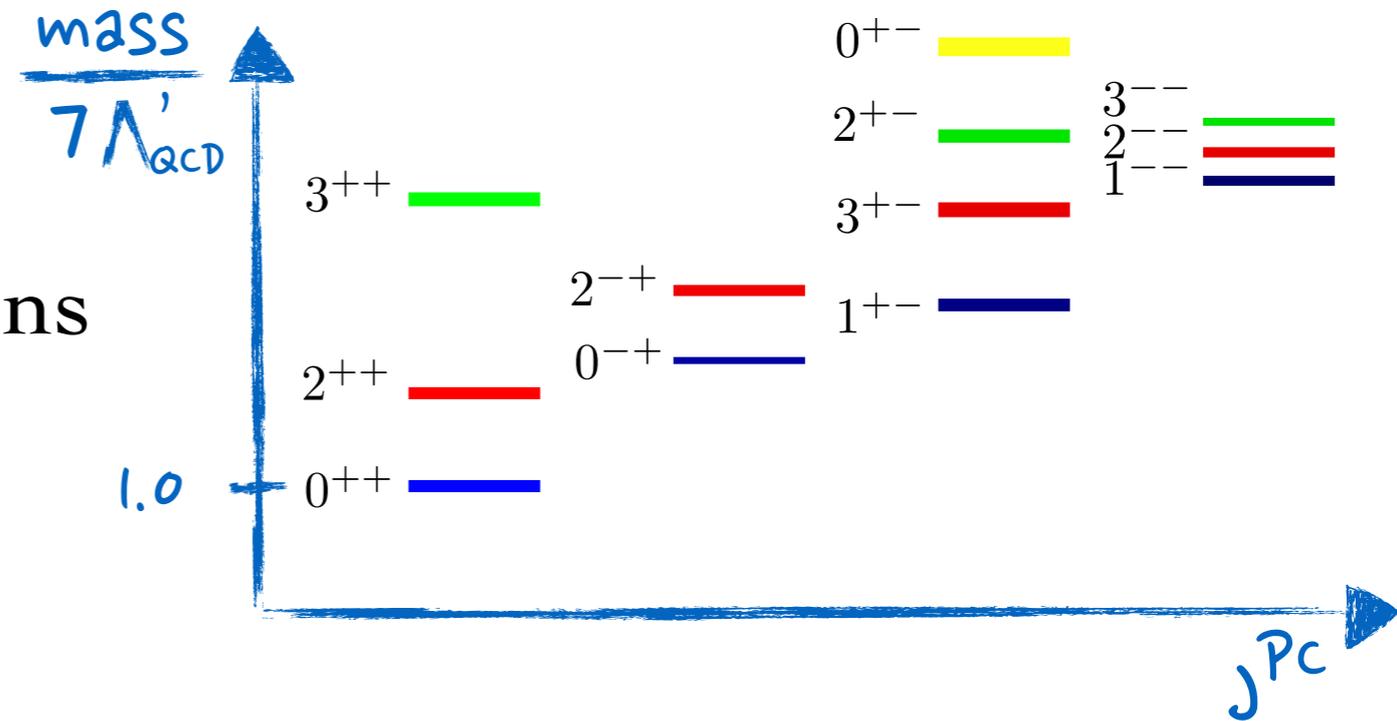
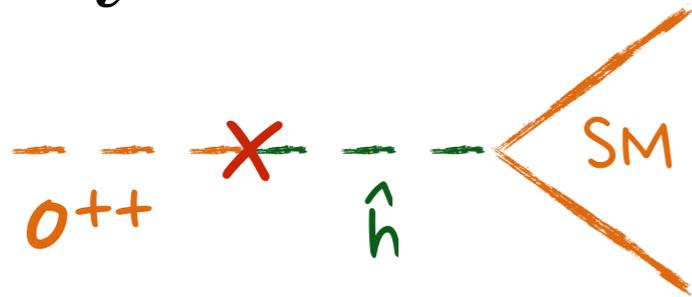
$$\frac{\Omega_{\text{total}}}{\Omega_{\text{DM}}}$$



Though tuning is bad...
 (large f/v needed)

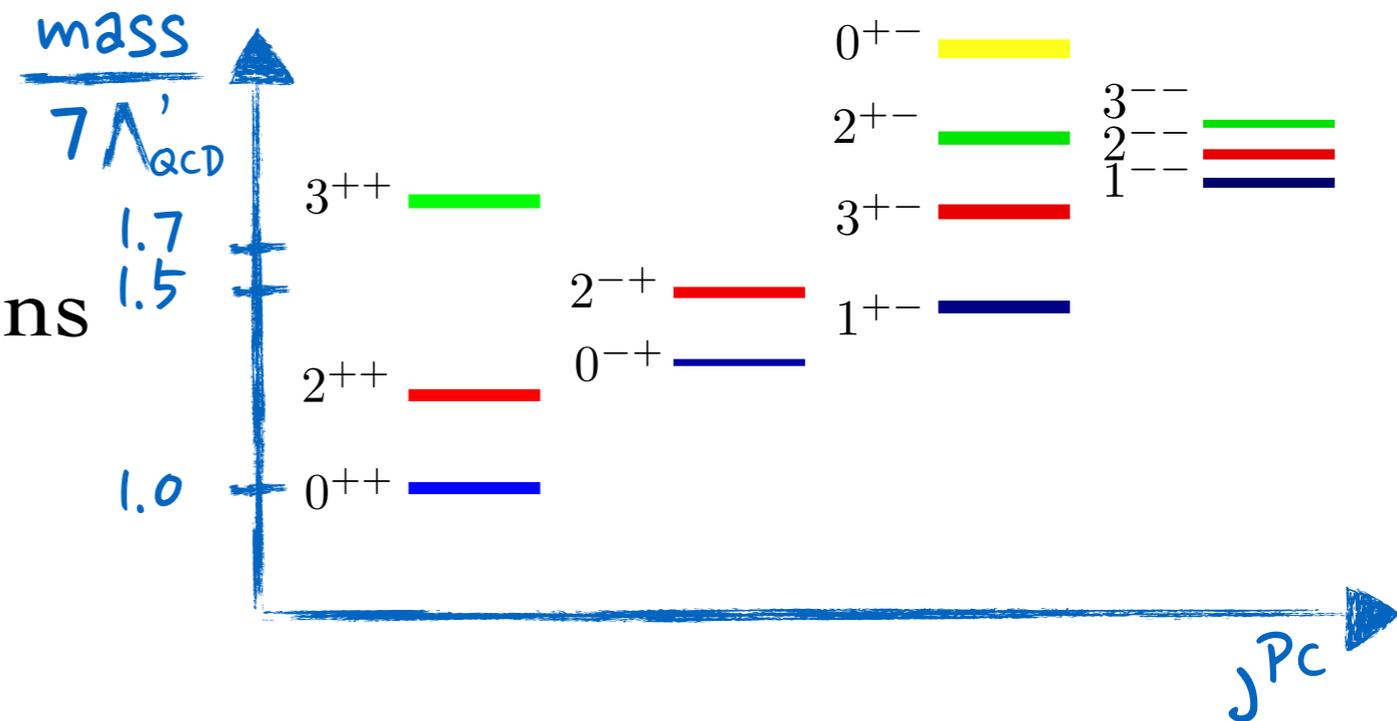
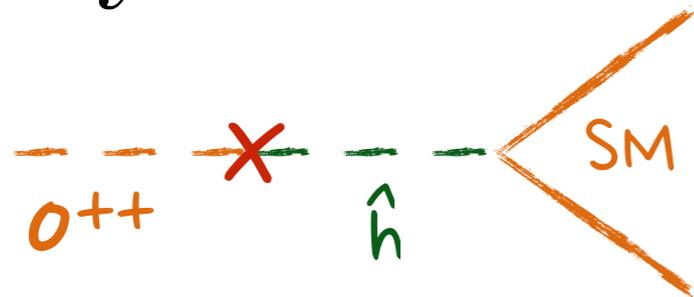
- Twin glueballs: in the heavy quark limit, lightest twin strong-sector states are glueballs.

- lightest twin glueball:
 If $0^{++} \rightarrow \bar{b}'b'$ not allowed kinematically, decay happens mostly to SM states.



- Twin glueballs: in the heavy quark limit, lightest twin strong-sector states are glueballs

- lightest twin glueball:
 If $0^{++} \rightarrow \bar{b}'b'$ not allowed kinematically, decay happens mostly to SM states



- if there are no light states in the twin sector, two other glueballs become interesting: 0^{-+} and 1^{+-}



potentially very long lived!

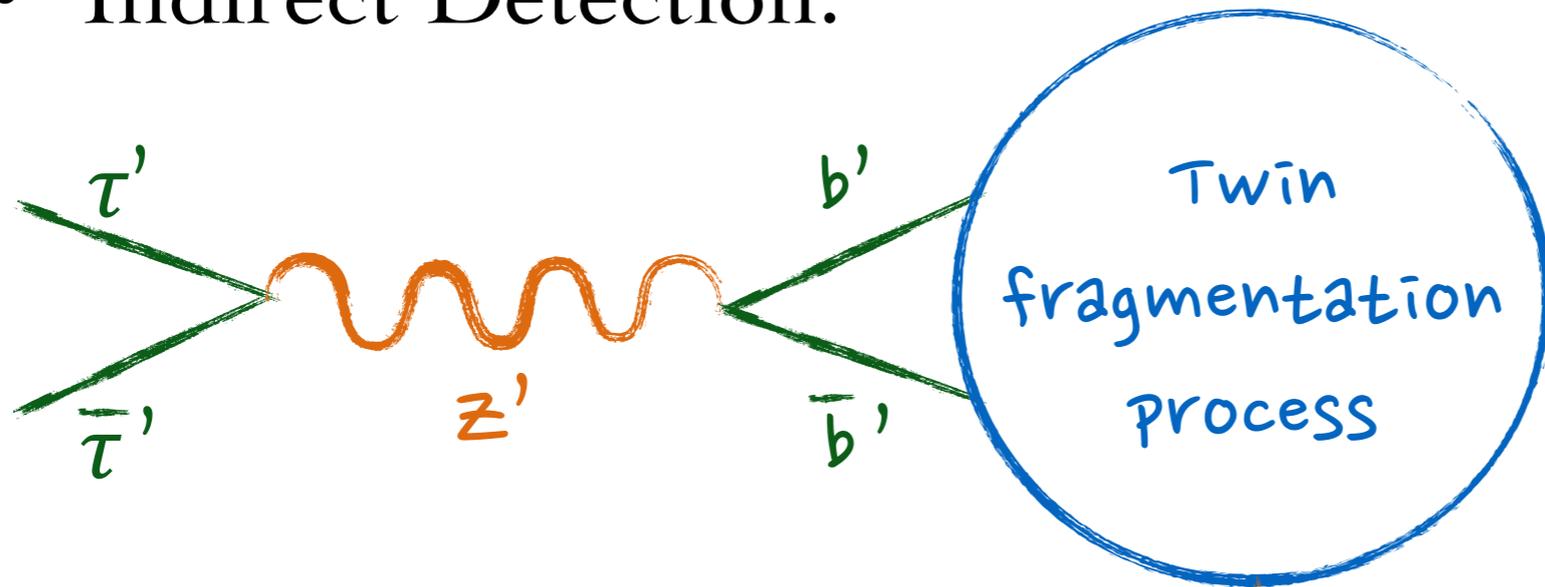
0^{-+} may be cosmologically stable

1^{+-} lifetime depends strongly on Λ'_{QCD} .

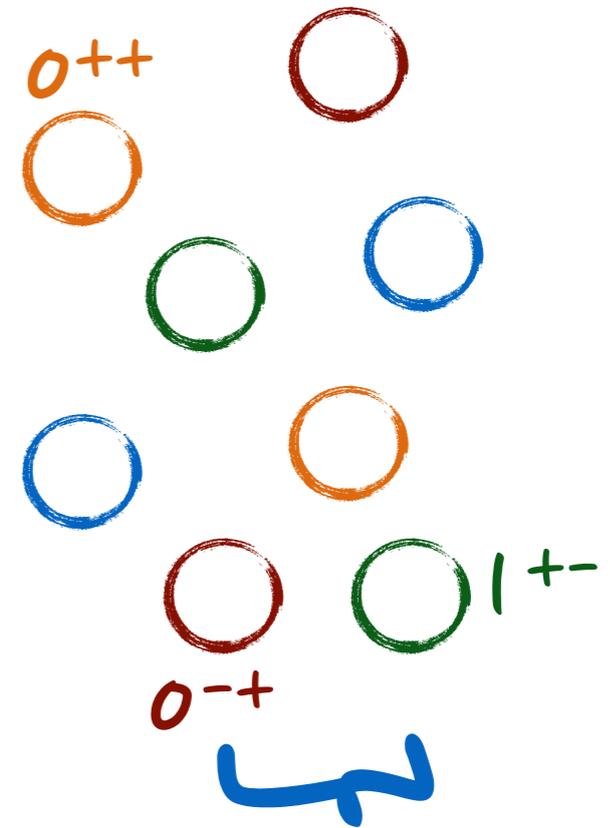


very UV-dependent

- Indirect Detection:

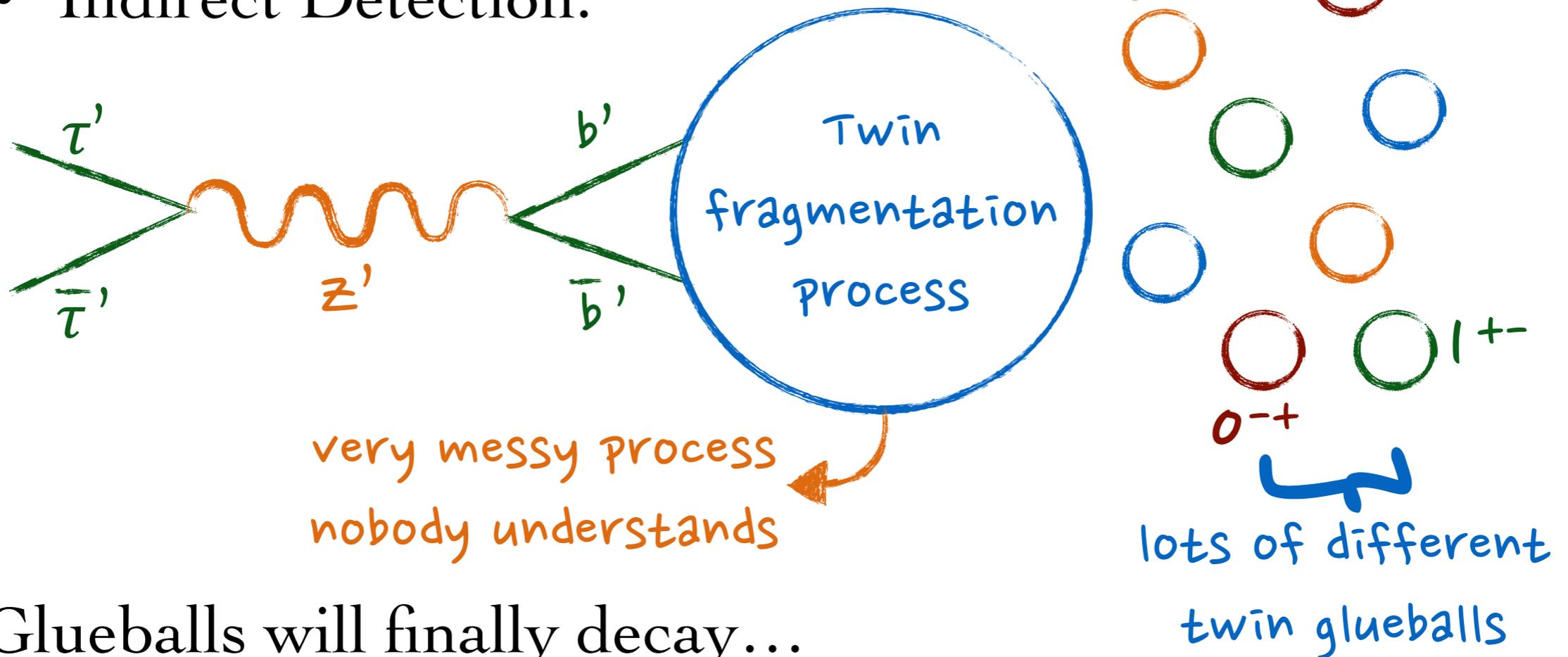


very messy process
nobody understands



lots of different
twin glueballs

- Indirect Detection:



Glueballs will finally decay...

- quickly to 0^{++} plus $\bar{\nu}'\nu'$ pairs if $m_{\nu'} \approx 0$
- some metastable states might hang around if there are no light twins (late decays might provide striking signatures!)
- 0^{++} will decay mostly to $\bar{b}b \Rightarrow$ strongest constraints come from antiproton injection and gamma rays

seems fine with current bounds but better understanding of twin fragmentation needed

Relativistic DOF?

You might be worried that with light dof in twin sector we have too large changes to N_{eff} (as SM-Twin sectors weakly coupled via Higgs portal)

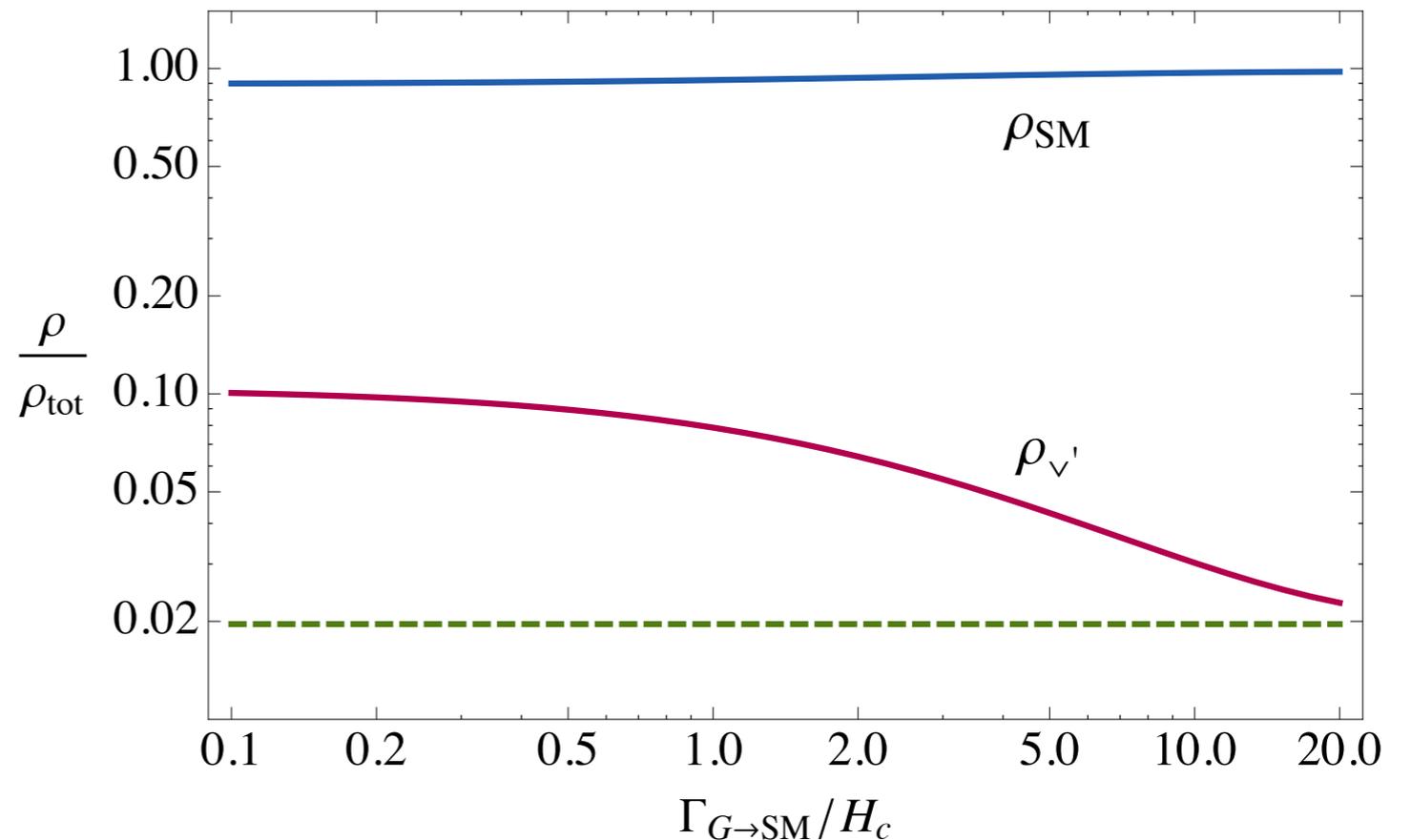
Even if glueball decay rate to light twin dof \gg glueball rate to SM as long as glueball rate to SM \gg H then re-equilibriate after twin-QCD PT. Requires $\hat{\Lambda}_{QCD} \geq 2.5 \text{ GeV}$ if $f/v \sim 3$

$$\Gamma_{0^{++} \rightarrow SM} \simeq 10^{-9} \text{ eV} \left(\frac{m_0}{7 \text{ GeV}} \right)^7 \left(\frac{750 \text{ GeV}}{f} \right)^4$$

$$H \simeq 10^{-9} \text{ eV} \left(\frac{T}{\text{GeV}} \right)^2$$

$$\Delta N_{\text{eff}} \geq 0.075$$

(minimum possible from
single light twin neutrino)



Twin Asymmetric DM

IGG, RL, JMR

(hep-ph/

1505.07410)

- Asymmetric DM: tries to explain why $\Omega_{\text{DM}}/\Omega_{\text{baryon}} \approx 5$ by assuming a non-zero asymmetry in the DM sector.

$$\frac{\Omega_{\text{DM}}}{\Omega_{\text{baryon}}} \approx \frac{m_{\text{DM}}}{m_N} \frac{\eta_{\text{DM}}}{\eta_{\text{baryon}}}$$

A model with $m_{\text{DM}} \sim m_N$ and $|\eta_{\text{DM}}| \sim |\eta_{\text{baryon}}|$ naturally explains the $\mathcal{O}(1)$ ratio of energy densities.

Important that symmetric component annihilates very efficiently,
so that final DM abundance is mostly set by the asymmetry

- Twin Baryon Asymmetric DM:

- We consider the case where only the twin baryon $\Delta' \sim b'b'b'$ is affected by the asymmetry, which can be achieved if $\eta_{B'} \approx -\eta_{Q'} \neq 0$ and $m_{\nu'} \approx 0$.

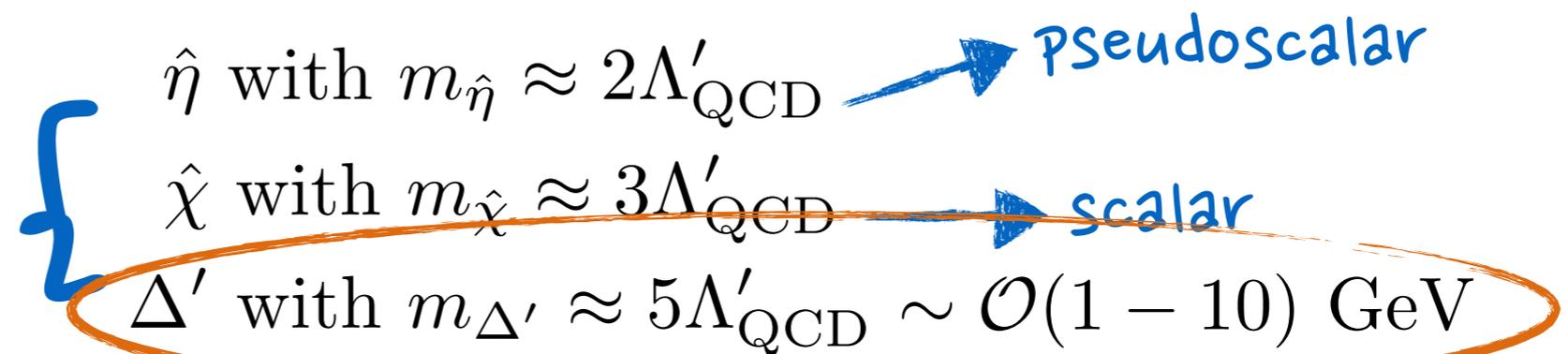
- Concentrate on light quark limit: $m_{b'} \ll \Lambda'_{\text{QCD}} \Rightarrow$ twin hadron masses set by Λ'_{QCD} and spectrum of quarkonia is lighter than glueballs.

$$\left. \begin{array}{l}
 \hat{\eta} \text{ with } m_{\hat{\eta}} \approx 2\Lambda'_{\text{QCD}} \longrightarrow \text{pseudoscalar} \\
 \hat{\chi} \text{ with } m_{\hat{\chi}} \approx 3\Lambda'_{\text{QCD}} \longrightarrow \text{scalar} \\
 \Delta' \text{ with } m_{\Delta'} \approx 5\Lambda'_{\text{QCD}} \sim \mathcal{O}(1 - 10) \text{ GeV}
 \end{array} \right\}$$

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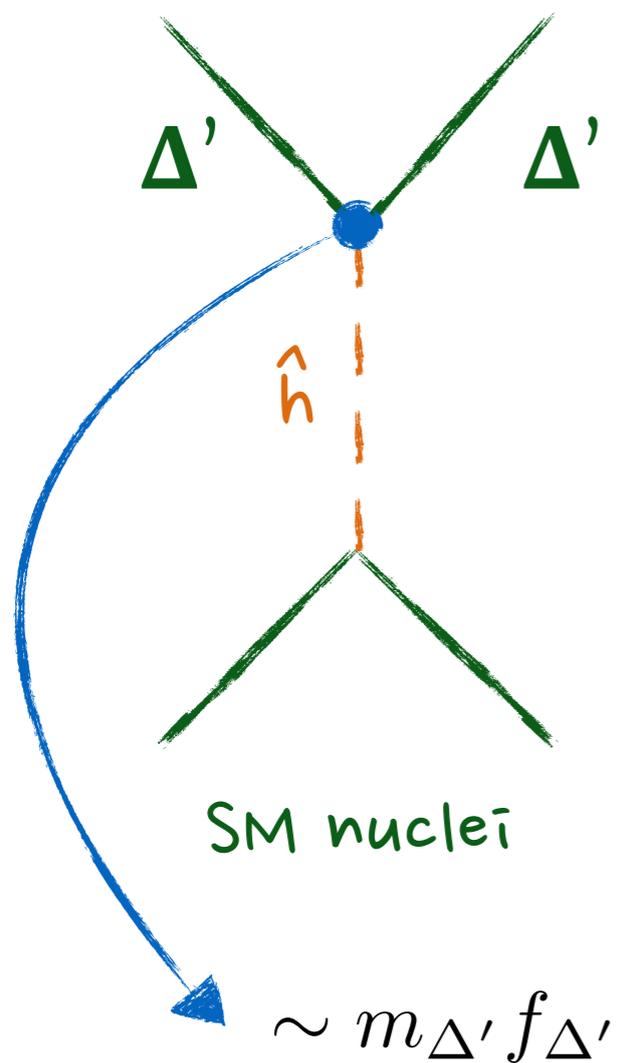


attractive ADM mass that is set
by twin confinement scale

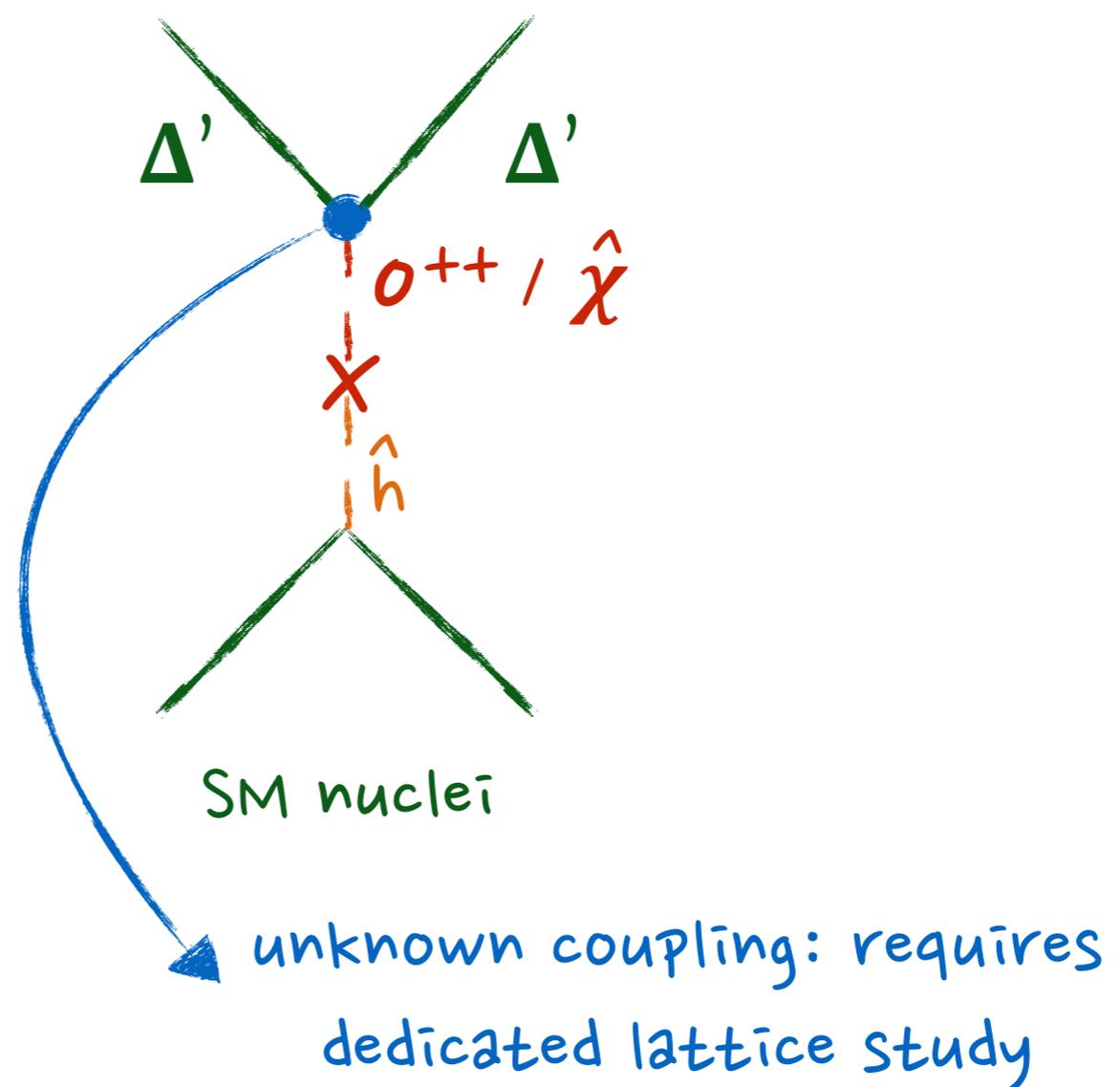
- Direct Detection:

Scattering off SM nuclei happens via Higgs portal.

Higgs exchange:



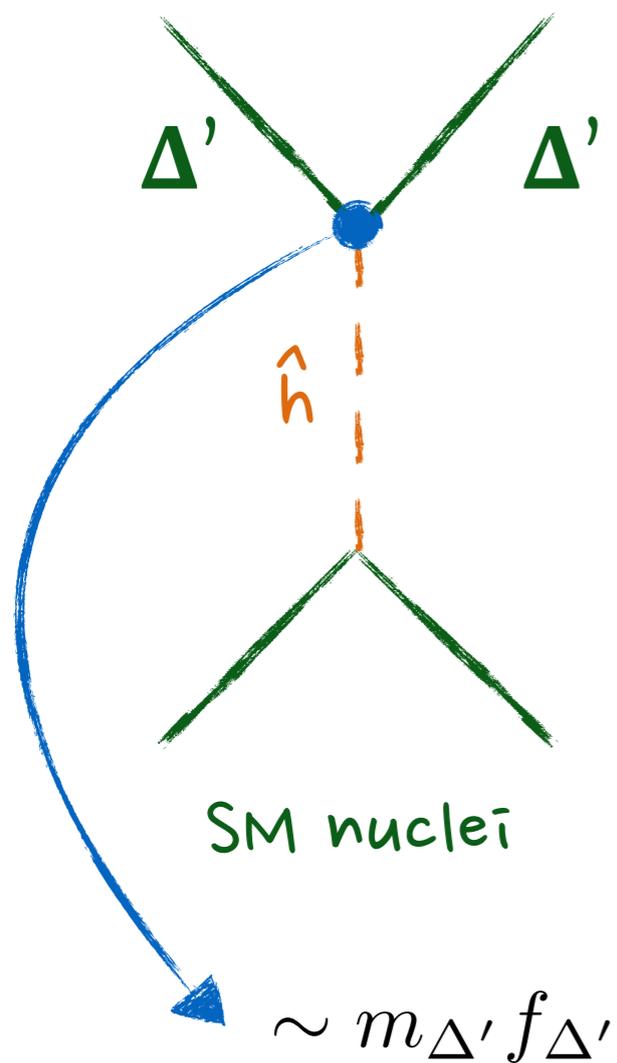
Twin glueball/meson + Higgs mixing:



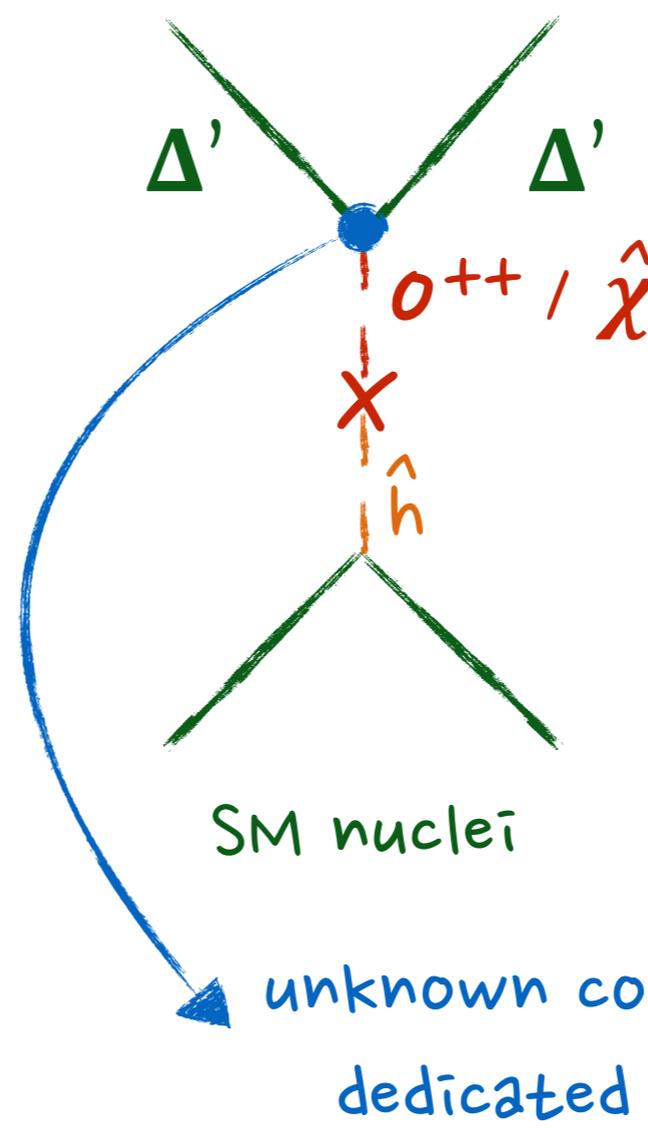
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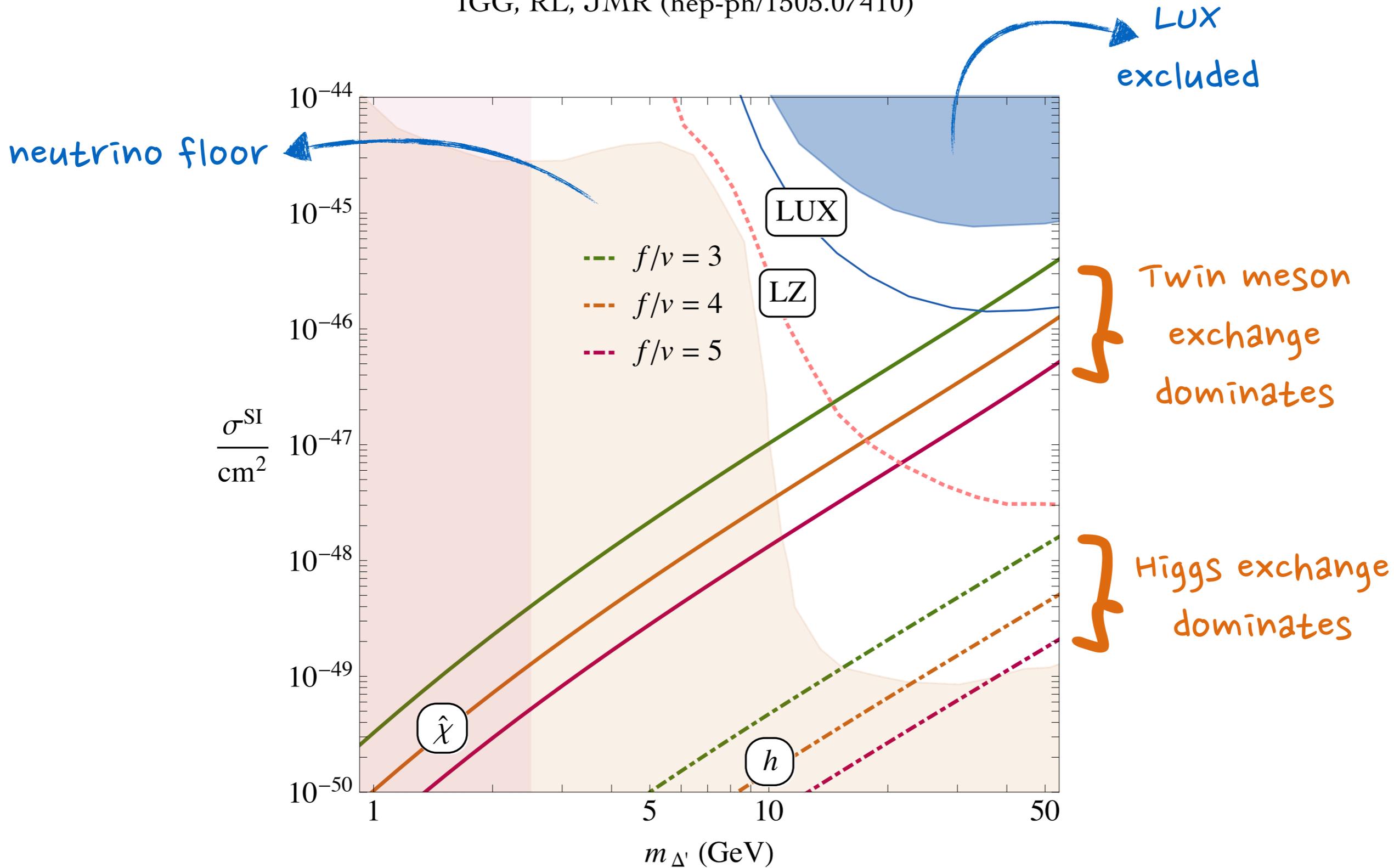


Twin glueball/meson + Higgs mixing:



It is unclear
which is the
dominant process

IGG, RL, JMR (hep-ph/1505.07410)



(twin baryon - twin meson coupling: $\lambda = 4\pi$)

- Natural modification: gauged $U(1)'$
 - Neutrality of the Universe under twin electromagnetic charge requires $\eta_{Q'} = 0$

Physics changes a lot

\Rightarrow Asymmetric population of Δ' needs to be compensated by an equal population of $\bar{\tau}'$

- Δ' - $\bar{\tau}'$ form bound states

twin atoms

In fact, they'd better form atoms: DM in plasma form is very constrained from plasma instability effects

- Constraints on Twin Atom DM:

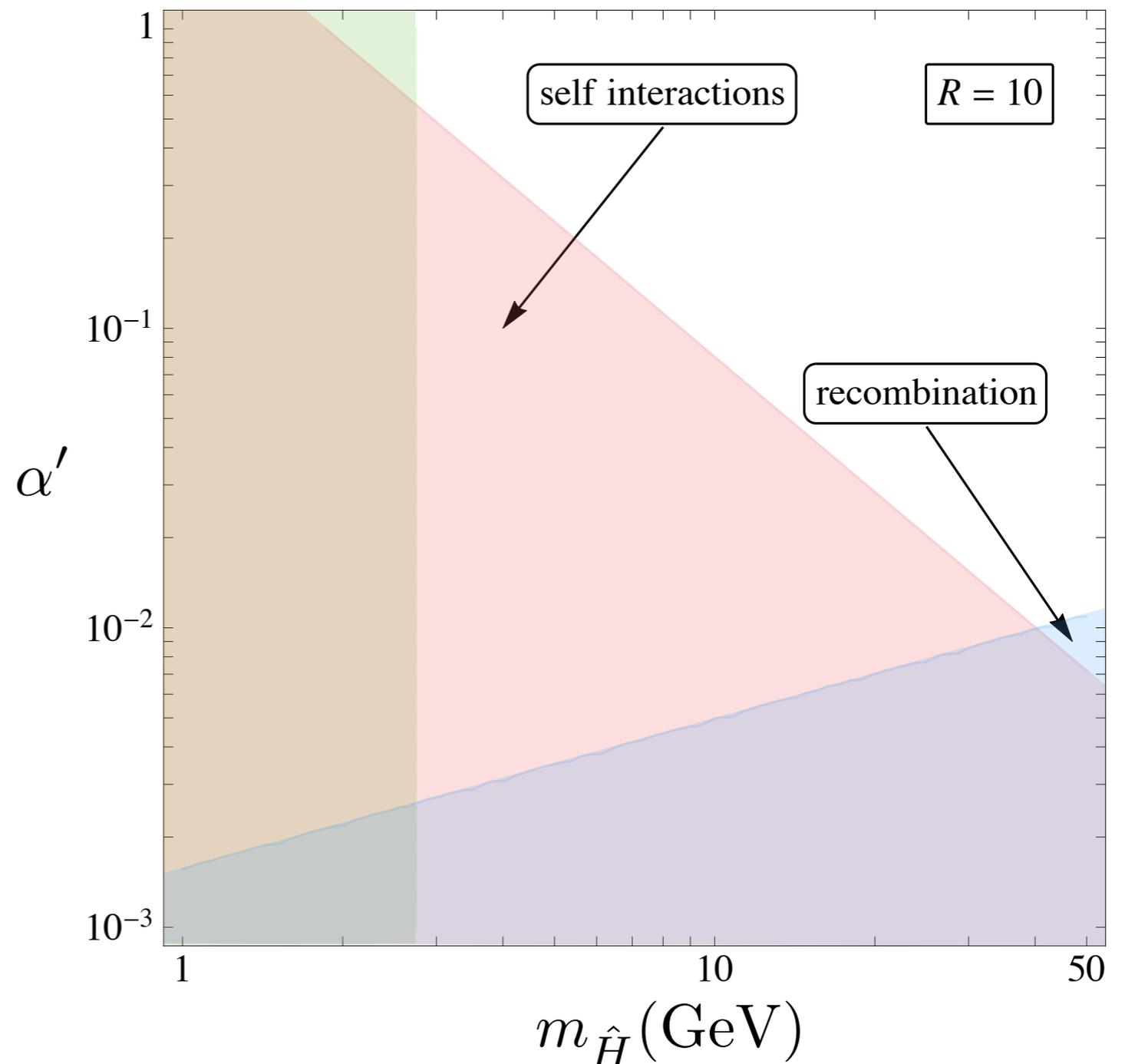
- Sufficient recombination

so that there is
little plasma left

- DM self-interactions

In the allowed region
of parameter space,
annihilation of the
symmetric components
happen very efficiently
(even for light τ')

IGG, RL, JMR (hep-ph/1505.07410)



- Direct Detection:
 - Via Higgs portal interactions, very similar to twin baryon DM

- Direct Detection:
 - Via Higgs portal interactions, very similar to twin baryon DM
- Kinetic Mixing:

Twin and visible sector photons are massless and it is possible to have a term

$$\mathcal{L} \supset \frac{\epsilon}{2} F^{\mu\nu} F'_{\mu\nu}$$

\Rightarrow twins pick up charges $\sim \epsilon e'$, but atoms are neutral and have zero electric dipole moments

magnetic dipole moments will provide the leading constraint

Moreover, radiative contributions to ϵ absent up to 3 loop order: at most, expect $\epsilon \sim \mathcal{O}(10^{-9})$

seems totally OK with current bounds

Twin Nuclear DM?

In just 3rd generation case don't form significant di-B and beyond as even with photon present the radiative capture rate too slow (both M1 and E1 processes zero by fact that B is only (semi-)stable nucleon)

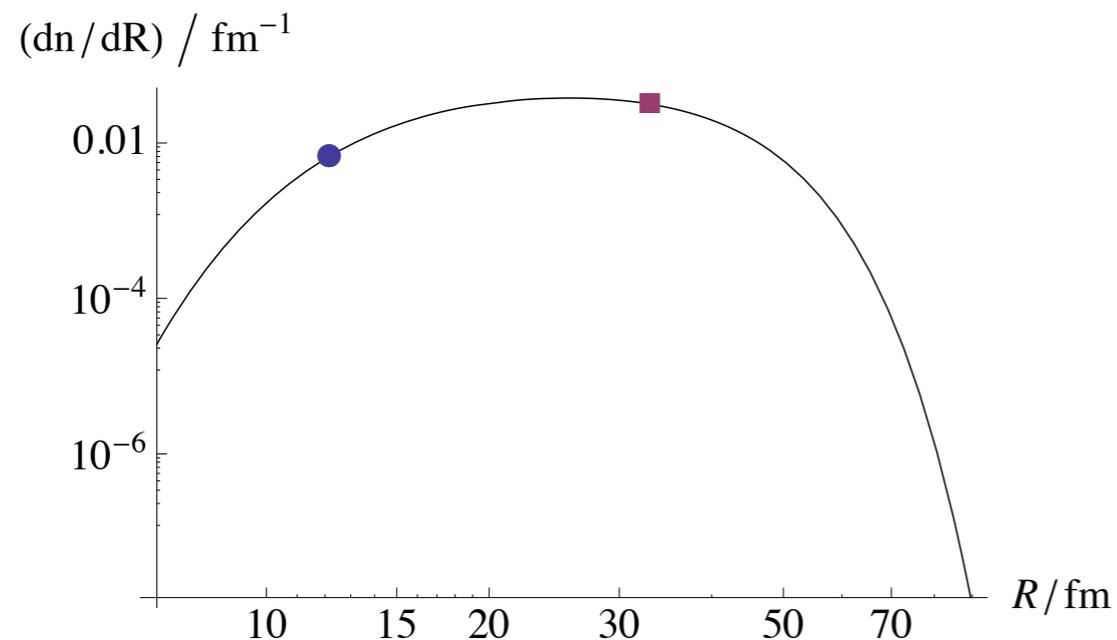
Can get twin nuclear DM — possibly with large nucleon number A if turn back on 2nd generation with now both “p” and “n” like states (if $m_p > m_n$ so that p eventually decays to n + twin leptons no Coulomb barrier at large A , and no dark atoms either)

Twin Nuclear DM

Comment: Get all the attractiveness of ADM with $m_B = 5\text{GeV}$ without having halo DM states actually at mass 5GeV . They can have much bigger mass $A \times 5\text{GeV}$ with baryon number A (potentially changes DD region/pheno a lot)

$$\frac{\Omega_X}{\Omega_B} = \frac{\eta_X m_X}{\eta_B m_B} \quad \text{This would still be true with}$$
$$\eta_X = \eta_B$$

Note: example of dark-sector BBN result for number dist'n

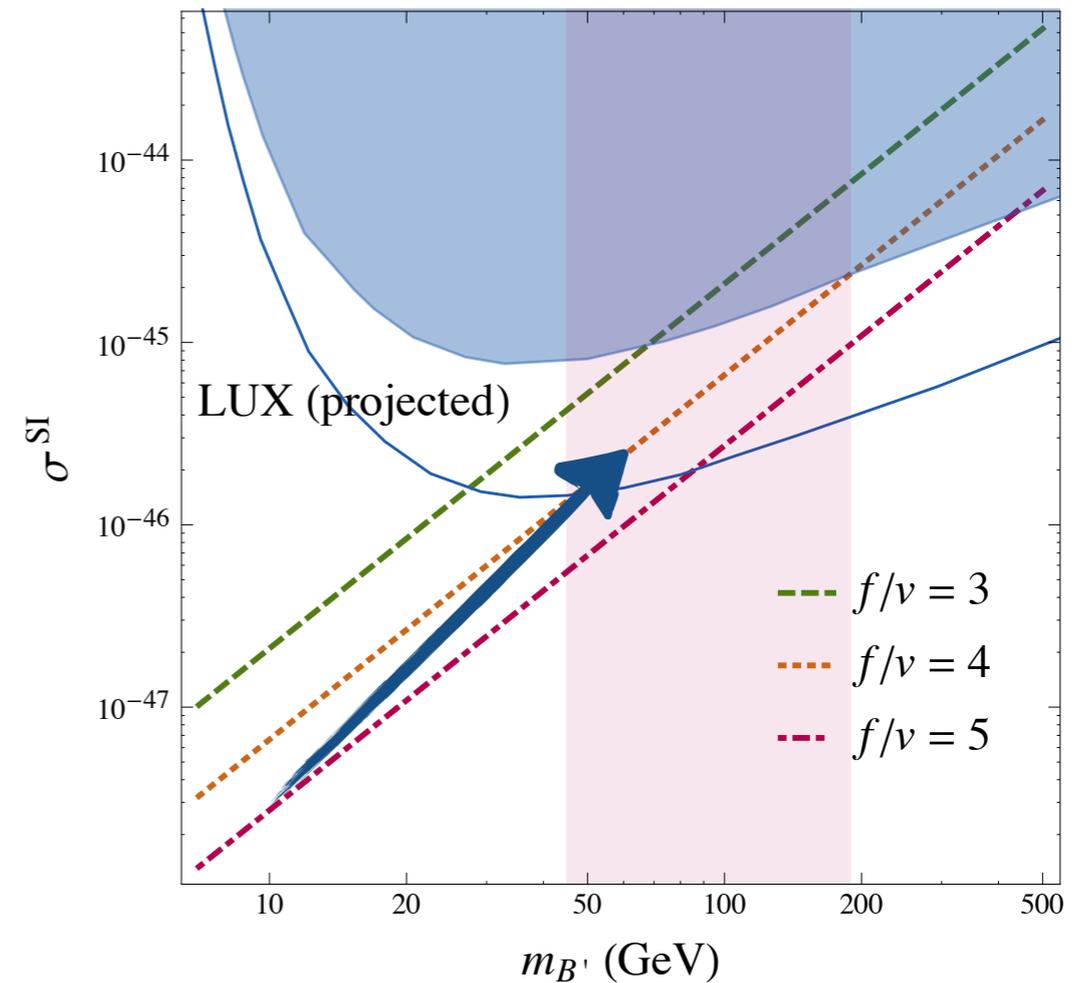


Twin Nuclear DM

If get through bottleneck region at small A number then can potentially build up large nuclei. Interesting case for us is $A \sim 10$

Such large- A , and thus spatially extended, dark nuclei have effective coherent enhancement of DD cross section by A^2 (but more massive by A)

Can effectively move DD signal to higher mass and cross section even if $m_B = 5 \text{ GeV}$



Twin Dark Matter

comments

When you twin the SM there are (unsurprisingly) a huge range of possibilities for stable states with rich dynamics (variety of WIMP's but also nucleon DM, atomic DM, nuclear DM, meson DM, spin 1 DM, ...)

In many parts of parameter space the DM is a multi-component cocktail. Sub-dominant parts can be interesting (halo dynamics, late decays & BBN, spectrum of states in direct or indirect detection, inelasticity, ...)

Higgs portal gives definite and very interesting predictions for DD and ID signals even in most minimal vanilla cases

Conclusions

- Theories based on the Twin Higgs mechanism have very rich physics

→ even richer as soon as you add more generations

e.g. M. Farina hep-ph/1506.03520
IGG, RL, JMR...

- Lots of things left to do

